CSC413 Programming Assignment 4

Part 1: Deep Convolutional GAN (DCGAN)

Generator

1. Implement the DCGenerator class.

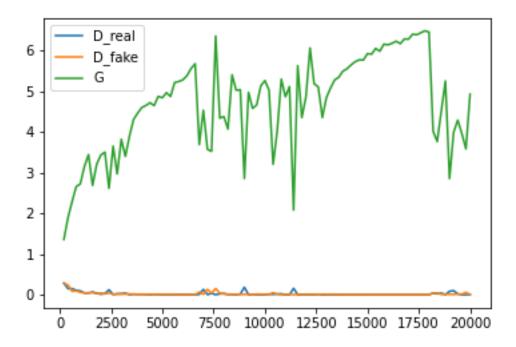
Training Loop

1. Implement gan training loop regular function.

```
for d_i in range(opts.d_train_iters):
0
                  d_optimizer.zero_grad()
                  # FILL THIS IN
                  # 1. Compute the discriminator loss on real images
                  D_real_loss = adversarial_loss(input=D(real_images), target=ones)
                  # 2. Sample noise
                  noise = sample noise(real images.shape[0], opts.noise size)
                  # 3. Generate fake images from the noise
                  fake images = G(noise)
                  # 4. Compute the discriminator loss on the fake images
                  D_fake_loss = adversarial_loss(input=D(fake_images), target=1 - ones)
0
                  # 5. Compute the total discriminator loss
                  D_total_loss = D_real_loss + D_fake_loss + gp
                  D_total_loss.backward()
                  d optimizer.step()
               TRAIN THE GENERATOR
               g_optimizer.zero_grad()
               # FILL THIS IN
               # 1. Sample noise
               noise = sample_noise(real_images.shape[0], opts.noise_size)
               fake_images = G(noise)
               # 3. Compute the generator loss
               G_loss = adversarial_loss(input=D(fake_images), target=ones)
```

Experiment

1. Train a DCGAN to generate Windows emojis in the Training. Here is the plot of loss per iteration.



The generator performance is unstable since the loss of training fluctuates over iterations.

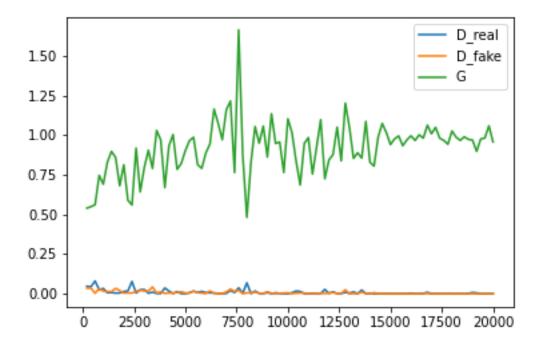
The following three images were generated at the iteration numbers of 200, 7600, and 20000. One early in the training, one with satisfactory image quality, and one towards the end of training. The latter two outputs have better quality than the first one, but still not perfectly clear.



2. Implement gan_training_loop_leastsquares function.

```
O
              for d_i in range(opts.d_train_iters):
                  d_optimizer.zero_grad()
                  # FILL THIS IN
                  # 1. Compute the discriminator loss on real images
                  D_real_loss = 1/2 * torch.mean((D(real_images) - 1) ** 2)
                  # 2. Sample noise
                  noise = sample_noise(real_images.shape[0], opts.noise_size)
                  # 3. Generate fake images from the noise
                  fake images = G(noise)
                  # 4. Compute the discriminator loss on the fake images
                  D_fake_loss = 1/2 * torch.mean(D(fake_images) ** 2)
0
                  # 5. Compute the total discriminator loss
                  D_total_loss = D_real_loss + D_fake_loss + gp
                  D_total_loss.backward()
                  d_optimizer.step()
              g optimizer.zero grad()
              # FILL THIS IN
              # 1. Sample noise
              noise = sample_noise(real_images.shape[0], opts.noise_size)
              # 2. Generate fake images from the noise
              fake images = G(noise)
              # 3. Compute the generator loss
              G_loss = torch.mean((D(fake_images) - 1) ** 2)
```

Here is the plot of loss per iteration.



From the above plot, we could see that the training performance of least-squares GAN is relatively more stable over iterations and with smaller loss values than the regular GAN.

The reason why least-squares GAN can help is that with the original Cross-Entropy loss function, the gradient of loss decreases close to zero without further improvement when the generator produces a relatively good image. However, the least-squares GAN could still apply penalty on the samples even if they are correctly classified, which could reduce the loss.

Part 2: Graph Convolution Networks

Experiments:

1. Implementation of Graph Convolution Layer. GraphConvolution() Class.

```
O
  class GraphConvolution(nn.Module):
      A Graph Convolution Layer (GCN)
      def __init__(self, in_features, out_features, bias=True):
         * `in features`, $F$, is the number of input features per node
         * `out features`, $F'$, is the number of output features per node
         * `bias`, whether to include the bias term in the linear layer. Default=
         super(GraphConvolution, self).__init__()
         \ensuremath{\text{\#}} TODO: initialize the weight W that maps the input feature (dim F ) to
         # hint: use nn.Linear()
         self.linear layer = nn.Linear(in features, out features, bias)
         def forward(self, input, adj):
         # TODO: transform input feature to output (don't forget to use the adjac
         # to sum over neighbouring nodes )
         # hint: use the linear layer you declared above.
         # hint: you can use torch.spmm() sparse matrix multiplication to handle
               adjacency matrix
         out = torch.spmm(adj, self.linear layer(input))
         return out
```

2. Implementation of Graph Convolution Network.

```
O
   class GCN(nn.Module):
      A two-layer GCN
      def init (self, nfeat, n hidden, n classes, dropout, bias=True):
          * `nfeat`, is the number of input features per node of the first layer
          * `n_hidden`, number of hidden units
          * `n_classes`, total number of classes for classification
          * `dropout`, the dropout ratio
          * `bias`, whether to include the bias term in the linear layer. Default=
          super(GCN, self).__init__()
          # (1) 2 GraphConvolution() layers.
          self.GCN layer1 = GraphConvolution(nfeat, n hidden, bias)
          self.GCN_layer2 = GraphConvolution(n_hidden, n_classes, bias)
          # (2) 1 Dropout layer
          self.dropout layer = nn.Dropout(dropout)
          # (3) 1 activation function: ReLU()
          self.activation_layer = nn.ReLU()
          def forward(self, x, adj):
O
         # TODO: the input will pass through the first graph convolution layer,
         # the activation function, the dropout layer, then the second graph
         # convolution layer. No activation function for the
         # last layer. Return the logits.
         out = self.GCN layer1(x, adj)
         out = self.activation layer(out)
         out = self.dropout_layer(out)
         out = self.GCN_layer2(out, adj)
         return out
```

3. Train your Graph Convolution Network.

```
Optimization Finished!
Total time elapsed: 0.6792s

Test set results: loss= 1.0643 accuracy= 0.6515
```

4. Implementation of Graph Attention Layer.

```
# TODO: initialize the following modules:
0
           self.W = nn.Linear(in_features, self.n_heads * self.n_hidden, bias=False)
           # (2) Linear layer that compute the attention score (set bias = Flase)
           self.attention = nn.Linear(self.n_hidden * 2, 1, bias=False)
           self.activation = nn.LeakyReLU(negative_slope=alpha)
           # (4) Softmax function (what's the dim to compute the summation?)
           self.softmax = nn.Softmax(dim=1)
           self.dropout_layer = nn.Dropout(dropout)
        def forward(self, h: torch.Tensor, adj_mat: torch.Tensor):
0
           # Number of nodes
           n_nodes = h.shape[0]
           s = self.W(h).view(n_nodes, self.n_heads, self.n_hidden)
           concat_s_ij = torch.cat((s.repeat(n_nodes, 1, 1),
                                  s.repeat_interleave(n_nodes, dim=0)),
                                  dim=-1)
           concat_s_ij = concat_s_ij.view(n_nodes, n_nodes,
                                         self.n_heads, 2 * self.n_hidden)
           # (3) apply the attention layer
           attention = self.attention(concat_s_ij)
           e = self.activation(attention)
           e = e.squeeze(dim=-1)
           e = e.masked_fill((adj_mat.unsqueeze(dim=-1) == 0), -np.inf)
           soft_max = self.softmax(e)
           # (8) apply dropout_layer
0
           a = self.dropout_layer(soft_max)
           h_prime = torch.einsum('ijh,jhf->ihf', a, s) #[n_nodes, n_heads, n_hidden]
           # TODO: Concat or Mean
           if self.is_concat:
               out = h_prime.reshape(n_nodes, self.n_heads * self.n_hidden)
           # Take the mean of the heads (for the last layer)
           else:
               out = torch.mean(h_prime, dim=1)
```

5. Train your Graph Convolution Network.

```
[36] Optimization Finished!
Total time elapsed: 26.3678s
Test set results: loss= 1.0351 accuracy= 0.7847
```

6. Compare your models.

Compare the evaluation results for Vanilla GCN and GAT.

Vanilla GCN evaluation result

```
Optimization Finished!
Total time elapsed: 0.6792s

Test set results: loss= 1.0643 accuracy= 0.6515
```

GAT evaluation result

```
[36] Optimization Finished!

Total time elapsed: 26.3678s

Test set results: loss= 1.0351 accuracy= 0.7847
```

GAT performs better than Vanilla GCN as the GAT evaluation result shows a smaller loss and a greater accuracy level. This is because that GAT leverages the attention layer to take in more information into final layer.

Part 3: Deep Q-Learning Network (DQN)

Q1. Implementation of ϵ – greedy.

```
def get_action(model, state, action_space_len, epsilon):
    # We do not require gradient at this point, because this function will be used either
    # during experience collection or during inference

with torch.no_grad():
    Qp = model.policy_net(torch.from_numpy(state).float())

## TODO: select and return action based on epsilon-greedy
Q, max_action = torch.max(Qp, axis=0)

if torch.rand(1, ).item() > epsilon:
    action = max_action
    else:
    action = torch.randint(0, action_space_len, (1,)) # random action

return action
```

Q2. Implementation of DQN training step.

```
def train(model, batch_size):
    state, action, reward, next_state = memory.sample_from_experience(sample_size=batch_size)

# TODO: predict expected return of current state using main network
    expected_return = torch.max(model.policy_net(state), axis=1)[0]

# TODO: get target return using target network
    target_return = reward + model.gamma * torch.max(model.target_net(next_state), axis=1)[0]

# TODO: compute the loss
    loss = model.loss_fn(expected_return, target_return)
    model.optimizer.zero_grad()
    loss.backward(retain_graph=True)
    model.optimizer.step()

model.step += 1
    if model.step % 5 == 0:
        model.target_net.load_state_dict(model.policy_net.state_dict())

return loss.item()
```

Q3. Train your DQN Agent.

```
# TODO: try different values, it normally takes more than 6k episodes to train exp_replay_size = 260
memory = ExperienceReplay(exp_replay_size)
episodes = 10000
epsilon = 1 # episilon start from 1 and decay gradually.

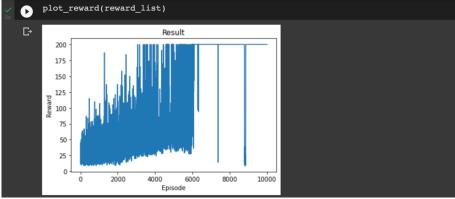
# TODO: add epsilon decay rule here!
if epsilon > 0.05:
    epsilon -= (1 / 4000)

losses_list.append(losses / ep_len), reward_list.append(rew)
episode_len_list.append(ep_len), epsilon_list.append(epsilon)

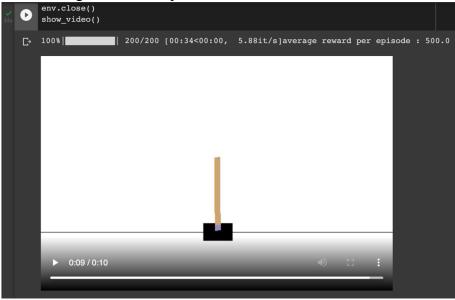
print("Saving trained model")
agent.save_trained_model("cartpole-dqn.pth")

1000% | 10000/100000 [01:55<00:00, 86.68it/s]Saving trained model
```

The training time for the latter episodes is longer than the early episodes, as the agent is getting better and better at playing the game and thus each episode takes longer.



From the above plot of reward vs. episode, we could see that the reward tends to stabilize at 200 after running about 6000 episodes.



From the above simulated video, we could see a much longer video (10 seconds) with a self-balancing pole. The agent plays the game very well with an average reward of 500 per episode.