

% CalcResistance.m

% Patrick Utz, 3/2/18, 8.1

**% Problem: The resistance R in ohms of a conductor is given by $R = V/I$,
% where V is the voltage potential in volts and I is the current in
% amperes. The power consumed by the resistor in watts is given by $P = VI$.
% Write a MATLAB program with the following files,
% 1. A function named readVI that prompts the user to input the potential
% and the current
% 2. A function named calcRP that takes in two input arguments as potential
% and current, and returns two output arguments as resistance and power.
% 3. A function named printRP that takes in two input arguments as
% resistance and power, and prints out the values of the resistance
% and power to the screen.
% 4. A script file that will call the above three functions.
% Run a test of your program using input values of $V=5\text{volts}$
% and $I=0.5\text{ampere}$. Attach the results.**

**% Variables: potential = the voltage potential, current = the current,
% resistance = the resistance, power = the power**

clear

[potential, current] = readVI;

[resistance, power] = calcRP(potential, current);

printRP(resistance, power);

function [potential, current] = readVI

% readVI prompts the user to input the potential and the current

% Format of call: readVI()

% Returns the inputted potential and the current

potential = input('Hello! Please enter the potential: ');

current = input('Hello! Please enter the current: ');

end

function [resistance, power] = calcRP(potential, current)

% calcRP prompts the user to input the potential and the current

% Format of call: calcRP(potential, current)

% Returns the proper resistance and power

resistance = potential/current;

power = potential*current;

end

```
function printRP(resistance, power)
% printRP prompts the user to input the resistance and power
% Format of call: printRP(resistance, power)
% Prints out the values of the resistance and power to the screen

fprintf('The resistance is %f\n', resistance);
fprintf('The power is %f\n', power);
end
```

Results:

```
>> CalcResistance
Hello! Please enter the potential: 5
Hello! Please enter the current: .5
The resistance is 10.000000
The power is 2.500000
```

% CalcPosition.m

% Patrick Utz, 3/2/18, 8.2

**% Problem: Write a program to calculate the position of a projectile
% at a given time t. For an initial velocity v0 and angle of departure
% theta, the position is given by x and y coordinates as follows (note:
% the gravity constant g is 9.81m/s2):**

$$x = v_0 \cos(\theta_0)t ;$$
$$y = v_0 \sin(\theta_0)t - \frac{1}{2}gt^2$$

% Your program should consist of the following files:

**% 1. A function to get the values for the initial velocity and angle
% of departure from users input.**

**% 2. A function that takes the above information as inputs, calculates
% and returns how long it takes for the projectile to fall on ground. The
% result of time (in seconds) should be accurate to the second decimal
% place (i.e., 0.01second).**

**% 3. A function that takes the outputs from the above functions as input,
% and plots the trajectory of the projectile when it is above ground.**

% 4. A script file that will call the above three functions.

**% Use initial velocity of 60mph and angle of departure of 45 degrees to
% test your program. Attach your results.**

**% Variables: initV = initial velocity, angle = angle of departure,
% time (in sec) = how long it takes for the projectile to fall on ground,**

clear

[initV, angle] = readVA;

time = calcTimeFall(initV, angle);

plotTrajectory(initV, angle, time);

function [initV, angle] = readVA

% readVA prompts the user to input the initial velocity and angle of
% departure

% Format of call: readVA()

% Returns the inputted initial velocity and angle of

% departure

initV = input('Hello! Please enter the initial velocity: ');

angle = input('Hello! Please enter the angle of departure: ');

end

```

function time = calcTimeFall(initV, angle)
% calcTimeFall prompts the user to input the initial velocity and angle of
% departure
% Format of call: calcTimeFall(initial velocity, angle of departure)
% Returns time (in seconds) it takes for the projectile to fall on the
% ground

```

```

gravity = 9.81;
rawTime = (2*initV*sin(angle))/gravity;
time = round(rawTime,2);
end

```

```

function plotTrajectory(initV, angle, time)
% plotTrajectory prompts the user to input the initial velocity, angle
% of departure, and time
% Format of call: plotTrajectory(initial velocity, angle of departure, time)
% Plots a graph of the trajectory of the projectile when it is above ground

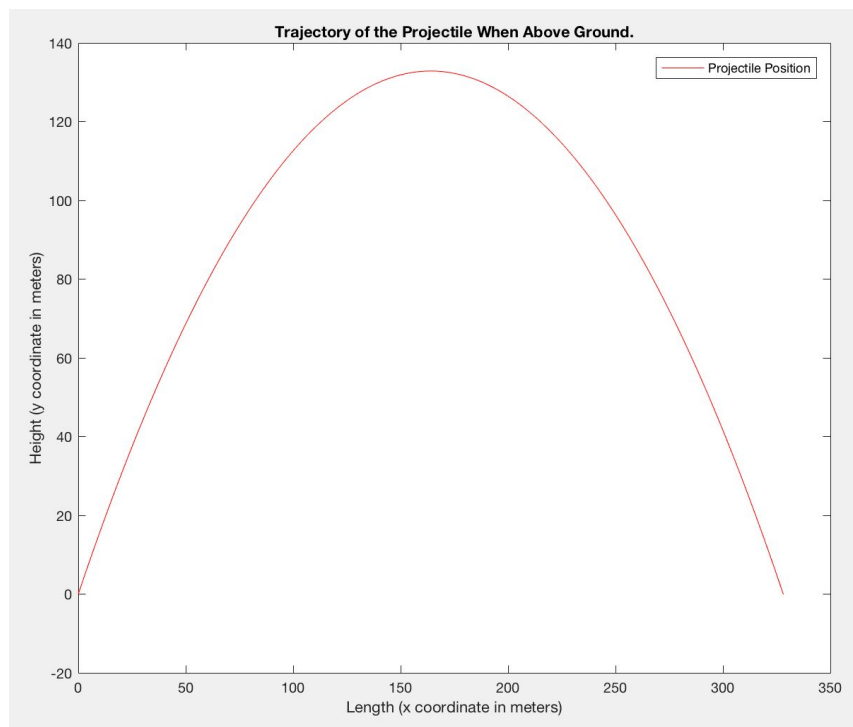
```

```

g = 9.81;
t = 0:.01:time;
x = initV*cos(angle).*t;
y = (initV*sin(angle).*t)-(.5*g.*(t.^2));

plot(x,y,'r');
xlabel('Length (x coordinate in meters)');
ylabel('Height (y coordinate in meters)');
title('Trajectory of the Projectile When Above Ground. ');
legend('Projectile Position');
end

```



A M-th order median filter runs through the signal x element by element, replacing each element $x(n)$ ($n=1:\text{length}(x)$) with the median value of its M neighboring elements from $x(n-\frac{M-1}{2})$ to $x(n+\frac{M-1}{2})$. For simplicity, we only use odd numbers for M. The boundary pixels

are going to be repeated for $\frac{M-1}{2}$ times to obtain enough elements. For example, a median filter with $M=3$ will be applied to the following simple signal stored in vector x:

```
x = [2 80 6 3]
```

As the results, the median filtered output signal y will be:

```
y[1] = Median[2 2 80] = 2
```

```
y[2] = Median[2 80 6] = Median[2 6 80] = 6
```

```
y[3] = Median[80 6 3] = Median[3 6 80] = 6
```

% medianFilter.m

% Patrick Utz, 3/2/18, 8.3

% Problem: Write a MATLAB function to implement the median filter.

% This function should take two input arguments, one is the vector to

% be filtered, and the other one is an odd integer M as the order of the

% filter. It should output the resulting median-filtered vector. Run and

% test your function with the above x and M=3, attach your results.

% Variables: medVec = temp vector to store the neighboring values to

% be analyzed, rawVec = unfiltered input vector, filteredVec = output

% filtered vector, M = order of the filter

```
function filteredVec = medianFilter(rawVec, M)
```

```
% medianFilter prompts the user to input the vector to be filtered, and
```

```
% the odd integer M as the order of the filter
```

```
% Format of call: medianFilter(vector to be filtered, odd integer M as the
```

```
% order of the filter)
```

```
% Returns the resulting median-filtered vector
```

```
medVec = [];
```

```
for k = 1:length(rawVec)
```

```
    if ( k - ((M-1)/2) ) < 1 || ( k + ((M-1)/2) ) > length(rawVec)
```

```
        filteredVec(k) = rawVec(k);
```

```
    else
```

```
        medVec = rawVec( ( k - ((M-1)/2) ) : ( k + ((M-1)/2) ) );
```

```
        filteredVec(k) = median(medVec);
```

```
    end
```

```
end
```

```
end
```

```
>> x = [2 80 6 3]
```

```
x =
```

```
    2    80     6     3
```

```
>> medianFilter(x,3)
```

```
ans =
```

```
    2     6     6     3
```

% SpikeNoisesSimulation.m

% Patrick Utz, 3/2/18, 8.4

**% Problem: Other than random noises, there is another type of noises
% that is common in real-world digital signals, called spike noises, i.e.,
% isolated data samples whose values are very different from the normal
% data samples around. For example, dark pixels in bright area or bright
% pixels in dark area in a digital image, which could be a result of dead
% pixel of imaging device. In this problem, we will write a program to
% simulate the spike noise reduction by median filtering.
% 1. Generate a one-period sinusoidal signal $s(n)$ with 100 linearly spaced
% samples from 0 to 2π .
% 2. Add a spike noise with value 10 at a random position in $s(t)$ to
% generate a noisy signal $x(t)$
% 3. Call the median filtering function you wrote in Problem 8.3 to perform
% median filtering to $x(t)$ with $M=3$, and $M=5$, respectively.
% 4. Plot the clean signal $s(t)$, the noisy signal $x(t)$, and the two filtered
% signals in the same plot.
% Run your program and attach your results.**

**% Variables: n = sample range, s = clean sinusoidal signal, x = sinusoidal
% signal with random noise, M3 = filtered signal with $M = 3$, M5 = filtered
% signal with $M = 5$**

```
clear
n = linspace(0,2*pi,100);
s = sin(n);
x = s;
x(randi([1,100])) = 10;
M3 = medianFilter(x,3);
M5 = medianFilter(x,5);

plot(n,s,'b');
hold on
plot(n,x,'r');
plot(n,M3,'c');
plot(n,M5,'m');
xlabel('Linearly Spaced Samples');
ylabel('Signal Value');
title('Spike Noises Correction Using Median Filtering');
legend('Clean Signal','Signal With Noise','Filtered: M=3','Filtered: M=5');
```

