

# Design and development practice of power electronic products

-Week 4

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# Course content

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- Principle of switching converter ...1 week
- Understanding of components, materials and loss ...2 weeks
- Operation principle and application scope of common circuit architecture ...2 weeks
- Small signal model and stability analysis ...3 weeks
- Basic control methods ...1 week
- The stability of the cascade system ...1 week
- Introduction and design of EMI conducted noise sources, coupling paths,  
and non-ideal filters ...1 week

## Course outline – Week 4

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- **Take Buck as an example to illustrate the design and characteristics of the converter.**
  - Principles of converter derivation
    - Voltage/Ampere-second balance
  - Steps to derive converter conversion ratio based on the volt-second balance in C.C.M.
  - Buck converter under B.C.M and D.C.M operation
  - Component design process
  - The basic relationship between design parameters and efficiency performance
    - Effect of switching frequency
    - Effect of CCM/BCM/DCM operation
- **Basic non-isolated topology introduction**
  - Boost
  - Buck-Boost
  - SEPIC
- **Basic isolated topology introduction**
  - Reasons for electrical isolation requirement
  - Forward
  - Flyback
  - Half/Full bridge

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# Voltage-second balance

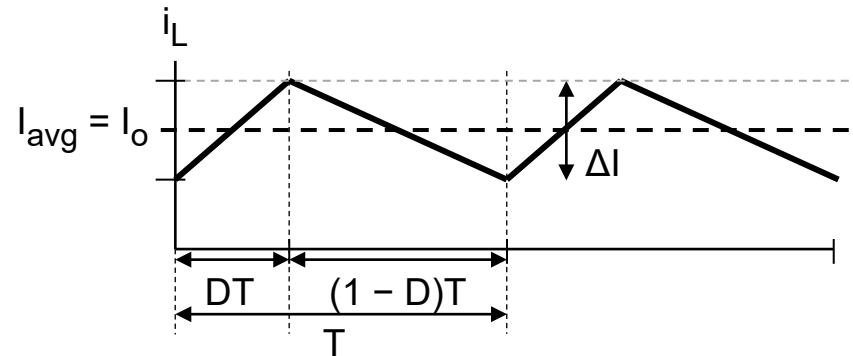
Examine the voltage across an inductor that is operating in periodic steady state. The governing equation is

$$v(t) = L \frac{di(t)}{dt} \quad \text{which leads to} \quad i(t) = i(t_0) + \frac{1}{L} \int_{t_0}^{t_0+t} v(t) dt$$

Since the inductor is in periodic steady state, then the current at time  $t_0$  is the same as the current one period  $T$  later, so

$$i(t_0 + T) = i(t_0),$$

$$\text{or} \quad i(t_0 + T) - i(t_0) = 0 = \frac{1}{L} \int_{t_0}^{t_0+T} v(t) dt$$



The conclusion is that  $\int_{t_0}^{t_0+T} v(t) dt = 0$  which means that

the average voltage across an inductor operating in periodic steady state is zero.

# Amp-second balance

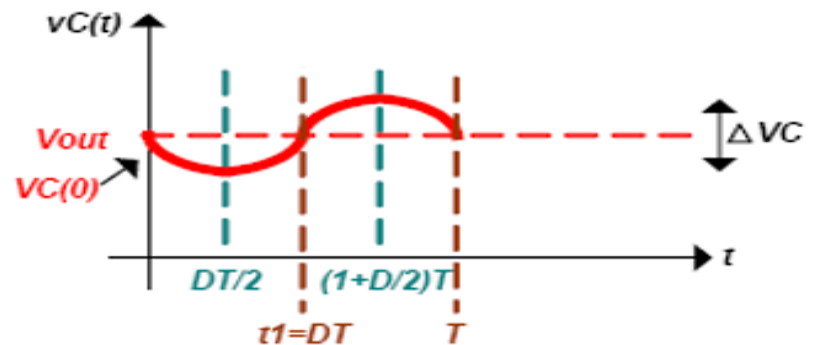
Examine the current passing through a capacitor that is operating in periodic steady state. The governing equation is

$$i(t) = C \frac{dv(t)}{dt} \quad \text{which leads to} \quad v(t) = v(t_0) + \frac{1}{C} \int_{t_0}^{t_0+t} i(t) dt$$

Since the capacitor is in periodic steady state, then the voltage at time  $t_0$  is the same as the voltage one period  $T$  later, so

$$v(t_0 + T) = v(t_0),$$

$$\text{or} \quad v(t_0 + T) - v(t_0) = 0 = \frac{1}{C} \int_{t_0}^{t_0+T} i(t) dt$$



The conclusion is that  $\int_{t_0}^{t_0+T} i(t) dt = 0$  which means that

the average current through a capacitor operating in periodic steady state is zero.

# Inductor and Capacitor

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In capacitors:  $i(t) = C \frac{dv(t)}{dt}$       The voltage cannot change instantaneously

Capacitors tend to keep the voltage constant (voltage “inertia”). An ideal capacitor with infinite capacitance acts as a constant voltage source. Thus, a capacitor cannot be connected in parallel with a instantly changeable voltage source or a switch (otherwise KVL would be violated, i.e. there will be a short-circuit)

In inductors:  $v(t) = L \frac{di(t)}{dt}$       The current cannot change instantaneously

Inductors tend to keep the current constant (current “inertia”). An ideal inductor with infinite inductance acts as a constant current source. Thus, an inductor cannot be connected in series with a instantly changeable current source or a switch (otherwise KCL would be violated)

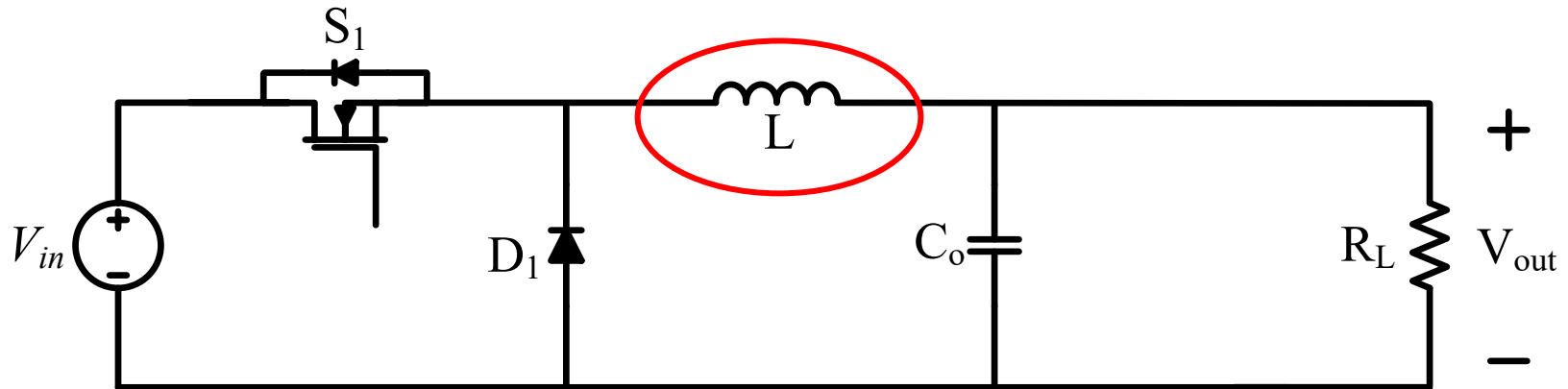
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# Principle of Buck converter



**According to the current state can be divided into :**

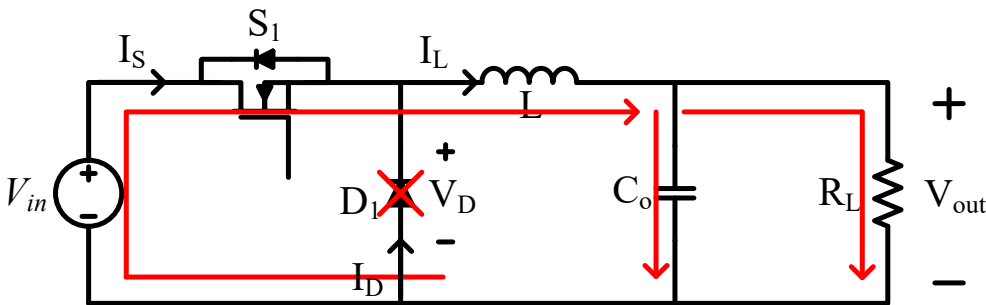
Continuous Conduction Mode (C.C.M.)

Boundary Conduction Mode (B.C.M.)

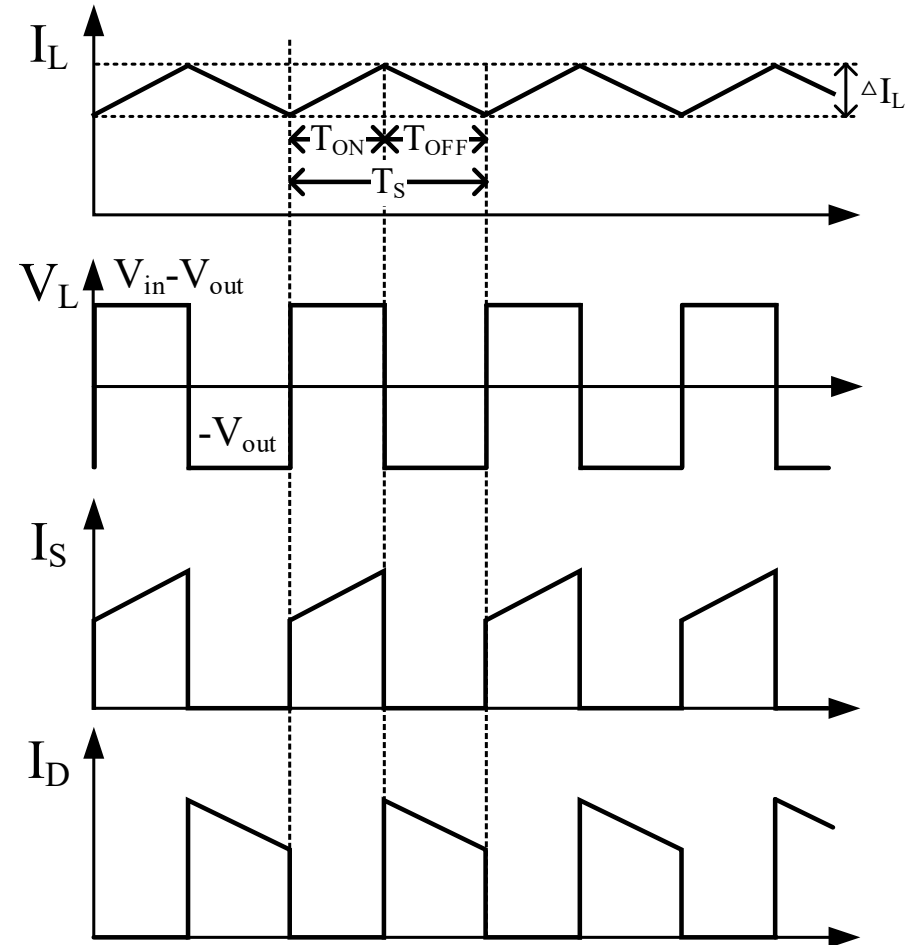
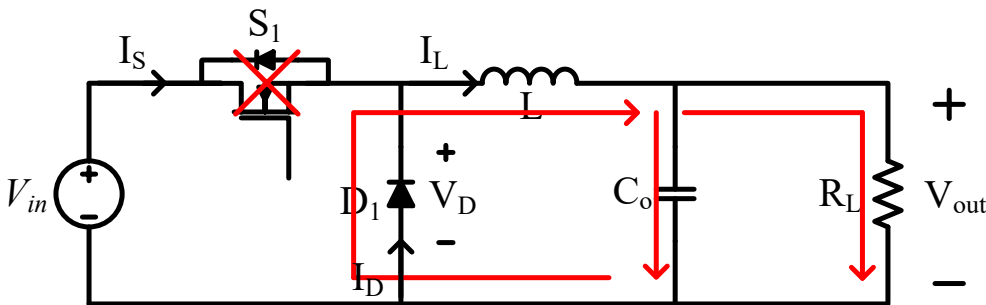
Discontinuous Conduction Mode (D.C.M.)

# Buck converter operation modes - C.C.M.

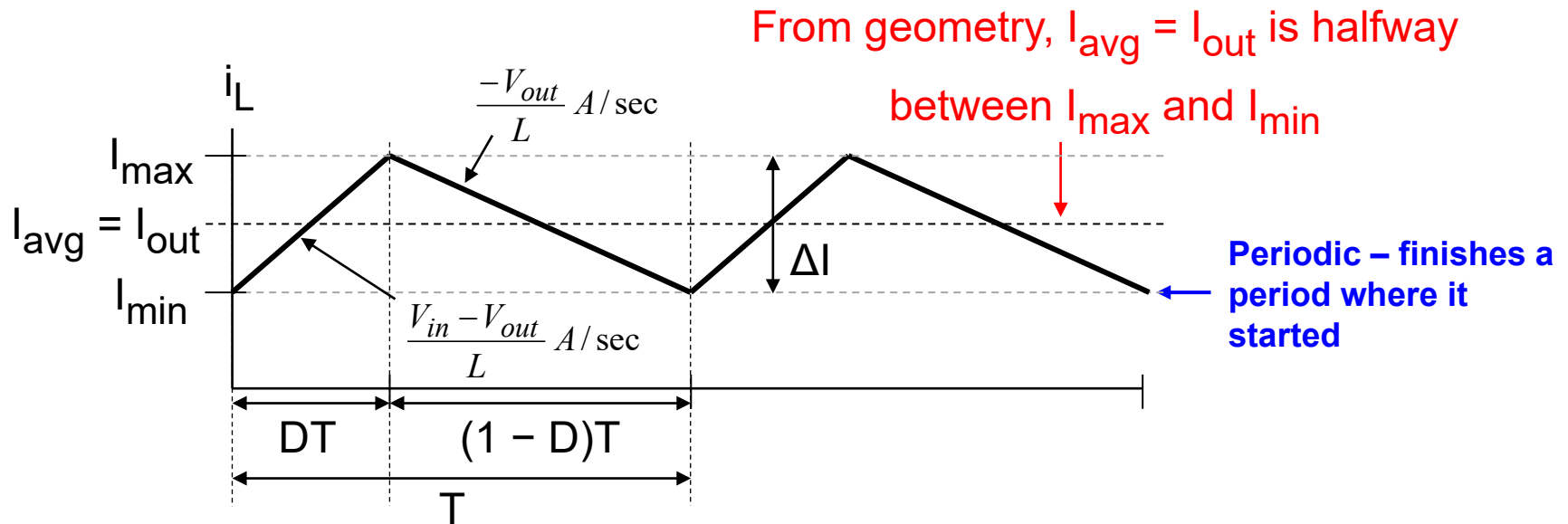
$S_1$  turn on,  $D_1$  turn off ( $T_{ON}$ ) :



$S_1$  turn off,  $D_1$  turn on ( $T_{OFF}$ ) :



# Inductor's current waveform in buck converter



Switch closed,  $v_L = V_{in} - V_{out}, \frac{di_L}{dt} = \frac{V_{in} - V_{out}}{L}$

Switch open,  $v_L = -V_{out}, \frac{di_L}{dt} = \frac{-V_{out}}{L}$

## Derive the voltage conversion ratio from the volt-second balance-C.C.M.

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Since the average voltage across L is zero

$$V_{Lavg} = D \cdot (V_{in} - V_{out}) + (1 - D) \cdot (-V_{out}) = 0$$

$$DV_{in} = D \cdot V_{out} + V_{out} - D \cdot V_{out}$$

The input/output equation becomes

$$V_{out} = DV_{in}$$

From power balance,  $V_{in}I_{in} = V_{out}I_{out}$  , so

$$I_{out} = \frac{I_{in}}{D}$$

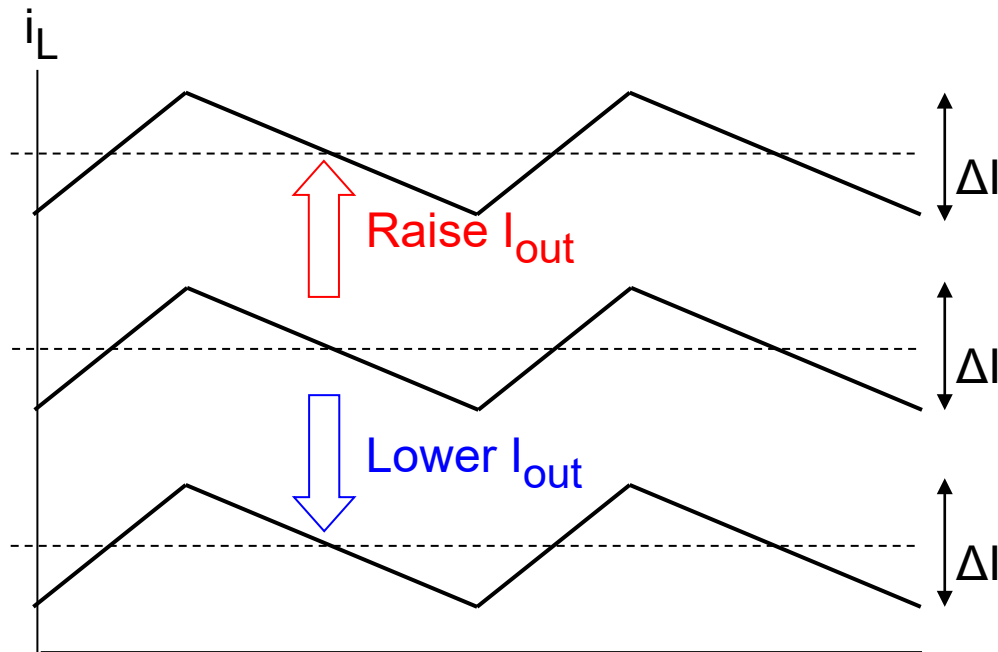
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# The process of inductor current from C.C.M to D.C.M

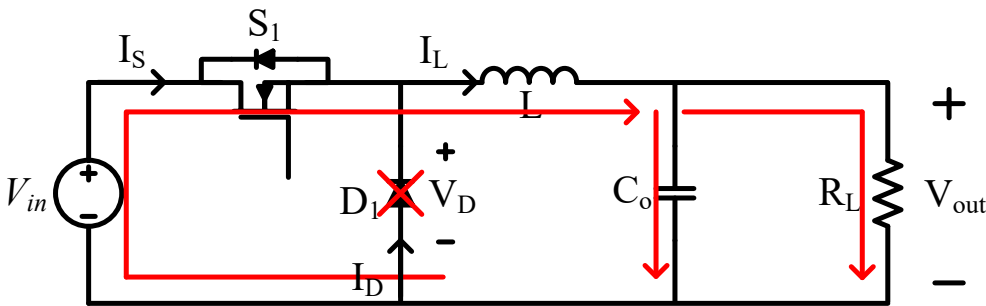
Effect of raising and lowering  $I_{out}$  while holding  $V_{in}$ ,  $V_{out}$ ,  $f$ , and  $L$  constant



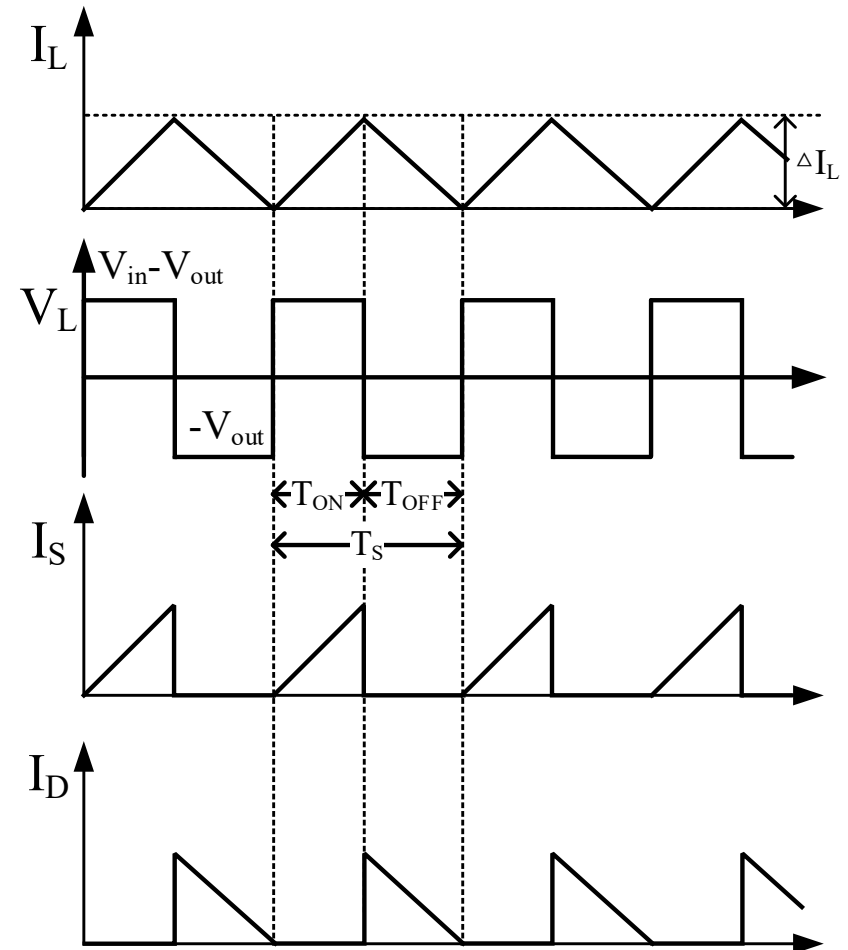
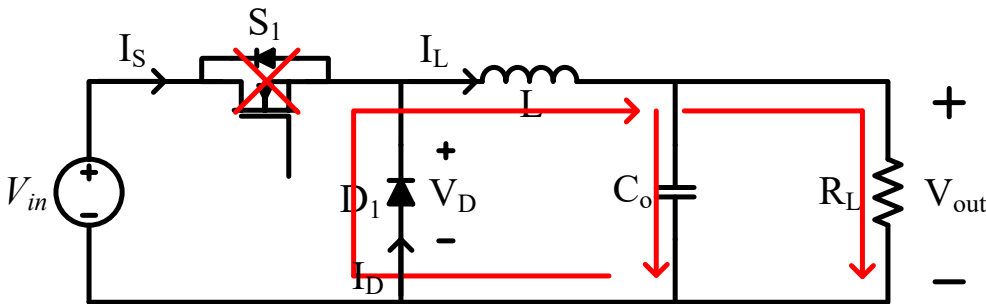
- $V_{in}$  and  $V_o$  are constant,  $\Delta I$  is unchanged.
- Lowering  $I_{out}$  (and, therefore,  $P_{out}$ ) moves the circuit toward discontinuous operation.

# Buck converter operation modes - B.C.M.

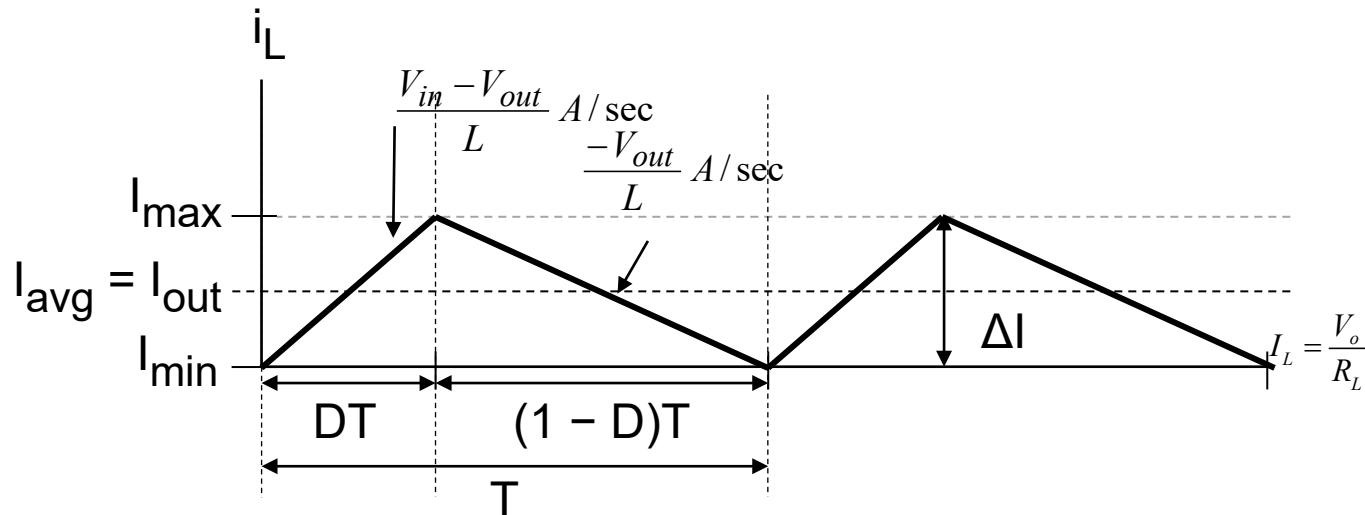
$S_1$  turn on,  $D_1$  turn off ( $T_{ON}$ ) :



$S_1$  turn off,  $D_1$  turn on ( $T_{OFF}$ ) :



# Derive the voltage conversion ratio from the volt-second balance-B.C.M.



$$I_L = \frac{V_o}{R_L}$$

$$I_{L(max)} = I_L + \frac{\Delta i_L}{2}$$

$$= \frac{V_o}{R_L} + \frac{1}{2} \left[ \frac{(V_{in} - V_o)}{L} (DT) \right]$$

$$= \frac{V_o}{R_L} + \frac{1}{2} \left[ \frac{V_o}{L} (1-D)T \right]$$

$$I_{L(min)} = I_L - \frac{\Delta i_L}{2}$$

$$= \frac{V_o}{R_L} - \frac{1}{2} \left[ \frac{(V_{in} - V_o)}{L} (DT) \right]$$

$$= \frac{V_o}{R_L} - \frac{1}{2} \left[ \frac{V_o}{L} (1-D)T \right]$$

$$\text{B.C.M. } I_{L(min)} = 0$$

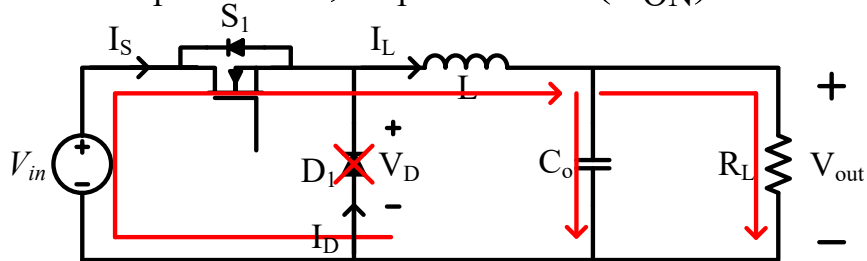
$$L_B = \frac{R_L (1-D)}{2 \cdot f} = \frac{V_o (1-D)}{I_o 2 \cdot f}$$

$$V_{out} = DV_{in}$$

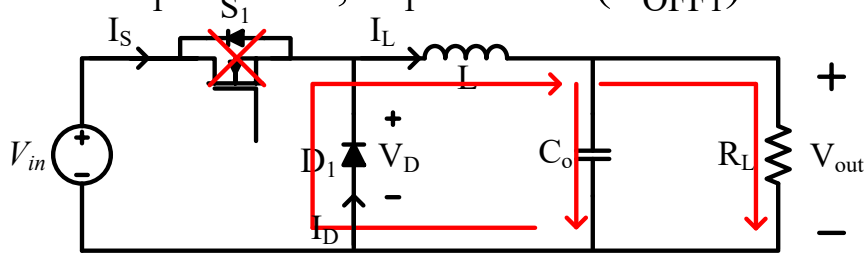


# Buck converter operation modes - D.C.M.

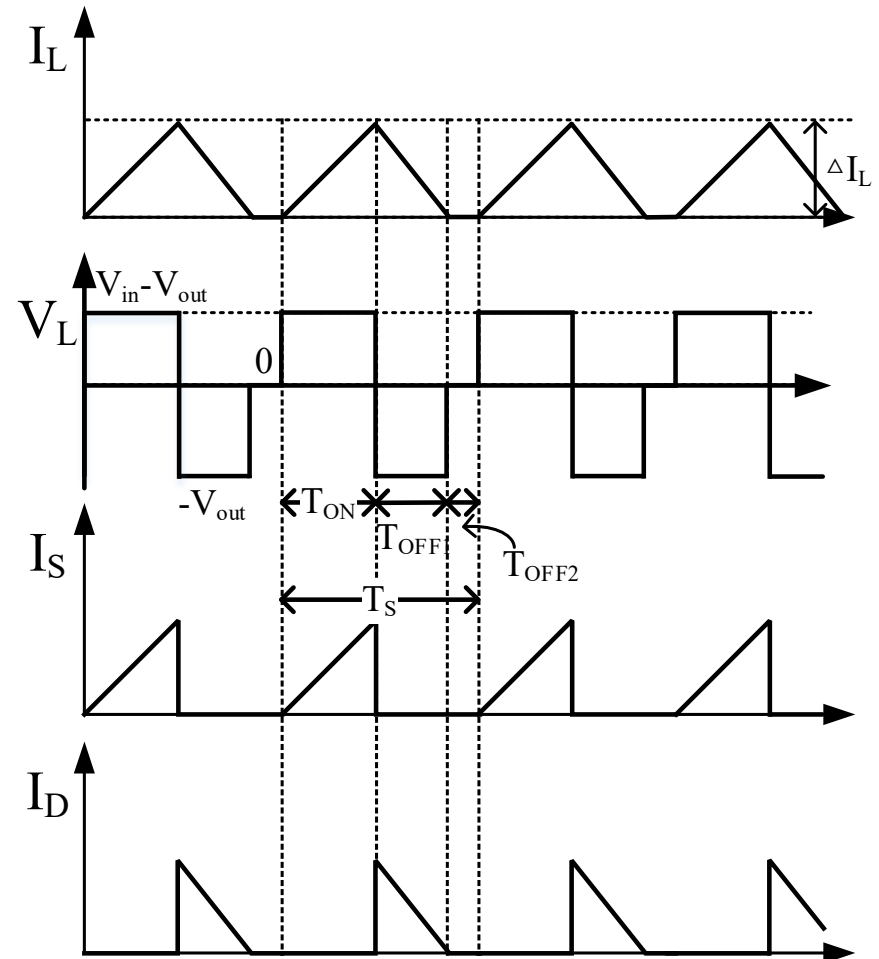
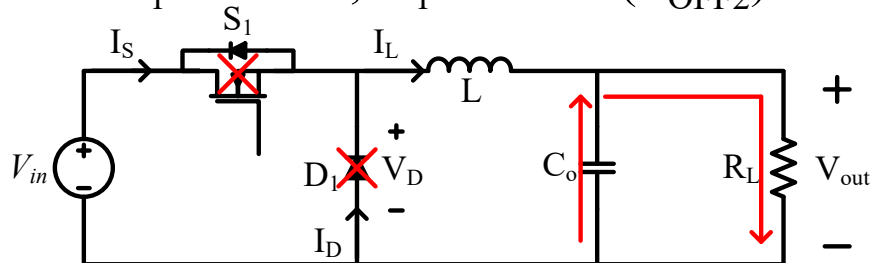
$S_1$  turn on,  $D_1$  turn off ( $T_{ON}$ ) :



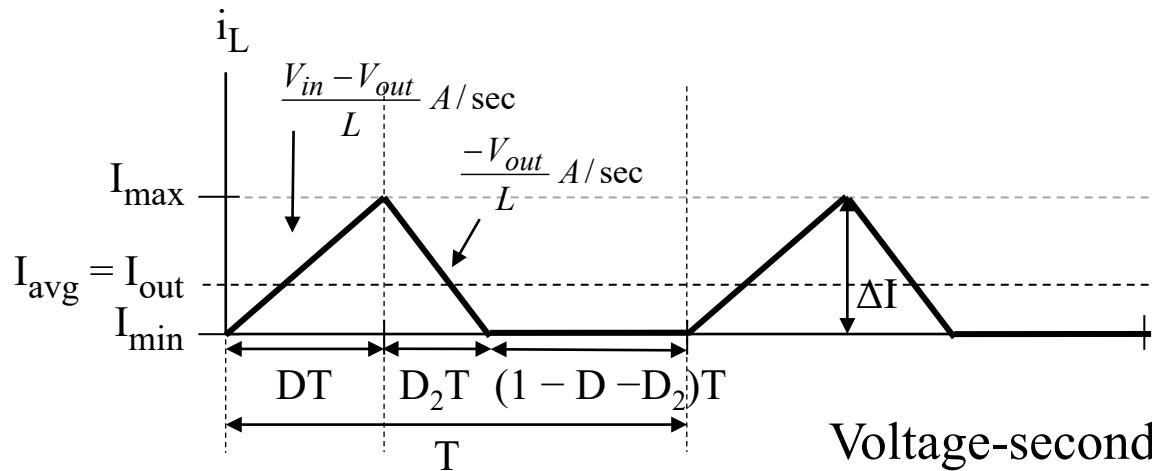
$S_1$  turn off,  $D_1$  turn on ( $T_{OFF1}$ ) :



$S_1$  turn off,  $D_1$  turn off ( $T_{OFF2}$ ) :



# Derive the voltage conversion ratio from the volt-second balance-D.C.M.



Voltage-second balance :

$S_1$  turn on,  $D_1$  turn off ( $T_{ON}$ ) :

$$\Delta I_L = \frac{V_{in} - V_o}{L_1} \times T_{on} = I_{PK}$$

$S_1$  turn off,  $D_1$  turn on ( $T_{OFF1}$ ) :

$$\Delta I_L = -\frac{V_o}{L_1} \times T_{off1} = I_{PK}$$

$$V_o = V_{in} \times \frac{T_{on}}{T_{on} + T_{off1}} = V_{in} \times \frac{D}{D + D_2}$$

$$\frac{V_{in} - V_o}{L_1} DT - \frac{V_o}{L_1} D_2 T = 0$$

$$\frac{I_{PK}}{2} D + \frac{I_{PK}}{2} D_2 = I_o = \frac{V_o}{R_L} \leftarrow I_{PK} = \frac{V_{in} - V_o}{L_1} DT = \frac{V_o}{L_1} D_2 T$$

$$\frac{V_{in} - V_o}{2L_1} D^2 T + \frac{V_o}{2L_1} D_2^2 T = \frac{V_o}{R_L} \leftarrow D_2 = \left( \frac{V_{in}}{V_o} - 1 \right) D$$

$$\rightarrow \frac{V_o}{V_{in}} = \frac{2}{1 + \sqrt{1 + \frac{8L_1 f_s}{R_L D^2}}}$$

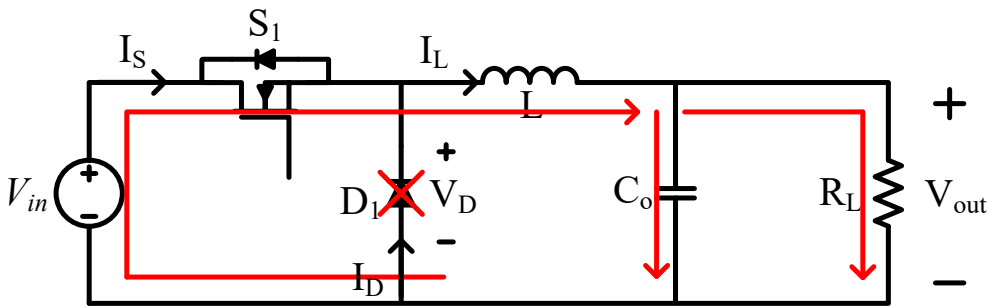
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# Component Design (I) - Diode

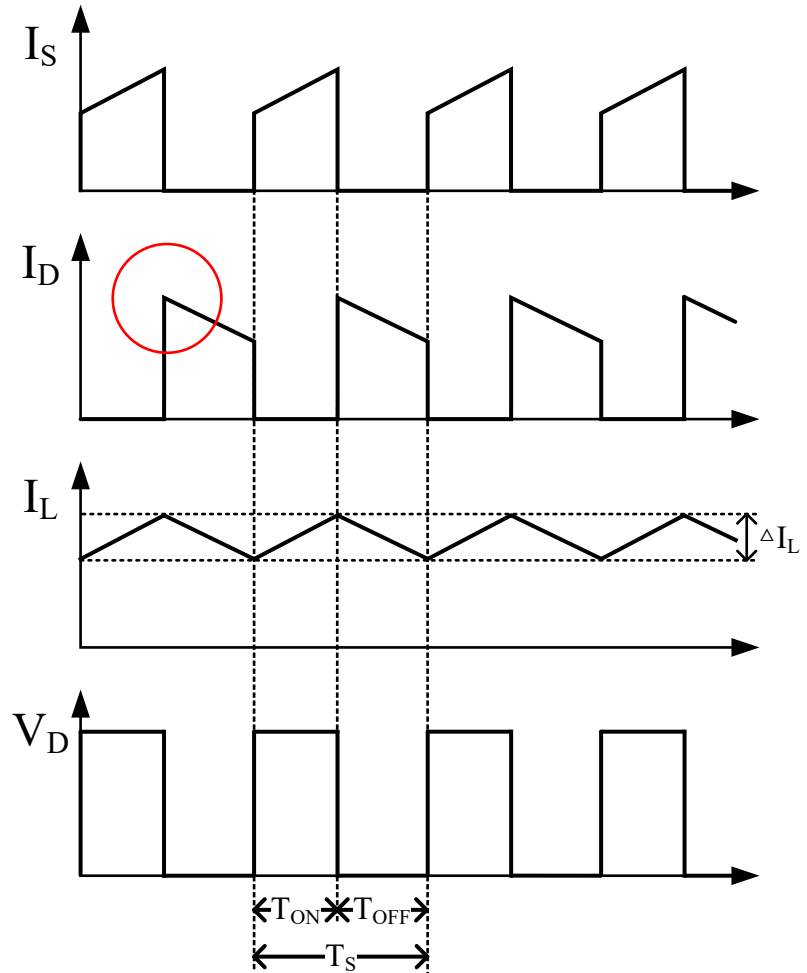
$S_1$  turn on,  $D_1$  turn off ( $T_{ON}$ ) :



**Diode**

$$V_D = V_{in}$$

$$I_{D\_max} = I_L + \frac{\Delta i_L}{2} = \frac{V_o}{R_L} + \frac{1}{2} \left[ \frac{(V_{in} - V_o)}{L} (DT) \right]$$



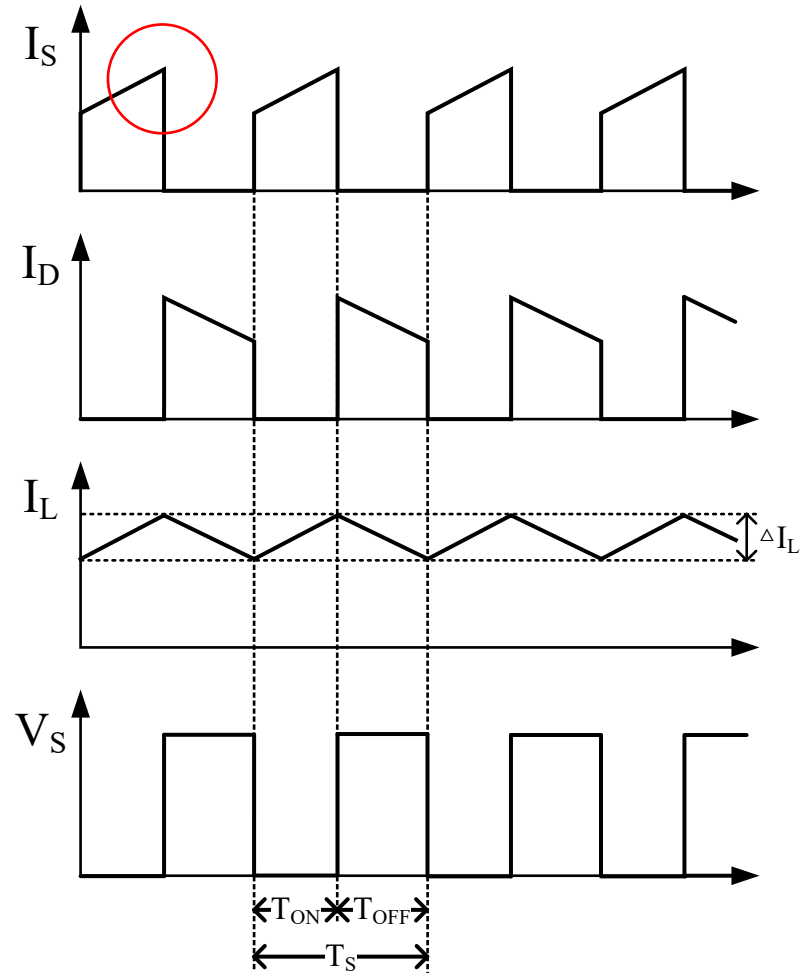
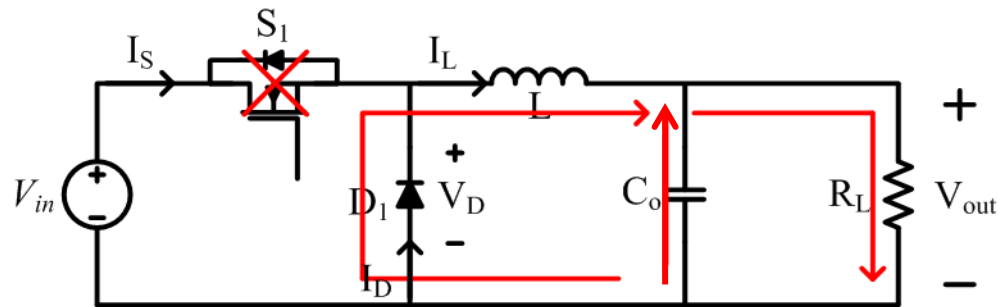
# Component Design (II) - Switch

## Switch

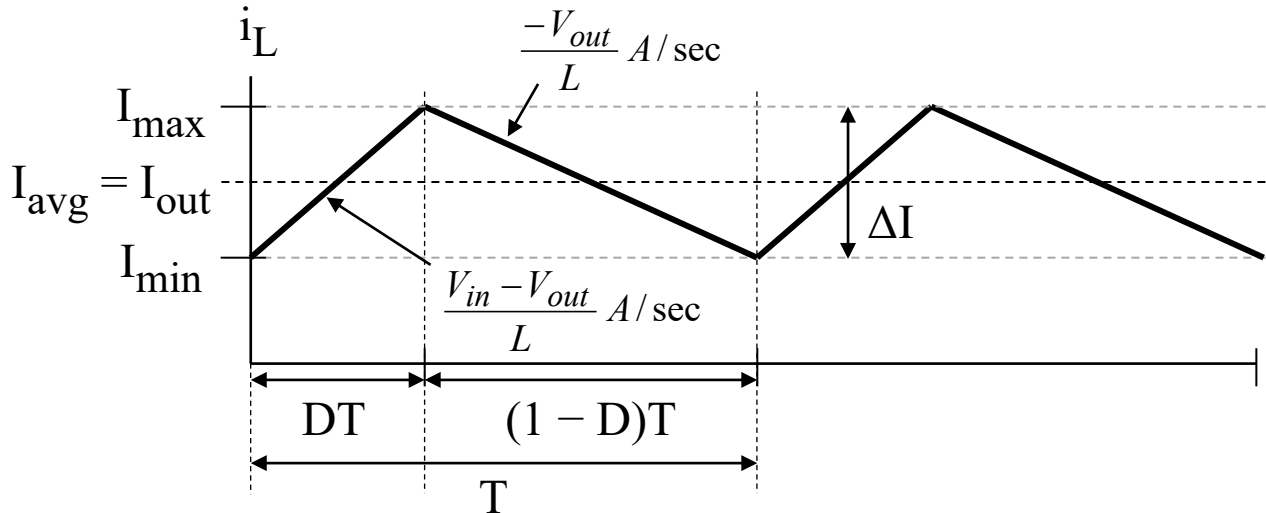
$$V_S = V_{in} + V_{Diode}$$

$$I_{S\_max} = I_L + \frac{\Delta i_L}{2} = \frac{V_o}{R_L} + \frac{1}{2} \left[ \frac{(V_{in} - V_o)}{L} (DT) \right]$$

$S_1$  turn off,  $D_1$  turn on ( $T_{OFF}$ ) :



# Component Design (III) - Inductor



$$V_L = L \frac{di}{dt} = V_{in} - V_o$$

$$\Rightarrow L \frac{\Delta I}{DT} = V_{in} (1-D)$$

$$\Rightarrow L \uparrow = \frac{V_{in} (1-D) D}{\downarrow \Delta I \downarrow f_s \uparrow}$$

$$I_{L\_rms} = \sqrt{D \left[ I_{max} I_{min} + \frac{1}{3} (I_{max} - I_{min})^2 \right]}$$

## Component Design (IV) - Capacitor

Output voltage ripple :

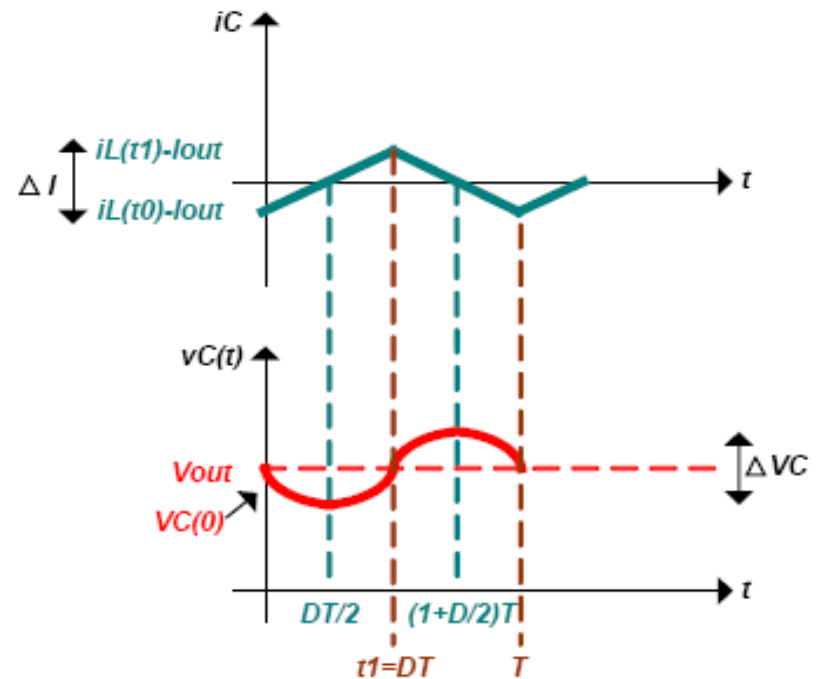
$$\Delta Q = C \cdot \Delta V = \Delta I \cdot T$$

$$\Delta Q = \frac{1}{2} \int_{\frac{DT}{2}}^{DT + \frac{DT}{2}} i dt = \frac{1}{2} \cdot \frac{T}{2} \cdot \frac{\Delta I}{2} = \frac{T \Delta I}{8}$$

$$\Rightarrow C = \frac{\Delta I}{8 \cdot f_s \cdot \Delta V}$$

And because  $\Delta I = \frac{V_o}{L} (1-D) T$

$$\Rightarrow C \uparrow = \frac{V_o (1-D)}{8 \cdot f_s^2 \cdot \Delta V \downarrow \cdot L}$$



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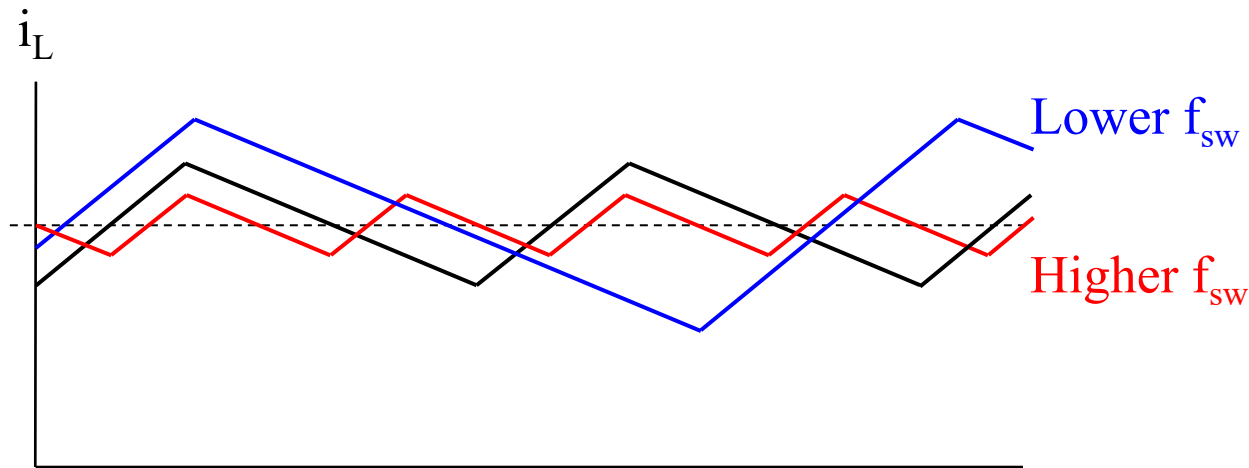
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# Basic relationship between switching frequency and inductance value to ripple current – Variable $F_{sw}$

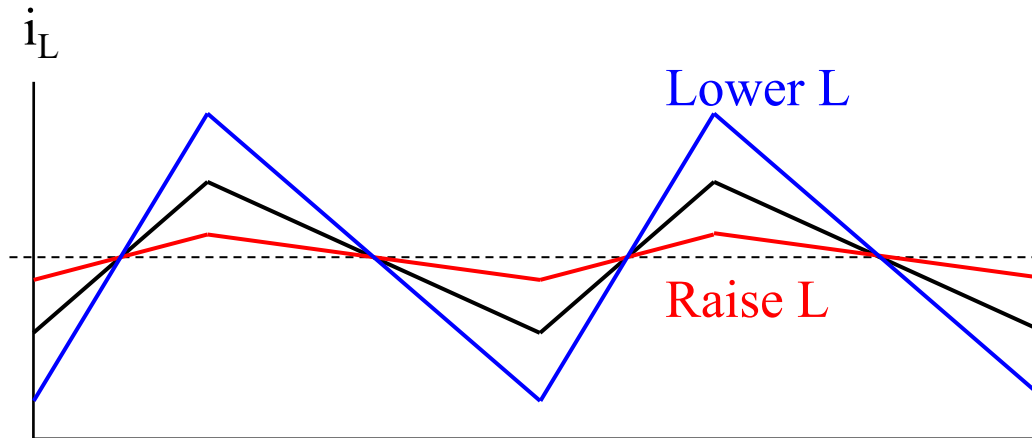
Effect of changing  $f_{sw}$  while holding  $V_{in}$ ,  $V_{out}$ ,  $I_{out}$ , and the inductor  $L$  is constant



- Slopes of  $i_L$  are unchanged.
- Lowering  $f_{sw}$  increases  $\Delta I$  and moves the circuit toward discontinuous operation.
- Ripple current will be smaller with higher switching frequency

# Basic relationship between switching frequency and inductance value to ripple current – Variable L

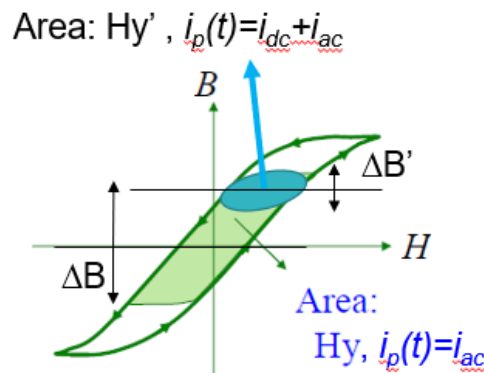
Effect of raising and lowering L while holding  $V_{in}$ ,  $V_{out}$ ,  $I_{out}$  and  $f_s$  constant



- Lowering L increases  $\Delta I$  and moves the circuit toward discontinuous operation

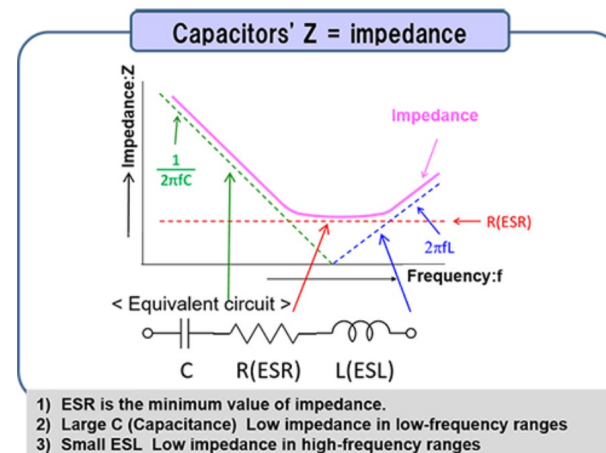
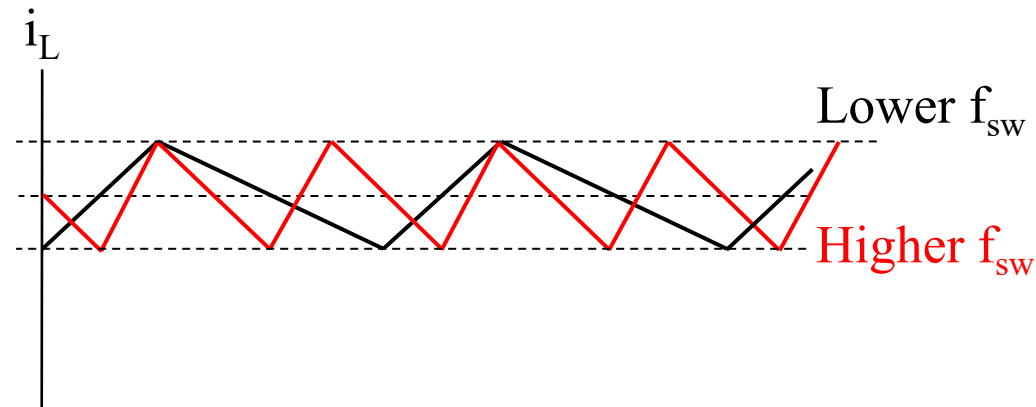
# The relationship between switching frequency and power composition

- Discuss switching frequency and inductance design under fixed current ripple specification:
- Switching frequency  $\uparrow$  inductor value  $\downarrow$
- Conduction loss of inductor? (ignore skin effect)
- Iron loss of inductor?
- ESR loss of output capacitor?



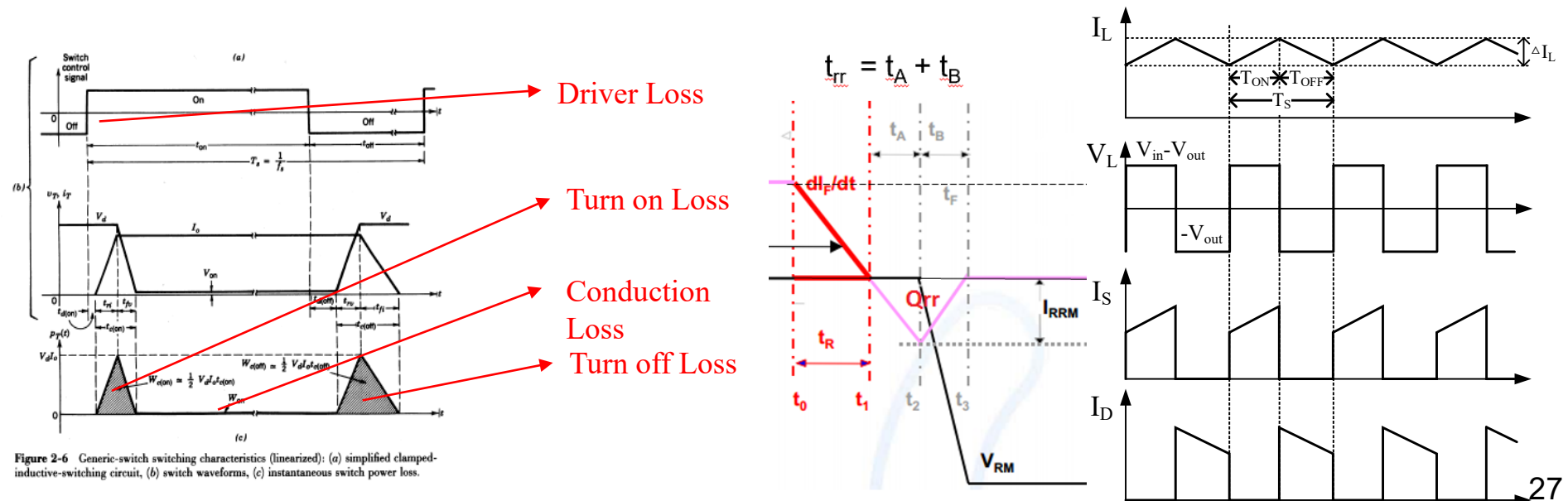
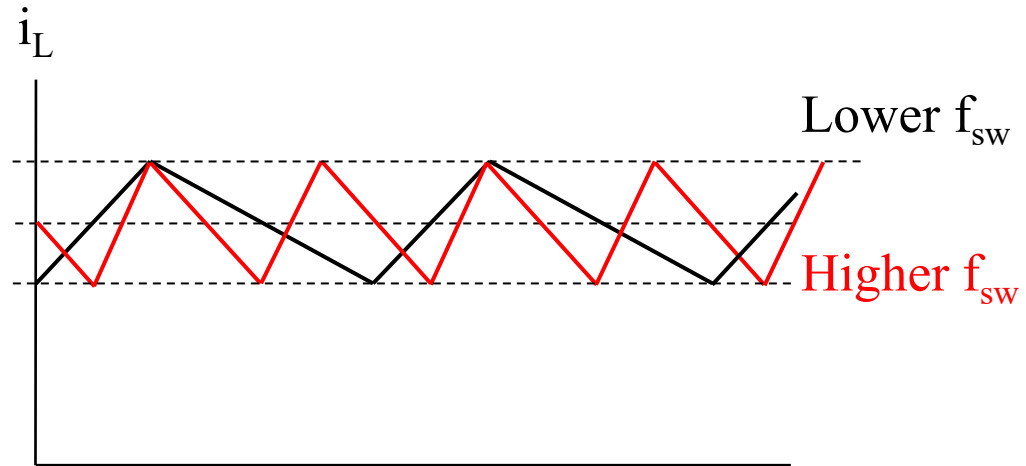
**Steinmetz's equation**,  
sometimes called the **power equation**

$$P_v = k \cdot f^a \cdot B^b$$



# The relationship between switching frequency and power composition

- Discuss switching frequency and inductance design under fixed current ripple specification:
- Switching loss of MOSFET?
- Switching loss of Diode?
- Switching loss of Driver?
- Conduction loss of MOSFET?
- Conduction loss of Diode?



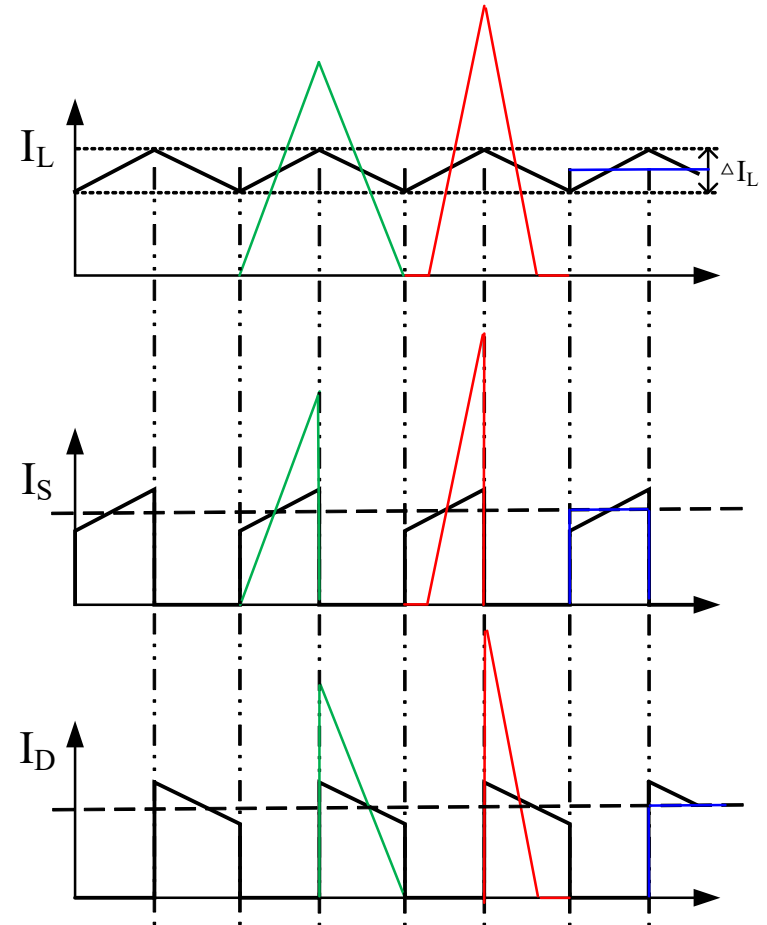
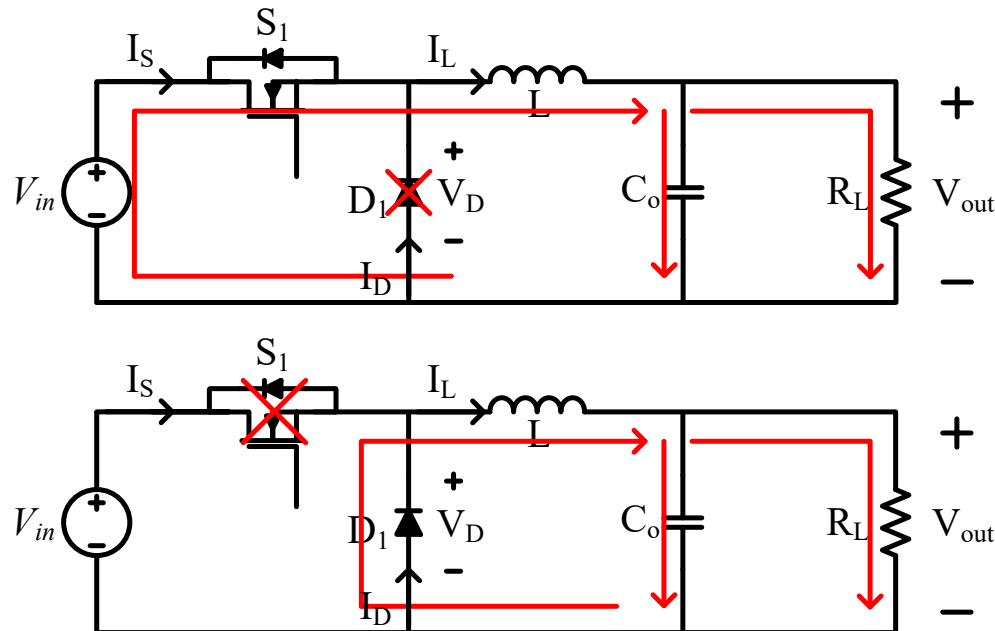
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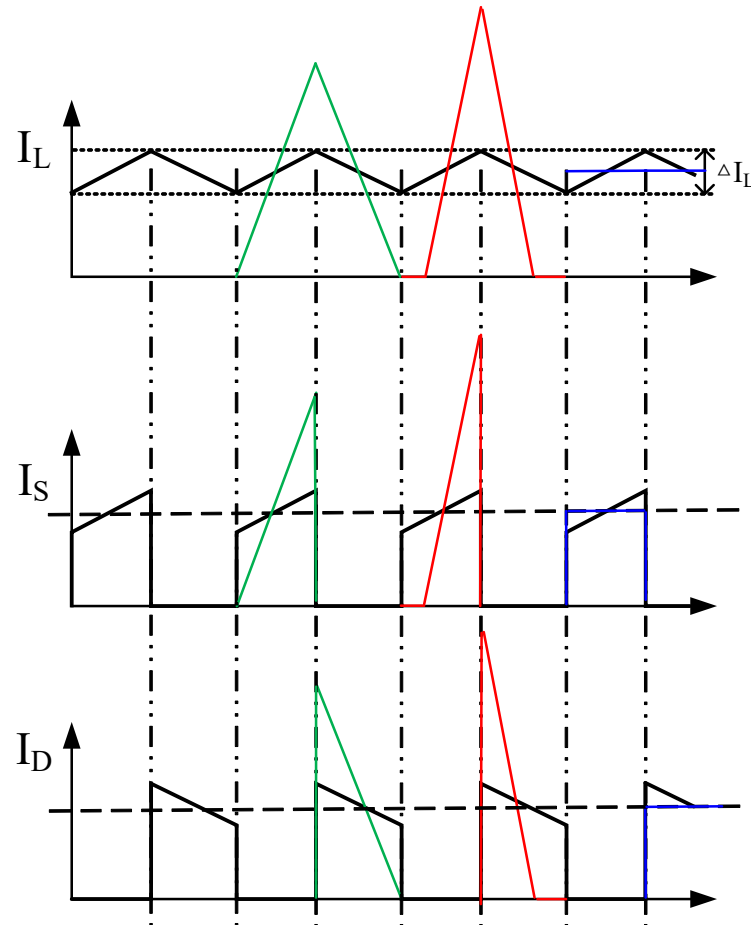
# Three operation modes caused by changing the inductance under fixed-switching frequency and fixed load

- C.C.M.
- B.C.M.
- D.C.M.
- Deep C.C.M.



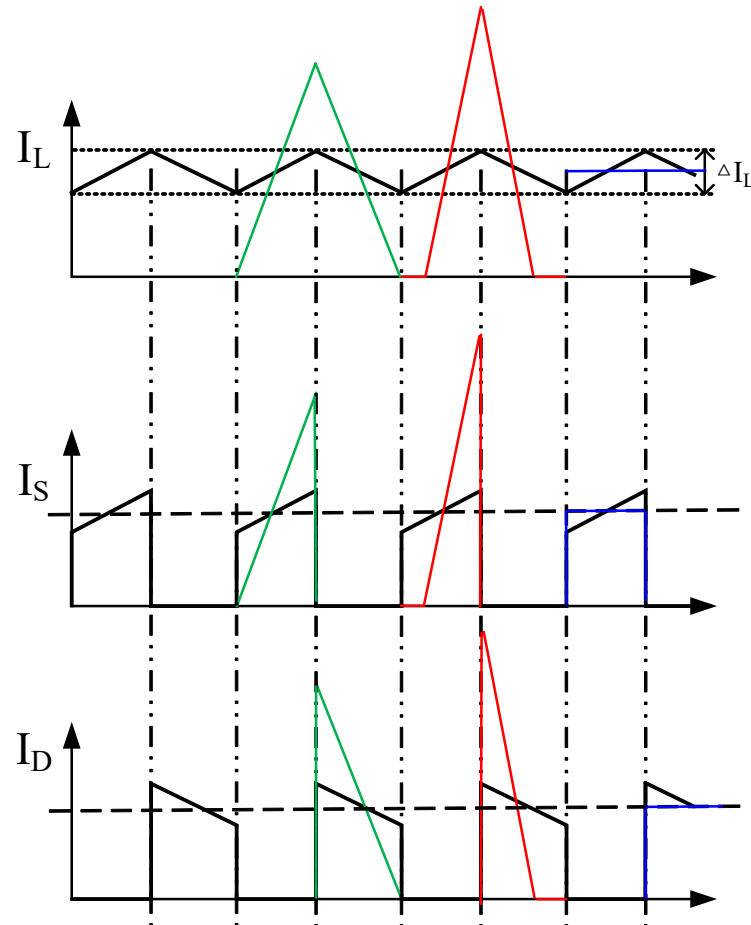
# Brain storming – Comparison of losses in different operating modes

- **Deep C.C.M.** v.s. **C.C.M.**
- Switching loss of MOSFET?
- Switching loss of Diode?
- Switching loss of Driver?
- Conduction loss of MOSFET?
- Conduction loss of Diode?
- Conduction loss of capacitor?
- Conduction loss of inductor?
- Iron loss of inductor?



# Brain storming – Comparison of losses in different operating modes

- C.C.M. v.s. B.C.M.
- Switching loss of MOSFET?
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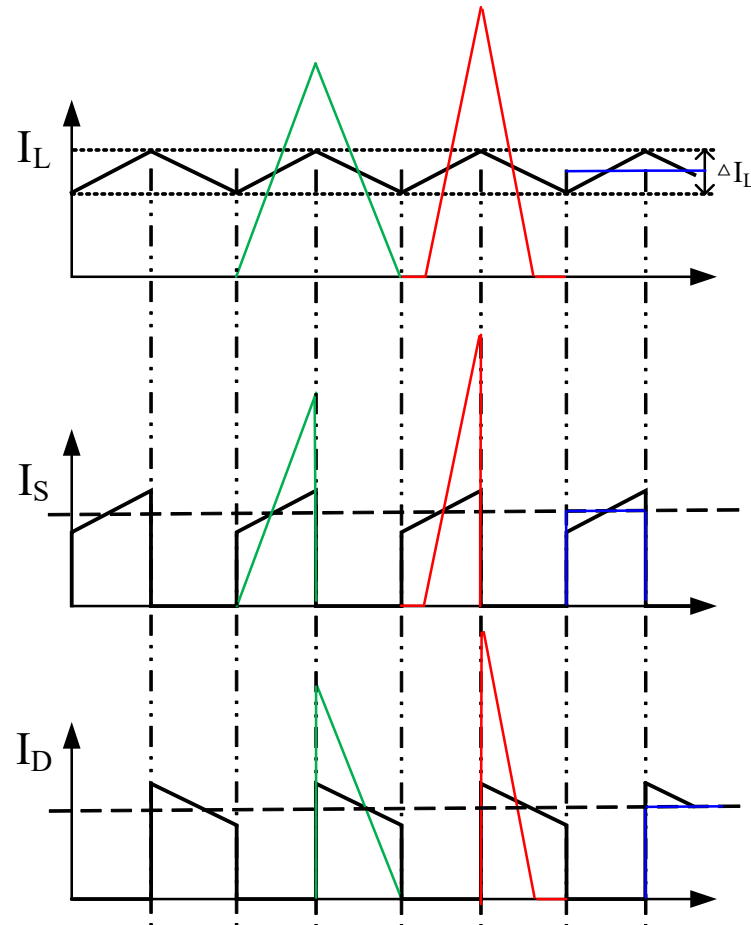




# Brain storming – Comparison of losses in different operating modes

- **B.C.M. v.s. D.C.M.**

- Switching loss of MOSFET?
- Switching loss of Diode?
- Switching loss of Driver?
- Conduction loss of MOSFET?
- Conduction loss of Diode?
- Conduction loss of capacitor?
- Conduction loss of inductor?
- Iron loss of inductor?

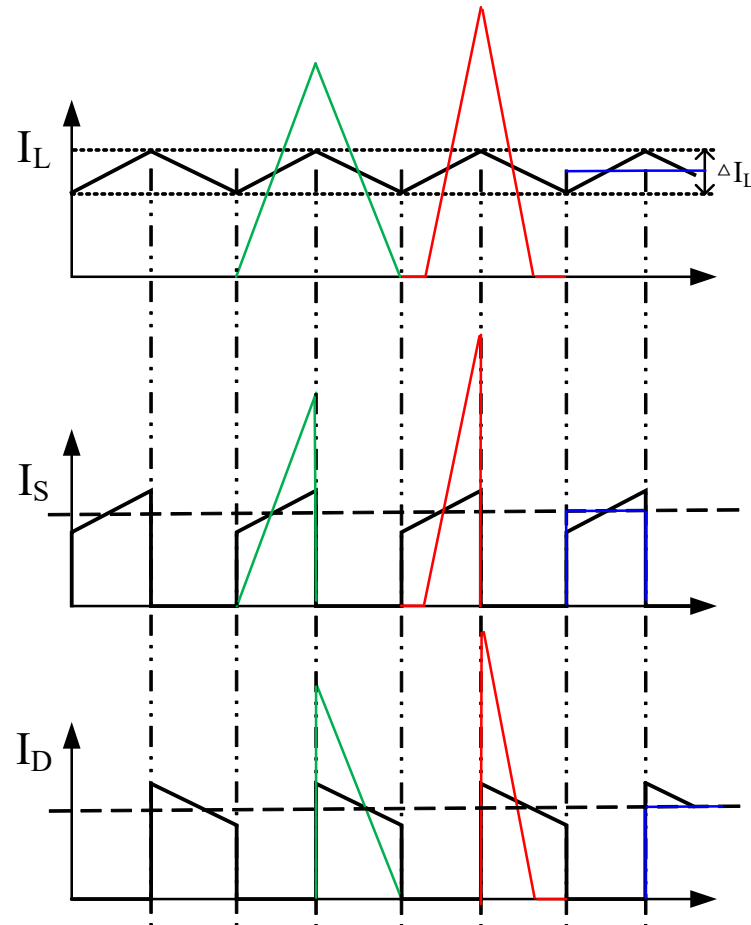


# Brain storming – Comparison of losses in different operating modes

- **B.C.M. v.s. D.C.M.**

- Switching loss of MOSFET?
- Switching loss of Diode?
- Switching loss of Driver?
- Conduction loss of MOSFET?
- Conduction loss of Diode?

- Conduction loss of capacitor?
- Conduction loss of inductor?
- Iron loss of inductor?



- Why the control method usually uses DCM operation instead of BCM operation under light load? (Tips: lower switching frequency cause...?)

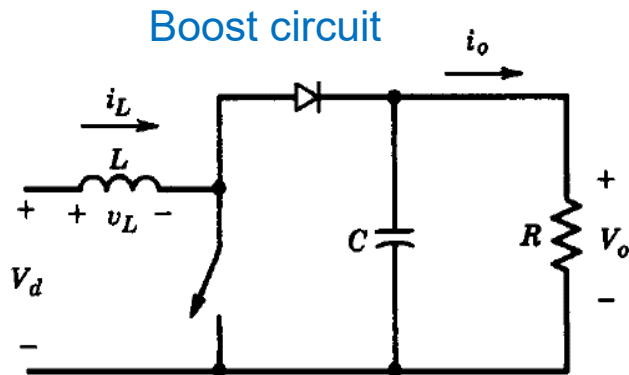
## Course outline – Week 4

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- **Take Buck as an example to illustrate the design and characteristics of the converter.**
  - Principles of converter derivation
    - Voltage/Ampere-second balance
  - Steps to derive converter conversion ratio based on the volt-second balance in C.C.M.
  - Buck converter under B.C.M and D.C.M operation
  - Component design process
  - The basic relationship between design parameters and efficiency performance
    - Effect of switching frequency
    - Effect of CCM/BCM/DCM operation
- **Basic non-isolated topology introduction**
  - Boost
  - Buck-Boost
  - SEPIC
- **Basic isolated topology introduction**
  - Reasons for electrical isolation requirement
  - Forward
  - Flyback
  - Half/Full bridge

# Characteristic of Boost converter

- Pos:
  - The output voltage is greater than the input voltage
  - Input current is equal to the inductor current (**lower input current ripple**)
  - The main application is in regulation dc power supplies, the regenerative braking of dc motors and PFC.
- Dis:
  - Discontinuous diode current cause high **output noise** and **ripple**



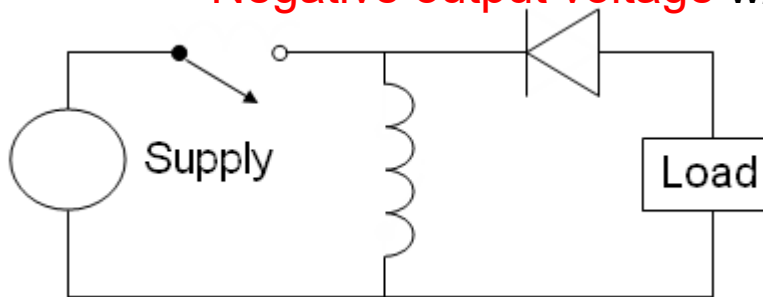
Voltage transfer function

$$\frac{V_o}{V_d} = \frac{1}{1-D}$$

$$\text{Duty} \propto V_o$$

# Characteristic of Buck-boost converter

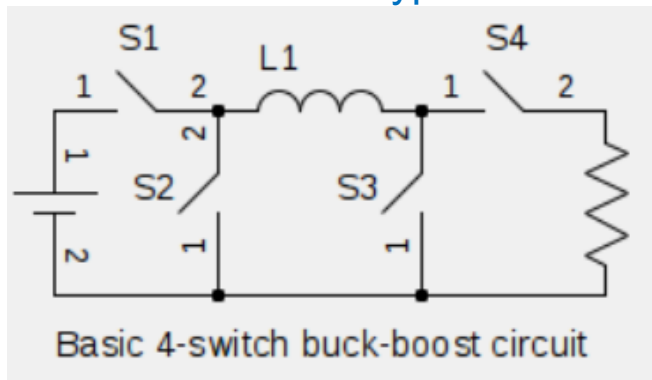
- Pos:
  - The output voltage can be greater or lower than the input voltage
- Dis:
  - Discontinuous switch & diode current cause high **input & output noise** and **ripple**
  - **Negative output voltage** w/i reverse type



Reverse type

Voltage transfer function

$$\frac{V_o}{V_d} = \frac{-D}{1-D}$$



Basic 4-switch buck-boost circuit

4 switches type

Voltage transfer function

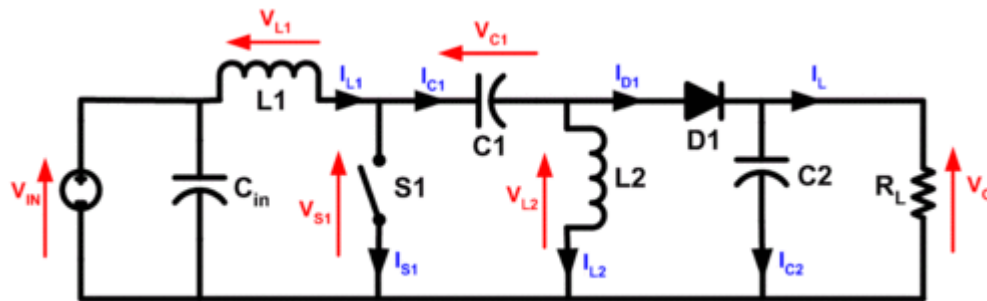
$$\frac{V_o}{V_d} = \frac{1}{1-D}$$

OR

$$\frac{V_o}{V_d} = D$$

# Characteristic of SEPIC converter

- Pos:
  - The output voltage can be greater or lower than the input voltage
  - Positive output voltage
  - Input current continues, current stress and noise are lower
- Dis:
  - More components. Cost, volume problem
  - Hard to closed-loop compensation (nature high order transfer function w/i RHP)



Voltage transfer function

$$\frac{V_o}{V_d} = \frac{D}{1-D}$$

## Course outline – Week 4

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# Reasons for electrical isolation requirement

- Safety: to protect the operator from dangerous voltages
- Voltage level shifting
- To provide galvanic isolation in which the two isolated circuits communicate without a direct conduction path
- Prevent ground loops
- The isolation protects the equipment from the line-level events such as surges, lightning strikes, etc.

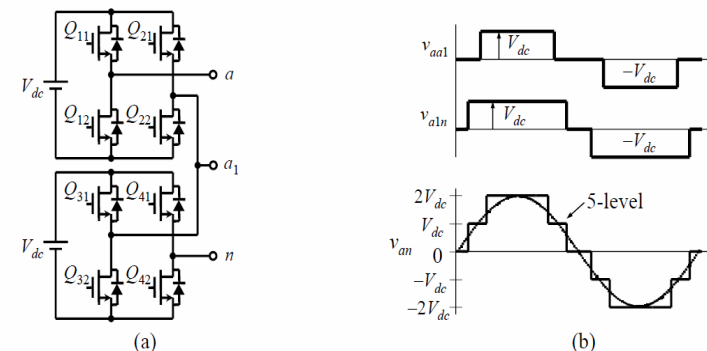
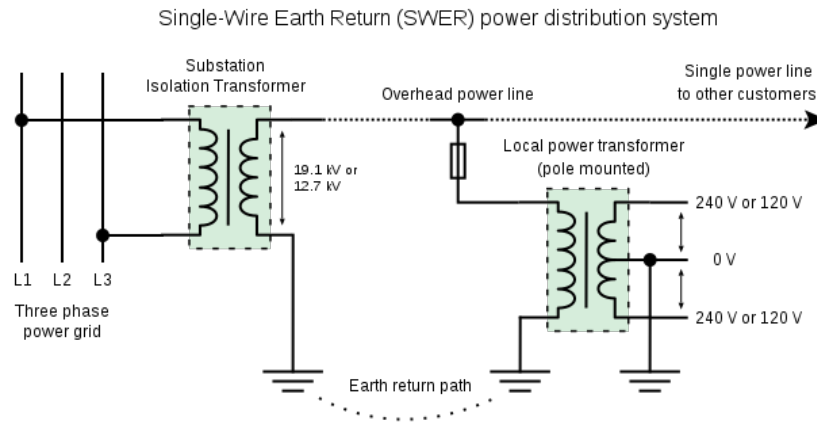


Figure 22. Cascaded inverter with two cells and five levels: (a) Circuit diagram; and (b) individual module output and the entire phase output waveforms.



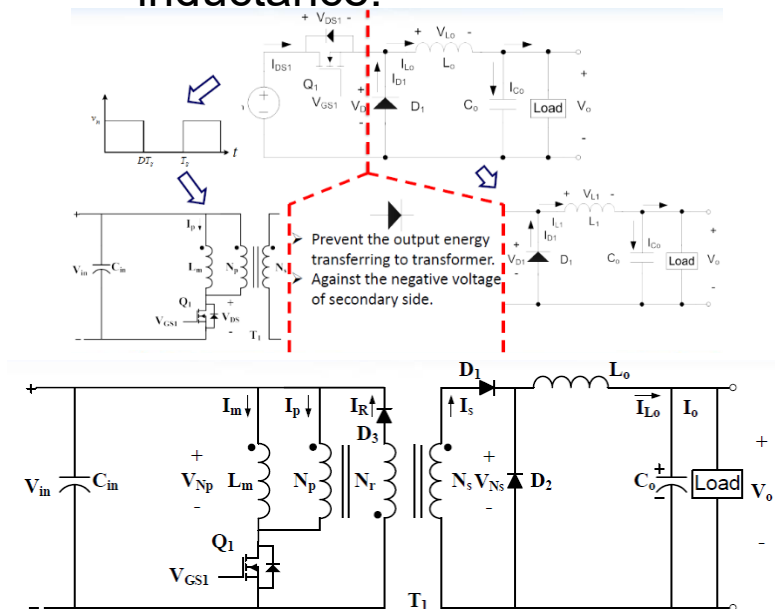
## Course outline – Week 4

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# Characteristic of Forward converter

- Pos:
  - The output voltage is much lower than the input voltage w/i transformer turns ratio
  - Continues output current, low output noise and ripple
  - Suitable for medium power 150~300W application
- Dis:
  - Reset winding, increase winding cost and switch's voltage stress
  - The switch will have a voltage spike caused by transformer leakage inductance.



Forward circuit

Voltage transfer function

$$\frac{V_o}{V_{in}} = \frac{N_s}{N_p} D$$

[Ref]: Fundamentals of Power Electronics | Robert W. Erickson

# Characteristic of Flyback converter

- Pos:
  - An isolated buck-boost converter with positive output voltage
  - Lowest number of components (cost) of isolated converter
- Dis:
  - Discontinues current of input and output
  - Energy is stored in the magnetizing inductance, which increases the volume of magnetic components
  - Only suitable for low power application
  - The switch will have a voltage spike caused by transformer leakage inductance.

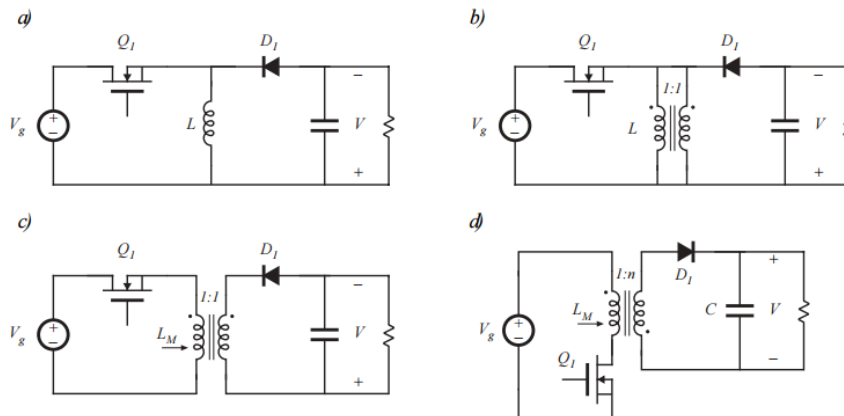


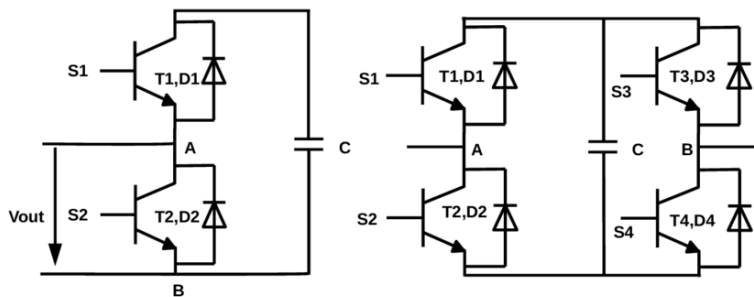
Fig. 1. Derivation of the flyback converter: (a) buck-boost converter, (b) inductor  $L$  is wound with two parallel wires, (c) inductor windings are isolated, leading to the flyback converter, (d) with a  $1:n$  turns ratio and positive output.

Voltage transfer function

$$\frac{V}{V_g} = \frac{n}{1} \frac{D}{1-D}$$

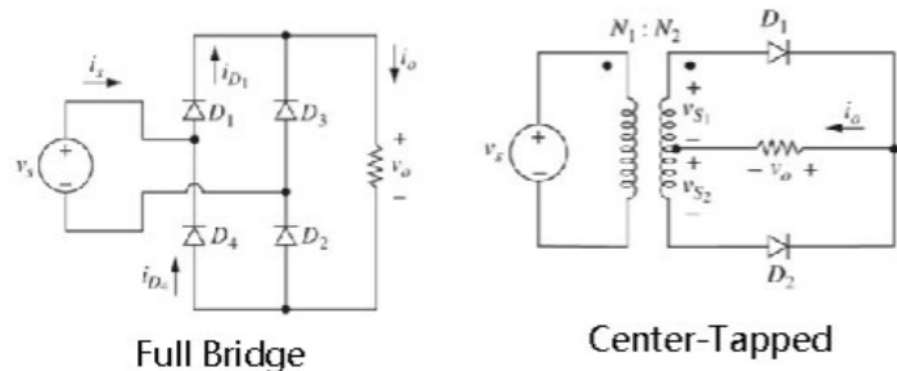
# Characteristic of Half/Full bridge converter

- Half / Full bridge:
  - 2 switches / 4 switches
  - Need DC blocking capacitor / No need DC blocking capacitor (ideal)
  - Transformer input voltage is  $\pm 0.5V_{in}$  /  $\pm 1V_{in}$
- Full wave rectifier (Full bridge / Center Tapped):
  - 4 diodes / 2 diodes
  - Diode's voltage stress is  $0.5V_o$  /  $2V_o$
  - 2 voltage drops pre half-cycle / 1 voltage drop pre half-cycle
  - No need center-tapped transformer / Need center-tapped transformer



a) Half bridge submodule configuration

b) Full bridge submodule configuration  
 $V_{out}=V_{AB}$



Full Bridge

Center-Tapped



**THANK YOU**