

# Socially Responsible Investing

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# SRI and SIN definitions

**Socially Responsible Investing (SRI)** - investing strategy that avoids investment in companies involved in socially disadvantageous activities (e.g. production or selling alcohol and tobacco).

**SIN industries** - companies involved in socially disadvantageous activities (e.g. drug, selling weapons).



Analyze the profitability and riskiness of SRI in comparison with SIN industries and the market



## Data

- Annual returns of US 49 industry indexes in period 1970 - 2014
  - Source: Ken Frenchs website
  - Link: [http://mba.tuck.dartmouth.edu/pages/faculty/ken.french/data\\_library.html](http://mba.tuck.dartmouth.edu/pages/faculty/ken.french/data_library.html)
- Treasury Bills interest rates
  - Source: Federal Reserve Economic Data
  - Link: <https://fred.stlouisfed.org/series/TB3MS>

# Download data in R and Methodology

## R code: Download data

To download data from .csv file into a data frame object next function is used:

```
data_frame <- read.csv('File_Name.csv', header=TRUE)
```

## Methodology

- Equally-weighted portfolio
- Mean-variance optimized portfolio

# Define SIN and SRI industries

## SIN industries

- 1 Candy and Soda
- 2 Beer and Liquor
- 3 Tobacco Products
- 4 Chemicals
- 5 Rubber and Plastic Products
- 6 Defense
- 7 Coal
- 8 Oil
- 9 Utilities

## SRI industries

Other 40 industries

Total: 49 industries (MKT - Market)

# Portfolio characteristics

Let  $P$  be a portfolio of  $n$  indices.

- $w = (w_1, \dots, w_n)^T$  - vector of weights
- $r$  - Treasury Bill interest rate
- $\Sigma$  - covariance matrix of indices returns

Then portfolio return  $\mu(P)$  is:

$$\mu(P) = \mu^T w \quad (1)$$

Portfolio risk  $\sigma(P)$  is:

$$\sigma(P) = \sqrt{\text{var}(P)} = \sqrt{w^T \Sigma w} \quad (2)$$

Sharpe Ratio  $SR(P)$  is:

$$SR(P) = \frac{\mu(P) - r}{\sigma(P)} \quad (3)$$



# Equally-weighted portfolio

## Description

Equally-weighted portfolio is a portfolio of  $n$  assets with all equal weights:

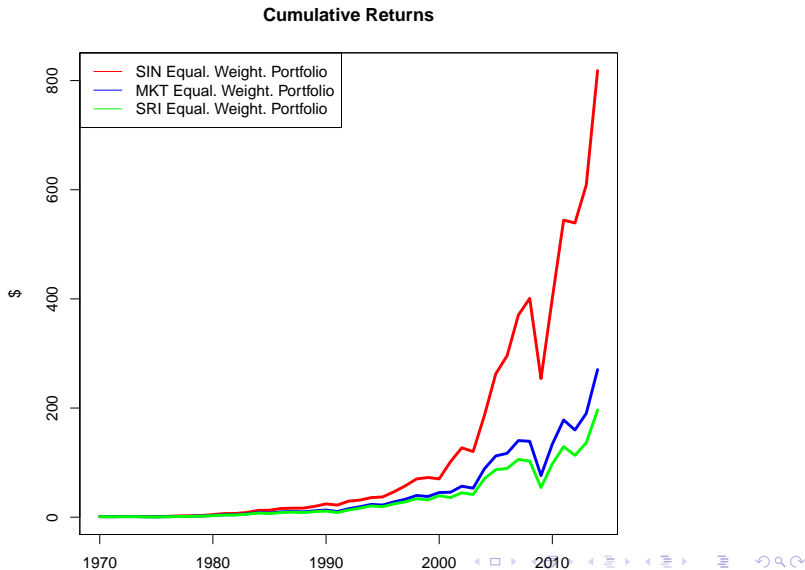
$$w_1 = w_2 = \dots = w_n = \frac{1}{n}$$

## Portfolios' statistics

	Return	Standard.Deviation	Sharpe.Ratio
SIN Portfolio	18.05	21.31	0.61
MKT Portfolio	16.28	25.68	0.44
SRI Portfolio	15.88	27.24	0.40

# Cumulative returns

1 USD invested in 1970:



# Sharpe ratios

Let's find the best place for the money!

	Sharpe.Ratio
Soda	0.44
Beer	0.47
Smoke	0.64
Chems	0.46
Rubbr	0.40
Guns	0.53
Coal	0.19
Oil	0.31
Util	0.60

## Description

Changing weights it is possible to make returns higher and risk lower. To find appropriate weights, next optimization problem is solved

$$\text{var}(P) - q\mu(P) \xrightarrow{\mu} \min \quad (4)$$

- $q \geq 0$  - risk tolerance. If  $q = 0$ , the aim is to minimize portfolio variance(risk)
- if  $q = \inf$ , the aim is to maximize portfolio return
- for the research  $q = 1$  is chosen

With  $q = 1$  formula (4) is:

$$w^T \sum w - \mu^T w \xrightarrow{w} \min \quad (5)$$

## Constraints

- ①  $\sum_{i=1}^n w_i = 1$
- ②  $w_i \geq 0$  for  $i = 1, \dots, n$
- ③  $w_i \leq 0.1$  (SRI and MKT)  
 $w_i \leq 0.2$  (SIN)

# General quadratic programming problem

In R exists a function, which solves general quadratic problem:

```
library(quadprog)
result <- solve.QP(Dmat, dvec, Amat, bvec, meq)
```

## Quadratic programming problem

$$\frac{1}{2}w^T Dw - d^T w \xrightarrow{w} \min \quad (6)$$

$$A^T w \geq b \quad (7)$$

# Function Parameters

- $D = 2\sum$
- $d = \mu$
- $meq = 1$

The matrix of constraints A:

$$A = \begin{bmatrix} 1 & 1 & \dots & -1 & \dots & 0 \\ 1 & & 1 & \dots & -1 & 0 \\ \dots & \dots & \dots & \dots & \dots & \dots \\ \dots & \dots & \dots & \dots & \dots & \dots \\ \dots & \dots & \dots & \dots & \dots & \dots \\ 1 & & \dots & 1 & \dots & -1 \end{bmatrix}$$

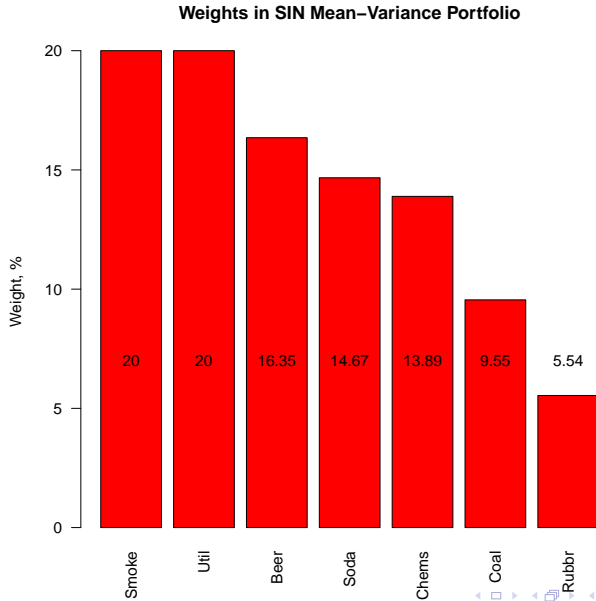
$$b = \begin{bmatrix} 1 \\ 0 \\ \vdots \\ -0.2 \\ \vdots \end{bmatrix}$$

## Mean-Variance Portfolios' Statistics

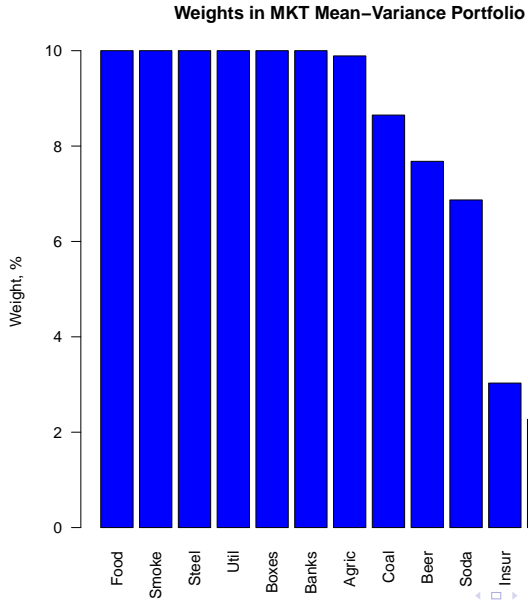
	Return	Standard.Deviation	Sharpe.Ratio
SIN MV Portfolio	17.65	19.18	0.66
MKT MV Portfolio	15.78	17.98	0.60
SRI MV Portfolio	14.64	20.82	0.46



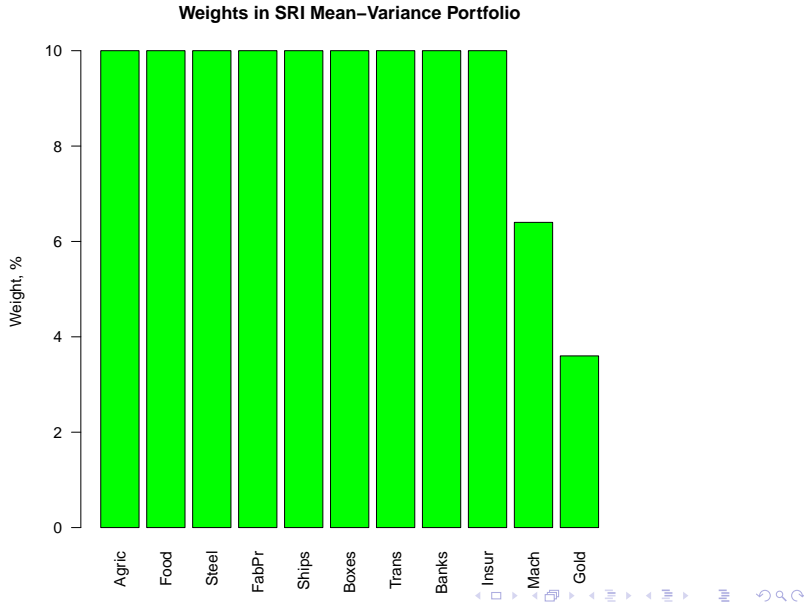
# Results: weights SIN



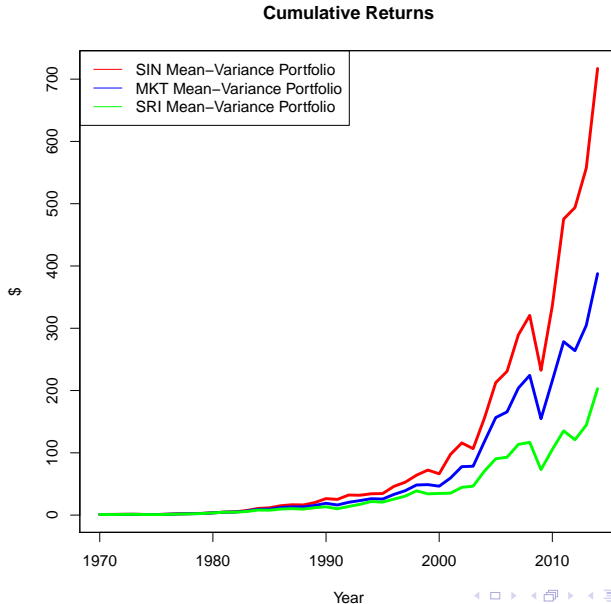
# Results: weights MKT



# Results: weights SRI



# Results: Cumulative returns



- 1 The SRI mean-variance and equally weighted portfolios show the worst performance comparing to other portfolios
- 2 The SIN mean-variance and equally weighted portfolios show the best performance comparing to other portfolios