

$$C(s) = G_1 + G_2 \times (R(s) - H_1 \times C(s) + D(s) - H_2 \times C(s))$$

(ex1)

$$\rightarrow C(s) = (G_1 + G_2 \times R(s)) - (G_1 + G_2 \times H_1 \times C(s)) + (G_1 + G_2 \times D(s)) - (G_1 + G_2 \times H_2 \times C(s))$$

$$\rightarrow C(s) + (G_1 + G_2 \times H_1 \times C(s)) + (G_1 + G_2 \times H_2 \times C(s)) = (G_1 + G_2 \times R(s)) + (G_1 + G_2 \times D(s))$$

فالتو
تبری

$$C(s) (1 + G_1 + G_2 \times H_1 + G_1 + G_2 \times H_2) = G_1 + G_2 \times R(s) + G_1 + G_2 \times D(s)$$

$$C(s) \times (1 + G_1 + G_2 \times H_1 + G_1 + G_2 \times H_2) = G_1 + G_2 \times (-R(s))$$

$$\frac{C(s)}{R(s)} = \frac{G_1 + G_2}{(1 + G_1 + G_2 \times H_1 + G_1 + G_2 \times H_2)}$$

$$C(s) + (1 + G_1 + G_2 \times H_1 + G_1 + G_2 \times H_2) = G_1 + G_2 \times D(s)$$

$$\frac{C(s)}{D(s)} = \frac{G_1 + G_2}{(1 + G_1 + G_2 \times H_1 + G_1 + G_2 \times H_2)}$$

$$\left. \begin{aligned} \dot{a}' &= Aa' + Bu' \\ y &= Ca' + Du' \end{aligned} \right\} \xrightarrow{\text{مصفوفة تغيير الحالة}} a = [u, \omega, q, \theta]^T \quad (1)$$

$$A = \left[\begin{aligned} & \left(\dot{q} \frac{S}{m} \right) \times \left(-(eD_u + f eD_l) / u_1 \right) + (c_{t u} a_u + c_{t a_l} / u_1) \quad " \quad " \\ & - \left(\dot{q} \frac{S}{m} \right) \times (CL_u + f L_l) / u_1 - \left(\dot{q} \frac{S}{m} \right) \times (CL_a + eD_l) / u_1 \quad " \quad " \\ & (\dot{q} S \times \dot{e} / I_{yy}) \times (c_{m u} + f c_{m l}) / u_1 + (c_{m t u} + c_{m t l}) / u_1 \quad " \quad " \\ & 0 \quad 0 \quad 1 \quad 0 \end{aligned} \right]$$

$$B = \left[\begin{aligned} & - \left(\dot{q} \frac{S}{m} \right) \times eDSE \\ & - \left(\dot{q} S l m \right) \times eLSE \\ & (\dot{q} S \times \bar{e} / I_{yy}) \times c_{m SE} \\ & 0 \end{aligned} \right]$$

$$C = \begin{bmatrix} 1 & 1 & 0 & 0 \\ 0 & 0 & 1 & -1 \end{bmatrix}$$

$$D = \begin{bmatrix} 0 \\ 0 \end{bmatrix}$$

$$G(s) = \frac{(K_1 \times 10 \times (-KA(1+STA)))}{(s \times (s+10) \times (s^2 + 17sp \omega sps + 10sp^2) + K_1 \times 10 \times Kq)}$$

با تبدیل لاپلاس، فرمت از تابع تبدیل میتوان معادله دفرانسیل سیستم را بدست آورد.
همچنین با انتخاب متغیرهای حالت میتوان معادله فضای حالت سیستم را نیز بدست آورد.

$$\ddot{y} - \ddot{y} + 17\dot{y} + 10y = 1\ddot{u} + 9\dot{u} - \dot{u} + 10u$$

بناس:

با نویسی $\rightarrow \ddot{y} + 17\dot{y} - \dot{y} + 10y = 1\ddot{u} + 9\dot{u} - \dot{u} + 10u$

$$\begin{cases} a_1 = y \\ a_2 = \dot{y} \\ a_3 = \ddot{y} \end{cases} \xrightarrow[\text{معادلات}]{=c} \begin{cases} a'_1 = a_2 \\ a'_2 = a_3 \\ a'_3 = -1a_1 + a_2 - 17a_3 + 10u - \dot{u} + 9\dot{u} \end{cases}$$

$$a' = Aa + Bu$$

$$y = Ca + Du$$

$$\rightarrow a' = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -1 & 1 & -17 \end{bmatrix} a$$