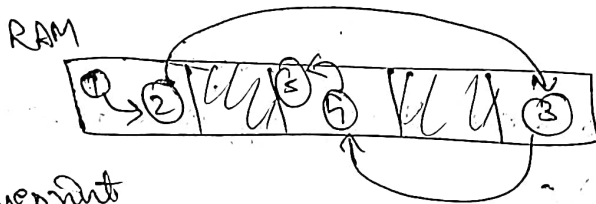


Linked List

- * `int[] arr = new int[5];` // fixed
 - * `ArrayList<Integer> list = new ArrayList();` // dynamically growing
 - * Stack \rightarrow LIFO
 - * Queue \rightarrow FIFO
- } Maintains Discipline
- \rightarrow Continuous space allocation

Linked List : If continuous space not available,
then linked list to occupy space from random
(fragmented) locations maintaining continuous flow (linked)



Blueprint

Syntax (Nodes) :

```
public static class Node{
```

Int val;

Node next; // Reference to next node
(linked)

Syntax Blueprint (Linked List):

```
node head; //
```

Node tail;

int size;

Add Last in Linked List

- (1) create new node (nn)
- (2) if head == null → head = ~~new nn~~ nn
tail = nn
- (3) else tail.next = nn
tail = nn
- (4) increase size

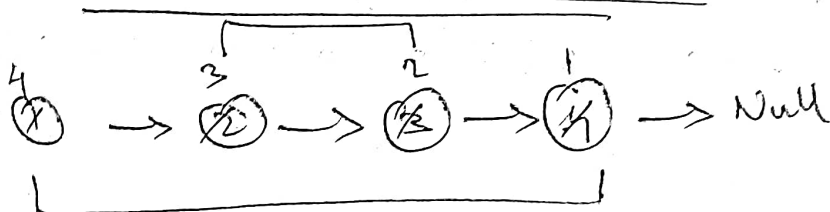
Add At index in Linked List

- (1) If idx == 0 ⇒ Add first
- (2) If idx == size ⇒ Add Last
- (3) Else → Loop till required position (target)
Create new node and add accordingly. (Make left & right connection).
- (4) Increment size

Remove At index in Linked List

- If idx == 0 ⇒ remove first
- If idx == size - 1 ⇒ remove last
- Else → Loop till required position (before target)
curr node.next = curr.next.next
Decrement size

Reverse LinkedList Pointer Data Iterative



$$TC: O(n^2)$$

* Swap 1st node data by travelling till last node.

* Same like reversing an array, just that you have to travel till end destination node.

Reverse Linked List pointer Iterative

$$TC: O(n)$$

* Take ~~three~~ two pointers prev & cur
* Here initial cur pointer will be tail.
* Travel in list & make cur to point to prev

- Update prev to cur
- Store cur.next, then point cur to cur.next
- Process repeated until cur != null

At end, your prev pointer is head

Kth node from end of linked list (0-based indexing)

$$TC: O(n)$$

* Take two variables t1, t2 (temp)
→ points to head.

* Traverse t2 'k' steps ahead to maintain gap of 'k' between t1 & t2.

* Then move both t1 & t2 each step until t2 != null.

Mid of Linked List

* Take two variables slow, fast

* slow travels 'x' times, fast travels '2x' times

TC: $O(n)$

Condition: while (fast.next != null && fast.next.next != null)
(or) while (fast != tail && fast.next != tail)

Merge two sorted Linked Lists

* Two ~~variables~~ variables $t1 \rightarrow \text{List1.head}$
 $t2 \rightarrow \text{List2.head}$

- * Iterate by comparing $t1$ & $t2$ data, then add to a new Linked List. while ($t1$ & $t2 \neq \text{null}$).
- * Finally, either of $t1$ or $t2$ is not empty, iterate & add to new List.

Merge Sort A Linked List

TC: $O(n \log n)$

* The calls ^{& work} are same like mergesort an array.

* Find middle

* sort left part (head, middle) & ~~second~~ right part

* Sort right part (middle.next, tail)

* Merge these two sorted lists & return.

Condition: If (head == tail)

↳ Return new list with head data

Remove Duplicates in a sorted Linked List

Approach 1:

* Create new List

* Remove first from original list

↳ If $\text{newlist.tail.data} \neq \text{org.list.data}$ (removed)

↳ Add to new list

↳ Else traverse

TC: $O(n)$

SC: $O(1)$

"this" keyword is readonly.

(*)

Since we're

instead,

$\text{newlist.head} = \text{orglist.head}$

"tail" = "tail"

"size" = "size"

always removing & adding, which doesn't exceed org.list size.

Approach 2:

* Two variables t_1, t_2 ^{points} ~~pointing~~ head.

$t_1 \rightarrow \text{head}; t_2 \rightarrow \text{head.next}$

* ~~while~~ if ($t_1.data == t_2.data$)

↳ ~~move~~ $t_2 = t_2.next;$

else ($t_1.next = t_2$)

$t_1 = t_2;$

$t_1 = t_1.next;$

Process Condition: while ($t_2 \neq \text{null}$)

End condition: ~~at~~ $t_1.next = \text{null}$

Approach 2 :

* $t_1 \rightarrow \text{head}$
 $t_2 \rightarrow \text{head.next}$

$d = 0$; //duplicate count ;

TC : $O(n)$

SC : $O(1)$

* If $t_1.data == t_2.data$

$\rightarrow t_2 = t_2.next$ //keep moving t_2 since
 $\rightarrow d++$ //duplicates & count

Else if $t_1.data != t_2.data$

$\rightarrow t_1.next = t_2$

$t_1 = t_2$

$t_2 = t_2.next$

* while ($t_2 != \text{null}$) (process until)

* Finally $t_1.next = \text{null}$

orig. list . size - $= d$; //Reduce duplicate

// count in
//original list size

K Reverse in Linked List

Approach 1 * Two lists L_1, L_2 (find answer will be in L_2)

* while (this.size $\geq k$)

TC : $O(n)$

SC : $O(1)$

\rightarrow for (1 to k)

\rightarrow remove first in this &
add first in L_1

\rightarrow if ($L_2.size == 0$) //When encountering for L_2
 $\rightarrow L_2 = L_1$ //the first time

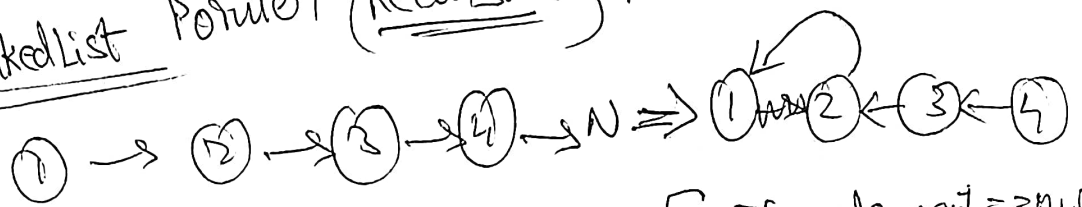
\rightarrow else

\rightarrow Adjust $L_2(\text{tail}, \text{size})$ to make
connection

Make L_1 point new reference (new List)

Integrate final ans L_2 in this.
(head, tail, size) (head, tail, size)

Reverse LinkedList Pointer (Recursive)!



Faith:

node.next.next = node

[∵ If node.next = null
↳ No work]

At end * swap head & tail. ~~node~~
↳ * tail.next = null

Reverse Linked List (Data Recursive)

Initial call (head, head, 0)

call(left, right.next, count+1)

Prblm: left wipes out after call,
even you alter left = left.next
- though

So create, left in heap

↳ Then change ~~left~~ left.

left = left.next

this reflects
in change of left which is
correct.

or you can
return left.next
& catch as
return value left
from call.

Is Linked List Palindrome

Recursive

Same like reverse list (Data Recursive)

↳ Here comparing only till half of
LinkedList doesn't matter.

↳ ~~Left~~ ~~Right~~

↳ At any point, if left.data != right.data

↳ return false

TC: $O(n)$
SC: $O(n)$
↳ stack
space

Iterative:

TC : $O(n)$
SC : $O(1)$

- ① * Find mid
- ② Reverse right part (after mid)
- ③ Traverse & Compare both left & right parts

Another space complex approach
ex: list (given list)
(1) → (2) → (3) (List 1)
(add First)
(2) (3) ← (2) ← (1) (List 2)
→ Not a palindrome

Intersection Point of Linked List

① $\text{Diff} = \text{List 1.size} - \text{List 2.size}$

② Travel further in longest list 'diff'

steps ahead. Why? \Rightarrow Both l_1 & l_2 contains $(l_1.\text{size} - \text{diff})$ elements a common nodes (in both lists)

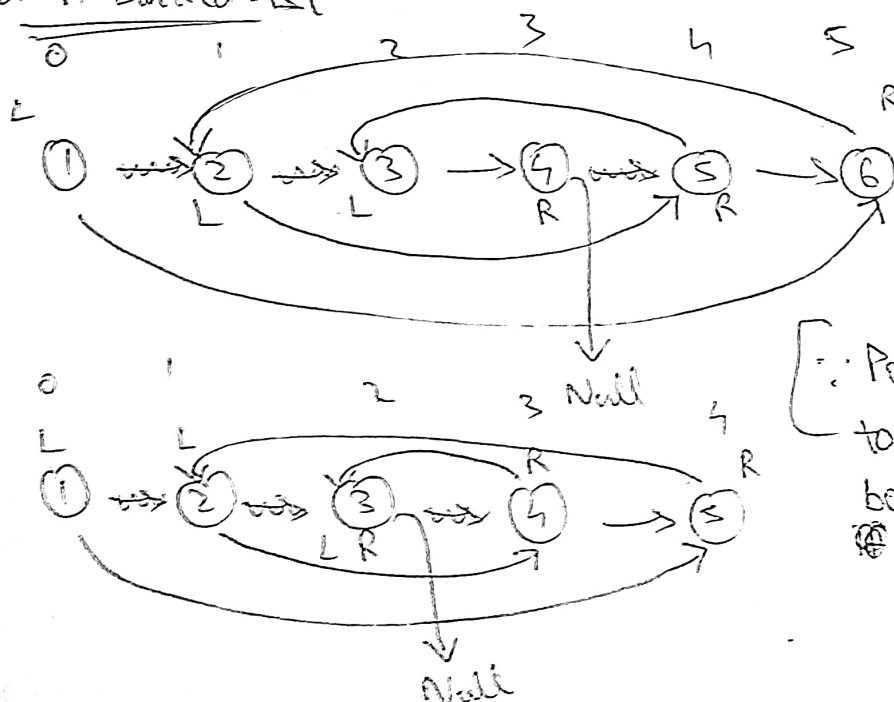
③ Then, on further travel $l_1.\text{node} == l_2.\text{node}$

\hookrightarrow return data

TC : $O(n)$
SC : $O(1)$

* This question can't be solved just depending on data value

Fold A Linked List



\therefore Pointing right to null in both cases

Approach: Similar to Reverse Linked List (Data Recursive)

* Maintain Left, Right
* Incr count @ each recursion.

if (count > List.size/2)

- nextLeft = left.next // Preserve Upcoming Left
- left.next = right.next
- right.next = ~~nextLeft~~ nextLeft
- left = nextLeft // Update left

else if (count == List.size/2)

- right.next = null
- tail = right

Odd Even Linked List

maintain

② Two lists odd, even

→ ① Travel org. list, Remove first

→ If node.data → odd

→ AddLast in odd

→ Else Add Last in even

→ ② ~~Manage~~ Manage head and tail

→ Check for odd, even list empty cases

TC: $O(n)$
SC: $O(1)$
↓
(since we remove & add)

Linked List to Stack Adapter

push → addLast()

pop → removeLast()

peek → getLast()

Linked List to Queue Adapter

add → addLast()

remove → removeFirst()

~~peek~~ peek → getFirst()

Add Two Linked Lists

Recursive

① Find diff ($list1.size - list2.size$)
→ In recursion
→ In recursion level

(For balancing size factor) → For call if (count < diff)

→ if ($l1.size \geq l2.size$)

→ ($l1.node.next, l2.node$)

Else ($l1.node, l2.node.next$)

(Add only $l1$'s value)

(Add only $l2$'s value)

Else (move both lists together to calculate (balanced))

→ ($l1.node.next, l2.node.next$)

(Add both)

$ans \% 10 = 10$

Find remainder from sum (to form nodes of list)

→ return carry to find next set of sum

$ans / 10$

TC: $O(n)$
SC: $O(1)$