1. 当
$$k = 2$$
时,
$$\mathcal{B}_{2} = \{\underbrace{\{s_{1}, s_{2}\}, \cdots, \{s_{1}, s_{2}\}}_{t \uparrow}, \underbrace{\{s_{1}, s_{2}\}, \cdots, \{s_{1}, s_{2}\}}_{t \uparrow}, \cdots, \underbrace{\{s_{1}, s_{v}\}, \cdots, \{s_{1}, s_{v}\}}_{t \uparrow}, \cdots, \underbrace{\{s_{2}, s_{3}\}, \cdots, \{s_{2}, s_{3}\}}_{t \uparrow}, \cdots, \underbrace{\{s_{2}, s_{v}\}, \cdots, \{s_{2}, s_{v}\}}_{t \uparrow}, \cdots, \underbrace{\{s_{2}, s_{v}\}, \cdots, \{s_{2}, s$$

所以
$$b = \frac{v(v-1)}{2}t$$
, $v = v$, $r = vt$, $\lambda = t$ 。
当 $k = v - 2$ 时,

$$\begin{array}{c} \mathcal{B}_{v-2} = \\ \{ \underbrace{S - \{s_1, s_2\}, \cdots, S - \{s_1, s_2\}}_{t \uparrow \uparrow}, \underbrace{S - \{s_1, s_2\}, \cdots, S - \{s_1, s_2\}}_{t \uparrow \uparrow}, \cdots \underbrace{S - \{s_1, s_v\}, \cdots, S - \{s_1, s_v\}}_{t \uparrow \uparrow}, \\ \underbrace{S - \{s_2, s_3\}, \cdots, S - \{s_2, s_3\}}_{t \uparrow \uparrow}, \cdots, \underbrace{S - \{s_2, s_v\}, \cdots, S - \{s_2, s_v\}}_{t \uparrow \uparrow}, \\ \vdots \\ \underbrace{S - \{s_{v-1}, s_v\}, \cdots, S - \{s_{v-1}, s_v\}}_{t \uparrow \uparrow} \\ \end{array}$$

所以
$$b = \frac{v(v-1)}{2}t$$
, $v = v$, $r = \frac{(v-1)(v-2)}{2}t$, $\lambda = \frac{(v-2)(v-3)}{2}t$ 。

11.
$$A = \begin{bmatrix} 1 & 1 & 1 & 0 \\ 0 & 1 & 1 & 1 \\ 1 & 0 & 1 & 1 \\ 1 & 1 & 0 & 1 \end{bmatrix}, A^{T} = \begin{bmatrix} 1 & 0 & 1 & 1 \\ 1 & 1 & 0 & 1 \\ 1 & 1 & 1 & 0 \\ 0 & 1 & 1 & 1 \end{bmatrix}.$$
$$AA^{T} = \begin{bmatrix} 3 & 2 & 2 & 2 \\ 2 & 3 & 2 & 2 \\ 2 & 2 & 3 & 2 \\ 2 & 2 & 2 & 3 \end{bmatrix}.$$