

1. Show the order of evaluation.

- ① $a * b - 1 + c \rightarrow (((a * b)' - 1)' + c)^3$
- ② $a * (b - 1) / c \bmod d \rightarrow ((a * (b - 1)' / c)^2 \bmod d)^3$
- ③ $(a - b) / c \& (d * e / a - 3) \rightarrow (((a - b)' / c)^2 \& ((d * e)' / a)^5 - 3)^6$
- ④ $-a \text{ or } c = d \text{ and } e \rightarrow ((-a)' \text{ or } ((c = d)^4 \text{ and } e)^3)^4$
- ⑤ $a > b \text{ xor } c \text{ or } d \leq 17 \rightarrow (((a > b)' \text{ xor } c)^2 \text{ or } (d \leq 17)^3)^4$
- ⑥ $-a + b \rightarrow (-(a + b)')^2$

2. Show the order of evaluation, assuming no precedence rules present and right-associativity.

- ① $a * b - 1 + c \rightarrow (a * (b - (1 + c)'))^2)^3$
- ② $a * (b - 1) / c \bmod d \rightarrow (a * ((b - 1)^2 / (c \bmod d)'))^3)^4$
- ③ $(a - b) / c \& (d * e / a - 3) \rightarrow ((a - b)^5 / (c \& (d * (e / (a - 3)'))^2)^3)^4$
- ④ $-a \text{ or } c = d \text{ and } e \rightarrow (-(a \text{ or } (c = (d \text{ and } e)'))^2)^3)^4$
- ⑤ $a > b \text{ xor } c \text{ or } d \leq 17 \rightarrow (a > (b \text{ xor } (c \text{ or } (d \leq 17)'))^2)^3)^4$
- ⑥ $-a + b \rightarrow (-(a + b)')^2$

3. Let the function "fun" defined. What are the values of sum1 and sum2...

① left-associative?

i) sum1 $\rightarrow i/2$ eval, fun(&i) eval. $\rightarrow 5 + 41 = 46$.

$\hookrightarrow 46$

ii) sum2 $\rightarrow \text{fun}(\&j)$ eval, $j/2$ eval. $\rightarrow 41 + 7 = 48$

$\hookrightarrow 48$

② right-associative?

i) sum1 $\rightarrow \text{fun}(\&i)$ eval, $i/2$ eval $\rightarrow 41 + 7 = 48$

$\hookrightarrow 48$

ii) sum2 $\rightarrow j/2$ eval, fun(&j) eval $\rightarrow 5 + 41 = 46$

$\hookrightarrow 46$

4. Consider a C program. What is the value of x if...

① left-associative?

assign x to x, eval fun(&x) $\rightarrow x = 3$, $x = 8$

$x = 8$

② right-associative?

eval fun(&x), add x, assign to x $\rightarrow x$ becomes 8, $4 + 8 = 12$, $x = 12$

$x = 12$

5. Let a function "fun". Explain the result.

There are 2 prints of "b". Let the first print be case (i), and the second (ii).

Here, we will assume that the assignment operator is right-associative and the addition operator is left-associative.

In case (i), a is evaluated and $\text{fun}()$ is evaluated, then assigned to b . Since a is evaluated before the call to $\text{fun}()$, b is $10 + \text{fun}()$. The function $\text{fun}()$ transforms the value of a to 20 and returns it. Thus, $b = 10 + 20$; essentially, 30.

In case (ii), $\text{fun}()$ is evaluated before a is evaluated. In the call to $\text{fun}()$, a is transformed to 20, and the subsequent evaluation of a returns 20. Unlike in case (i), $b = 20 + 20$, which means $b = 40$.

The function $\text{fun}()$ is a function with side effect that modifies the global state a . Therefore, the order of evaluation becomes significant.