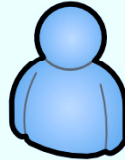


1. Alan and Charles agree on a shared prime $p = 23$ and base $g = 5$

2. Alan generates a secret a

$$a = 3$$

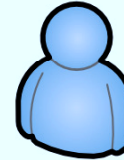
Alan



3. Alan sends Charles $A = g^a \bmod p$

$$A = 10$$

Charles



4. Charles generates a secret b

$$b = 13$$

5. Charles sends Alan $B = g^b \bmod p$

$$B = 21$$

6. Alan calculates the secret $s = B^a \bmod p$

$$s = 15$$

7. Charles calculates the secret $s = A^b \bmod p$

Since $g^a b = g^b a$, both Alan and Charles get the same value, but an attacker knowing only p , g , A and B cannot calculate s without a or b