

End Dec 2019

①

## Two Sum.

```
public int[] twoSum (int[] nums, int target)
```

```
{ Map < Integer, Integer > m = new HashMap <> ();
```

```
{ for (int i = 0; i < nums.length; i++)
```

```
    int complement = target - nums[i];
```

```
? if (m.containsKey (complement))
```

```
? { return new int[] { m.get (complement), i }; }
```

```
}
```

```
? }
```

```
throws new IllegalArgumentException ("No two sum solution");
```

nums = [2, 7, 11, 15]

target = 9.

return [0, 1]

2 + 7 = 9.

## Reverse Integer

(2)

```
public int reverse (int n)
{
    int num = 0;
    int sign = n < 0 ? -1 : +1;
    if (n < 0)
        n = n * -1;
}
```

int max = Integer.MAX\_VALUE / 10;

int digit = sign > 0 ? Integer.MAX\_VALUE - max \* 10 :  
 - (Integer.MIN\_VALUE + max \* 10);

while (n > 0)

```
{
```

int dig = n % 10;

if (num > max || num == max && dig >= digit)  
 return 0;

num = num \* 10 + dig;  
 n = n / 10;

}

return sign \* num;

} 32 bit signed integer.

120 → 21

-123 → 321

123 → 321

~~luck~~

(3)

Reverse bits.

Input 00110.

Output 01100.

to make shift  
 $\gg 1$

$$\begin{array}{r}
 00110 \\
 \times \quad 1 \\
 \hline
 0.
 \end{array}
 \quad
 \begin{array}{r}
 0011 \\
 \times \quad 1 \\
 \hline
 1.
 \end{array}
 \rightarrow
 \begin{array}{r}
 001 \\
 \times \quad 1 \\
 \hline
 1
 \end{array}
 \rightarrow
 \begin{array}{r}
 00 \\
 \times \quad 1 \\
 \hline
 0
 \end{array}
 \rightarrow
 \begin{array}{r}
 0 \\
 \times \quad 1 \\
 \hline
 0
 \end{array}$$

101 << 1 1010

[insert 0,1.]

or  $\frac{0}{1010}$

1010

or  $\frac{1}{1.011}$

int times = 32;

List<Integer> l = new ArrayList<>();

while (times > 0)

{

int t = n & 1;

l.add(t);

n = n >> 1;

times--;

}

populating array by  
taking and of  
each last bit  
and shifting it to right

int res = 0;

for (int i=0; i < 32; i++)

{

res = res << 1;

res = res | l.get(i);

}

return res;

}

by leftshift  
adding "0" at end  
\$ using OR  
by element  
present at  
i index.

000000010100101000601111010011100

43261596.

0011100101111000001010010100000000

964176192

(a)

Number of 1 bits

public int hammingWeight( int n )  
{

int times = 32;

int count = 0;

while ( times > 0 )

{

? ( (n&1) == 1 )  
count++;

n = n >> 1;

times --;

}

return count;

}

1111111111111111111111111111101

Ans = 31.

3

(5)

## Count bits

2 (10) 4 (100) &amp; (1000) 16 (100000)

O(n).

No. of 1's is 1.

No. is converted into  $2^m + n$ . eg  $10 = 8 + 2, 9 = 8 + 1$ .No. of 1's is  $\boxed{1 + \# \text{ of } 1\text{'s in } n}$ .

Number	# of 1's
--------	----------

1 1.

2 1.

$$3 = 2 + 1$$

4 1.

$$5 = 4 + 1$$

$$6 = 4 + 2$$

$$7 = 4 + 3$$

8 1

$$9 = 8 + 1$$

$$10 = 8 + 2$$

2.

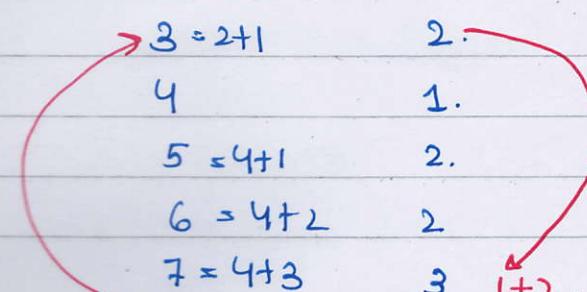
1.

2.

2

3

1+2.



```
{ public int[] countBits (int num) }
```

int [ ] result = new int [num + 1];

eg  $11 = 8 + 3$  p would be 3.

```
int p=1 // tracks the index of no. n.
```

int pow = 1;

for (int i=1; i&lt;=num; i++)

{ if ( i == pow ) }

result [i] = 1;

pow &lt;= 1; // multiplying by 2.

p=1;

3  
else {

result [i] = result [p] + 1;

p++;

$$10 = 8 + 2$$

$$\downarrow \quad \downarrow$$

$$1 + 1 = 2$$

3  
return n - 120

⑥

Power of Two.

{ public boolean isPowerOfTwo ( int n )

{ if ( n <= 0 )  
    return false;

    int times = 32;

    int count = 0;

{ while ( count \* times > 0 )

{ if ( ( n & 1 ) == 1 )  
    count++;  
    if ( count > 1 )  
        return false;

}

    n = n >> 1;

// right shift

    times --;

}

    return true;

};

-2147483648 → false.

7

## Palindrome Number.

12:

↓

11^/10^

{ public boolean isPalindrome (int x)

{ if (x &lt; 0 || (x % 10 == 0 &amp;&amp; x != 0))

3. return false;

int rev = 0;

while (x &gt; rev)

{

rev = rev \* 10 + x % 10;

x /= 10;

3.

return x == rev || x == rev / 10;

3.

(8)

## Roman To integer.

```
{ public int romanToInt(String s)
```

```
Map<Character, Integer> m = new HashMap<>();
```

```
m.put('I', 1);
```

LVIII.

```
m.put('V', 5);
```

I (1) curr = 1

prev = 0

```
m.put('X', 10);
```

res = 0 + 1 = 1

```
m.put('L', 50);
```

prev = 1

```
m.put('C', 100);
```

I (2) curr = 1

prev = 1

```
m.put('D', 500);
```

res = 1 + 1 = 2

```
m.put('M', 1000);
```

prev = 1

I (3) curr = 1 prev = 1

```
int prev = 0, curr = 0, res = 0;
```

res = 2 + 1 = 3

prev = 1

```
{ for (int i = s.length() - 1; i >= 0; i--)
```

V (4) curr = 5 prev = 1

```
curr = m.get(s.charAt(i));
```

res = 3 + 5 = 8

prev = 5;

```
{ if (curr < prev)
```

L (5)

curr = 50 prev = 5

}

```
res = res - curr;
```

res = 8 + 50 = 58

else

{

```
res = res + curr;
```

}

```
prev = curr;
```

prev = 50;

}

```
return res;
```

{

## Longest common prefix.

{ public String longestCommonPrefix(String[] strs) }

```

if (strs == null || strs.length == 0) { return "" ; }

int lo = 0; int hi = strs.length - 1;
int minl = Integer.MAX_VALUE;

for (String s : strs)
    minl = Math.min(minl, s.length());

int hi = minl;

while (lo <= hi)
{
    int mid = (lo + hi) / 2;

    if (isCommon(strs, mid))
        lo = mid + 1;
    else
        hi = mid - 1;
}

return strs[0].substring(0, (lo + hi) / 2);
}

```

leets, leetcode, leetc, leeds

leets  
lee      ts  
0      ↓      mid      min  
leets

leets  
lee ✓ leetcode  
lee ✓ leetc  
lee ✓ leeds.

↓  
leets  
lee      ts  
  ↓      mid  
leets ✓ leetcode  
leets ✓ leetc  
leets ✗ leeds.

LCP

{ public static boolean isCommon(String[] strs, int mid)

String s = strs[0].substring(0, mid);

```

for (int i = 1; i < strs.length; i++)
{
    if (!strs[i].startsWith(s))
        return false;
}

```

return true;

## Hamming Distance

```
public int HammingDistance (int x, int y)
```

```
{ int z = x ^ y;
```

```
int count = 0;
```

```
while (z != 0)
```

```
{
```

```
{ if ((z & 1) == 1)
```

```
    count++;
```

```
}
```

```
z = z >> 1;
```

```
}
```

```
return count;
```

```
}
```

```
1 0 0 0 1
```

```
4 0 1 0 0
```

Distance = 2.

~~10 Jan 2020~~

To detect cycle

Topological Sort & Graph

bool topologicalSort (src, vec< $\rightarrow$  &vis, vis < $\leftarrow$  &order> &cycleDetected)

{ vis[src] = true;

if (cycleDetected[src] == true)

return false;

for (Edge e : graph[src])

if (vis[e.v])

res = res || topologicalSort(e.v, vis, stack);

else if (cycleDetected[e.v])

return true;

stack.push\_back(src);

cycleDetected[src] = false;

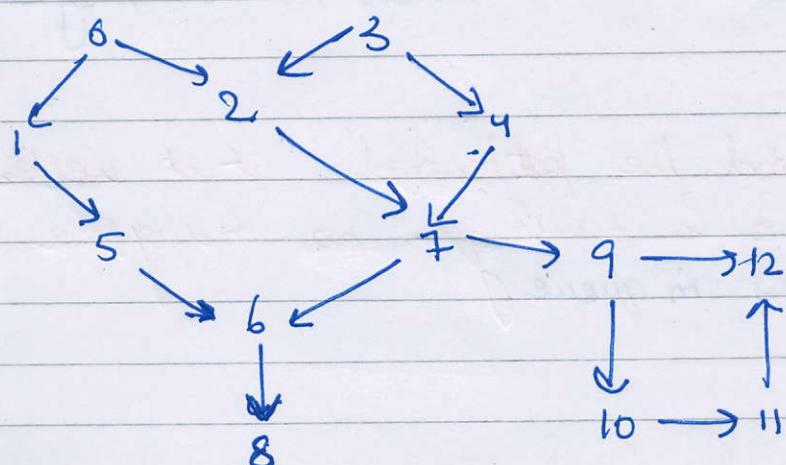
return res;

If a cycle is present  
in graph we  
won't be able to  
do topological sort

3

Khan's Algorithm

→ tells about cycle & give order  
→ work on BFS

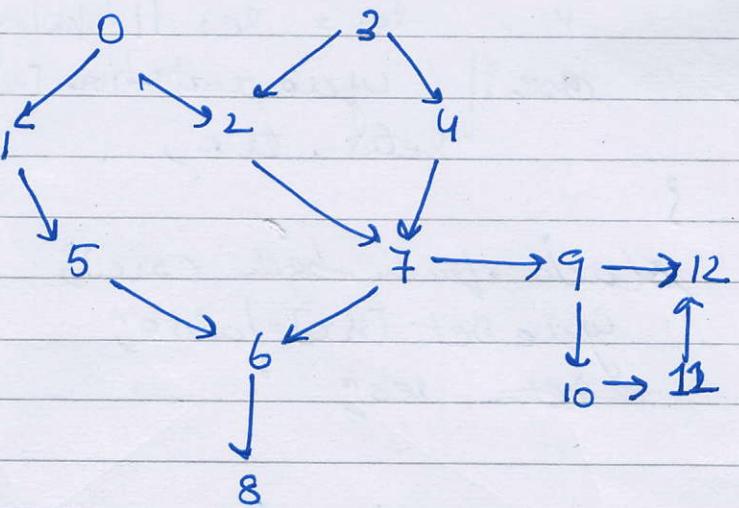


Indegree  $\rightarrow$  No. of edges entering.

Outdegree  $\rightarrow$  No. of edges leaving from here

If Indegree is 0. It would be a having probability of being the last one.

Calculating out degree.



0	1	2	2	0	1	1	1	2	1	1	1	1	2
0	1	2	3	4	5	6	7	8	9	10	11	12	

do BFS and add the value +1 on neighbours of node.

$\rightarrow$  Take a loop / find the potential start vertex in graph.  
 $\rightarrow$  here 0 & 3 is having no indegree.  
put in queue.

jisko whatage usko stack mein add karna hoga kya con

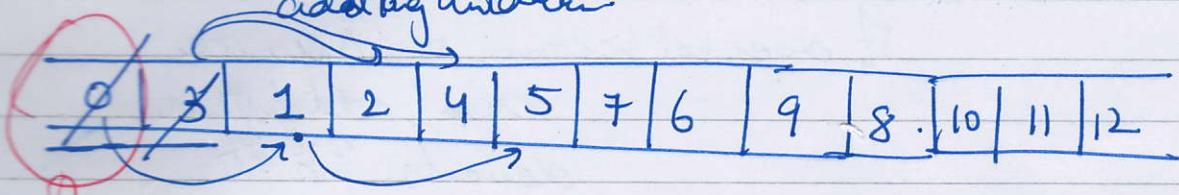
0 | 3

Now we do get remove add child

If child of 0 is having some frequency decrease  
it, the child whose frequency becomes 0  
is to be added in queue.

anything which is popped is to be added in stack

adding children



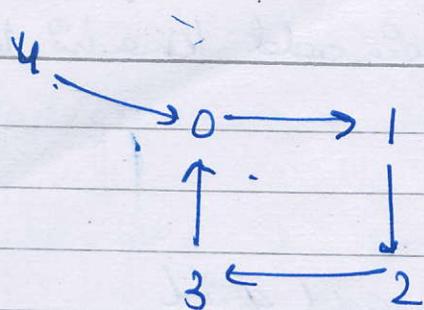
stack:

0 | 3 | 1 | 2 | 4 | 5 | 7 | 6 | 9 | 8 | 12

jab indegree  
zero hogta tab  
dalega vertex

→ take out 0.  
decr frequency of child.

- 1 frequency becomes 0. → add in queue.
- 2 frequency becomes 1 → not to be added in queue.



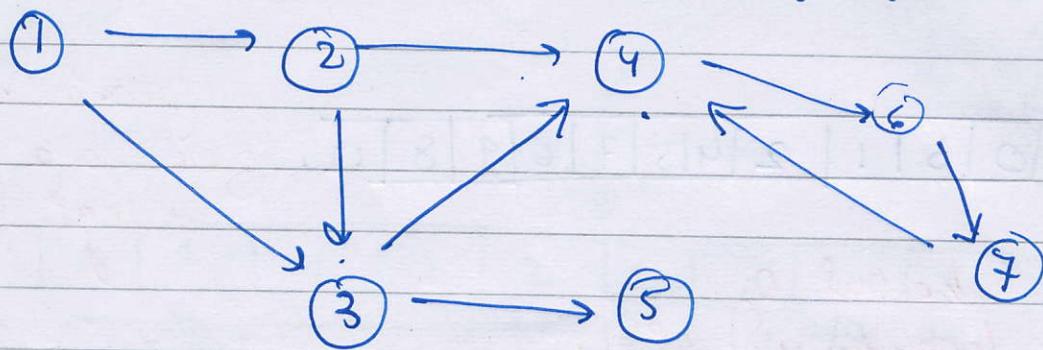
1.

<del>2</del>	1	1	1	1	0
0	1	2	3	4	

2. 4 |

bacout 4 decrement frequency of child.

it does not become 0. Now we can't add further elements into it



3.

1	0	<del>2</del> 0	<del>2</del> 1	<del>2</del> 1	2	1	0
0	1	2	3	4	5	6	7

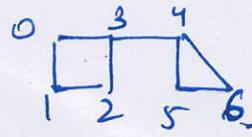
4.

5.

6.

7.

8.



## Khan Algo.

Apni outdegree nikali ho  $\rightarrow$  It is  
indegree for other node.

```
void KhanAlgo()
```

```
{ vector<int> odd InDegree (graph.size(), 0);
```

```
    for (int i = 0; i < graph.size(); i++)
```

```
        for (Edge *e : graph[i])
```

```
            InDegree[e->v]++;
```

```
}
```

```
queue <int> que;
```

```
for (int i = 0; i < InDegree.size(); i++)
```

```
    if (InDegree[i] == 0)
```

```
        que.push_back(i);
```

```
}
```

```
.
```

```
vector<int> ans;
```

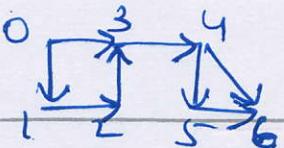
```
while (que.size() != 0) // putting in stack
```

```
int whr = que.front();
```

```
que.pop();
```

```
ans.push_back(whr);
```

```
for (Edge *e : graph[whr])
```



Indegree [ $e \rightarrow v$ ] --;

{      $i^0$  / (Indegree [ $e \rightarrow v$ ] =  $\infty$ )

que.push( $(^0)$ );

}

{      $i^1$  (ans.size() != graph.size())

}     cout << "cycle";

else.

{     for (int i = 0; i < ans.size(); i++)

        cout << ans[i];

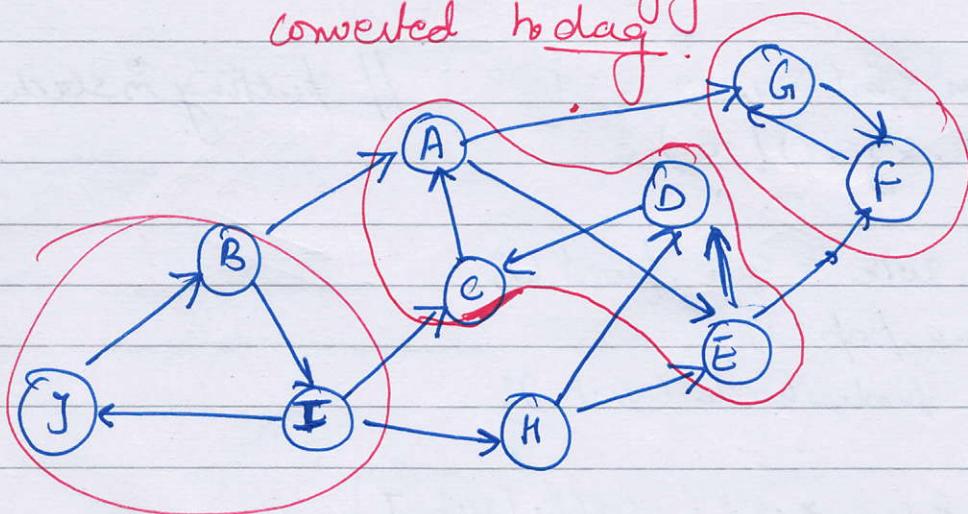
}

Directed Acyclic Graphs

S C C

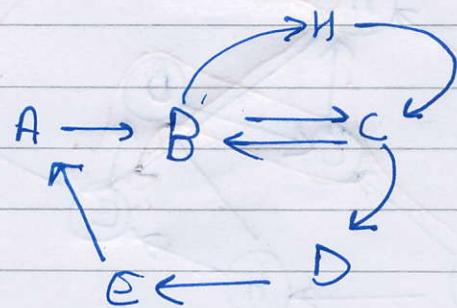
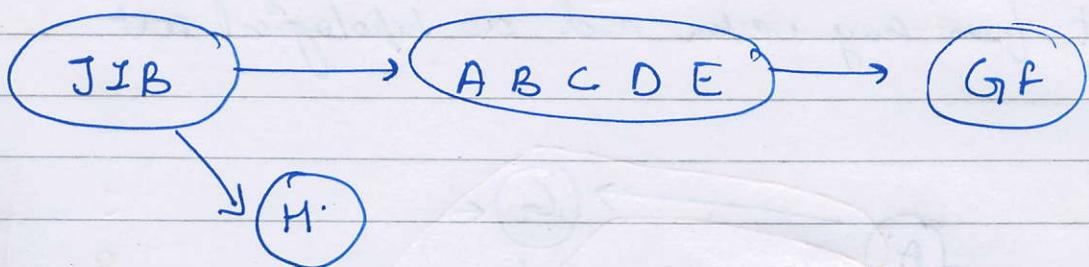
converted to dag.

strongly connected component.



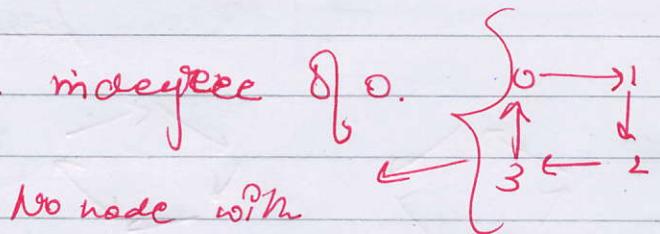
This is strongly connected component

because it is possible to reach the starting node again.



① In Khan Algo

If there is a cycle  
it would not have any indegree 0.



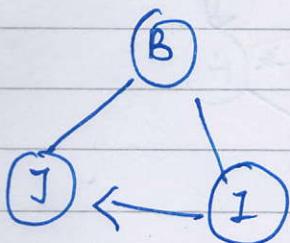
No node with

0 in degree.

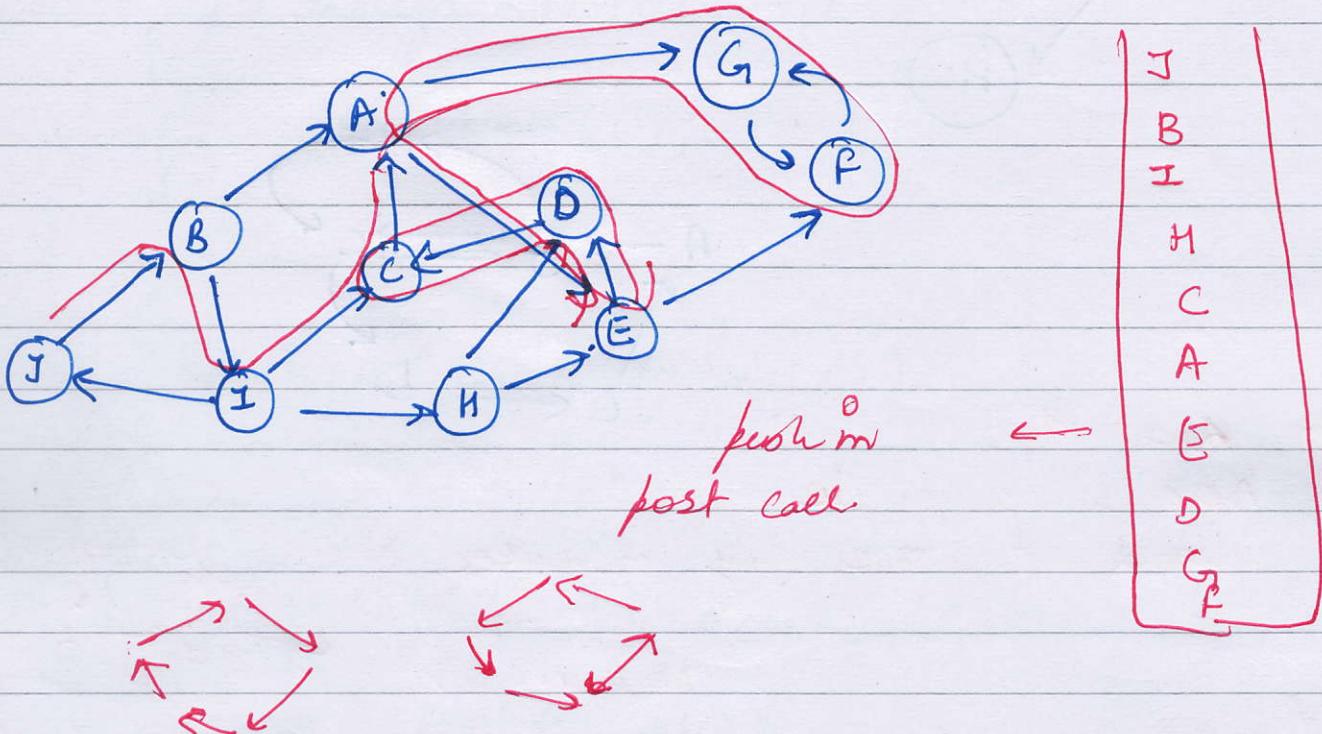
② Then we reduce the

dependency as we make calls.

Kosala jin



start from any vertex and do topological sort

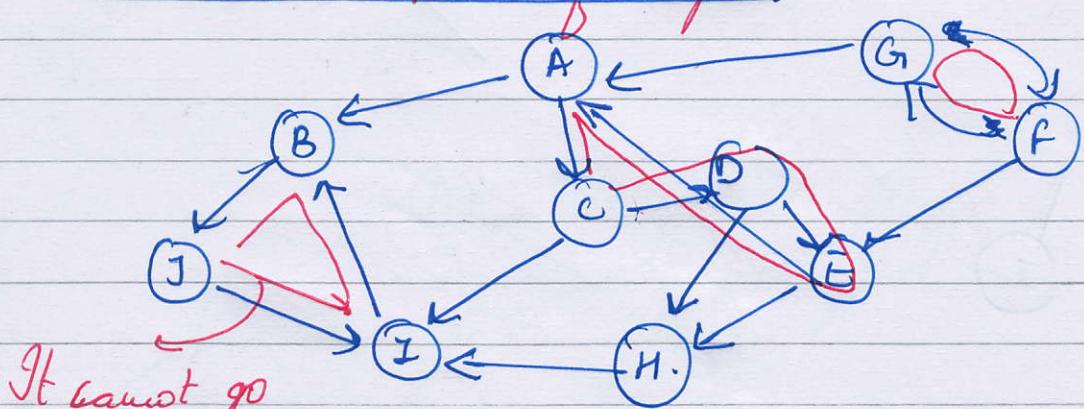


when we get strongly connected components we can also get this when the edges are being reversed.

Take transpose of edges,

DFS

topological



It cannot go anywhere else.  
Thus strongly connected.

If I was asked to search  $A \rightarrow B$  before & I am able to do the same now, then this implies that there is a strongly connected component & 2 way path exist

Now start keeping stack & perform DFS on the transpose graph.

start with  $y$ , it make such that it's part of your SCC.

Pop  $B, I$ .

\* from you no. of times call is made is no. of strongly connected components

1. Topological sort, return stack
  2. Call DFS according to stack
  3. call DFS (src, vis)
    - 3.1  $vis \leftarrow src$ .
    - 3.2 add unvisited nbr
    - 3.3. DFS (nbr, vis)
- Important
- 1.1 Inverse of graph

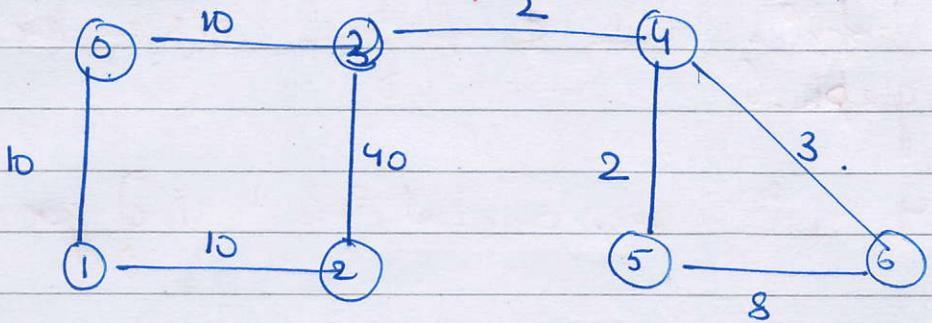
25/Jan/2020

single source  
every vertex  
min cost path

jessa source wosa  
answer.

Dijkstra

→ It can never give MST



source to destination  $\rightarrow$  minimum cost. path

priority queue.  $\rightarrow$  at top keep min element

5, 4, 14, 03245.

6, 4, 15, 0346.

2, 3, 50, 032.

6, 5, 22, 03456

4, 3, 12, 034.

0  
1  
3  
4  
5  
6.

2, 19, 20, 012.

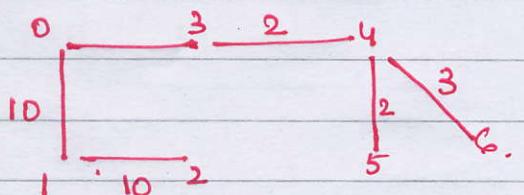
1, 0, 10, 01.

3|0|10|03

0|0|0

etc., array & loop, cost, path.

priority queue.



If element coming out is having non-negative parent make an edge between them.

6, 4, 3, 15, 0346

5, 4, 2, 14, 034, 5

2, 3, 40, 50, 032.

4, 3, 12, 034

$\Rightarrow$  2, 1, 10, 29, 012.

3, 0, 10, 10, 03

1, 0, 10, 10, 01

0, -1, 0, 0, 0.

④.

③

②

①

vector

parent

self weight

cost

taking element out on the basis of weight so far.

Any of two can be come out.

1. queue  $\leftarrow$  pair(sr, 0);
2. while(queue.size() != 0)
3.    2.1 vis  $\leftarrow$  pair.sr;
- 2.2 for all unvisited nbr.
- 2.3.    queue  $\leftarrow$  pair(nbr, pair.wt + wt);

vector <int> vector<Edge\*> dGraph(n, vector<Edge\*>());

{ void dijkstra ( int sr ) {

    int dest = 6;

    priority\_queue<pair> que;

    vector<bool> vis(n, false);

    que.push(pair(0, -1, 0, 0));

    while(que.size() != 0)

        ① [dijcker xp = que.top();

            que.pop();

        ③ if (vis[xp.vtx] == 1) { addEdge(dGraph, xp.vtx, xp.parent, xp.wt); shortestPath[xp] = xp.wt; } else {

            vis[xp.vtx] = true;

            for (Edge\* e : graph[xp.vtx]) {

                if (!vis[e->v])

                    que.push(e->v, xp.vtx, e.wt, xp.wt + e.wt);

        ② if (vis[xp.vtx]) { continue; } // for cycle.

when we are walking greater  
we will be using greater operator  
else lesser \*

class dijcker {

    public:

        int vtx;

        int parent;

        int wt;

        int wsf;

    } dijcker(int v, int w, int wsf);

    {

        v  $\rightarrow$  vts = v;

        w  $\rightarrow$  parent = parent;

        w  $\rightarrow$  wt = wt;

        w  $\rightarrow$  wsf = wsf;

    } ②

    bool operator<(pair<const A&, const A&> const)

    { return vis.wsf > o.wsf; }

C++  $\rightarrow$  max pq

Java priority queue  $\rightarrow$  by default min priority queue.

class `array` implements Comparable<Object>

{

int `int`;

interface

It is saying we have override  
this.

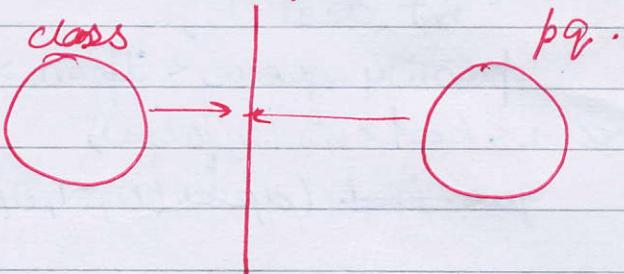
public int compareTo(Object o)

{

return this.`int` - o.`int`;

3.

Interface

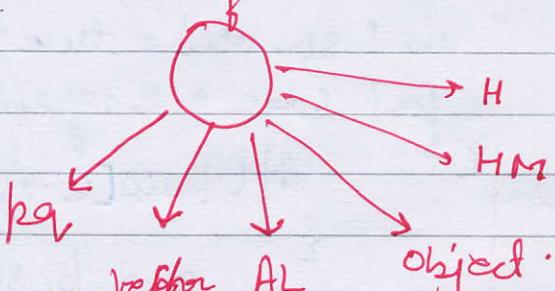


Aphne aap hoo hamesha.  
strong maanenge  
aur apne aap he  
interface ne through  
guide karvenga

$\rightarrow$  Class interacts with Interface.

$\rightarrow$  priority queue implements  
interface.

Interface



vector.

$\rightarrow$  takes it  
read

strong element  $\rightarrow$  takes it  
read

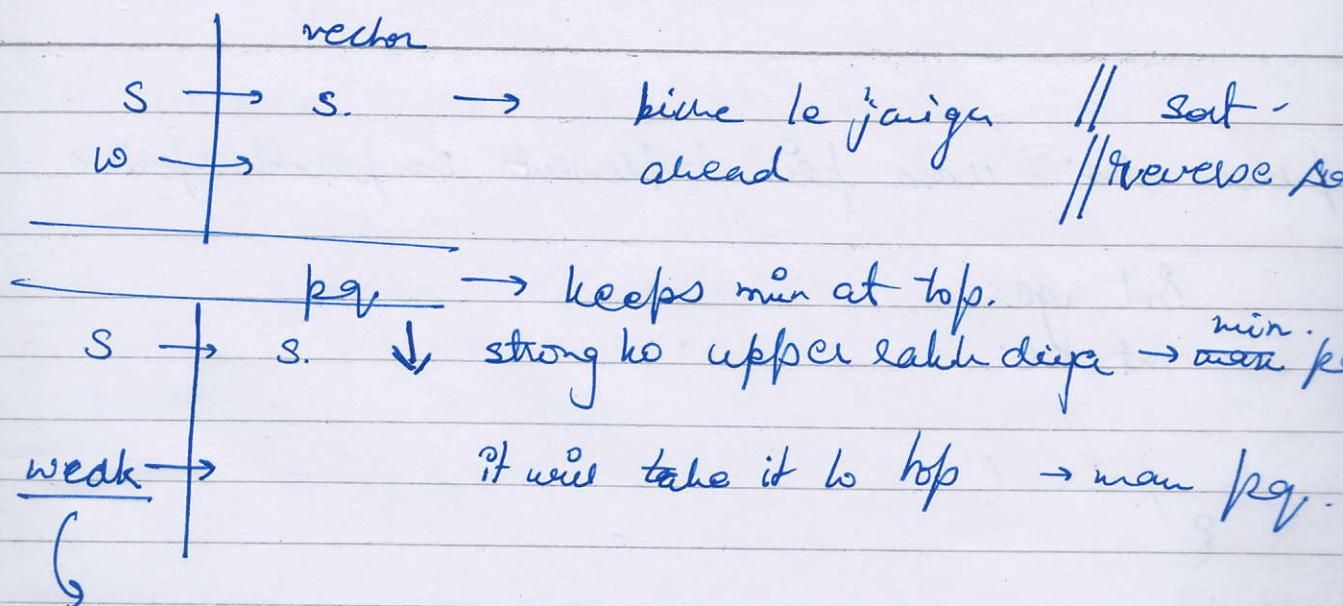
itself as strong

weak  $\rightarrow$

All these knows Interface

$\therefore$  If we are able to implement  
interface we will be able  
to use them.

K stops K flights Leetcode



an element which is strong is pretending to be weak

ArrayList has behaviour in terms of sorting.

C++

There are two interfaces. one written by user other by C++.

In C++ whatever interface we need write C++ will do opposite of it.

vector.

priority-queue <int, vector<int>, greater<int>> q = qp;

In priority queue  
if we will use it will  
create min heap.

{ public static class pair implements Comparable<pair>

int age  
int wt.

{ pair ( )

}

{ public int compareTo ( pair o ) .  
return mis . age - o . age ; // override .

{

return mis . age - o . age ; // for min .

o . age - mis . age ;

-8  
2  
5  
10  
20.

20  
10  
5  
2  
-8

{

main .

PriorityQueue < pair > pq = new Priority Queue < () > ;  
pq . add ( new pair ( 10, 10 ) );

add .

( 2, 16 ) ;

( 5, 560 )

( 20, 2340 )

( -8, 340 )

{ while ( pq . size () > 0 )

System . out . println ( pq . peek () . age + " " + pq . peek () . wt ) ;  
pq . remove () ;

```

class pair {
public:
    age;
    wt;
    pair_(, );
}

```

lesser operator  
with here greater will be passed through interface

when we send value it passes through 2 interface which is in order to make here here is no change in value we use const

min. {  
 } 3 bool operator < (pair const&p1, pair const&p2) const  
 {  
 return p1.age > p2.age;  
 } function ↓ constant because these are passed by & which makes their value being treated as local variable.

priority queue < pair -> pg;

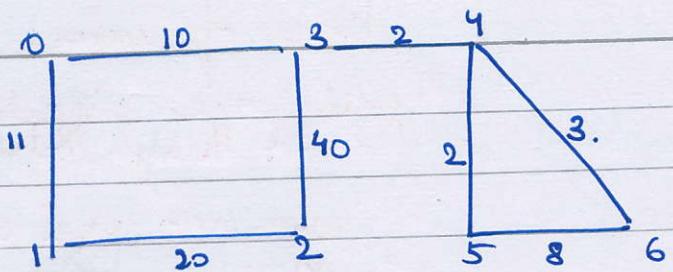
for min. return this.age < p1

Priins.

MST → in which sum of all edges is min. a graph in which each edge is having min value.

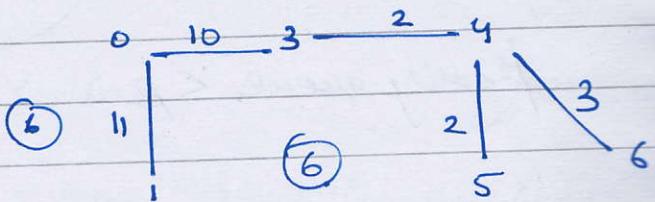
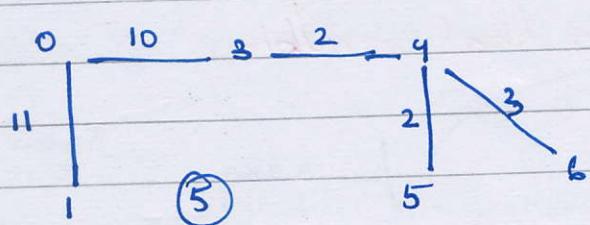
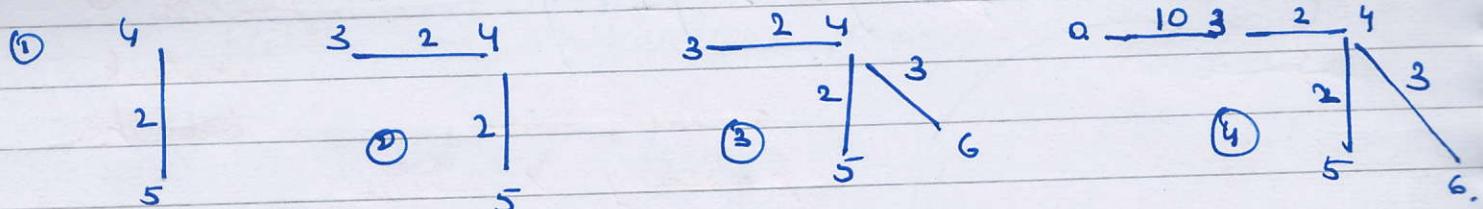
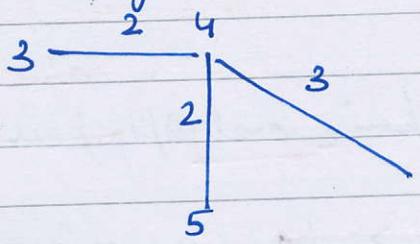
[greedy like take min value]

pair tree is minimum weight walk path. no matter where you start from.



- ① all the edges in priority queue  
 ② take min edge

keep cycle in mind.



dijkstra  $\rightarrow$  prim change wsf  $\rightarrow$  wt.  
 operator.

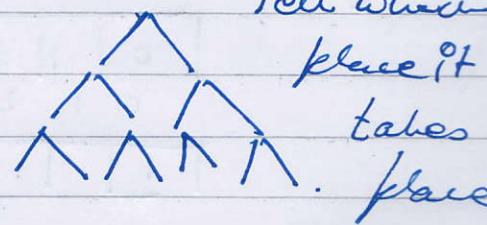
to return this  $\Rightarrow$  0.0 wt;

Khan & topological sort  
tells whether cycle  
is present or not

Redundant connection Leetcode. but does not

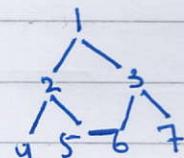
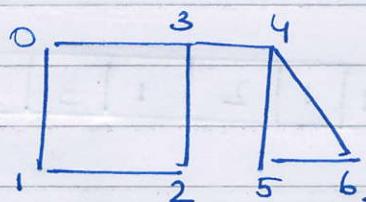
There is one cycle in graph.

(1,2) (2,3) (3,1)



### Union - Find

find  
to cycle - best.



①

0	1	2	3	4	5	6
0	1	2	3	4	5	6

### Parent array

hence ka parent kyun ho bane do.

② size array which tells is wale bhar ke size  
kisi hai.

1	1	1	1	1	1	1
0	1	2	3	4	5	6

1 take edge 3-2.

checked their parents & sizes. → same size. join either  
diff parents means different set elements  
have been encountered

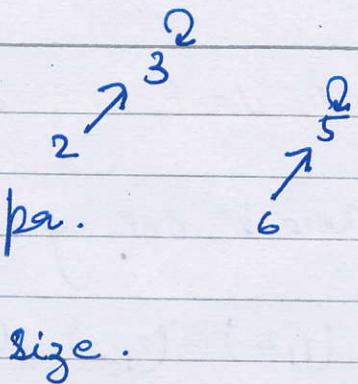
0	1	3	3	4	5	6
0	1	2	3	4	5	6

0	1	1	2	1	1	1
0	1	1	2	1	1	1

12 edge. 5-6.

0	1	3	3	4	5	5
0	1	2	3	4	5	6

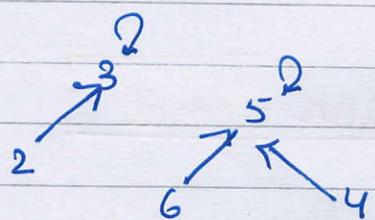
1	1	1	2	1	1	2	1
---	---	---	---	---	---	---	---



3. 4-5

0	1	3	3	5	5	5
0	1	2	3	4	5	6

1	1	1	2	1	3	1
---	---	---	---	---	---	---



4. 4-6

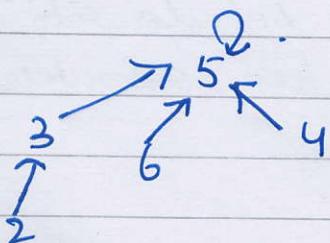
0	1	3	3	5	5	5
0	1	2	3	4	5	6

parent of 4 is 5, parent of 6 is 5  
thus node 5 edge is responsible for cycle.

5. 3-4

0	1	3	5	5	5	5
0	1	2	3	4	5	6

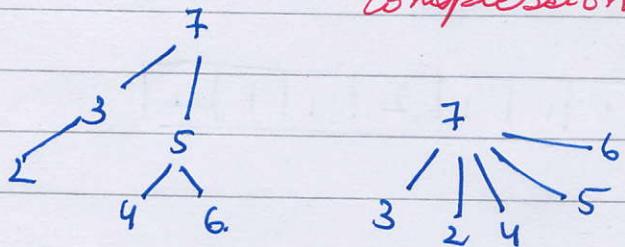
1	1	1	2	1	4	1
---	---	---	---	---	---	---



we always put smaller size parent under higher size.

parent in order to reduce search efforts

- This can be handled using path compression.



union find

684

L

⑥

0-1.

1061

0	1	0	5	5	5	5	5
0	1	2	3	4	5	6	

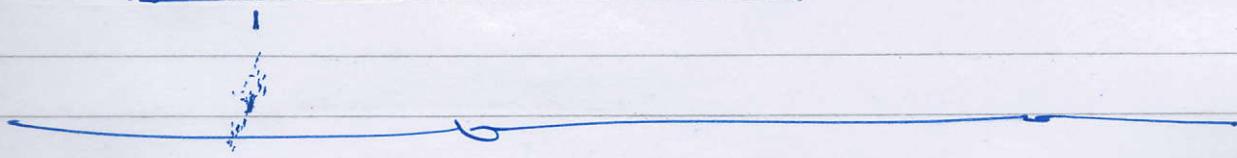
2	1	1	1	2	1	1	4	1
---	---	---	---	---	---	---	---	---

⑦

0-3

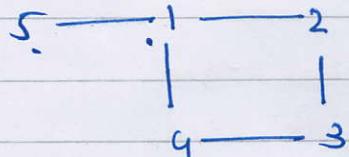
different parents ~~as~~

1	1
1	

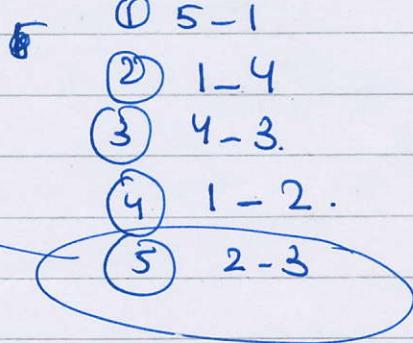


0	1	1	X	1	3	1	1	4	1	8	1
1	2	3		4	5						

X	1	1	1	1	1	1
3	4	5				



parent 2 & 3  
are same ①



1st Feb 2020

DSU

Kuska.

Lotten Oranges.

X-O.

Island.

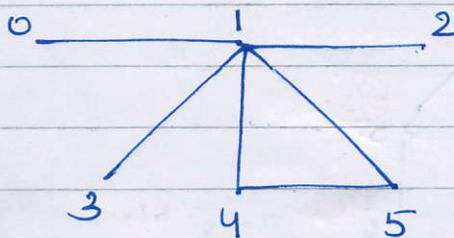
Bricks

2nd Feb 2020.

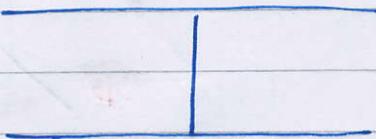
## Articulation point

points in graph due to which no. of components increases. if we remove it.

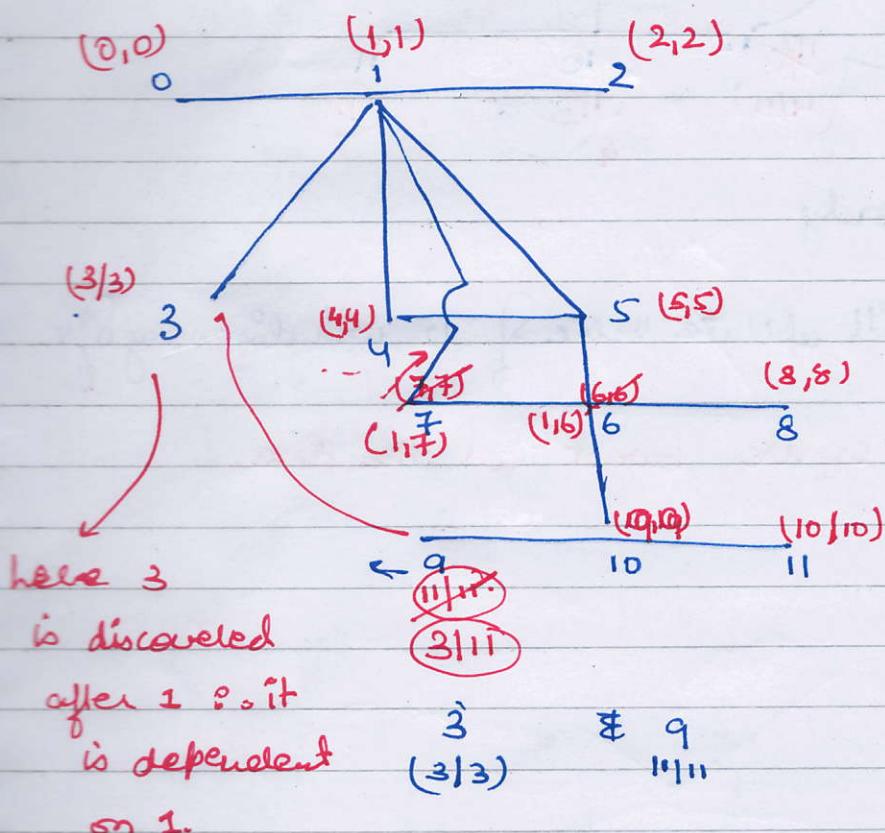
①



②



at knee.



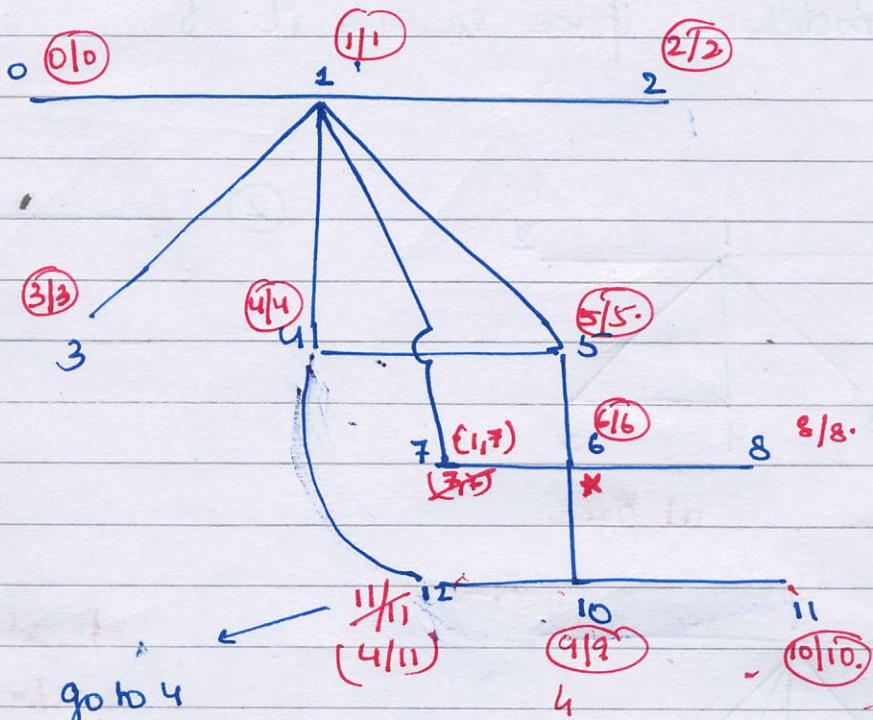
अगर कोप  
कम हो तो कम  
प्रभावी लोग  
हो जाते हैं।

अगले प्रभावी  
हो जाते हैं  
तो कम करें  
इसकी मात्रा  
यदि नहीं हो।

we update 9.

low:

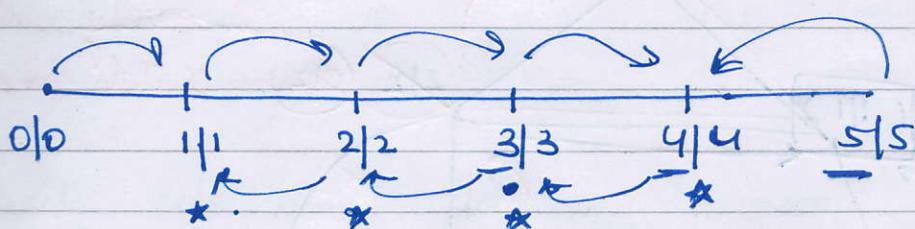
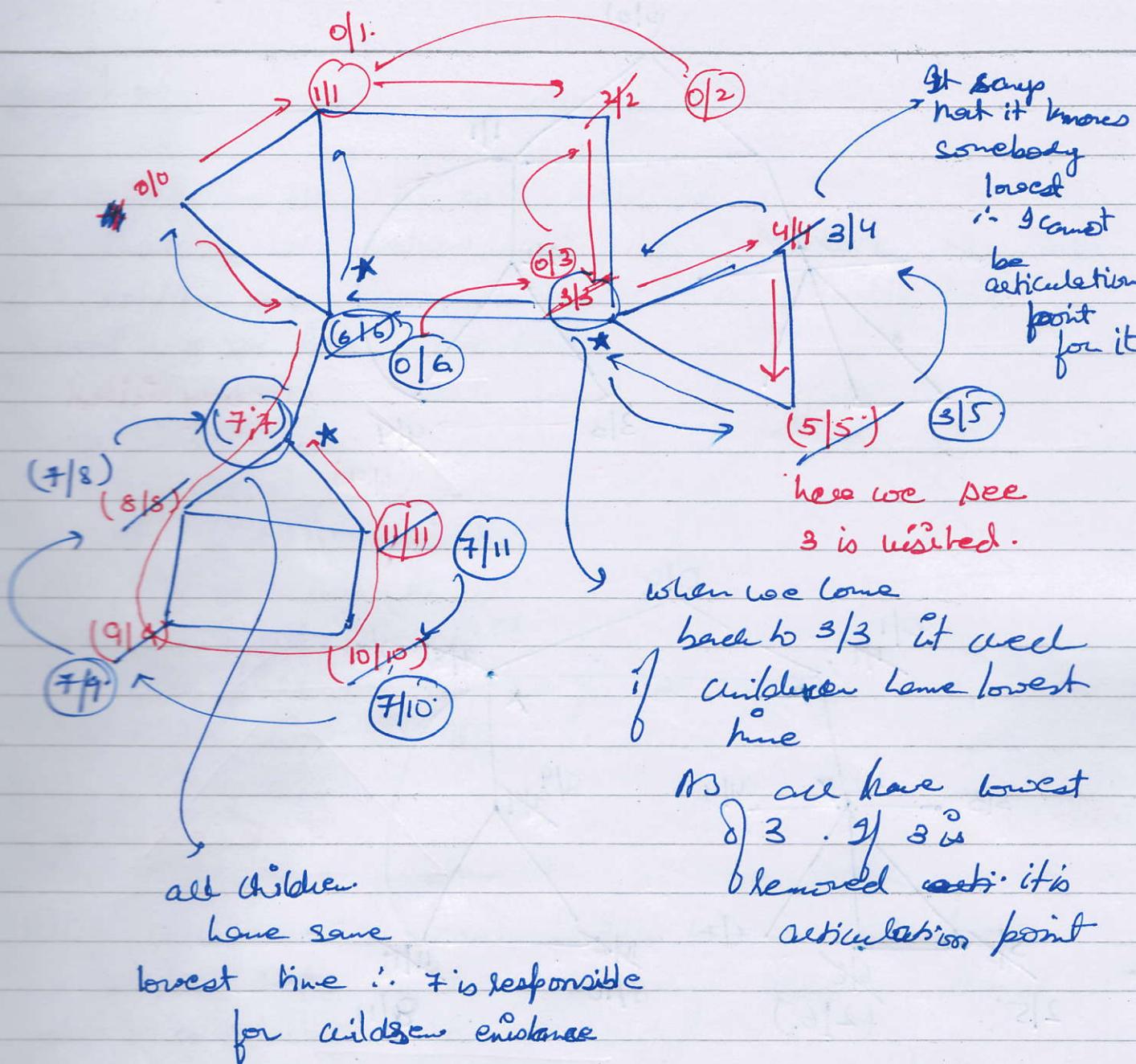
discover.

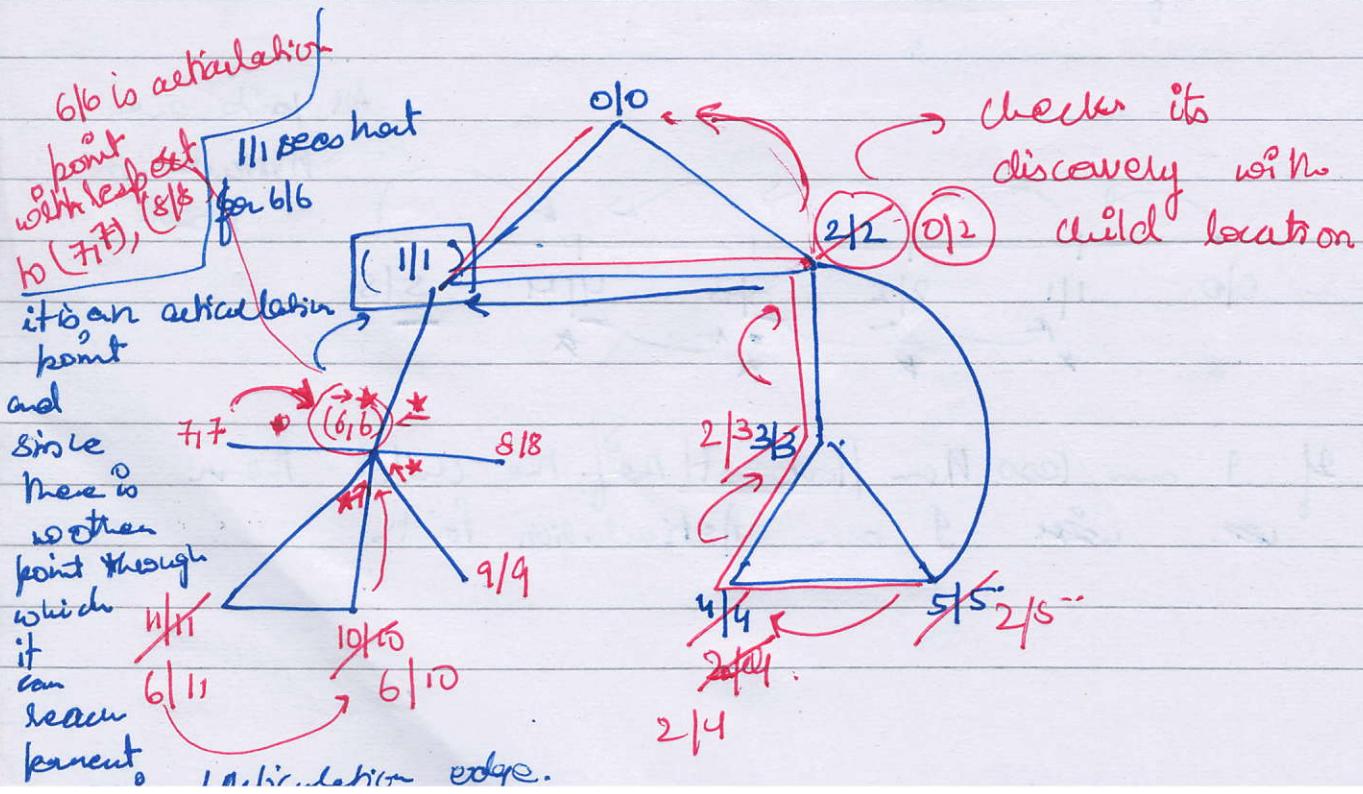
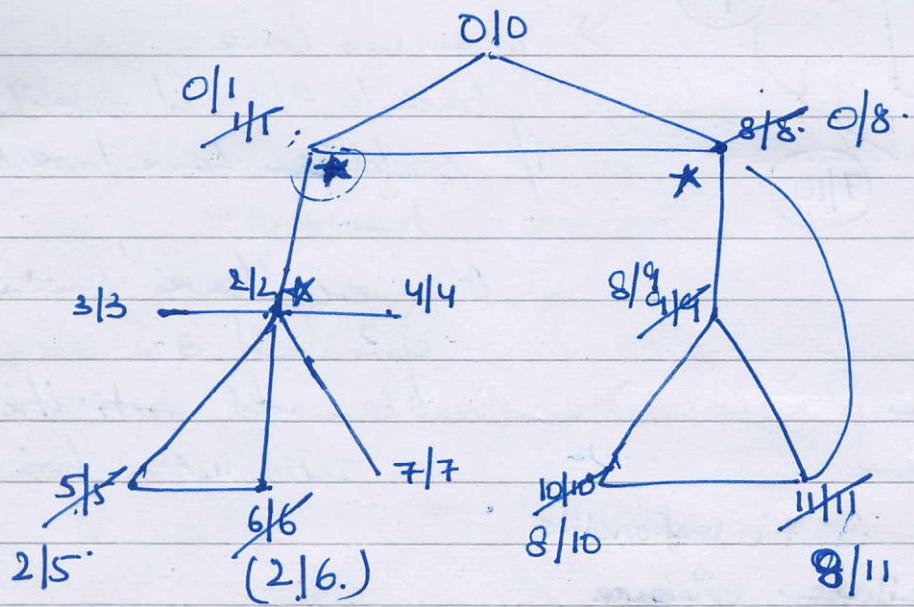
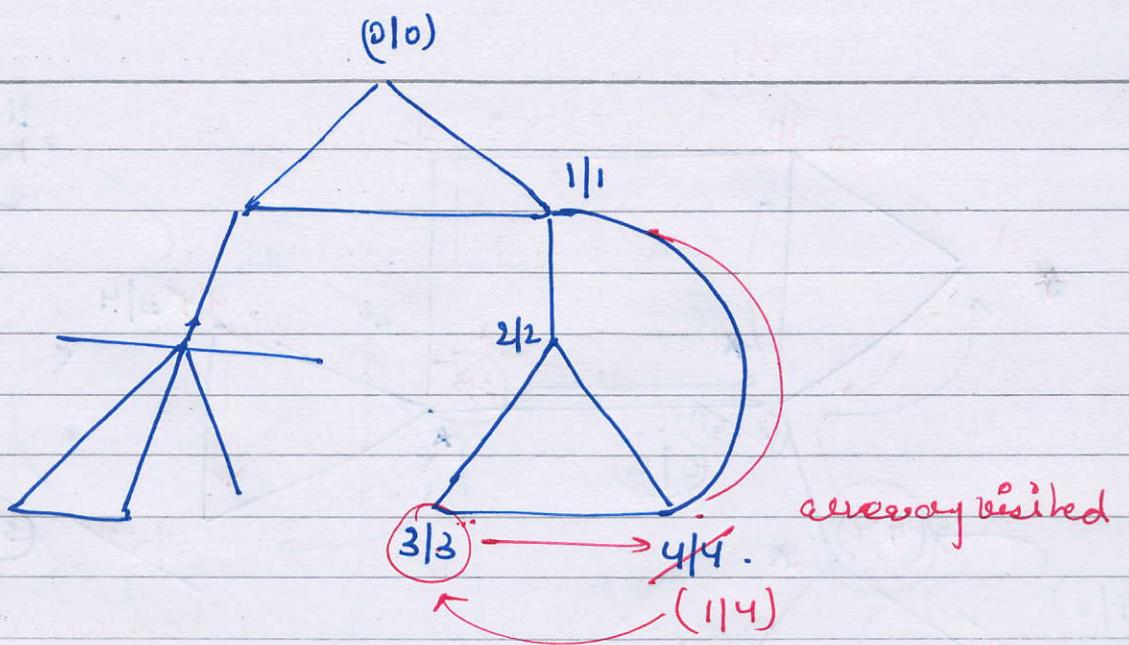


it is already  
visited

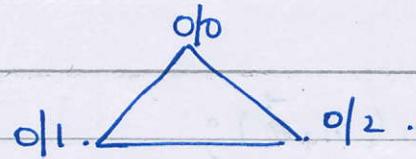
we will update value of 12 with discovery of 4.

update lowest all the time.





Root  $\rightarrow$

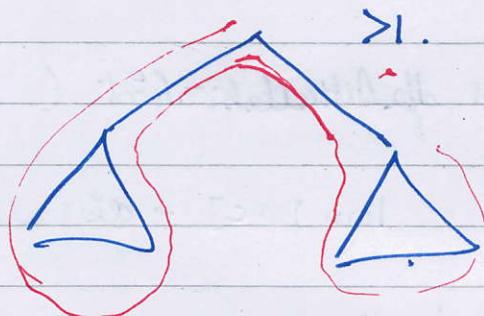


we need to handle this call individually.

If there is no vertices having edge between neighbours which are connected to 0 this imply that root is an Articulation Point.

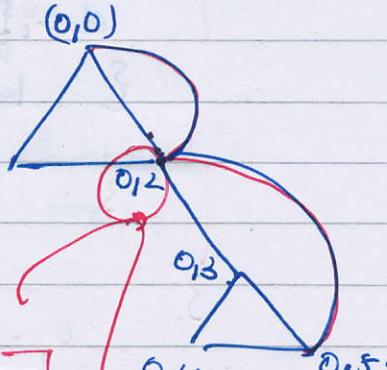
For Root

If No. of cells from root to node more than one then it means in order to visit other part we have to go through root.  
 $\therefore$  Root is Articulation Point.



Discovery se  $\Rightarrow$  lowest ho kyun update karte hain?

Mere dil jaane se jaise padte hain ya nahi padte is dependent on the discovery because it will also determine the hierarchy.



1. Discovery se update kरेंगे lowest ho because we if we don't have child right say it know longer edge directly but it need not be true here
2. Backtrack kरेंगे kise update of lowest of parent with lowest of child. our agne lowest is equal to discovery parent Articulation point
3. If discovery Pno is equal to lowest of child we need who articulation edge nahi hain

$0/5$  is going through 2 part

```

vector<int> low(n, 0);
vector<int> discovery(n, -1);
vector<bool> APPoints(n, false);
vector<bool> visited(1, false);
int time = 0;
int callsFromRoot = 0;

```

```

void dfsArticulationPoint ( int src, int par, int osrc )
{
    low[src] = discovery[src] = time++; // marking self

    for ( Edge *e : graph[src] )
    {
        if ( discovery[e->v] == -1 ) // unvisited.
        {
            callsFromRoot++;
            if ( src == osrc ) { calls++; }

            dfs(e->v, src, osrc);

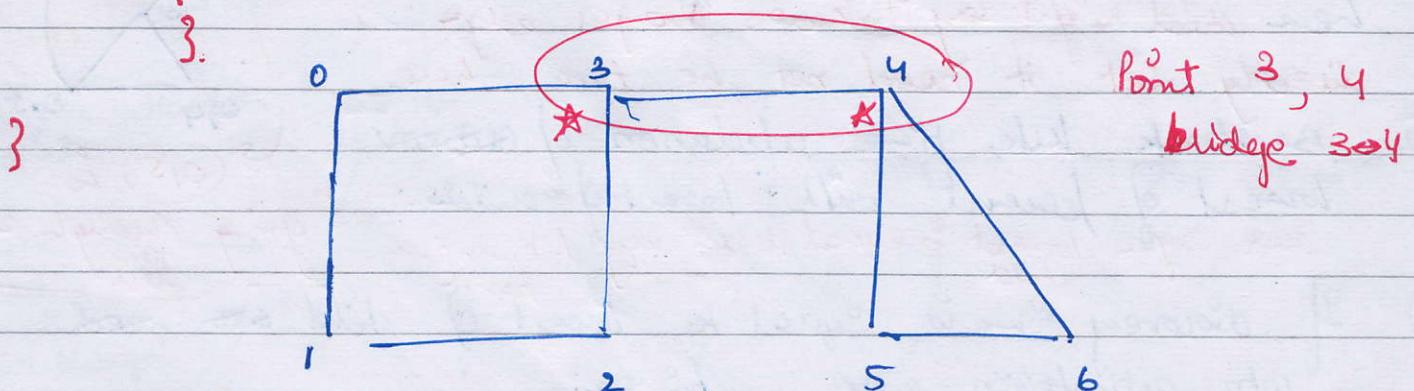
            if ( discovery[src] <= low[e->v] ) { APPoint[src] = true; }

            if ( discovery[src] < low[e->v] ) { cout << "AP-edge" << src << "to" << e->v << endl; }

            low[src] = min ( low[src], low[e->v] );
        }
        else if ( e->v != par ) // visited but non parent logo sc
        {
            low[src] = min ( low[src], discovery[e->v] );
        }
    }
}

```

// region for back edge



{ void AP-points Ans Bridges ()

dfs\_AP(0, -1, 0);

{ i | (calls for Root > 1)  
} cout << endl;

}

} for (int i = 0; i < ApPoint.length(); i++)

{ i | (ApPoint[i] == true && i != 0)

cout << i << endl;

3

3

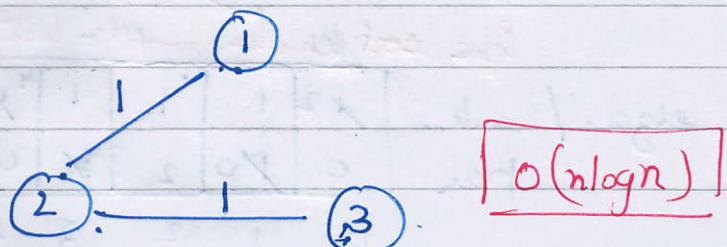
1168 Optimize water distribution in Village

Leetcode.

① well creation

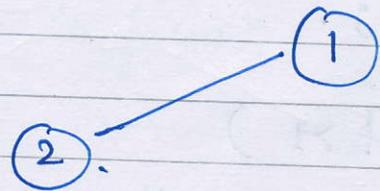
② pipe building

$n=3$  wells = [1, 2, 2]. pipes [ [1, 2, 1],  
[2, 3, 1] ]



$O(n \log n)$ .

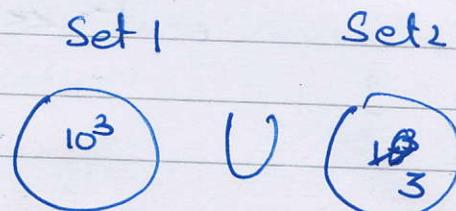
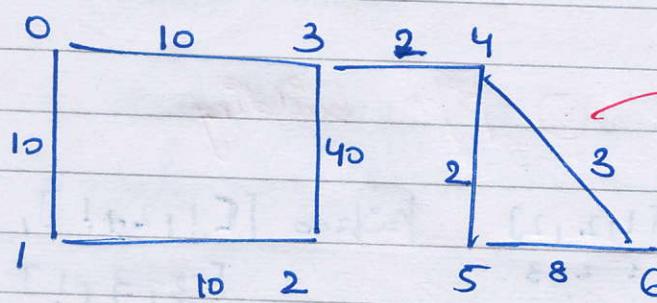
1	2	2
1	2	3



graph LR

## DSU Disjoint Set.

kisko kiske saath  
union kesi.



Set 1

Set 2

Set 2 ka union set 1  
edge mein...

put in priority queue  
or put in vector &  
sort

pair  $\langle \text{int} \rangle b < i, i \rangle$

Iske sort kerna fayda hai because it is  
already implemented

size / rank.

par

x2	1	1	1	x2	1	1
0	10	2	4	4	4	64
0	1	2	3	4	5	6

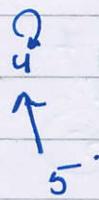
me

Q Q Q Q Q Q Q

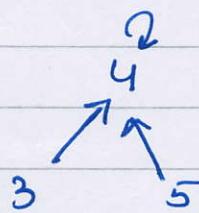
0 1 2 3 4 5 6

(size),  $\frac{1}{4}$

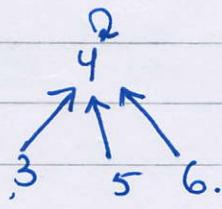
edge 4-5.



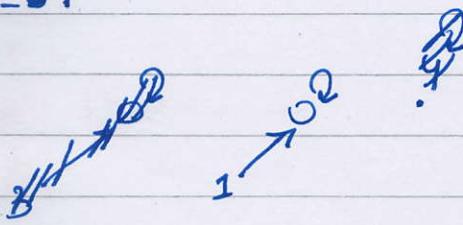
edge 3-4



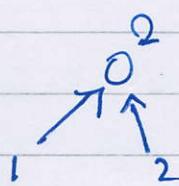
edge 4-6.



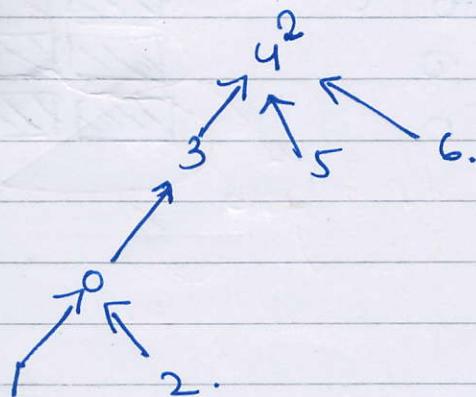
edge 0-1

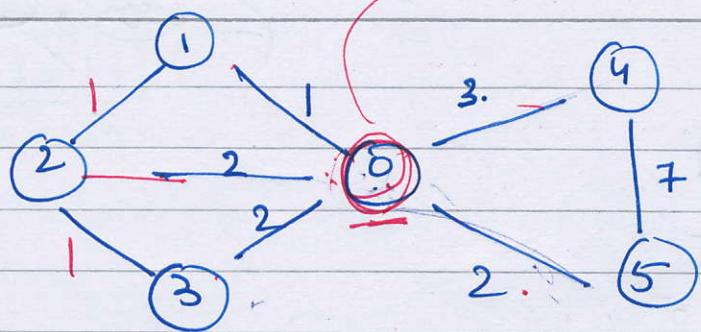


edge 1-2



jiska size chota  
usko merge  
karenge he de  
ke saath.

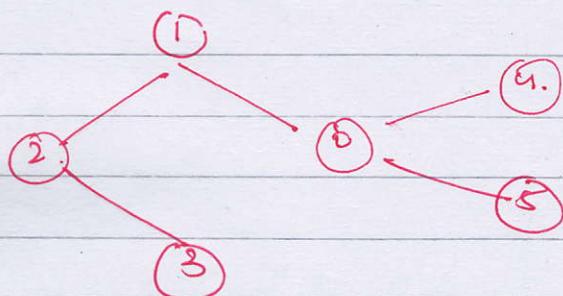




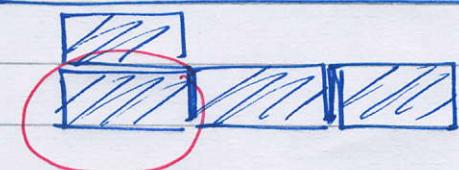
well have the han  
in such a way  
to have min cost.

DSU.

Only one well  
is to be dug



Brick wall

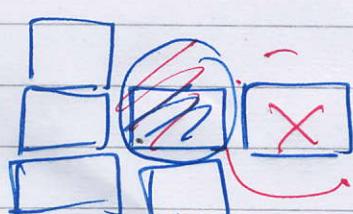


If this breaks all breaks.

1	0	0	0	0	0
1	1	1	0	0	0
1	1	0	0	0	0



If this goes  
all fall.

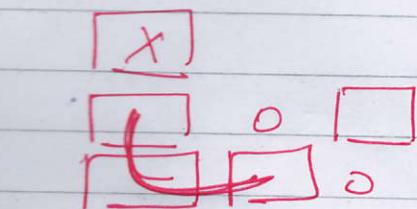
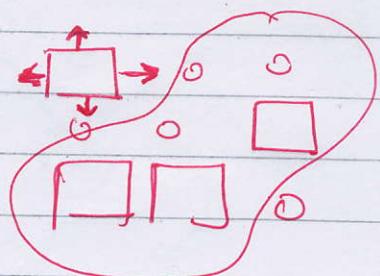


push to hala attack ho sakte hain

→ go here & put 0 at that place.

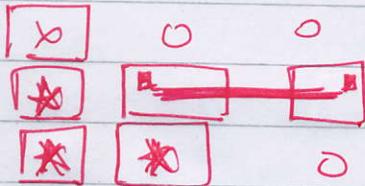
→ base wall se o/p ki 4 calls  $\leftarrow \uparrow \downarrow \rightarrow$

→ put brick back  
and we won't be making  
call from base wall as  
it has been marked.



will be marked.

will be left  
unmarked.



All which are connected  
with main wall  
will not fall.

Entire matrix is traversed

∴ even all the vertices are traversed only once.

①

1	0	1	1			
1	X	1	X	1	0	0
1	0	1	0	0	1	0

bricks to be removed

put brick back.

②

P	0	XX				
X	0	X	0	1	0	0
X	0	-	X	0	1	0

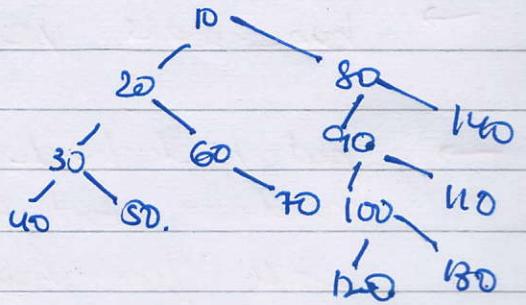
③

X	0	X	X			
X	1	X	X	1	0	0
X	0	X	X	0	0	1

all 9 will fall.

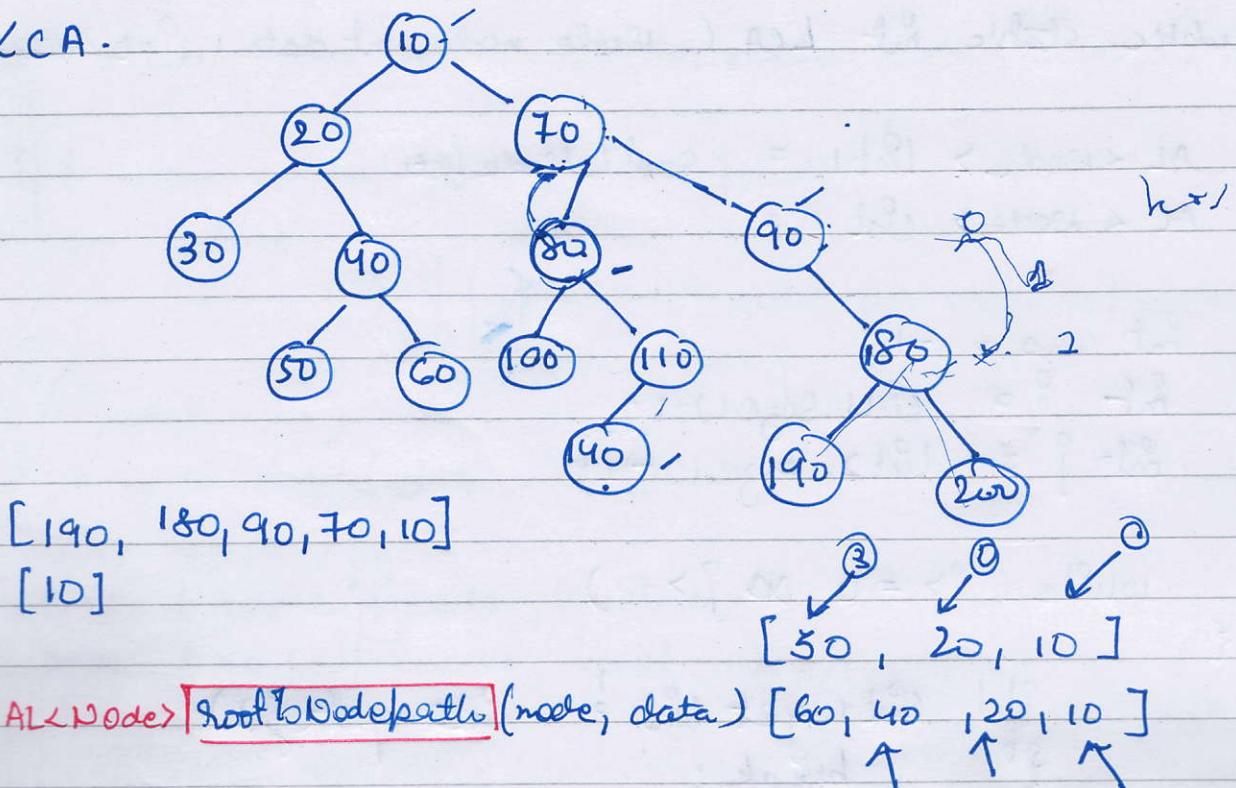
Tree

Day 1.



4th Feb 2020

LCA.



- ① if ( node == null )  
    } } } equal incidence  
    both
- ② if ( node.data == data )  
        AL<N> base = new AL<>();  
        base.add(node);  
        return base;  
    } } } unequal last  
    common node  
    will be  
    LCA
- ③ AL<N> left = new AL<>();  
    if ( left.size() > 0 )  
        left.add(node);  
    return left;  
    } } }
- ④ AL< N > right =  
    { } }
- ⑤ return new ArrayList<>();

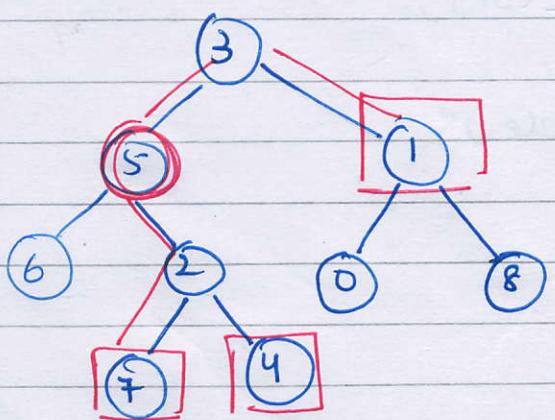
```

public static int LCA ( Node node, int data1, int data2)
{
    AL <Node> list1 = rootToNodePath
    AL <Node> list2 =
    int ans = -1;
    int i = list1.size() - 1;
    int j = list2.size() - 1;

    while ( i >= 0 && j >= 0 )
    {
        if ( list1.get(i) != list2.get(j) )
            break;
        else
            ans = list1.get(i).data;
        i--;
        j--;
    }
}

```

Kth distance Nodes.



Target = 5  
k = 2

Ans [7, 4, 1]

Never make call to previous node.

5	3
0	1
k-idx	

prev = (idx-1)

level

```
public static void kDown (Node node, Node pnode, int level)
{
    ① if ( node == null || node == pnode )
        return;
    ② if ( pnode != null && node == pnode )
        return;
    ③ if ( level == 0 )
        System.out.println ( node.data + " " );
    kDown ( node.left, pnode, level - 1 );
    kDown ( node.right, pnode, level - 1 );
}
```

```
public static void kAway (Node node, int k).
```

```
AL < Node > list1 = rootToNode (
    Node pnode = null;
```

```
{ for ( int i = 0 ; i < list1.size() ; i++ )
    kDown ( list1.get ( i ), pnode, k - i );
    pnode = list1.get ( i );
}
```

( $k=2$ )

public static int kDown\_02 ( node node, int data, int k )

{ if ( node == null )  
    return -1;  
}

{ if ( node.data == data )

    kDown ( node, null, k );  
    return 1;

}

int ld = kDown\_02 ( node.left, data, k );

{ if ( ld != -1 )

    kDown ( node.right, node.left, k-ld );  
    return ld+1;

}

int rd = kDown\_02 ( node.right, data, k );

{ if ( rd != -1 )

    kDown ( node.left, node.right, k-rd );  
    return rd+1;

}

return -1;

3