

微电子器件物理 MOSFET IV特性

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2020/10/20

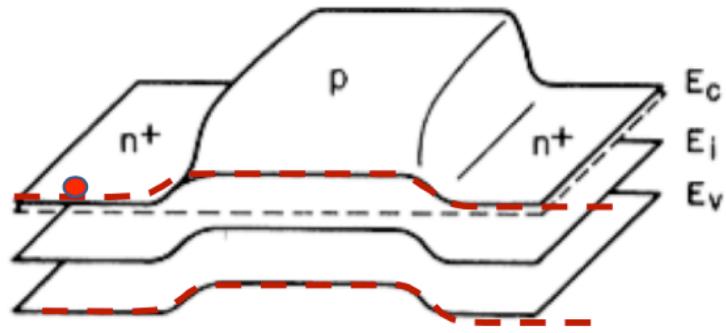
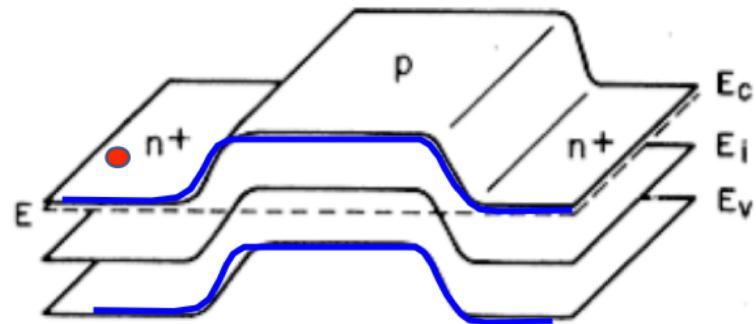
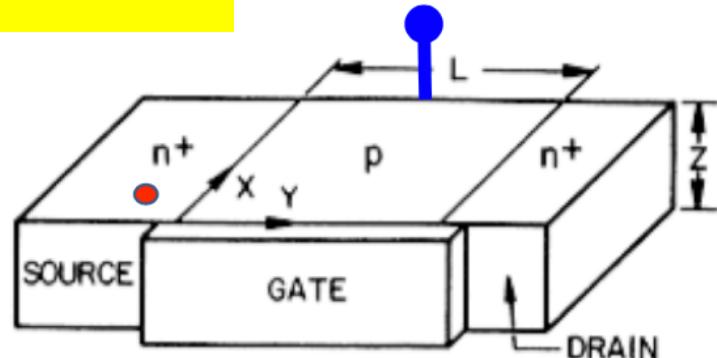
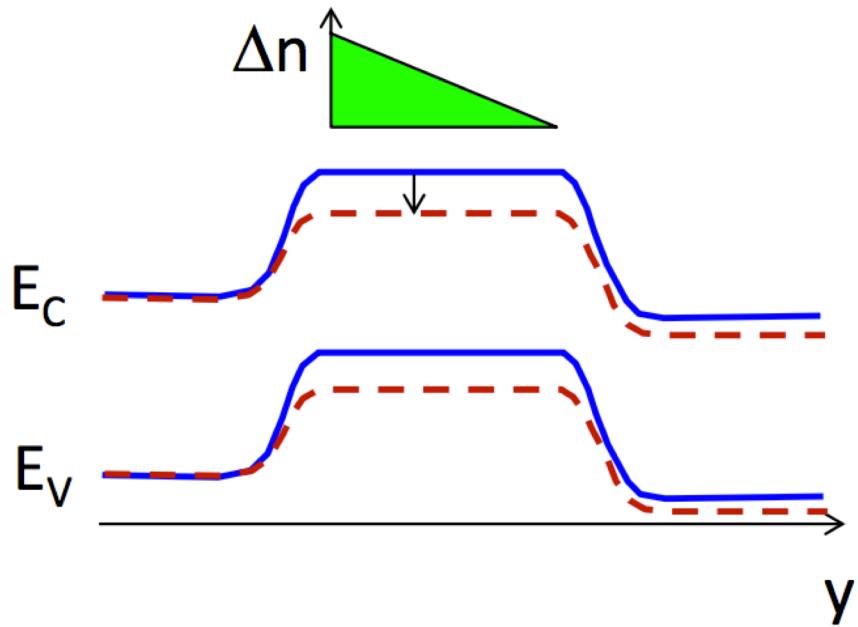
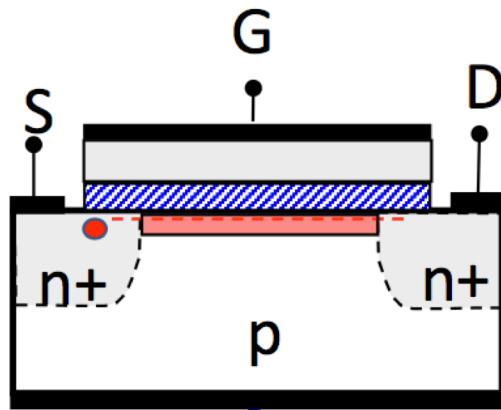
本节课提纲

1. 亚阈值电流
2. 开态电流

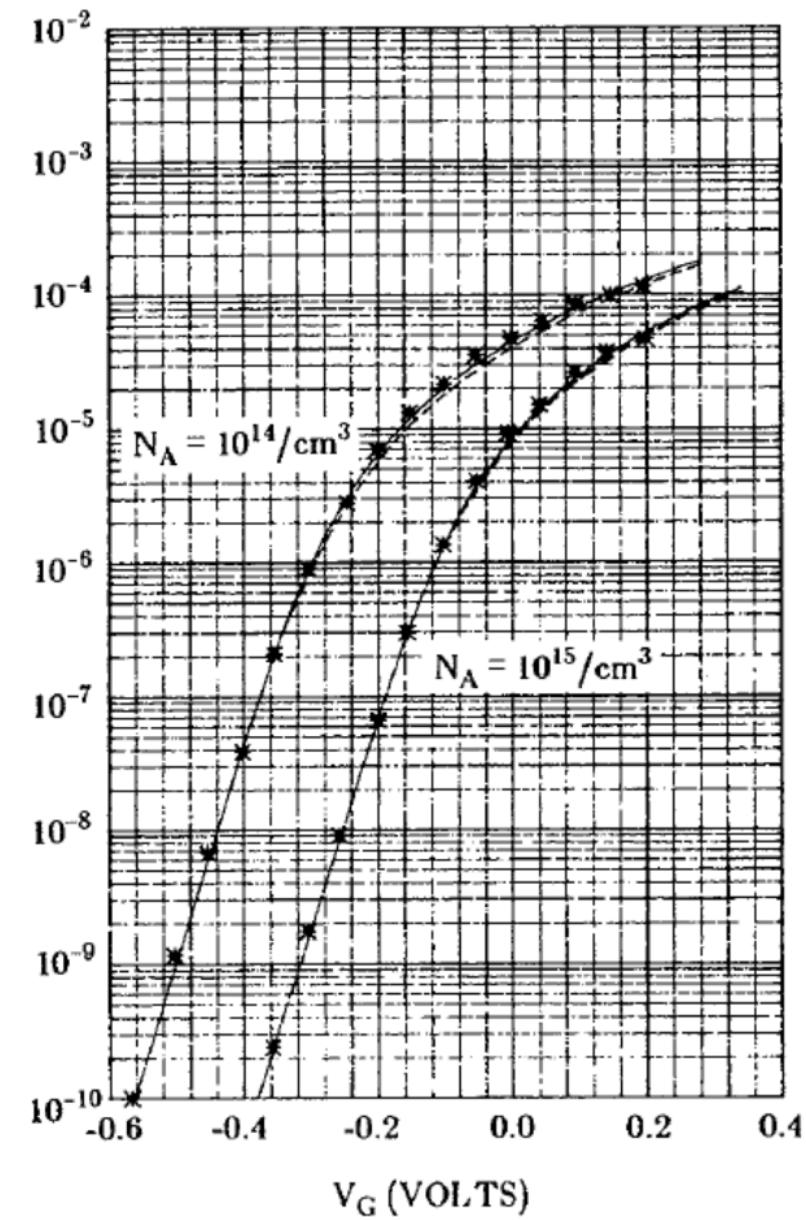
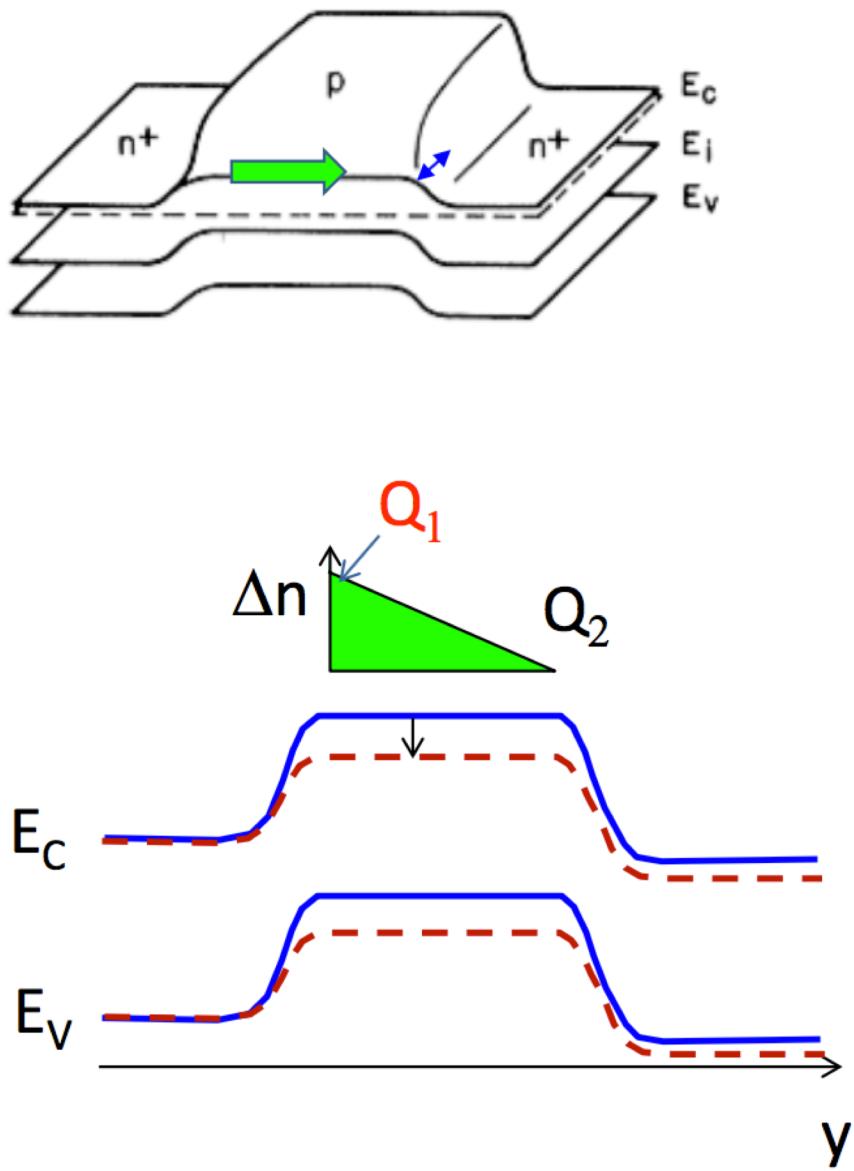
本节课提纲

1. 亚阈值电流
2. 开态电流

亚阈值区域



亚阈值区域



亚阈值区域

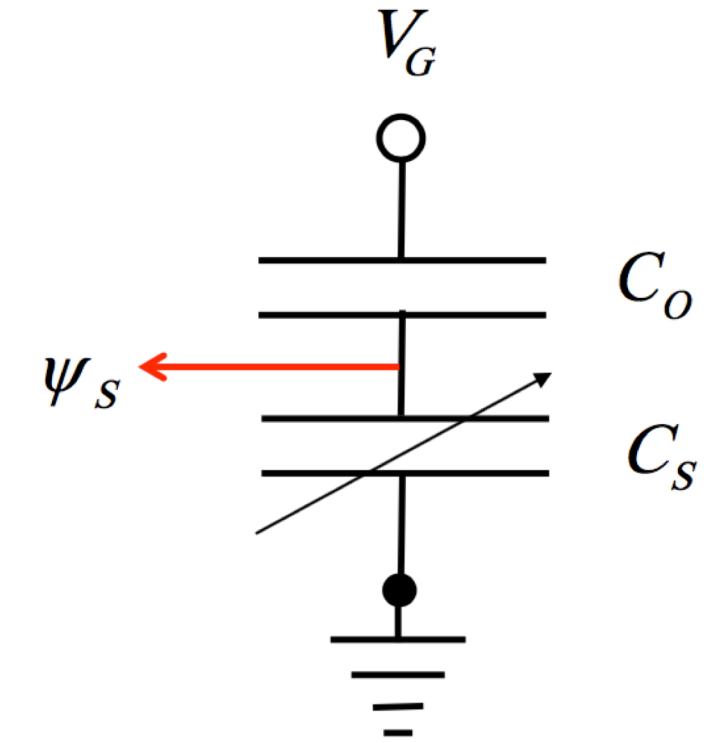
$$m = (1 + C_s / C_o)$$

体效应因子

$$m = (1 + \kappa_s x_o / \kappa_0 W_T)$$

通常

$$1.1 \leq m \leq 1.4$$



$$\psi_s = \frac{C_o}{C_o + C_s} V_G \equiv \frac{V_G}{m}$$

本节课提纲

1. 亚阈值电流
2. 开态电流

开态电流

$$I_D = -\frac{W}{L_{ch}} \mu_{eff} \int_0^{V_{DS}} Q_i(V) dV$$

1) 平方律

$$Q_i(V) = -C_G [V_G - V_T - V]$$

2) 体电荷模型

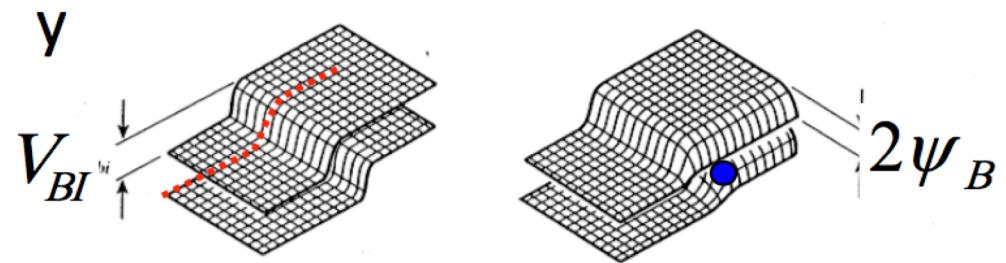
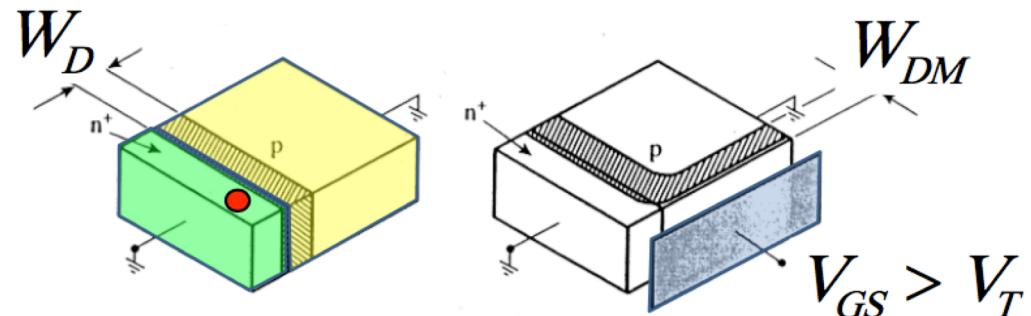
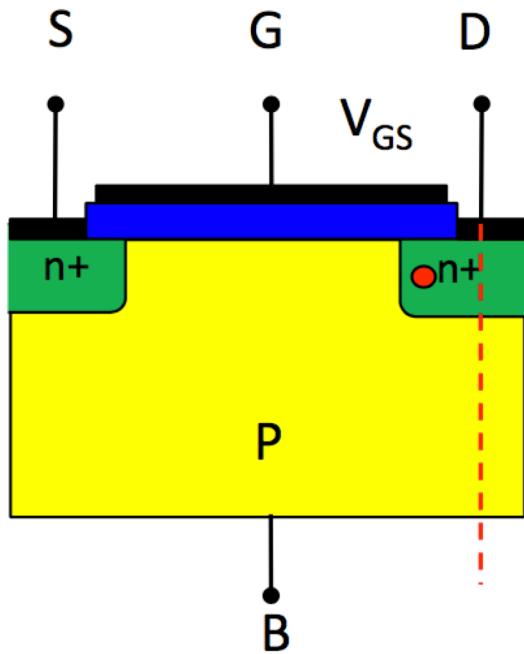
$$Q_i(V) = -C_G \left(V_G - V_{FB} - 2\psi_B - V - \frac{\sqrt{2q\epsilon_{Si}N_A(2\phi_B + V)}}{C_o} \right)$$

3) 简化体电荷模型

$$Q_i(V) = -C_G [V_G - V_T - mV]$$

4) 精确解 (Pao-Sah or Pierret-Shields)

栅压的作用

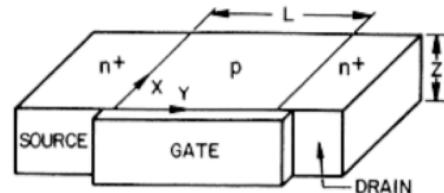


- a) 平带
- b) 反型

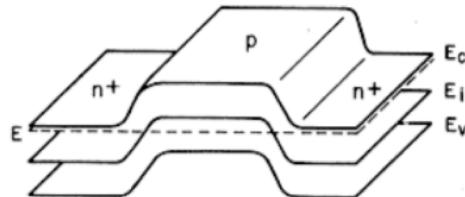
A. Grove, *Physics of Semiconductor Devices*, 1967.

漏压的作用

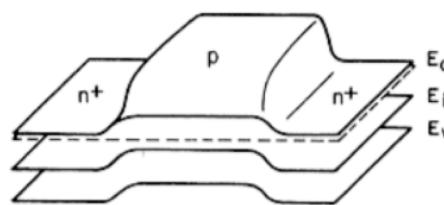
二维能带图



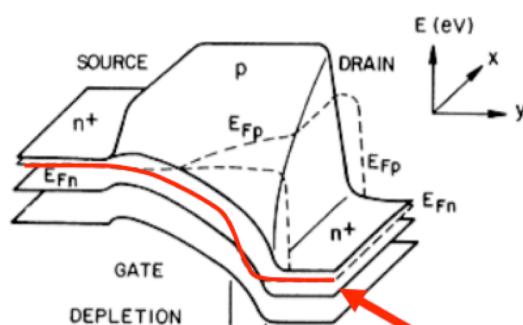
a) 器件示意图



b) 平带时候的能带图



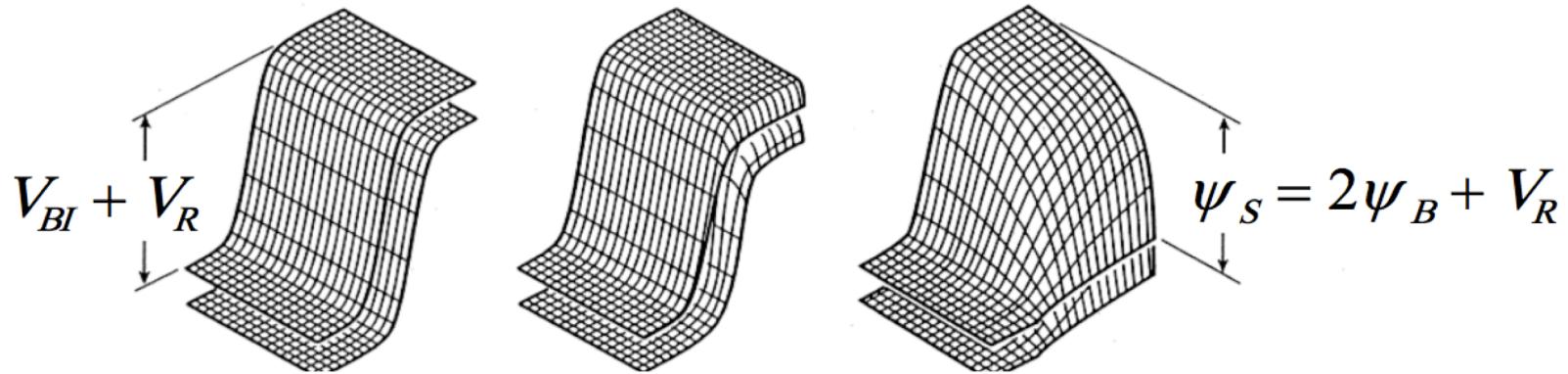
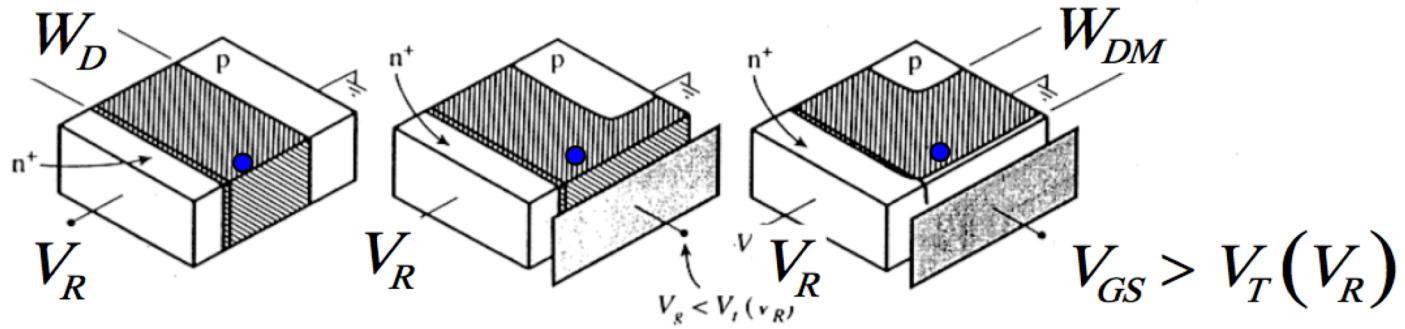
c) 表面势为正（施加 V_g ）



d) 同时施加 V_g 和 V_d

F_N

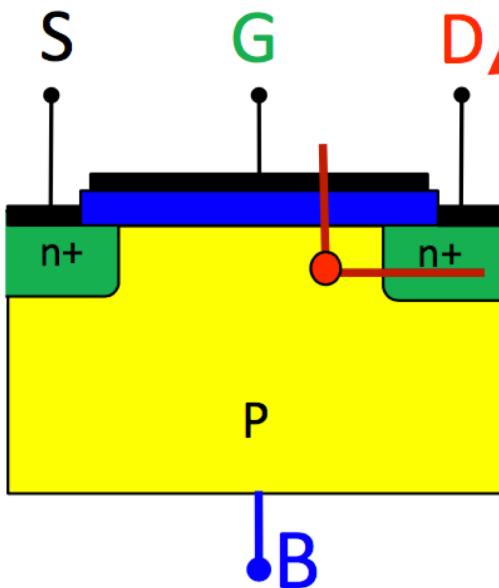
漏压的作用



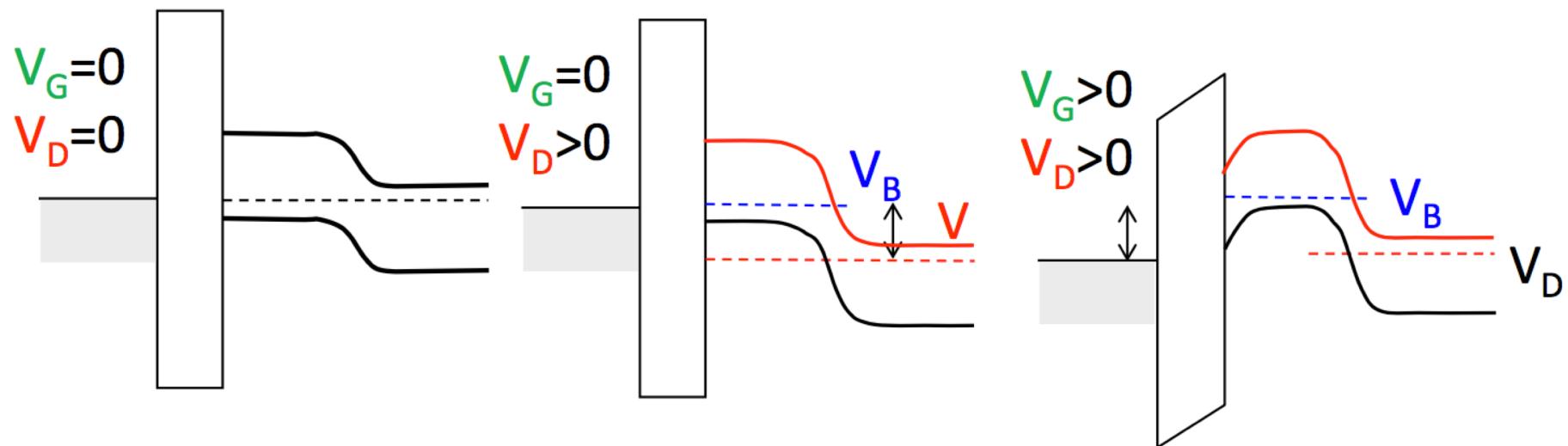
- a) 平带
- b) 耗尽
- c) 反型

A. Grove, *Physics of Semiconductor Devices*, 1967.

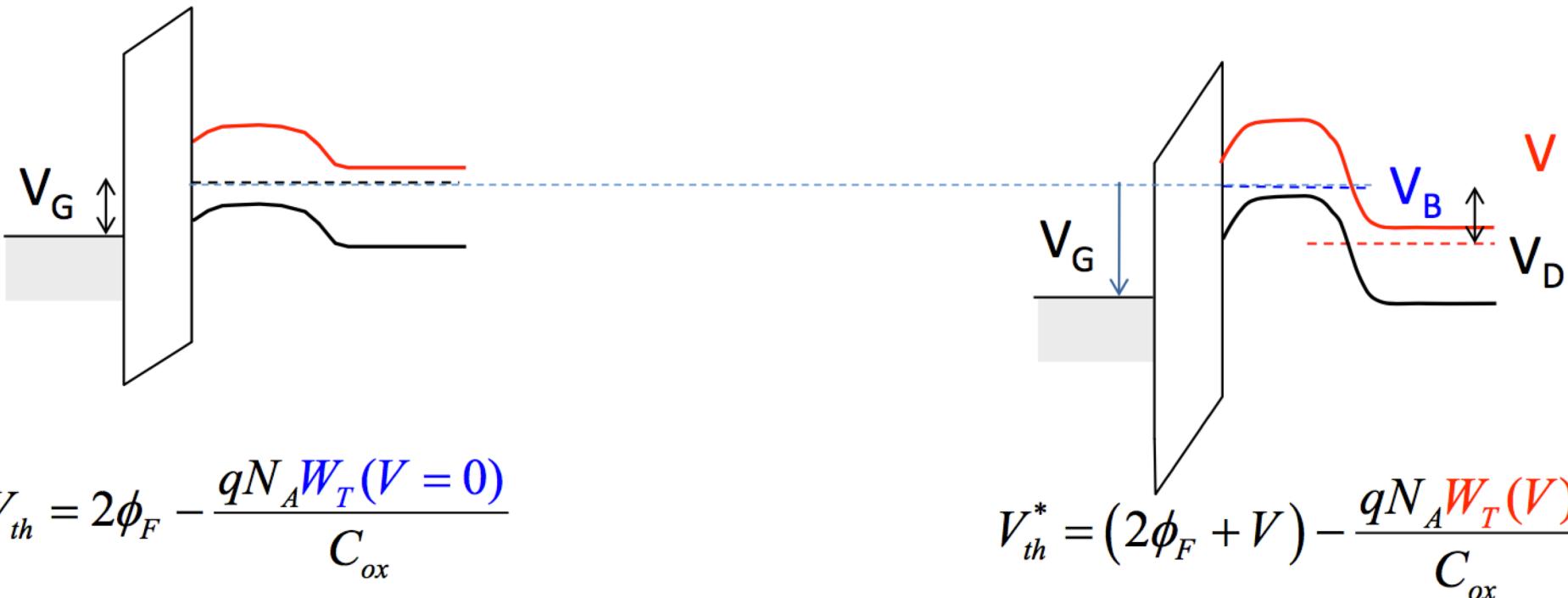
反型层电荷



$$Q_i = -C_{ox}(V_G - V_{th} - V) + qN_A(W_T(V) - W_T(V=0))$$



反型层电荷



$$V_{th}^* = V_{th} + V - \frac{qN_A (W_T(V) - W_T(V=0))}{C_{ox}}$$

$$Q_i = -C_{ox} (V_G - V_{th}^*)$$

反型层电荷的简化公式

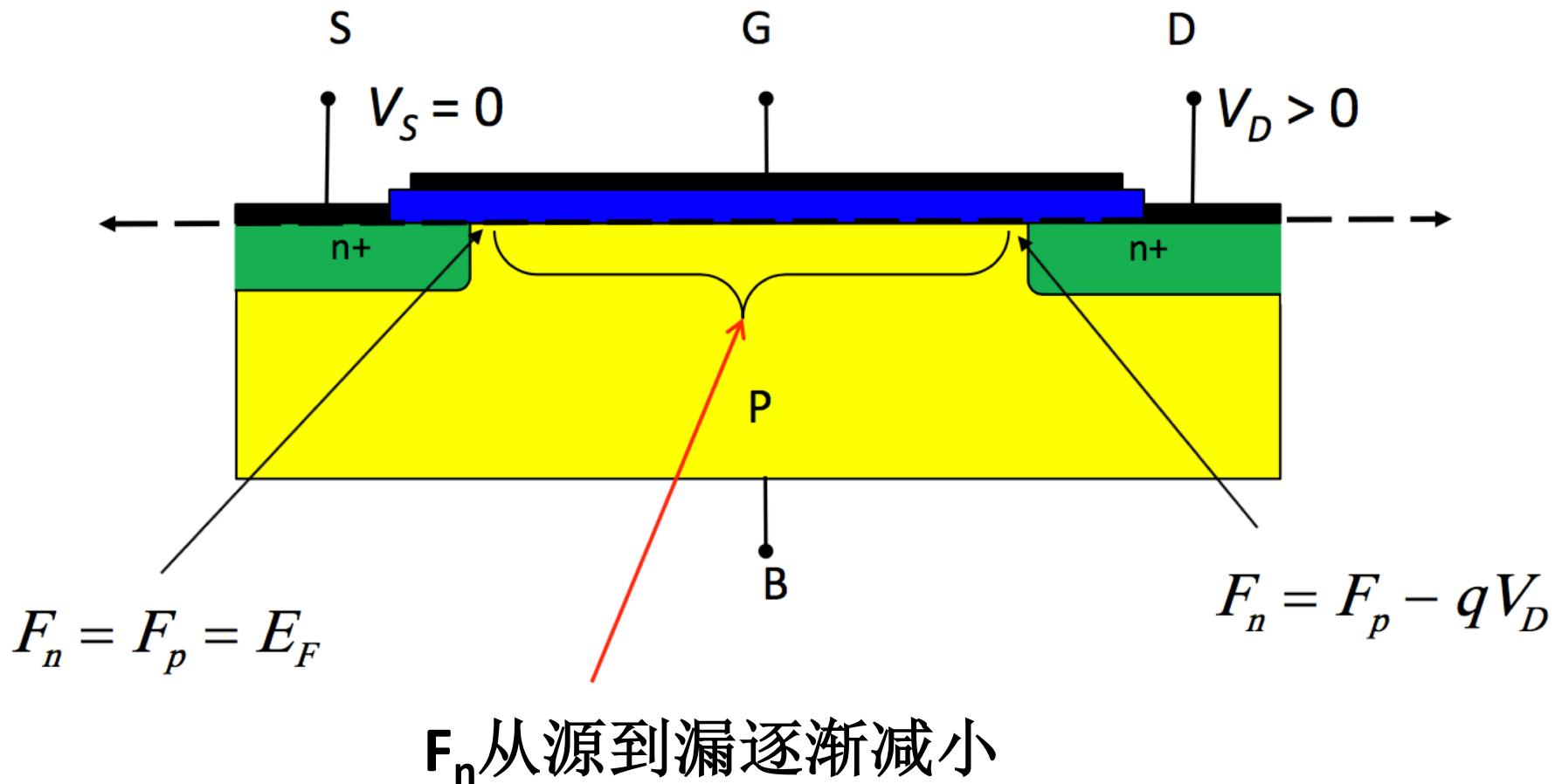
$$Q_i = -C_o(V_G - V_{th} - V) + q \frac{A}{\lambda} (W_T(V) - W_T(V=0))$$
$$= -C_o(V_G - V_{th} - V) + \left[\sqrt{2q\kappa_s \epsilon_o N_A (2\phi_B + V)} - \sqrt{2q\kappa_s \epsilon_o N_A (2\phi_B)} \right]$$

假设：

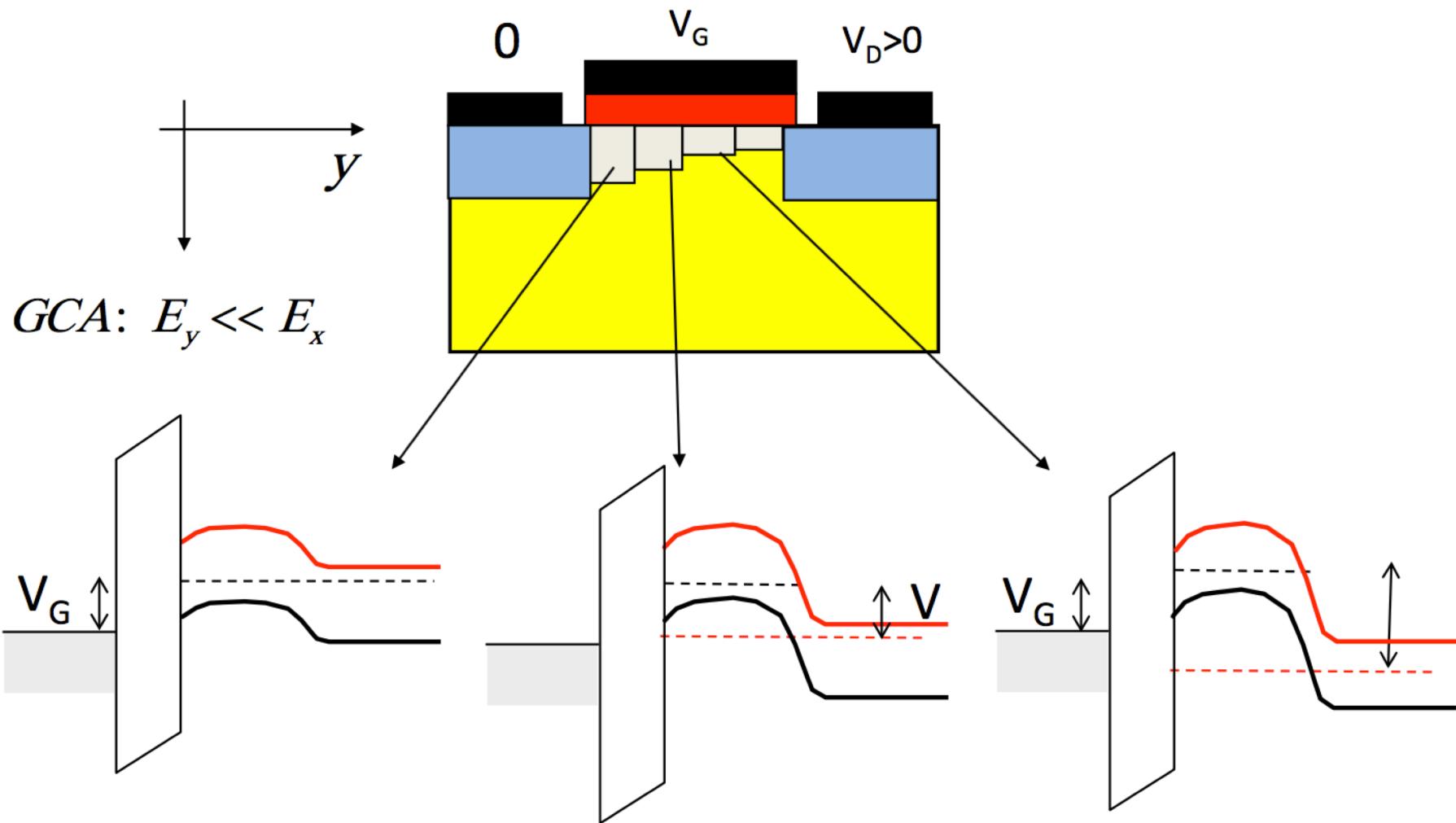
$$Q_i \approx -C_{ox}(V_G - V_{th} - V)$$
 平方律

$$Q_i \approx -C_{ox}(V_G - V_{th} - mV)$$
 简化的体电荷

The MOSFET

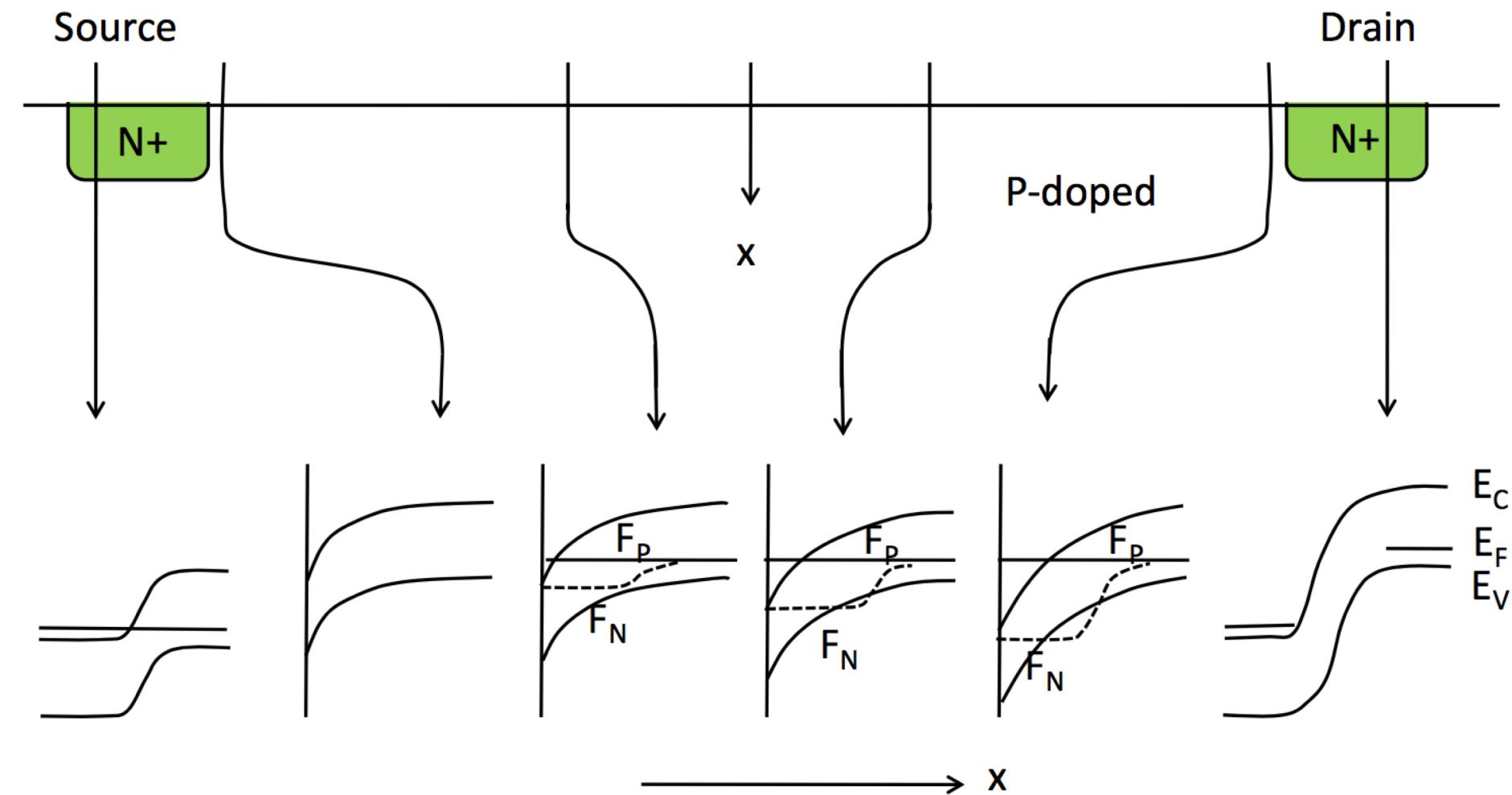


平方律理论



$$Q_i(y) = -C_{ox} [V_G - V_{th} - mV(y)]$$

沟道电势分布



$$J_1 = Q_1 \mu \mathcal{E}_1 = Q_1 \mu \left. \frac{dV}{dy} \right|_1$$

$$J_2 = Q_2 \mu \mathcal{E}_2 = Q_2 \mu \left. \frac{dV}{dy} \right|_2$$

$$J_3 = Q_3 \mu \mathcal{E}_3 = Q_3 \mu \left. \frac{dV}{dy} \right|_3$$

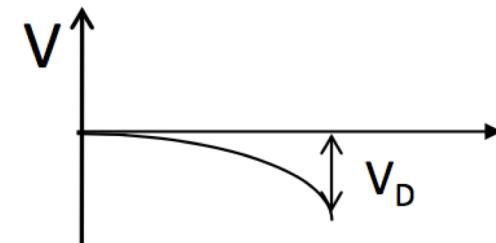
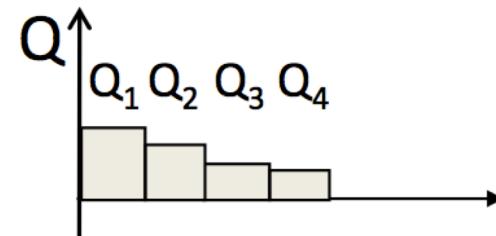
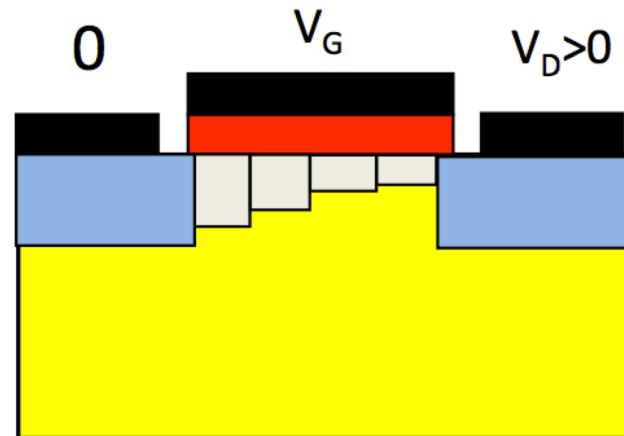
$$J_4 = Q_4 \mu \mathcal{E}_4 = Q_4 \mu \left. \frac{dV}{dy} \right|_4$$

$$\sum_{i=1,N} \frac{J_i dy}{\mu} = \sum_{i=1,N} Q_i dV$$

$$\frac{J_D}{\mu} \sum_{i=1,N} dy = \int_0^{V_D} C_{ox} (V_G - V_{th} - mV) dV$$

$$J_D = \frac{\mu C_{ox}}{L_{ch}} \left[(V_G - V_{th}) V_D - m \frac{V_D^2}{2} \right]$$

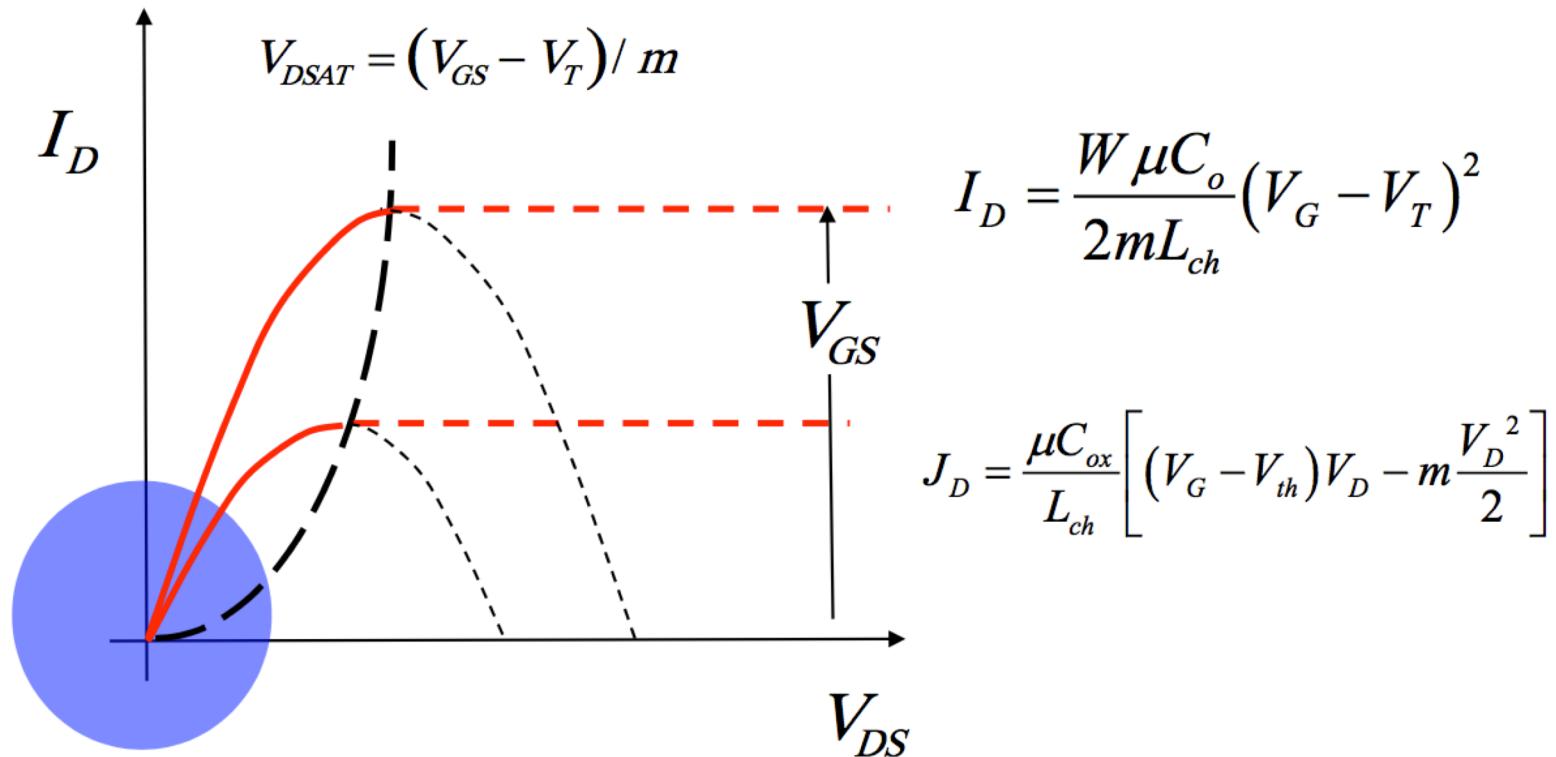
平方律理论



简化的体电荷模型

$$I_D = W \frac{\mu C_{ox}}{L_{ch}} \left[(V_G - V_{th}) V_D - m \frac{V_D^2}{2} \right]$$

$$\frac{dI_D}{dV} = 0 = (V_G - V_{th}) - m V_D \Rightarrow V_{D,sat} = (V_G^* - V_{th}) / m$$

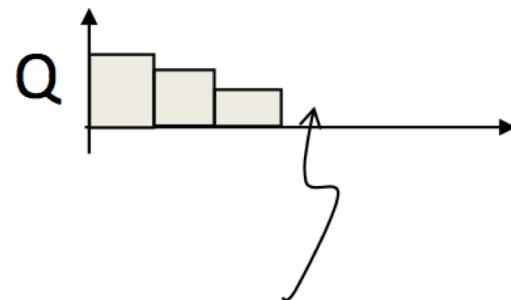
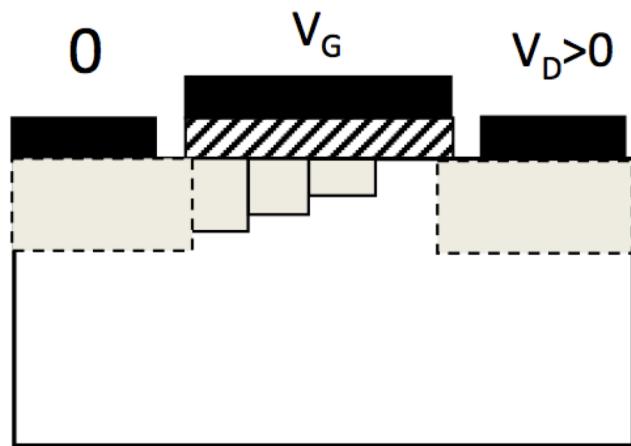
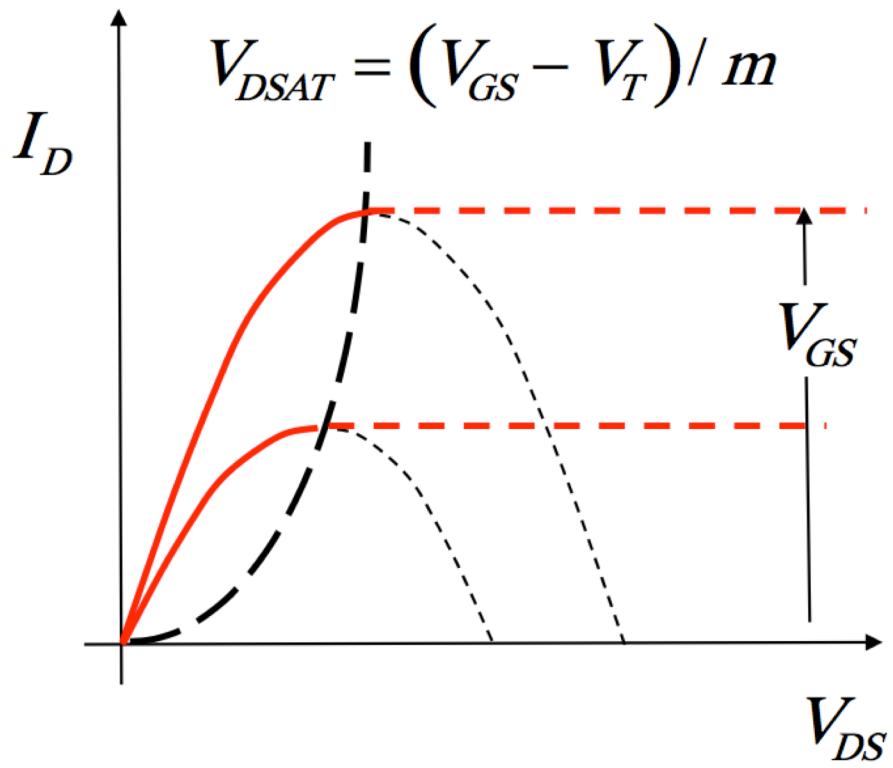


$$I_D = \mu C_o \frac{W}{L} (V_G - V_T) V_D$$

电流为什么饱和？

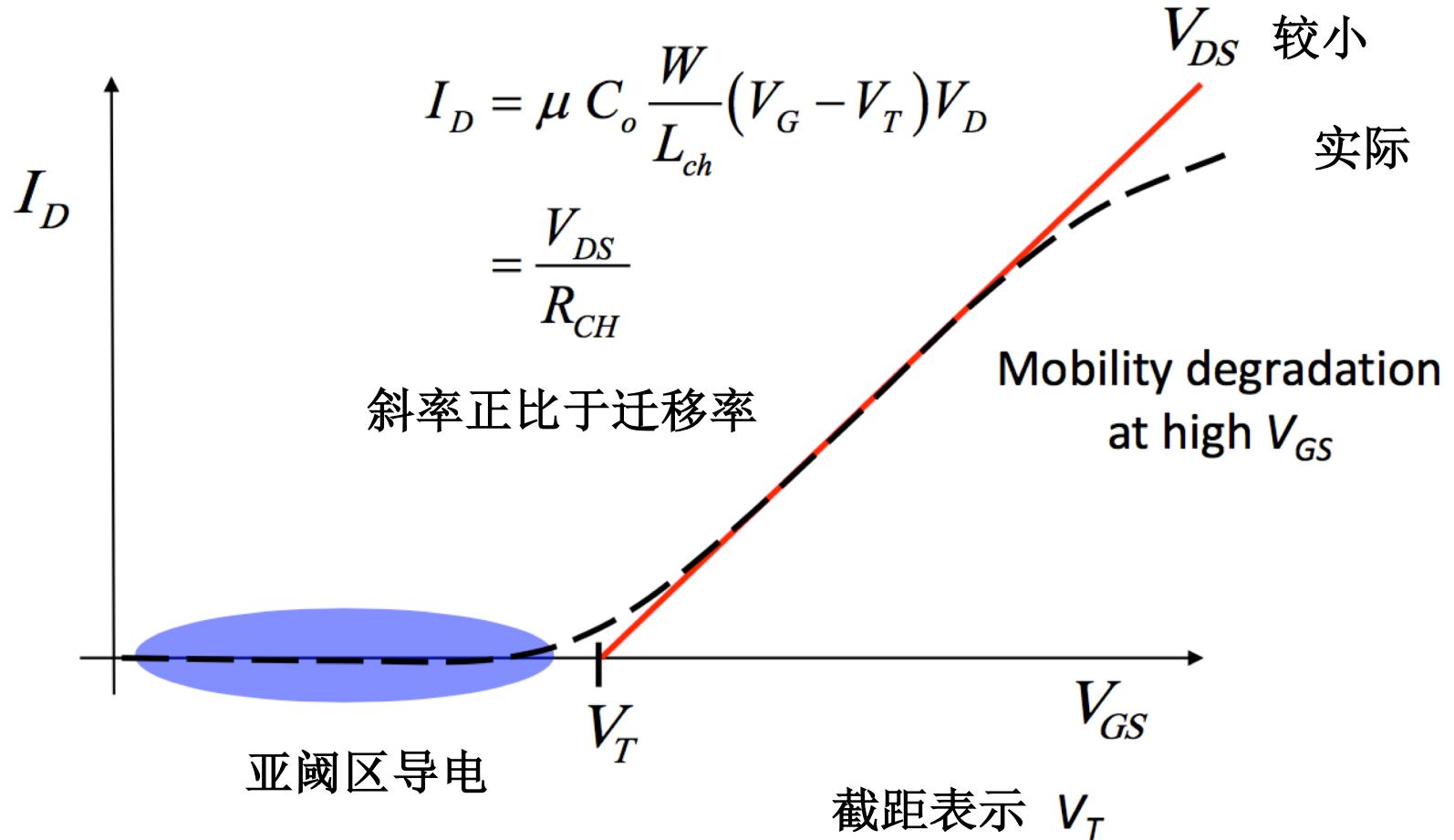
$$I_D = \frac{W\mu C_o}{2mL_{ch}}(V_G - V_T)^2$$

$$Q_i \approx -C_{ox}(V_G - V_{th} - mV)$$



无法反型

线性区



Thanks!
Q&A