LR(1) Parsing Table for Ex#1

	a	b	$	S	A
I_0	S-I_3	S-I_4		I_1	I_2
I_1			R-P_4		
I_2	S-I_6	S-I_7			I_5
I_3	S-I_3	S-I_4			I_8
I_4	R-P_3	R-P_3			
I_5			R-P_1		
I_6	S-I_6	S-I_7			I_9
I_7			R-P_3		
I_8	R-P_2	R-P_2			
I_9			R-P_2		

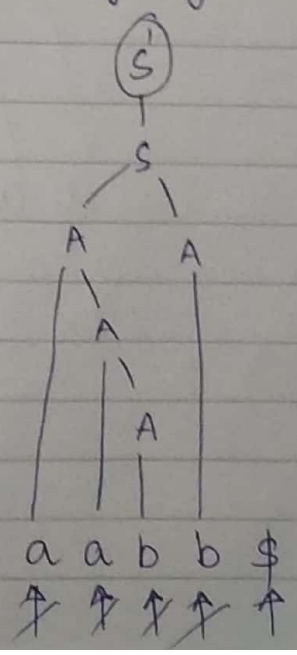
In Ex#1, what states have the SAME LR(0) items but DIFF. LR(1) items?

(i) I_4 & I_7
(ii) I_3 & I_6
(iii) I_8 & I_9.

~~I_8~~	R-P2-1
~~A~~	R-P2-1
~~I_8~~	R-P_2-0
~~A~~	R-P_2-0
~~I_4~~	R-P_3-0
~~b~~	R-P_3-0
~~I_3~~	R-P2-0
~~a~~	R-P2-0
~~I_3~~	R-P2-1
~~a~~	R-P2-1
I_0	

S'	Accept.
~~I_1~~	R-P_4-0
~~S~~	R-P_4-0
~~I_5~~	R-P1-0
~~A~~	R-P1-0
~~I_7~~	R-P_3-1
~~b~~	R-P3-1
~~I_2~~	R-P1-0
~~A~~	R-P1-0

Parsing algorithm.

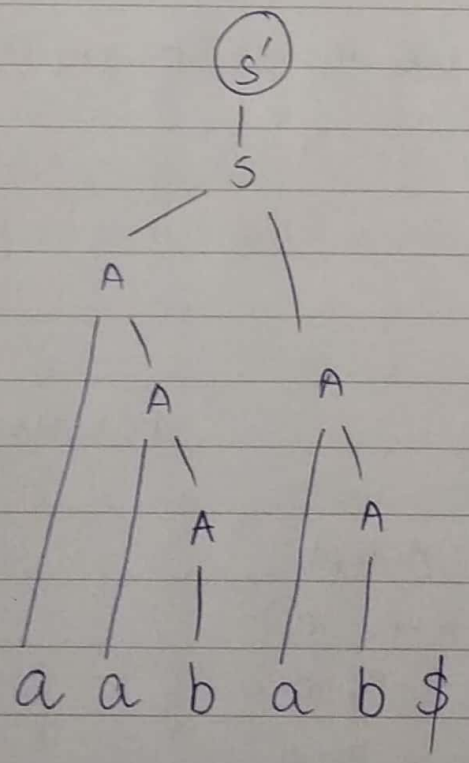


aabab$

I_8	$R-P_2-1$
A	$R-P_2-1$
I_8	$R-P_2-0$
A	$R-P_2-0$
I_4	$R-P_3-0$
b	$R-P_3-0$
I_3	$R-P_2-0$
a	$R-P_2-0$
I_3	$R-P_2-1$
a	$R-P_2-1$
I_0	

S	$R-P_4-0$
I_5	$R-P_1-0$
A	$R-P_1-0$
I_9	$R-P_2-2$
A	$R-P_2-2$
I_7	$R-P_3-1$
b	$R-P_3-1$
I_6	$R-P_2-2$
a	$R-P_2-2$
I_2	$R-P_1-0$
A	$R-P_1-0$

S'	Accept
I_1	$R-P_4-0$



Ex#2 P1: S → ABd P4: B → d

P2: A → Bb P5: B → eB

P3: A → C P6: S' → S

$I_0 \equiv$ S' → .S , {$}
S → .ABd , {$}
A → .Bb , {d,e}
A → .C , {d,e}
B → .d , {b}
B → .eB , {b}
~~S' → .S , {$}~~

$I_0 \xrightarrow{S}$ (S' → S.) , {$} ($I_1$)

$\xrightarrow{A}$ (S' → A.Bd) , {$}
(B → .d) , {d} (I_2)
(B → .eB) , {d}

$\xrightarrow{B}$ (A → B.Cb) , {d,e} (I_3)

$\xrightarrow{C}$ (A → C.) , {d,e} (I_4)

$\xrightarrow{d}$ (B → d.) , {d} (I_5)

$\xrightarrow{e}$ (B → e.B) , {b}
(B → .d) , {b} (I_6)
(B → .eB) , {b}

I_2 —B→ $(S \to AB.d), \{\$\}$ I_7

- d → $(B \to d.), \{d\}$ I_8
- e → $(B \to e.B), \{d\}$
  $(B \to .d), \{d\}$ I_9
  $(B \to .eB), \{d\}$

I_3 —b→ $(A \to Bb.), \{a, e\}$ I_{10}

I_6 —B→ $(B \to eB.), \{b\}$ I_{11}

- d → $(B \to d.), \{b\}$ I_5
- e → I_6

I_7 —d→ $(S \to ABd.), \{\$\}$ I_{12}

I_9 —B→ $(B \to eB.), \{d\}$ I_{13}

- d → I_8
- e → I_9

Check the string dbedd

Pausing Table

	b	c	d	e	f	A	B
I_0							
I_1							
I_2							
I_3							
I_4							
I_5							
I_6							
I_7							
I_8							
I_9							
I_{10}							
I_{11}							
I_{12}							
I_{13}							

Ex#3

$E \rightarrow E+T$

$E \rightarrow E-T$

$E \rightarrow T$

$T \rightarrow T*f$

$T \rightarrow T \div f$

$T \rightarrow f$

$f \rightarrow (E)$

$f \rightarrow id$

LALR(1) Parsing Technique

(LR(1); look ahead)

Consider the same grammar for discussion.

① $S \rightarrow AA$
② $A \rightarrow aA$
③ $A \rightarrow b$
④ $S' \rightarrow S$

The CLR(1) parsing table was:-

	a	b	$	S	A
I_0	S-I_{36}	S-I_{47}		I_1	I_2
I_1			R-P_4		
I_2	S-I_{36}	S-I_{47}			I_5
I_{36}	S-I_{36}	S-I_{47}	R-P_3		I_{89}
I_{47}	R-P_3	R-P_3			
I_5			R-P_1		
remove I_{36} (I_6)	S-I_{36}	S-I_{47}			I_{89}
remove I_{47} (I_7)			R-P_3		
I_{89}	~~R-P_3 R-P_2~~	R-P_2	~~R-P_3~~ R-P_2		
remove I_{89} (I_9)					

merge & remove

I_3 & I_6 ⇒ I_{36}
I_4 & I_7 ⇒ I_{47}
I_8 & I_9 ⇒ I_{89} (merged)

Have the same LR(0) items but diff. LA symbols.

merge identicals rows in table.

CLR(1) has more states & sparse Parsing Table.
More blanks in PT ⇒ easy for parser to find errors.

SLR(1) → n_1 states
CLR(1) → n_2 states

when lookahead is same as follow, $n_1 \equiv n_2$.
eg:→ $E \to E+T$, $E \to T$, $T \to id.$, $E' \to E.$

SYNTAX DIRECTED TRANSLATION

① We use semantic actions with productions.

② When a production of a production takes place then action is applied.

Consider the CFG:-

(P1) $E \rightarrow E+T$
(P2) $E \rightarrow T$
(P3) $T \rightarrow T*F$
(P4) $T \rightarrow F$
(P5) $F \rightarrow id$
(P6) $E' \rightarrow E$

① Evaluate $4+3*2$
② Get the Reverse Polish Notation (RPN) $\Rightarrow 432*+$
③ Just generate the intermediate code.

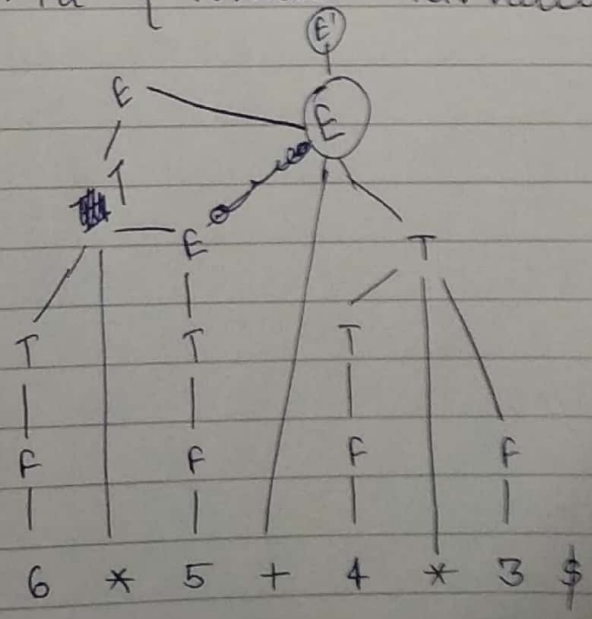
(P1) $E \rightarrow E+T$ { E.value = E.value + T.value } { Printf("+") }

(P2) $E \rightarrow T$ { E.value = T.value }.

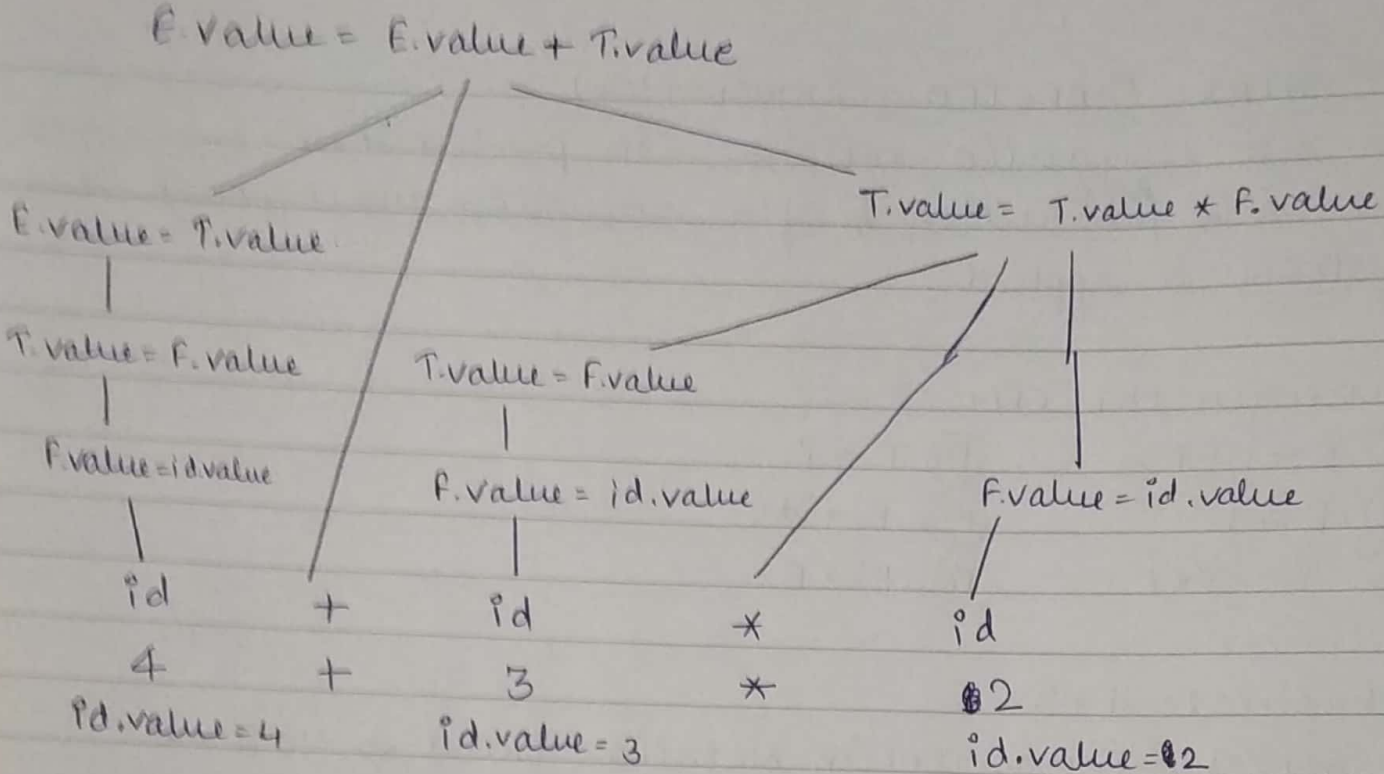
(P3) $T \rightarrow T*F$ { T.value = T.value * F.value } { Printf("*") }

(P4) $T \rightarrow F$ { T.value = F.value }.

(P5) $F \rightarrow id$ { F.value = id.value } { printf("id.value") }



65* 43*+
① ②
③



Semantically incorrect → mixing float with integer, going into ∞ loop, dividing by 0.

Your code.

```
main{
  float r;
  float h;
  float V;
  float a;

  read r;
  read h;
  if (r gt 0) and (h gt 0)
  then goto 10;
  goto 20;
10: V := 22/7 * r ↑2 x h;
  a := 2*22/7 * r(r+h);
  write(V);
  write(a);
  stop;
20: stop;
}
```

(compute only once by storing inside a variable (we need a placeholder))

whenever redn takes place, a line of intermediate code is generated.

Intermediate code.

```
FLOAT r
FLOAT h
FLOAT V
FLOAT a

r = READ()
h = READ()
t1 = r gt 0        (t1: temporary variable)
t2 = h gt 0
t3 = t1 * t2

IF t3
THEN
GOTO 10
GOTO 20
t4 = r tpo 2
t5 = 22/7
t6 = t5 * t4
t7 = t6 * h
V = t7

t8 = r+h
t9 = 2*22
t10 = t9/7
t11 = t10 * r
t12 = t11 * t8
a = t12
WRITE V
WRITE a
STOP
10: STOP
```