Sorted array has binary search tree property. If you take a "mid" element, elements less than "mid" would be on left side & elements greater than "mid" would be on right side. This key we can use to divide array to half in every iteration/recursive call.

$$\{1,2,3,4,5,6,7,8,9\}$$
. => find key = 1

As the mid element 5 > key i.e (1)

Take left part of array {1,2,3,4}. Exclude right side part {6,7,8,9}
As the mid element 2 > key i.e (1)

Take left part of array {1}. Exclude right side part {3,4}
As Mid element 1 == key (i.e 1)

Element found.

If size of the array is 8 => you can find the element in 3 steps

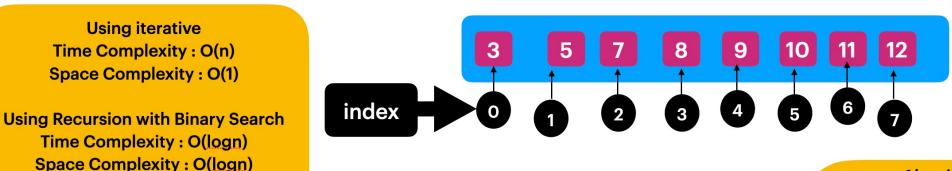
If we use recursion, then we call method recursively logn times. So that there are logn stack frames would be active.

So In case of reclusion the SpaceComplexity would be O(logn)



In a binary search for every iteration/ recursion we divide array half.

For n = 8, n/8 is the possible sub problem so this can be reached in 3 steps .  $log2^3 = 8$ So the TimeComplexity is O(log(n))



arr[mid] > element so end = mid-1

start = 0

end = 7

mid = 3

arr

Using Iterative with Binary Search
Time Complexity: O(logn)
Space Complexity: O(1)

As logn stack frames were active

⊕ Step1

start = 0, end = 2 mid = 1

Step2

arr[mid] < element so start = mid+1

start = 2 end = 2

arr

mid = 2

arr[mid] = element so return midIndex i.e 2

Algorithm to Find an element in SortedArray:
Its Binary Search

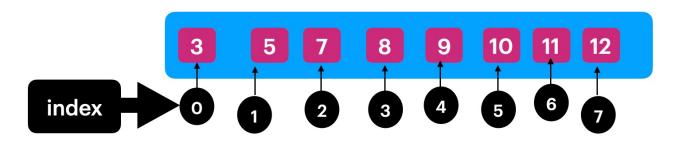
initialise start = 0 end = <u>arr.length-1</u>

1. Find the mid, if the arr[mid] == element then return mid index.

2. If the arr[mid] > element then move left side end = mid - 1

3. If the arr[mid] < element then move right .
i.e start = mid+1
Base Condition start <= end

 $\pm$ 



Find Element 6

