

# Super-resolution of MDI Solar Magnetograms: Performance Metrics and Error Estimation

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**Aim:** Develop an approach to convert and upscale line-of-sight magnetic field data to a reference survey in order to understand long-term variability of the magnetic field on time-scales larger than the lifespan of a single instrument.

## a Data Pre-Processing

- Standardize the Sun's orientation and distance from the detector such that the solar radius is constant over time
- Register & shift individual 128" x 128" patches (see in set regions, **Figure 1**) to account for orbital differences.

## b Neural Network Architecture

We use an Encoder-Decoder architecture based on High-Res-Net (see, [github.com/ElementAI/HighRes-net](https://github.com/ElementAI/HighRes-net)). The trained Neural Network (NN) output is shown in **Figure 2**.

## c Loss Functions & Metrics

To train our supervised NN, we include a range of terms alongside MSE (mean-squared-error) loss, and evaluate on additional performance metrics.

### 1. Loss Functions

**Histogram:** The magnetic field distribution is non-Gaussian; by implementing a *differentiable* histogram, we better preserve the observed distribution of magnetic field.

**Structural Similarity Metric (SSIM):** Measure the perceived similarity between images.

**Gradients:** Preserve the gradients of the magnetic field.

### 2. Performance Metrics

**Information Entropy:** To understand the informational content of the output over all spatial scales, and to diagnose hallucination in the NN.

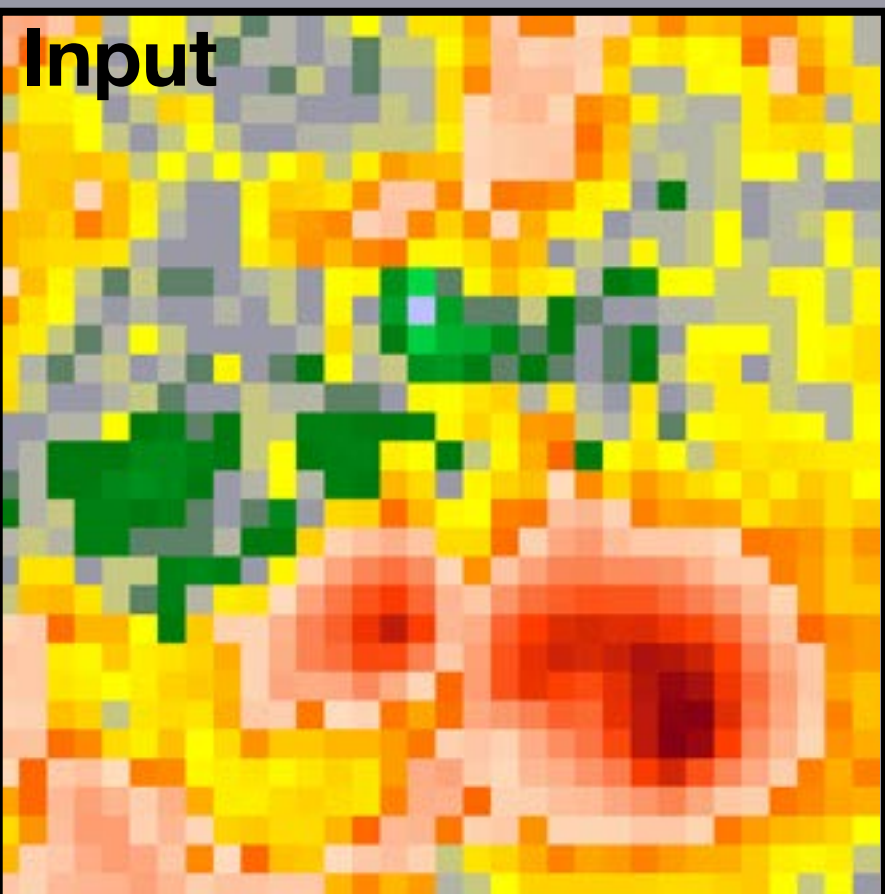
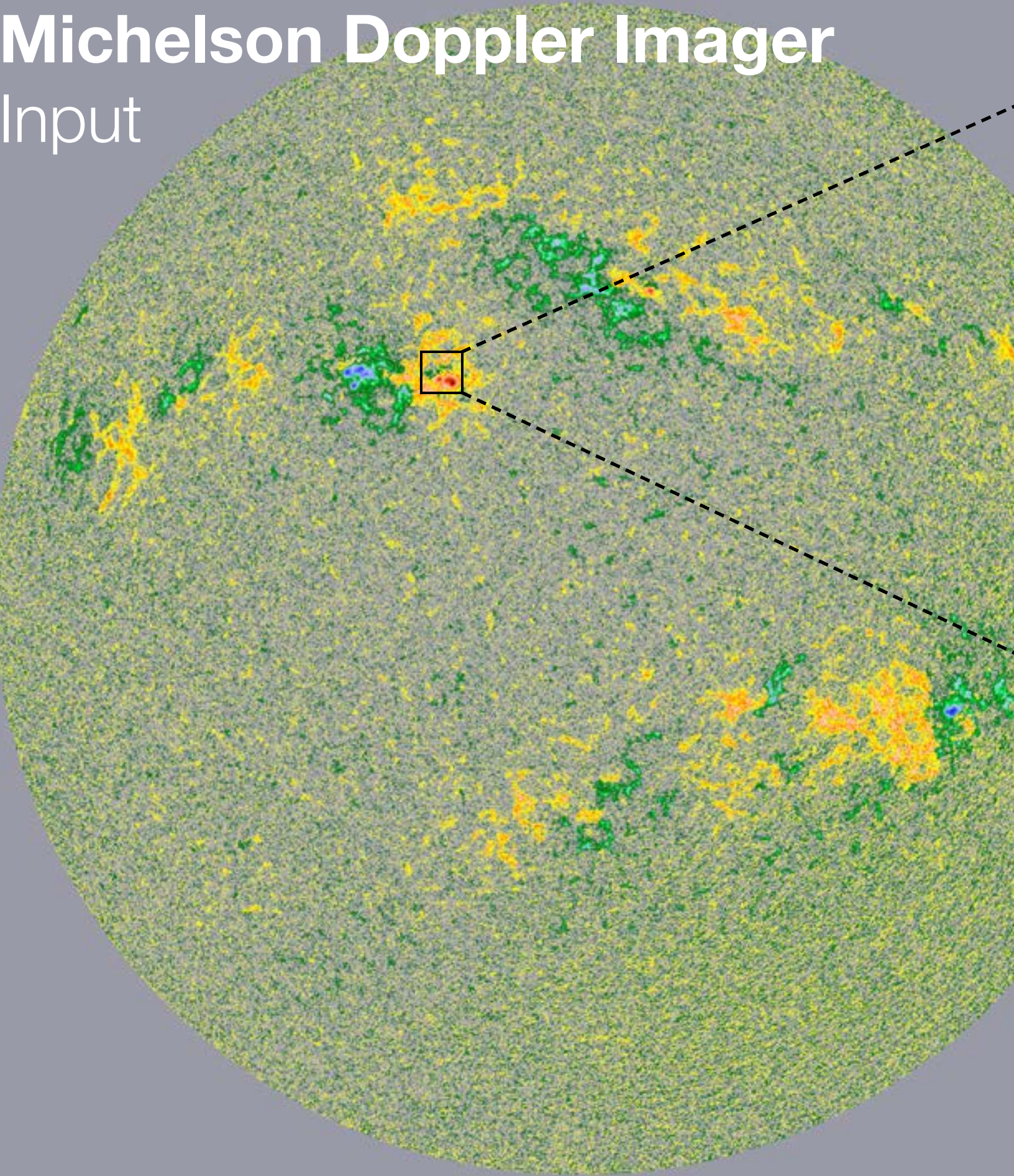
## d Error Estimation

We use a Bayesian framework as in Kendall & Gal (2017) that decomposes uncertainty in to two components: *epistemic* (ignorance of the true data generating process), and *aleatoric* (the inherent noise). In practice, we implement this by adding Monte Carlo (MC) dropout in each convolutional layer, and track both the mean and variance of the magnetic field values.

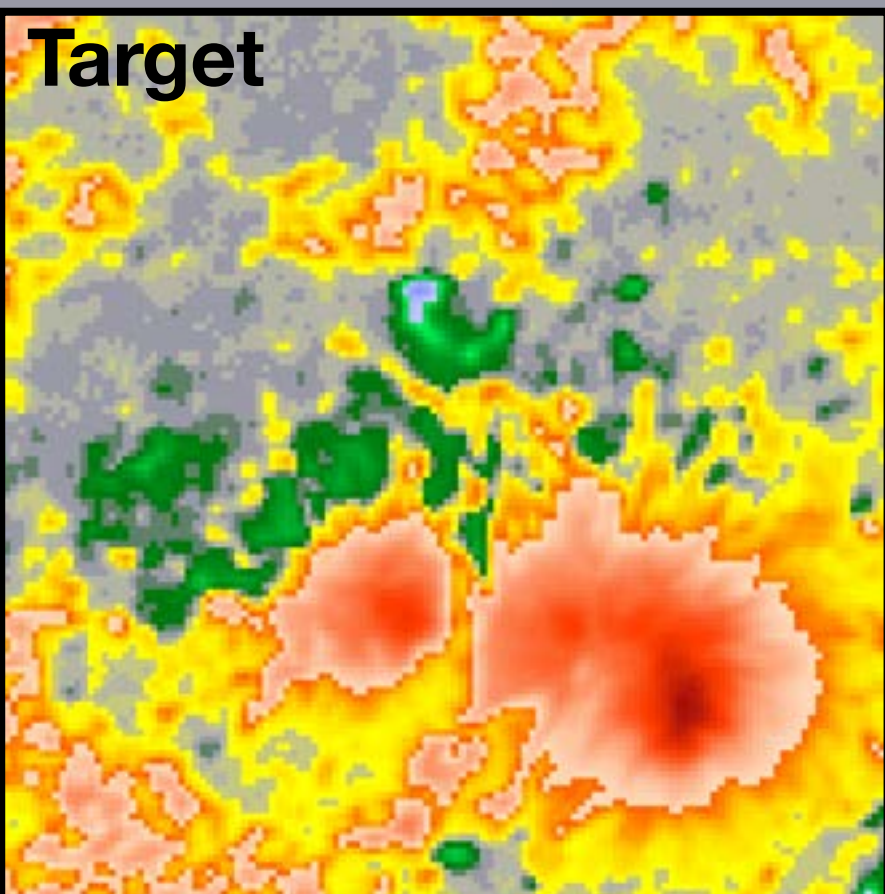
## e Conclusions & Future Work

- To our knowledge, this is the first application of Bayesian Neural Networks to a super-resolution problem.
- Earlier versions of this work were published in workshops at NeurIPS 2019 (Gitiaux *et al* 2019, arxiv: **1911.01486**; Jungbluth *et al* 2019, arxiv: **1911.01490**).
- Shortly we will provide test users with the super-resolution output to understand the suitability for various science tasks.

## Michelson Doppler Imager Input



Instrument:	MDI	HMI
Operation:	1995 - 2011	2010 - present
	(one year of overlap)	
Pixel Size:	2"	0.5"
Cadence:	96 min.	12 min. (down to ~45 s)



## Helioseismic & Magnetic Imager Target

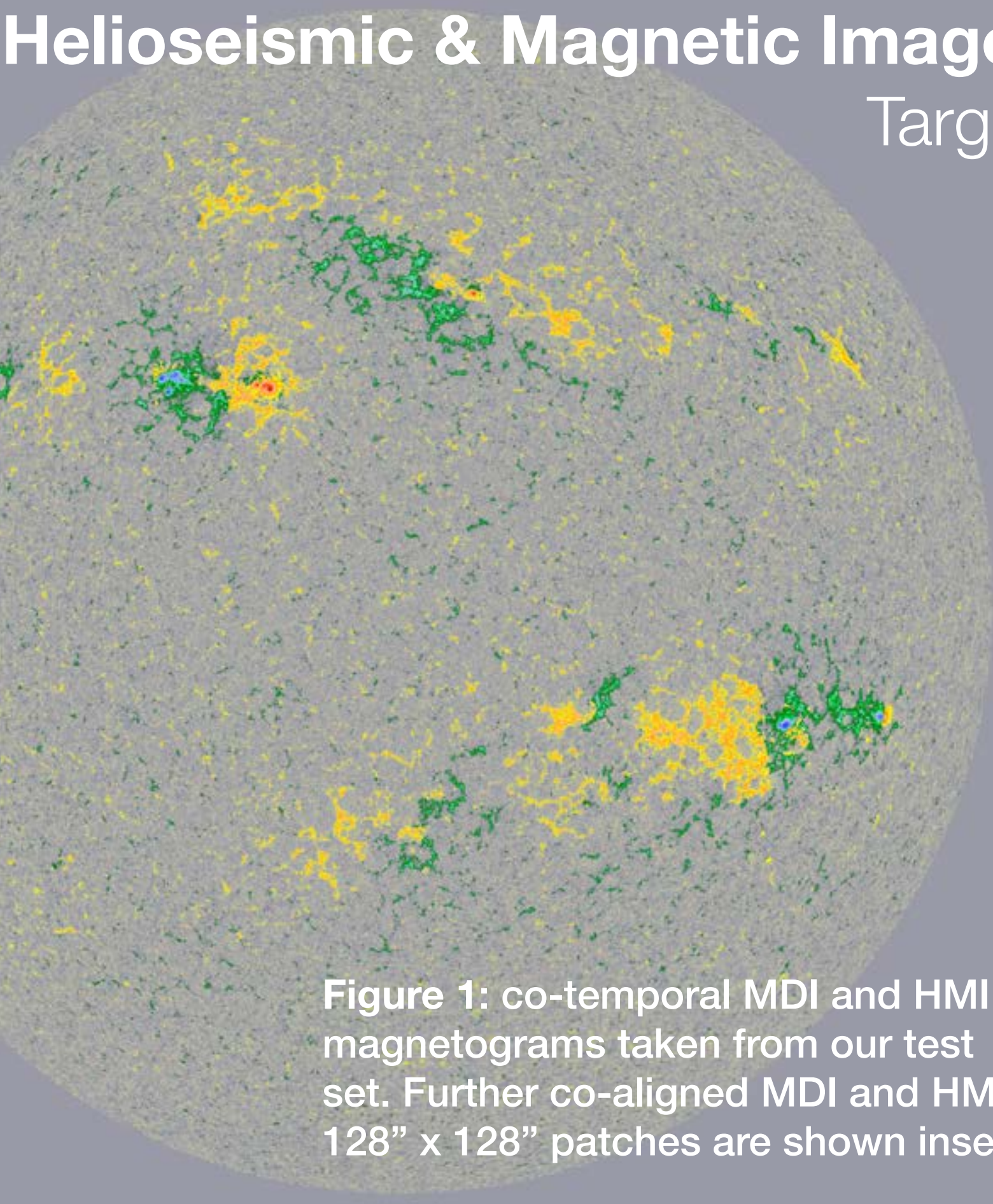
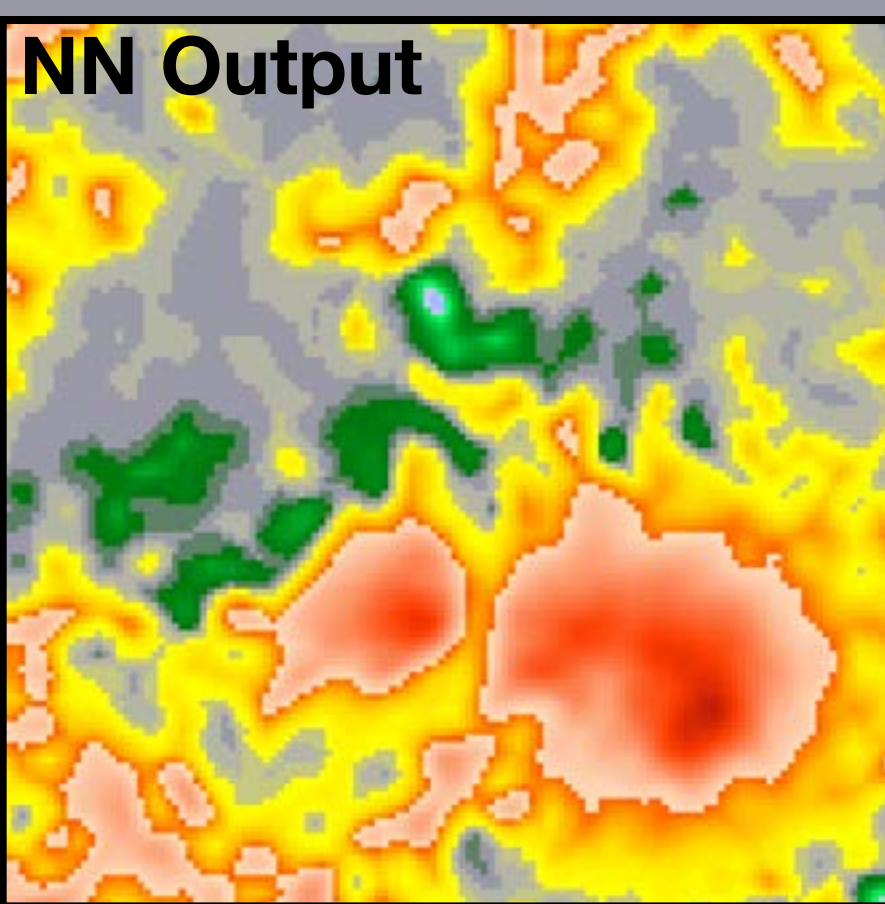


Figure 1: co-temporal MDI and HMI magnetograms taken from our test set. Further co-aligned MDI and HMI 128" x 128" patches are shown inset.



## Super-resolution MDI Neural Network Output

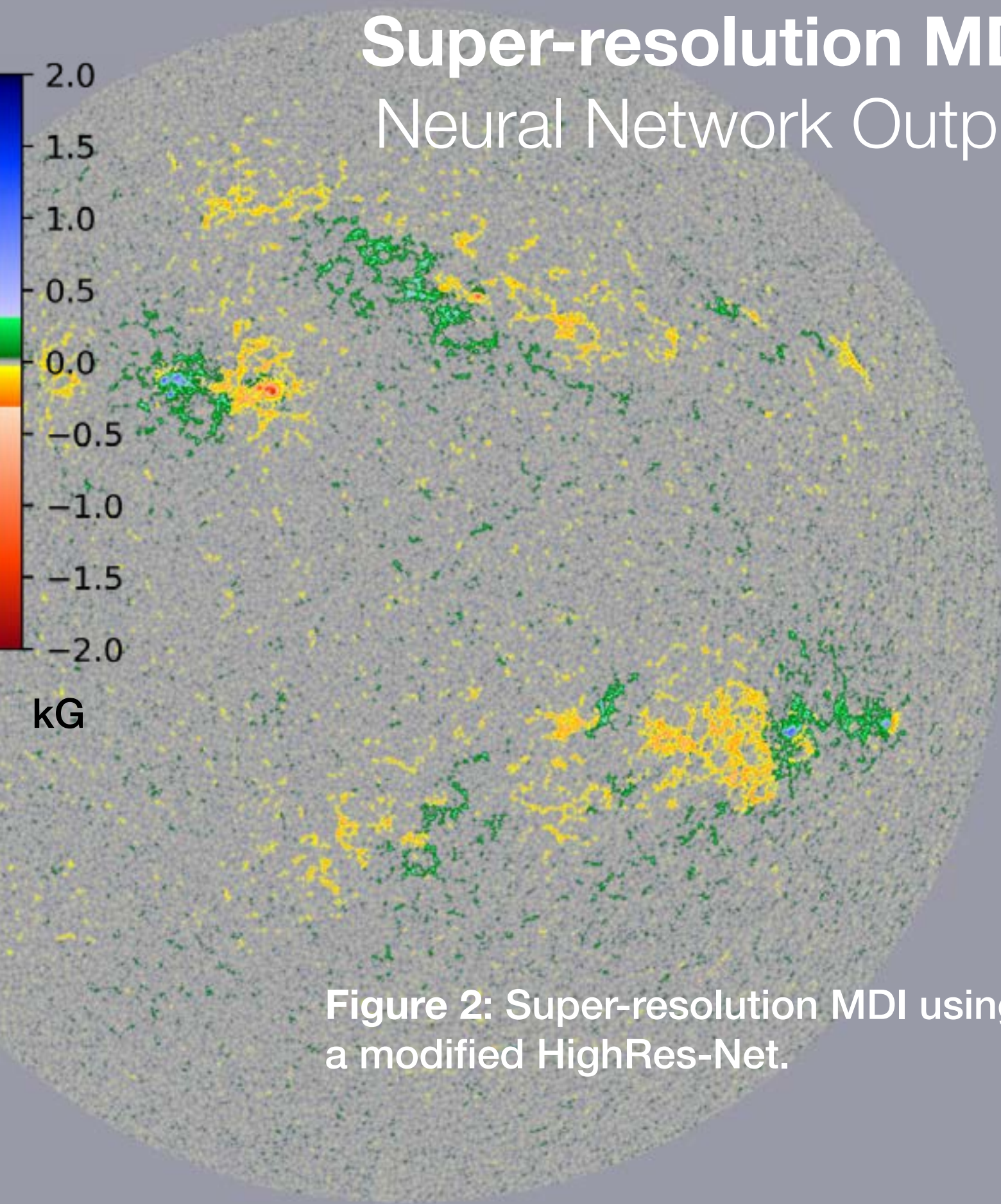


Figure 2: Super-resolution MDI using a modified HighRes-Net.

