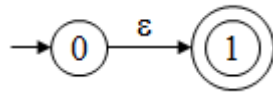


**SRM INSTITUTE OF SCIENCE AND TECHNOLOGY**  
**18CSC304J - COMPILER DESIGN**  
**EVENSEM 2023-24**

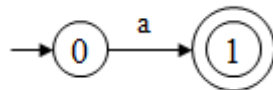
**WORKSHEET**

**I. Convert RE into NFA:-**

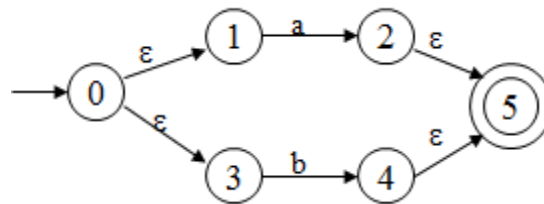
1.  $\epsilon$



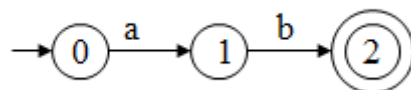
2. a



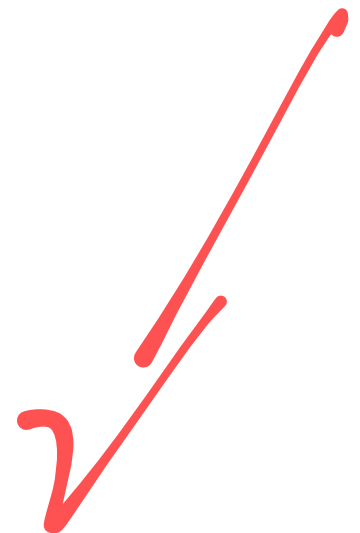
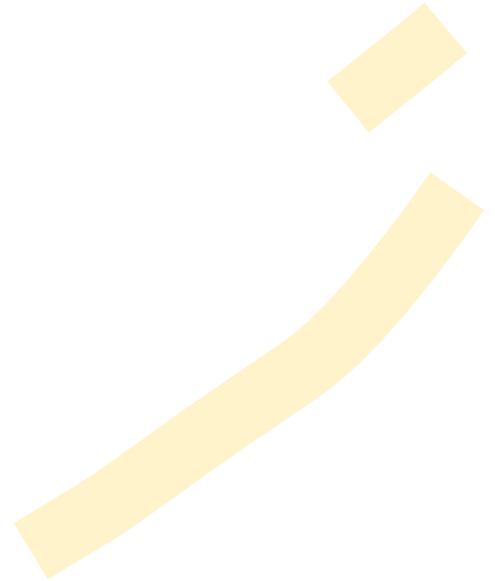
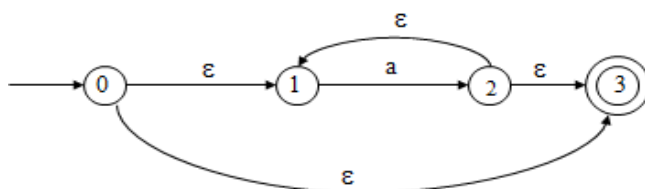
3. a/b



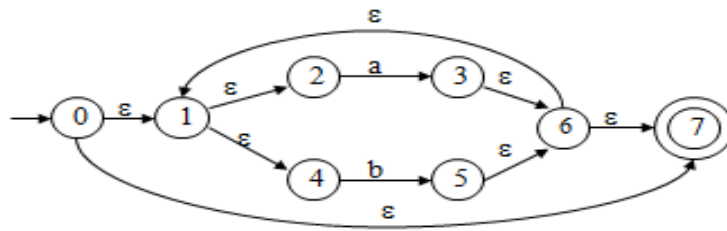
4. ab



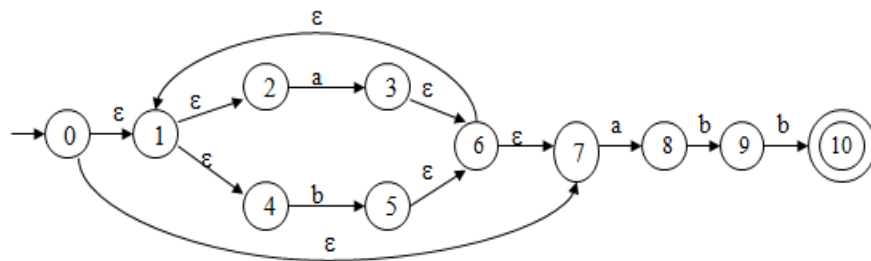
5.  $a^*$



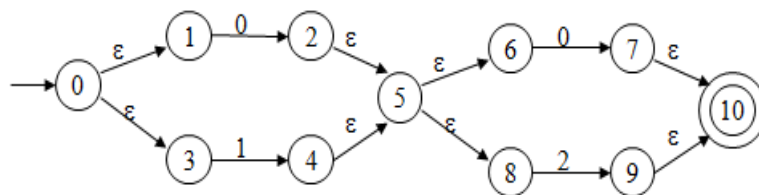
6.  $(a/b)^*$



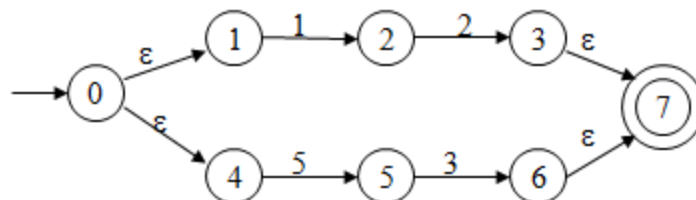
7.  $(a/b)^*abb$



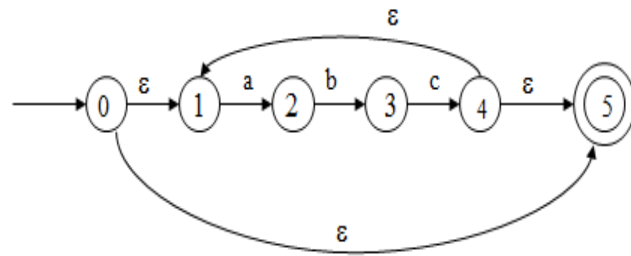
8.  $(0/1)(0/2)$



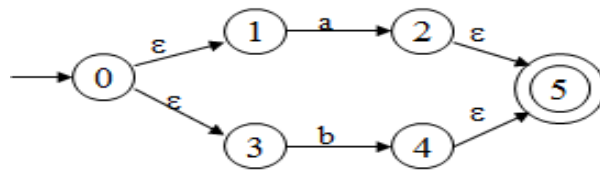
9. 12/53



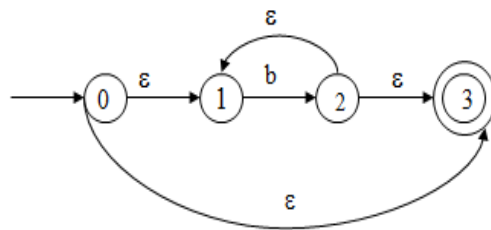
10.  $(abc)^*$



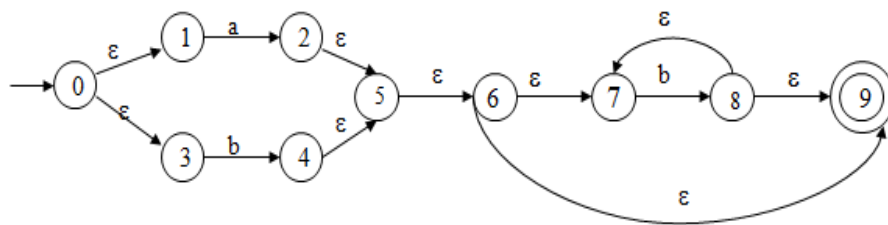
11.  $((a/b) b^*)^*$   
(a/b)



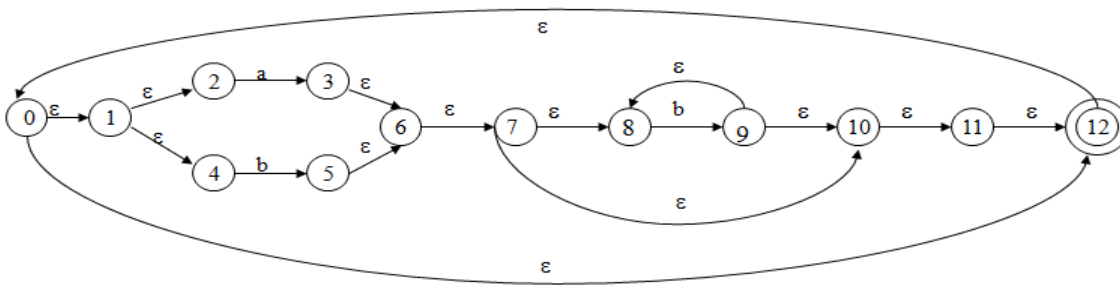
$b^*$



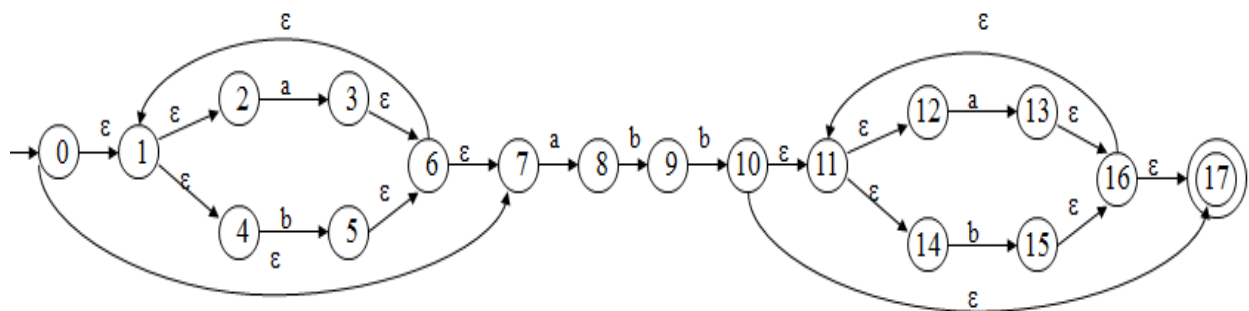
$(a/b)b^*$



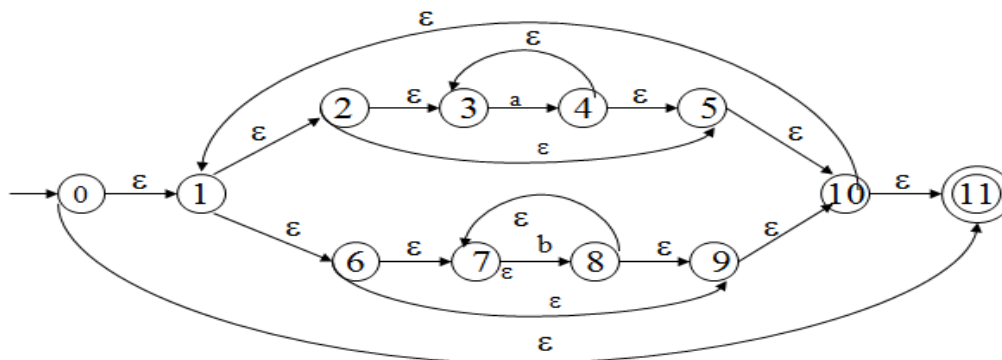
$((a/b)b^*)^*$



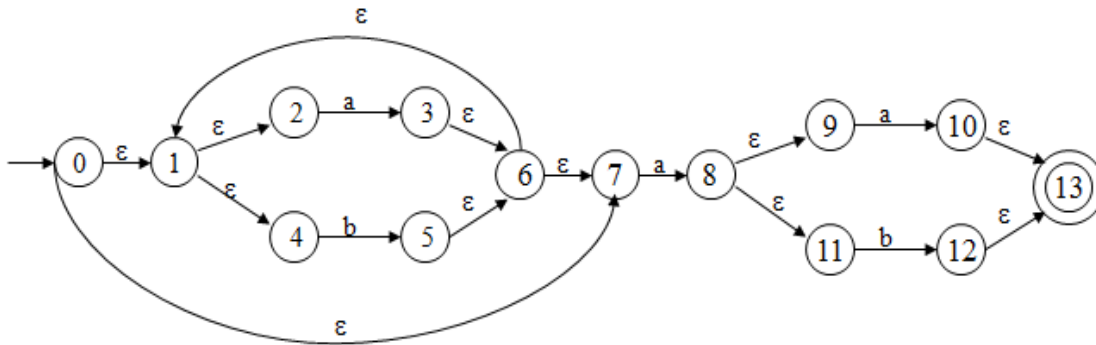
12.  $(a/b)^*abb(a/b)^*$



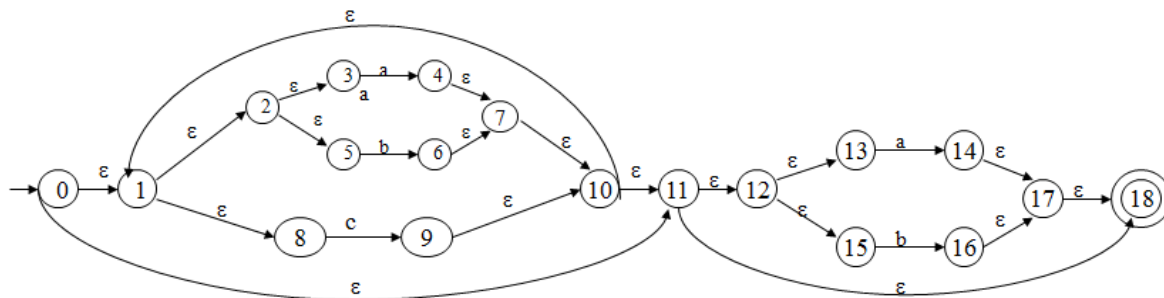
13.  $(a^*/b^*)^*$



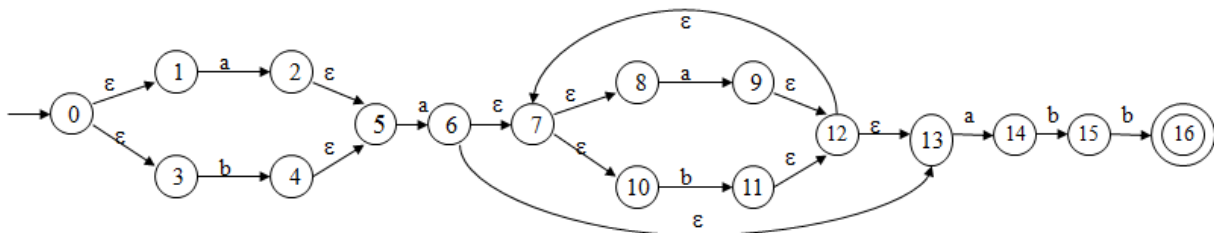
14.  $(a/b)^*a(a/b)$



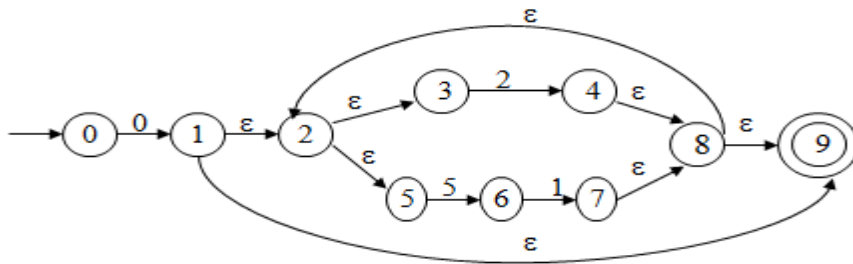
15.  $(a/b/c)^*(a/b)^*$



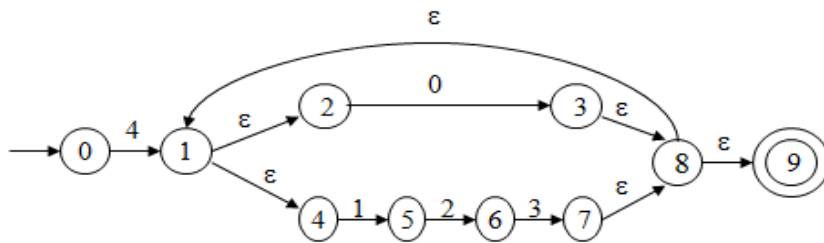
16.  $(a/b)a(a/b)^*abb$



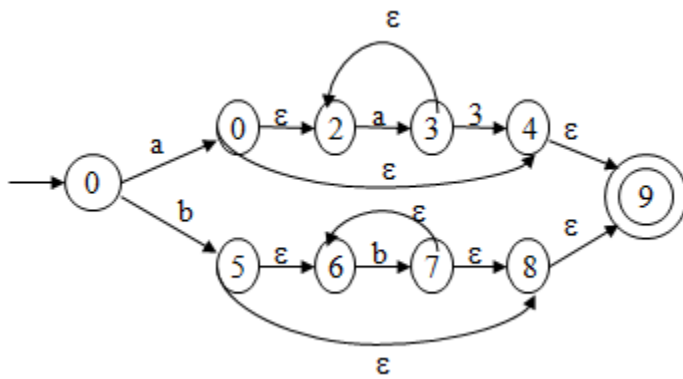
17.  $0(2/51)^*$



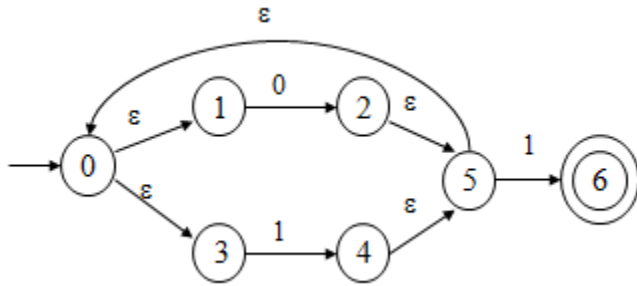
18.  $4(0/123)^*$



19.  $(a, a^*/bb^*)$



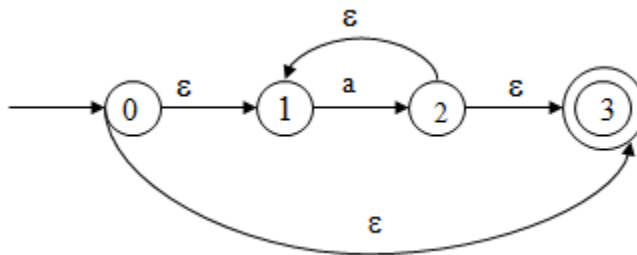
20.  $(0/1)^*1$



## II. CONVERT RE to DFA (INDIRECT METHOD)

1. RE =  $a^*$

NFA



Finding the states

$$\epsilon \text{ closure } \{0\} = \{0,1,3\}$$

$$A = \{0,1,3\}$$

$$\epsilon \text{ closure}[\text{move}(A,a)] = \{2\}$$

$$= \{2,1,3\}$$

$$\epsilon \text{ closure}[\text{move}(B,a)] = \{2\} \quad B = \{1,2,3\}$$

$$= B$$

Transition table:

	a
A	B
B	B

Minimizing DFA:

$$= \{A \ B\}$$

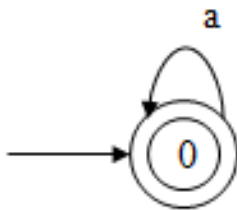
$$= \{(A \ B)\}$$

$$= \{A \}$$

Minimized Transition table:

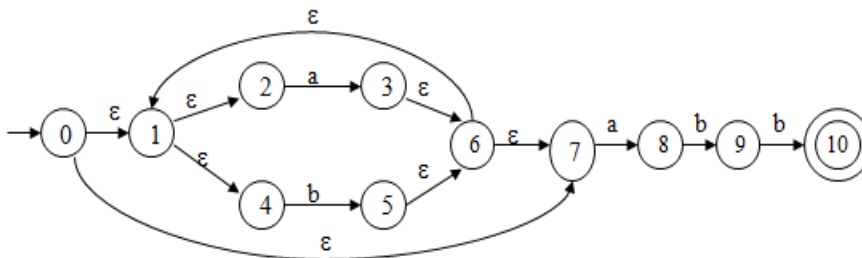
State	a
A	A

**DFA:**



2.  $RE = (a/b)^*abb$  Draw the NFA and Convert it into DFA

NFA





$$\varepsilon \text{ closure } \{0\} = \{0,1,2,4,7\} = A$$

$$\text{mov}(A,a) = \varepsilon \text{ closure } \{3,8\} = \{3,8,6,1,2,4,7\} = B$$

$$\text{mov}(A,b) = \varepsilon \text{ closure } \{5\} = \{5,6,1,2,4,7\} = C$$

$$\text{mov}(B,a) = \varepsilon \text{ closure } \{3,8\} = B$$

$$\text{mov}(B,b) = \varepsilon \text{ closure } \{9,5\} = \{9,5,6,7,1,2,4\} = D$$

$$\text{mov}(C,a) = \varepsilon \text{ closure } \{3,8\} = B$$

$$\text{mov}(C,b) = \varepsilon \text{ closure } \{5\} = C$$

$$\text{mov}(D,a) = \varepsilon \text{ closure } \{8,3\} = B$$

$$\text{mov}(D,b) = \varepsilon \text{ closure } \{10,5\} = \{10,5,6,7,1,2,4\} = E$$

$$\text{mov}(E,a) = \varepsilon \text{ closure } \{8,3\} = B$$

$$\text{mov}(E,b) = \varepsilon \text{ closure } \{5\} = C$$

Transition table:

	a	b
A	B	C
B	B	D
C	B	C
D	B	E
E	B	C

Minimizing DFA:

$$\pi = \{ (A, B, C, D) (E) \}$$

$$= \{ (A, B, C) (D) (E) \}$$

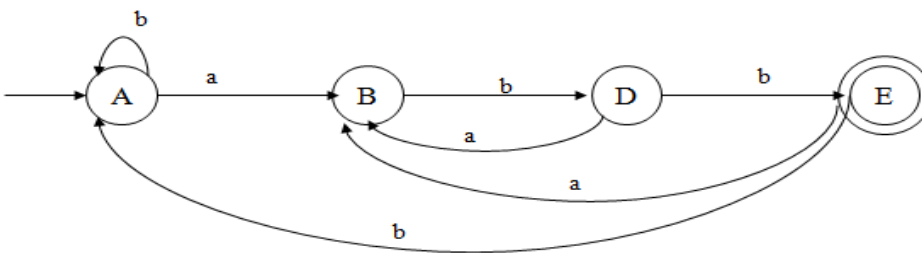
$$= \{ (AC) (B) (D) (E) \}$$

$$\pi = \{ (A) (B) (C) (D) (E) \}$$

Minimized Transition table:

State	a	b
A	B	A
B	B	D
D	B	E
E	B	A

**DFA:**

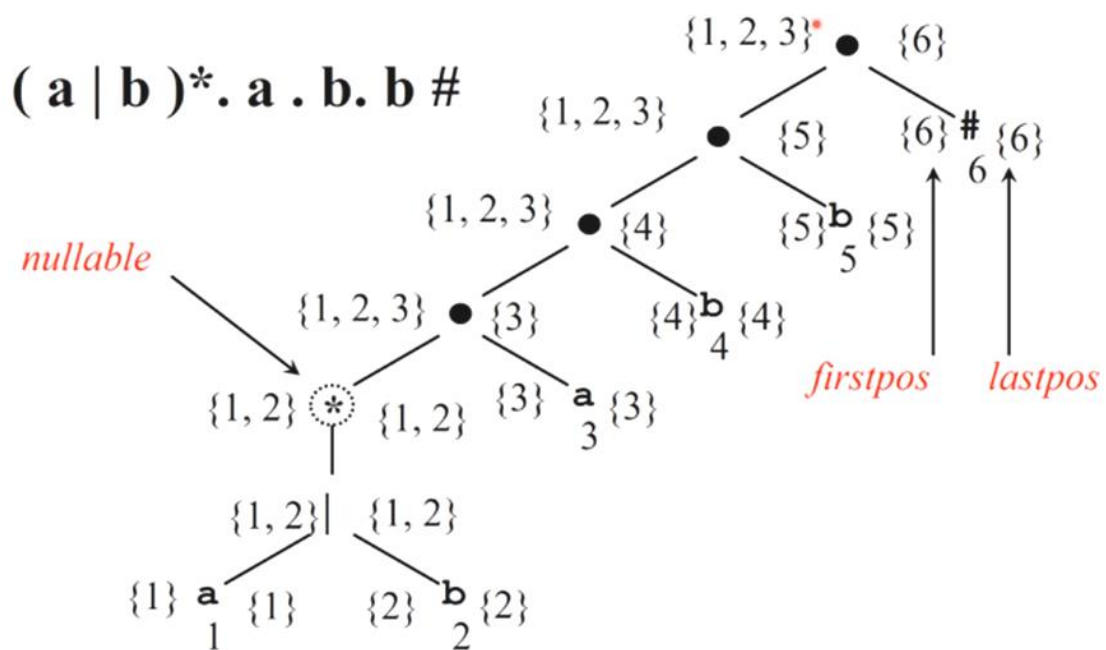
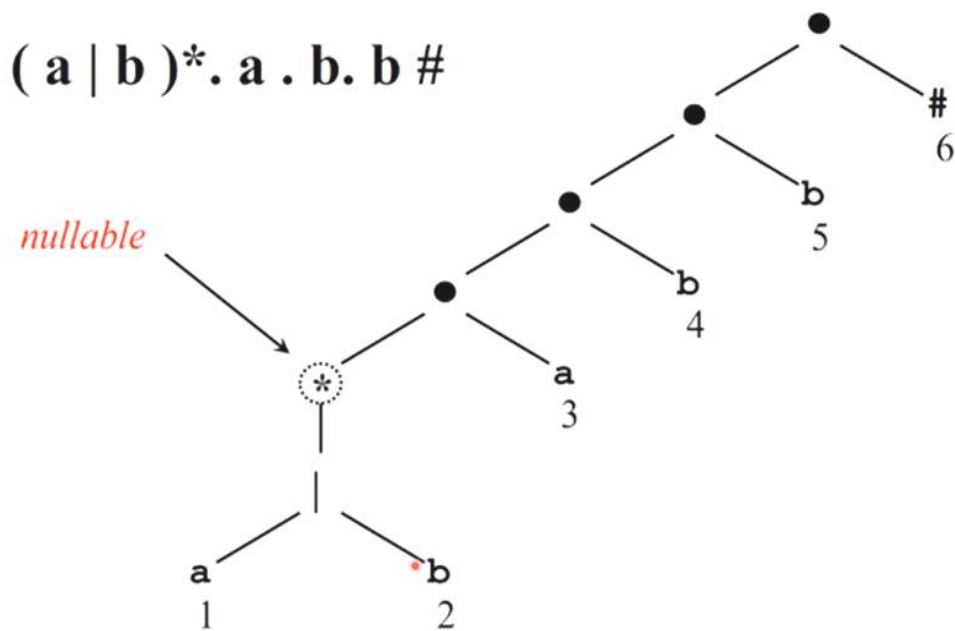


## II. CONVERT RE to DFA (DIRECT METHOD)

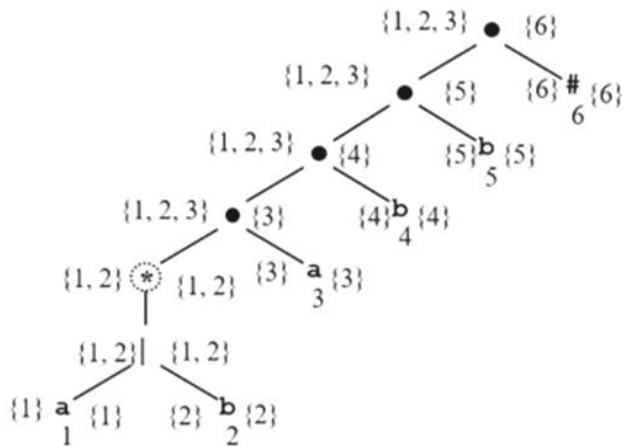
1. RE =  $(a/b)^*abb$  Convert it into DFA in direct method

Augmented RE :  $(a/b)^*.a.b.b\#$

# Syntax Tree



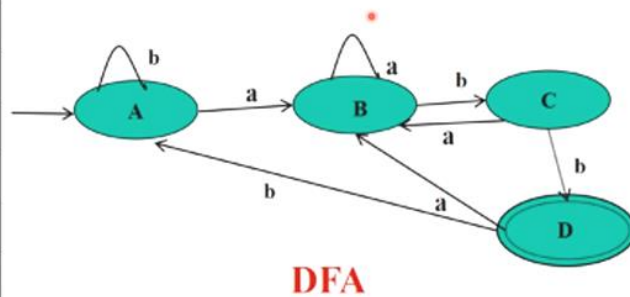
$(a|b)^*.a.b.b\#$



Node	<i>followpos</i>
1	1,2,3
2	1,2,3
3	4
4	5
5	6
6	-

	Node	<i>followpos</i>
a	1	1,2,3
b	2	1,2,3
a	3	4
b	4	5
b	5	6
#	6	-

$(a|b)^*.a.b.b\#$

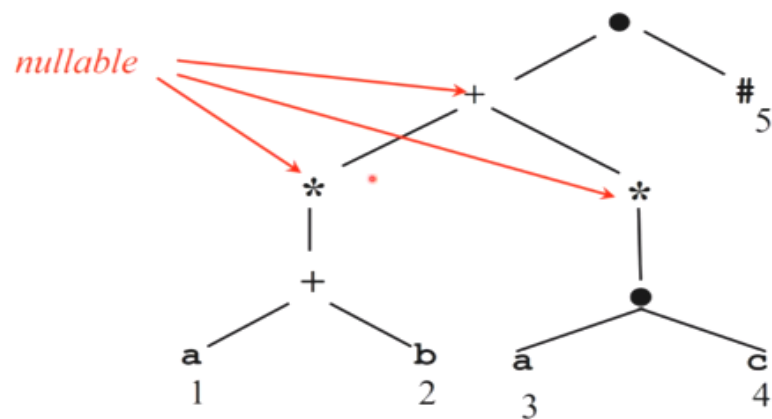


2.  $RE = (a+b)^*+(a.c)^*$  Convert it into DFA in direct method

Augmented RE :  $((a+b)^*+(a.c)^*)\#$

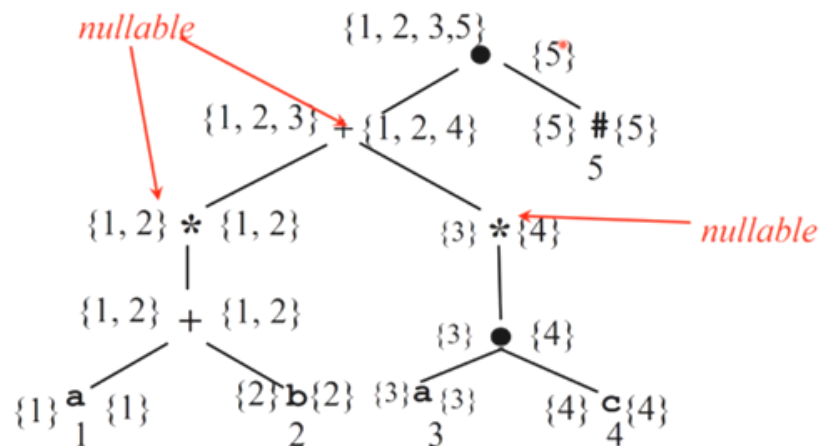
### Syntax Tree

$((a+b)^*+(a.c)^*)\#$



### Syntax Tree

$((a+b)^*+(a.c)^*)\#$



## Followpos

