CPCS433 Artificial Intelligence Topics Assignment 1

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1 Problem: Linear Regression

1.1 Load the dataset file.

```
import pandas as pd
from sklearn.impute import SimpleImputer
from sklearn.preprocessing import StandardScaler
from sklearn.ensemble import IsolationForest
from google.colab import drive
import math
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn.preprocessing import StandardScaler, RobustScaler
from sklearn.model_selection import train_test_split,
   GridSearchCV
from sklearn import metrics
drive.mount('/content/drive')
!ls -l "/content/drive/MyDrive/VehiclesPr1/vehicles.csv"
file_path = "/content/drive/MyDrive/VehiclesPr1/vehicles.csv"
data = pd.read_csv(file_path)
```

1.2 Preprocess the dataset by handling missing values, outliers, and categorical variables.

```
data.head() # View the first few rows
data.info() # Get information about data types and missing
  values
data.describe() # Get summary statistics for numerical columns
fig , ax = plt.subplots(figsize=(10,5))
ax.set_title('Distribution of the prices')
sns.distplot(data['price'], bins=30, kde=False)
```

1.2.1 Graphs to detect any null values, outlier, etc.

```
# To detect any outlier, we are going to use plots like boxplot
   and scatter plot to help us visualize the data better
fig, axs = plt.subplots (1, 2, figsize = (15, 6))
# Boxplot for 'odometer'
axs [0]. boxplot (data ['odometer'])
axs[0].set_title('Boxplot-of-Odometer')
axs[0].set_ylabel('Odometer')
# Boxplot for 'price'
axs[1].boxplot(data['price'])
axs[1].set_title('Boxplot-of-Price')
axs[1].set_ylabel('Price')
plt.show()
plt. figure (figsize = (10, 6))
plt.scatter(data['odometer'], data['price'])
plt.xlabel('Odometer')
plt.ylabel('Price')
plt.title('Scatter-Plot-of-Odometer-vs-Price')
plt.grid(True)
plt.show()
```

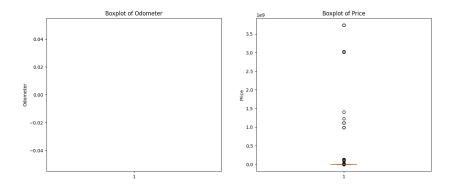


Figure 1: Box-plot for outliers

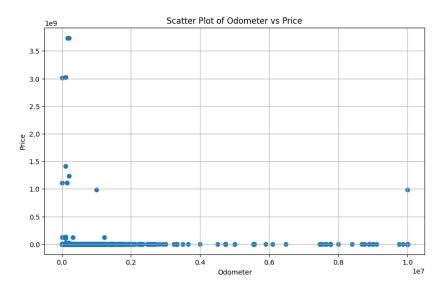


Figure 2: Scatter plot for outliers

```
# Removing outliers for both 'odometer' and 'price' columns,
    also using the function to handle missing values.
# Remove outliers for 'odometer'
Q1 = data['odometer'].quantile(0.25)
Q3 = data['odometer'].quantile(0.75)
IQR = Q3 - Q1
filter_odometer = (data['odometer'] <= Q3 + 3 * IQR)
data = data.loc[filter_odometer]
# Remove outliers for 'price'</pre>
```

```
Q1 = data['price']. quantile(0.25)
Q3 = data['price'].quantile(0.75)
IQR = Q3 - Q1
filter_price = (data['price'] >= Q1 - 1.5 * IQR) & (data['price']
   ] <= Q3 + 1.5 * IQR)
data = data.loc[filter_price]
# Calculate and print the number of outliers removed for each
outliers_removed_odometer = filter_odometer.sum()
outliers_removed_price = filter_price.sum()
print(outliers_removed_odometer, '(', '{:.2 f}'.format(100 *
   outliers_removed_odometer / len(data)), '%', ')', 'outliers-
   removed - from - "odometer";)
print(outliers_removed_price, '(', '{:.2 f}'.format(100 *
   outliers_removed_price / len(data)), '%', ')', 'outliers-
   removed from "price")
        379473 ( 102.05 % ) outliers removed from "odometer"
        371839 ( 100.00 % ) outliers removed from "price"
```

Figure 3: Output of removing outliers

1.2.2 Drop all the columns that caused me troubles and I found them unnecessary, also dealing with categorical data

```
price year elementry condition_pair condition_pair
```

Figure 4: Example of the data after

1.2.3 Scaling out numerical data

```
# Scale out the the numerical data except year, because I tried
before standrizing year and got really bad results.

std_scaler = StandardScaler()

for column in ['price', 'odometer']:
    data_new[column] = std_scaler.fit_transform(data_new[column
].values.reshape(-1,1))
```

1.3 Divide the dataset into training and testing (use splitting ratio 80:20).

```
# Select all columns except 'price' for X
X = data_new.drop('price', axis=1)

# Select the 'price' column for y and reshape it
y = data_new['price'].values.reshape(-1, 1)

X = X.to_numpy()
y = np.array(y)

X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=141)

X_train shape: (182260, 92)
y_train shape: (182260, 1)
```

1.4 Train a linear regression model using a gradient descent MSE cost-function, lr=0.1, and stopping condition number of iterations at least equals to 10.

```
def cost(X, y, w):
    """ Calculates the cost function efficiently.
        X: Training data (n_samples, n_features).
        y: Target labels (n_samples,).
        w: Model weights (n_features, 1).
    Returns:
        The cost value.
    prediction = X @ w
    return (1 / (2 * X.shape[0])) * np.sum((prediction - y) **
       2) # Vectorized sum
def permutation_importance(X, y, model, cost_function,
   n_features):
    importance = np.zeros(n_features)
    for i in range (n_features):
        X_shuffled = X.copv()
        X_shuffled[:, i] = np.random.permutation(X_shuffled[:, i
            ) # Shuffle feature values
        original\_cost = cost\_function(X, y, model)
        shuffled_cost = cost_function(X_shuffled, y, model)
        importance[i] = original_cost - shuffled_cost #
            Importance based on cost change
    # Get the indices of the most significant features
    sorted_indices = np.argsort(importance)[::-1]
    return sorted_indices
n = X_{train.shape}[1]
theta = np.ones((n, 1))
# Precompute X_train transpose for efficient matrix
   multiplication
XTX = np. transpose (X_train) @ X_train
XTy = np.transpose(X_train) @ y_train
```

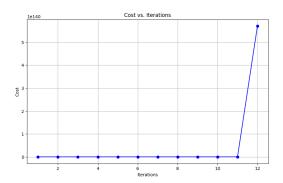


Figure 5: Enter Caption

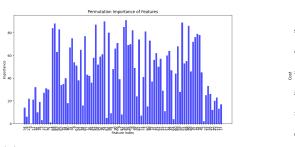
```
learning_rate = 0.1
num_iterations = 12
cost_history = np.zeros(num_iterations)

for i in range(num_iterations):
    prediction = X_train @ theta
        gradient = (1 / X_train.shape[0]) * XTX @ theta - XTy #
            gradient calculation
        theta = theta - learning_rate * gradient
        cost_history[i] = cost(X_train, y_train, theta) # Calculate
        cost after update theta = learning_rate - gradient

# Check for convergence
tolerance = 1e-5
if num_iterations >= 10 and np.all(np.abs(cost_history[-1] -
        cost_history[-5:]) < tolerance):
        print("Converged_after", i + 1, "iterations.")</pre>
```

- 1.5 Test the performance of the model by computing and reporting the MSE on the testset.
- 1.5.1 Keep a record of the cost at each iteration and plot the cost at each iteration against iterations (epochs).
- 1.5.2 Find and report the most significant features in the regression model.

```
# Reshape theta and flatten cost_history for plotting
theta = theta.reshape(-1, 1)
print("The history of the cost: ", cost_history)
cost_history = cost_history.flatten()
# Plot the cost vs iterations
plt. figure (figsize = (10, 6))
plt.plot(range(1, num_iterations + 1), cost_history, marker='o',
    color='b')
plt.xlabel('Iterations')
plt.ylabel('Cost')
plt.title('Cost-vs.-Iterations')
plt.grid(True)
plt.show()
# Assuming you have trained your model and have X-train and
   y_train
n_{\text{features}} = X_{\text{train.shape}}[1]
most_significant_features = permutation_importance(X_train,
   y_train, theta, cost, n_features)
print("Most-significant-features:", most_significant_features)
y_pred = X_test @ theta # Compute predictions on the test set
mse_test = np.mean((y_pred - y_test) ** 2) # Calculate MSE on
   the test set
print(f"MSE-on-test-set:-{mse_test}")
# Calculate feature importances using permutation importance
feature_importances = permutation_importance(X_train, y_train,
   theta, cost, n_features)
# Display a bar chart for the most important features
plt. figure (figsize = (12, 6))
plt.bar(range(n_features), feature_importances, color='b', alpha
plt.xticks(range(n_features), most_significant_features,
   rotation=90)
plt.xlabel('Feature Index')
plt.ylabel('Importance')
plt.title('Permutation Importance of Features')
plt.show()
```



(a) Most significant features bar chart

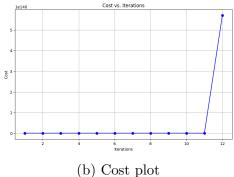


Figure 6: Comparison of two plots

```
The history of the cost: [2.53637272e+017 4.15004344e+028 6.79034594e+039 1.11104374e+051 1.81790179e+062 2.97447056e+073 4.86686088e+084 7.96321039e+095 1.30294909e+107 2.13189939e+118 3.48823684e+129 5.70749082e+140]
```

Figure 7: History List

```
MSE on test set: 1.1415141361316664e+141
```

Figure 8: MSE on Test Data

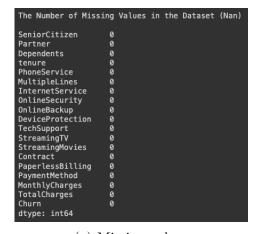
```
Most significant features: [14 6 22 0 21 32 10 19 3 31 27 30 1 84 88 83 50 63 35 34 40 75 18 4 67 54 51 38 65 77 16 42 87 43 58 52 36 74 61 56 59 5 90 66 9 81 70 85 39 69 8 49 91 82 71 24 7 80 48 73 15 41 62 37 29 11 57 44 47 64 60 89 28 55 53 68 46 86 76 72 79 78 45 22 53 3 26 12 20 23 13 17]
```

Figure 9: Most significant features

2 Problem: SVM Classifier

2.1 Load the dataset file

2.2 Preprocess the dataset by handling missing values, outliers, and categorical variables



(a) Missing values



(b) Null values

```
# Handle missing values add mean isntead of null
data[np.isnan(data['TotalCharges'])]
data['TotalCharges'] = data['TotalCharges'].replace('-', np.nan)
data['TotalCharges'] = data['TotalCharges'].astype(float)
data.fillna(data["TotalCharges"].mean())
# if tenture is zero drop
```

```
data.drop(labels=data[data['tenure'] == 0].index, axis=0,
   inplace=True)
data[data['tenure'] == 0].index
# From the plots, as we can see there are no Outliers to handle.
# Handling Categorical Variables
def encode_categorical_variables (df):
    for column in df.select_dtypes(include='object'):
        df[column] = pd. Categorical(df[column]).codes
# Apply the functions
encode_categorical_variables (data)
# Print the preprocessed data
data.head()
import plotly.express as px
fig = px.histogram(data, x="Churn", color="Contract", barmode="
   group", title="<b>Customer contract distribution <b>")
fig.update_layout(width=700, height=500, bargap=0.1)
fig.show()
```

Customer contract distribution

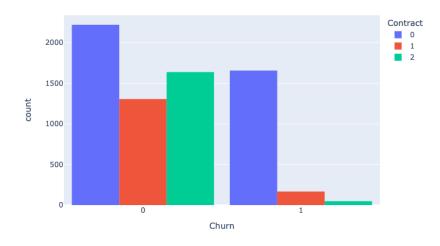


Figure 11: Customer contract distribution

2.3 Divide the dataset randomly into testing and training with a splitting ration of (70:30).

```
from sklearn.model_selection import train_test_split
# Separate the features and target
features = data.drop('Churn', axis=1)
target = data['Churn']
# Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(features,
   target, test_size = 0.3, random_state=42)
# Divide the columns into 3 categories, one for standardisation,
    one for label encoding and one for one hot encoding
num_cols = ["tenure", 'MonthlyCharges', 'TotalCharges']
cat_cols_ohe =['PaymentMethod', 'Contract', 'InternetService'] #
    those that need one-hot encoding
cat_cols_le = list(set(X_train.columns)- set(num_cols) - set(
   cat_cols_ohe)) #those that need label encoding
from sklearn.preprocessing import StandardScaler
# Scale numerical features
scaler = StandardScaler()
X_train [num_cols] = scaler.fit_transform(X_train [num_cols])
X_test [num_cols] = scaler.transform(X_test[num_cols])
Shape of X<sub>-</sub>train: (4922, 18)
Shape of X_test: (2110, 18)
Shape of y_{train}: (4922,)
Shape of y_test: (2110,)
```

2.4 Train the algorithms.

```
from sklearn.svm import SVC
svc_model = SVC(random_state = 1)
svc_model.fit(X_train, y_train)

from sklearn.metrics import classification_report
# Predict the labels of the test data
predictions = svc_model.predict(X_test)
print(classification_report(y_test, predictions))
```

	precision	recall	f1-score	support
0 1	0.82 0.68	0.92 0.46	0.87 0.55	1549 561
accuracy macro avg weighted avg	0.75 0.79	0.69 0.80	0.80 0.71 0.78	2110 2110 2110

Figure 12: classification report SVM Before gs

2.5 Use grid search to find the best hyperparameters for the SVM model.

	precision	recall	f1-score	support
0 1	0.83 0.62	0.89 0.52	0.86 0.56	1549 561
accuracy macro avg weighted avg	0.73 0.78	0.70 0.79	0.79 0.71 0.78	2110 2110 2110

Figure 13: classification report SVM After gs

2.6 Plot the two classes in different colors, along with the decision boundary for each classifier.

```
from sklearn.decomposition import PCA
pca = PCA(n\_components=2)
# Transforming the dataset using PCA
X_{pca} = pca.fit_{transform}(X_{train})
y = y_t rain
X_pca.shape, y.shape
# min and max values
xmin, xmax = X_pca[:, 0].min() - 2, X_pca[:, 0].max() + 2
ymin, ymax = X_pca[:, 1].min() - 2, X_pca[:, 1].max() + 2
# Creating a mesh region where the boundary will be plotted
xx, yy = np.meshgrid(np.arange(xmin, xmax, 0.2),
                     np.arange(ymin, ymax, 0.2))
# Fitting SVM model on 2 features
grid.fit(X_pca, y)
# Plotting decision boundary for SVM
z2 = grid.predict(np.c_[xx.ravel(), yy.ravel()])
z2 = z2. reshape(xx. shape)
# Displaying the result
plt.contour(xx, yy, z2, alpha=0.4, colors='purple') # SVM
sns.scatterplot(x=X_pca[:,0], y=X_pca[:,1], hue=y_train, s=50,
   alpha=0.8)
plt.title('SVM')
```

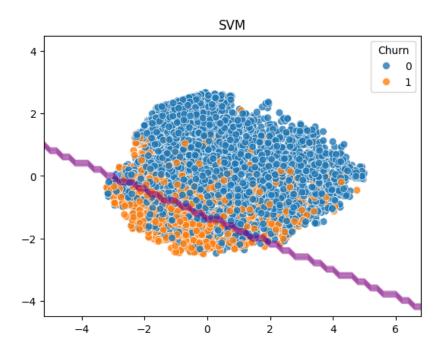


Figure 14: Churn class and Decision boundary

2.7 Report the results of the classifier and evaluate the performance of the classifier

```
grid_predictions = grid.predict(X_test)
# print classification report
print(classification_report(y_test, grid_predictions))

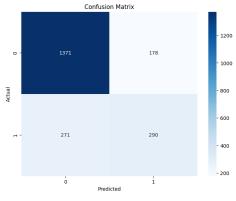
# Print the accuracy score
print("\nAccuracy Score:", accuracy_score(y_test, grid_predictions) * 100, "%")

# Print the classification report
print("\nClassification Report:")
print(classification_report(y_test, grid_predictions)))

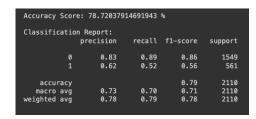
# Calculate the confusion matrix
cm = confusion_matrix(y_test, grid_predictions)

# Create a DataFrame from the confusion matrix
```

```
cm_df = pd.DataFrame(cm, index=[0, 1], columns=[0, 1])
# Plot the confusion matrix as a heatmap
plt.figure(figsize=(8, 6))
sns.heatmap(cm_df, annot=True, fmt='g', cmap='Blues')
plt.title('Confusion Matrix')
plt.ylabel('Actual')
plt.xlabel('Predicted')
plt.show()
```



(a)	Confusion	Matrix
(0)	Commence	111001171



(b) Report the results

3 Datasets Employed:

- 1. **Used Cars Dataset:** This dataset is available on Kaggle and provides extensive data on used cars. It can be accessed via the following link: https://www.kaggle.com/datasets/austinreese/craigslist-carstrucks-data
- 2. **Telco Customer Churn Dataset:** Also available on Kaggle, this dataset provides valuable insights into customer churn in the telecommunications industry. It can be accessed via the following link: https://www.kaggle.com/datasets/blastchar/telco-customer-churn