

Autocovariance:

```
In [24]:  ▶ import pandas as pd
```

```
In [25]:  ▶ df=pd.DataFrame({'a':[13,5,11,12,9]})
```

```
In [26]:  ▶ df
```

Out[26]:

	a
0	13
1	5
2	11
3	12
4	9

```
In [27]:  ▶ import statsmodels.api as sm
           ▶ from statsmodels.tsa.stattools import acovf,acf
           ▶ arr=acovf(df['a'])
```

```
In [28]:  ▶ arr
```

Out[28]: array([8. , -4. , -1.6, 2.2, -0.6])

Autocorrelation:

```
In [29]:  ▶ acf=acf(df['a'])
           ▶ acf
           ▶ #we get first value as 1 since autocorrelation of a variable to itself is 1.
```

Out[29]: array([1. , -0.5 , -0.2 , 0.275, -0.075])

Calculate auto covariance of temperature given in the dataset
daily-minimum-temperatures.csv

```
In [10]:  ▶ df=pd.read_csv('daily-minimum-temperatures.csv',index_col='Date',parse_dates=
```

```
In [15]:  ▶ a=df.head(10)
```

```
In [16]:  ▶ df.shape
```

Out[16]: (3650, 1)

```
In [17]: arr=acovf(a['Temp'])
arr
```

```
Out[17]: array([ 5.2624 ,  1.98564,  0.34088, -1.61388, -1.88944, -2.3618 ,
                -0.91416,  0.08628,  1.12752,  0.60776])
```

```
In [18]: var=a['Temp'].var()
```

```
In [19]: var
```

```
Out[19]: 5.847111111111105
```

```
In [20]: import statistics
var=statistics.variance(a['Temp'])
```

```
In [21]: var
```

```
Out[21]: 5.847111111111111
```

```
In [ ]: 
```

```
In [32]: df=pd.read_csv("samples.csv",index_col="Unnamed: 0",parse_dates=True)
```

```
In [33]: df.head()
```

```
Out[33]:
```

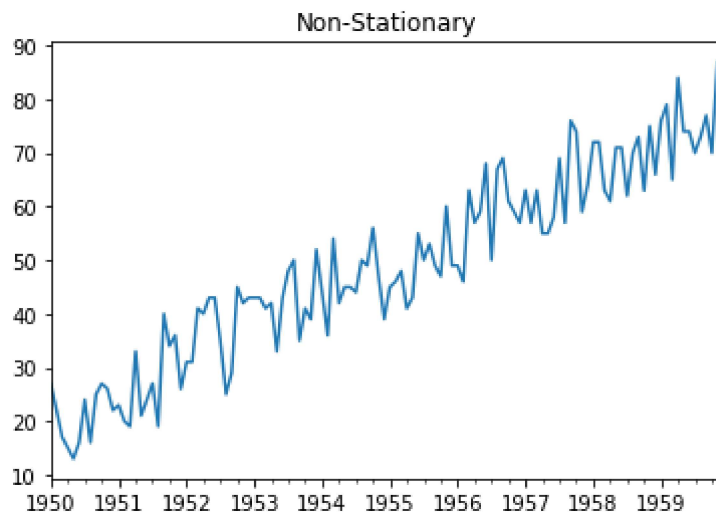
	a	b	c	d
1950-01-01	36	27	0	67
1950-02-01	58	22	3	31
1950-03-01	61	17	5	67
1950-04-01	37	15	8	47
1950-05-01	66	13	8	62

```
In [35]: df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
DatetimeIndex: 120 entries, 1950-01-01 to 1959-12-01
Data columns (total 4 columns):
#   Column  Non-Null Count  Dtype
---  -
0    a      120 non-null      int64
1    b      120 non-null      int64
2    c      120 non-null      int64
3    d      120 non-null      int64
dtypes: int64(4)
memory usage: 4.7 KB
```

```
In [42]: df['b'].plot(title="Non-Stationary")
```

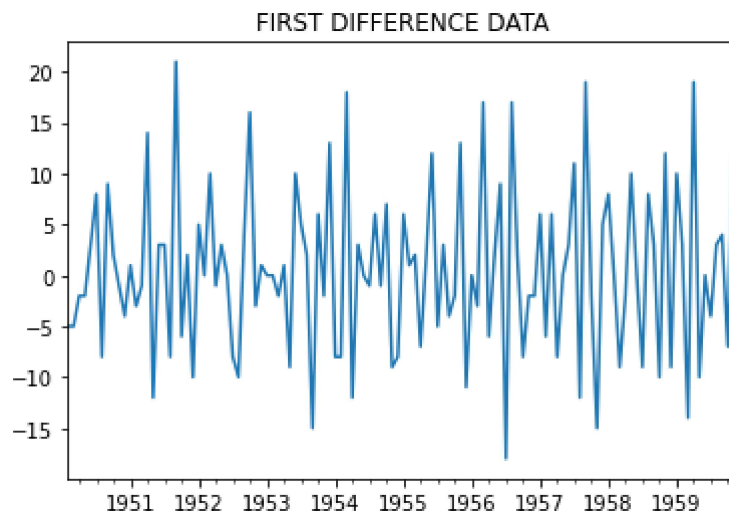
```
Out[42]: <AxesSubplot:title={'center':'Non-Stationary'}>
```



```
In [34]: #Removing non-stationarity using differencing
from statsmodels.tsa.statespace.tools import diff
```

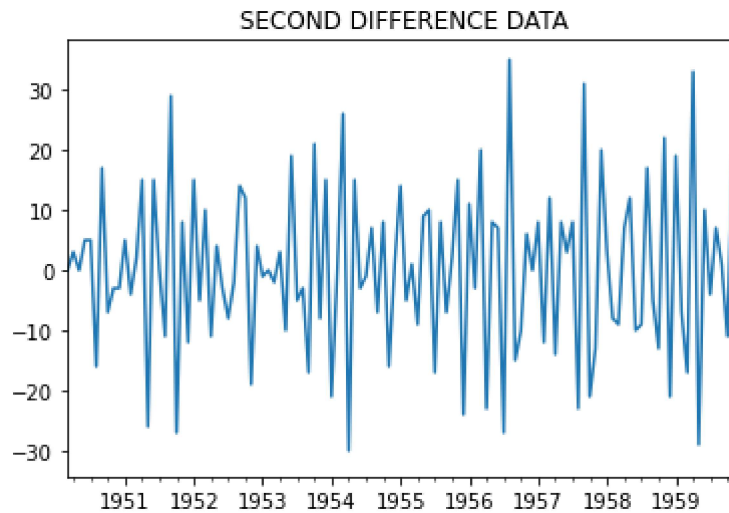
First difference:

```
In [36]: df['d1']=diff(df['b'],k_diff=1)
df['d1'].plot(title="FIRST DIFFERENCE DATA").autoscale(axis='x',tight=True)
```



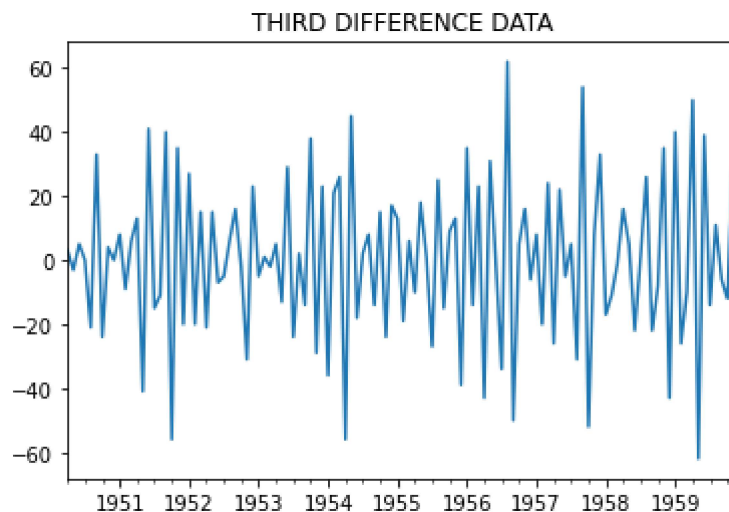
Second difference:

```
In [38]: ▶ df['d1']=diff(df['b'],k_diff=2)
df['d1'].plot(title="SECOND DIFFERENCE DATA").autoscale(axis='x',tight=True)
```



Third difference:

```
In [40]: ▶ df['d1']=diff(df['b'],k_diff=3)
df['d1'].plot(title="THIRD DIFFERENCE DATA").autoscale(axis='x',tight=True)
```



Regression: Predictive analysis

ARIMA: Auto Regressive Integrated Moving Average

```
In [ ]: ▶ Simple moving average: applicable to time series
         where u r finding rolling mean
```

```
In [ ]: ▶ Case study:  
        Use Superstore.xls  
        The index column is Time series.  
        The data mostly contains categorical variables.  
        Objective:To understand the general trend in the data  
        and also perform EDA to gain insights.  
        Analyse,Predict and forecast the sales of the category:Technology
```