

# An Introduction to Number Plate Data and Relevant Research Applications

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# Outline

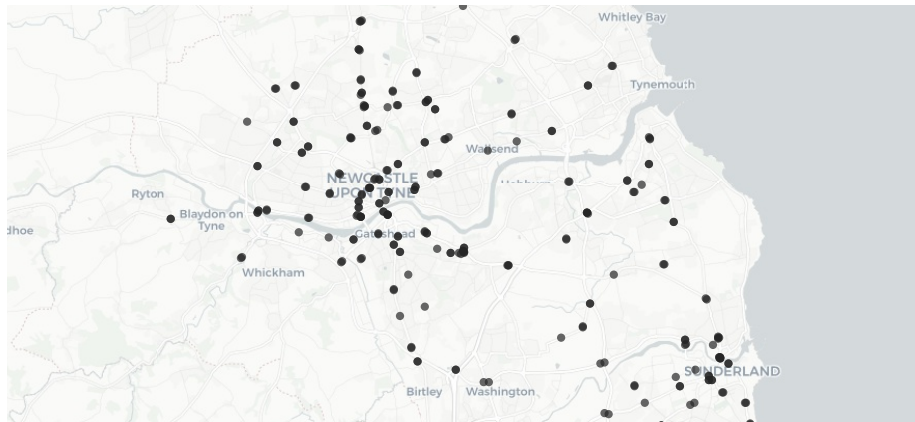
1. Context
2. Identifying trips in number plate data
3. Research Applications
4. Future Work

# Context

# The Urban Traffic Management Centre

UTMC

Responsible for monitoring traffic, road works, incidents, car parks, ...



**Figure 1:** Location of automatic number plate recognition (ANPR) cameras in Tyne and Wear.

# The automatic number plate recognition database

## ANPR

The UTMC has kindly provided a subset of the database:

- ▶ **Number of tables:** 82
- ▶ **Time period:** First 6 months of 2017
- ▶ **Size in disk:**  $\approx$  350 GB
- ▶ Many tables with static information: e.g Cameras, Nodes, CameraType ...
- ▶ 1 major table: Number plate data

## Number plate data

Tag	Timestamp	Camera Id	Timestamp Error	Tag Confidence	Vehicle Direction
12862943	2016-02-01 00:00:00	18	8	61	Towards
169239	2016-02-01 00:00:00	1031	0	100	Away
1862361	2016-02-01 00:00:35.080	19	22	83	Away

**Table 1:** Sample of number plate data

# Identifying trips in number plate data

# Sighting

A vehicle observed by a ANPR camera

## Definition

The  $i$ th sighting of vehicle  $k$  can be defined as:

$$sighting_i^k = (camera, time) \quad (1)$$

## Constraints

Consider  $S^k$  the set of sightings of vehicle  $k$ .

Then,  $S^k$  is valid if:

$$\dots < time_{i-1}^k < time_i^k < time_{i+1}^k < \dots, \forall i \in S^k \quad (2)$$

Assuming that all camera clocks are synchronised.



# Trip

A sequence of sightings

## Definition

The  $u$ th trip of vehicle  $k$  is a sequence (n-tuple) of sightings of  $k$ :

$$trip_u^k = (sighting_1^k, sighting_2^k, \dots, sighting_n^k) \quad (3)$$

where  $n$  is the number of sightings, i.e. length of the trip.

## Constraints

- ▶  $n \geq 1$  – The length of a trip has to be equal or greater than 1
- ▶ Every two consecutive sightings in a trip occur within a maximum time interval  $\tau$ .

# Journey time

A sequence of travel times

## Definition

From the  $uth$  trip of vehicle  $k$ , we can calculate the corresponding journey time sequence, of length  $n - 1$ :

$$journey\ time_u^k = \left( time_2^k - time_1^k, \dots, time_n^k - time_{n-1}^k \right) \quad (4)$$

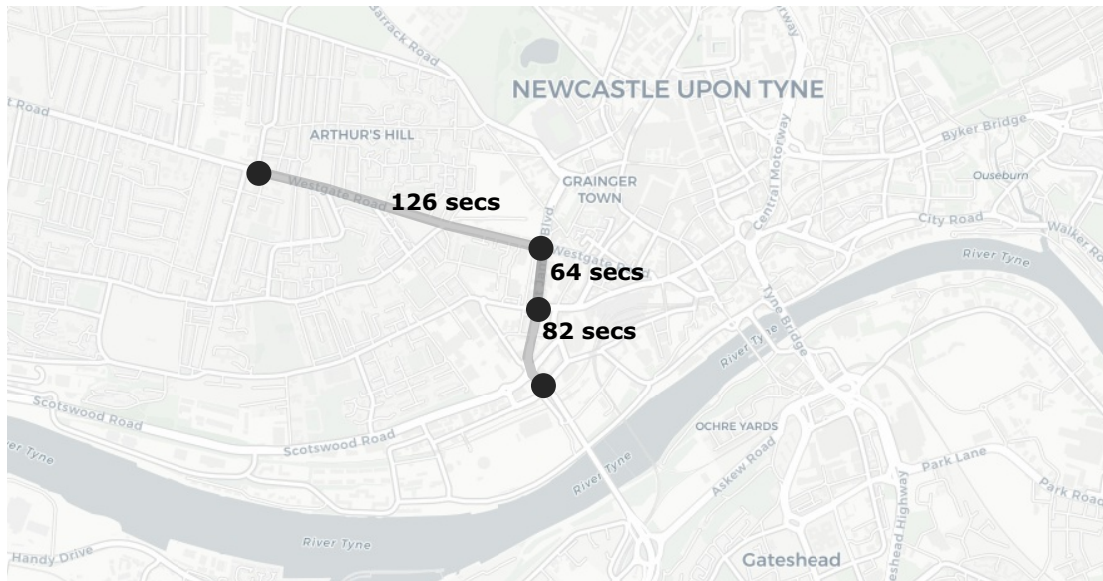
## Valid Trip

A trip of length  $\geq 2$  is valid if all partial journey times are lower than a threshold  $\tau$ :

$$journey\ time_{ui}^k < \tau, \quad \forall i \in journey\ time_u^k \quad (5)$$

**Note:** Realistically there should also be a lower bound for each journey time.

## Example of a trip of length 4



## Origin-destination matrix

Let  $P$  be the set of origins and  $Q$  the set of destinations:

$$flow_p = \sum_{q \in Q} flow_{pq} \quad (6)$$

$$flow_q = \sum_{p \in P} flow_{pq} \quad (7)$$

where  $flow_{pq}$  is the number of trips originating at  $p$  and terminating at  $q$ .

$$\text{Trip Matrix} = \begin{bmatrix} flow_{11} & flow_{12} & \dots & flow_{1q} \\ flow_{21} & flow_{22} & \dots & flow_{2q} \\ \dots & \dots & \dots & \dots \\ flow_{p1} & flow_{p2} & \dots & flow_{pq} \end{bmatrix} \quad (8)$$

**Applications** Transportation planning and forecasting.

## Trip data

Vehicle	Trip	Sighting	Length	Tau	Camera	Journey Time	Trip Id
2362920	1	1	4	600	1014	NA	21
2362920	1	2	4	600	1044	82 secs	21
2362920	1	3	4	600	35	64 secs	21
2362920	1	4	4	600	32	126 secs	21

**Table 2:** Sample of trip data

**Additional variables:** Timestamp, Traffic Count, Time Period, Duplicates, Duplicate Time Difference, Starting Camera, Ending Camera

## Challenge 1 – Choosing $\tau$

- ▶ Should  $\tau$  be **fixed** or **vary** over time and edge?
- ▶ How do we estimate  $\tau$ ?

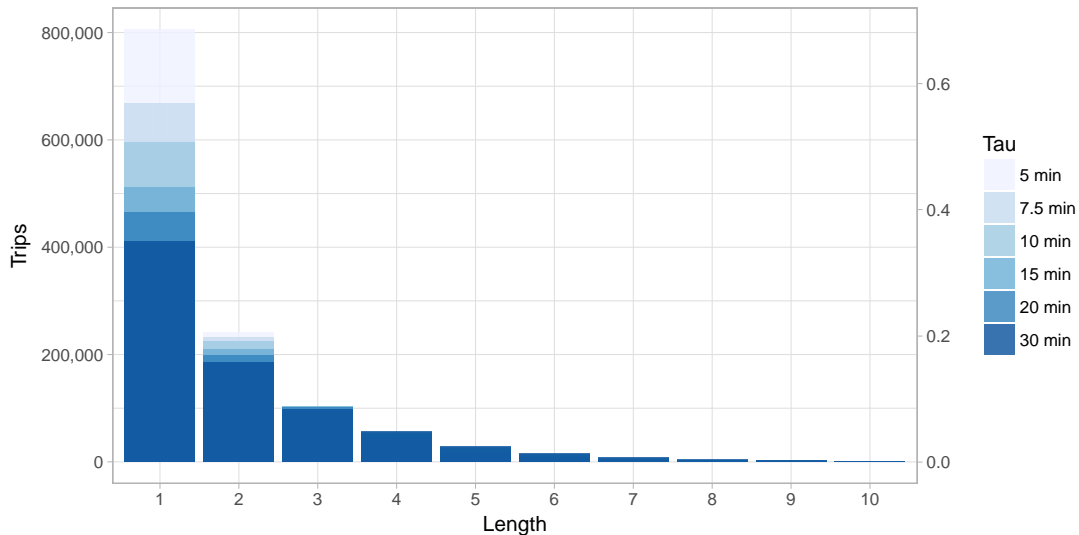
### Simple solution

Pick a fixed threshold (e.g. 5 min, 10 min, ...)

### Future work

- ▶ Estimate  $\tau$  for each edge in the trip graph as a function of the journey times in that edge.
- ▶ Study how varying  $\tau$  affects the generation of trip data, and as a consequence, the outcome of the research (e.g. inference on trip matrices, trip graphs, ...)

## Distribution of trip lengths by $\tau$



## Challenge 2 – Errors in plate scanning

There is a probability (confidence) associated with each sighting.

### Types of errors

- ▶ A different plate number was detected instead
- ▶ No plate number was detected at all

### Simple solution

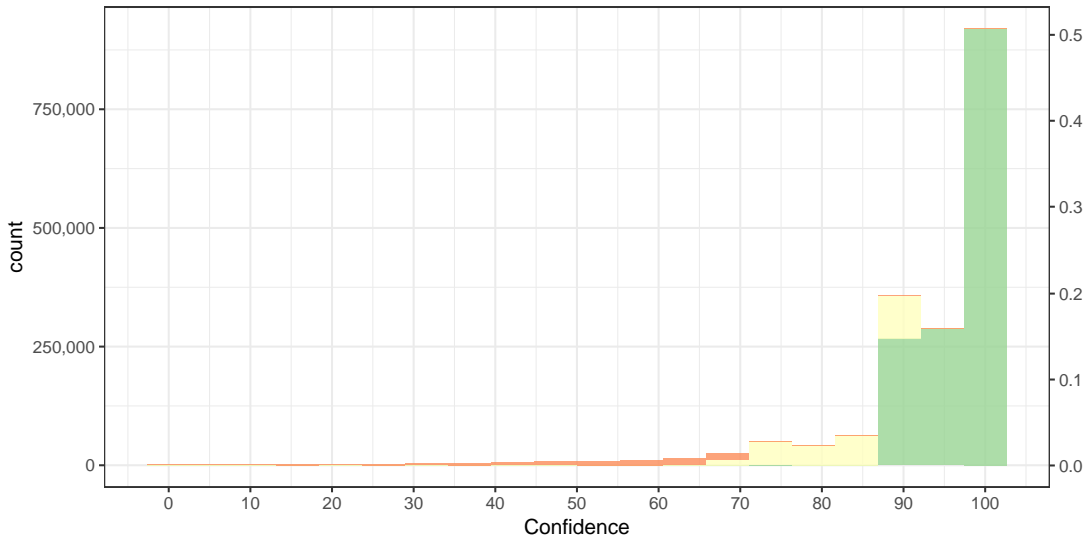
Filter all sightings with confidence less than e.g. 0.75.

### Future work

- ▶ Methods to detect and address the two types of errors
- ▶ Model the probability that a trip is missing sightings



# Distribution of plate scan confidence



## Challenge 3 – Duplicate Scannings

A vehicle can be scanned by the same camera multiple times in a single trip.

### Simple solution

For each trip:

- ▶ A sighting is a **duplicate** if the previous sighting occurs at the same location.

(1044, 32, **32**, 35)

(1044, 32, 35, **32**)

≈ 5% of sightings are duplicates

### Future Work

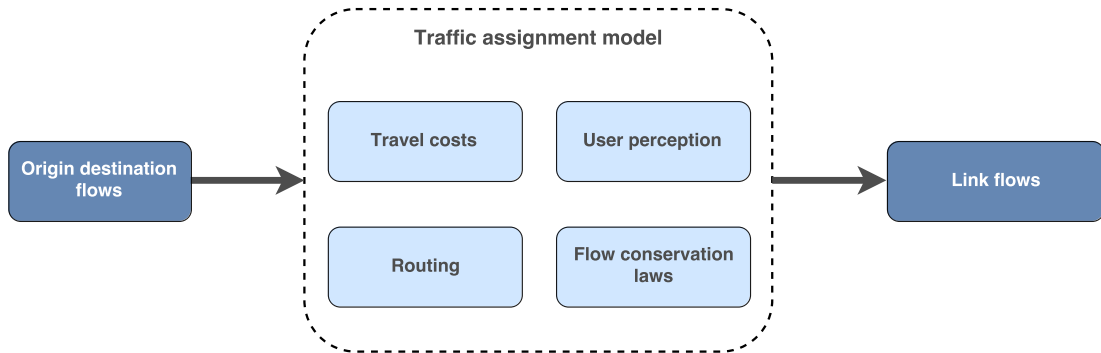
- ▶ A sighting is duplicated if there is a previous sighting at the same location and there isn't a **significant** time interval between them.

# Research Applications

# Application 1 – Transportation Modelling

## Traffic Assignment Problem

How do od-flows disaggregate among the road network?

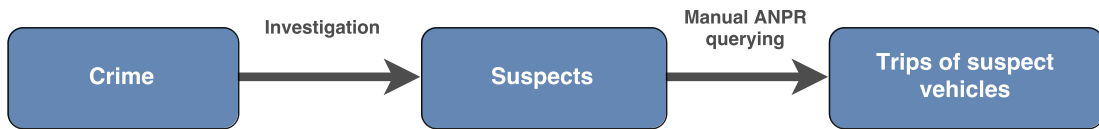


**Applications** Traffic forecasting, transportation planning, traffic simulators

## Application 2 – Abnormal Vehicle Behavior Detection

Law enforcement occasionally uses the ANPR database to link vehicles to crimes.

### Current workflow

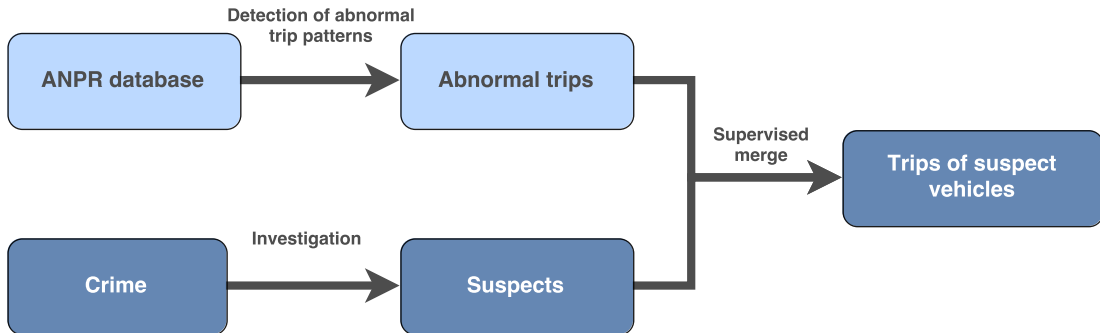


### Limitations

- ▶ Lack of technical knowledge
- ▶ Time-expensive manual procedure

## Application 2 – Abnormal Vehicle Behavior Detection

### Improved workflow



# Future Work

## Scaling up

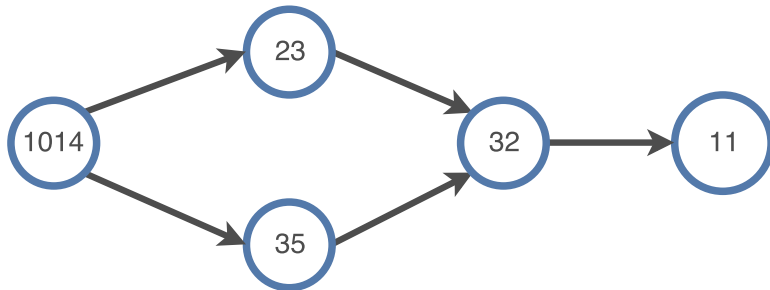




# Probabilistic queries on trip graphs

Which route is likelier to be faster?

Conditional Probability Distribution = ?



**Applications** Variable message signs with real time route info. and recommendations

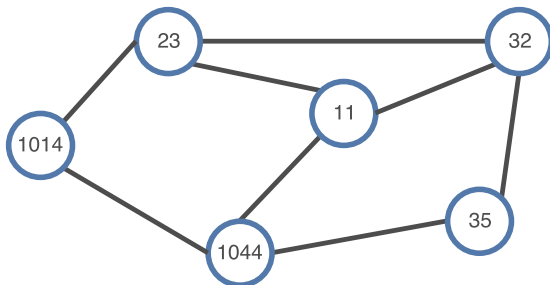
# Thank you

A special thank you to Phil Blythe in Civil Engineering and Ray King from the Tyne and Wear Urban Traffic and Management Centre (UTMC) for providing guidance and a copy of the Automatic Number Plate Recognition (ANPR) database.

## Trip graph

Consider the mapping of trips of length  $\geq 2$  to trip-pairs of length  $= 2$ .

Let  $G(V, E)$  be the trip graph.  $V$  is the set of cameras and  $E$  is the set of trip-pairs.



**Weights:** Distribution of journey times,  $flow_{pq}$ , routing info, probabilities, ...

**Trips** are walks on the trip graph.

# Considerations

## Choosing $\tau$

- ▶ Should  $\tau$  be **fixed** or **vary** over time and camera-pair?
- ▶ Estimating  $\tau$  from observed journey times

## Errors in number plate recognition

- ▶ How to detect and address errors?
- ▶ What is the probability that a trip is missing sightings?

## Duplicate sightings

- ▶ A sighting is a **duplicate** if the previous sighting occurs at the same location.
- ▶ What about trips containing cycles?

## [EXTRA][DRAFT] More on trip graphs..

- ▶ How does the structure and properties of trip graphs vary over time (node connectivity, centrality, ...)?
- ▶ How to incorporate/address the time component on trip graphs? For instance, on bayesian networks. Do these methods capture the time-variance of trip choices?
- ▶ How good is the distribution of cameras on the road network?
- ▶ Does traffic congestion explain particular routing choices made by vehicles?
- ▶ Estimate the Markov matrix from an observed set of finite markov chains (a.k.a random walks)
- ▶ Compute a trip graph per hour/day/week/month. Compute properties/structure (connectivity, centrality). Cluster the graphs based on these metrics.