# CT331 Assignment 2

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## Question 1

#### (A & B):

- A cons pair of two numbers.
  - o (A): (print (cons 1 2))
  - o (B): Result is a pair of two numbers
  - o (Output): (1.2)
- A list of 3 numbers, using only the cons function.
  - (A): (print (cons 1 (cons 2 (cons 3 '()))))
  - o (B): Result is a list of three numbers.
  - o (Output):
- A list containing a string, a number and a nested list of three numbers, using only the cons function.
  - (A): (print (cons "hello" (cons 42 (cons (cons 1 (cons 2 (cons 3 '()))) '()))))
  - o (B): Result is a list with a nested list inside.
  - o (Output): ("hello" 42 (1 2 3))
- A list containing a string, a number and a nested list of three numbers, using only the list function.
  - (A): (print (list "hello" 42 (list 1 2 3)))
  - o (B): Result is a a list with a nested list, similar to previous output
  - o (Output): ("hello" 42 (1 2 3))
- A list containing a string, a number and a nested list of three numbers, using only the append function.
  - o (A): (print (append (list "hello") (list 42) (list (list 1 2 3))))
  - o (B): Result is a a list with a nested list, similar to previous two outputs
  - o (Output): ("hello" 42 (1 2 3))

## (B):

(cons) is a low-level function used for constructing pairs, and it is the fundamental building block for lists in Scheme.

(list) is a high-level function that provides an easy way to create lists out of multiple elements, improving readability.

(append) is a high-level function that provides an easy way to create lists and / or add new elements to a list and provides readability.

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Code for Question 1:
        (print (cons 12))
        (print (cons 1 (cons 2 (cons 3 '()))))
        (print (cons "hello" (cons 42 (cons (cons 1 (cons 2 (cons 3 '()))) '()))))
        (print (list "hello" 42 (list 1 2 3)))
        (print (append (list "hello") (list 42) (list (list 1 2 3))))
Question 2:
(A):
        (define (ins_beg element lst)
         (cons element lst))
        (print (ins_beg 'a '(b c d)))
        (print (ins_beg '(a b) '(b c d)))
        Output:
        (ABCD)
        ((A B) B C D)
(B):
        (define (ins_end element lst)
          (append lst (list element)))
        (print (ins_end 'a '(b c d)))
        (print (ins_end '(a b) '(b c d)))
        Output:
        ((B C D) . A)
        ((B C D) A B)
(C):
        (define (count_top_level lst)
         (if (null? lst)
           (+ 1 (count_top_level (cdr lst)))))
```

Output:

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(D):
        (define (count_instances item lst)
         (if (null? lst)
            0
            (+ (if (equal? item (car lst)) 1 0)
              (count_instances item (cdr lst)))))
        (print (count_instances 'a '(a b c a)))
        Output:
        1
(E):
        (define (count_instances_tr item lst)
         (define (helper item 1st count)
          (if (null? lst)
             count
             (helper item (cdr lst) (if (equal? item (car lst)) (+ count 1) count))))
         (helper item lst 0))
        (print (count_instances_tr 'a '(a b c)))
        Output:
        1
(F):
        (define (count_instances_deep item lst)
         (if (null? lst)
            (+ (if (list? (car lst))
                (count_instances_deep item (car lst))
                (if (equal? item (car lst)) 1 0))
              (count_instances_deep item (cdr lst)))))
        (print (count_instances_deep 'a '(a b c'(a b c))))
        Output:
        2
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# Question 3:

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(A):
       ;; Define a BST node: ( left-child value right-child)
         (define (make-bst-node left value right)
          (list left value right))
       ;; Create individual nodes
         (define node-1 (make-bst-node '() 1 '()))
         (define node-3 (make-bst-node node-1 3 '()))
         (define node-5 (make-bst-node '() 5 '()))
       ;; Construct the BST
         (define bst-root (make-bst-node node-3 4 node-5))
       ;; Define display BST function
         (define (display-bst-inorder bst)
          (cond
           ((null? bst) '()); If the tree is empty, return an empty list.
           (else (append
                 (display-bst-inorder (car bst))
                 (list (cadr bst))
                (display-bst-inorder (caddr bst))
               ))))
       ;; Call function to display previously defined BST
       (display-bst-inorder bst-root)
       Output:
       '(1345)
(B):
       (define (is-item-in-bst? item bst)
          (cond
           ((null? bst) #f)
                                            ; If the tree is empty, item is not found.
                                                 ; Item found at the current node.
           ((equal? item (cadr bst)) #t)
           ((< item (cadr bst)) (is-item-in-bst? item (car bst))) ; Search left subtree.
           (else (is-item-in-bst? item (caddr bst))); Search right subtree.
          ))
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Output:
        (is-item-in-bst? 3 bst-root)
        (is-item-in-bst? 2 bst-root)
       #f
(C):
        (define (insert-bst item bst)
         (cond
          ;; If the spot is empty, insert the item here.
          ((null? bst) (make-bst-node '() item '()))
          ;; If the item is found, return the tree as is.
          ((equal? item (cadr bst)) bst)
          ;; If the item is less, recurse on the left subtree.
          ((< item (cadr bst)) (make-bst-node (insert-bst item (car bst)) (cadr bst)
        (caddr bst)))
          ;; Otherwise, recurse on the right subtree.
          (else (make-bst-node (car bst) (cadr bst) (insert-bst item (caddr bst)))))
         )
        (define new-bst (insert-bst 2 bst-root))
        (display-bst-inorder new-bst)
        Output:
        '(12345)
(D):
(E):
(F):
```