

## WST 221: Practical

## Examples: PROC IML

- PROC IML(Interactive Matrix Language) is a procedure in SAS that enables us to work with matrices.
- You can also look in the HELP menu of SAS under CONTENTS:

SAS Products <= SAS/IML User's Guide <= Language Reference

- Consider the following two examples:

### 1. Define the following matrices:

$$A = \begin{pmatrix} 1 & 5 \\ 3 & 8 \end{pmatrix}, \quad B = \begin{pmatrix} 5 & 0 \\ 2 & -1 \end{pmatrix}, \quad C = \begin{pmatrix} 1 & 2 \\ -3 & 4 \\ 2 & 6 \end{pmatrix} \quad \text{and} \quad D = (4 \ 9 \ 16)$$

```
proc iml;
print 'Define the matrices';
A={1 5,
  3 8};
B={5 0,
  2 -1};
C={1 2,
  -3 4,
  2 6};
D={4 9 16};
print A B C D;
```

Define the matrices

A		B		C	
1	5	5	0	1	2
3	8	2	-1	-3	4
				2	6
	D				
4	9	16			

#### (a) Operators:

```
print 'Operators';
E=A+B;
F=A-B;
G=A*B;
H=3*B;
K=C';
L=A/10;
M=7**2;
N=C[2,1];
P=A#B;
Q=B/A;
R=A##B;
S=C||D';
T=K//D;
print E F G H K L M N P Q R S T;
```

## Operators

E		F		G		
6	5	-4	5	15	-5	
5	7	1	9	31	-8	
H		K		L		
15	0	1	-3	2	0.1	0.5
6	-3	2	4	6	0.3	0.8
M	N	P		Q		
49	-3	5	0	5	0	
		6	-8	0.6666667	-0.125	
R		S				
1	1	1	2	4		
9	0.125	-3	4	9		
		2	6	16		
	T					
1	-3	2				
2	4	6				
4	9	16				

## (b) Statements, Functions and Subroutines

```

print 'Statements, Functions and Subroutines';
sqrtD=sqrt(D);
invA=inv(A);
detA=det(A);
I2=I(2);
diagD=diag(D);
vecdiagA=vecdiag(A);
zero=J(2,3,0);
one=J(3,2,1);
two=J(3,1,2);
obs=cusum(J(3,1,1));
print sqrtD invA detA,,I2 diagD vecdiagA,,zero one two,,obs;

```

## Statements, Functions and Subroutines

sqrtD			invA		detA
2	3	4	-1.142857 0.7142857		-7
			0.4285714 -0.142857		
I2		diagD		vecdiagA	
1	0	4	0	0	1
0	1	0	9	0	8
		0	0	16	
zero		one		two	
0	0	1	1	2	
0	0	1	1	2	
		1	1	2	
obs					
	1				
	2				
	3				

(c) **Base SAS Functions Accessible from SAS/IML**i. **Mathematical Functions**

```

print 'Base SAS Functions Accessible from SAS/IML';
print 'Mathematical Functions';
pi=(gamma(0.5))*2;
ln5=log(5);
log5=log10(5);
exp5=exp(5);
print pi ln5 log5 exp5;

```

Base SAS Functions Accessible from SAS/IML  
Mathematical Functions

pi	ln5	log5	exp5
3.1415927	1.6094379	0.69897	148.41316

ii. **Probability Functions**

```

print 'Probability Functions';
p1=probnorm(1.96);          p2=probchi(3.94,10);
p3=probf(3.62,3,5);         p4=probt(2.262,9);
print p1 [format=5.3] p2 [format=5.3] p3 [format=5.3] p4 [format=5.3];

```

Probability Functions

p1	p2	p3	p4
0.975	0.050	0.900	0.975

iii. **Quantile Functions**

```

print 'Quantile Functions';
q1=probit(0.975);  q2=cinv(0.95,9);
q3=finv(0.9,5,4);  q4=tinv(0.99,14);
print q1 [format=6.3] q2 [format=6.3] q3 [format=6.3] q4 [format=6.3];

```

Quantile Functions

q1	q2	q3	q4
1.960	16.919	4.051	2.624

iv. **Random Number Functions**

```

print 'Random Number Functions';
mu=10; sigma=2; theta=5; kappa=10; nu=8; n=10; p=0.5;
r1=ranuni(111);
r2=rannor(222);
r3=theta*rangam(333,kappa);
r4=2*rangam(444,nu/2);
r5=J(4,1,mu)+sigma*rannor(J(4,1,555));
r6=2*rangam(J(3,1,666),J(3,1,nu/2));
r7=ranbin(J(4,1,777),J(4,1,n),J(4,1,p));
print r1 r2 r3 r4 r5 r6 r7;

```

Random Number Functions

r1	r2	r3	r4	r5	r6	r7
0.5308453	-0.642282	68.067601	9.1767481	4.4045789	9.0687763	5
				12.582506	4.0576524	6
				9.4329906	13.307998	7
				10.318969		7

2. A total of  $r = 100$  samples of size  $n = 4$  are generated from a  $N(60, 10^2)$  population. The sample mean for each of the  $r = 100$  samples is calculated. The empirical distribution of the sample mean  $\bar{X}$  is investigated by making use of PROC UNIVARIATE.

**SAS Program:**

```

proc iml;
r=100; n=4; mu=60; sigma=10;

matrix=J(r,4,0);
do i=1 to r;
x=J(n,1,mu)+sigma*rannor(J(n,1,123));
xbar=J(1,n,1)*x/n;
min=min(x); max=max(x); sum=sum(x);
matrix[i,1]=xbar; matrix[i,2]=min; matrix[i,3]=max; matrix[i,4]=sum;
print i x xbar min max sum;
end;
print matrix;
create d from matrix[colname={'xbar' 'min' 'max' 'sum'}];
append from matrix;

proc univariate data=d plot normal;
var xbar;
histogram / normal(color=(red blue) mu=60 est sigma=5 est);
cdfplot / normal(mu=100 sigma=5 color=red);
run;

```

**SAS Output:** (From PROC UNIVARIATE)

## Parameters for Normal Distribution

Parameter	Symbol	Estimate
Mean	Mu	60
Std Dev	Sigma	5

## Quantiles for Normal Distribution

-----Quantile-----		
Percent	Observed	Estimated
1.0	47.6072	48.3683
5.0	50.5404	51.7757
10.0	53.3194	53.5922
25.0	55.9856	56.6276
50.0	59.3019	60.0000
75.0	62.2268	63.3724
90.0	64.3097	66.4078
95.0	66.0882	68.2243
99.0	69.5406	71.6317

## Parameters for Normal Distribution

Parameter	Symbol	Estimate
Mean	Mu	59.09674
Std Dev	Sigma	4.563275

## Quantiles for Normal Distribution

-----Quantile-----		
Percent	Observed	Estimated
1.0	47.6072	48.4810
5.0	50.5404	51.5908
10.0	53.3194	53.2487
25.0	55.9856	56.0189
50.0	59.3019	59.0967
75.0	62.2268	62.1746
90.0	64.3097	64.9448
95.0	66.0882	66.6027
99.0	69.5406	69.7125