

Data Structures Lab 5

Course: Data Structures (CL2001)

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T.A: N/A

Note:

- Lab manual cover following below recursion topics
{Base Condition, Direct and Indirect Recursion, Tailed Recursion, Nested Recursion, Backtracking}
 - Maintain discipline during the lab.
 - Just raise hand if you have any problem.
 - Completing all tasks of each lab is compulsory.
 - Get your lab checked at the end of the session.
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<u>Base Condition in Recursion</u>

Sample Code

```
int Funct(int n)
{   if (n <= 1) // base case    return 1;
    else
        return Funct (n-1);
}
```

Key Points: In the above example, base case for $n \leq 1$ is defined and larger value of number can be solved by converting to smaller one till base case is reached.

Example 1: Generate the following sequence with recursive approach

1 , 3 , 6 , 10 , 15 , 21 , 28

Task-1:

- a. Generate the following sequence with recursive approach

0 , 1 , 1 , 2 , 3 , 5 , 8 , 13 , 21 , 34 , 55 , 89 , 144 . . .

<u>Direct and Indirect Recursion</u>

Sample Code (Direct Recursion)

```
void X()
{   // Some code....
    X();
    // Some code...
```

```
}
```

Sample Code (In-Direct Recursion)

```
void indirectRecFun1()
```

```
{ // Some code...
```

```
    indirectRecFun2();
```

```
    // Some code...
```

```
}
```

```
void indirectRecFun2()
```

```
{ // Some code...
```

```
    indirectRecFun1();
```

```
    // Some code...
```

```
}
```

Task-2:

- a. **Write an indirect recursive code for the above task-1 (b) part with same approach as defined in the above sample code of In-Direct Recursion**

<u>Tailed and Non Tailed Recursion</u>

Sample Code (Non tailed Recursion)

```
unsigned int fact(unsigned int n)
```

```
{
```

```
    if (n == 0)
```

```
        return 1;
```

```
    return n * fact(n - 1);
```

```
}
```

```
// Driver program to test above function
```

```
int main()
```

```
{
```

```
    cout << fact(5);
```

```
    return 0;
```

```
}
```

Sample Code (Tailed Recursion)

```
unsigned factTR(unsigned int n, unsigned int a)//int a = accumulator
{
    if (n == 1)
        return a;

    return factTR(n - 1, n * a); //Note this is the last thing as recursive
}

// A wrapper over factTR
unsigned int fact(unsigned int n)
{
    return factTR(n, 1);
}
```

Task 3:

Sort The Unsorted Numbers with both tail recursive and Normal recursive approach

Sample Input and Output

Given array is

12 11 13 5 6 7

Sorted array is

5 6 7 11 12 13

<h3><u>Nested Recursion</u></h3>

Sample Code

```
#include <iostream>
using namespace std;

int fun(int n)
{
    if (n > 100)
        return n - 10;

    // A recursive function passing parameter
    // as a recursive call or recursion inside
    // the recursion
    return fun(fun(n + 11));
}

int main()
{
    int r;
    r = fun(95);

    cout << " " << r;

    return 0;
}
```

Task 4:

Dry run the outputs of the upper code in order to find out how the recursive calls are made. Make a stack and visualize the functionality of stack in the case of recursion on paper.

Backtracking

Sample Pseudocode

```
void findSolutions(n, other params) :  
    if (found a solution) :  
        solutionsFound = solutionsFound + 1;  
        displaySolution();  
        if (solutionsFound >= solutionTarget) :  
            System.exit(0);  
        return  
  
    for (val = first to last) :  
        if (isValid(val, n)) :  
            applyValue(val, n);  
            findSolutions(n+1, other params);  
            removeValue(val, n);
```

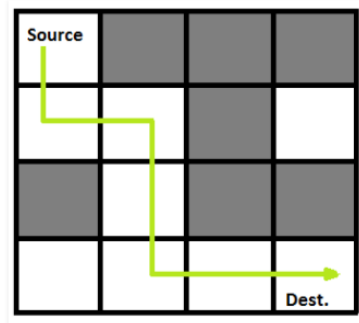
```

boolean findSolutions(n, other params) :
    if (found a solution) :
        displaySolution();
        return true;

    for (val = first to last) :
        if (isValid(val, n)) :
            applyValue(val, n);
            if (findSolutions(n+1, other params))
                return true;
            removeValue(val, n);
    return false;

```

A Maze is given as $N \times N$ binary matrix of blocks where source block is the upper left most block i.e., `maze[0][0]` and destination block is lower rightmost block i.e., `maze[N-1][N-1]`. A rat starts from source and has to reach the destination. The rat can move only in two directions: forward and down.



In the maze matrix, 0 means the block is a dead end and 1 means the block can be used in the path from source to destination.

```

{1, 0, 0, 0}
{1, 1, 0, 1}
{0, 1, 0, 0}
{1, 1, 1, 1}

```

Following is the above-mentioned maze transformed in binary.

Task-5

- A. Design the function with recursive approach to find the number of existing destination path in the above provided sample code link
- B. Change the Maze with following configuration. Find the optimal path to reach the destination with recursive approach

**int maze[N][N] = { { 1, 0, 0, 1 }, //Left is the source and right is the destination
 { 0, 1, 1, 1 },
 { 0, 1, 1, 0 } }**