001.	Which of the following is/are property/prope A Non-Optimal substructure	erties B	of a dynamic programming problem?  Overlapping sub problems and  Optimal substructure	В
002.	C Greedy approach If an optimal solution can be created for a p	D roble	Divide and conquer	В
	its subproblems, the problem possesses A Overlapping subproblems C Memorization	B D	property. Optimal substructure Greedy	
003.	If a problem can be broken into subproblem problem possesses propert	ns wh	•	A
004.	<ul><li>A Overlapping subproblems</li><li>C Memorization</li><li>If a problem can be solved by combining or</li></ul>	B D otimal	Optimal substructure Greedy solutions to non-overlapping	С
•••	problems, the strategy is calledA Dynamic Programming	В	Greedy	
005.	C Divide and Conquer You are given a knapsack that can carry a with weights {20, 30, 40, 70} and values {70	0, 80,	•	Α
	of the items you can carry using the knapsa A 160 C 170	B D	200 90	
006.	What is the time complexity of the brute for problem?  A O(n)	ce alg B	gorithm used to solve the Knapsack O(n!)	С
007.	C O(2 <sup>n</sup> )  Dynamic programming is used for	D	$O(n^3)$	A
008.	<ul> <li>A All Optimal solution is generated</li> <li>C No optimal solution generated</li> <li>The Knapsack problem is an example of</li> </ul>	B D	One solution is generated Partial solution generated	В
	<ul><li>A Greedy algorithm</li><li>C 1D dynamic programming</li></ul>	B D	2D dynamic programming Divide and conquer	_
009.	The following sequence is a fibonacci sequence technique can be used to get the nth fibonation A Recursion			D
010	C A single for loop	D	Recursion, Dynamic Programming, For loops	С
010.	Suppose we find the 8th term using the rec passed to the function calls will be as follow fibonacci(6) + fibonacci(5) + fibonacci(5) + fibonacci(4) + fibona	vs: fib fibona ibona	onacci(8) fibonacci(7) + fibonacci(6) acci(4) fibonacci(5) + fibonacci(4) + cci(3) + fibonacci(3) + fibonacci(2)	C
	A Memorization C Overlapping sub-problems	B D	Optimal substructure Greedy	
011.	Which of the following algorithm design tec distances in a graph?	hniqu B		Α
012.	<ul><li>A Dynamic Programming</li><li>C Divide and Conquer</li><li>The dynamic programming implementation uses which of the following algorithm?</li></ul>	D	Greedy Recursion e maximum sum rectangle problem	С
012	A hirschbergs algorithm C kadanes algorithm	B D	needleman-wunsch algorithm wagnerfischer algorithm	D
U13.	Which of the following problems is NOT sol  A 0/1 knapsack problem  C Edit distance problem	vea t B D	Matrix chain multiplication problem Fractional knapsack problem	ט

014.	Whic	ch of the following problems should be	solve	d using dynamic programming?	C
	Α	Merge sort	В	Binary Search	
	С	Longest Common subsequence		Quick sort	
015.	In dy	namic programming, the technique of	storin	g the previously calculated values is	C
	calle				
	Α	Saving value property	В	Storing value property	
	С	Memorization	D	Mapping	
016.	Whe	n a top-down approach of dynamic pro	gram	ming is applied to a problem, it usually	В
	Α	Decreases both, the time complexity	В	Decreases the time complexity and	
		and the space complexity		increases the space complexity	
	С	Increases the time complexity and	D	Increases both, the time complexity	
		decreases the space complexity		and the space complexity	
017.	Wha	t approach is being followed in Floyd V	√arsh	all Algorithm?	Α
	Α	Dynamic Programming	В	Greedy Algorithms	
	С	Linear Programming	D	Branch and Bound	
018.	Floy	d Warshall Algorithm can be used for fi	nding	J	D
	Α	Single source shortest path	В	Topological Sort	
	С	Minimum spanning tree	D	Transitive closure	
019.	Wha	t procedure is being followed in Floyd \	Narsl	hall Algorithm?	В
	Α	Top down	В	Bottom up	
	С	Big bang	D	Random	
020.	If a p	problem can be broken into subproblem	าร wh	ich are reused several times, the	Α
	prob	lem possesses			
	Α	Overlapping subproblems	В	Optimal substructures	
	С	Memorization	D	Greedy	
021.	Time	e complexity of fractional knapsack prol			Α
	Α	o(n log n)	В	o(n)	
	С	o(n2)	D	o(nw)	
022.	_	mann Ford Algorithm is an example for		<del></del>	Α
	A	Dynamic Programming	В	Greedy Algorithms	
	С	Linear Programming	D	Branch and Bound	
023.		•		into two subsets such that the sum of	D
		nents of the two subsets is equal. This i		•	
	_	ollowing methods can be used to solve			
	A	dynamic programming	В	recursion	
	С	brute force	D	dynamic programming, recursion,	
			•	brute force	
024.	_	it is the objective of the knapsack probl			Α
	Α	to get maximum total value in the	В	to get minimum total value in the	
	_	knapsack	_	knapsack	
	С	to get maximum weight in the	D	to get minimum weight in the	
005	V	knapsack	- 4	knapsack	_
U <b>Z</b> 3.		are given infinite coins of denomination	15 1,	3, 4. What is the minimum number of	В
	_	s required to achieve a sum of 7?	D	2	
	A C	1	B D	2 4	
006	•	3	_	-	_
U <b>2</b> 6.		are given infinite coins of denomination	15 5,	7, 9. Which of the following sum	С
	_	INOT be achieved using these coins?	Ь	24	
	A C	50	B D	21	
027	_	13	_	23	Ь
υΖΊ.			-	nave to find a sub-array with maximum	ט
		. This is the maximum sub-array sum p	ionie	m. vvnich of these methods can be	
	usec	to solve the problem?			

	A C	Dynamic programming Divide and conquer	B D	Two for loops (naive method)  Dynamic programming, nave method and Divide and conquer methods	
028.		It is the time complexity of the following the maximum sub-array sum?	dyna	•	A
	Α	O(n)	В	O(logn)	
	С	O(nlogn)	D	$O(n^2)$	
029.	char	are given infinite coins of denomination age problem is to find the minimum num lem can be solved using			В
	A	Greedy algorithm	В	Dynamic programming	
	С	Divide and conquer	D	Backtracking	
030.	in w	are given infinite coins of denomination nich a sum of 7 can be achieved using to ortant?			С
	Α	4	В	3	
	С	5	D	6	
031.		problem can be solved by combining op	timal	solutions to non-overlapping	Α
		lems, the strategy is called	В	Greedy	
	A C	Dynamic programming Divide and conquer	D	Recursion	
032.	_	en a top-down approach of dynamic pro	_		В
	Α	Decreases both, the time complexity	В	Decreases the time complexity and	
	<u> </u>	and the space complexity	Ь	increases the space complexity	
	С	Increases the time complexity and decreases the space complexity		Increases both, the time complexity and thespace complexity	
033.	integ the s two- <= j	problem related to subset-sum is define gers, S = {a1 ,a2 ,a3 ,,an} and a positive sum of whose elements is W? A dynam dimensional Boolean array Y, with n row <= W, will be true if there is a subset of nich of the following is valid for ai<= j<=	ed as e inte ic pro ws ar {a1,	follows. A set consisting of n positive ger W is given. Is there a subset of S, ogram for solving this problem uses a nd W+1 columns. Y[i, j], 1 <= i<= n, 0 a2, ai} the sum of whose elements is	В
034.	A C Cons	Y[i, j] = Y[i 1, j] Y[i, j ai]	B D P = <	Y[i, j] = Y[i 1, j] Y[i 1, j ai] Y[i, j] = Y[i 1, j] Y[i, j ai] E[i] B[i] B[i] C[i] A[i] A[i] A[i] A[i] A[i] A[i] A[i] A	С
035.	•	it happens when a top-down approach t	_		В
		lem?			
	Α	It increases both the time and space	В	It decreases the time complexity and	
	С	complexity It decreases the space complexity	D	increases the space complexity It decreases both the time and space	
	C	and increases the time complexity	D	complexity	
036.	rows	sider the product of three matrices L, M and c columns, c rows and d columns, less time to calculate the product as (L a>b (a+b)>(c+d)	. In w	N having a rows and b columns, b hich of the following conditions, It will	В
037.	The	longest increasing subsequence proble	m is		В
·	subs	sequence from a sequence of array eler creasing order and its length is maximu	ments	s such that the subsequence is sorted	

	Α	Recursion	В	Dynamic programming	
	С	Bruteforce	D	Greedy	
038.	Whic	ch of the standard algorithms shown be	low is	s not based on Dynamic	Α
	Prog	ramming?			
	Α	Prim 's Minimum Spanning Tree	В	Bellman-Ford Algorithm for single-	
				source shortest path	
	С	Floyd Warshall Algorithm for all-pairs	D	0-1 Knapsack problem	
		shortest paths			
039.	For v	vhich of the following inputs would Kad	anes	algorithm produce a WRONG output?	В
	Α	{1,0,-1}	В	{-1,-2,-3}	
	С	{1,2,3}	D	$\{0,0,0\}$	
040.	Wha	t is the time complexity of Kadanes alg	orithn	n?	В
	Α	O(1)	В	O(n)	
	С	$O(n^2)$	D	O(logn)	
041.	Wha	t is the complexity of Bellman- Ford sin	gle- s	source shortest path algorithm on a	С
		olete graph of n vertices?	Ü	, ,	
	Α ΄	$(n^2)$	В	(n <sup>2</sup> log n)	
	С	` '	D		
		$(n^3)$		$(n^3 \log n)$	_
042.		relationship between stages of a dynar	_		D
	A	State	В	Random variable	
0.40	С	Node	D	Graph	
043.		tify the correct problem using multi stag			Α
	A	Resource allocation problem		Traveling sales person problem	
044	C	Producer Consumer problem	D	Barbers problem	_
U44.		optimal solution to a problem is a comb	omatic	on of optimal solutions to its	В
		roblems. This is known as	D	Duin sinks of autimobits	
	A	Principle of duality	В	Principle of optimality	
O 4 E	C	Principle of feasibility	D	Principle of Dynamicity	
U45.	_	th of the following statements is TRUE		The algorithm has a linear complexity	Α
	Α	The algorithm uses dynamic	В	The algorithm has a linear complexity and uses branch and bound	
		programming paradigm			
	С	The algorithm has a non-linear	D	paradigm The algorithm uses divide and	
	C	polynomial complexity and uses	D	The algorithm uses divide and	
				conquer paradigm.	
046	Dove	branch and bound paradigm elopment of dynamic programming can	ho hi	cokon into a socuence of how many	Α
U <del>4</del> U.	steps	. , , , ,	וט סט	oken into a sequence of now many	
	A	3	В	4	
	C	5	D	6	
047	•	t are the conditions for an optimal bina	_	_	Α
υ <del>τ</del> ι.	A	The tree should not be modified, and	-	accessed, it improves the lookup cost	
	, ,	you should know how often the keys		accessed, it improves the leckap cost	
		are			
	С	You should know the frequency of	D	The tree can be modified and you	
	0	access of the keys, improves lookup		should know the no of elements in the	
		time		tree before	
048	Ηοω	many number of binary trees can be for	ormec		С
<del>5 70</del> .	A	7	В	9	•
	Ĉ	6	D	8	
049	_	t happens when the backtracking algor		_	В
J 7J.				•	_
	Α	It backtracks to the root	В	It continues searching for other	

	С	It traverses from a different route	D	Recursively traverses through the	
050				same route	_
050.		de is said to be if it has	a po	ssibility of reaching a complete	В
	solut		_		
	A	Non-promising	В	Promising	
	C	Succeeding	D	Preceding	_
051.		nat manner is a state-space tree for a b			Α
		Depth-first search	В	Breadth-first search	
	С	Twice around the tree	D	Nearest neighbour first	
052.	_	neral, backtracking can be used to sol			С
	Α	•	В	Exhaustive search	
	С	Combinatorial problems	D	Graph coloring problems	
053.	Whic	th of the problems cannot be solved by	back		D
	Α	n-queen problem	В	subset sum problem	
	С	hamiltonian circuit problem		travelling salesman problem	
054.	Back	tracking algorithm is implemented by c	onstr	ucting a tree of choices called as?	Α
	Α	State-space tree	В	State-chart tree	
	С	Node tree	D	Backtracking tree	
055.	The	running time of Floyd-Warshall algorith	m is		C
	Α	(n)	В	$(n^3)$	
	С	$(n^2)$	D	(n log n)	
056		<b>\</b>		` • ,	D
056.		t is the time complexity of FloydWarsha	all alg	onthin to calculate all pail shortest	ט
	•	in a graph withnvertices?	В	Theta(nAOlegn)	
	A C	O(n^2logn)	D D	Theta(n^2logn)	
057		Theta(n^4)	_	Theta(n^3	В
057.		problem of finding a subset of positive	mege	ers whose sum is equal to a given	D
	•	ive integer is called as?	D	aubaat aum problem	
		•	B D	subset sum problem	
ΛEΟ		knapsack problem		hamiltonian circuit problem	۸
UOO.			spoare	d such that no two queens attack each	A
		r is called as?	D	oight guanna nuzzla	
			_	eight queens puzzle	
0E0	C	four queens puzzle	D	1-queen problem	_
059.		now many queens was the extended ve	ersion	of Eight Queen Puzzle applicable for	D
	_	squares?	D	6	
	A	5	В	6	
060	C	8	D	n	_
UOU.	_	•	_	ight Queen Puzzle using determinant?	C
	A	Max Bezzel	В	Frank Nauck	
064	C	Gunther	D	Friedrich	۸
001.	_	coined the term backtracking?	D	Donald	Α
	A C	Lehmer	В	Donald	
060	C	Ross	D	Ford	_
062.		•	gnoc	les that could be computed to give the	C
		ible solutions of a given problem.	D	Drivita faras	
	A	Exhaustive search	В	Brute force	
000	C	Backtracking	D	Divide and conquer	_
<b>ს</b> ხპ.	_	th one of the following is an application			D
	A	Finding the shortest path	В	Finding the efficient quantity to shop	
004	C	Caroms	D	Crossword	Р
U64.		problem of finding a list of integers in a	giver	specific range that meets certain	В
	_	itions is called?	Б	Constraint auti-fti auti-li	
	A	Subset sum problem	В	Constraint satisfaction problem	
	С	Hamiltonian circuit problem	D	Travelling salesman problem	

065.	In ho	ow many directions do queens attack e	ach o	ther?	С
	Α	1	В	2	
	С	3	D <sub>.</sub>	4	_
066.	_	ing n-queens so that no two queens att			Α
	A	n-queens problem	В	8-queens problem	
007	C	Hamiltonian circuit problem	D	subset sum problem	_
067.	_	queen problem, how many values of n	aoes B		В
	A C	3	D	2 4	
068	_	ne following given options, which one of	_	•	Α
000.		ides an optimal solution for 4-queens p			_
	A	(3,1,4,2)	В	(2,3,1,4)	
	C	(4,3,2,1)	D	(4,2,3,1)	
069.		many fundamental solutions are the fo	or 3 qu	( , , , ,	D
	Α	1	В	12	
	С	3	D	0	
070.	Whic	ch ordered board is the highest enumer	ated	board till now?	C
	Α	25x25	В	26x26	
	С	27x27	D	28x28	
071.	How	many solutions are there for 8 queens	_		C
	A	91	В	89	
.=.	С	92	D	78	_
0/2.		many fundamental solutions are there	_		D
	A C	90	В	92	
072	_	10	D	12	Α
0/3.	A	t is vertex coloring of a graph?  A condition where any two vertices	В	A condition where any two vertices	A
	^	having a common edge should not	Ъ	having a common edge should	
		have same color		always have same color	
	С	A condition where all vertices should	D	A condition where all vertices should	
	J	have a different color		have same color	
074.	Minir	mum number of unique colors required	for v		С
	Α	vertex matching	В	chromatic index	
	С	chromatic number	D	color number	
075.	Ofte	n the problem to be solved calls for find	ding o	ne vector that maximizes a	В
	funct	tion.			
	Α	Sigmoid	В	Criterion	
	С	Threshold	D	max	
076.	_	acktracking, the criterion functions are a			Α
	A	bounding functions	В	basis functions	
077	C	decision functions	D	target functions	_
077.		ne following given options, which one of	tne i	ollowing does not provides an optimal	В
	_	tion for 8-queens problem?	D	(4 6 2 9 2 2 4 7)	
	A C	(5,3,8,4,7,1,6,2)	B D	(1,6,3,8,3,2,4,7)	
078		(4,1,5,8,6,3,7,2) eneral, backtracking can be used to sol	_	(6,2,7,1,4,8,5,3)	С
070.	A	Numerical problems	ve: B	Exhaustive search	C
	C	Combinatorial problems	D	Graph coloring problems	
079	_	many possible solutions exist for an 8-		. • .	С
	A	56	В	77	•
	C	92	D	34	
080.	_	t is the domination number for 8-queer	_	_	D
	Α	8	В	7	-
	$\circ$	6	_	E	

081.	Which of the following problems is known to A Longest simple path problem for a	hav B	e a polynomial time solution? The 3-colorability problem in graphs	С
082.	given graph C The Eulerian cycle in a graph Backtracking, in the case, may have to problem state that is growing exponentially. A Best	_	The Hamiltonian Cycle in a graph erate all possible candidates in a	В
083.	<ul><li>C Average</li><li>Which of the following is not a backtracking</li><li>A Knight tour problem</li></ul>	D algo B	general rithm? N queen problem	С
084.	<ul><li>C Towers of Hanoi</li><li>Which constraints depend on the particular</li><li>A Implicit</li><li>C Explicit</li></ul>	D insta B D	Generic	С
085.	C Explicit The constraints are rules that determ space that satisfy the criterion function. A Implicit	_	bounding which of the tuples in the solution Generic	Α
086.	C Explicit How many edges will a tree consisting of N	D node	bounding es have?	С
087.	C n-1 What happens when the backtracking algor			В
	A It backtracks to the root C It traverses from a different route	B D	It continues searching for other possible solutions Recursively traverses through the same route	
088.	How many unique colors will be required for	r vert		С
	A 2	В	3	
089.	<ul> <li>C 4</li> <li>What is the condition for proper coloring of a two vertices having a common edge should not have same color</li> </ul>	D a gra B	two vertices having a common edge should always have same color	A
	C all vertices should have a different color	D	all vertices should have same color	
090.			000	В
	What will be the chromatic number of the fo A 1 C 3	llowir B D	ng graph? 2 4	
091.	The n-Queens problem, the circuit and examples of problems that can be solved by A Hamiltonian	the S y Bac B	Subset-Sum problem are some ektracking. Euclidean	A
092	C Short Which data structure is used to construct a	D state	Chameleon space tree in backtracking?	Δ

	Α	BFS	В	DFS	
	С	Bipartite graph	D	Euler graph	
093.	Fron	n the following which is not return optim	nal so		В
	Α	Dynamic programming	В	Backtracking	
	С	Branch and bound	D	Greedy method	
094.		$_{ extstyle }$ is a round trip path along n edges of (	G that	t visits every vertex once and returns	D
	to its	starting position.			
	Α	TSP	В	MST	
	С	Multistage Graph	D	Hamiltonian Cycle	
095.				00	В
				7	
				-/	
				٩	
				\ /	
	\//ha	t will be the chromatic number of the fo	llowir	og graph?	
	A	t will be the chromatic number of the fo	B	ig grapii <i>!</i> 2	
	C	3	D	4	
006	_	worst-case efficiency of solving a probl		•	В
030.	A		В	O(p( n log n))	ט
	C	O(p(n2))	D	O(p(m log n))	
097		t will be the chromatic number for a line	_	(, ( ) , ,	D
031.	A		В	1	
	C	2	D	n	
098.	_	number of colors used by a proper colo	_		Α
000.	Α	k coloring graph	B	x coloring graph	, ,
	C	m coloring graph	D	n coloring graph	
099.		t is a chromatic number?	_	oo.og g.ap	С
000.	Α	The maximum number of colors	В	The maximum number of colors	
		required for proper edge coloring of	_	required for proper vertex coloring of	
		graph		graph	
	С	The minimum number of colors	D	The minimum number of colors	
		required for proper vertex coloring of		required for proper edge coloring of	
		graph		graph	
100.	Wha	t will be the chromatic number for an e	mpty	•	В
	Α	2	ВÍ	1	
	С	0	D	n	
101.	Wha	t will be the chromatic number for an b	ipartit	e graph having n vertices?	C
	Α	0	В	1	
	С	2	D	3	
102.	Cons	sider two decision problems Q1, Q2 su	ch tha	at Q1 reduces in polynomial time to 3-	Α
	SAT	and 3-SAT reduces in polynomial time	to Q	2. Then which one of the following is	
	cons	istent with the above statement?			
	Α	Q1 is in NP, Q2 is NP hard	В	Q2 is in NP, Q1 is NP hard	
	С	Both Q1 and Q2 are in NP	D	Both Q1 and Q2 are in NP hard	
103.	Let S	S be an NP-complete problem and Q a	nd R I	be two other problems not known to be	B
	in NF	P. Q is polynomial time reducible to S a	and S	is polynomial-time reducible to R.	
	Whic	ch one of the following statements is tru	ıe?		
	Α	R is NP-complete	В	R is NP-hard	
	С	Q is NP-complete	D	Q is NP-hard	
104.		problems X and Y, Y is NP-complete a	nd X r	educes to Y in polynomial time. Which	D
	of the	e following is TRUE?			
	Α	If X can be solved in polynomial time,	В	X is NP-complete	
		then so can Y			

	С	X is NP-hard	D	X is in NP, but not necessarily NP-complete	
105.	Prob	lems that can be solved in polynomial	time a	•	В
	Α	intractable	В	tractable	
	С	decision	D	complete	
106.	A pro	oblem is said to be NP-Complete		•	Α
	Α	If it is as hard as any problem in NP	В	A non-polynomial time algorithm has	
		• •		been discovered	
	С	A polynomial time algorithm can exist	D	There is Greedy solution to the	
		but needs a parallel computer		problem	
107.	Whic	ch of the following problems is known to	have	e a polynomial time solution?	C
	Α	Longest simple path problem for a	В	The 3-colorability problem in graphs	
		given graph			
	С	The Eulerian cycle in a graph	D	The Hamiltonian Cycle in a graph	
108.	Cons	sider the following two problems on unc	directe	ed graphs: Given G(V, E), does G	C
	have	an independent set of size   V   - 4? :	Give	n G(V, E), does G have an	
	inde	pendent set of size 5? Which one of the	e follo	wing is TRUE?	
	Α	is in P and is NP-complete	В	is NP-complete and is in P	
	С	Both and are NP-complete	D	Both and are in P	
109.		and Shyam have been asked to show			С
		shows a polynomial time reduction fro		· · · · · · · · · · · · · · · · · · ·	
		vs a polynomial time reduction from to	3-SA	T. Which of the following can be	
	_	red from these reductions?	_		
	A	is NP-hard but not NP-complete	В	is in NP but not NP-complete	
	C .	is NP-complete	D	is neither NP-hard nor in NP	_
110.		lems that can be solved in polynomial			В
	A	intractable	В	tractable	
444	C	decision	D	complete	С
TTI.		problems 3-SAT and 2-SAT are Both in P	В	Poth ND complete	C
	A C		D D	Both NP-complete Undecidable and NP-complete	
	C	NP-complete and in P respectively	D	respectively	
112	Proh	lems to which SAT or similar problems	are r	•	С
112.	A	P	В	NP	O
	C	NP-complete	D	NP-hard	
113.	_	ch class contains problems that are ver			Α
	Α	P	В	NPC	
	С	NP	D	A	
114.	LetP	Abe a problem that belongs to the class	s NP.		С
	TRU			· ·	
	Α	There is no polynomial time algorithm	В	If $P_A$ can be solved deterministically in	
		for P <sub>A</sub>		polynomial time, then P=NP	
	С	If P <sub>A</sub> is NP-hard, then it is NP-	D	P <sub>A</sub> may be undecidable	
		complete		A may be undecidable	
115.	Let S	S be an NP-complete problem and Q ar	nd R I	be two other problems not known to be	В
		P. Q is polynomial time reducible to S a			_
		ch one of the following statements is tru		.,	
	Α	R is NP-complete	В	R is NP-hard	
	C	Q is NP-complete	D	Q is NP-hard	
116.	_	many steps are required to prove that			В
	Α	1	В	2	
	С	3	D	4	
117.	The	choice of polynomial class has led to th	ne dev	velopment of an extensive theory	Α
	calle	d			

		computational complexity	В	time complexity	
	С	problem complexity	D	decision complexity	
118.	To w	hich of the following class does a CNF	-satis	fiability problem belong?	C
	Α	NP class	В	P class	
	С	NP complete	D	NP hard	
119.	is	the class of decision problems that can	be s	olved by non-deterministic polynomial	Α
	algo	rithms?			
	Α	NP	В	P	
	С	Hard	D	Complete	
120.	Halti	ng problem is an example for?		·	В
	Α	Decidable problem	В	Undecidable problem	
	С	Complete problem	D	Trackable problem	
121.	How	many stages of procedure does a non-	-dete	•	В
	Α	1	В	2	
	С	3	D	4	
122.	How	many conditions have to be met if an N	NP- c	omplete problem is polynomially	В
		cible?		and the second of the second o	
	A	1	В	2	
	C	3	D	4	
123.	_	t is the worst case running time of Rabi	_	-	С
0.	Α	Theta(n)	В	Theta(n-m)	
	C	Theta((n-m+1)m)	D	Theta(nlogm)	
124.	_	t is a Rabin and Karp Algorithm?	_		Α
	Α	String Matching Algorithm	В	Shortest Path Algorithm	
	C	Minimum spanning tree Algorithm	D	Approximation Algorithm	
125.	_	lem A is reducible to problem B if there			Α
0.	A	transform any instance of B to an	В	transform any instance of A to an	•
	, ,	instance of A		instance of B	
	С	solve A	D	solve A as fast as B	
126	_	ch of the following algorithm can be use			Α
120.		ently?	u io i	solve the Hamiltonian path problem	^
	A	Branch and bound	В	Iterative improvement	
	C	Divide and conquer	D	Greedy method	
127	_	iltonian path problem is	D	Greedy method	D
121.	A	NP problem	В	N class problem	ט
	C	P class problem	D	NP complete problem	
120	_	ch of the following problems is similar to	_	·	С
120.	A	knapsack problem	В	closest pair problem	C
	Ĉ	travelling salesman problem	D	assignment problem	
120	_	sider three decision problems P1, P2 a		•	С
123.		s undecidable. Which one of the following			C
	_	P3 is decidable if P1 is reducible to	ig is B	P3 is undecidable if P3 is reducible to	
	Α		Ь	P2	
	_	P3	<b>D</b>		
	С	P3 is undecidable if P2 is reducible to	ט	P3 is decidable if P3 is reducible to	
420	1 04 0	P3	יש טו	P2s complement	Ь
130.		S be an NP-complete problem and Q ar			В
		P. Q is polynomial time reducible to S a		is polynomial-time reducible to R.	
		ch one of the following statements is tru		D: ND.	
	A	R is NP-complete	В	R is NP-hard	
404	C	Q is NP-complete	D	Q is NP-hard	_
131.		( be a problem that belongs to the class	S NP.	nen which one of the following is	С
	TRU		_	If V and by and a little of the second	
	Α	There is no polynomial time algorithm	В	If X can be solved deterministically in	
		for X.		polynomial time, then $P = NP$ .	

		•	D	X may be undecidable.	
132		complete.  h of the below does not belong to the o	Nocur	e properties of NP class?	D
132.		Union	B	Concatenation	U
		Reverse	D	Complement	
133	_	h of the following is true?		Complement	Α
100.		P is subset of NP	В	NP is subset of P	
		P and NP are equal	D		
134.		happens when the modulo value(q) is	_		С
			В	Spurious hits occur frequently	
		•	D	• • • • • • • • • • • • • • • • • • • •	
135.		xpression is said to be in if it is		3	Α
		e has exact three literals.		,	
		3-CNF	В	2-CNF	
	С	1-CNF	D	4-CNF	
136.	Whic	h of the following arbitrarily chooses or	ne of	the elements of sets S?	Α
	Α	Choice	В	Failure	
	С	Success	D	exit	
137.	Flow	shop scheduling problem is an examp	le of_	type of problem.	Α
	Α	NP-Hard	В	NP-complete	
	С	P	D	Simple NP	
138.	If pro	blem L1 is a decision problem and L2	is an	optimization problem, then it is	D
	•	ible that			
		L1!=L2	В	L1*L2	
	С	L1/L2	D	L1L2	
139.		h of following generates a random strir	• .	·	В
		P class	В	NP class	
		NP-hard	D	NP-complete	
140.		gorithm A is of polynomial complexity p	o() su		В
		O(n)	В	O(p(n))	
	C	O(logn)	D	O(1)	_
141.			cesst	ful completion is not possible, then the	В
		plexity is	_	0(4)	
		O(logn)	В	O(1)	
4.40	C	O(n!)	D	O(n)	_
142.		h of the following function indicates an	unsu	iccessful completion of non-	В
	_	ministic problem?	_	Fallema	
	A	Abort	В	Failure	
4.40	C	Exit	D	terminate	_
143.	The _		aBo	oolean formula is true for some	В
	_	nment of truth values to the variables.	D	Catiofich ills.	
	A	Polynomial	В	Satisfiability	
1 1 1	C	Euler	D	NP-Hard	Ь
144.		, ,		ed that correctly computes the largest	ט
	•	e in a given graph. In this scenario, wh		<b>G</b> .	
	COLLE	ct Venn diagram of the complexity clas	ses I	-, INP and INP Complete (INPC)?	

