

**Batch: B1      Roll No: 16010121045**

**Experiment No. 6**

**Title:** Implement contrast stretching of a digital image.

**Objective:** To learn & understand contrast stretching.

**Expected Outcome of Experiment:**

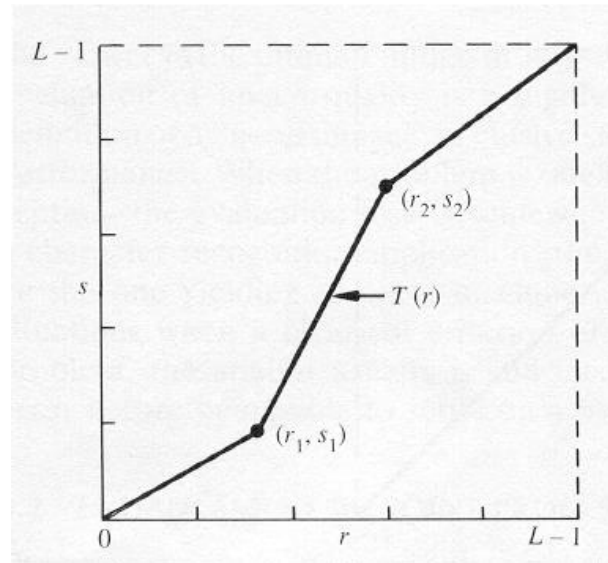
CO	Outcome
CO4	Design & implement algorithms for digital image enhancement, segmentation & restoration.

**Books/ Journals/ Websites referred:**

1. <http://www.mathworks.com/support/>
2. [www.math.mtu.edu/~msgocken/intro/intro.html](http://www.math.mtu.edu/~msgocken/intro/intro.html).
3. R. C.Gonsales R.E.Woods, "Digital Image Processing", Second edition, Pearson Education
4. S.Jayaraman, S Esakkirajan, T Veerakumar "Digital Image Processing "Mc Graw Hill.
5. S.Sridhar,"Digital Image processing", oxford university press, 1<sup>st</sup> edition."

**Pre Lab/ Prior Concepts:**

Contrast stretching (often called normalization) is a simple image enhancement technique that attempts to improve the contrast in an image by 'stretching' the range of intensity values it contains to span a desired range of values, *e.g.* the the full range of pixel values that the image type concerned allows. It differs from the more sophisticated histogram equalization in that it can only apply a *linear* scaling function to the image pixel values. As a result the 'enhancement' is less harsh.



The locations of  $(r_1, s_1)$  and  $(r_2, s_2)$  control the shape of the transformation function.

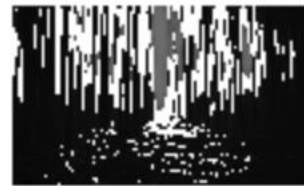
- If  $r_1 = s_1$  and  $r_2 = s_2$  the transformation is a linear function and produces no changes.
- If  $r_1 = r_2$ ,  $s_1 = 0$  and  $s_2 = L-1$ , the transformation becomes a thresholding function that creates a binary image.
- Intermediate values of  $(r_1, s_1)$  and  $(r_2, s_2)$  produce various degrees of spread in the gray levels of the output image, thus affecting its contrast.

Generally,  $r_1 \leq r_2$  and  $s_1 \leq s_2$  is assumed.

### Implementation steps with screenshots:

```
clc;
c = imread('img.png');
c_gray = rgb2gray(c);
c_final = c_gray;
alpha = 0.4;
beta = 5.5;
gamma = 0.5;
for i = 1:length(c_gray)
    for j = 1:height(c_gray)
        if c_gray(j,i) < 50
            c_final(j,i) = c_final(j,i)*alpha;
        elseif 50 < c_gray(j,i) && c_gray(j,i) < 150
            c_final(j,i) = c_final(j,i)*beta;
        else
            c_final(j,i) = c_final(j,i)*gamma;
        end
    end
end
end
```

```
subplot(2, 3, 1);  
imshow(c);  
title('Original Image');  
subplot(2, 3, 2);  
imshow(c_gray);  
title('Gray Image');  
subplot(2, 3, 3);  
imshow(c_final);  
title('Final Image');
```

**Original Image****Gray Image****Final Image****Conclusion:-**

Implemented contrast stretching of a digital image.

**Post Lab Descriptive Questions**

1. Thresholding function in contrast stretching creates
  - a) binary image
  - b) high quality image
  - c) enhanced image
  - d) low quality image
2. When is the contrast stretching transformation a linear function, for  $r$  and  $s$  as gray-value of image before and after processing respectively?
  - a)  $r_1 = s_1$  and  $r_2 = s_2$
  - b)  $r_1 = r_2, s_1 = 0$  and  $s_2 = L - 1$ ,  $L$  is the max gray value allowed
  - c)  $r_1 = 1$  and  $r_2 = 0$
  - d) None of the mentioned
3. Which gray-level transformation increase the dynamic range of gray-level in the image?



- a) Power-law transformations
- b) Negative transformations
- c) Contrast stretching
- d) None of the mentioned

4. When is the contrast stretching transformation a thresholding function, for  $r$  and  $s$  as gray-value of image before and after processing respectively?

- a)  $r_1 = s_1$  and  $r_2 = s_2$
- b)  $r_1 = r_2$ ,  $s_1 = 0$  and  $s_2 = L - 1$ ,  $L$  is the max gray value allowed
- c)  $r_1 = 1$  and  $r_2 = 0$
- d) None of the mentioned

5. What condition prevents the intensity artifacts to be created while processing with contrast stretching, if  $r$  and  $s$  are gray-values of image before and after processing respectively?

- a)  $r_1 = s_1$  and  $r_2 = s_2$
- b)  $r_1 = r_2$ ,  $s_1 = 0$  and  $s_2 = L - 1$ ,  $L$  is the max gray value allowed
- c)  $r_1 = 1$  and  $r_2 = 0$
- d)  $r_1 \leq r_2$  and  $s_1 \leq s_2$