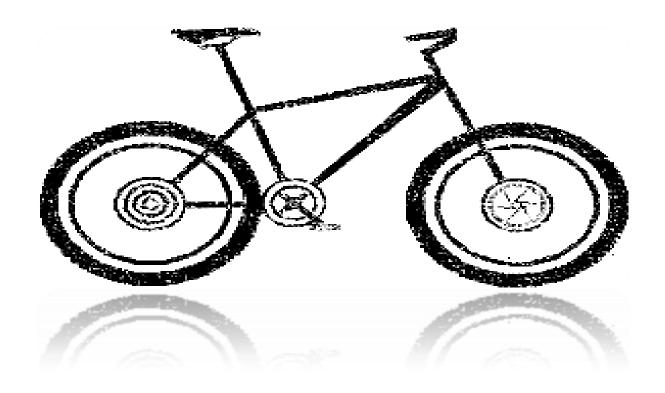
BIKE RENTING DAILY COUNT PREDICTION



Prediction and Analysis Done in R and Python

3rd October 2018

Parvesh Dhawan

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Chapter 1

Introduction

Biking is an excellent way to stay in shape while exploring local areas and communing with nature. With many biking enthusiasts eager to find new paths to explore in and around their local area. Our case study is regarding an organization who lends rental bike. According to business sense the demand of bikes for a particular day depends upon several factors like weather situation, season, holiday etc. It is important to know the demand of a particular day beforehand, so that they can meet the demand smoothly.

1.1 Problem Statement

The objective of this case is to prediction of bike rental count on daily based on the environmental and seasonal settings.

1.2 Data

The details of data attributes in the dataset are as follows:-

Variables	:	Description
Instant	:	Record index
Dteday	:	Date (Ranging from 1 st Jan 2011 to 31 st Dec 2012)
season	:	Season (1: Spring, 2: summer, 3: fall, 4: winter)
yr	:	Year (0 : 2011, 1: 2012)
mnth	:	Month (1 to 12)
Hoiliday	:	Weather day is holiday or not (Extracted from holiday schedule) (0 : Not Holiday, 1: Holiday)
Weekday	:	Day of week
Workingday	:	If day is neither weekend or holiday: 1 otherwise: 0
Weathersit	:	Situation of weather (extracted from Freemeteo) 1: Clear, Few clouds, Partly cloudy, Partly cloudy 2: Mist + Cloudy, Mist + Broken Clouds, Mist + Few Clouds, Mist 3: Light Snow, Light Rain + Thunderstrom + Scattered Clouds 4: Heavy Rain + ICE Pallets + Thunderstrom, Mist + SNOW + Fog
temp	:	Normalized Temperature in Celsius(The values are derived via (t – t_min) / (t_max / t_min)) t_min = -8, t_max = +39
atemp	:	Normalized feeling temperature in Celsius. The values are derived via (t – t_min) / (t_max / t_min)) t_min = -16, t_max = +50
hum	:	Normalized humidity. The values are divided to 100 (max)
Windspeed	:	Normalized wind speed. The values are divided to 67 (max)
casual	:	Count of casual Users
Registered	:	Count of registered users

cnt : Count of total rental bikes including both casual and registered
Basciall it is (casual + registered)

Size of Dataset Provided: - 731 observation, 16 variables.

Let's have a look on data

instant	dteday	Season	yr	mnth	holiday	weekday	workingday	weathersit
1	1/1/2011	1	0	1	0	6	0	2
2	1/2/2011	1	0	1	0	0	0	2
3	1/3/2011	1	0	1	0	1	1	1
4	1/4/2011	1	0	1	0	2	1	1
5	1/5/2011	1	0	1	0	3	1	1

Temp	Atemp	Hum	windspeed	casual	registered	cnt
0.344167	0.363625	0.805833	0.160446	331	654	985
0.363478	0.353739	0.696087	0.248539	131	670	801
0.196364	0.189405	0.437273	0.248309	120	1229	1349
0.2	0.212122	0.590435	0.160296	108	1454	1562
0.226957	0.22927	0.436957	0.1869	82	1518	1600

Categorical Variables: - season, yr, mnth, holiday, weekday, workingday, weathersit.

Continuous Variables: Instant, temp, hum, windspeed, casual, registered, cnt

According to problem statement we have to predict bike rental count on daily based on the environmental and seasonal settings.

We have three variables as the count

- 1.) Casual = Number of casual users count
- 2.) **Registered** = Number of Registered user count
- 3.) **CNT** = Total count (We we look closly into data we can easily see that **CNT** = **Casual** + **Registered**)

We will Predict our Result according to **CNT** as our Target Variable.

Chapter 2

Methodology

We have to predict the total count of bike rental which falls in the category of regression. As our output will be a continuous number. We have divided our methodology in to these parts:

> Exploratory Data Analysis

(Exploring data, Distribution of data, Visualization, Univarate, bivariate, Multivariate analysis)

Preprocessing Data

(Outliers in data, Dependencies among variables (Correlation // Anova // Chi-square // Multicollinearity), Sampling, dummies for categorical data in case of Statistical models)

Basic Modeling & K-Fold Validation

(Linear Regression, Decision Tree, Random Forest, SVR)

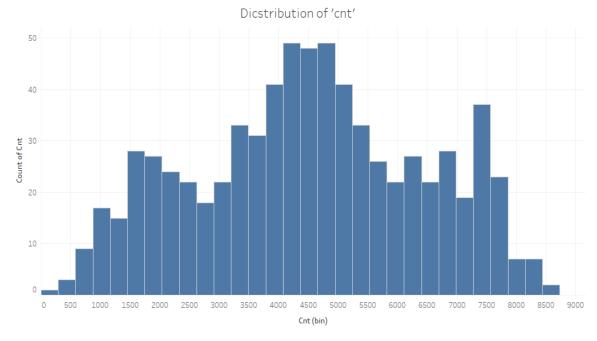
Evaluation & Optimization of Final Model

(Evaluating performances and tuning parameters for final model)

2.1 Exploratory Data Analysis

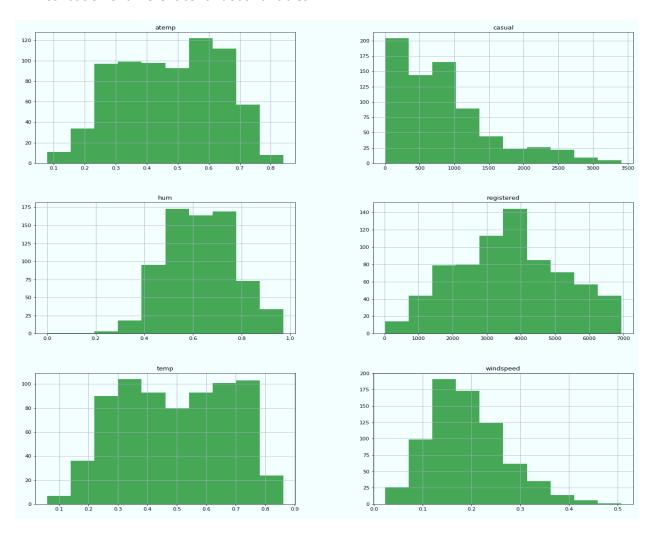
Exploratory Data analysis is an approach to analyzing data sets to summarize their main characteristics, often with visual methods. A statistical model can be used or not, but primarily EDA is for seeing what the data can tell us beyond the formal modeling or hypothesis testing task.

2.1.1 Univariate // Bivariate // Multivariate Analysis of Data



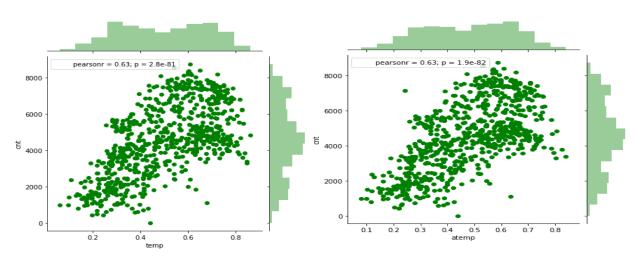
Our Target variable CNT is normally distributed.

☐ Distribution of different continuous variables

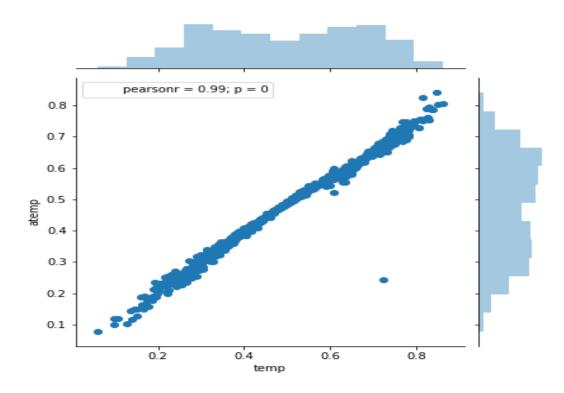


We know CNT = Casual + Registered

Here in the above visualization we can see that in way of describing our CNT variable registered cnt is normally distributed and Casual count is skewed. Mainly casual count remains in $b/w\ 0$ to 1000 counts and then they constantly decreasing.

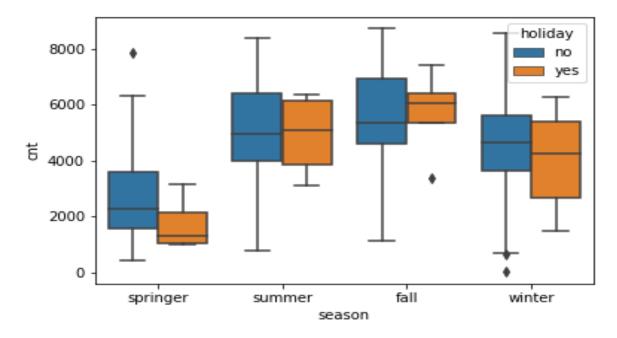


$\hfill\Box$ at emp and temp both the variables looking a bit similar.



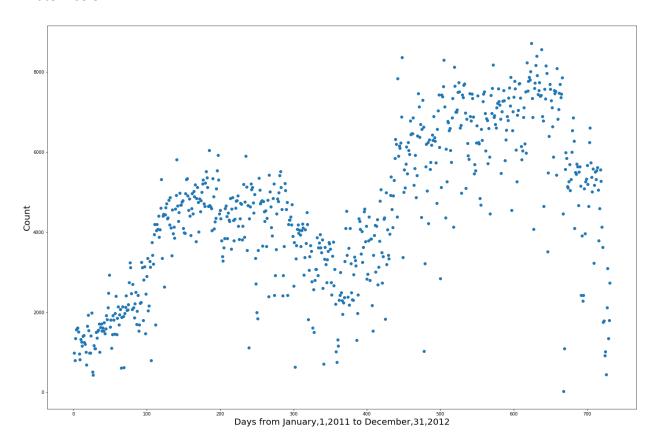
Above plot clearly shows that atemp and temp are highly correlated

$\hfill \square$ Distribution of cnt variable in different seasons with respect to holidays



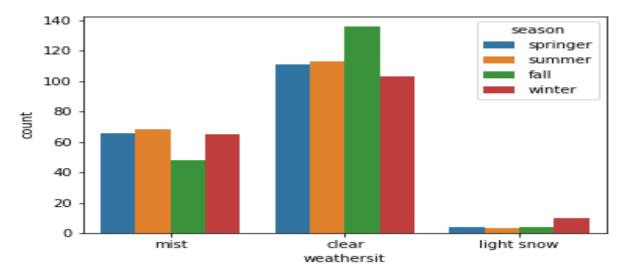
Number of CNT is increasing in springer season where day is not holiday while in season it's decreasing

☐ Date wise CNT



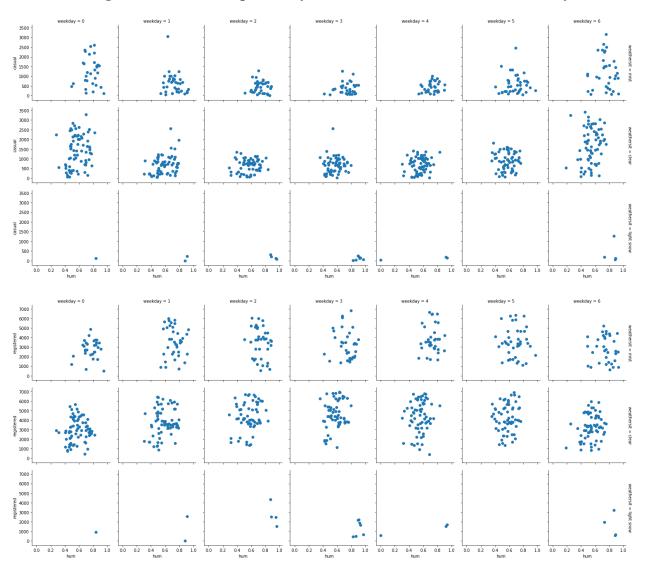
It's clearly shown that counts goes down in Starting and Ending phase of year. Also in comparison of second yr (2012) there is a massive increase in growth of CNT with respect to previous yr.

□CNT of particular season according to weather situation



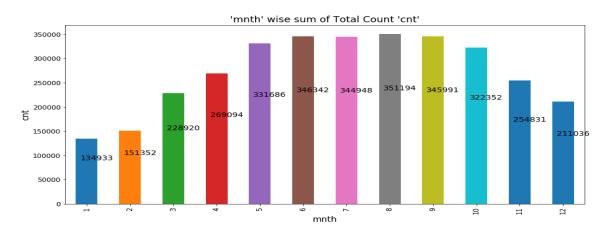
More number of users prefer to ride bike in Clear weather rather than in snow or mist.

$\hfill \Box$ Casual & Register users count in specific day in different weather situation & humidity

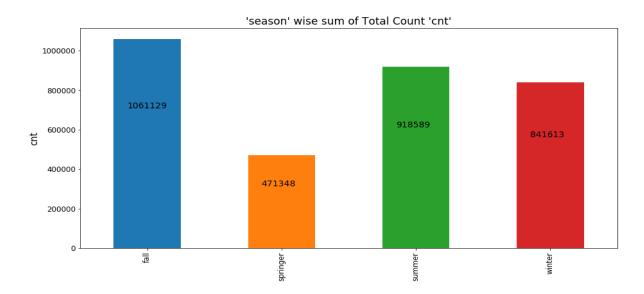


More number of casual users prefer to use bike in weekends (0,6), But there is no such case in registered users

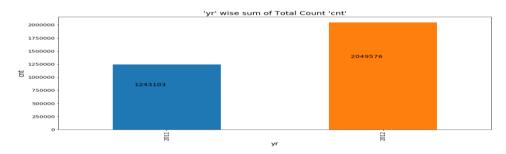
$\ \square$ MNTH wise CNT



Maximum CNT was in Month of August (8), and over all JAN and FEB months has a little low cnt with respect to other months.

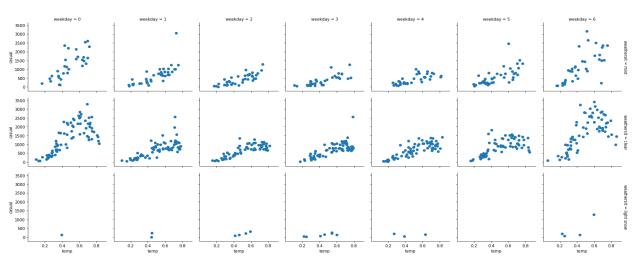


Very few people opt for Bikes in Springer season, Max users was in Fall season

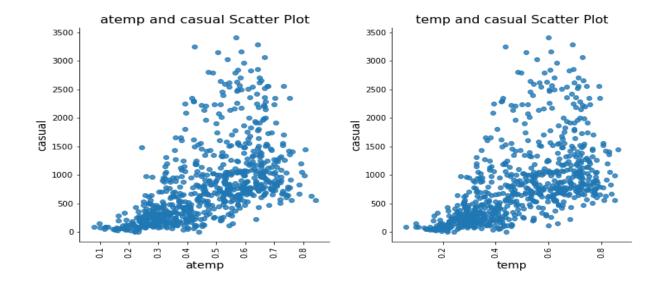


There is a really good growth in business from 2011 to 2012 END.

☐ Casual Users in Particular day wrt to Temp and Weather Situation

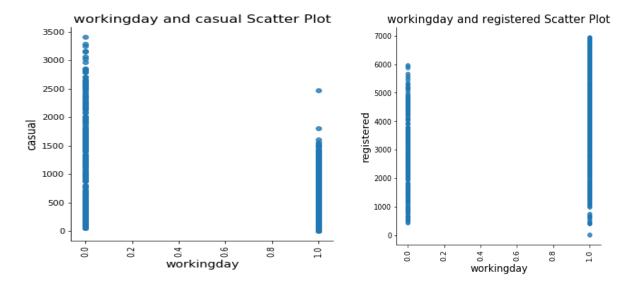


More Number of Casual Users Prefer weekend for bike rides, also as temp increases the growth of casual user increases when weather situation is clear and mist.



Also Casual Counts increasing even if atemp is increasing Casual count increasing.

Register user less prefer to go on bike rides in working days



2.1.2 Missing Values Check in Data

instant	dteday	Season	yr	mnth	holiday	weekday	workingday	weathersit
0	0	0	0	0	0	0	0	0

temp	Atemp	Hum	Windspeed	casual	registered	cnt
0	0	0	0	0	0	0

There is no missing values in the data.

2.2 Preprocessing Data

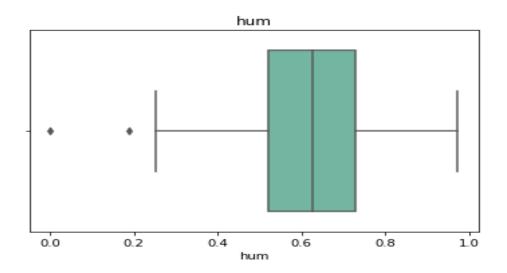
Preprocessing of the data is really important and it helps model to predict more accurately and learn accurately. Because if we are feeding raw data to machine learning models then the prediction and training won't work well.

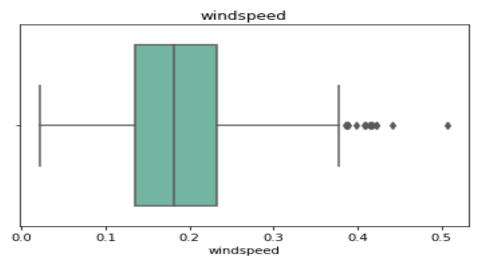
- Removing "instant" variable
- Carrying out day as (1 to 30 or 31) from dteday column and storing into same dteday column.

2.2.1 Outlier Analysis

We have used boxplot method for detecting outliers.

• Outliers majorly removed from Windspeed and Humidity column





We have replaced these values to NA and imputed with mean.

2.2.2 Feature Selection

2.2.2.1 Correlation Analysis

We have plotted all the numeric variable on plot with their correlation matrix. Correlation tells us that how strongly a pair of continuous variable are linearly related. (ranges from -1 to 1)



Variable "temp" and "atemp" are highly correlated.

2.2.2.2 Chi-sq Test for independence

Chi-square test compares two variables in a contingency table to see if they are related. It tests to see whether distributions of categorical variables differ from each another.

H0 (Null hypothesis) :- Variables are independent H1 (Alternate hypothesis) :- Variables are not independent

We get a p-value and if p-value is less than 0.05 we will reject the null hypothesis by saying that alternate hypothesis are true, which says that two variables are not independent.

So we perform it over our all the categorical columns

	dteday	season	yr	mnth	holiday	weekday	workingday	weathersit
dteday	0.000000	1.000000	1.000000	1.000000	9.840008e-01	1.000000e+00	9.999990e-01	0.563115
season	1.000000	0.000000	0.999929	0.000000	6.831687e-01	1.000000e+00	8.865568e-01	0.021179
yr	1.000000	0.999929	0.000000	1.000000	9.949247e-01	9.999996e-01	9.799434e-01	0.127379
mnth	1.000000	0.000000	1.000000	0.000000	5.593083e-01	1.000000e+00	9.933495e-01	0.014637
holiday	0.984001	0.683169	0.994925	0.559308	0.000000e+00	8.567055e-11	4.033371e-11	0.600857
weekday	1.000000	1.000000	1.000000	1.000000	8.567055e-11	0.000000e+00	6.775031e-136	0.278459
workingday	0.999999	0.886557	0.979943	0.993350	4.033371e-11	6.775031e-136	0.000000e+00	0.253764
weathersit	0.563115	0.021179	0.127379	0.014637	6.008572e-01	2.784593e-01	2.537640e-01	0.000000

2.2.2.3 Anova Test (Analyzation of Variance)

In ANOVA we measure the mean of particular categories wise group of another column and compare all of the categories wise means.

```
H0 (Null hypothesis) :- Means are Same
H1 (Alternate hypothesis) :- Means are not Same
```

We get a p-value and if p-value is less than 0.05 we will reject the null hypothesis by saying that alternate hypothesis are true, which says that two variables (categories) means are not same and variables are a lot valuable.

So we perform it over our all the categorical columns

```
Anova p- value b/w cnt and dteday ----> 0.9999983403646867 Anova p- value b/w cnt and season ----> 6.720391362913557e-67 Anova p- value b/w cnt and yr ----> 2.483539904452293e-63 Anova p- value b/w cnt and mnth ----> 4.2510770151023976e-70 Anova p- value b/w cnt and holiday ----> 0.064759357926115 Anova p- value b/w cnt and weekday ----> 0.583494082505154 Anova p- value b/w cnt and workingday ----> 0.0984949616002635 Anova p- value b/w cnt and weathersit ----> 3.10631727005391e-17
```

2.2.2.4 Multicollinearity Check (Strictly check in Statistical models)

V.I.F.=1/(1-R2).

We checked multicollinearity among all the predictors with respect to our target variables.

After analyzation of all the techniques we will remove some variables from our data which are mostly redundant variables or highly dependent among predictors or also not explaning our target variables much.

```
In Python we have removed :- 'holiday','workingday','atemp'
In R we have removed :- 'holiday','workingday','atemp','dteday'
```

We are also using cnt as our target variable so removing casual & registered from our data too.

We don't need to scaled our data as already our data is normalized (values b/w 0 & 1)

2.2.3 Sampling

We are using random sampling as our target variable is continuous.

We are passing 80% of data for training And 20% data for testing

Chapter 3

Modeling

We have a lot regression model to predict the total count of bike rental which falls in the category of regression. We have use these model on our data:-

- Linear Regression
- Decision Tree
- Random Forest
- SVR (in R & Python Both)

At first we build basic model with simplified approach and also test it on K-fold validation in python & R both.

3.1 Basic Modeling

3.1.1 Multiple Linear Regression (Python, R both)

Multiple linear regression attempts to model the relationship between two or more explanatory variables and a response variable by fitting a linear equation to observed data. Every value of the independent variable x is associated with a value of the dependent variable y. In other terms, MLR examines how multiple independent variables are related to one dependent variable. Once each of the independent factors have been determined to predict the dependent variable, the information on the multiple variables can be used to create an accurate prediction on the level of effect they have on the outcome variable. The model creates a relationship in the form of a straight line (linear) that best approximates all the individual data points.

The model for multiple linear regressions is: y = B0 + B1x1 + B2x2 + ... + Bnxn + E

Y = Target Variable

B0 = Intercept

B1 = regression coefficient that measures a unit change in the dependent variable when x1 changes – change in y

B2 = coefficient value that measures a unit change in the dependent variable when x2 changes – change in y

x1, x2, ..., xn = Predictors

E = random error in prediction, that is variance that cannot be accurately predicted by the model. Also known as residuals.

Python Implementation & results: - We have implemented MLR using scikit learn library

Linear Regression

```
In [55]: #from sklearn.linear model import LinearRegression
       linear_model = LinearRegression().fit(X_train,y_train)
       test_scores(linear_model)
       #cross_val(linear_model)
       # # Mean Score of Cross validation = 0.77
       # # Standard Deviation of CV = 0.05
       <<<---->
       R2 score ==>
                   0.79
       Mean absolute percentage error ==> 51.21 %
       Root Mean Squared Error ==> 909.67
       <<<---->
       R2 score ==>
                   0.83
       Mean absolute percentage error ==> 15.91 %
       Root Mean Squared Error ==> 749.36
```

R Implementation & Results :-

```
summary(1r_model)
lm(formula = cnt ~ ., data = dum_train_df)
Residuals:
                  Median
    Min
              1Q
                               3Q
                                      Max
-3906.7
        -373.0
                    95.0
                            460.1 2973.7
Coefficients: (5 not defined because of singularities)
                Estimate Std. Error t value Pr(>|t|)
                                              < 2e-16 ***
               3785.6127
(Intercept)
                            420.8110
                                       8.996
                            214.1508
                                      -7.450 3.57e-13 ***
season.1
              -1595.5295
              -859.0061
                                      -3.477 0.000546 ***
season.2
                            247.0208
                                      -4.899 1.27e-06 ***
season.3
              -1094.2183
                            223.3764
season.4
                      NA
                                  NA
                                          NA
                                                    NA
                                               < 2e-16 ***
              -2020.2957
                             67.0444 -30.134
yr.0
yr.1
                      NA
                                  NA
                                          NA
                            214.8438
mnth.1
                 17.4659
                                       0.081 0.935236
                151.9662
mnth.2
                            215.7609
                                       0.704 0.481523
                656.9887
                                       2.989 0.002925 **
mnth.3
                            219.8251
mnth.4
                748.6509
                            279.3453
                                       2.680 0.007580 **
               1000.9090
841.6672
mnth.5
                            294.8310
                                        3.395 0.000736 ***
mnth.6
                            303.6742
                                       2.772 0.005764 **
                513.1224
                            322.9773
                                       1.589 0.112690
mnth.7
                            307.2705
mnth.8
                943.9697
                                       3.072 0.002229 **
                                       5.352 1.27e-07 ***
2.741 0.006319 **
               1368.8519
                            255.7440
mnth.9
mnth.10
                529.9889
                            193.3434
                            181.4724
                                      -0.477 0.633297
mnth.11
                -86.6267
```

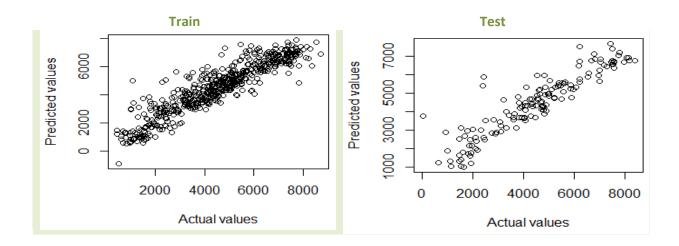
```
mnth.12
                                             NA
                                    NA
weekday.0
                -329.9252
                             118.4391
                                         -2.786 0.005525
                -224.7965
                             119.5683
weekday.1
                                         -1.880 0.060621
weekday.2
                -148.1312
                             124.4084
                                         -1.191 0.234285
                 -37.4670
                             121.8881
                                         -0.307 0.758662
weekday.3
                  -0.7287
                             121.8525
                                         -0.006 0.995231
weekday.4
                  23.7245
                             122.1958
                                          0.194 0.846128
weekday.5
weekday.6
                        NA
                1679.3626
                             230.9475
                                          7.272
                                                1.21e-12
weathersit.1
weathersit.2
                             212.5450
                                          5.507
                                                 5.59e-08
                1170.4357
weathersit.3
                        NA
                4074.8250
                             478.2404
temp
                                            520
                                                  < 2e-16
               -1231.0254
                             345.0183
                                            568
hum
                                                0.000391 ***
               -2889.9802
                             500.4522
                                         -5.775
                                                1.28e-08 ***
windspeed
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 783 on 557 degrees of freedom
Multiple R-squared: 0.8419, Adjusted R-squared: 0.8345 F-statistic: 114.1 on 26 and 557 DF, p-value: < 2.2e-16
```

Train Score in R:-

RMSE	Rsquared	MAE N	MAPE	
764.7333338	0.8418996	567.3068215	18.10889	

Test Score in R:-

RMSE	Rsquared	MAE	MAPE	
813.5281365	0.8380681	570.5679825	132.6598	

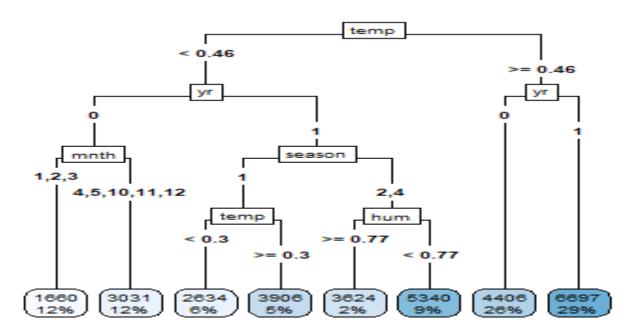


```
k-Fold Score-----→
Linear Regression
584 samples
  8 predictor
No pre-processing
Resampling: Cross-Validated (10 fold)
Summary of sample sizes: 526, 526, 526, 525, 525, 527, ...
Resampling results:
  RMSE
           Rsquared
                      MAE
  787.4999 0.8330961
                      577.4846
Tuning parameter 'intercept' was held constant at a value of TRUE
[1] "Train Results____
       RMSE
                               MAE
              Rsquared
                                     MAPE
758.9749251
             0.8436258
                           551.2978376 44.49676
[1] "Test Results____"
       RMSE
              Rsquared
                               MAE
                                       MAPE
819.1619491 0.8323536
                           607.1284566
                                          18.1889
```

3.1.2 Decision Tree (Python, R both)

Decision tree belongs to the family of supervised learning algorithms. Unlike other supervised learning algorithms decision trees can also be used for solving regression and classification problem. The general motive of decision tree is to create a training model which can be used to predict class or value of target variables by learning decision rules inferred from training data.

Basically Decision tree is a rule based approach and it uses tree like structured. Each internal node of the tree corresponds to an attribute, and each leaf node corresponds to a class label.



R Results :- Score on Train data Set

RMSE	Rsquared	MAE	MAPE
882.627663	0.788522	669.913980	50.53993

Score on Test data set

RMSE	Rsquared	MAE	MAPE	
994.6383091	0.7534896	740.8181183	24.68454	

R - KFOLD Results

```
584 samples
8 predictor

No pre-processing
Resampling: Cross-Validated (10 fold)
Summary of sample sizes: 526, 526, 526, 525, 527, ...
Resampling results across tuning parameters:

Cp RMSE Rsquared MAE
0.0929130 1212.919 0.6115141 946.2181
```

```
0.1954057 1380.578 0.4859650 1118.3734
0.3967762 1753.185 0.3323691 1442.7208

RMSE was used to select the optimal model using the smallest value.

The final value used for the model was cp = 0.092913.
```

R_K-fold On train & Test

Train Data Set									
RMSE	Rsquared	MAE	MAPE						
1225.6830506	0.5921819	956.2100801	60.5995						
[1] "Test Resu	[1] "Test Results"								
RMSE	Rsquared	MAE	MAPE						
1445.7222719	0.4797925	1111.5221958	41.44316						

Python Implementation & Result

Decision Tree

3.1.3Random Forest (Python, R both)

A group of decisions Trees is random forest. The Random forest model is a type of additive model that makes prediction by combining decisions from a sequence of base models.

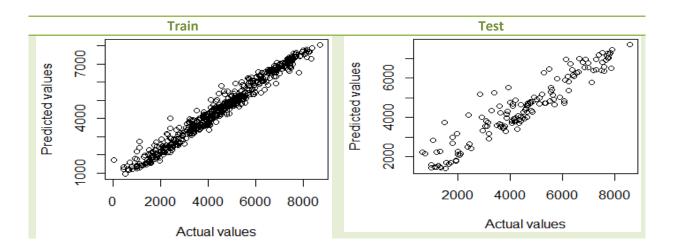
In case of regression while predicting the output we go for mean of all the favorable rule case values.

Python Implementation & Results :-

Random Forest

R Implementation & Result :-

```
#Train Result
       RMSE
               Rsquared
                                 MAE
                                             MAPE
                             266.8893737
                                            22.32626
360.8331827
              0.9715328
> #Test Result
       RMSE
               Rsquared
                                 MAE
                                            MAPE
696.6882159
              0.8914143
                             515.0344634
                                           18.40136
```



K-Fold _R

```
Random Forest
584 samples
 8 predictor
No pre-processing
Resampling: Cross-Validated (10 fold)
Summary of sample sizes: 525, 525, 526, 524, 527, 526, ...
Resampling results across tuning parameters:
 mtry RMSE
                Rsquared
                            MAE
  2
       1077.2514 0.8104534 874.4480
  14
       713.1750 0.8639806 512.1298
  26
       738.9963 0.8528719 527.0111
RMSE was used to select the optimal model using the smallest value.
The final value used for the model was mtry = 14.
Trainset Result
     RMSE Rsquared
                         MAE
                                    Маре
320.728461 0.974213 226.416473 22.12491
[1] "Test Results____"
      RMSE
              Rsquared
                              MAE
                                       Маре
691.9079736 0.8829989 490.4303747 16.82319
```

3.1.4Support Vector Regression (Python, R both)

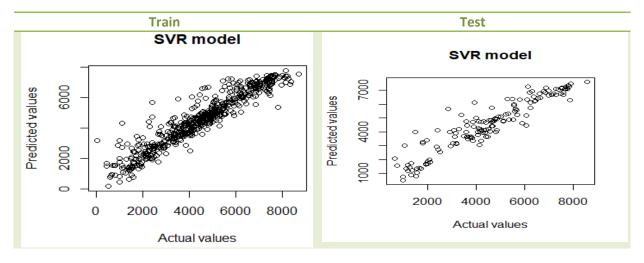
Python Implementation & Execution :-

SVR

```
In [82]:
           #from sklearn.svm import SVR
           svr_model = SVR(kernel='poly').fit(X_train,y_train)
           test_scores(svr_model)
         4
           #cross val(svr model)
           # Mean Score of Cross validation =
           # Standard Deviation of CV = 0.05
          <<<----- Training Data Score
          R2 score ==>
                      0.63
          Mean absolute percentage error ==> 60.32 %
          Root Mean Squared Error ==> 1193.03
          <<<---->
          R2 score ==>
                       0.57
          Mean absolute percentage error ==> 33.13 %
          Root Mean Squared Error ==> 1189.3
```

Implement & results in SVR in R:-

```
Train-→
       RMSE
               Rsquared
                                 MAE
                                             MAPE
630.8113042
              0.8942029
                             431.6573680
                                             39.08898
Test-→
       RMSE
               Rsquared
                                 MAE
                                               MAPE
723.3702920
              0.8706781
                              518.0798590
                                              18.16382
```



K-FOLD on SVR

```
Support Vector Machines with Polynomial Kernel
584 samples
  8 predictor
No pre-processing
Resampling: Cross-Validated (10 fold)
Summary of sample sizes: 526, 525, 526, 527, 525, 528, ...
Resampling results across tuning parameters:
 degree scale C
                               Rsquared
                     RMSE
                                          MAE
         0.001 0.25 1681.7867 0.7032765 1372.5838
  1
 1
         0.001 0.50
                    1490.9693 0.7439150 1212.2818
                    1218.7793 0.7754978 980.3416
  1
         0.001 1.00
 1
         0.010 0.25
                     920.8427 0.8123237 708.2917
  1
         0.010 0.50
                     837.4816 0.8237978
                                          621.3859
  1
         0.010 1.00
                      803.7380 0.8309600
                                           585.1623
 1
         0.100 0.25
                     792.0432 0.8335058
                                           573.1250
                     793.3774 0.8332051
  1
         0.100 0.50
                                           575.0569
  1
         0.100 1.00
                     797.5155 0.8316658
                                           577.6770
  2
         0.001 0.25
                     1490.1031 0.7440112 1211.6409
  2
         0.001 0.50
                     1217.6915 0.7754459 979.2938
  2
         0.001 1.00
                     970.5590 0.8045301 755.6620
  2
         0.010 0.25
                     822.9899 0.8288525
                                          611.5709
  2
         0.010 0.50
                      784.1622 0.8385501 569.1975
  2
         0.010 1.00
                      769.4221 0.8427435
                                           556.0996
  2
         0.100 0.25
                      730.6111 0.855828 519.2328
                      748.8974 0.8539718 535.8722
  2
         0.100 0.50
                      770.4169 0.8485512
  2
         0.100 1.00
                                           555.3403
  3
         0.001 0.25 1335.1974 0.7628408 1081.0658
```

```
0.001 0.50 1060.2239 0.7933744
 3
                                          837.1814
 3
         0.001 1.00
                      890.4314 0.8166279
                                          678.3667
         0.010 0.25
 3
                      789.2046 0.8375986
                                          576.6057
         0.010 0.50
                      764.6491 0.8447100
 3
                                          553.0752
 3
         0.010 1.00
                      745.4743 0.8514928
                                          535.7259
 3
         0.100 0.25
                     805.0688 0.8310277
                                          581.1356
                                          611.5403
 3
         0.100 0.50
                     843.8651 0.8168104
 3
         0.100 1.00
                      884.8757 0.8021562
                                          648.8860
RMSE was used to select the optimal model using the smallest value.
The final values used for the model were degree = 2, scale = 0.1 and
C = 0.25.
Training Set-----→
      RMSE
             Rsquared
                             MAE
                                    MAPE
518.3628922 0.9279306 344.8343797 29.09403
 [1] "Test Results____"
      RMSE
             Rsquared
                             MAE
                                     MAPE
717.9788887 0.8745238 495.7036158
                                     17.34821
```

Chapter 4

Model Evaluation

We have implemented four different model on bike rental prediction problem in both R and Python.

In regression we have different metrics for checking the performance or out models.

We have used r2 score, MAPE, RMSE.

According to these different evaluation metrics we evaluate our models in R and Python.

Let's Compare all the results:-

Base models result in Python:-

Train Data			Test Data			
	R2	MAPE	RMSE	R2 MAPE RMSE		
MLR	0.79	51.21	909.67	0.83 15.91 749.36		
Decision Tree	1	0	0	0.68 16.92 1031.36		
Random Forest	0.98	<mark>17.96</mark>	<mark>261.43</mark>	0.92 11 .98 511 .86		
SVR	0.63	60.32	1193.03	0.57 33.13 1189.3		

We can see that Random Forest out perform every model in Python.

K-fold validation Results in Python:-

	MEAN	SD
MLR	0.77	0.05
DT	0.73	0.6
RF	<mark>0.87</mark>	<mark>0.03</mark>
SVR	0.6	0.05

Result Comparison In R

Base Models Result on Train & Test Data

	Train Data				
	R2	MAPE	RMSE	MAE	
MLR	0.84	18.11	764.73	567.31	
Decision Tree	0.79	50.54	882.63	669.91	
Random Forest	0.97	<mark>22.32</mark>	360.83	<mark>266.89</mark>	
SVR	0.89	39.09	630.81	431.66	

	Test Data				
	R2	MAPE	RMSE	MAE	
MLR	0.84	132.66	813.53	570.57	
Decision Tree	0.75	24.68	994.64	740.82	
Random Forest	0.89	<mark>18.4</mark>	<mark>696.69</mark>	515.03	
SVR	0.87	18.16	723.37	518.08	

K-fold Cross Validation Results :-

	CV-10		
	RMSE	R2	MAE
MLR	787.5	0.83	577.48
Decision Tree	1212.92	0.61	946.22
Random Forest	<mark>713.17</mark>	<mark>0.86</mark>	<mark>512.13</mark>
SVR	730.61	0.85	519.23

Cross fold model applied on Data separately Train & Test

		CV_TRAIN				CV_Test		
	RMSE	R2	MAE	MAPE	RMSE	R2	MAE	MAPE
MLR	758.97	0.84	551.3	44.5	819.16	0.83	607.13	18.19
Decision Tree	1225.68	0.59	956.21	60.6	1445.72	0.48	1111.52	41.44
Random Forest	<mark>320.73</mark>	<mark>0.97</mark>	<mark>226.42</mark>	<mark>22.12</mark>	<mark>691.91</mark>	<mark>0.88</mark>	<mark>490.43</mark>	<mark>16.82</mark>
SVR	518.36	0.92	344.83	29.09	717.98	0.87	795.7	17.35

Finally in R & Python we are finalizing Random Forest as our Final Model.

FINAL MODEL ==== RANDOM FOREST

Final Model Result after hyper parameter optimization :-
<<<>
R2 score ==> 0.98
Mean absolute percentage error ==> 15.74 %
Root Mean Squared Error ==> 252.41
<<>
R2 score ==> 0.93
Mean absolute percentage error ==> 11.75 %
Root Mean Squared Error ==> 489.5

CV Mean = 0.88

Standard Dev = 0.03

Final Model with Optimized Parameters :- RANDOM FOREST

```
In [62]: 

#from sklearn.ensemble import RandomForestRegressor

forest_model = RandomForestRegressor(max_depth= 15, max_features = 'sqrt',n_estimators = 500,random_state=101).fit(X_train,y_t test_scores(forest_model)

## Kean Score of Cross validation = 0.88

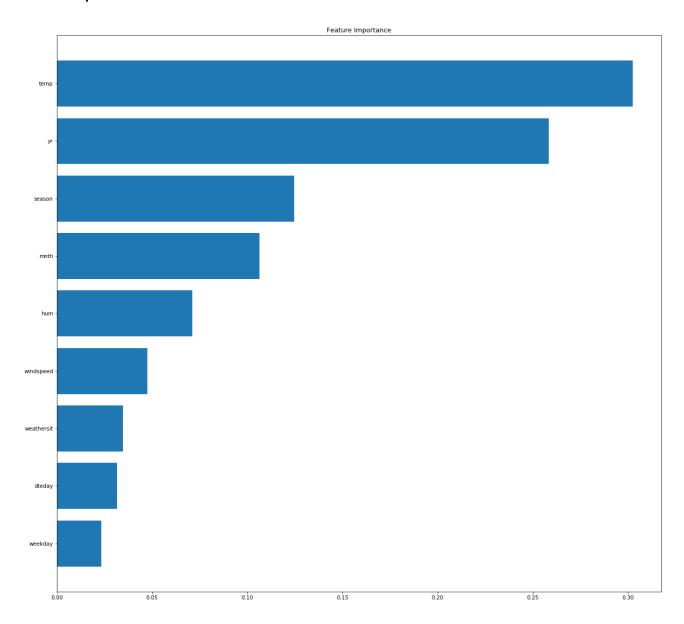
## Standard Deviation of CV = 0.03

## max_depth= 10, max_features = 'sqrt',n_estimators = 500

## max_depth = 15, max_features = 'sqrt', min_samples_leaf = 2, n_estimators = 500

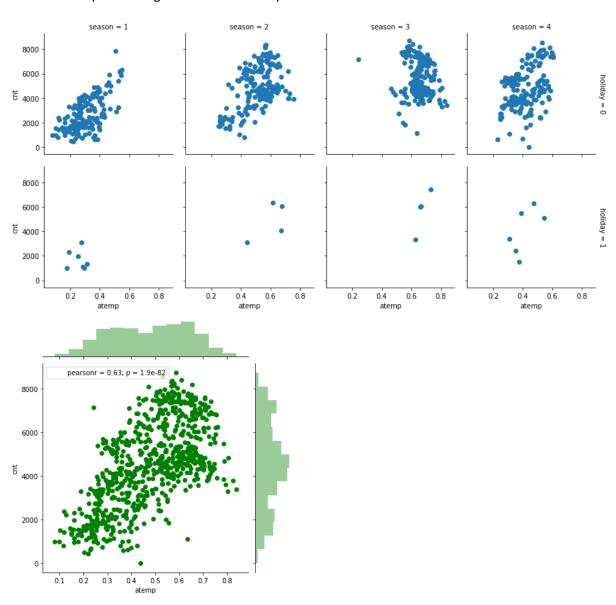
## max_depth = 10, max_features = 'sqrt', n_estimators = 300
```

Features Importance to Our total count variable :-

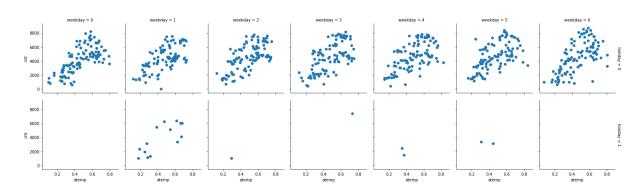


Appendix: l (Extra analysis Images)

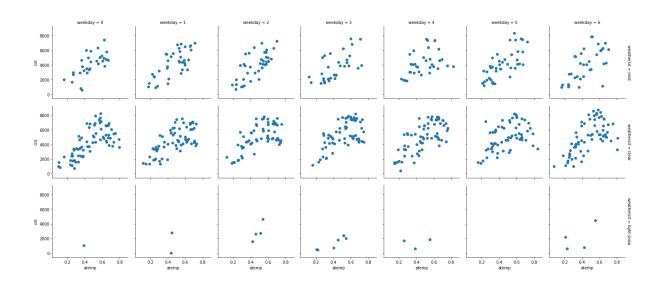
Cnt with atemp according to season & holiday

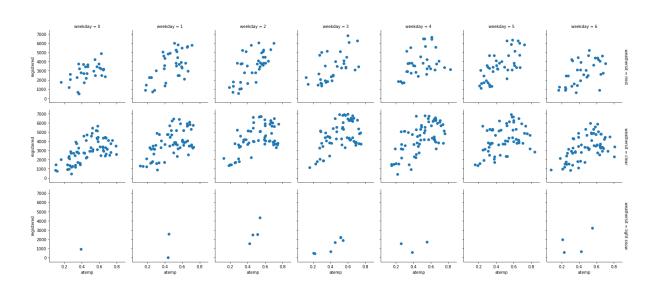


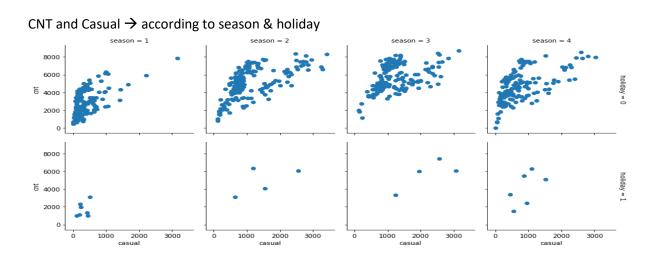
Weekday & holiday \rightarrow cnt & atemp

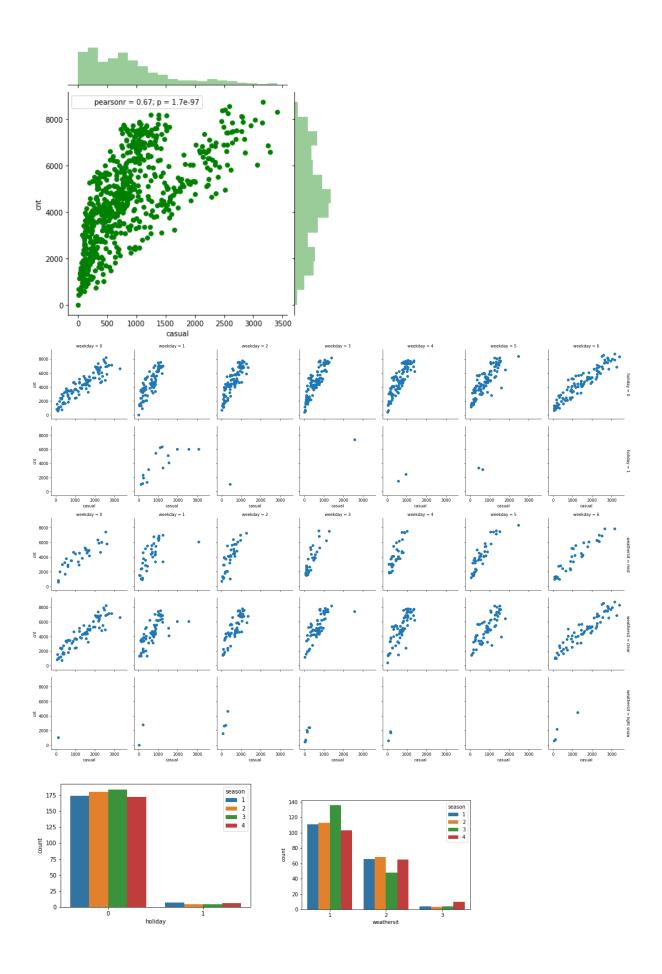


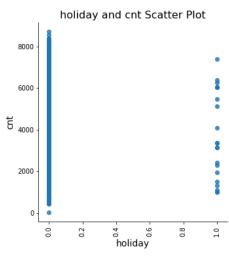
Weekday & weathersit → cnt atemp

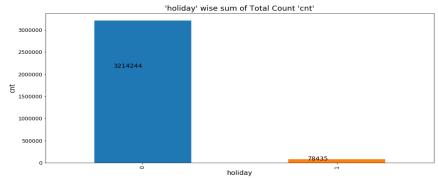


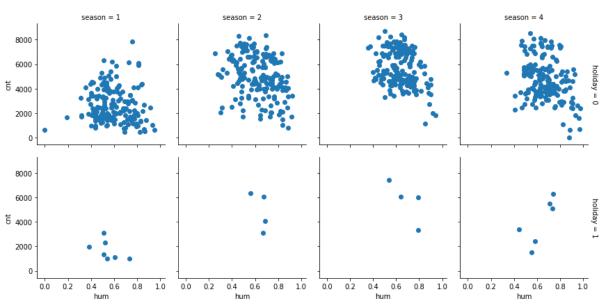


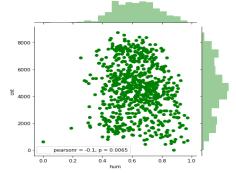


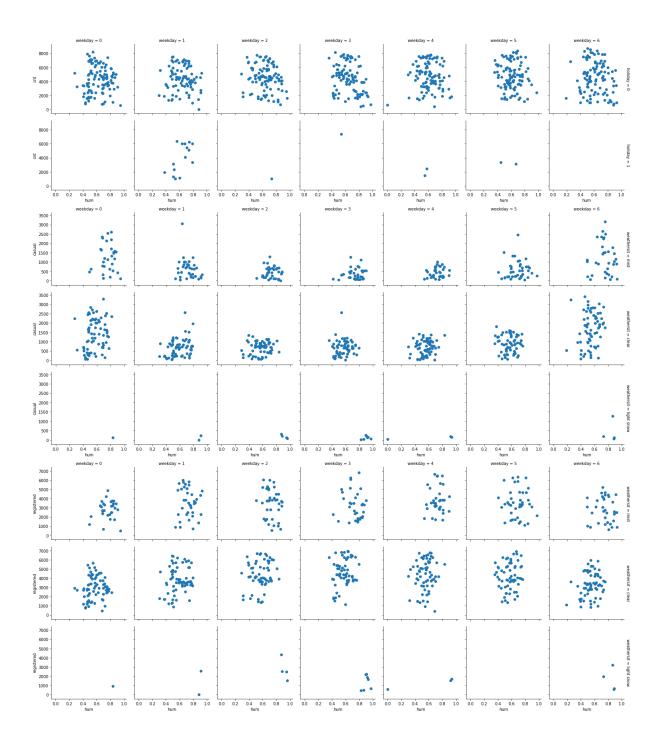


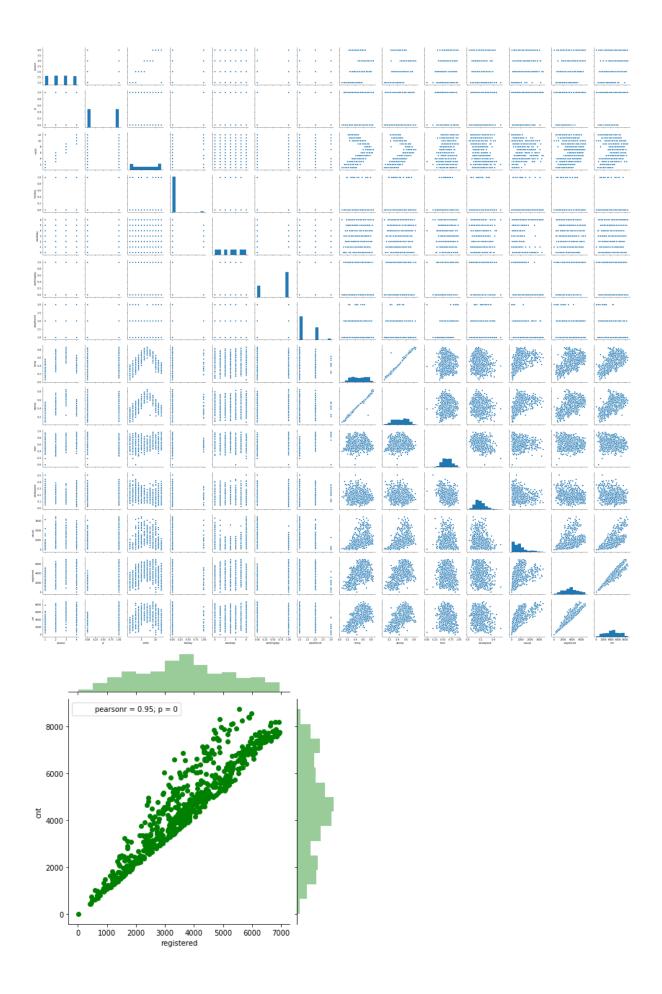


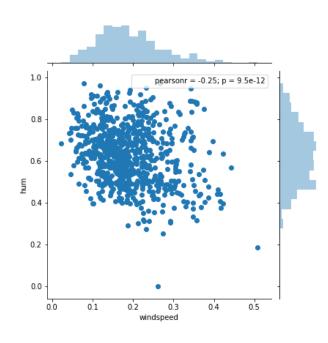


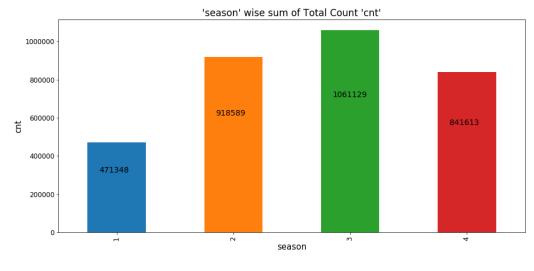


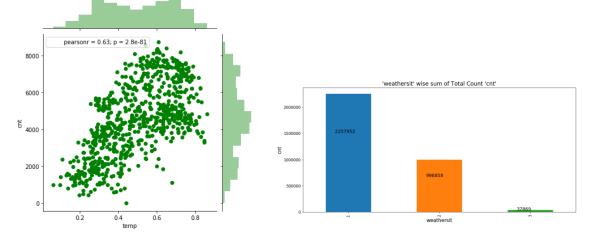


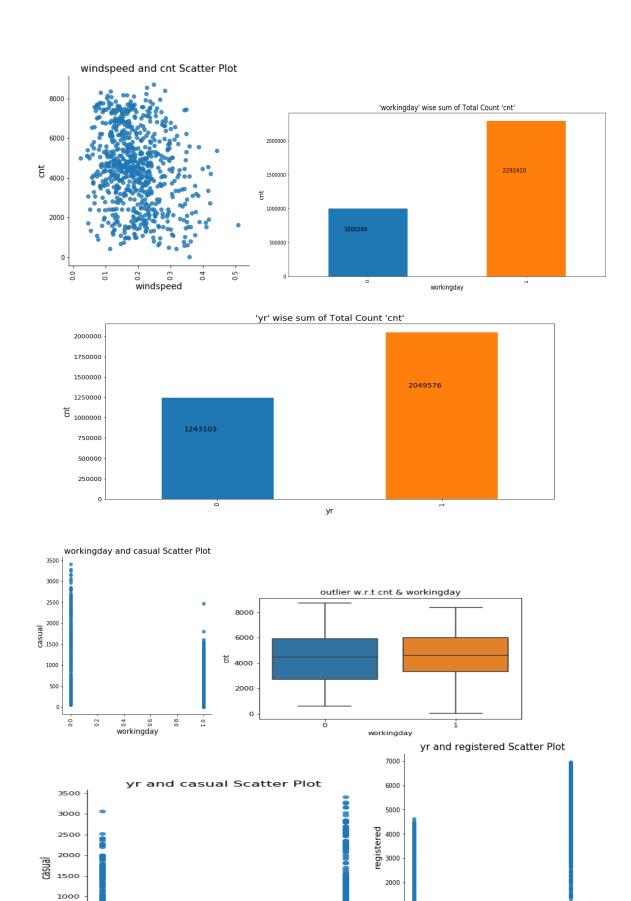












10

500

0.0

0.2 -

0.4 -

0.6 -

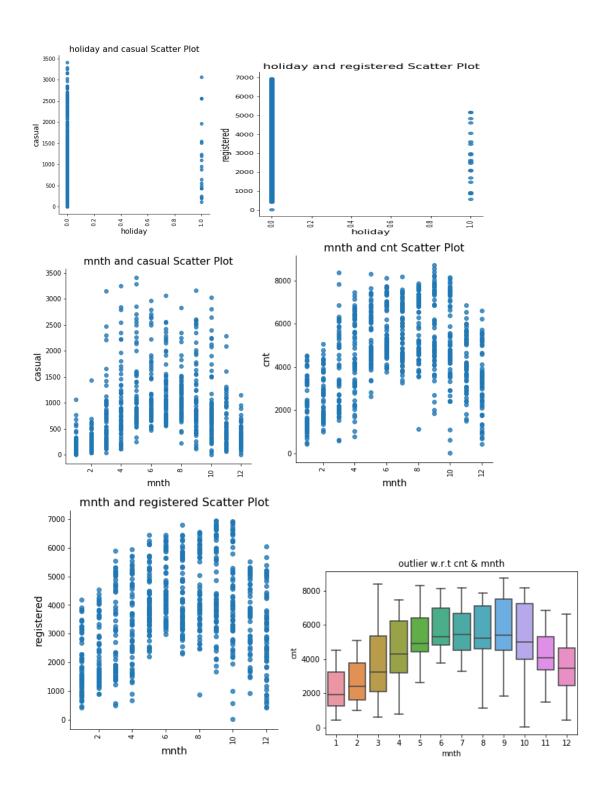
0.8

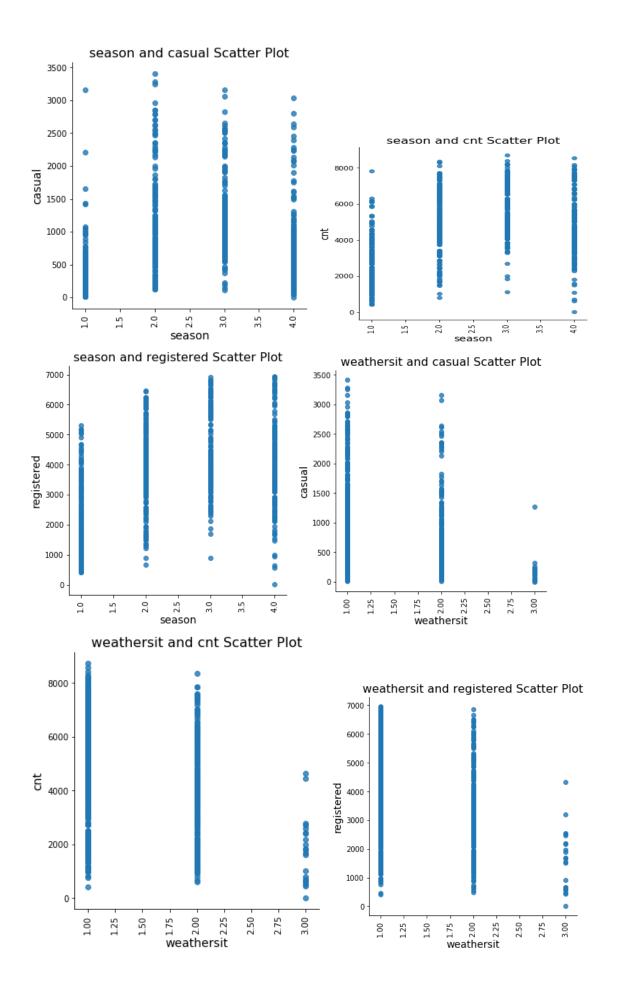
1000

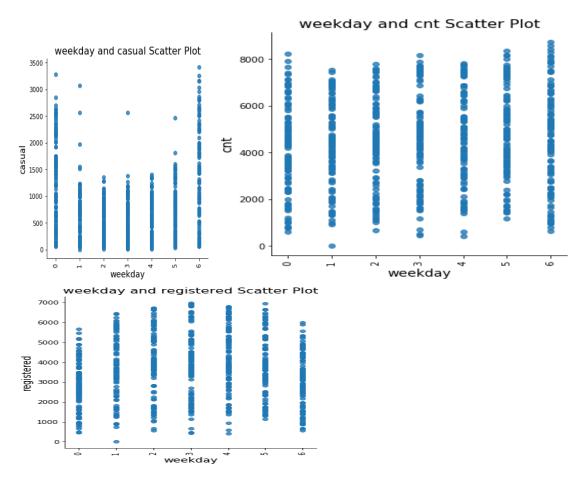
0.0

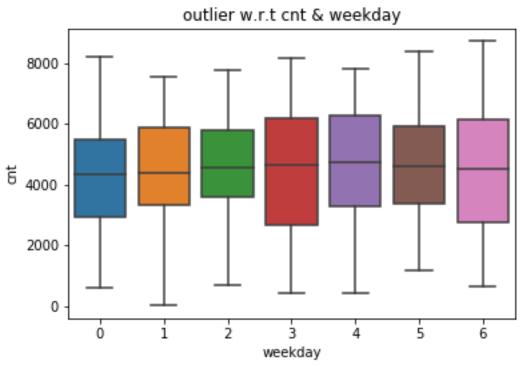
0.2

0.8









Appendix - Il (Python Code)

```
# Importing Libraries
from sklearn.ensemble import RandomForestRegressor
from sklearn.tree import DecisionTreeRegressor
from sklearn.linear model import LinearRegression,Ridge
from sklearn import metrics
import statsmodels.api as sm
from statsmodels.formula.api import ols
from scipy.stats import chi2 contingency
from sklearn.model selection import train test split,GridSearchCV,cross
val score
from sklearn.svm import SVR
import os
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
import warnings
warnings.filterwarnings('ignore')
%matplotlib inline
os.getcwd()
original = pd.read csv('../Data/day.csv')
```

```
os.getcwd()
original = pd.read_csv('../Data/day.csv')
df = original.copy()
df.head()
```

```
#Info Of data (dtypes // Shape)
df.info()
```

#Exploratory Data Analysis

```
#Convert to proper Date type
df.dteday = pd.to_datetime(df.dteday)

#Extracting only day Sequence
df['dteday'] = df.dteday.apply(lambda x: x.day)

#Converting to proper dtype
cat_var = ['dteday','season', 'yr', 'mnth', 'holiday', 'weekday', 'work
ingday','weathersit']
num_var = ['temp', 'atemp', 'hum', 'windspeed', 'casual', 'registered']

# #function for converting cat to num codes
for i in cat_var:
    df[i] = df[i].astype('object')
```

```
df.describe()

df.head()
```

```
#calculating all the unique values for all df columns
for i in df.columns:
    print(i,' -----> ',len(df[i].value_counts()))
```

#Missing Value Analysis

```
df.isnull().sum()
```

#No Missing Values Find

#Data Visualization

#♦ we know variable 'cnt = casual + registered'

```
plt.figure(figsize=(24,16))
plt.scatter(df['instant'], df['cnt'])
plt.xlabel('Days from January,1,2011 to December,31,2012', fontsize = 2
0)
plt.ylabel('Count', fontsize = 20)
#plt.savefig('RentCount.png')
```

```
#removing instant
df.drop('instant',axis=1,inplace=True)
```

```
#Checking distribution of data via pandas visualization
df[num_var].hist(figsize=(20,20),color='g',alpha = 0.7)
#plt.savefig('distribution.png')
plt.show()
```

```
# Total count by season & holiday
fig = plt.figure(figsize=(10,7))
fig = sns.boxplot(x='season', y='cnt', hue='holiday', data=df)
plt.xlabel('Season', fontsize = 14)
```

```
plt.ylabel('cnt', fontsize = 14)
plt.xticks(fontsize=12)
plt.yticks(fontsize=12)
plt.title('Distribution of Total Count in particular season with effect
  of holiday', fontsize=15)
#plt.savefig('dist_plot.png')
plt.show()
```

```
#Bar Plot Bivariate analysis
def barplot(x,y,df):
   ss = df.groupby([x]).sum().transpose()
    ss = round(ss)
    ax = ss.loc[y].plot(kind='bar', figsize=(15,7))
    for i in ax.patches:
        ax.annotate(str(round(i.get height())), (i.get x()+.1, i.get he
ight()/1.5), fontsize=14)
        \#ax.text(i.get x()/1.5, i.get height()/1.5, str(round((i.get height()/1.5)))
ght()))), fontsize=14)
   plt.xlabel(x, fontsize= 15)
   plt.ylabel(y, fontsize= 15)
   plt.xticks(fontsize=12, rotation = 90)
    plt.yticks(fontsize=12)
   plt.title("'{X}' wise sum of total '{Y}'".format(X=x,Y=y),fontsize
= 17)
    #plt.savefig("{X} Vs {Y}.png".format(X=x,Y=y))
plt.show()
```

```
#Bar Plot of CNT w.r.t categorical variable
for i in ['season', 'yr', 'mnth', 'holiday', 'weekday', 'workingday','w
eathersit']:
    _barplot(i,'cnt',df)
```

#Each weekday weather situation checking distribution of registered c ount

```
#Joint plot of all numeric column
for i in num_var:
    fig = plt.figure(figsize=(10,7))
    fig = sns.jointplot(x=i, y="cnt", data=df,color='g')
    fig.set_axis_labels(xlabel=i,ylabel='cnt',fontsize=14)
    plt.suptitle("'{X}' and '{Y}' Scatter Plot".format(X=i,Y='cnt'),y =
1.02,fontsize=15)
    #fig.savefig("{X}_and_{Y}_Scatter_Plot.png".format(X=i,Y='cnt'))
    plt.show()
```

```
#Total count by weather situation in particular season
fig = plt.figure()
fig = sns.countplot(x="weathersit", hue="season",data=df)
#plt.savefig('figg.png')
```

```
#atemp vs temp scatter plot
fig = plt.figure()
fig = sns.jointplot(x="temp", y="atemp", data=df)
#plt.savefig('scatt.png')
```

```
#hum vs windspeed
fig = plt.figure()
sns.jointplot(x="windspeed", y="hum", data=df)
#plt.savefig('scatt_hum_windspeed.png')
```

```
# fig = plt.figure()
# fig = sns.pairplot(df,size=2.5)
# plt.show()
# # fig.savefig('pairplot.png')
```

#Till Now we have analyse our data very breifly

#♦ Now Proceeding for Outliers

#Outlier Analysis

#Data spread According to total count. Scatter ploot od data will give us some instution about out #lier as the must farthest point or data point from entire data. We will consider that as an Outlier #and will treat it

```
#Scatter plot function
def diff_scattr(x,y):
    fig = plt.figure()
```

```
fig = sns.lmplot(x,y, data=df,fit reg=False)
    plt.xlabel(x, fontsize= 14)
    plt.ylabel(y,fontsize= 14)
    plt.xticks(fontsize=10, rotation=90)
    plt.yticks(fontsize=10)
    plt.title("{X} and {Y} Scatter Plot".format(X=x,Y=y),fontsize = 16)
    \#fig.savefig("\{X\} \ and \ \{Y\}\_Scatter\_Plot..png".format(X=x,Y=y))
   plt.show()
for i in num var:
diff scattr(x=i,y='cnt')
for i in ['temp', 'atemp', 'hum', 'windspeed']:
diff scattr(x=i,y='casual')
for i in ['temp', 'atemp', 'hum', 'windspeed']:
diff scattr(x=i,y='registered')
for i in cat var:
diff scattr(x=i, y='cnt')
for i in cat var:
diff_scattr(x=i,y='casual')
for i in cat var:
diff scattr(x=i, y='registered')
```

There are Few outliers in our data

```
# #Plotting Box Plot
for i in ['temp', 'atemp', 'hum', 'windspeed']:
    plt.figure()
    plt.clf() #clearing the figure
    sns.boxplot(df[i], palette="Set2")
    plt.title(i)
    #plt.savefig('{}_.png'.format(i))
    plt.show()
```

```
# #Plotting Box Plot
for i in cat_var:
    plt.figure()
    plt.clf() #clearing the figure
    sns.boxplot(x=i, y="cnt", data=df)
    plt.title(('outlier w.r.t cnt & {}').format(i))
    #plt.savefig('{}_cat_box_.png'.format(i))
    plt.show()
```

```
#Treating Out Liers and Converting them to nan
for i in ['temp', 'atemp', 'hum', 'windspeed']:
    #print(i)
    q75, q25 = np.percentile(df.loc[:,i], [75,25])
    iqr = q75 - q25
   minn = q25 - (iqr*1.5)
   maxx = q75 + (iqr*1.5)
#Converting to nan
    df.loc[df.loc[:,i] < minn,i] = np.nan
    df.loc[df.loc[:,i] > maxx,i] = np.nan
    print('{var} ---- :- {X}) Missing'.format(var = i, X = (df.lo
c[:,i].isnull().sum())))
df[df['windspeed'].isnull() | df['hum'].isnull()]
#null value indexed = [44, 49, 68, 93, 94, 292, 382, 407, 420, 432, 433
, 450, 666, 721]
df[['hum','windspeed']].describe().transpose()
#Imputing values as mean
df.windspeed = df.windspeed.fillna(df.windspeed.mean())
df.hum = df.hum.fillna(df.hum.mean())
```

#Creating Weekend Column

```
\# end = []
# for i in df.weekday:
    if i == 0:
#
         end.append(1)
#
     elif i == 6:
#
        end.append(1)
#
     else:
         end.append(0)
# df['weekend'] = end
# df['weekend'] = df['weekend'].astype('object')
# df = df[['dteday', 'season', 'yr', 'mnth', 'holiday', 'weekday','work
ingday','weekend','weathersit', 'temp',\
# 'atemp', 'hum', 'windspeed','casual', 'registered', 'cnt']]
```

Correlation Check

Variable 'atemp' & 'temp' are highly correlated

Chi-Square Test Among different Independent Variable

```
#H1 = Variables are not independent
#H0 = Variable are independent
#If p-value is less than 0.05 we will reject null hyothesis by saying a
Iternate hypothesis is true
#from scipy.stats import chi2 contingency
#Chi Function
def chi check(df):
    #getting all the column name as object or category
    cat names = df.select dtypes(exclude=np.number).columns.tolist()
    cat pair = [(i,j) for i in cat names for j in cat names] #creating
pairs of column
   p values =[]
    for i in cat pair:
        #print(i[0],i[1])
        if i[0] != i[1]:
            chi result = chi2 contingency(pd.crosstab(df.loc[:,i[0]], d
f.loc[:,i[1]]))
           p values.append(chi result[1])
        else:
            p values.append(0)
    chi mat = np.array(p values).reshape(len(cat names),len(cat names))
    chi mat = pd.DataFrame(chi mat, index = cat names, columns = cat na
mes)
return chi mat
```

```
chi_check(df)
```

#As ['holiday','workingday','weekend'] are not so independent and might cause problem so #removing them

#Season and mnth column are also highly related to each other

```
chi check(df[['dteday','season','yr','mnth','weekday','weathersit']])
```

#Anova Test

```
# import statsmodels.api as sm
# from statsmodels.formula.api import ols
def one way anova(df, target):
   predictor list = df.select dtypes(exclude=np.number).columns.tolist
()
   for i in predictor list:
      mod = ols(formula=('{} ~ {}').format(target, i),data=df).fit()
      rs = sm.stats.anova lm(mod, typ=1)
      print(('Anova p- value b/w {} and {} ----> {}').format(targe
t,i,rs.iloc[0][4]))
print('-----target v
ar = CNT')
one_way_anova(df,'cnt')
print()
print('----target v
ar = Casual')
one way anova(df, 'casual')
print()
print('----target v
ar = REGISTERED')
one way anova(df,'registered')
```

#After Anova analysation if we go with cnt as our target variable the we have to remove the #variable 'weekday' & 'workingday' as both have pvalues more than 0.05.But if we mark casual #and register as our target var then we dnt need to remove it

```
\#Also\ cnt = casual + registered
```

#Multicollenierity Check

```
\#V.I.F.=1/(1-R_2).
```

```
vif = pd.DataFrame()
vif["VIF Factor"] = [variance_inflation_factor(X.values, i) for i in ra
nge(X.shape[1])]
vif["features"] = X.columns
vif.round(1)
```

df.columns

```
#Removing Variables
#df = df.drop(['atemp','holiday','weekday'],axis=1)
df = df.drop(['atemp','holiday','workingday'],axis=1)
```

#Creating Dummies of Categorical variables

```
# def dummy func(df):
      #Extracting all object var
#
      cat names = df.select dtypes(exclude=np.number).columns.tolist()
#
      ##Creating Dummies
#
      for i in cat names:
          dummies = pd.qet dummies(df[i], prefix= i, dummy na=False)
#
          df = df.drop(i, 1)
#
          df = pd.concat([df, dummies],axis = 1)
#
      #Converting back to object
#
      for i in df.columns:
#
          if df[i].dtypes == 'uint8':
              df[i] = df[i].astype('object')
      return df
```

```
# #Creating Dummies
# df_dummy = dummy_func(df)
# df_dummy.shape, df.shape
```

Feature Scaling¶

```
# df[['cnt','casual','registered']].describe().transpose()
# #cnt_min = 22.0 // cnt_max = 8714

# # #Normalization of cnt
# df['total_cnt'] = (df['cnt'] - min(df['cnt'])) / (max(df['cnt']) - min(df['cnt']))

# #Checking Normalised
# df[['cnt','total_cnt']].describe().transpose()
```

Sampling

Modeling

Base Models

- ♦ Linear Regresion
- ♦ Decision Tree
- ♦ Random Forest
- ♦ Ridge

```
#from sklearn import metrics
# Regression
# 'explained variance' metrics.explained variance score
# 'neg_mean_absolute_error' metrics.mean_absolute_error
# 'neg_mean_squared_error' metrics.mean_squared_error
# 'neg mean squared log error'
                                     metrics.mean squared log error
# 'neg median absolute error'metrics.median absolute error
# 'r2' metrics.r2 score
def results(y test,y_pred):
    print('R2 score ==> ', round(metrics.r2_score(y_test, y_pred), 2))
    print(('Mean absolute percentage error ==> {} % ').format(round(np
.mean(np.abs((y_test - y_pred) / y_test))*100, 2)))
   #print('Mean Squared Error ==> ', round(metrics.mean_squared_error
(y test, y pred), 2))
   print('Root Mean Squared Error ==> ', round(np.sqrt(metrics.mean sq
uared error(y test, y pred)), 2))
def cross val(model):
```

```
acc = cross val score (model, X train, y train, cv=10, scoring='r2', n
jobs=-1,)
   print('Mean Score of Cross validation = ',round(acc.mean(),2))
   print('Standard Deviation of CV = ', round(acc.std(),2))
def test scores(model):
   print('<<<----- Training Data Score -----
--->')
   print()
   #Predicting result on Training data
   y pred = model.predict(X train)
   results (y train, y pred)
   print()
   print('<<<----- Test Data Score -----
> ' )
   print()
   # Evaluating on Test Set
   y pred = model.predict(X test)
   results(y_test,y_pred)
```

Linear Regression

```
#from sklearn.linear_model import LinearRegression
linear_model = LinearRegression().fit(X_train, y_train)
test_scores(linear_model)
#cross_val(linear_model)
# # Mean Score of Cross validation = 0.77
# # Standard Deviation of CV = 0.05
```

Decision Tree

```
#from sklearn.tree import DecisionTreeRegressor

tree_model = DecisionTreeRegressor(random_state=101).fit(X_train,y_train)
test_scores(tree_model)
```

```
#cross_val(tree_model)
# # Mean Score of Cross validation = 0.73
# # Standard Deviation of CV = 0.06
```

Random Forest

```
#from sklearn.ensemble import RandomForestRegressor

forest_model = RandomForestRegressor(n_estimators=500,random_state=101)
   .fit(X_train,y_train)
   test_scores(forest_model)

#cross_val(forest_model)
# # Mean Score of Cross validation = 0.87
# # Standard Deviation of CV = 0.03
```

```
# # Grid Search for finding Random forest best Parameters
# model = RandomForestRegressor(random state=101, n jobs=-1)
# pdict = [{'max depth':[2,4,6,8,10]},
            'max features':['auto','sqrt'],
            'n estimators': [200,300,400,500,600,700,800,1000]}]
# g srch = GridSearchCV( model, param grid = pdict, cv =10, n jobs =-1)
.fit(X train,y train)
# #Best Score
# print('Best Score ===> ',g srch.best score )
# print('Best Param ===> ',g srch.best params )
# test scores(g srch)
# #'max depth': 10, 'max features': 'sqrt', 'n estimators': 500
# #{'max depth': 15, 'max features': 'sqrt', 'min samples leaf': 2, 'n
estimators': 300}
# # Best Score ===> 0.871143807987822
# # Best Param ===> {'max depth': 10, 'max features': 'sqrt', 'n estim
ators': 300}
```

SVR

```
#from sklearn.svm import SVR
svr_model = SVR(kernel='poly').fit(X_train,y_train)
```

```
test_scores(svr_model)
#cross_val(svr_model)
# Mean Score of Cross validation = 0.6
# Standard Deviation of CV = 0.05
```

Random forest model has out perfomed out of all models used. Final Model with Optimized Parameters: - RANDOM FOREST

```
#from sklearn.ensemble import RandomForestRegressor

forest_model = RandomForestRegressor(max_depth= 15, max_features = 'sqr
t',n_estimators = 500,random_state=101).fit(X_train,y_train)
test_scores(forest_model)

#cross_val(forest_model)
# # Mean Score of Cross validation = 0.88
# # Standard Deviation of CV = 0.03

# #max_depth= 10, max_features = 'sqrt',n_estimators = 500
# #max_depth = 15, max_features = 'sqrt', min_samples_leaf = 2, n_estim
ators = 500
# #max_depth = 10, max_features = 'sqrt', n_estimators = 300
```

Feature Importance

```
#Calculating feature importances
importances = forest_model.feature_importances_

# Sort feature importances in descending order
indices = np.argsort(importances)[::1]

# Rearrange feature names so they match the sorted feature importances
names = [df.columns[i] for i in indices]

# Creating plot
fig = plt.figure(figsize=(20,20))
plt.title("Feature Importance")

# Add horizontal bars
plt.barh(range(X_train.shape[1]),importances[indices],align = 'center')
plt.yticks(range(X_train.shape[1]), names)
plt.show()
#fig.savefig('feature_importance.png')
```

Saving Output

```
#Predicting Output On entire Data
pred_rf = forest_model.predict(df.iloc[:,:-3])
df['predict'] = pred_rf
```

In []:

```
#Standard result with original
entire_data = pd.concat([original,df['predict']], axis=1)
```

```
entire_data.head()
#Entire _ENV
entire_data.to_csv('../Data/output/Py_output/Entire_output.csv')
#Season
entire_data[['dteday','weathersit','season','cnt','predict']].to_csv('../Data/output/Py_output/Season_output.csv')
```

Appendix - Ill (R Code)

```
rm(list = ls())
setwd("C:/Users/parve/Documents/Bike_Renting/R_Code")
# #loading Libraries
x = c("ggplot2", "corrgram", "DMwR", "usdm", "caret", "randomForest", "e1071",
  "DataCombine", "doSNOW", "inTrees", "rpart.plot", "rpart")
# #install.packages if not
# #lapply(x, install.packages)
#
#load Packages
lapply(x, require, character.only = TRUE)
rm(x)
#Loading Data
original_data = read.csv('../Data/day.csv',header = T,na.strings = c(""," ","NA"))
df = original_data #Creating backup of orginal data
#
       EXPLORING DATA
#viewing the data
head(df,4)
```

```
dim(df) #shape of data = row 731 === col = 16
#structure of data or data types
str(df)
#Summary of the data
summary(df)
#Carrying out date number
df$dteday <- format(as.Date(df$dteday,format="%Y-%m-%d"), "%d")
#removing instant
df$instant <- NULL
#unique value of each count
apply(df, 2,function(x) length(table(x)))
#Distribution of cnt variable
hist(df$cnt)
#Converting to proper dtype
cat_var = c('dteday','season', 'yr', 'mnth', 'holiday', 'weekday', 'workingday','weathersit')
num_var = c('temp', 'atemp', 'hum', 'windspeed','casual','registered')
#Data Type Conversion Function
typ_conv = function(df,var,type){
df[var] = lapply(df[var], type)
```

```
return(df)
}
df = typ_conv(df,cat_var, factor)
#
    Checking Missing data
apply(df, 2, function(x) {sum(is.na(x))}) #2 for columns as in R 1 = Row & 2 = Col
#Hence no missing data found
Visualizing teh data
hist(df$casual)
hist(df$registered)
hist(df$cnt)
#library(ggplot2)
# CNT according to Season
ggplot(df, aes(fill=cnt, x=season)) +
geom_bar(position="dodge") + labs(title="cnt ~ season")
# CNT according to holiday
ggplot(df, aes(fill=cnt, x=holiday)) +
geom bar(position="dodge") + labs(title="cnt ~ holiday")
```

```
# CNT according to season by yr
ggplot(df, aes(fill=cnt, x=season)) +
geom_bar(position="dodge") + facet_wrap(~yr)+
labs(title="CNT according to season by yr")
# CNT according to season by workingday
ggplot(df, aes(fill=cnt, x=season)) +
geom bar(position="dodge") + facet wrap(~workingday)+
labs(title="CNT according to season by workingday")
# CNT according to season by workingday
ggplot(df, aes(fill=cnt, x=workingday)) +
geom_bar(position="dodge") + facet_wrap(~weekday)+
labs(title="CNT according to workingday by weekday")
Outlier Analysis
# #We are skipping outliers analysis becoz we already have an Class Imbalance problem.
# for (i in 1:length(num_var))
# {
# assign(pasteO("gn",i),
     ggplot(aes_string(y = (num_var[i]), x = 'cnt'),data = df) +
      stat boxplot(geom = "errorbar", width = 0.5) +
#
```

```
#
        geom_boxplot(outlier.colour="blue", fill = "skyblue",
#
               outlier.shape=18,outlier.size=1, notch=FALSE) +
#
        labs(y=num_var[i],x="cnt")+
        ggtitle(paste("Box plot of responded for",num_var[i])))
#
# }
#gn1
#
# Plotting plots together
# gridExtra::grid.arrange(gn1,gn2,gn3,gn4,ncol=4)
# gridExtra::grid.arrange(gn5,gn6,gn7,ncol=3)
# gridExtra::grid.arrange(gn1,gn2,gn3,gn4,gn5,gn6,gn7,ncol=4,nrow = 2)
#Removing oulier by replacing with NA and then impute
for(i in c('temp', 'atemp', 'hum', 'windspeed')){
 print(i)
 outv = df[,i][df[,i] %in% boxplot.stats(df[,i])$out]
 print(length(outv))
 df[,i][df[,i] \%in\% outv] = NA
}
#checking all the missing values
#library(DMwR)
sum(is.na(df))
df$hum[is.na(df$hum)] = mean(df$hum,na.rm = T)
```

```
df$windspeed[is.na(df$windspeed)] = mean(df$windspeed, na.rm = T)
#df = knnImputation(df, k=3)
sum(is.na(df))
#
       Feacture Selection
#Here we will use corrgram library to find corelation
##Correlation plot
# library(corrgram)
num_var = c('temp', 'atemp', 'hum', 'windspeed','casual','registered','cnt')
corrgram(df[,num_var],
   order = F, #we don't want to reorder
   upper.panel=panel.pie,
   lower.panel=panel.shade,
   text.panel=panel.txt,
   main = 'CORRELATION PLOT')
#We can see var the highly corr related var in plot marked dark blue.
#Dark blue color means highly positive cor related
df = subset(df, select=-c(atemp,casual,registered))
```

```
# #Checking dependency among different categorical variables
cat_var = c('dteday','season', 'yr', 'mnth', 'holiday', 'weekday', 'workingday','weathersit')
cat_df = df[,cat_var]
for (i in cat_var){
for (j in cat_var){
  print(i)
  print(j)
  print(chisq.test(table(cat_df[,i], cat_df[,j]))$p.value)
}
}
#anova test
anova_season =(Im(cnt ~ season, data = df))
summary(anova_season)
anova_year =(Im(cnt ~ yr, data = df))
summary(anova_year)
anova_month =(Im(cnt ~ mnth, data = df))
summary(anova_month)
anova_holiday =(Im(cnt ~ holiday, data = df))
summary(anova_holiday)
anova_weekday =(Im(cnt ~ weekday, data = df))
```

```
summary(anova_weekday)
anova_workingday =(Im(cnt ~ workingday, data = df))
summary(anova_workingday)
anova_weathersit =(Im(cnt ~ weathersit, data = df))
summary(anova_weathersit)
anova_season =(Im(cnt ~ dteday, data = df))
summary(anova_season)
# #check multicollearity
##Linear Regression
#library(usdm)
vif(df)
#vifcor(df[,c(7,8,9)])
df = subset(df, select=-c(holiday, workingday,dteday))
#dteday
## Feature Scaling
```

```
#min(df$cnt) ----> 22
#max(df$cnt) ----> 8714
hist(df$cnt)
colnames(df)
##Normalization of cnt
#df$total_cnt = (df$cnt - min(df$cnt)) / (max(df$cnt) - min(df$cnt))
Sampling of Data
#sampling
set.seed(12345)
t_index = sample(1:nrow(df), 0.8*nrow(df))
train = df[t_index,]
test = df[-t_index,]
#Removing All the custom variable from memory
#library(DataCombine)
rmExcept(c("test","train","original_data",'df'))
#library(caret)
#mape
```

```
mape = function(actual, predict){
mean(abs((actual-predict)/actual))*100
}
###??? Linear Regression
#
##Linear regression
dumy = dummyVars(~., df)
dummy_df = data.frame(predict(dumy, df))
set.seed(101)
dum_index = sample(1:nrow(dummy_df), 0.8*nrow(dummy_df))
dum_train_df = dummy_df[dum_index,]
dum_test_df = dummy_df[-dum_index,]
#Linear model
lr_model = lm(cnt ~. , data = dum_train_df)
summary(Ir_model)
#predictions on Train data set
LR_predict_train = predict(lr_model, dum_train_df[,-32])
plot(dum_train_df$cnt, LR_predict_train,
  xlab = 'Actual values',
  ylab = 'Predicted values',
  main = 'LR model')
```

```
#evaluation
postResample(LR_predict_train, dum_train_df$cnt)#R-sq = 0.85
mape(dum_train_df$cnt, LR_predict_train)
#predictions on test
LR_predict_test = predict(Ir_model, dum_test_df[,-32])
plot(dum_test_df$cnt, LR_predict_test,
  xlab = 'Actual values',
  ylab = 'Predicted values',
  main = 'LR model')
#evaluation
postResample(LR_predict_test, dum_test_df$cnt)#R-sq = 0.85
mape(dum_test_df$cnt, LR_predict_test)
####??? Decision Tree
#
##Decison tree
# library(rpart.plot)
# library(rpart)
```

```
set.seed(121)
#model
dt_model = rpart(cnt~., data = train, method = "anova")
summary(dt_model)
plt = rpart.plot(dt_model, type = 5, digits = 2, fallen.leaves = TRUE)
#predictions on train
DT_Predict_train = predict(dt_model, train[,-9])
plot(train$cnt, DT_Predict_train,
  xlab = 'Actual values',
  ylab = 'Predicted values',
  main = 'DT model')
#evaluation
postResample(DT_Predict_train, train$cnt)
mape(train$cnt, DT_Predict_train)
#predictions on test
DT_Predict_test = predict(dt_model, test[,-9])
plot(test$cnt, DT_Predict_test,
  xlab = 'Actual values',
  ylab = 'Predicted values',
  main = 'DT model')
#evaluation
postResample(DT_Predict_test, test$cnt)
mape(test$cnt, DT_Predict_test)
```

```
####??? Random Forest
#
##Random forest
#library(randomForest)
#library(inTrees)
set.seed(101)
#model
rf_model = randomForest(cnt ~. , train, importance = TRUE, ntree = 500)
rf_model
#error plotting
plot(rf_model)
#Variable Importance plot
varImpPlot(rf_model)
#Plotting predict train data using RF model
RF_predict_train = predict(rf_model, train[,-9])
plot(train$cnt, RF_predict_train,
  xlab = 'Actual values',
  ylab = 'Predicted values',
```

main = 'RF model')

```
#Train Result
postResample(RF_predict_train, train$cnt)#R-sq = 0.89
mape(train$cnt, RF_predict_train)
#Plotting predict test data using RF model
RF_predict_test = predict(rf_model, test[,-9])
plot(test$cnt, RF_predict_test,
  xlab = 'Actual values',
  ylab = 'Predicted values',
  main = 'RF model')
#Test Result
postResample(RF_predict_test, test$cnt)#R-sq = 0.89
mape(test$cnt, RF_predict_test)
####??? Support Vector Regression
#
##SVM
#library(e1071)
set.seed(121)
#model
SVM_model = svm(cnt ~., train)
```

```
#predictions on train
SVM_predict = predict(SVM_model, train[,-9])
plot(train$cnt, SVM_predict, xlab = 'Actual values', ylab = 'Predicted values', main = 'SVR model')
#evaluation
postResample(SVM_predict, train$cnt)
mape(train$cnt, SVM_predict)
#predictions on test
SVM_predict = predict(SVM_model, test[,-9])
plot(test$cnt, SVM_predict, xlab = 'Actual values', ylab = 'Predicted values', main = 'SVR model')
#evaluation
postResample(SVM_predict, test$cnt)
mape(test$cnt, SVM_predict)
################
#K-fold cross validation function
kfold_train <- function(model){</pre>
x=trainControl(method = "cv",number = 10)
 model= train(cnt ~.,data=train,metric="RMSE",method=model,trControl=x)
 print(model)
 return(model)
}
result <- function(model){
```

```
model = model
set.seed(101)
pred = predict(model, train[,-9])
print(postResample(pred, train$cnt))
print(mape(train$cnt, pred))
print('Test Results____')
pred = predict(model,test[,-9])
print(postResample(pred, test$cnt))
print(mape(test$cnt, pred))
}
# #CV-Fold check
# library(doSNOW)
# cl <- makeCluster(10) #clustering approach using doSNOW pkg
# registerDoSNOW(cl)
#Random Forest # R2 = 87
# forest = kfold_train('rf')
# result(forest)
# stopCluster(cl)
# #Linear Regression # R2 = 83
```

```
# lm_model = kfold_train('lm')
# result(lm_model)
#
##Decision Tree #R2 = 60
# dtree = kfold_train('rpart')
# result(dtree)
##
# #SVR # R2 = 86
# svr_model = kfold_train('svmPoly')
# result(svr_model)
##
### stopCluster(cl)
##
       Knowing the right hyper parameters tuning
# # As this process will take a bit time so here i have commented the code
#Using doSNOW lib for segmenting the clustering onto task as a faster approch
# library(doSNOW)
# # #Best mtry ===== found best as = 4
# cl <- makeCluster(6) #clustering approach using doSNOW pkg
# registerDoSNOW(cl)
#
```

```
# trControl <- trainControl(method = "cv",number = 10,search = "grid")
# set.seed(101)
# tuneGrid <- expand.grid(.mtry = c(2:8))
# rf_mtry <- train(cnt~.,data = train,method = "rf",metric = "RMSE",
           tuneGrid = tuneGrid,trControl = trControl,importance = TRUE,ntree = 800)
# best_mtry <- rf_mtry$bestTune$mtry
# print(best_mtry)
###Looking for best ntree ==== found best as = 500
# store_maxtrees <- list()
# tuneGrid <- expand.grid(.mtry = best_mtry)</pre>
# for (ntree in c(200, 300, 350, 400, 450, 500, 550, 600, 700,800, 1000)) {
# set.seed(101)
# rf_maxtrees <- train(cnt~.,data = train,method = "rf",metric = "RMSE",tuneGrid = tuneGrid,
#
              trControl = trControl,importance = TRUE,ntree = ntree)
# key <- toString(ntree)</pre>
# store_maxtrees[[key]] <- rf_maxtrees</pre>
# }
# results_tree <- resamples(store_maxtrees)</pre>
# summary(results_tree)
#
# stopCluster(cl)
```


Final Model Random Forest

```
#
final_model = randomForest(cnt ~. , train, importance = TRUE, ntree = 500)
final_model
#error plotting
plot(final_model)
#Variable Importance plot
varImpPlot(final_model)
#Plotting predict train data using RF model
Final_predict_train = predict(final_model, train[,-9])
plot(train$cnt, Final_predict_train,
  xlab = 'Actual values',
  ylab = 'Predicted values',
  main = 'RF model')
#Train Result
postResample(Final_predict_train, train$cnt)#R-sq = 0.89
mape(train$cnt, Final_predict_train)
#Plotting predict test data using RF model
Final_predict_test = predict(final_model, test[,-9])
plot(test$cnt, Final_predict_test,
  xlab = 'Actual values',
```

predict_cnt")], '../Data/output/R_Output/Seasonal_output_R.csv',row.names = F)