

# EVOLUTIA DE LA BPSK LA QPSK



Prezentare realizată de Pârvan Andrei Leonard  
IESC, Calculatoare 2, grupa 4LF781

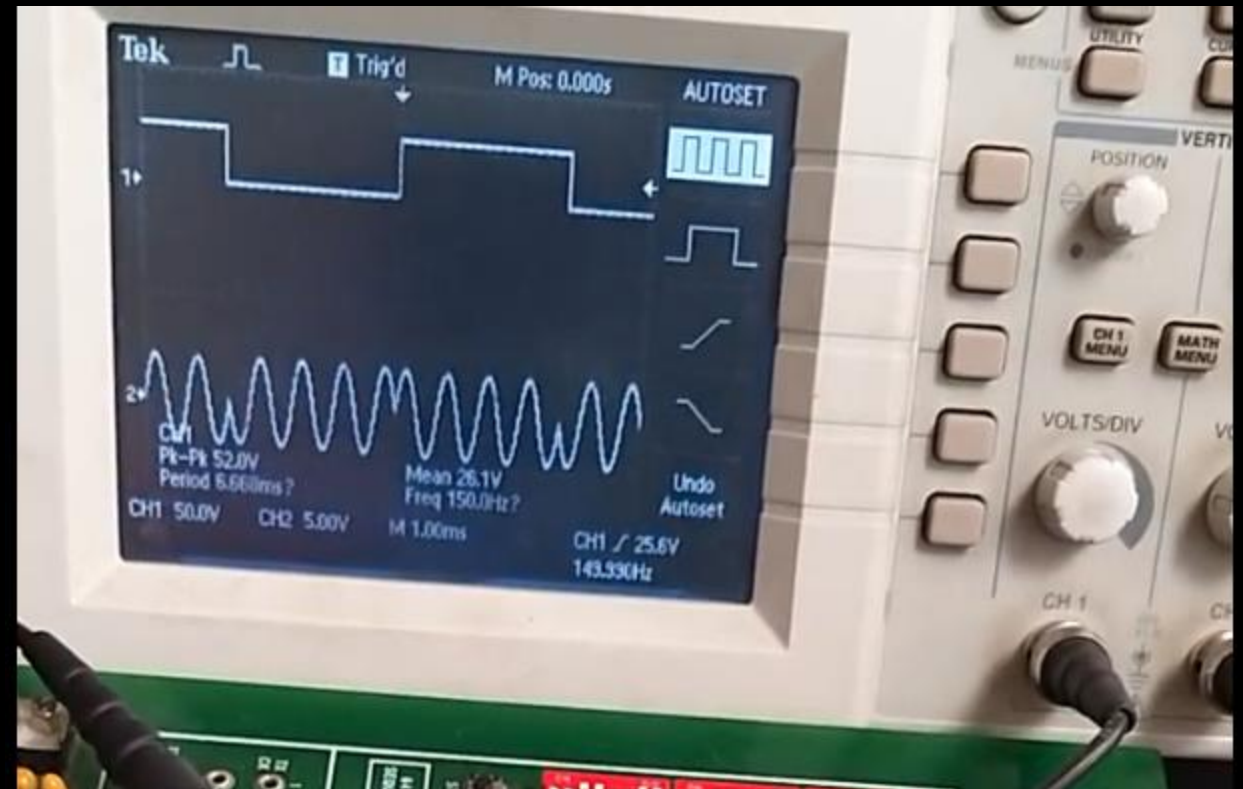
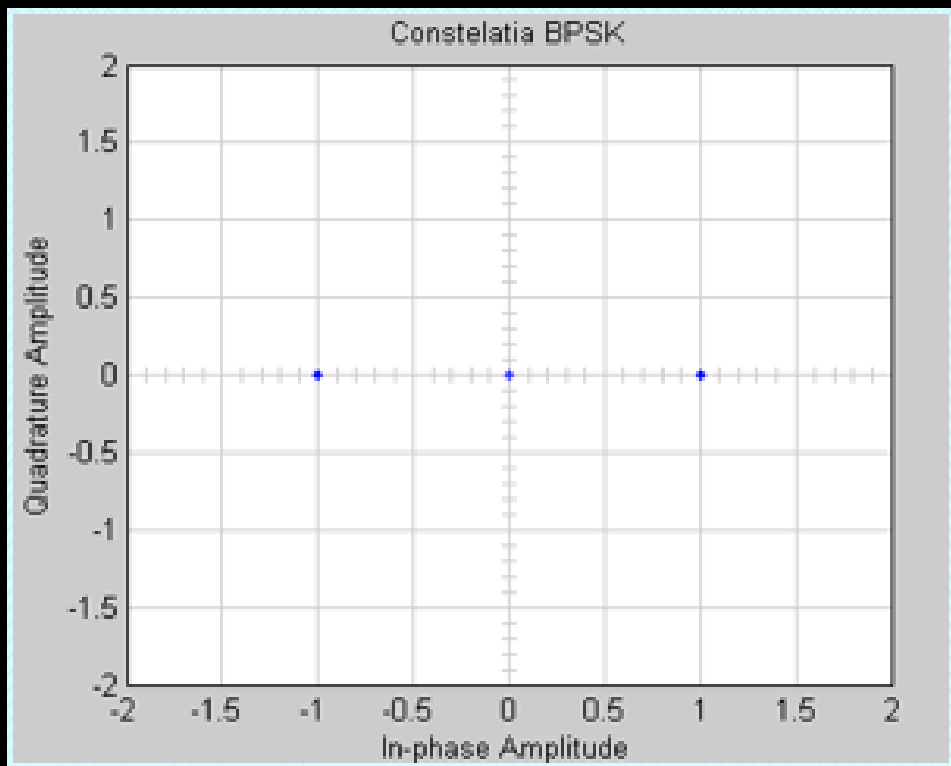
# MODULATIA BPSK

$$s_i(t) = \sqrt{\frac{2 \times E(t)}{T}} \times \cos(\omega_0 \times t + \varphi_i(t)) \quad 0 \leq t \leq T \quad i = 1, \dots, M \quad M = 2^k$$

$$\varphi_i(t) = \frac{2 \times \pi}{M} \times i$$

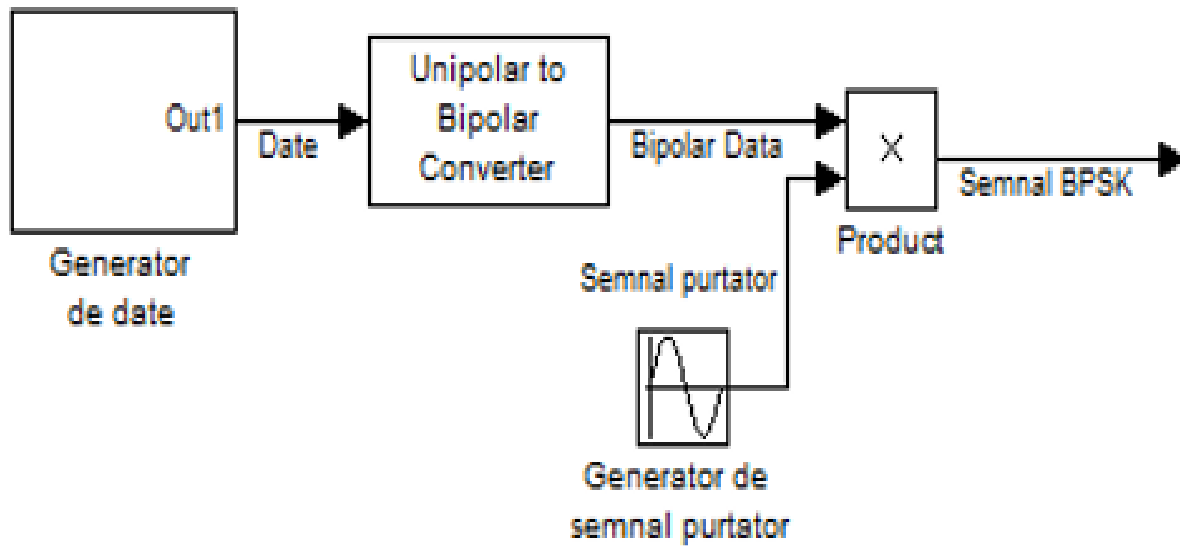
$$\omega_0 = 2 \times \pi \times f_0$$

La BPSK,  $k = 1$ .

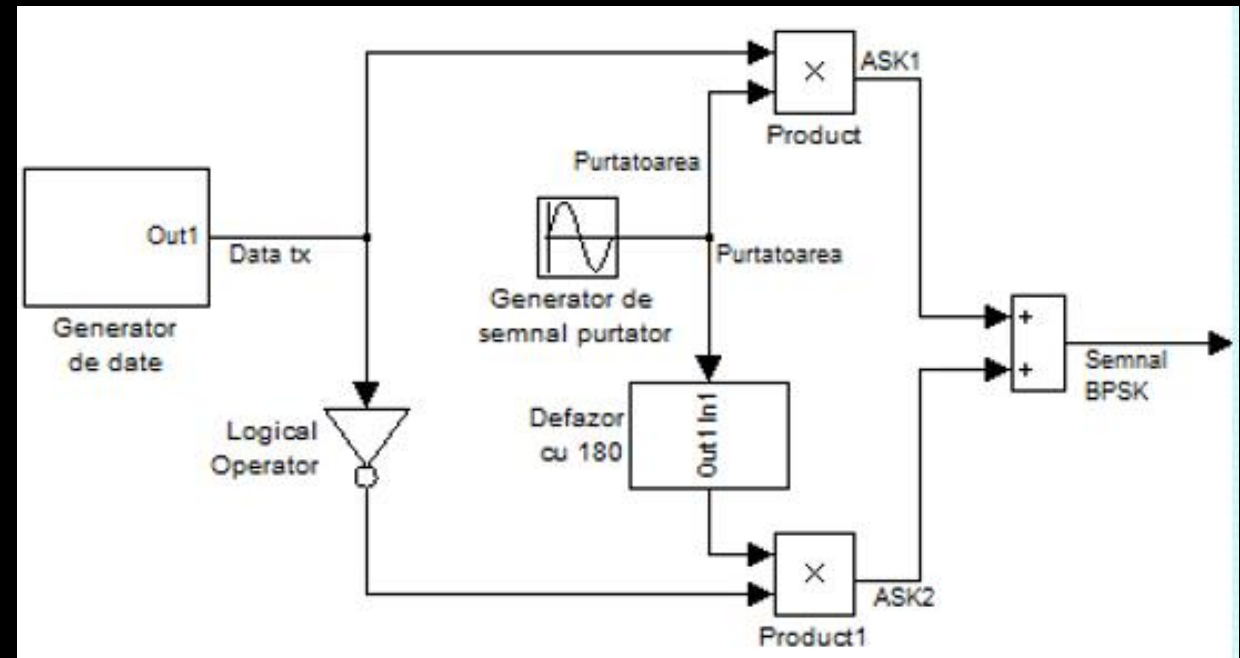


# MODULATOARE BPSK

-Cu operator de produs:



-Echilibrat:

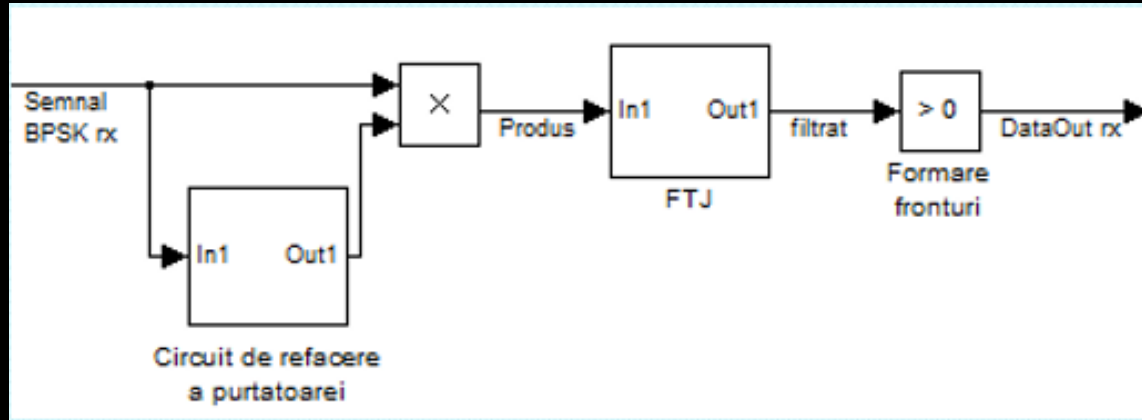


# DEMODULATOARE BPSK

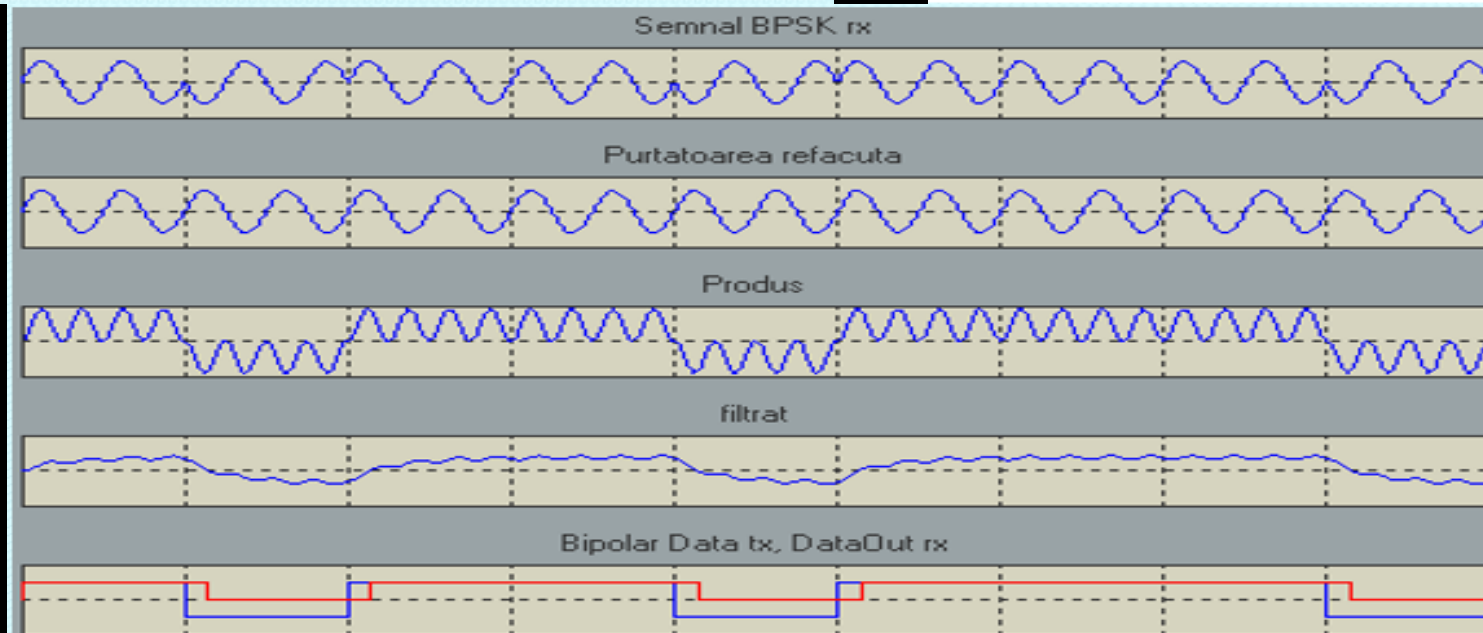
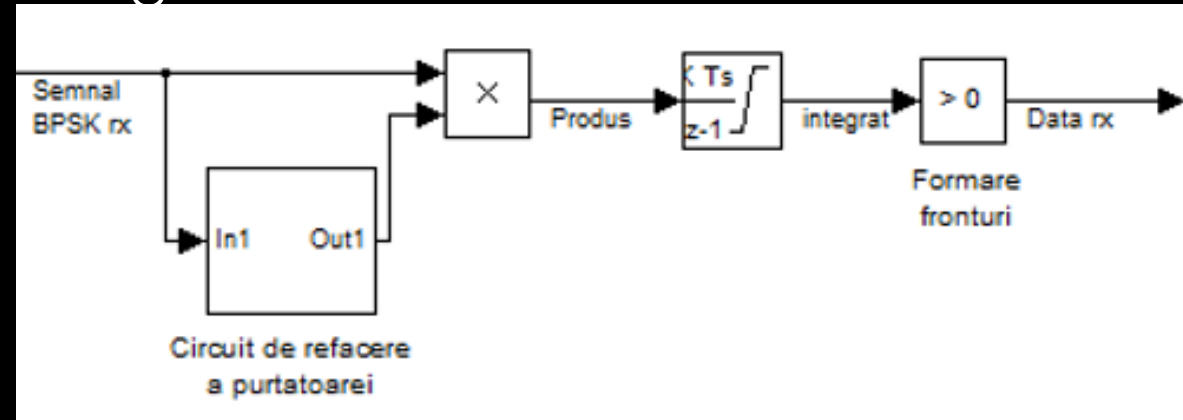
## CU MODULATOR DE PRODUS

- Cu purtatoarea refacuta sinusoidal

Cu FTJ



Cu integrator

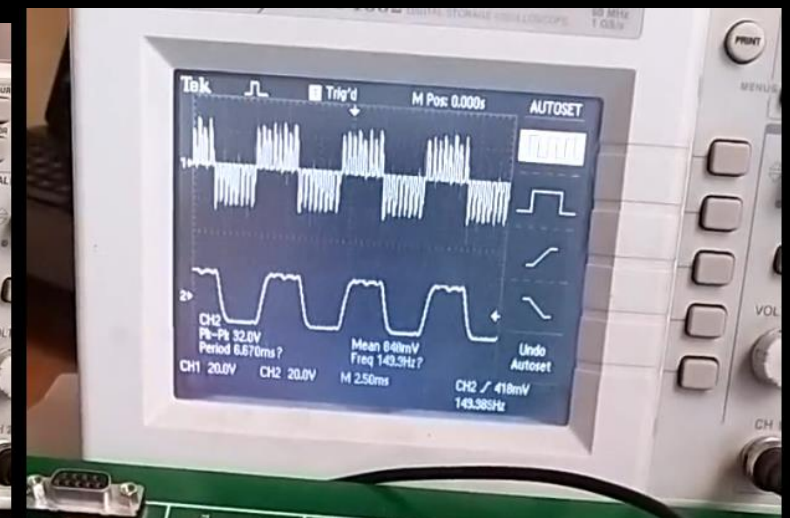
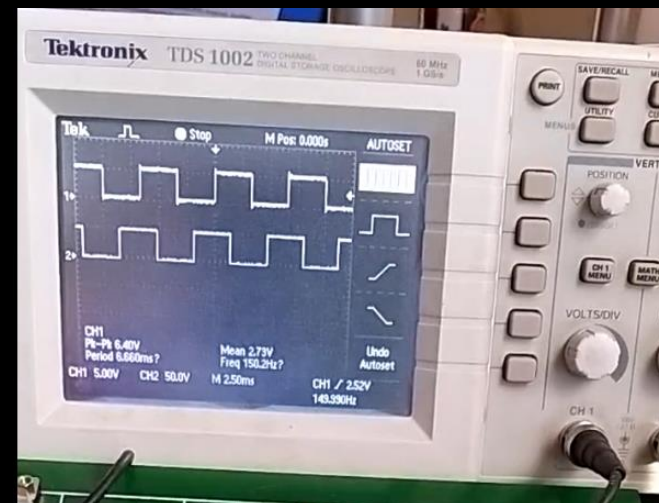
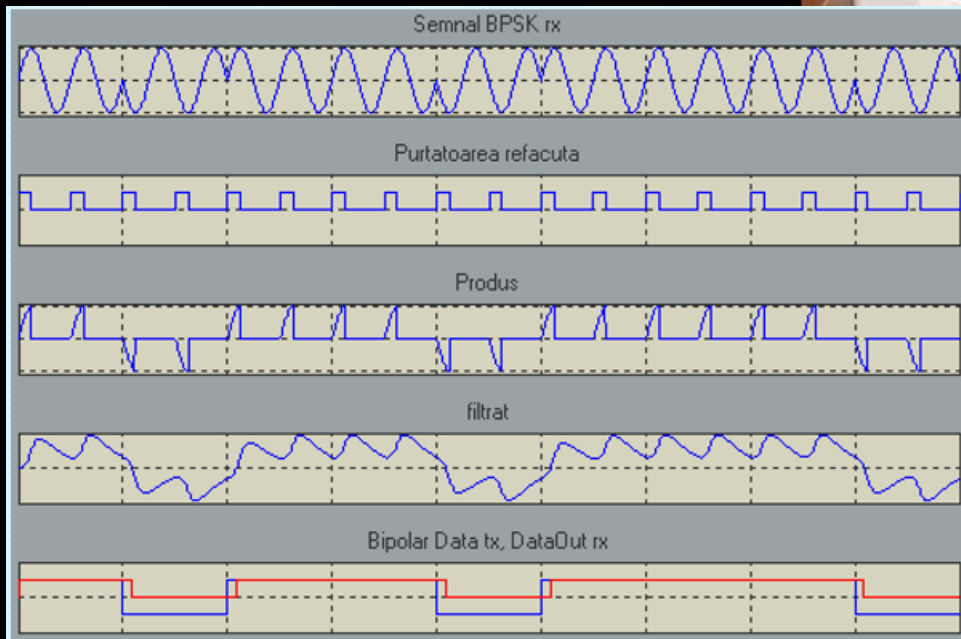
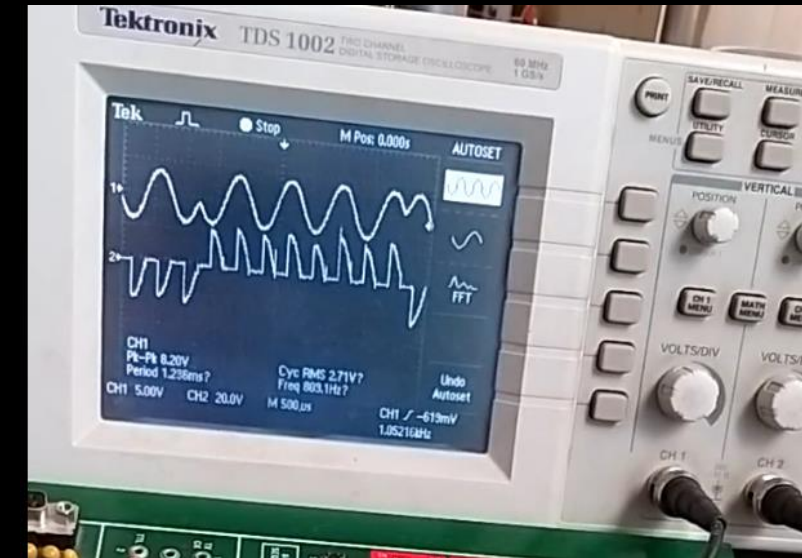
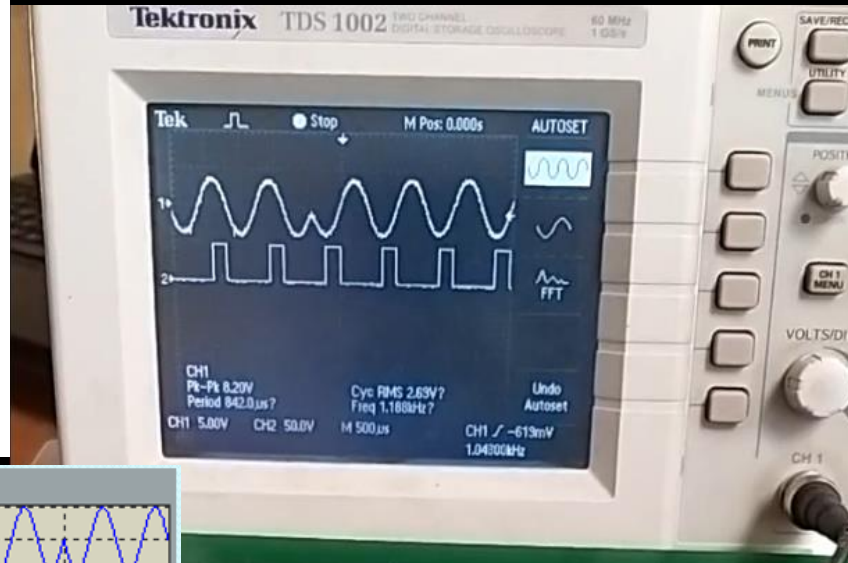
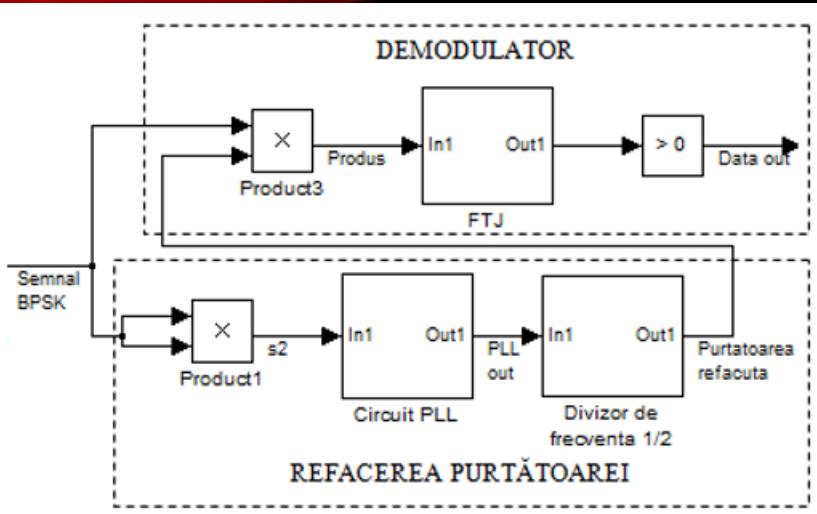




# DEMODULATOARE BPSK

- Cu purtatoarea refacuta dreptunghiular

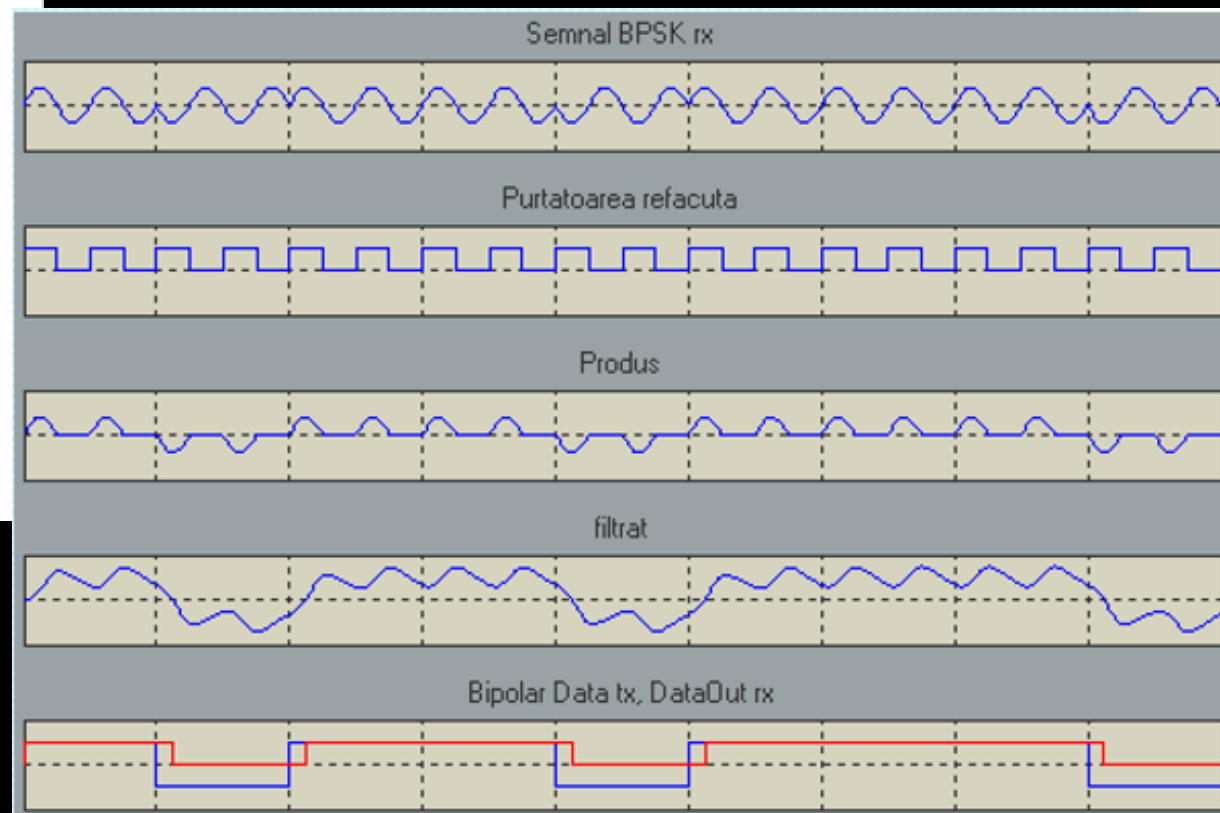
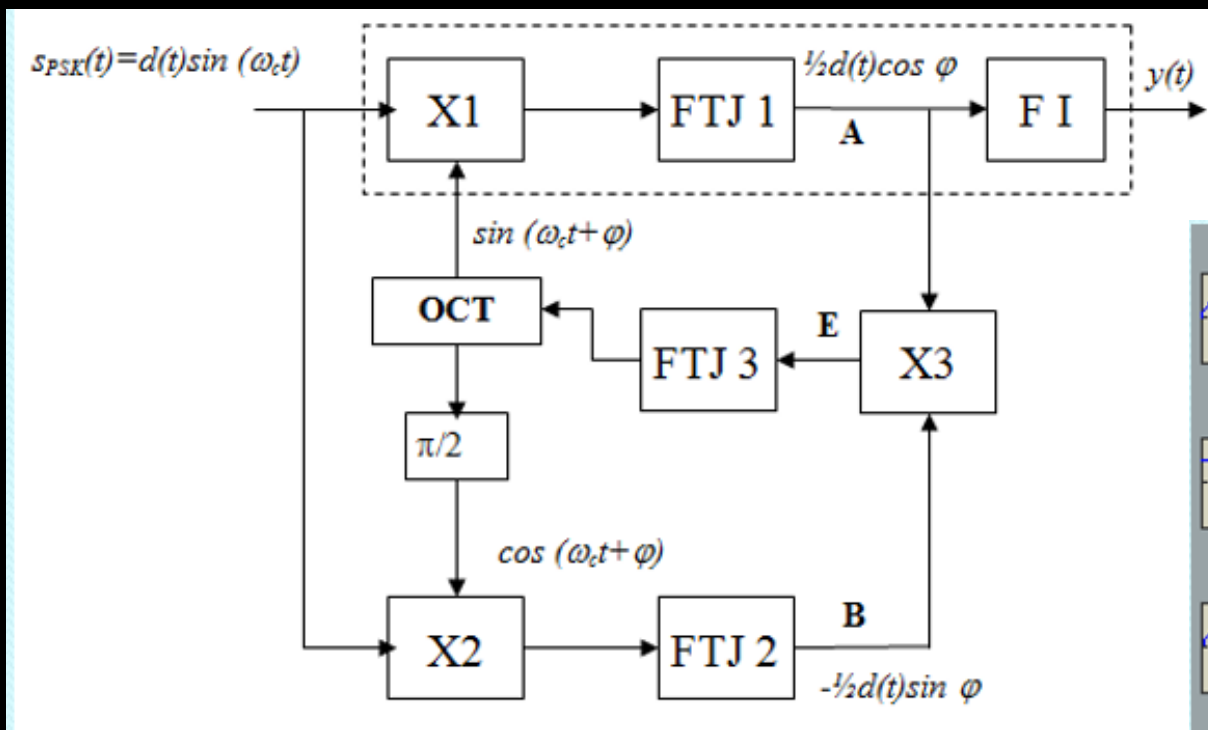
CU MODULATOR DE PRODUS



# DEMODULATOARE BPSK

## CU MODULATOR DE PRODUS

- Cu bucla Costas



# MODULATIA QPSK

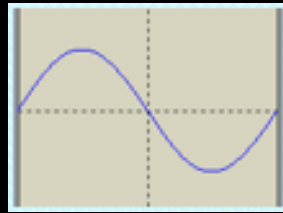
- $s_i(t) = \sqrt{\frac{2 \times E(t)}{T}} \times \cos(\omega_0 \times t + \varphi_i(t)) \quad 0 \leq t \leq T \quad i = 1, \dots, M \quad M = 2^k$

$$\varphi_i(t) = \frac{2 \times \pi}{M} \times i$$

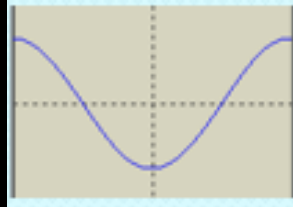
$$\omega_0 = 2 \times \pi \times f_0$$

La QPSK,  $k = 2$ .

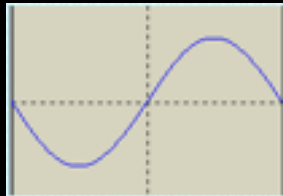
- 00 – 0



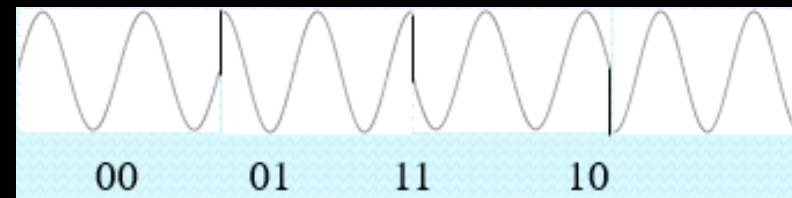
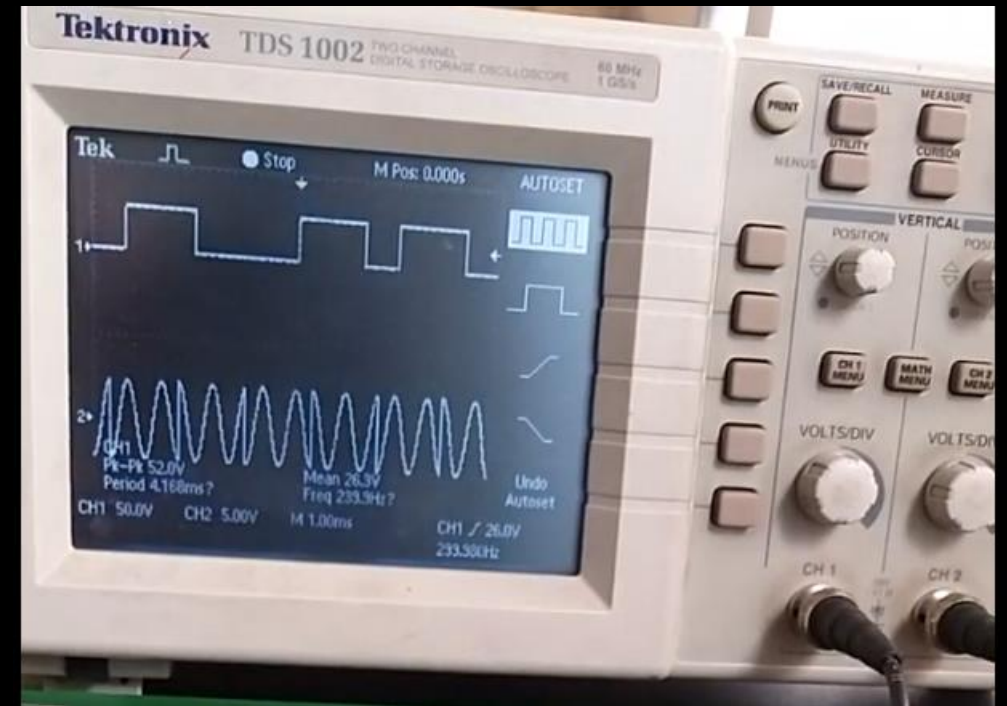
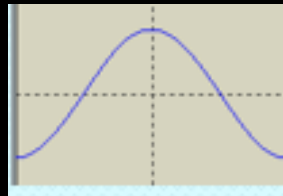
- 01 –  $\pi/2$



- 11 –  $\pi$

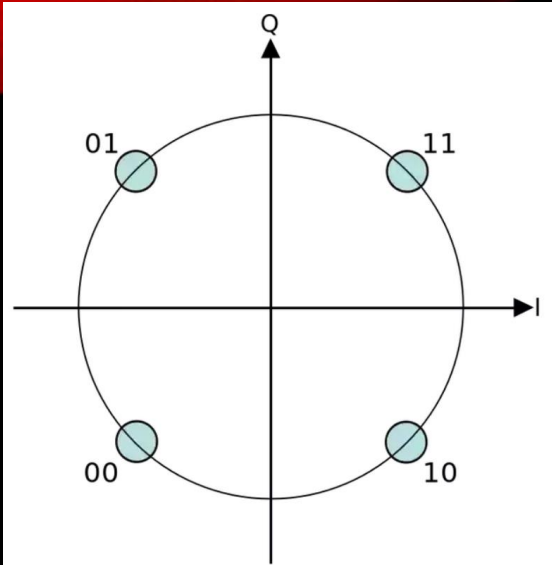


- 10 –  $3 \times \pi/2$

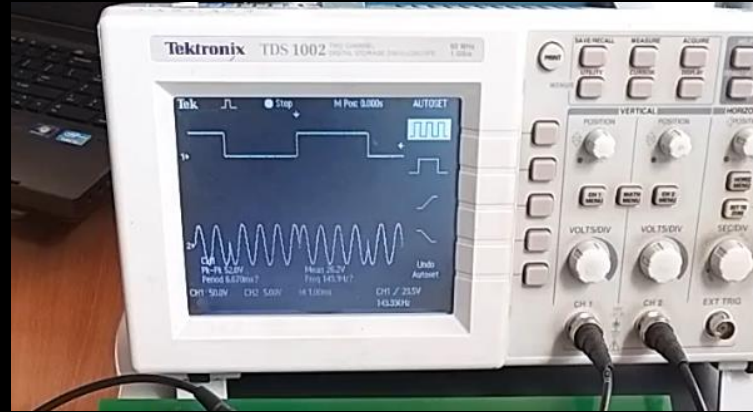




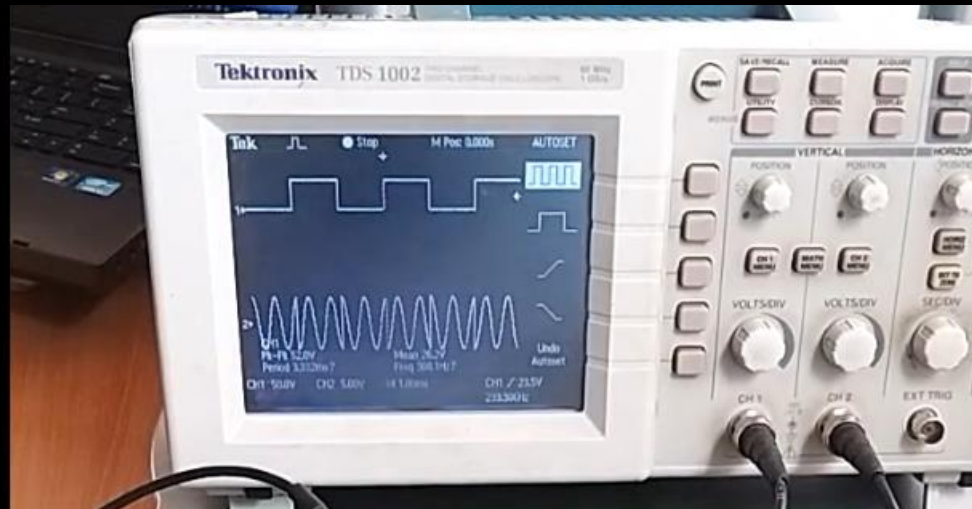
# MODULATORUL QPSK



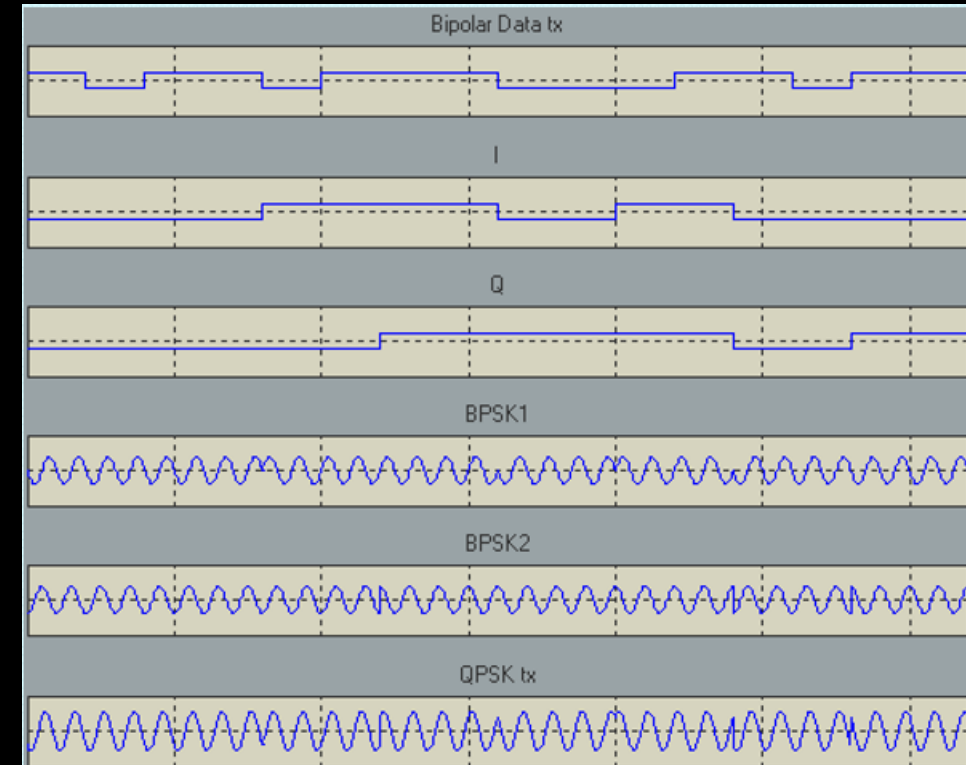
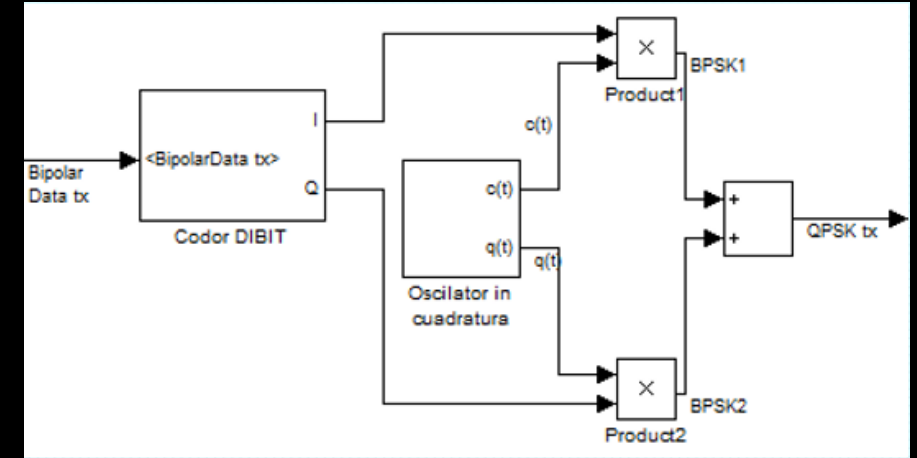
Constelatia QPSK



BPSK1



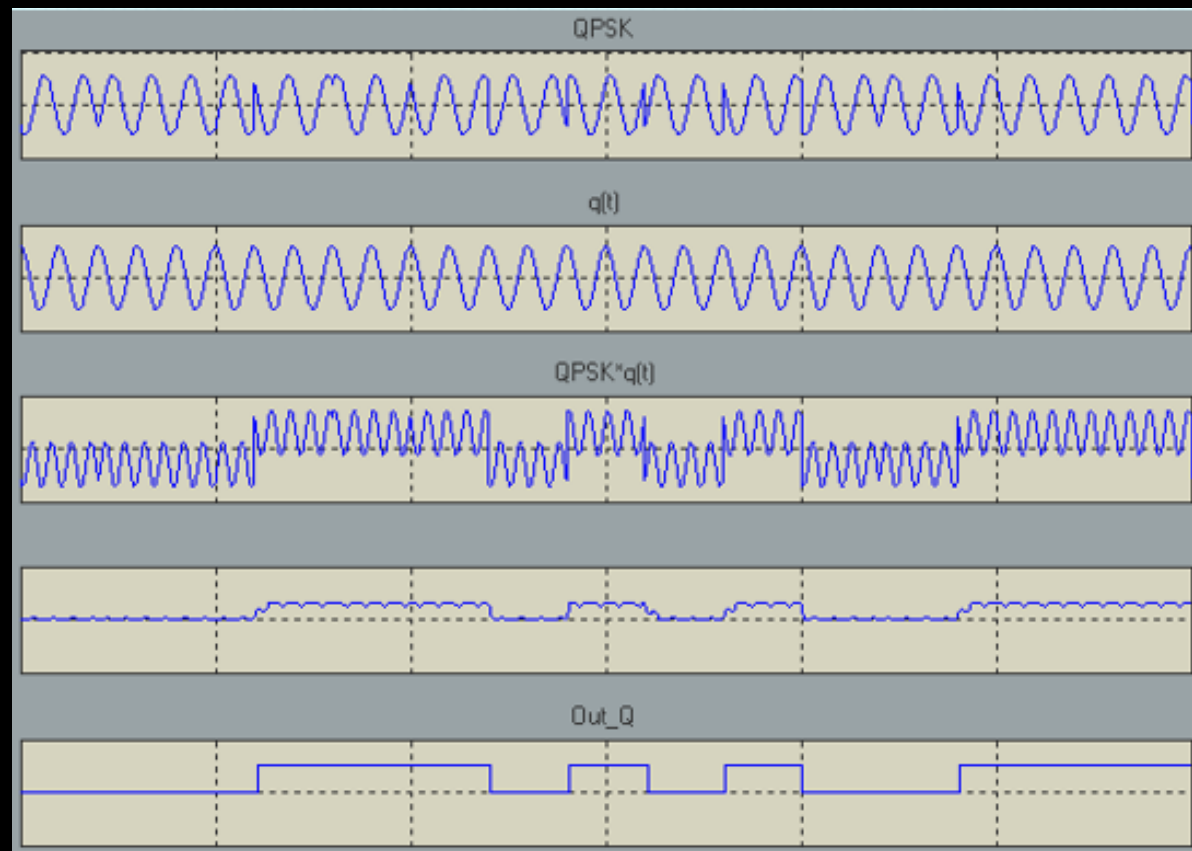
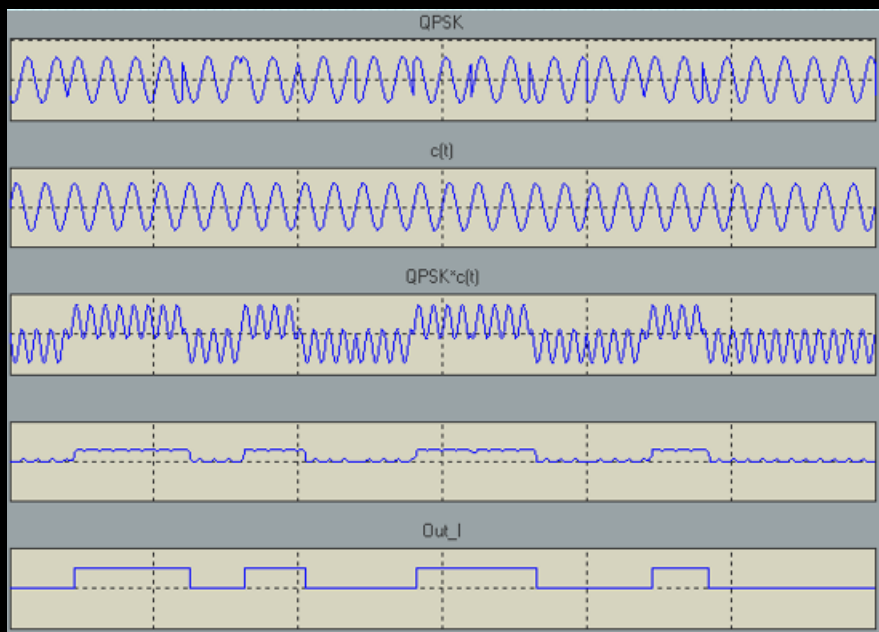
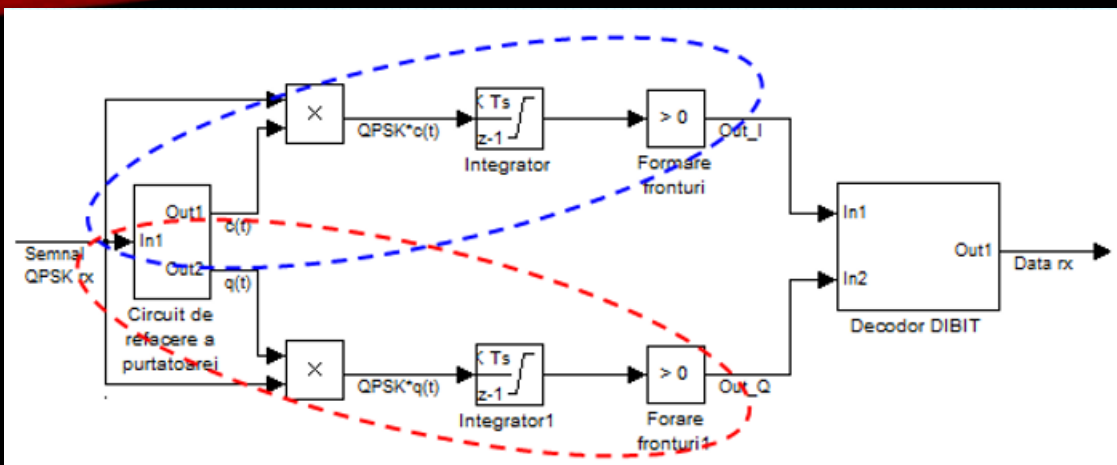
BPSK2





# DEMODULATORUL QPSK

- Este alcatuit din 2 demodulatoare BPSK





# CONCLUZIE

- QPSK este alcatuit din 2 BPSK-uri
- QPSK fie injumatateste latimea de banda fie dubleaza numarul de date transmis, deci este mai eficient
- Are o rata de erori mai mare ca la BPSK si necesita circuite mai complexe



# SFARSIT

