

Name: Ojas Patil

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TE COMPS

Batch C

### Experiment 6

**Aim:** To solve problems using Prolog Programming.

**Q.1)** Create a family tree using PROLOG. It should have rules for father, mother, brother, sister, grandparent, uncle, aunt, predecessors, successors.

**Code:**

```
parent(pandu, arjun).
```

```
parent(pandu, bheem).
```

```
parent(pandu, nakul).
```

```
parent(arjun, abhimanyu).
```

```
parent(arjun, pragati).
```

```
parent(abhimanyu, parikshit).
```

```
parent(uttara, parikshit).
```

```
parent(subhadra, abhimanyu).
```

```
parent(subhadra, pragati).
```

```
parent(kunti, arjun).
```

```
parent(kunti, bheem).
```

```
parent(madri, nakul).
```

```
female(kunti).
```

```
female(madri).
```

```
female(pragati).
```

```
female(uttara).
```

female(subhadra).

male(pandu).

male(arjun).

male(nakul).

male(abhimanyu).

male(parikshit).

mother(X, Y):- parent(X, Y), female(X).

father(X, Y):- parent(X, Y), male(X).

son(X, Y):- parent(Y, X), male(X).

daughter(X, Y):- parent(Y, X), female(X).

grandfather(X, Y):- parent(X, A), parent(A, Y), male(X).

grandmother(X, Y):- parent(X, A), parent(A, Y), female(X).

sister(X, Y):- parent(A, X), parent(A, Y), female(X),  $X \neq Y$ .

brother(X, Y):- parent(A, X), parent(A, Y), male(X),  $X \neq Y$ .

aunt(X, Y):- sister(X, Z), parent(Z, Y).

uncle(X, Y):- brother(X, Z), parent(Z, Y).

predecessor(X, Y) :- parent(X, Y),  $X \neq Y$ .

predecessor(X, Y) :- parent(X, A), predecessor(A, Y).


successor(X, Y):- son(Y, X), X\=Y.

successor(X, Y):- daughter(Y, X).

successor(X, Y):- son(A, X), successor(A, Y).

successor(X, Y):- daughter(A, X), successor(A, Y).


## Output:

 *aunt*(X, parikshit)

X = pragati

Next 10 100 1,000 Stop

?- *aunt*(X, parikshit)


 *brother*(X, arjun)

X = bheem

X = nakul

Next 10 100 1,000 Stop

?- *brother*(X, arjun)

 *daughter*(X, arjun).


X = pragati

?- *daughter*(X, arjun).

 *father*(X, abhimanyu)

X = arjun


Next 10 100 1,000 Stop

 *grandfather*(X, parikshit)

X = arjun

Next 10 100 1,000 Stop


?- *grandfather*(X, parikshit)

 grandmother(X, parikshit)

X = subhadra


Next 10 100 1,000 Stop

?- grandmother(X, parikshit)

 mother(X, abhimanyu).

X = subhadra


?- mother(X, abhimanyu).

 sister(X, abhimanyu)

X = pragati

Next 10 100 1,000 Stop


?- sister(X, abhimanyu)

 son(X, arjun)

X = abhimanyu

Next 10 100 1,000 Stop


?- son(X, arjun)

 successor(X, abhimanyu).

X = parikshit

Next 10 100 1,000 Stop

?- successor(X, abhimanyu).

 uncle(X, abhimanyu)

X = bheem

X = nakul

Next 10 100 1,000 Stop

?- uncle(X, abhimanyu)

**Q.2)** Given a list [a,a,a,a,b,b,b,c,c] write a function that does the following

`rle([a,a,a,a,b,b,c,c],X), X: [a,b,c]`

**Code:**

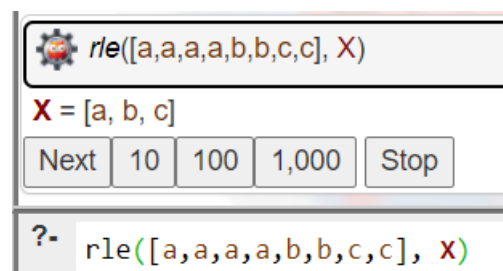
`rle([],[]).`

`rle([X],[X]).`

`rle([X, X|REMAINING],OUTPUT) :- rle([X|REMAINING],OUTPUT).`

`rle([X, Y|REMAINING], [X|OUTPUT_TAIL]) :- X \= Y, rle([Y|REMAINING],  
OUTPUT_TAIL).`

**Output:**



**Q.3)** Given a list [a,b,c,d,e,f,g] write a function that does the following

`slice([a,b,c,d,e,f,g],[2,5],X), X: [c,d,e,f]`

**Code:**

`slice([X|_], 1, 1, [X]).`

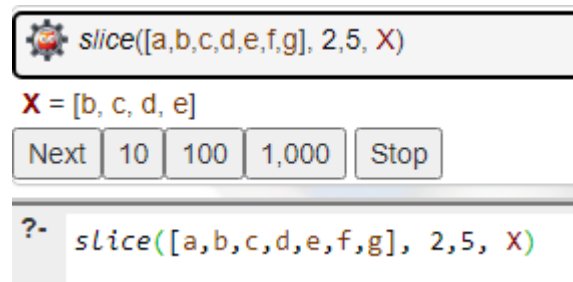
`slice([X|TAIL], 1, CURRENT_INDEX, [X|REM_TAIL]) :- CURRENT_INDEX >  
1,`

`NEXT_INDEX is CURRENT_INDEX - 1, slice(TAIL, 1, NEXT_INDEX,  
REM_TAIL).`

`slice([_|TAIL], I, CURRENT_INDEX, OUTPUT) :- I > 1,`

`I1 is I - 1, NEXT_INDEX is CURRENT_INDEX - 1, slice(TAIL, I1,  
NEXT_INDEX, OUTPUT).`

## Output:



**Q.4)** Group list into sublists according to the distribution given

For example,

`subsets([a,b,c,d,e,f,g],[2,2,3],X,[])` should return `X = [[a,b][c,d][e,f,g]]`

The order of the list does not matter

### Code:

`el(X,[X|L],L).`

`el(X,[_|L],R) :- el(X,L,R).`

`selectN(0,_,[]) :- !.`

`selectN(N,L,[X|S]) :- N > 0,`

`el(X,L,R),`

`N1 is N-1,`

`selectN(N1,R,S).`

`subsets([],[],[],[]).`

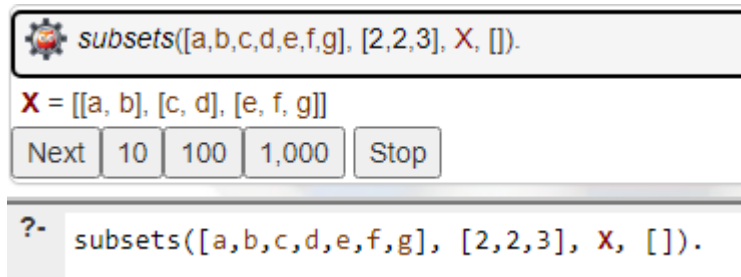
`subsets(G,[N1|Ns],[G1|Gs],[]) :-`

`selectN(N1,G,G1),`

`subtract(G,G1,R),`

`subsets(R,Ns,Gs,[]).`

## Output:



Q5) Huffman Code We suppose a set of symbols with their frequencies, given as a list of  $fr(S,F)$  terms. Example:  $[fr(a,45), fr(b,13), fr(c,12), fr(d,16), fr(e,9), fr(f,5)]$ . Our objective is to construct a list  $hc(S,C)$  terms, where  $C$  is the Huffman code word for the symbol  $S$ . In our example, the result could be  $Hs = [hc(a, '0'), hc(b, '101'), hc(c, '100'), hc(d, '111'), hc(e, '1101'), hc(f, '1100')] [hc(a, '01'), \dots \text{etc.}]$ . The task shall be performed by the predicate `huffman/2` defined as follows: `% huffman(Fs,Hs) :- Hs is the Huffman code table for the frequency table Fs`

**Code:**

`huffman(Fs,Cs) :-`

`initialize(Fs,Ns),`

`make_tree(Ns,T),`

`traverse_tree(T,Cs).`

`initialize(Fs,Ns) :- init(Fs,NsU), sort(NsU,Ns).`

`init([],[]).`

`init([fr(S,F) | Fs],[n(F,S) | Ns]) :- init(Fs,Ns).`

`make_tree([T],T).`

`make_tree([n(F1,X1),n(F2,X2) | Ns],T) :-`

`F is F1+F2,`

`insert(n(F,s(n(F1,X1),n(F2,X2))),Ns,NsR),`

`make_tree(NsR,T).`

`insert(N,[],[N]) :- !.`

```

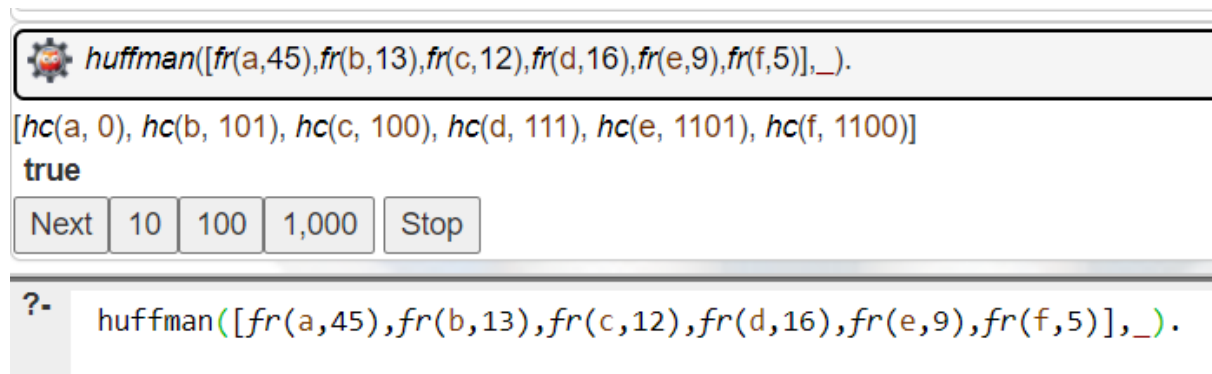
insert(n(F,X),[n(F0,Y)|Ns],[n(F,X),n(F0,Y)|Ns]) :- F < F0, !.
insert(n(F,X),[n(F0,Y)|Ns],[n(F0,Y)|Ns1]) :- F >= F0, insert(n(F,X),Ns,Ns1).

traverse_tree(T,Cs) :- traverse_tree(T,"",Cs1-[]), sort(Cs1,Cs), write(Cs).

traverse_tree(n(_,A),Code,[hc(A,Code)|Cs]-Cs) :- atom(A).
traverse_tree(n(_,s(Left,Right)),Code,Cs1-Cs3) :-
    atom_concat(Code,'0',CodeLeft),
    atom_concat(Code,'1',CodeRight),
    traverse_tree(Left,CodeLeft,Cs1-Cs2),
    traverse_tree(Right,CodeRight,Cs2-Cs3).

```

### Output:



```

huffman([fr(a,45),fr(b,13),fr(c,12),fr(d,16),fr(e,9),fr(f,5)],_).
[hc(a, 0), hc(b, 101), hc(c, 100), hc(d, 111), hc(e, 1101), hc(f, 1100)]
true

```

### Conclusion:

From this experiment, I have observed that, prolog is a purely logic programming language. Logic here is expressed as relations. It's very easy to build databases in prolog. Prolog searches using recursion method.

**Github:** <https://github.com/PatilOjas/AIML-Lab/tree/main/Exp%206>