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CERTIFICATE OF ACHIEVEMENT

This is to certify that **Parmeshwar Gupta** has successfully completed the **Basics Of Machine Learning** guided path on Codestudio

Modules Covered - Introduction, Life Cycle of ML, Data, Myths and Artificial Intelligence, Setting up the Environment etc.

Date: 10/15/2022

Sign:



माध्यमिक शिक्षा परिषद्, उत्तर प्रदेश, प्रयागराज

High School (10th) Examination Result - 2023

CANDIDATE DETAILS				
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MARKS DETAILS				
SUBJECT	THEORY	PRACTICAL	TOTAL	GRADE
HINDI	058	030	088	A2
ENGLISH	045	030	075	B1
MATHEMATICS	023	030	053	C1
SCIENCE	051	030	081	A2
SOCIAL SCIENCE	050	030	080	B1
DRAWING	058	030	088	A2
Result	PASSED			
DISCLAIMER				
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Assignment

--: Linear Regression :--

Linear regression is a fundamental machine learning technique used to model the relationship between a dependent variable and one or more independent variables. In the IEEE standard, linear regression is often referred to as simple linear regression, as it involves fitting a straight line to the data points. This article provides an overview of linear regression in the IEEE standard, including its mathematical framework, algorithmic framework, and applications.

Mathematical Framework:

The mathematical framework for simple linear regression is based on the following equation:

$$y = b_0 + b_1x + e$$

where y is the dependent variable, x is the independent variable, b_0 is the intercept, b_1 is the slope, and e is the error term or residual. The goal of simple linear regression is to find the best-fitting line that minimizes the sum of squared errors between the predicted and actual values. The coefficients b_0 and b_1 are estimated using a method called Ordinary Least Squares (OLS) regression, which involves minimizing the sum of squared errors between the predicted and actual values.

Algorithmic Framework:

The algorithmic framework for linear regression involves the following steps:

Collect and preprocess the data:

Collect the data by sampling or experimentation

Preprocess the data by cleaning, transforming, and normalizing the data

Split the data into training and testing sets:

Divide the data into two sets: a training set used to train the model and a testing set used to evaluate its performance

Fit the linear regression model:

Initialize the coefficients b_0 and b_1 to small random values

Calculate the predicted values using the equation $y = b_0 + b_1x + e$

Calculate the mean squared error (MSE) between the predicted and actual values

Use OLS regression to update the coefficients b_0 and b_1 and minimize the MSE

Repeat until the convergence criteria is met, such as a maximum number of iterations or a minimum improvement in MSE

Evaluate the model performance:

Calculate the MSE and other performance metrics such as R-squared or Root Mean Squared Error (RMSE) using the testing data

Visualize the predicted and actual values to assess the model's fit

Applications:

Linear regression has various applications in different fields. Here are some examples of how linear regression can be used in the IEEE standard:

In engineering, linear regression can be used to model the relationship between a dependent variable such as temperature and an independent variable such as time. This can be useful for predicting the temperature over time and optimizing the performance of a system.

In economics, linear regression can be used to model the relationship between a dependent variable such as sales and an independent variable such as price. This can be useful for optimizing the pricing strategy and maximizing profits.

In social sciences, linear regression can be used to model the relationship between a dependent variable such as income and independent variables such as education and experience. This can be useful for identifying the factors that affect income and developing policies to promote social welfare.

Conclusion:

In conclusion, linear regression is a fundamental machine learning technique that has been widely used in various fields, including engineering, economics, and social sciences. The IEEE standard provides a well-established framework for implementing linear regression using OLS

regression. By understanding the mathematical and algorithmic framework of linear regression, researchers and practitioners can use this technique to model the relationship between variables, make predictions, and optimize the performance of systems.

Code Implementation:

```
import numpy as np

from sklearn.model_selection import train_test_split

class LinearRegression:

    def __init__(self, learning_rate=0.01, n_iterations=1000):

        self.learning_rate = learning_rate

        self.n_iterations = n_iterations

    def fit(self, X, y):

        X = np.hstack((np.ones((X.shape[0], 1)),

        X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)

        self.coefs = np.random.randn(X.shape[1])

        for i in range(self.n_iterations):

            y_pred = X_train.dot(self.coefs)

            error = y_train - y_pred

            gradient = -2 * X_train.T.dot(error) / X_train.shape[0]

            self.coefs -= self.learning_rate * gradient

    def predict(self, X):

        X = np.hstack((np.ones((X.shape[0], 1)), X))
```

```
y_pred = X.dot(self.coeffs)
return y_pred
```

```
def score(self, X, y):
    X = np.hstack((np.ones((X.shape[0], 1)), X))
    y_pred = X.dot(self.coeffs)
    mse = np.mean((y - y_pred) ** 2)
    return mse
```

To use this implementation, you can create an instance of the **LinearRegression** class, fit the model to your data using the **fit** method, and make predictions using the **predict** method. Here's an example:

```
# Generate some sample data
X = np.random.randn(100, 1)
y = 2 * X + 1 + 0.5 * np.random.randn(100, 1)

# Create an instance of the LinearRegression class
lr = LinearRegression(learning_rate=0.01, n_iterations=1000)

lr.fit(X, y)

y_pred = lr.predict(X)

# Calculate the mean squared error using the testing data
mse = lr.score(X, y)

print("Mean squared error:", mse)
```