Ejercicios pendientes Close 9 P3 Sea f(x) = cos(x). Luego, $f'(x) = \lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$ $= \lim_{h\to 0} \frac{\cos(h+x)-\cos(x)}{h}$ $= \lim_{h \to \infty} \frac{\cos(h)\cos(x) - \operatorname{Sen}(x) \cdot \operatorname{sen}(h) - \cos(x)}{h}$ = $\lim_{h\to 0} \frac{\cos(x) \left[\cos(h) - 1\right] - \operatorname{sen}(x) \operatorname{sen}(h)}{h}$

 $=\lim_{h\to 0}\frac{\cos(x)\left[\cos(h)-1\right]}{h}-\lim_{h\to 0}\frac{\sin(x)\sin(h)}{h}$

1 * lim cos(h)-1. cos(h)+1 = lim cos(h)-1
h>0 h (cos(h)+1)

 $Dom(f') = \mathbb{R}$

 $= (os(x) \lim_{h \to 0} \frac{cos(h)-1}{h} - sen(x) \lim_{h \to 0} \frac{sen(h)}{h} = -sen(x)$

 $= \lim_{h\to 0} \frac{-\operatorname{Sen}^{2}(h)}{h(\cos(h)+1)} \cdot \frac{h}{h}$

 $= \lim_{h \to 0} \frac{h}{(\omega(h+1))} \cdot \lim_{h \to 0} \left(\frac{\operatorname{sen}(h)}{h} \right)^{2}$

 $=\lim_{h\to\infty}\frac{1}{(\log(h+1))}\cdot\lim_{h\to\infty}\frac{1}{(\log(h))}^2=0$

 $[\cos(x)]'=-\sin(x)$

$$\lim_{h \to 0} \frac{f(x+h) - f(x)}{h}$$