

- N = 9 and M = 5, the prime divisors aren't the same: {3} is not equal to {5}.

Write a function:

```
class Solution { public int solution(int[] A,
int[] B); }
```

that, given two non-empty arrays A and B of Z integers, returns the number of positions K for which the prime divisors of A[K] and B[K] are exactly the same.

For example, given:

```
A[0] = 15   B[0] = 75
A[1] = 10   B[1] = 30
A[2] = 3    B[2] = 5
```

the function should return 1, because only one pair (15, 75) has the same set of prime divisors.

Write an **efficient** algorithm for the following assumptions:

- Z is an integer within the range [1..6,000];
- each element of arrays A and B is an integer within the range [1..2,147,483,647].

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Code: 13:25:25 UTC, cs,
final, score: 100

[show code in pop-up](#)

```
1  using System;
2
3  /**
4   * 12.2 - Common Prime Divisors
5   * Paulo Santos
6   * 27.Dec.2022
7   */
8  class Solution {
9      public int solution(int[] A, int[] B) {
10
11          var res = 0;
12          for(var i = 0; i < A.Length; i++) {
13              res += CheckDiv(A[i], B[i]);
14          }
15          return res;
16      }
17
18      private int CheckDiv(int a, int b) {
19          if (a == b) return 1;
20
21          var div = GDC(a, b);
22          if (a == 1 || b == 1 || div == 1) return 0
23
24          while (a != 1) {
25              var tstA = GDC(a, div);
26              if (tstA == 1) break;
27              a /= tstA;
28          }
29          if (a != 1) return 0;
30
31          while (b != 1) {
32              var tstB = GDC(b, div);
33              if (tstB == 1) break;
34              b /= tstB;
35          }
36          if (b != 1) return 0;
37
38          return 1;
39      }
40
41      private int GDC(int a, int b) {
42          if (a % b == 0) return b;
43          return GDC(b, a % b);
44      }
45  }
46
```

Analysis summary

The solution obtained perfect score.

Analysis

$O(Z * \log(\max(A)))$

Detected time complexity:

$$+ \max(B)**2)$$

expand all	Example tests	
▶	example example test	✓ OK
expand all	Correctness tests	
▶	extreme extreme test with small values	✓ OK
▶	simple_1 simple test with small values	✓ OK
▶	simple_2 simple test with small values	✓ OK
▶	primes powers of primes	✓ OK
▶	small_primes small primes	✓ OK
▶	small_all_pairs all pairs 1-10, length = 100	✓ OK
▶	small_random small random test, length = 100	✓ OK
expand all	Performance tests	
▶	large_all_pairs all pairs 1-70, length = ~5,000	✓ OK
▶	large_random large random tests, length = ~6,000	✓ OK
▶	many_factors factorial test	✓ OK
▶	many_factors2 factorial test	✓ OK
▶	big_powers powers of 2 and 3	✓ OK
▶	extreme_maximal extreme test with maximal values	✓ OK