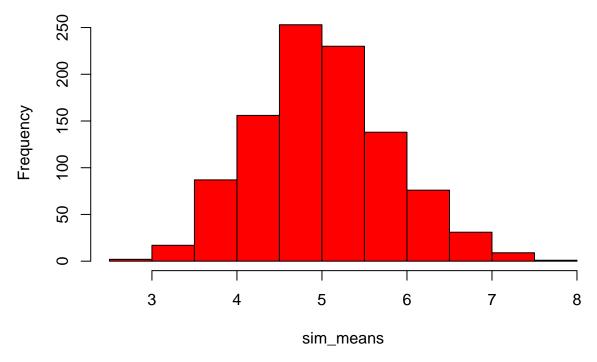
Statistical_Inference_Project

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Step1: simulate the distribution of means of 40 exponential distributions with mean = 1/lambda & stddev = 1/lambda

Distribution of averages of exponential distribution samples, lambda = 0.2



Compare simulated and theoretical means

```
#create matrix to store simulated and theoretical means
df_summary <- data.frame(mean(sim_means), 1/lambda)
colnames(df_summary) <- c("simulated", "theoretical")
print(round(df_summary,3))</pre>
```

```
## simulated theoretical
## 1 5.012 5
```

As observed the mean of the simulation is close to the theoretically expected mean

Step2: compare variance

```
df_summary[2,] <- c(var(sim_means), (1/lambda)^2/n)
rownames(df_summary) <- c("mean", "variance")
print(round(df_summary,3))</pre>
```

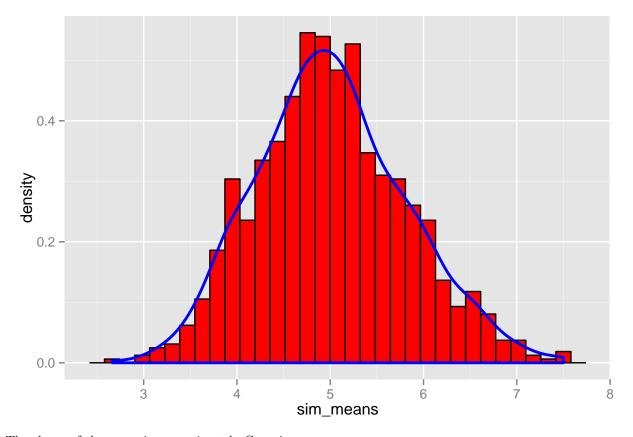
```
## simulated theoretical
## mean 5.012 5.000
## variance 0.640 0.625
```

As observed the variance of the simulation is close to the theoretically expected variance

Step3: show the variable approximately follows a normal distribution

```
library(ggplot2)
sim_means_g <- data.frame(sim_means)
g <- ggplot(sim_means_g, aes(x=sim_means))
g <- g + geom_histogram(aes(y=..density..), col = "black", fill = "red")
g <- g + geom_density(col = "blue", size = 1)
print (g)</pre>
```

stat_bin: binwidth defaulted to range/30. Use 'binwidth = x' to adjust this.



The shape of the curve is approximately Gaussian construct simulated confidence interval and compare to theoretical CI

Normal Q-Q Plot

