

정보통신 수학 및 실습 Lab assignment

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Chapter 11 Lab Assignment

1. Find the Fourier transform of the following function using the numerical method. $x(t) = \exp(-A^*t)u(t); t>0$

$$\int_{-\infty}^{\infty} f(t)e^{-j2\pi ft}dt = \int_{-\frac{a}{2}}^{\frac{a}{2}} Ae^{-j2\pi ft}dt$$

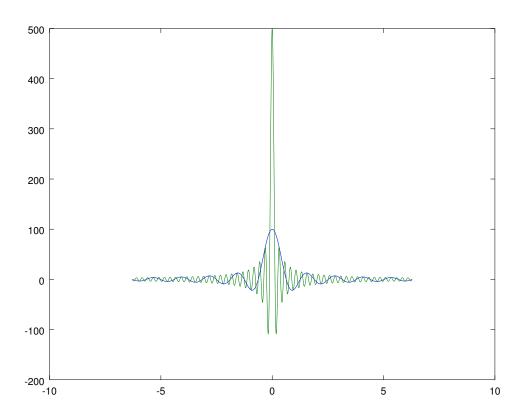
a) Plot the magnitude of the Fourier Transform of the signal when A=10, a=10.

$$\int_{-5}^{5} 10e^{-j2\pi ft}dt = \int_{-5}^{5} 10e^{-jwt}dt = 10\left[\frac{e^{-jwt}}{-jw}\right]_{-5}^{5} = \frac{10}{-jw}(e^{j5w} - e^{-j5w}) = \frac{10}{-jw} \cdot j2\sin(5w) = \frac{100\sin(5w)}{5w}$$

b) Plot the magnitude of the Fourier Transform of the signal when when A=10, a=50 on the top of the figure a.

위에서 5를 25로 바꾼다.

```
w = [-2*pi : 0.005:2*pi];
y = 20*sin(5*w)./w;
z = 20*sin(25*w)./w;
plot(w, y, w, z)
```

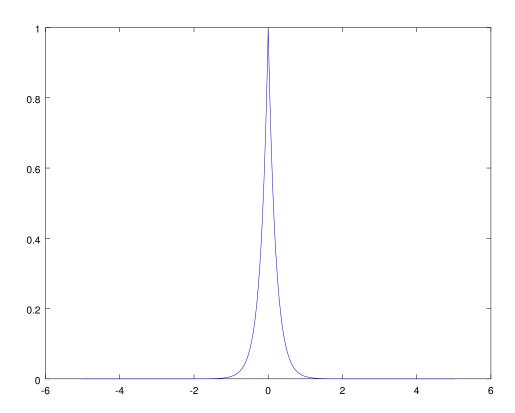


c) Describe what you find through problem a and b.

time domain에서의 넓은 간격은 frequency domain에서 좁은 저주파 성분이 강한 에너지가 낮은 모양으로 나온다.

- 2. Solve the following questions about the magnitude of the continuous time Fourier transform of $x(t) = \exp(-A^* \text{ abs}(t))$. Use the numerical method. A is 5.
- a) Plot x(t) when -5 < t < 5.

```
t = [-5:0.01:5];
x = \exp(-5 * abs(t));
plot(t,x)
```



b) Plot the magnitude of the continuous time Fourier transform of $x(t) = \exp(-A^* \text{ abs}(t))$.

$$F(f) = \int_{-\infty}^{\infty} e^{-5|t|} e^{-j2\pi ft} dt$$

```
function F = fourier (w)

t = [-5:0.01:5];

x = exp(-5 * abs(t));

F = sum(x .* exp(-j * w * t)) * 0.01;
end

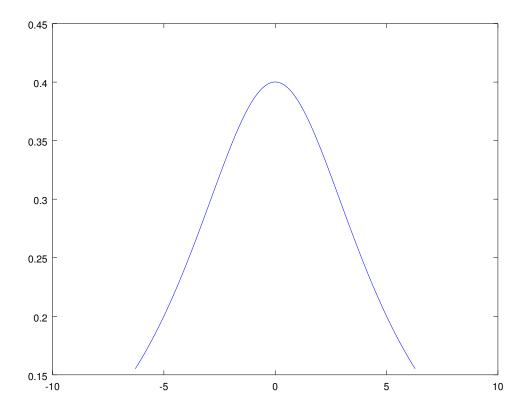
l = length(t)

w = linspace(-2*pi, 2*pi, 1);

y = w;
for n= [1:1]

y(n) = fourier (w(n));
end
```

plot(w, abs(y));



3. Plot the magnitude of the continuous time Fourier transform of x(t) = 1 when -4 < t < 4, and x(t) = 0 otherwise.

$$\int_{-\infty}^{\infty} e^{-jwt} dt = \int_{-4}^{4} e^{-jwt} dt$$

```
function F = fourier (w)
t = [-4:0.01:4];
F = cumsum(exp(-j * w .* t)) * 0.01;
end

w = linspace(-2*pi, 2*pi, length(t));
y = fourier (w);
plot(w, abs(y));
```

