

Homework 2

Question 1

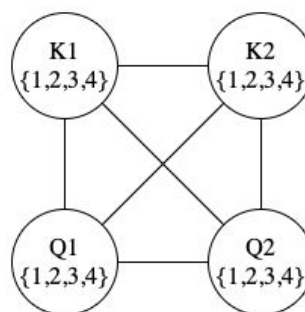
a) Variables: $K1, K2, Q1, Q2$

Domain (same for all variables): $D_i = \{1, 2, 3, 4\}$ (rows of the 4x4 chess board)

Constraints:

- rows 1 and 2 must each contain a knight, and rows 3 and 4 must each contain a queen
- no two pieces attack each other:
 - The **Knight** piece can **move** forward, backward, left or right two squares and must then **move** one square in either perpendicular direction. The **Knight** piece can only **move** to one of up to eight positions on the board.
 - (1) $|K_1 - K_2| \neq 2$
 - (2) $|K_2 - Q_3| \neq 1$
 - (3) $|K_1 - Q_3| \neq 1$
 - (4) $|K_2 - Q_4| \neq 1$
 - **Queen** can be moved any number of unoccupied squares in a straight line
 - No knight can be in the same column as a Queen:
 - (6) $K_i \neq Q_j$
 - (7) $Q_3 \neq Q_4$
 - No knight can be in diagonal to the Queen:
 - (8) $|K_i - Q_j| \neq |i - j|$
 - (9) $|Q_3 - Q_4| \neq |i - j|$

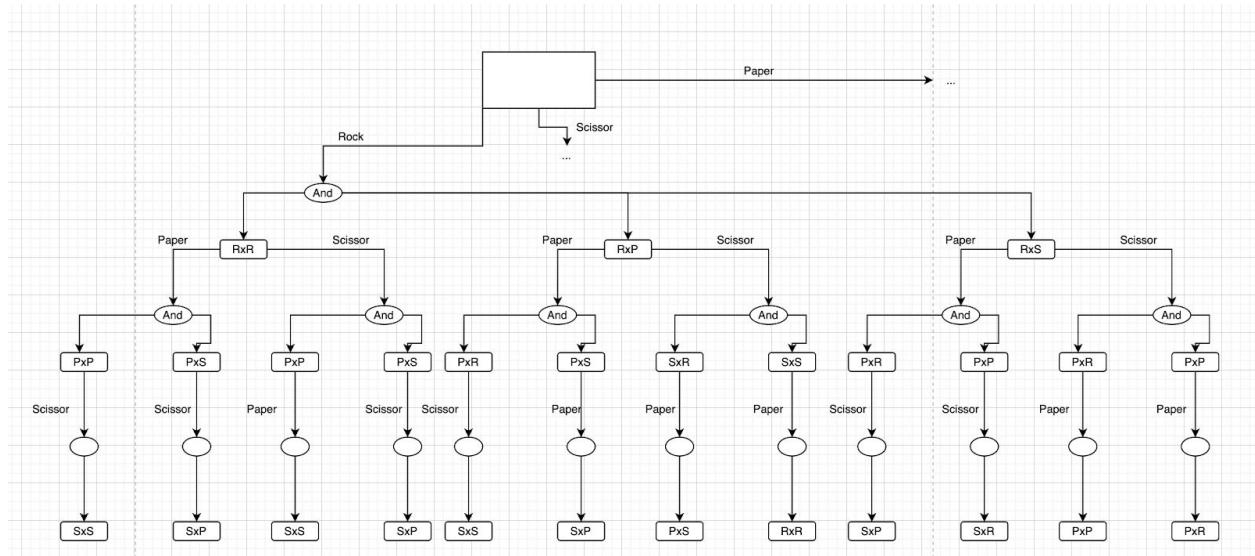
Constraint graph



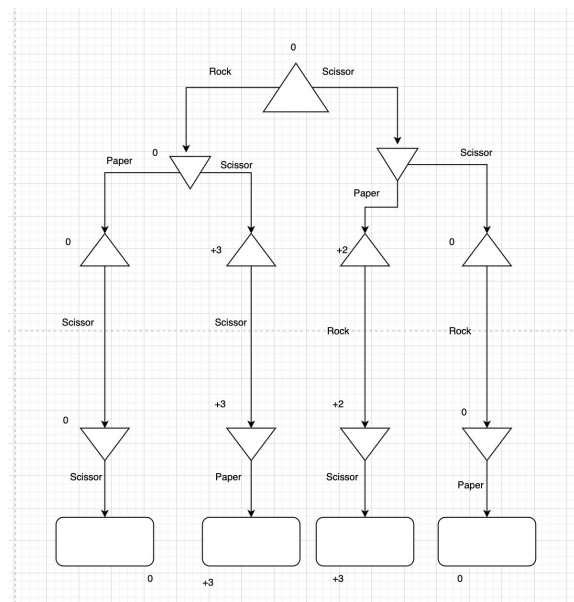
b) $\{(K_1, K_2), (K_2, K_1), (K_1, Q_1), (Q_1, K_1),$
 $(K_2, Q_2), (Q_2, K_2), (K_1, Q_2), (Q_2, K_1),$
 $(Q_1, Q_2), (Q_2, Q_1), (K_2, Q_1), (Q_1, K_2)\}$

Question 2

a)



b)



No, You can't guarantee a win you can guarantee not losing

By observing the min - max graph , we can see that there will be guaranteed at least a draw.

3)

i) 5 (5 truths) ii) 0 (all contradiction) iii) 2^5 (2^5 models)

i) Valid

A	B	C	Output
0	0	0	1
0	0	1	1
0	1	0	1
0	1	1	1
1	0	0	1
1	0	1	1
1	1	0	1
1	1	1	1

ii) Valid

A	B	C	Output
0	0	0	1
0	0	1	1
0	1	0	1
0	1	1	1
1	0	0	1
1	0	1	1
1	1	0	1
1	1	1	1

Both propositions result in tautology (all true)