

GAMES 105

Fundamentals of Character Animation

Lecture 06:

Learning-based Character Animation

Libin Liu

School of Intelligence Science and Technology
Peking University



GAMES105 课程交流



VCL @ PKU

Outline

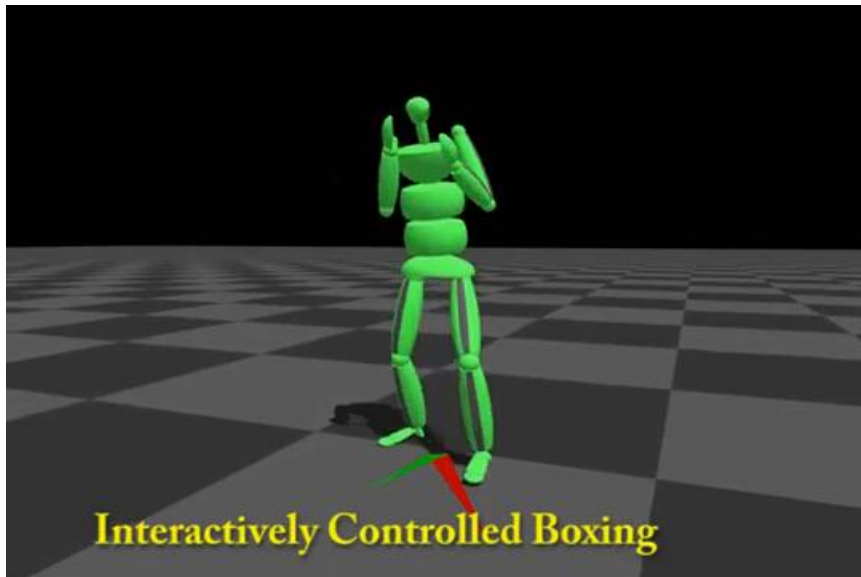
- Recap: interactive character animation
 - Motion Graphs
 - Motion Matching
- Statistical Models of Human Motion
 - Principal Component Analysis
 - Gaussian Models
- Learning-based Models
 -



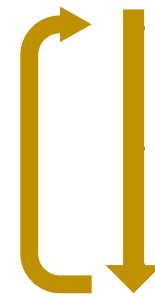
Recap: Interactive Animation

How to make a character respond to user command?

How to create interactive animation?



[Heck and Gleicher 2007, Parametric Motion Graphs]

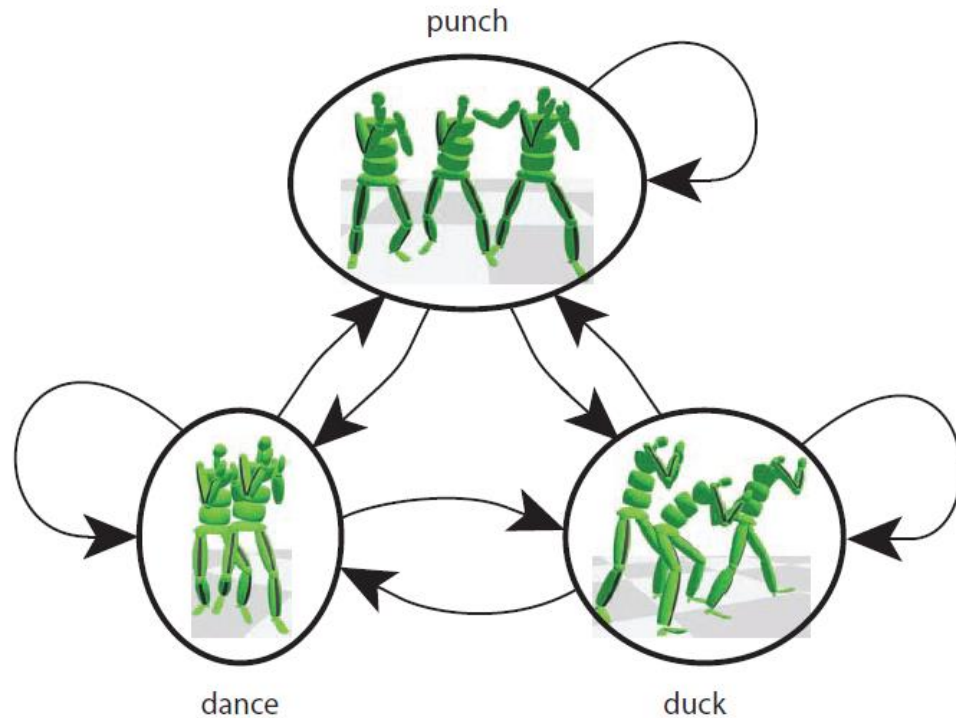


check user input

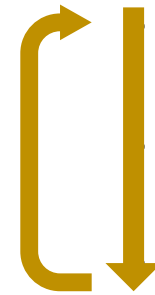
find a nice animation clip

play it

Motion Graphs



[Heck and Gleicher 2007, Parametric Motion Graphs]

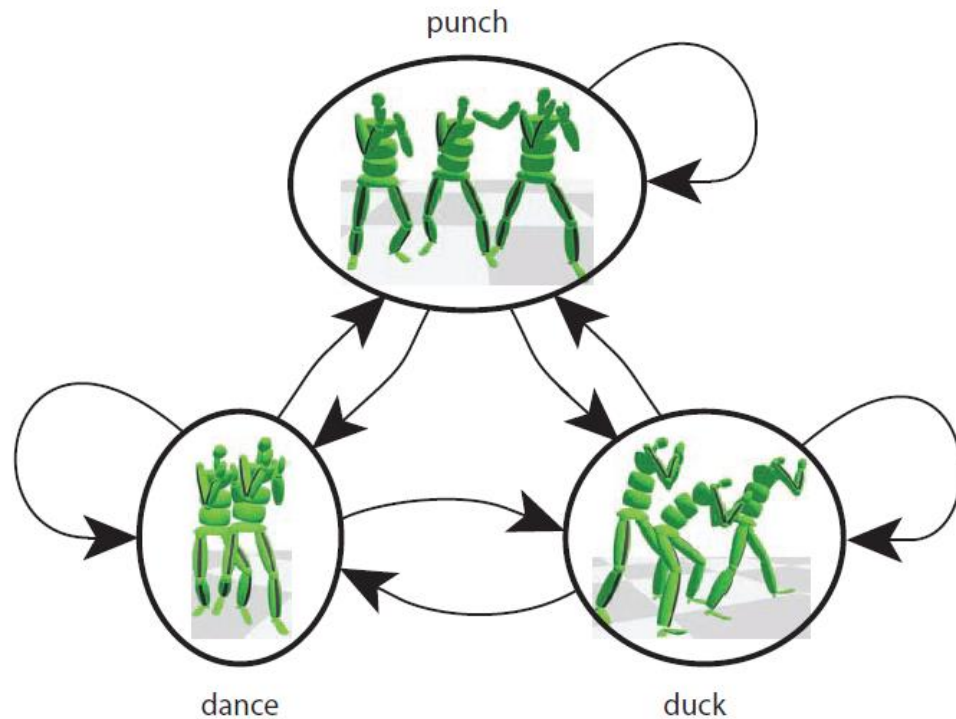


check user input

find a nice animation clip

play it

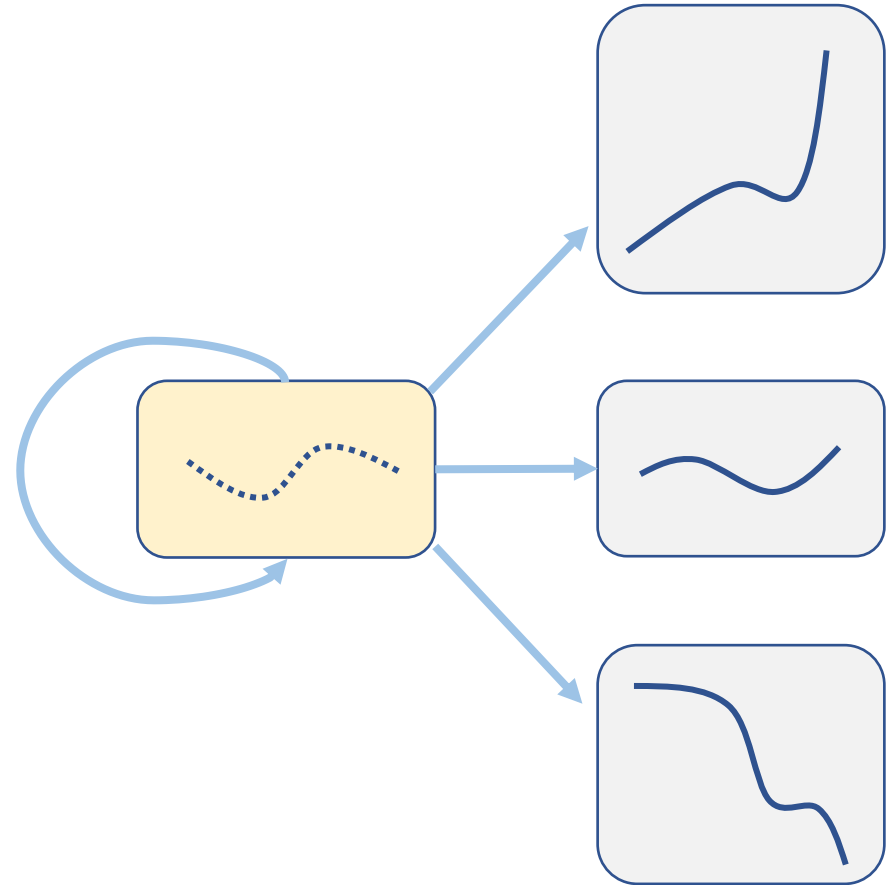
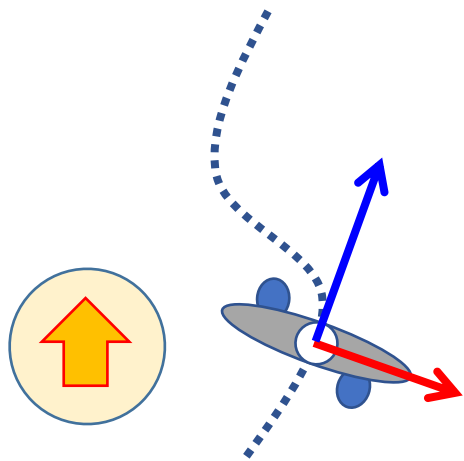
Motion Graphs



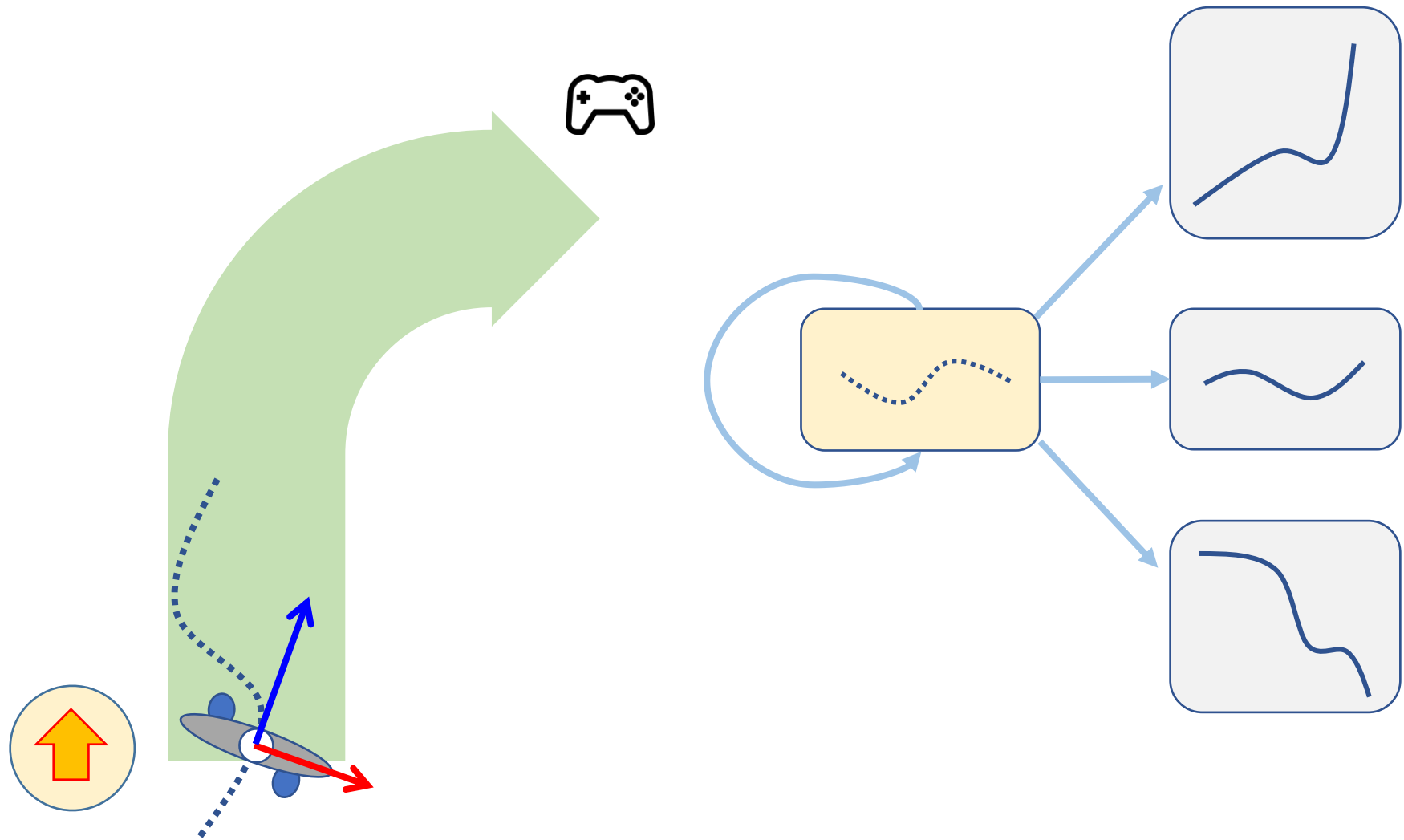
[Heck and Gleicher 2007, Parametric Motion Graphs]

at the end of the current clip:
check user input
find a nice animation clip
play it

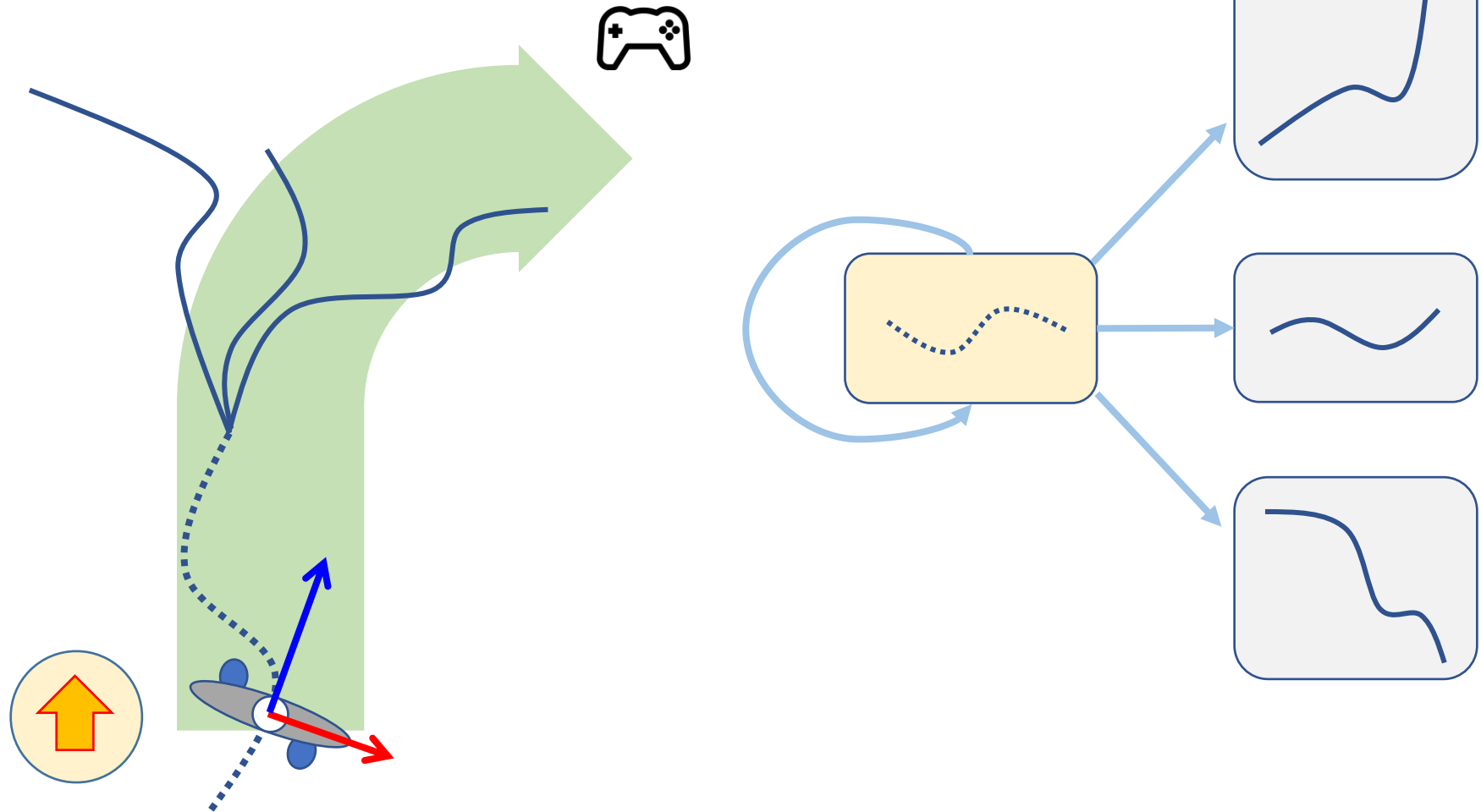
Motion Graphs



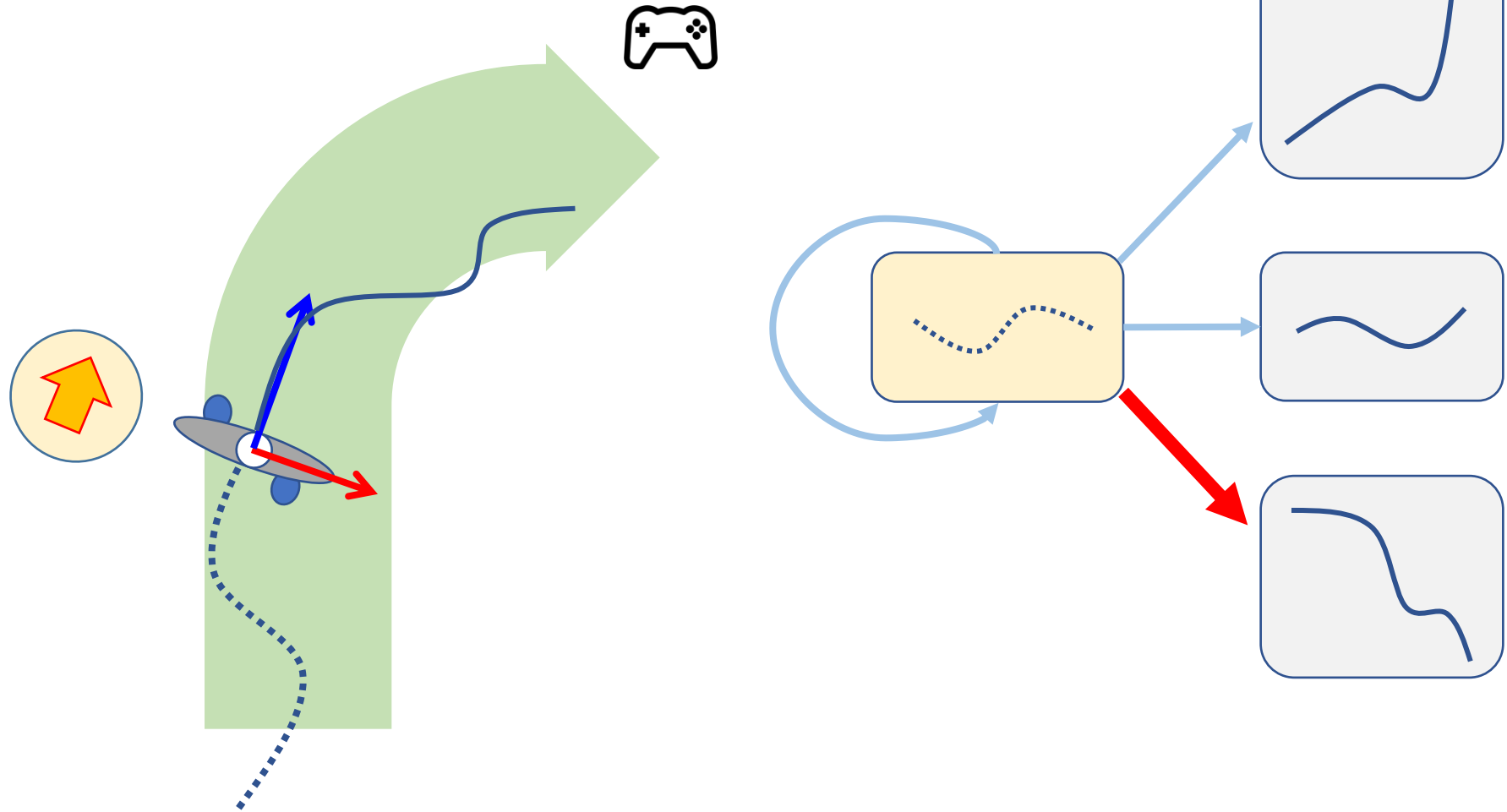
Motion Graphs



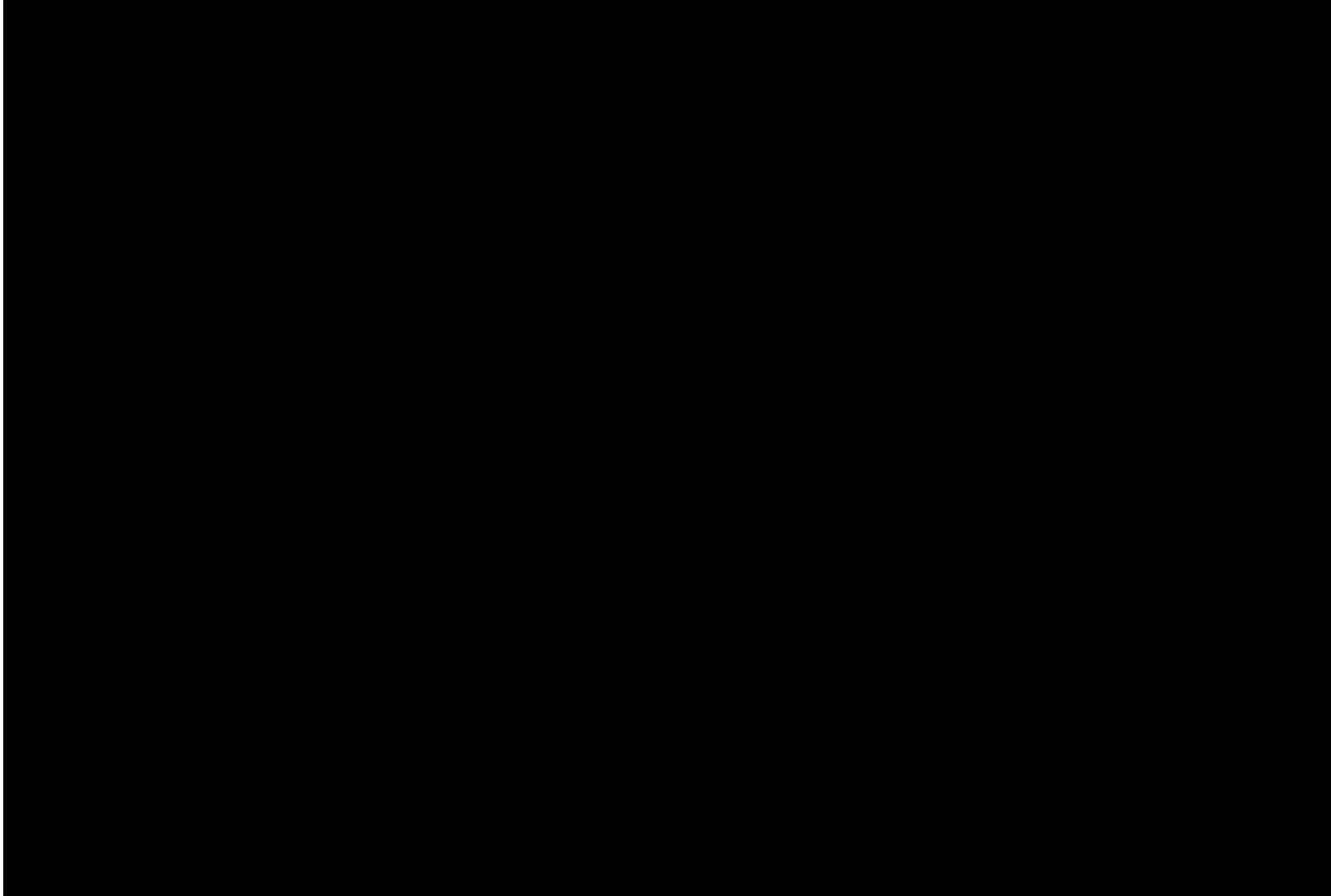
Motion Graphs



Motion Graphs

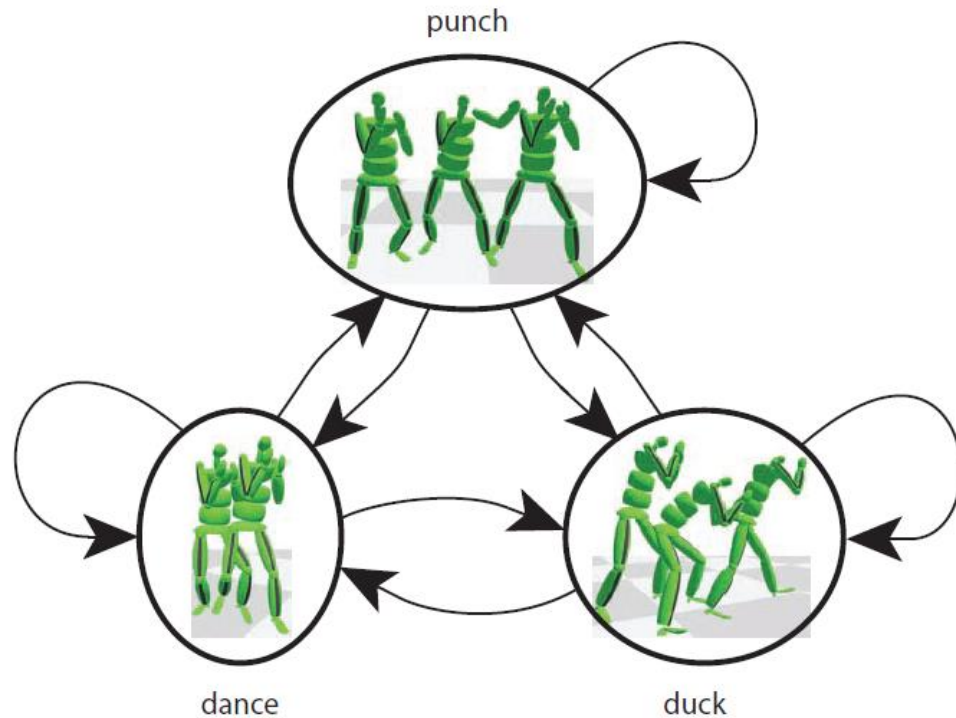


Motion Graphs

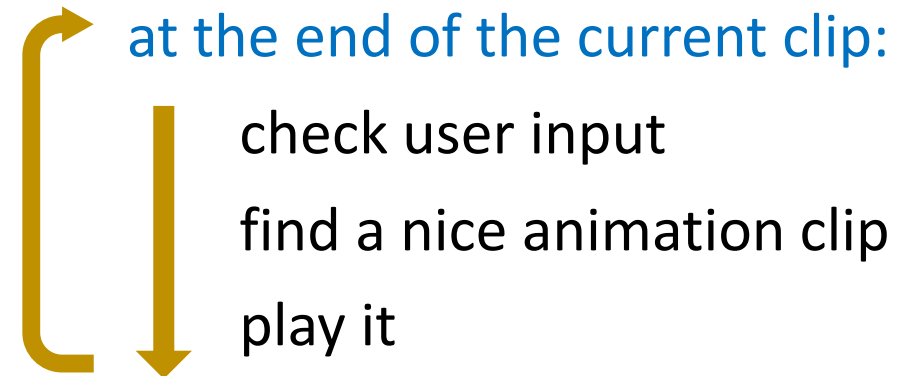


Motion Planning with Motion Graph and A*
<https://www.youtube.com/watch?v=ekx0bXz25Pw>

Motion Graphs



[Heck and Gleicher 2007, Parametric Motion Graphs]



Need a Faster Response?

Motion Graphs / State Machines

at the end of the current clip:

check user input
find a nice animation clip
play it



at every frame:

check user input
find a nice next **pose**
update the character

Need a Faster Response?

Motion Graphs / State Machines

at the end of the current clip:

check user input
find a nice animation clip
play it

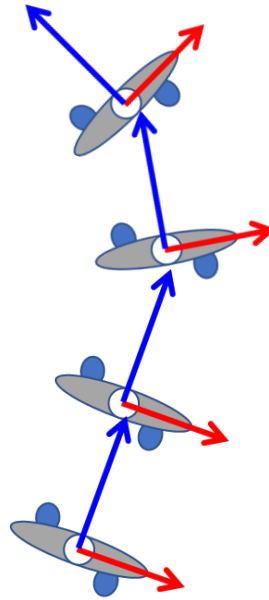


Motion Fields / Motion Matching

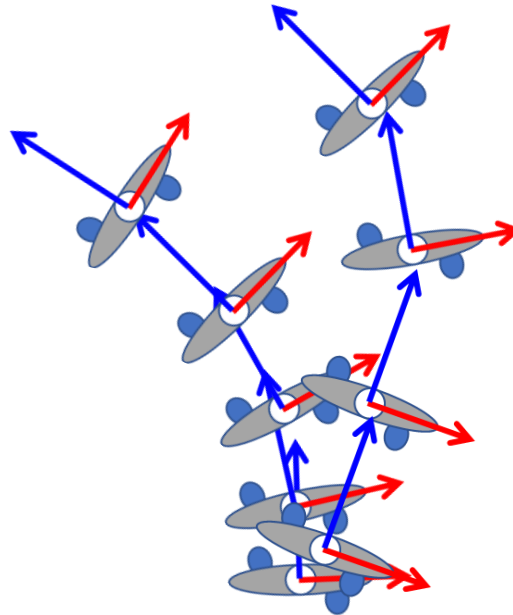
at every frame:

check user input
find a nice next **pose**
update the character

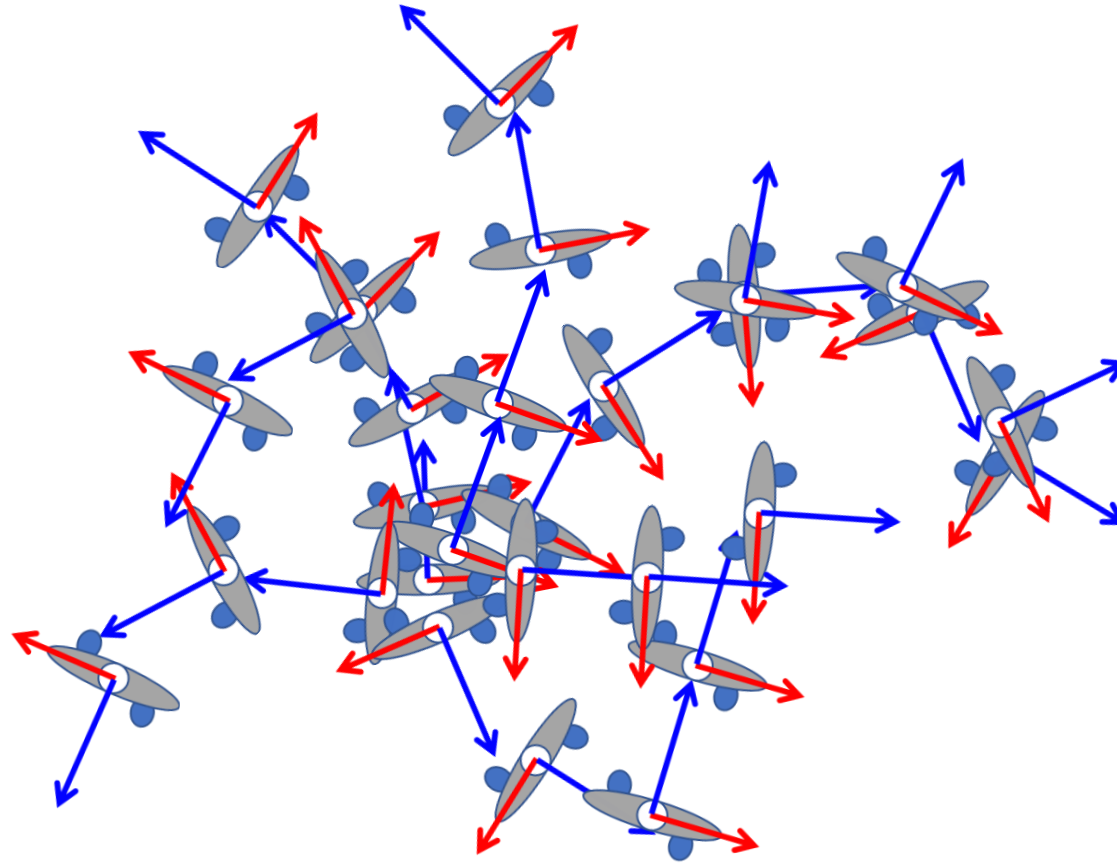
Motion Fields



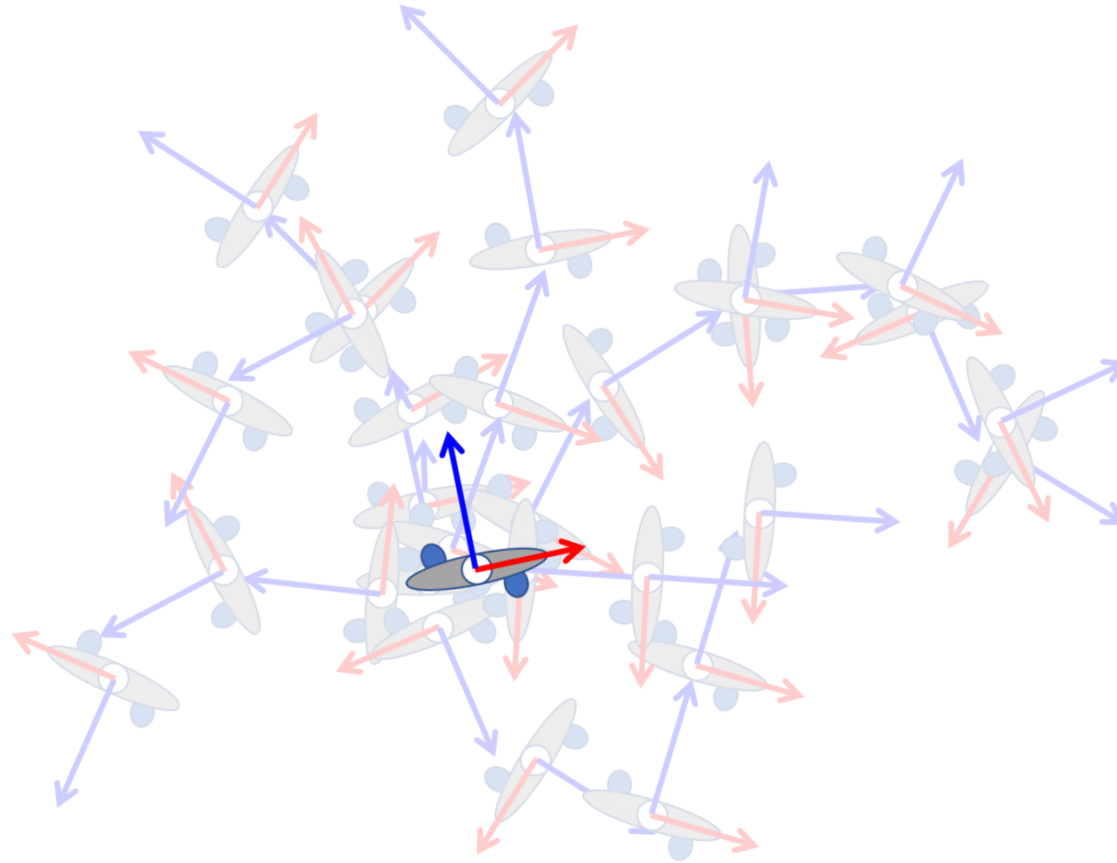
Motion Fields



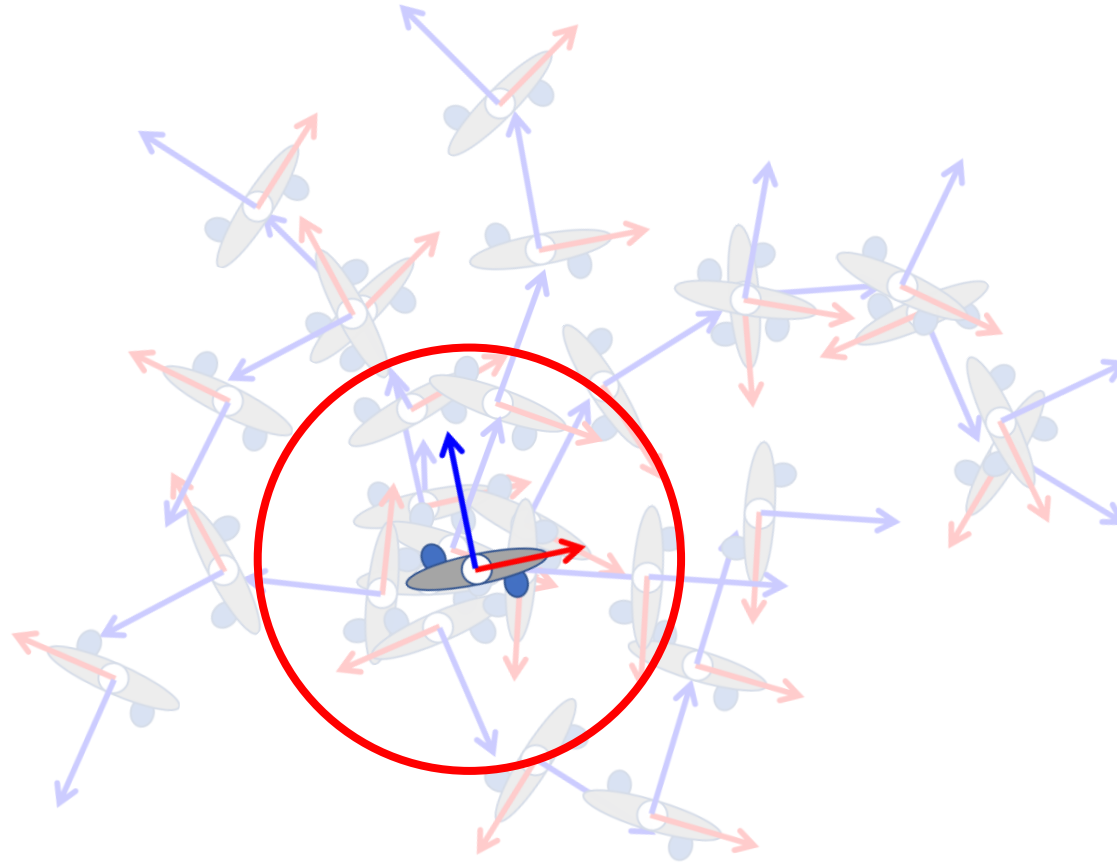
Motion Fields



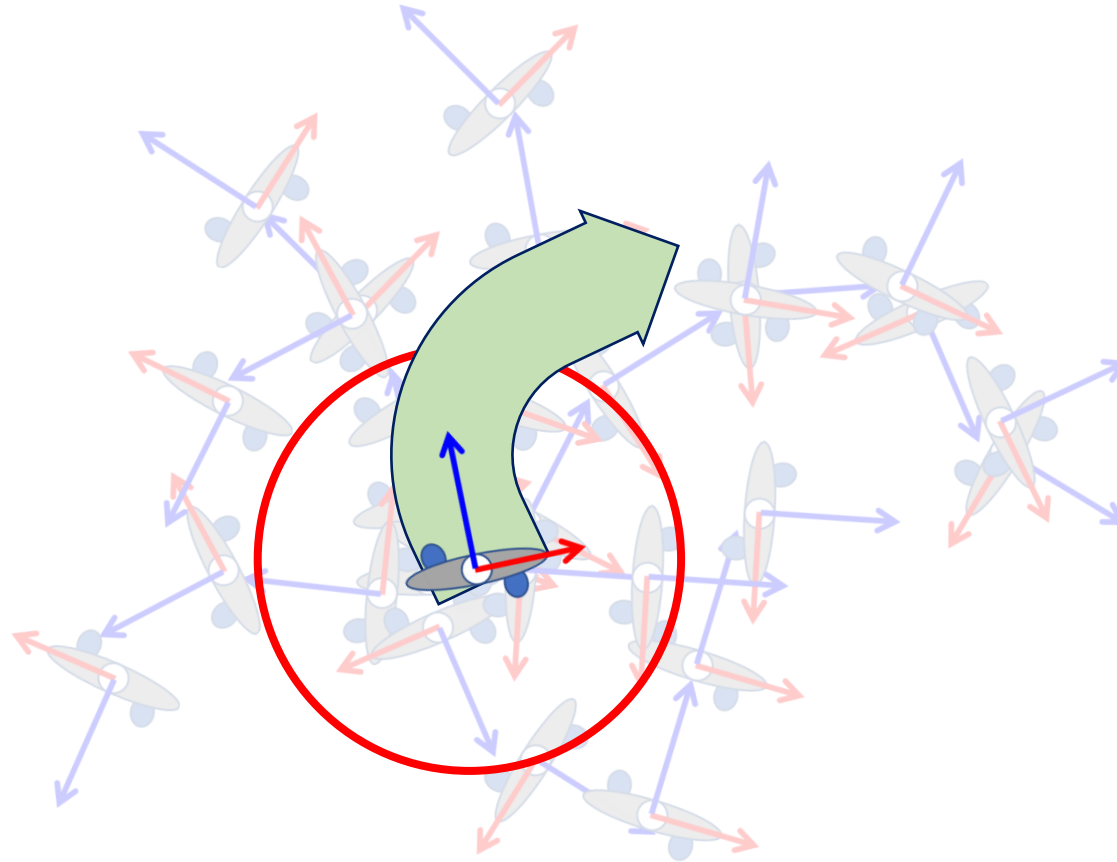
Motion Fields



Motion Fields



Motion Fields



Motion Fields

Motion Fields for Interactive Character Locomotion

Yongjoon Lee^{1,2*}

Kevin Wampler^{1†}

Gilbert Bernstein¹

Jovan Popović^{1,3}

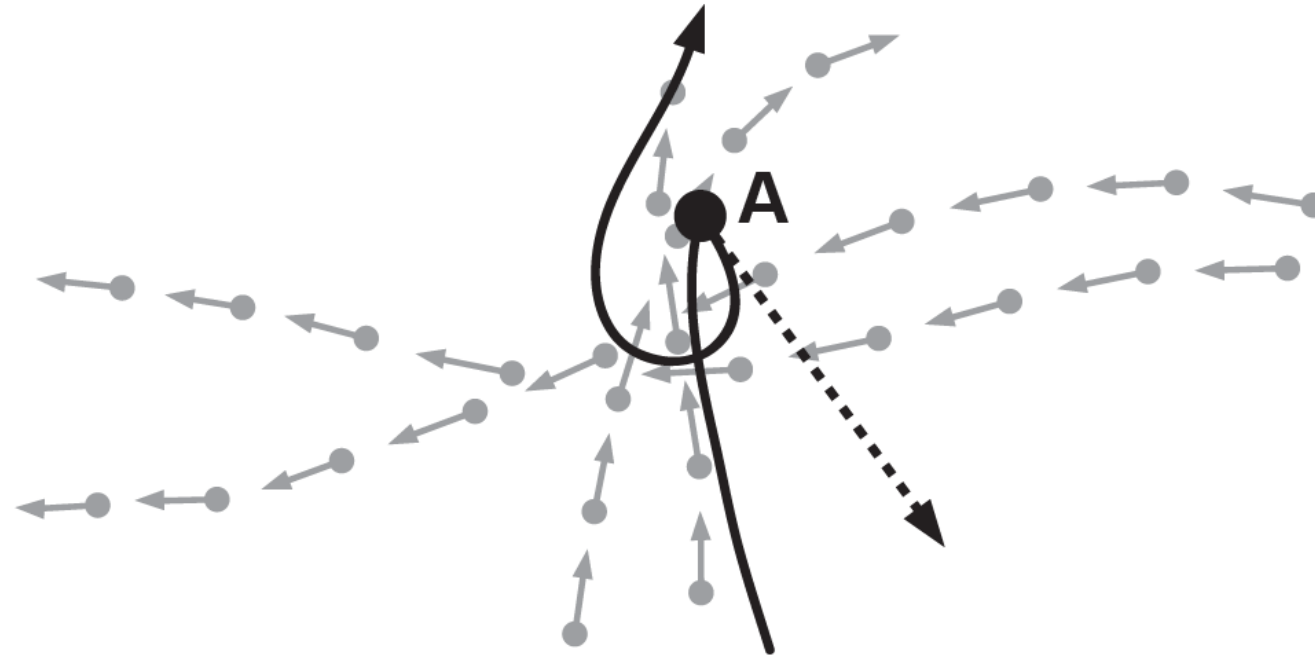
Zoran Popović¹

¹University of Washington

²Bungie

³Adobe Systems

* SIGGRAPH 2010



Motion Fields

Motion Fields for Interactive Character Locomotion

Yongjoon Lee^{1,2*}

Kevin Wampler^{1†}

Gilbert Bernstein¹

Jovan Popović^{1,3}

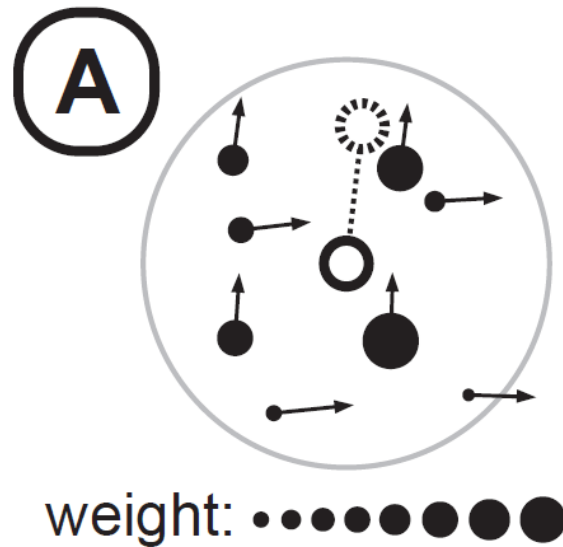
Zoran Popović¹

¹University of Washington

²Bungie

³Adobe Systems

* SIGGRAPH 2010



Motion Fields

Motion Fields for Interactive Character Locomotion

Yongjoon Lee^{1,2*}

Kevin Wampler^{1†}

Gilbert Bernstein¹

Jovan Popović^{1,3}

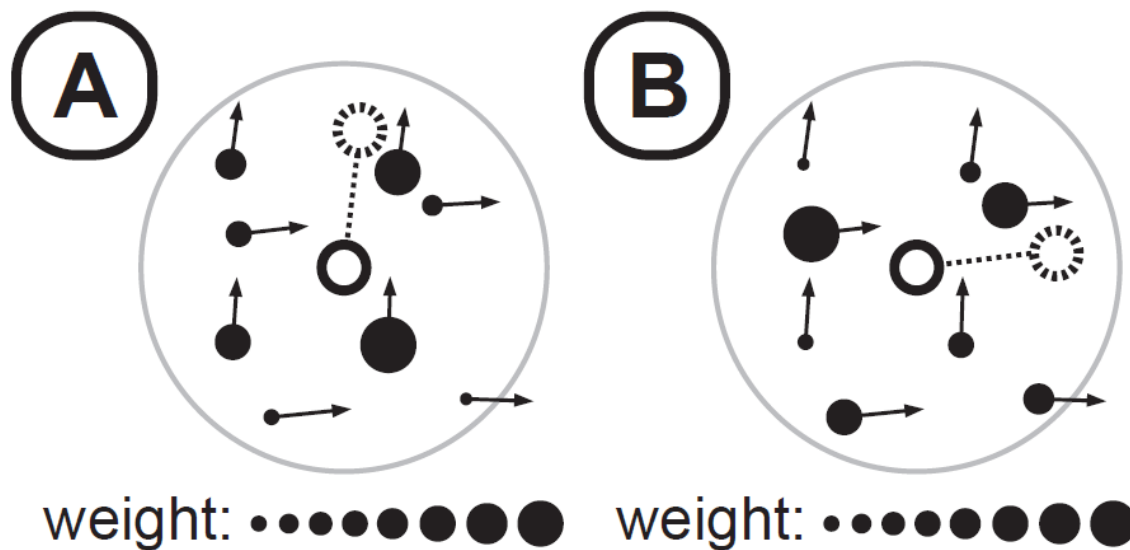
Zoran Popović¹

¹University of Washington

²Bungie

³Adobe Systems

* SIGGRAPH 2010



Motion Fields

Motion Fields for Interactive Character Locomotion

Yongjoon Lee^{1,2*}

Kevin Wampler^{1†}

Gilbert Bernstein¹

Jovan Popović^{1,3}

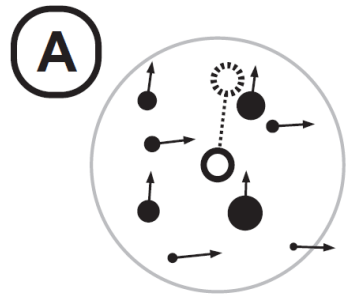
Zoran Popović¹

¹University of Washington

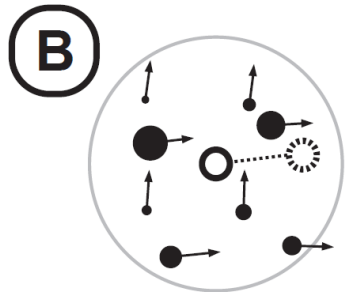
²Bungie

³Adobe Systems

* SIGGRAPH 2010



weight: ●●●●●●●●●●

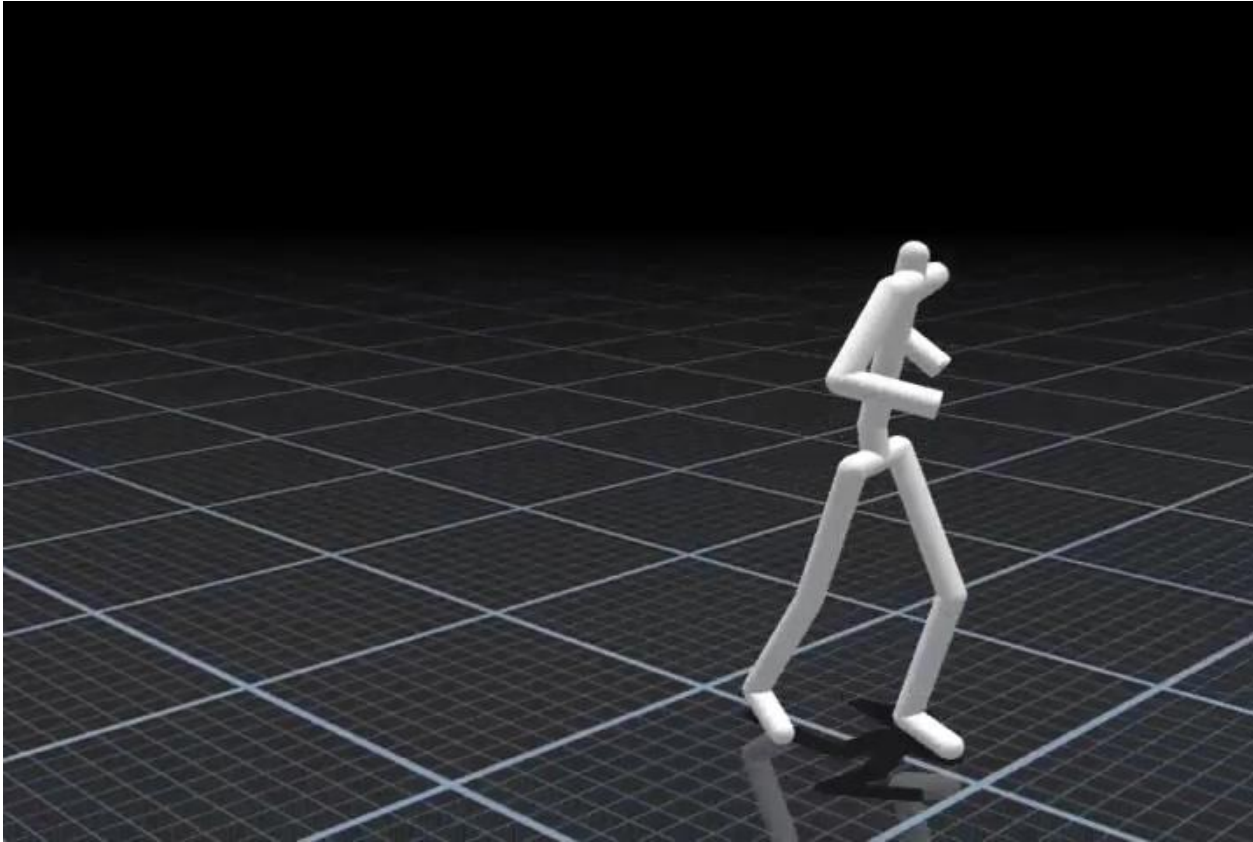


weight: ●●●●●●●●●●

at every frame:

- check user input
- find N nearest neighbors of the current state
- blend these neighbors according to user input
- update the character

Motion Fields



Lee et al. 2010. Motion Fields

Motion Fields

at every frame:

- check user input
- find N nearest neighbors of the current state
- blend these neighbors according to user input
- update the character

Motion Fields

Perturbations

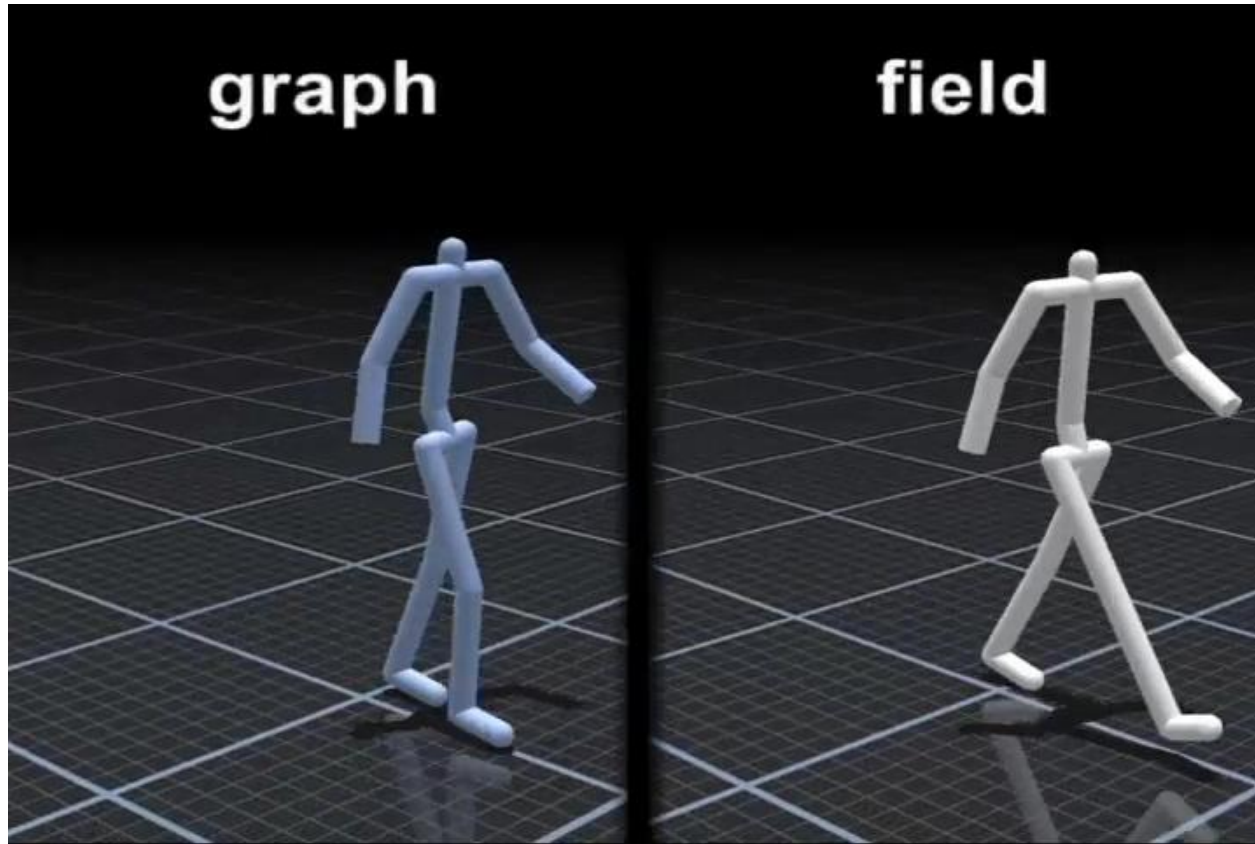
Motion Fields

at every frame:

- check user input
- find N nearest neighbors of the current state
- blend these neighbors according to user input
- update the character

Lee et al. 2010. Motion Fields

Motion Fields



Lee et al. 2010. Motion Fields

Motion Fields

at every frame:

- check user input
- find N nearest neighbors of the current state
- blend these neighbors according to user input
- update the character

Motion Fields

Motion Fields

at every frame:

- check user input
- find N nearest neighbors of the current state
- blend these neighbors according to user input
- update the character

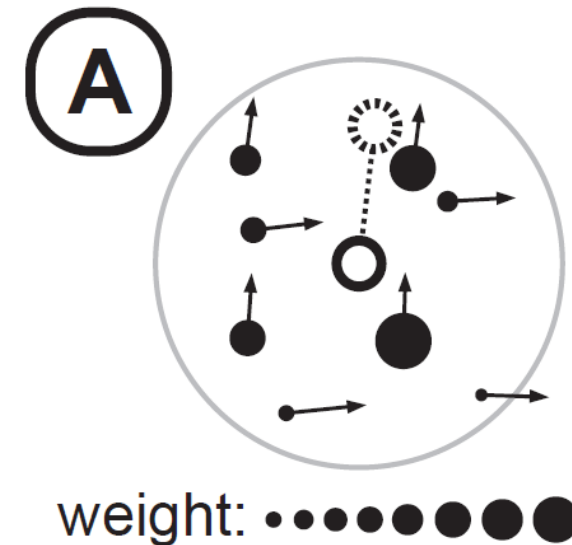
Motion Fields

Motion Fields

at every frame:

- check user input
- find N nearest neighbors of the current state
- blend these neighbors according to user input
- update the character

How?



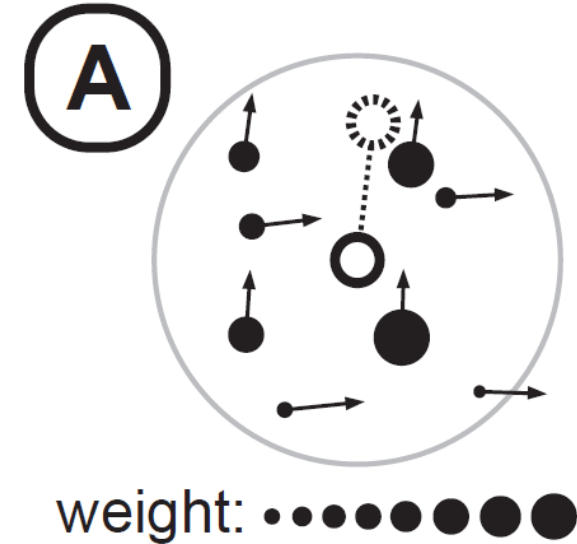
Motion Fields

Motion Fields

at every frame:

- check user input
- find N nearest neighbors of the current state
- blend these neighbors according to user input
- update the character

How? Reinforcement learning...



Motion Matching

Motion Fields

at every frame:

- check user input
- find N nearest neighbors of the current state
- blend these neighbors according to user input
- update the character



Motion Matching

at every frame:

- check user input
- find **the** nearest neighbors of the current state **according to** user input
- smoothly blend current pose to the nearest neighbor pose

Motion Matching

- We need a **distance function / metric** to define the **nearest** neighbor

Motion Matching

- We need a **distance function / metric** to define the **nearest** neighbor

$$\text{next_pose} = \min_{i \in \text{Dataset}} \|x_{\text{curr}} - x_i\|$$

x : feature vector

Motion Matching

- We need a **distance function / metric** to define the **nearest** neighbor

$$\text{next_pose} = \min_{i \in \text{Dataset}} \|x_{\text{curr}} - x_i\|$$

x : feature vector

A possible set of
feature vectors:

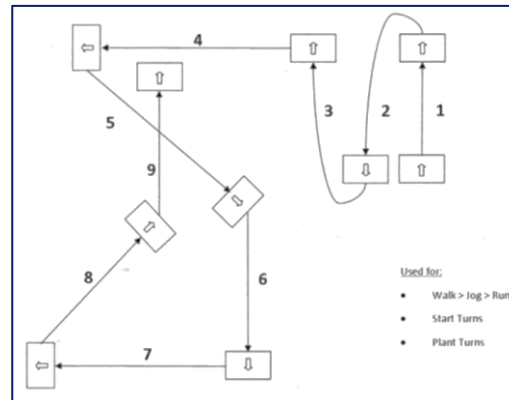
- root linear/angular velocity
- position of end effectors w.r.t. root joint
- linear/angular velocity of end effectors w.r.t. root joint
- future heading position/orientation (e.g. in 0.5s, 1.0s, 1.5s, etc.)
- foot contacts
-

Motion Matching

- We need a smooth motion
 - Only do the search every few frames
 - Smoothly blend current pose to the target pose
 - Inertialized blending (ref. <https://www.theorangeduck.com/page/spring-roll-call> by Daniel Holden)

Motion Matching

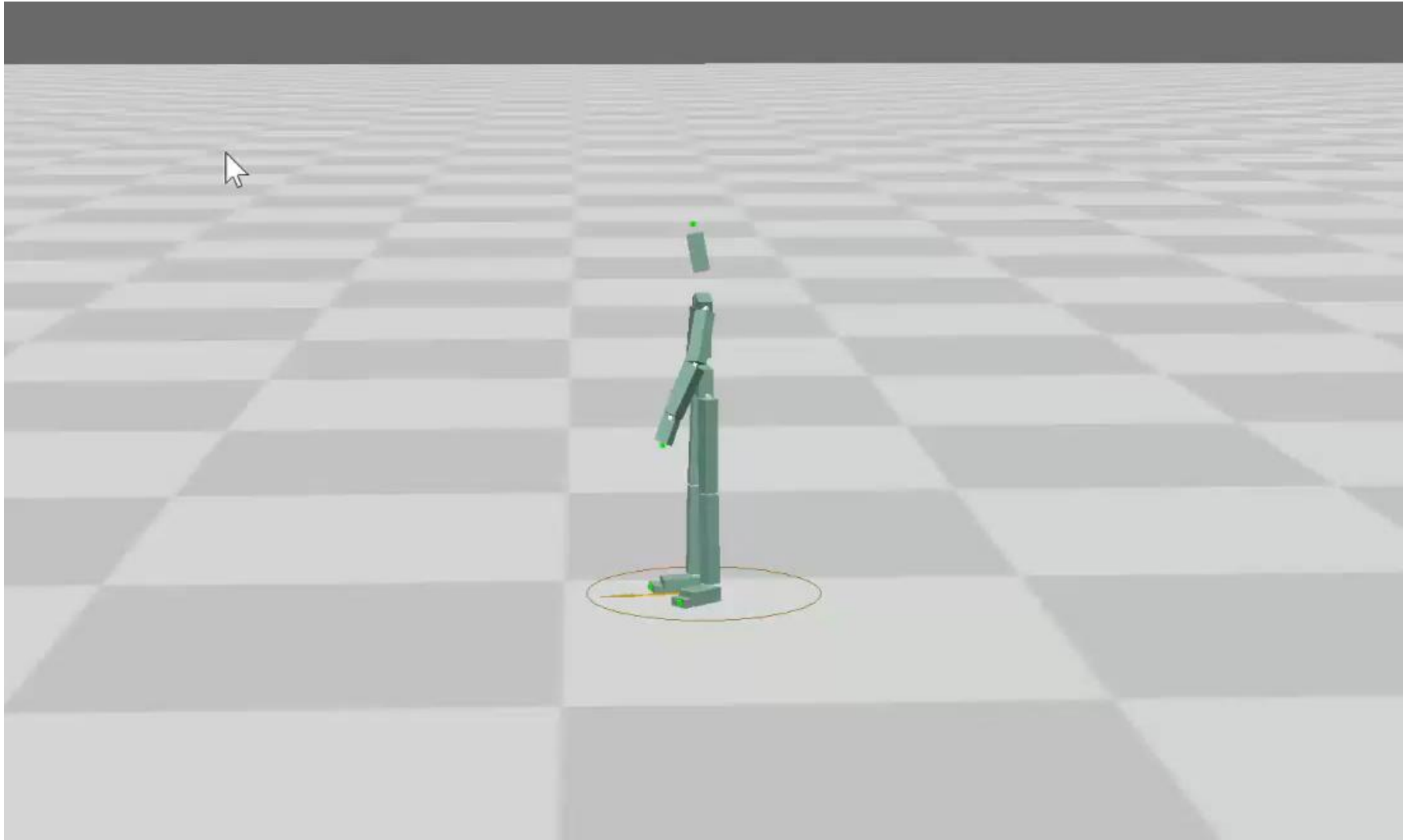
- We need a smooth motion
 - Only do the search every few frames
 - Smoothly blend current pose to the target pose
 - Inertialized blending (ref. <https://www.theorangeduck.com/page/spring-roll-call> by Daniel Holden)
- We need a good performance
 - An efficient data structure for searching
 - e.g. KD-tree
 - A efficient dataset
 - “Dance card”



Motion Matching



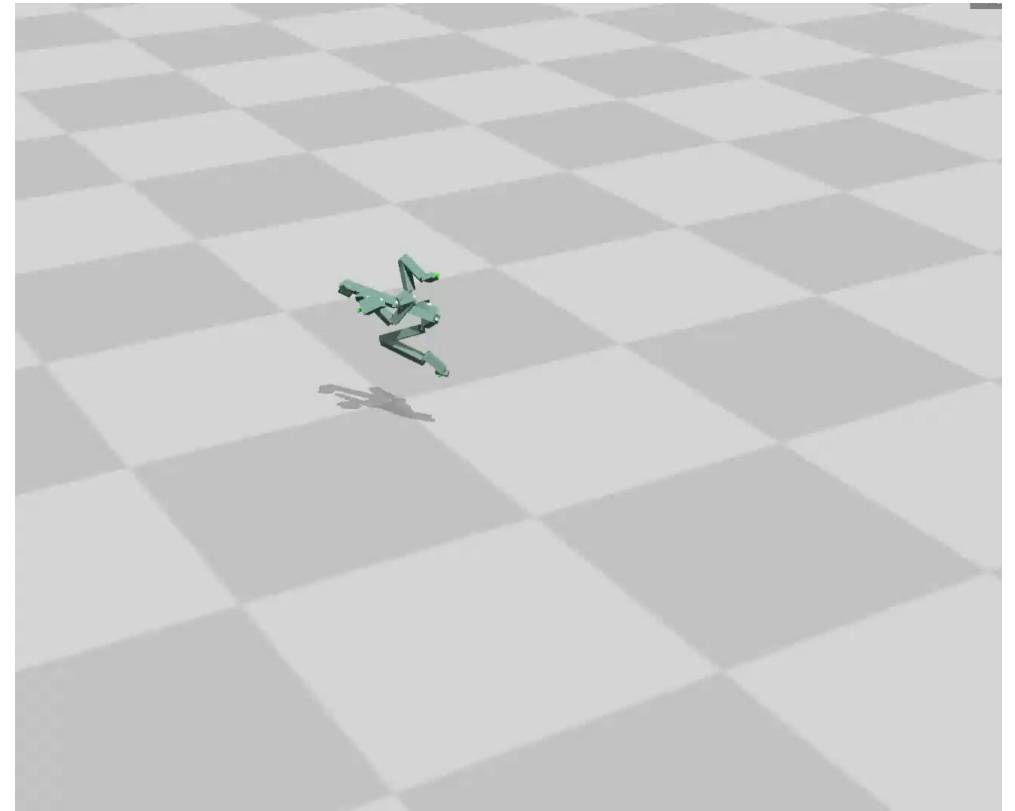
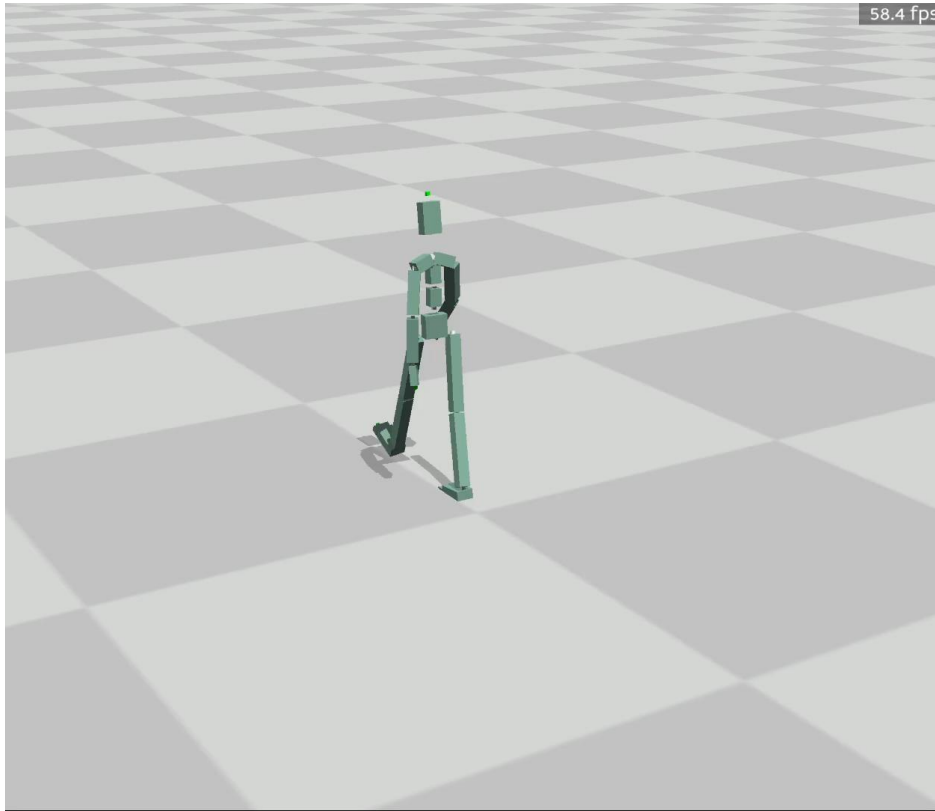
Motion Matching



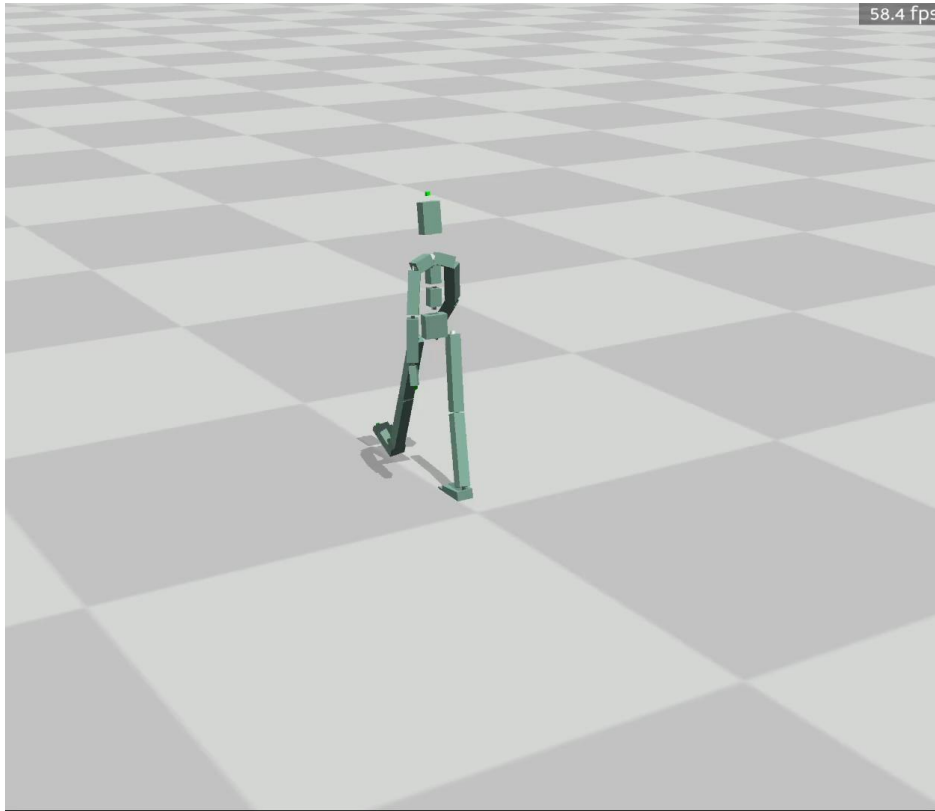


Statistical Models of Human Motion

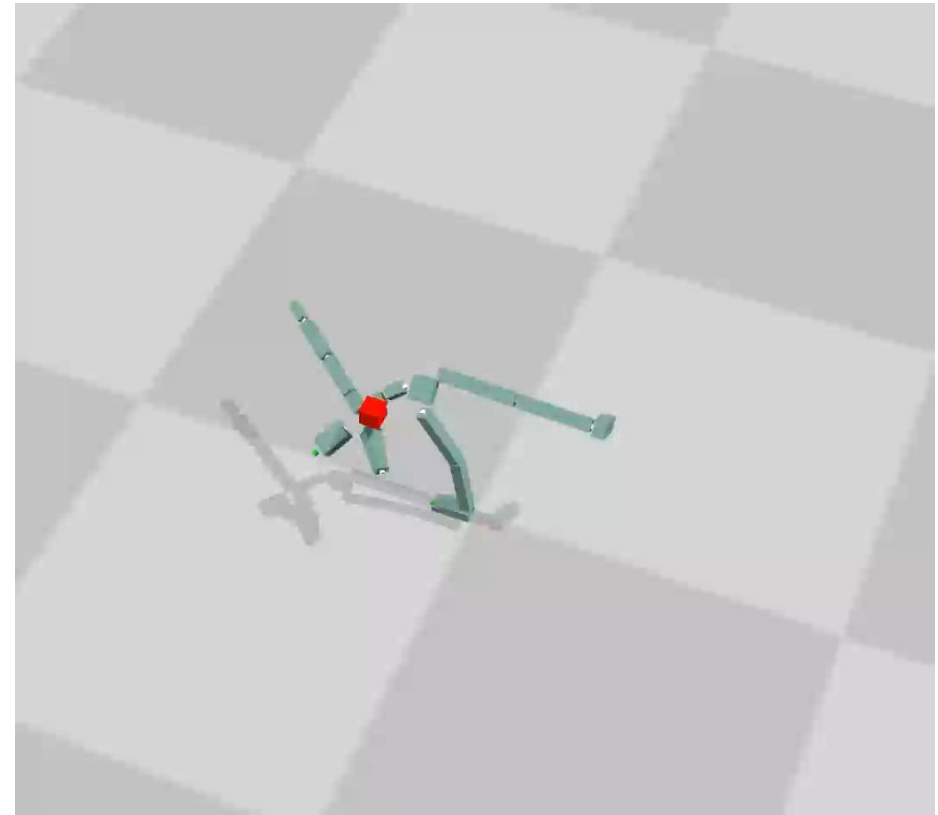
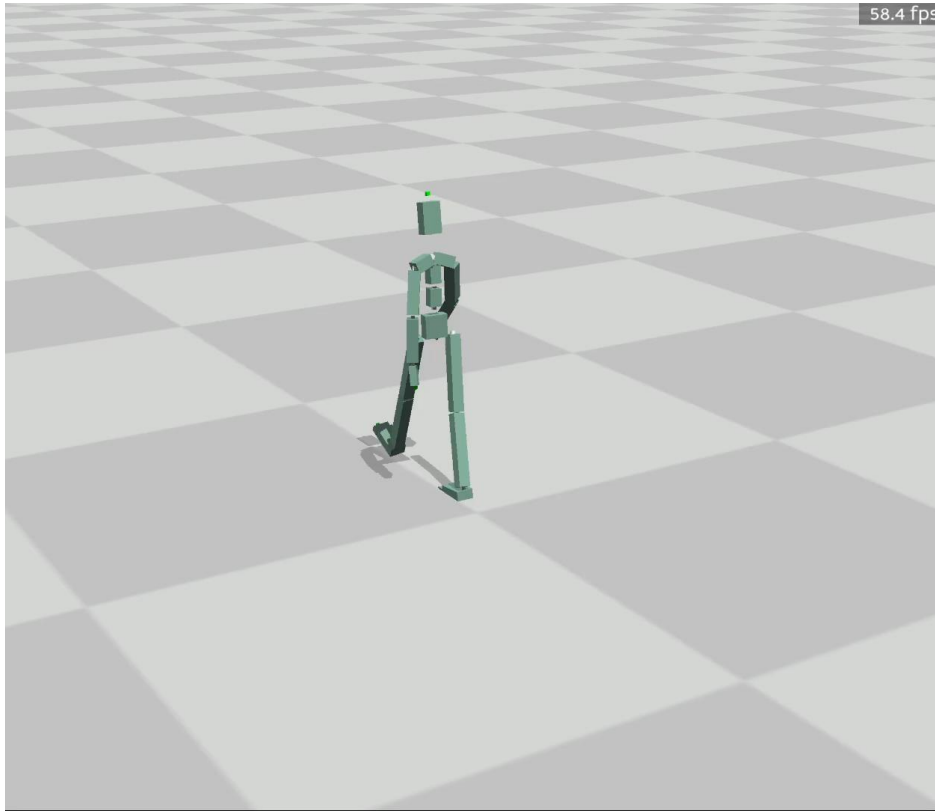
What is a natural-looking motion?



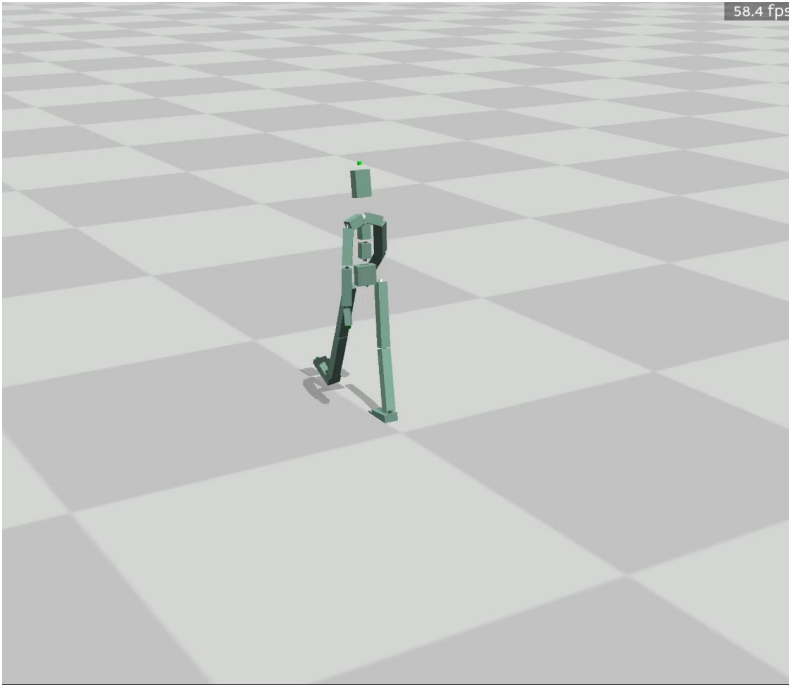
What is a natural-looking motion?



What is a natural-looking motion?

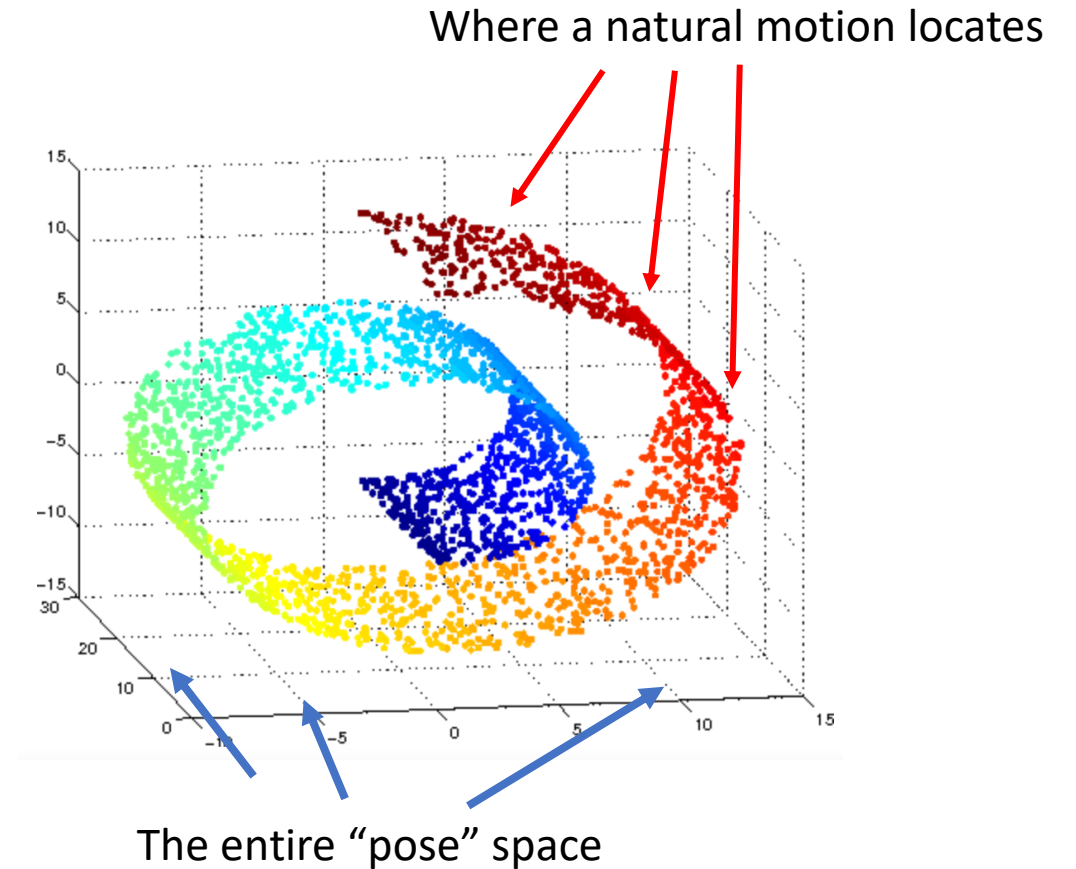
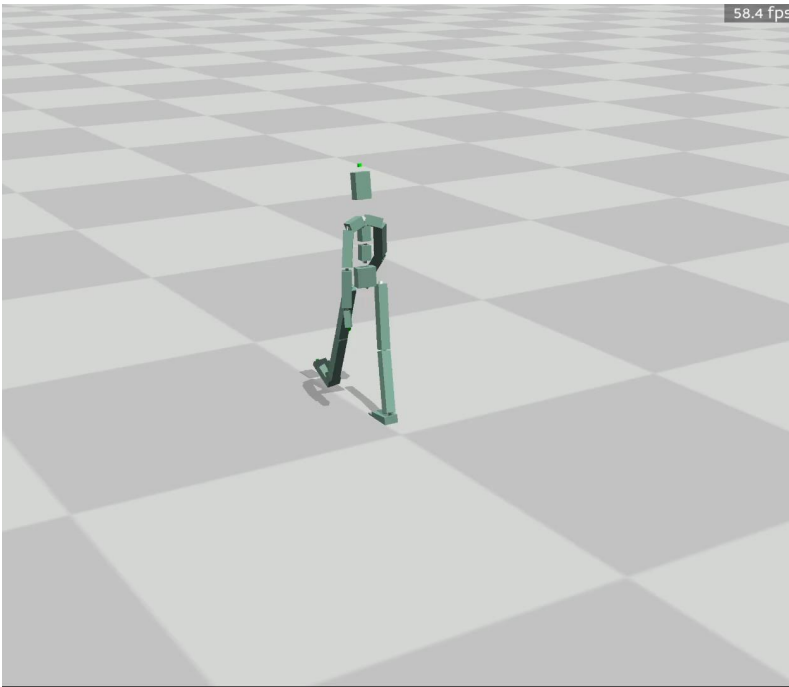


The Low-dimensionality of Human Motions



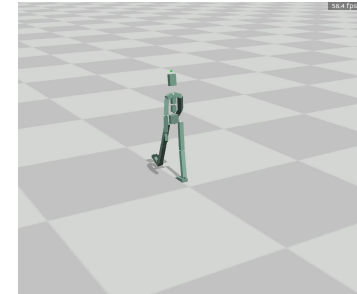
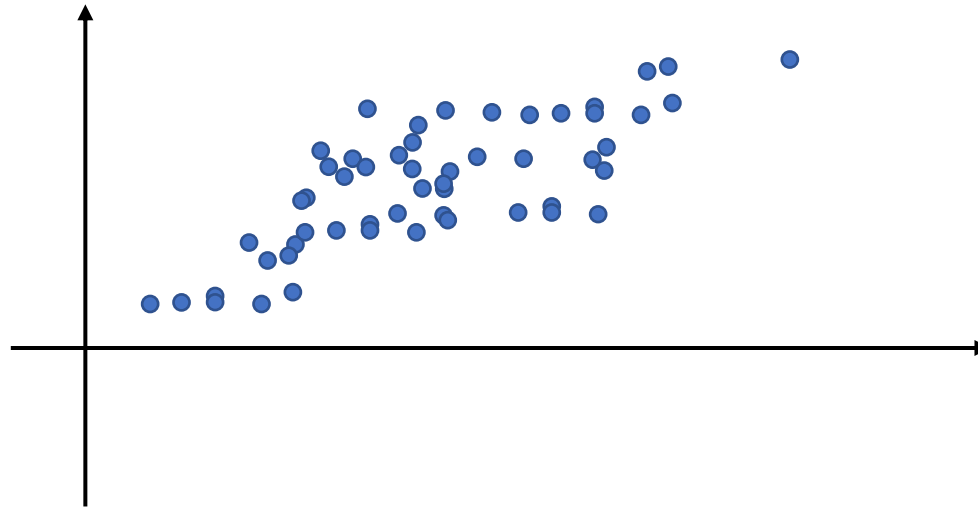
- Coordinated arm/leg movement
- Musculoskeletal structure
- Laws of physics
-

The Low-dimensionality of Human Motions



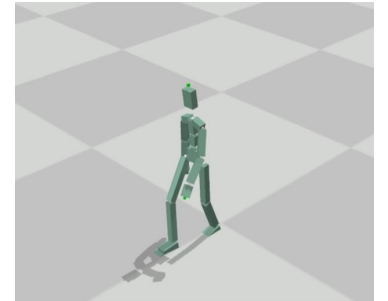
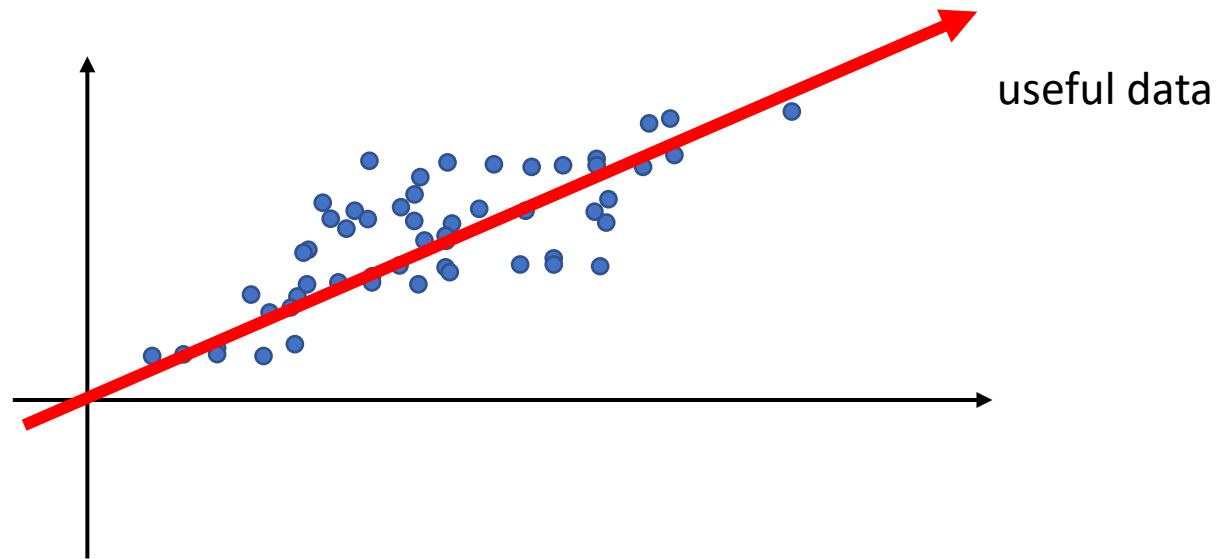
Principal Component Analysis (PCA)

- A technique for
 - finding out the correlations among dimensions
 - dimensionality reduction



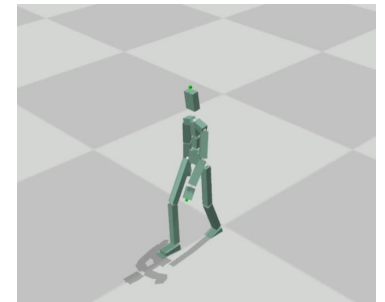
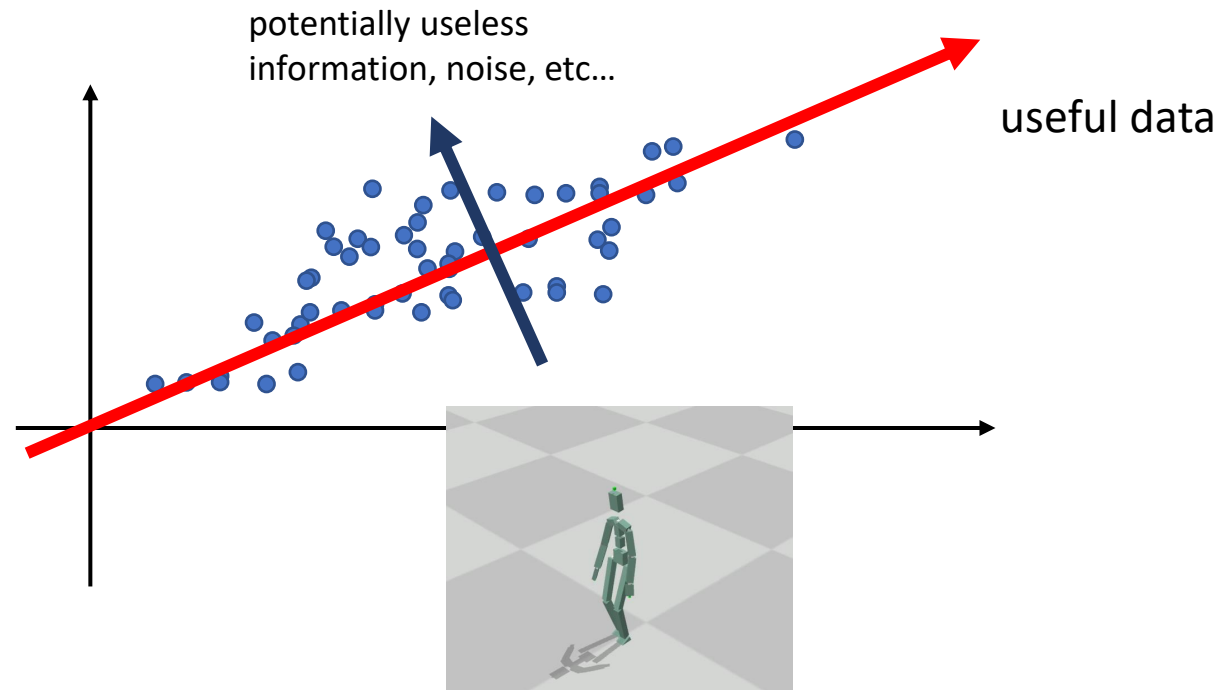
Principal Component Analysis (PCA)

- A technique for
 - finding out the correlations among dimensions
 - dimensionality reduction

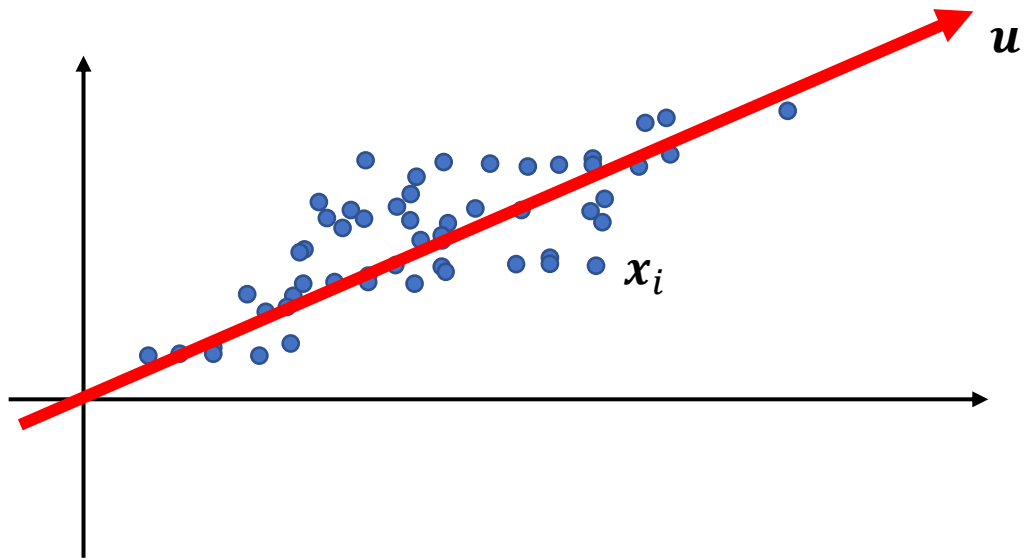


Principal Component Analysis (PCA)

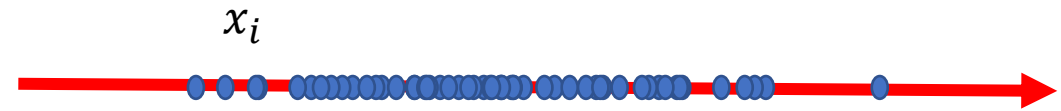
- A technique for
 - finding out the correlations among dimensions
 - dimensionality reduction



Principal Component Analysis (PCA)

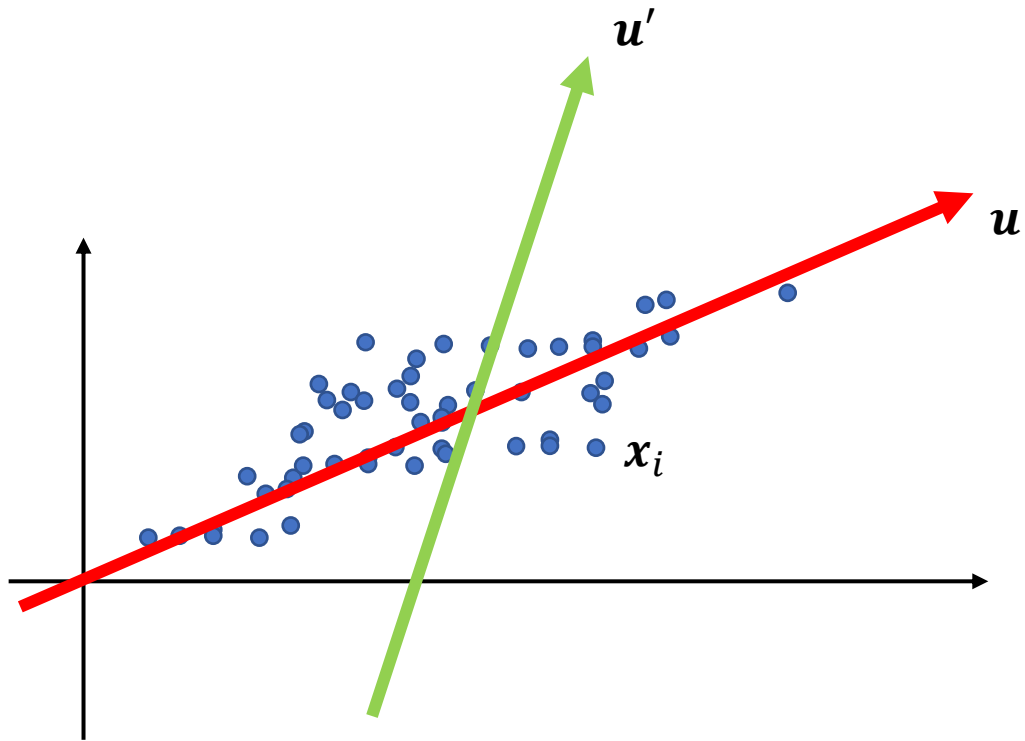


Projection of x_i on u : $w_i = x_i \cdot u$

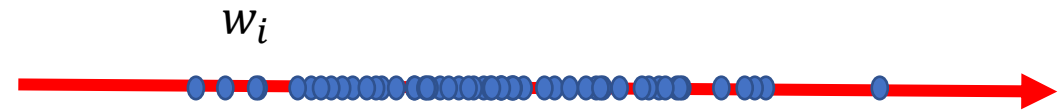


We can approximate $x_i \approx w_i u$

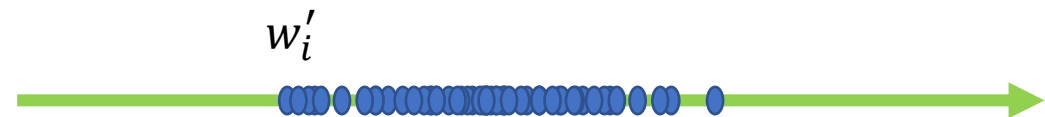
Principal Component Analysis (PCA)



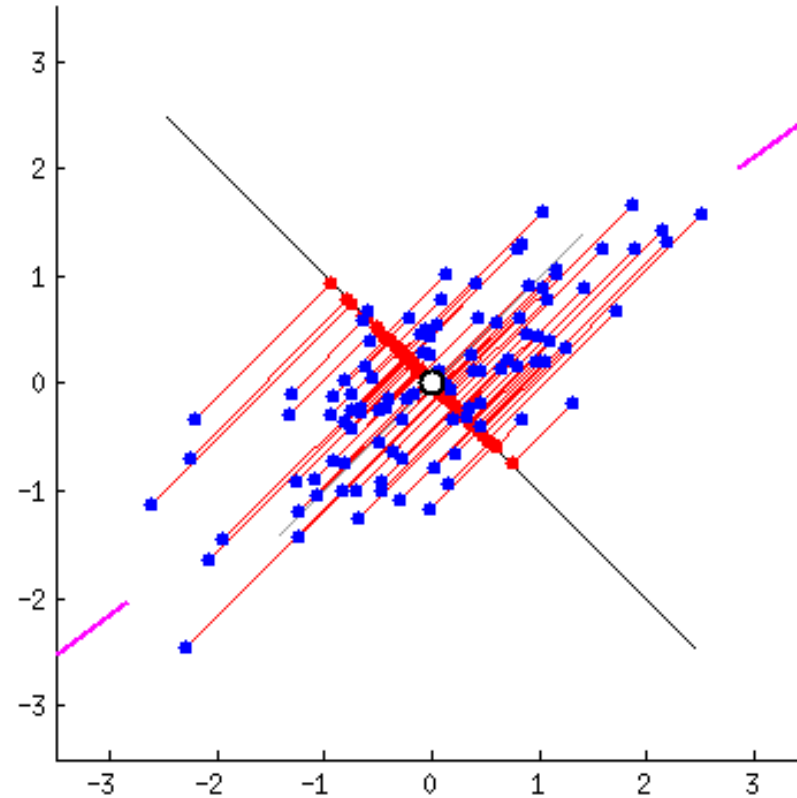
Projection of x_i on u : $w_i = x_i \cdot u$



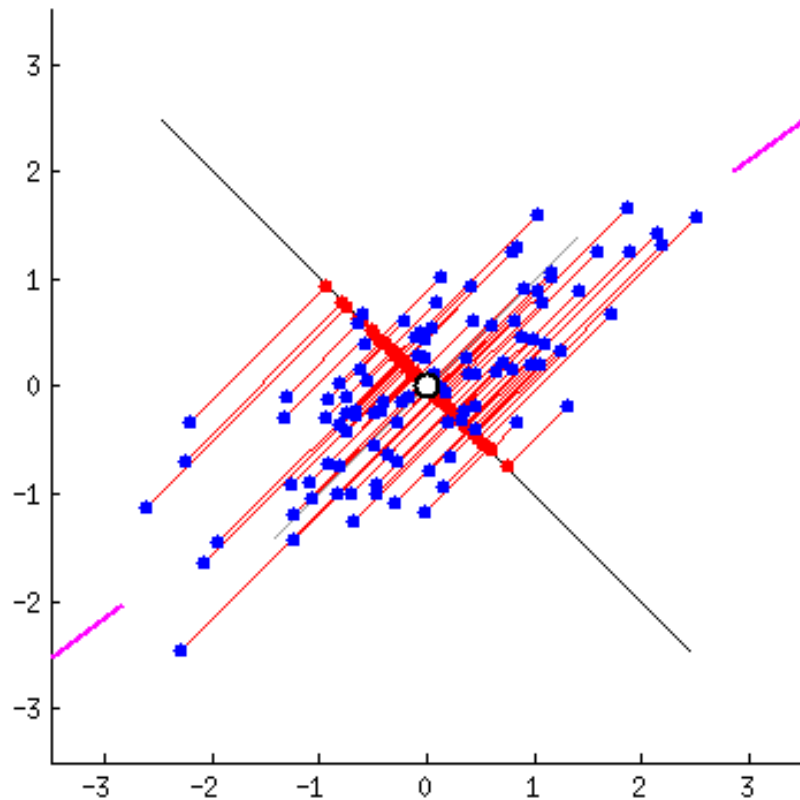
Projection of x_i on u' : $w'_i = x_i \cdot u'$



Principal Component Analysis (PCA)



Principal Component Analysis (PCA)



Find a direction \mathbf{u} such that $\|\mathbf{u}\| = 1$, and the projections of $\{\mathbf{x}_i\}$ on \mathbf{u} : $w_i = \mathbf{x}_i \cdot \mathbf{u}$ have the maximal variance:

$$\frac{1}{N} \sum_i (w_i - \bar{w})^2$$

Principal Component Analysis (PCA)

Find a direction \mathbf{u} such that $\|\mathbf{u}\| = 1$, and the projections of $\{\mathbf{x}_i\}$ on \mathbf{u} : $w_i = \mathbf{x}_i \cdot \mathbf{u}$ have the maximal variance:

$$\text{let } X = \begin{bmatrix} (\mathbf{x}_0 - \bar{\mathbf{x}})^T \\ (\mathbf{x}_1 - \bar{\mathbf{x}})^T \\ \vdots \\ (\mathbf{x}_N - \bar{\mathbf{x}})^T \end{bmatrix}$$

X

$$\frac{1}{N} \sum_i (w_i - \bar{w})^2$$

Principal Component Analysis (PCA)

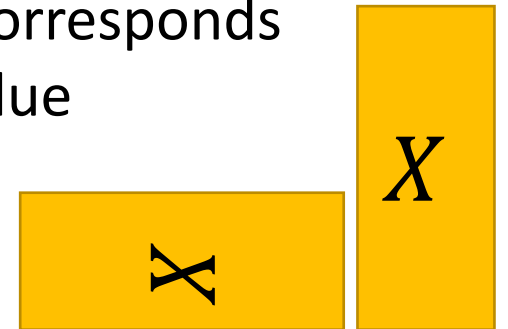
Find a direction \mathbf{u} such that $\|\mathbf{u}\| = 1$, and the projections of $\{\mathbf{x}_i\}$ on \mathbf{u} : $w_i = \mathbf{x}_i \cdot \mathbf{u}$ have the maximal variance:

$$\frac{1}{N} \sum_i (w_i - \bar{w})^2$$

$$\text{let } X = \begin{bmatrix} (\mathbf{x}_0 - \bar{\mathbf{x}})^T \\ (\mathbf{x}_1 - \bar{\mathbf{x}})^T \\ \vdots \\ (\mathbf{x}_N - \bar{\mathbf{x}})^T \end{bmatrix}$$



It can be proved that \mathbf{u} is an **eigenvector** of $X^T X$ corresponds to the largest eigenvalue



Principal Component Analysis (PCA)

Find a direction \mathbf{u} such that $\|\mathbf{u}\| = 1$, and the projections of $\{\mathbf{x}_i\}$ on \mathbf{u} : $w_i = \mathbf{x}_i \cdot \mathbf{u}$ have the maximal variance:

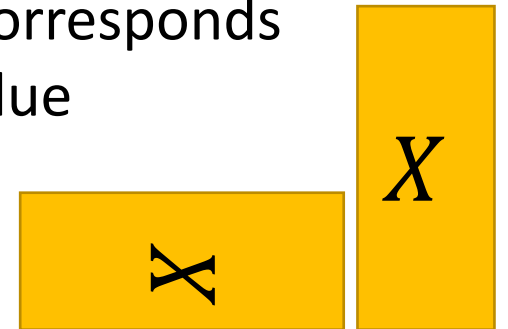
$$\frac{1}{N} \sum_i (w_i - \bar{w})^2$$

Note: we can approximate $\mathbf{x}_i \approx \bar{\mathbf{x}} + w_i \mathbf{u}$

$$\text{let } X = \begin{bmatrix} (\mathbf{x}_0 - \bar{\mathbf{x}})^T \\ (\mathbf{x}_1 - \bar{\mathbf{x}})^T \\ \vdots \\ (\mathbf{x}_N - \bar{\mathbf{x}})^T \end{bmatrix}$$



It can be proved that \mathbf{u} is an **eigenvector** of $X^T X$ corresponds to the largest eigenvalue



PCA in a Nutshell

- Given a dataset $\{\mathbf{x}_i\}$, $\mathbf{x}_i \in \mathbb{R}^N$, then PCA gives

$$\mathbf{x}_i = \bar{\mathbf{x}} + \sum_{k=1}^n w_{i,k} \mathbf{u}_k$$

- \mathbf{u}_k is the k -th **principal component**
 - A direction in \mathbb{R}^N along which the projection of $\{\mathbf{x}_i\}$ has the k -th maximal **variance**
- $w_{i,k} = (\mathbf{x}_i - \bar{\mathbf{x}}) \cdot \mathbf{u}_k$ is the **score** of \mathbf{x}_i on \mathbf{u}_k

PCA in a Nutshell

- Given a dataset $\{\mathbf{x}_i\}$, $\mathbf{x}_i \in \mathbb{R}^N$, the PCA can be computed by apply **eigen decomposition** on the **covariance matrix**

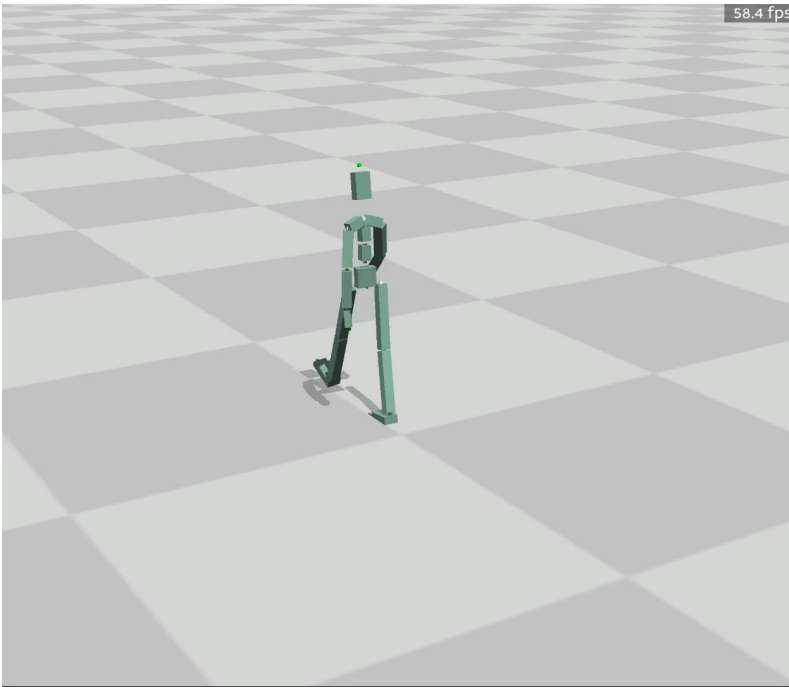
$$\Sigma = X^T X = U \begin{bmatrix} \sigma_1^2 & & & \\ & \sigma_2^2 & & \\ & & \ddots & \\ & & & \sigma_N^2 \end{bmatrix} U^T$$

- $X = [\mathbf{x}_0 - \bar{\mathbf{x}}, \mathbf{x}_1 - \bar{\mathbf{x}}, \dots, \mathbf{x}_N - \bar{\mathbf{x}}]^T$
- $\sigma_i \geq \sigma_j \geq 0$ when $i < j$, corresponds to the **Explained Variance**
- $U = [\mathbf{u}_1, \mathbf{u}_2, \dots, \mathbf{u}_N]$

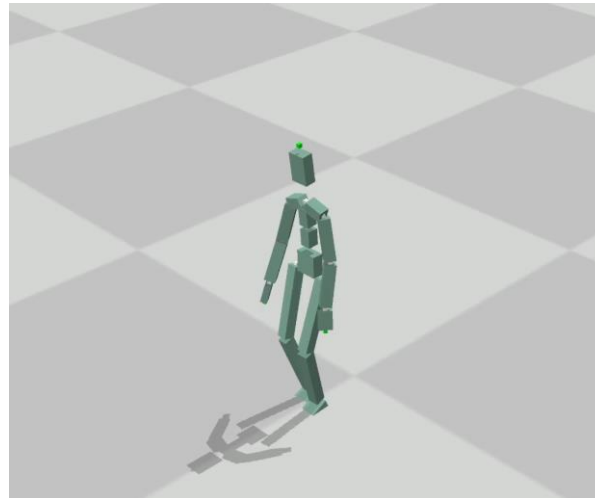
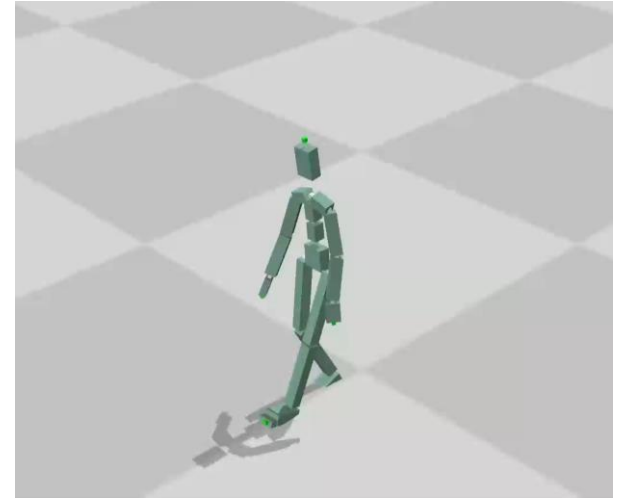
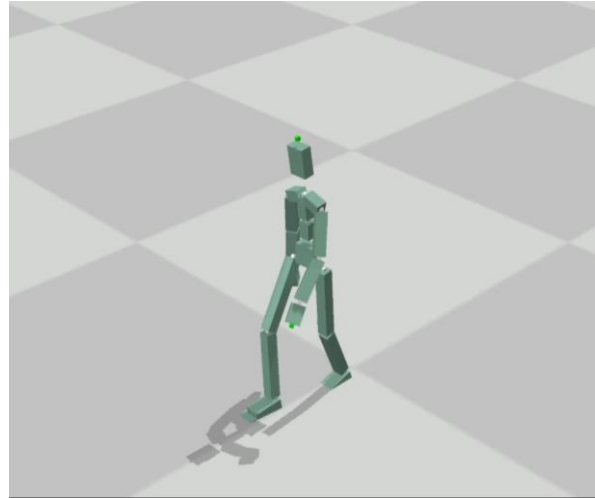


X

PCA of Walking



x_i : joint rotations



PCA in a Nutshell

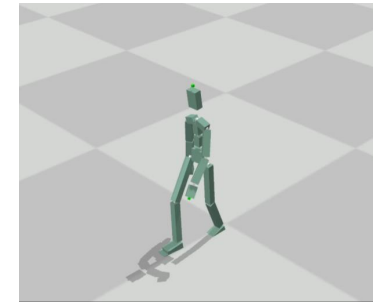
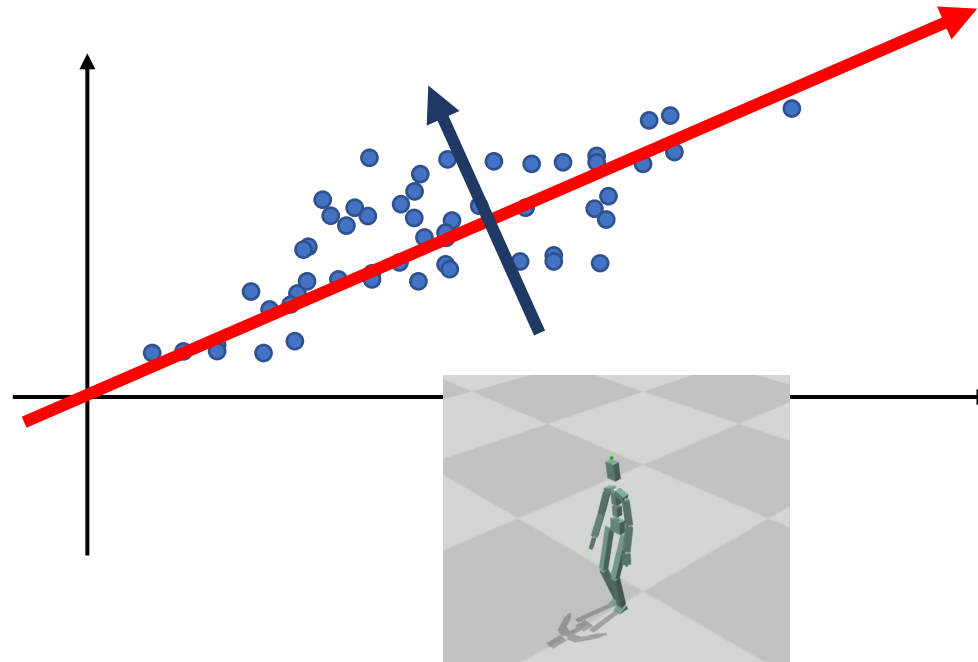
- Given a dataset $\{\mathbf{x}_i\}$, $\mathbf{x}_i \in \mathbb{R}^N$, then PCA gives

$$\mathbf{x}_i = \bar{\mathbf{x}} + \sum_{k=1}^n w_{i,k} \mathbf{u}_k$$

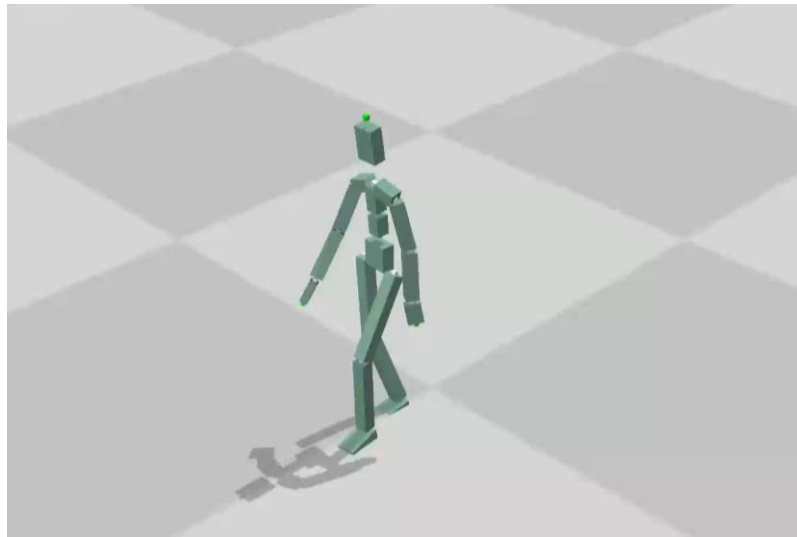
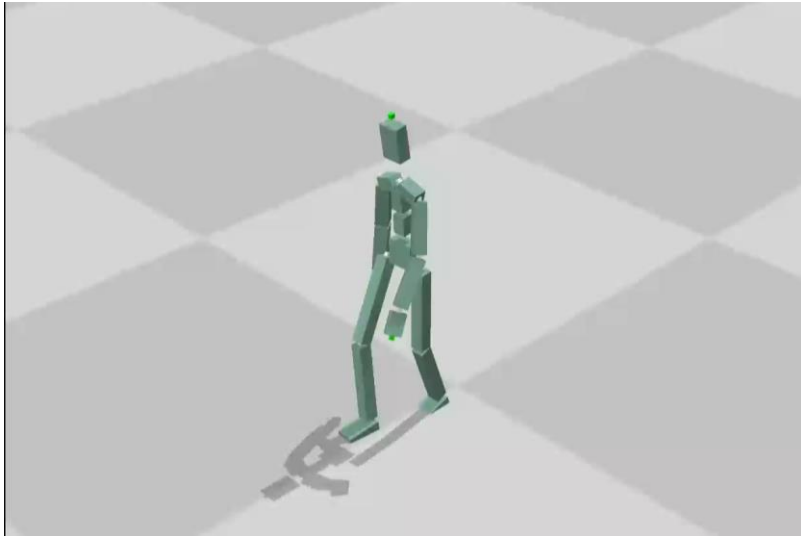
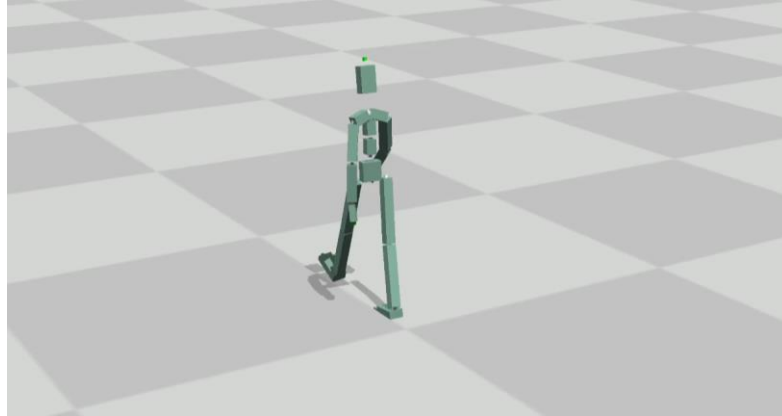
- \mathbf{u}_k is the k -th **principal component**
 - A direction in \mathbb{R}^N along which the projection of $\{\mathbf{x}_i\}$ has the k -th maximal **variance**
- $w_{i,k} = (\mathbf{x}_i - \bar{\mathbf{x}}) \cdot \mathbf{u}_k$ is the **score** of \mathbf{x}_i on \mathbf{u}_k

PCA in a Nutshell

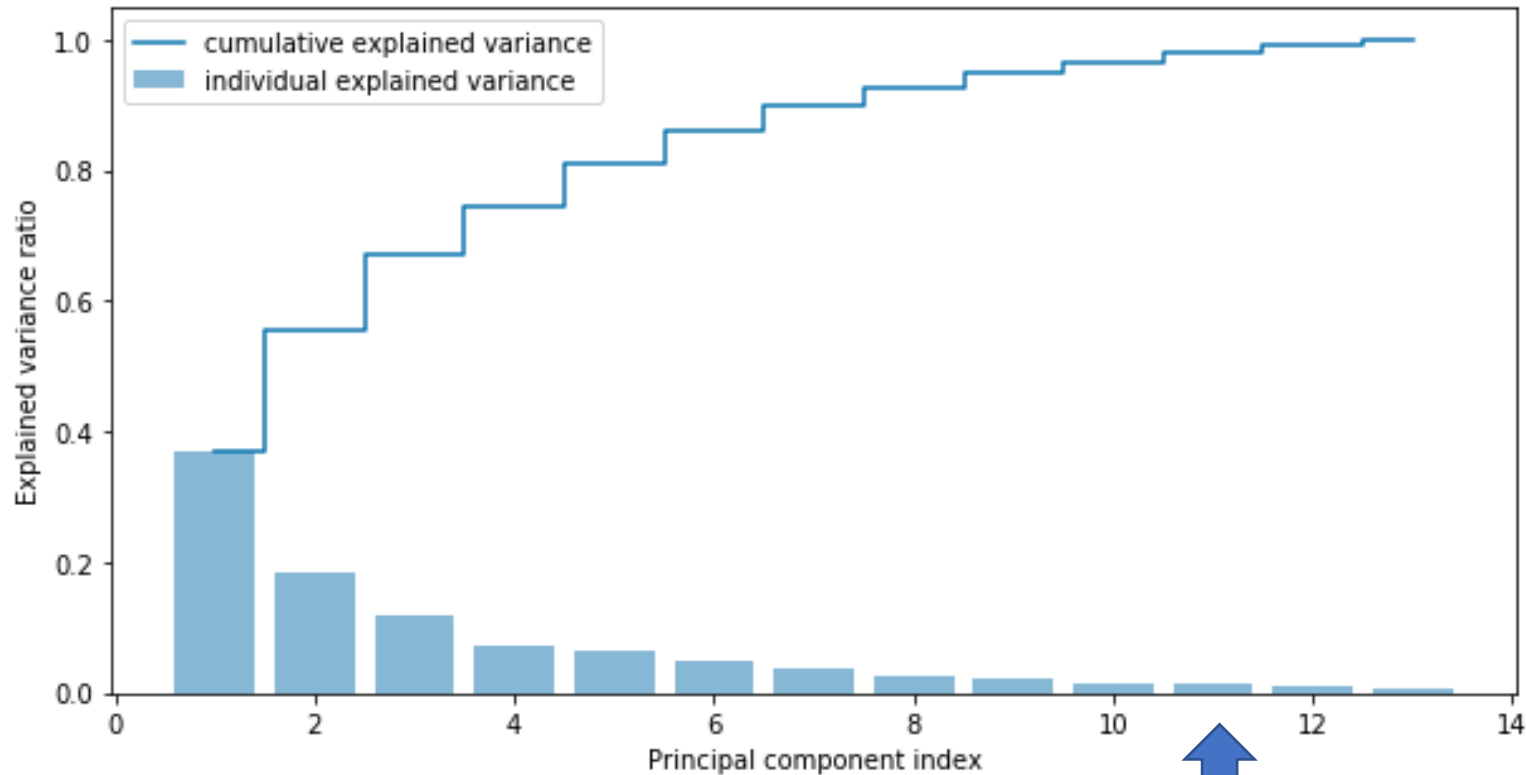
$$\mathbf{x}_i = \bar{\mathbf{x}} + \sum_{k=1}^n w_{i,k} \mathbf{u}_k$$



PCA of Walking



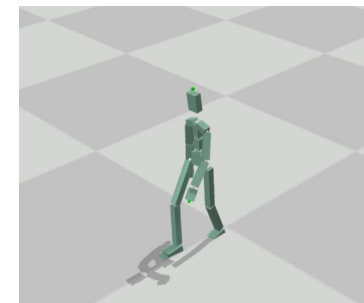
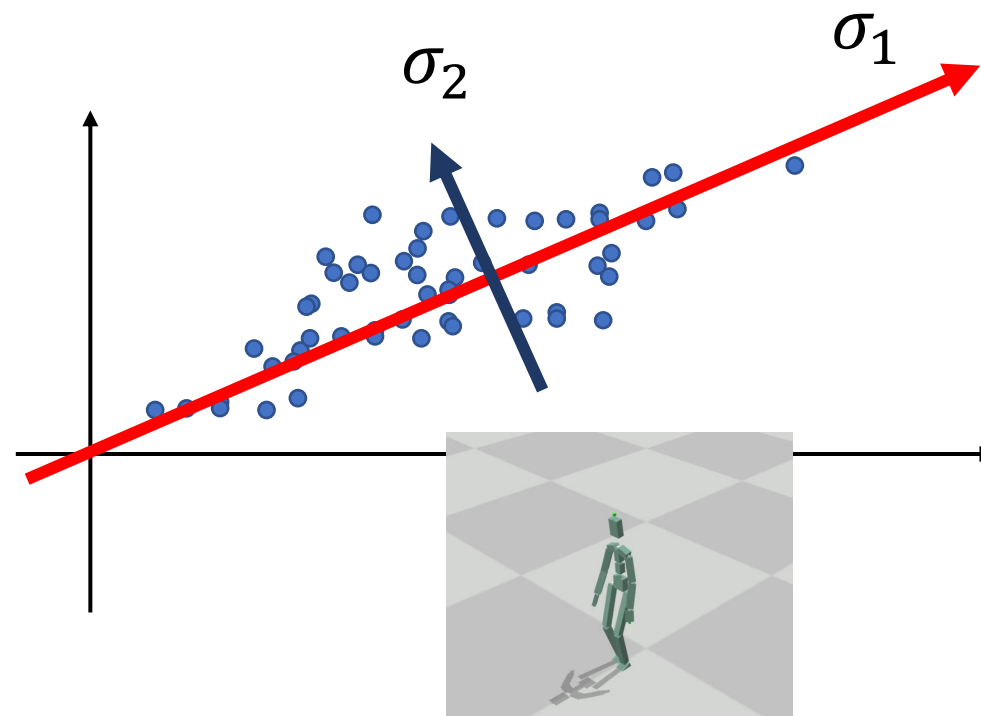
PCA in a Nutshell



Choose n principal components that explains enough (e.g. 95%) of the variance

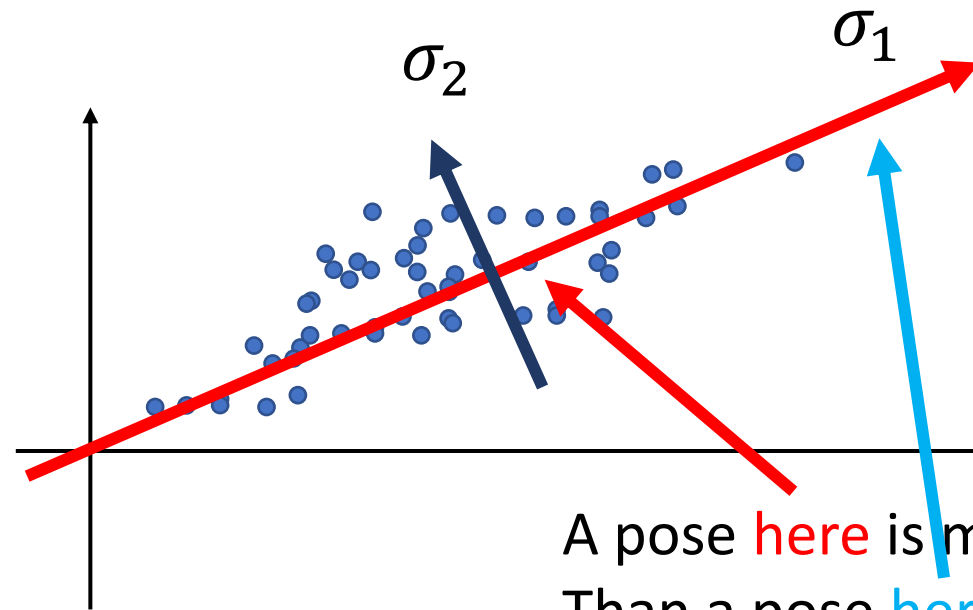
PCA in a Nutshell

$$\mathbf{x}_i = \bar{\mathbf{x}} + \sum_{k=1}^n w_{i,k} \mathbf{u}_k$$



PCA in a Nutshell

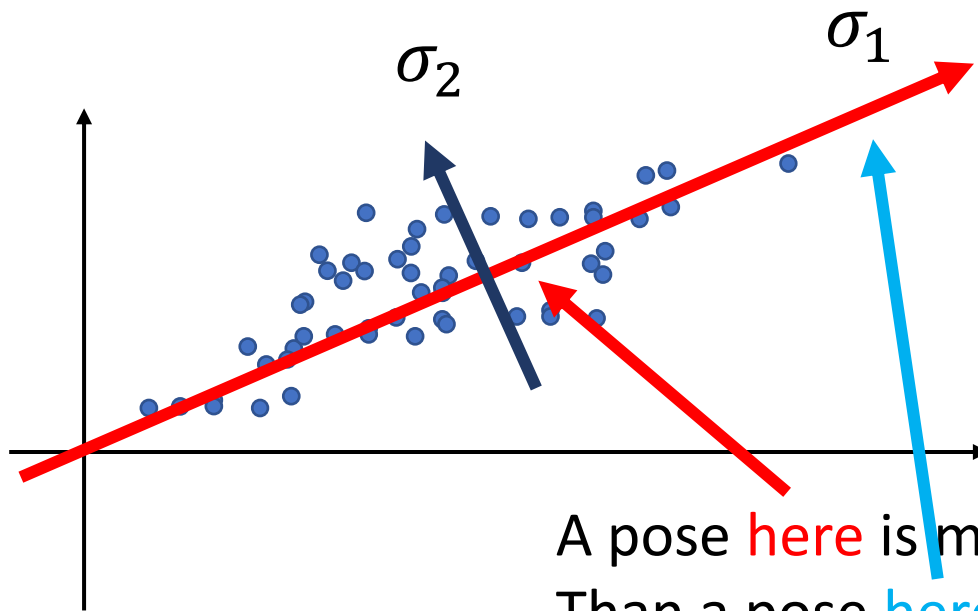
$$\mathbf{x}_i = \bar{\mathbf{x}} + \sum_{k=1}^n w_{i,k} \mathbf{u}_k$$



PCA in a Nutshell

$$\mathbf{x}_i = \bar{\mathbf{x}} + \sum_{k=1}^n w_{i,k} \mathbf{u}_k$$

a pose \mathbf{x}_i with smaller $\sum_k \left(\frac{w_{i,k}}{\sigma_k} \right)^2$ is more likely to be a good pose

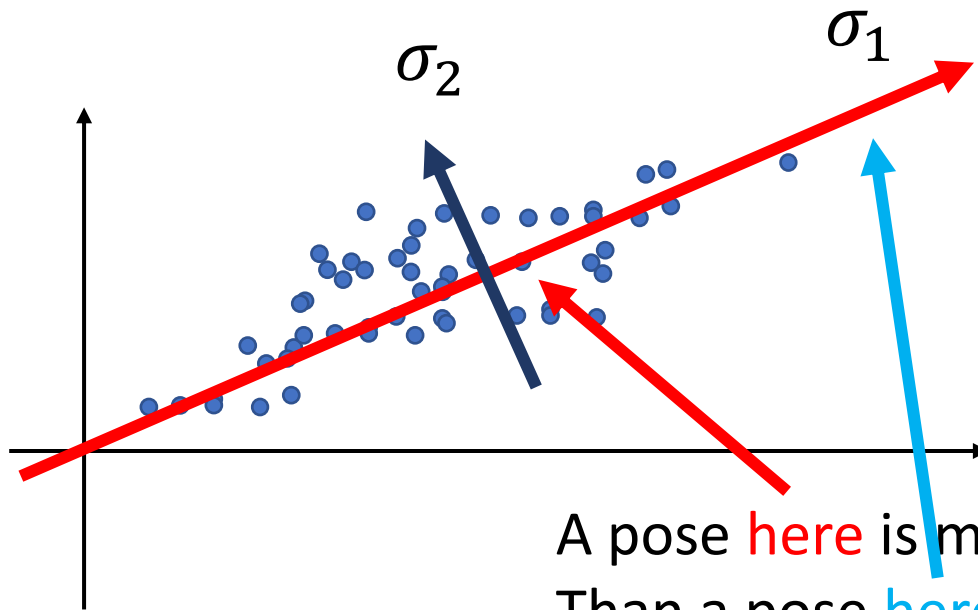


A pose **here** is more likely to be natural
Than a pose **here**

PCA in a Nutshell

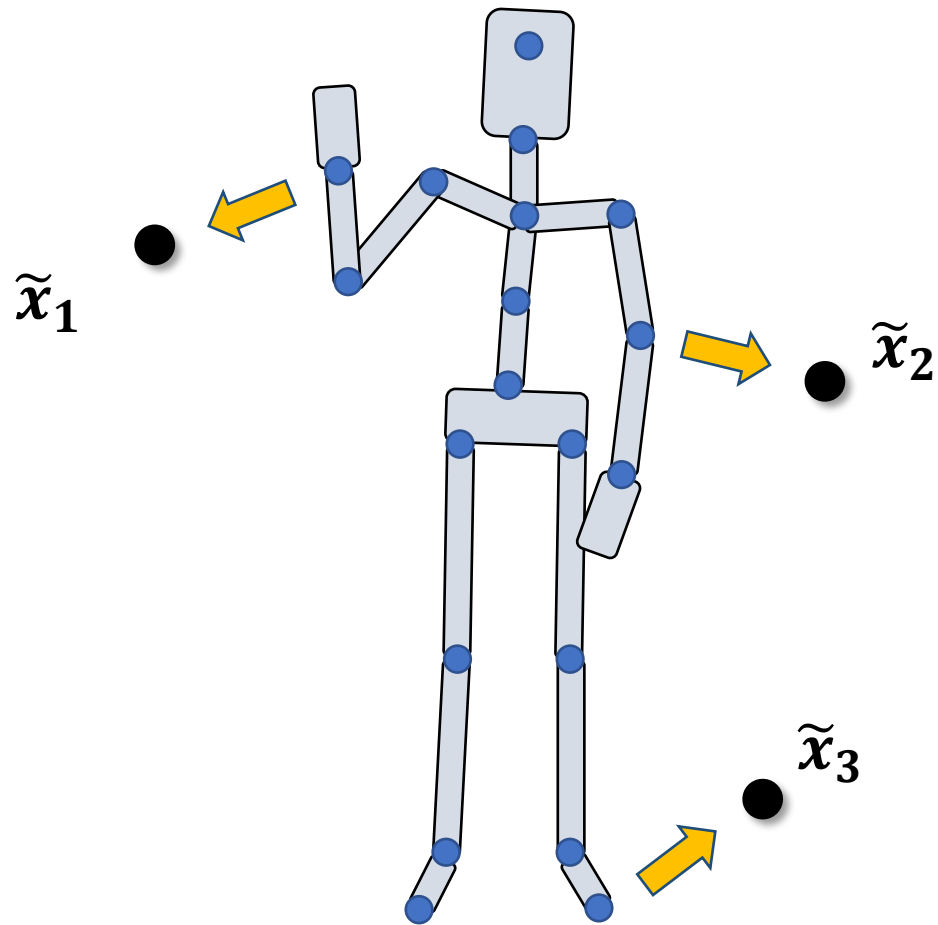
$$\mathbf{x} = \bar{\mathbf{x}} + \sum_{k=1}^n w_k \mathbf{u}_k$$

a pose \mathbf{x} with smaller $\sum_k \frac{((\mathbf{x} - \bar{\mathbf{x}}) \cdot \mathbf{u}_k)^2}{\sigma_k^2}$
is more likely to be a good pose



A pose **here** is more likely to be natural
Than a pose **here**

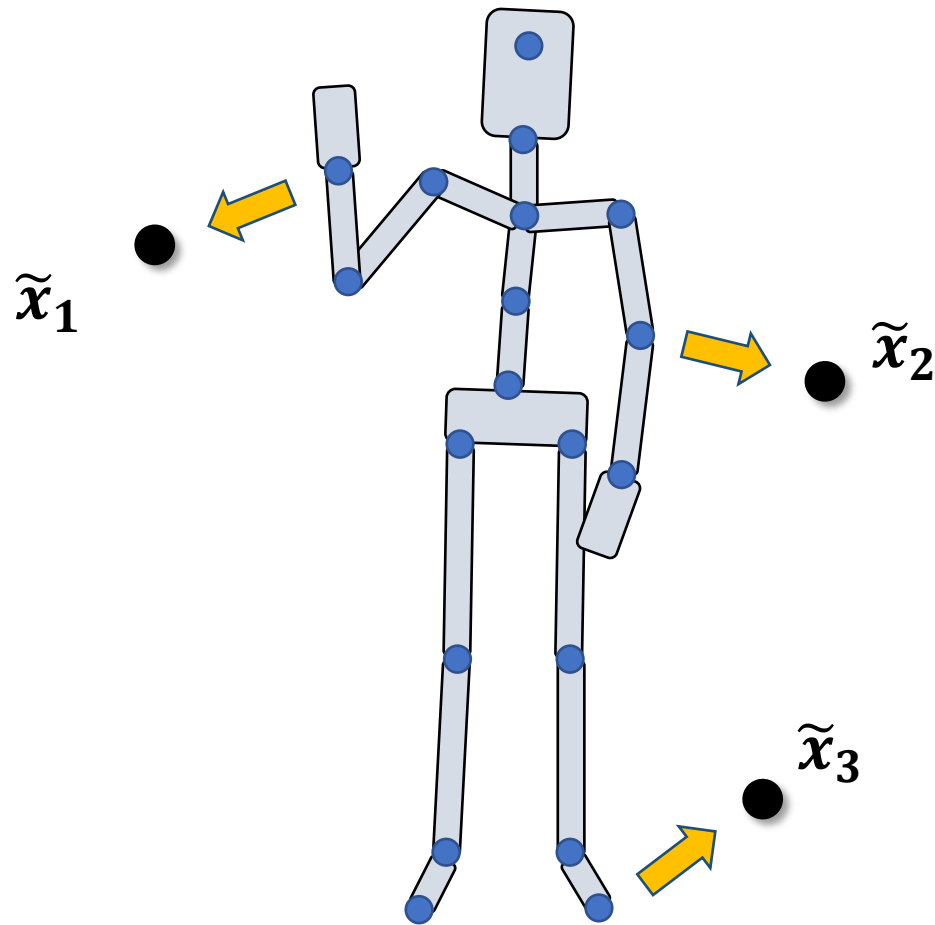
Character IK



$$F(\theta) = \frac{1}{2} \sum_i \|f_i(\theta) - \tilde{x}_i\|_2^2 + \frac{\lambda}{2} \|\theta\|_2^2$$

$$\theta = (t_0, R_0, R_1, R_2, \dots)$$

Character IK with a Reference Pose

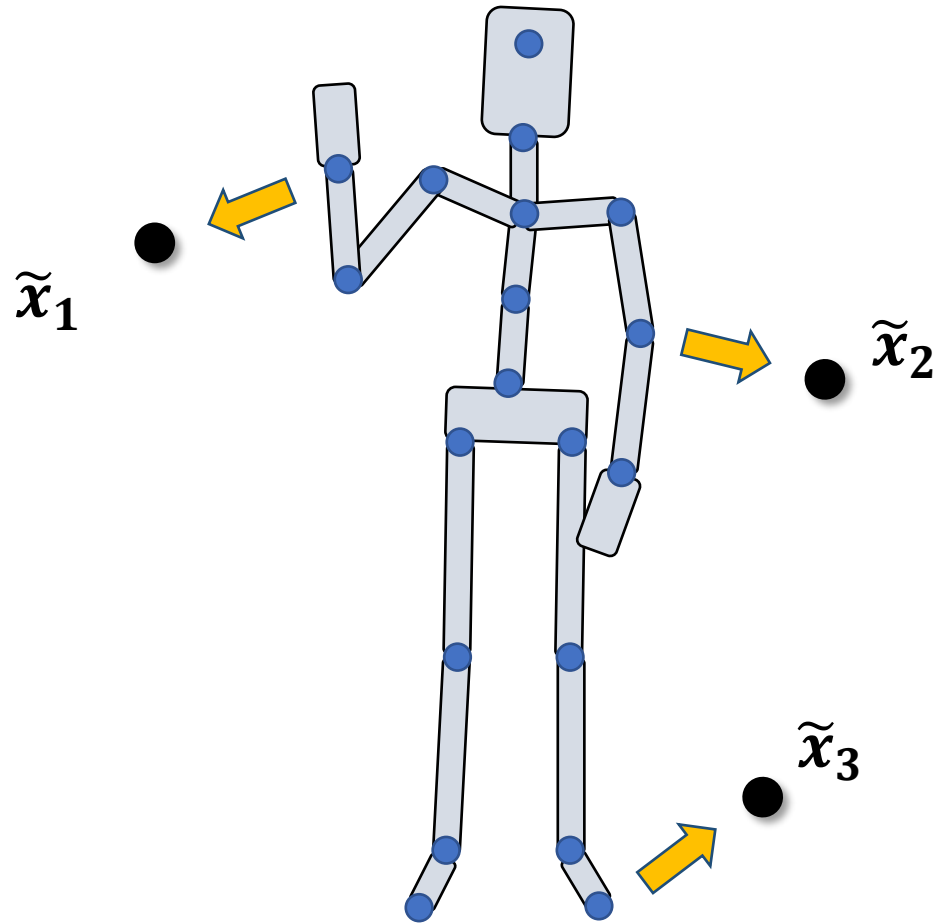


$$F(\theta) = \frac{1}{2} \sum_i \|f_i(\theta) - \tilde{x}_i\|_2^2$$

$$+ \frac{\lambda}{2} \|\theta - \theta_0\|_2^2$$

$$\theta = (t_0, R_0, R_1, R_2, \dots)$$

Character IK with a Motion Prior

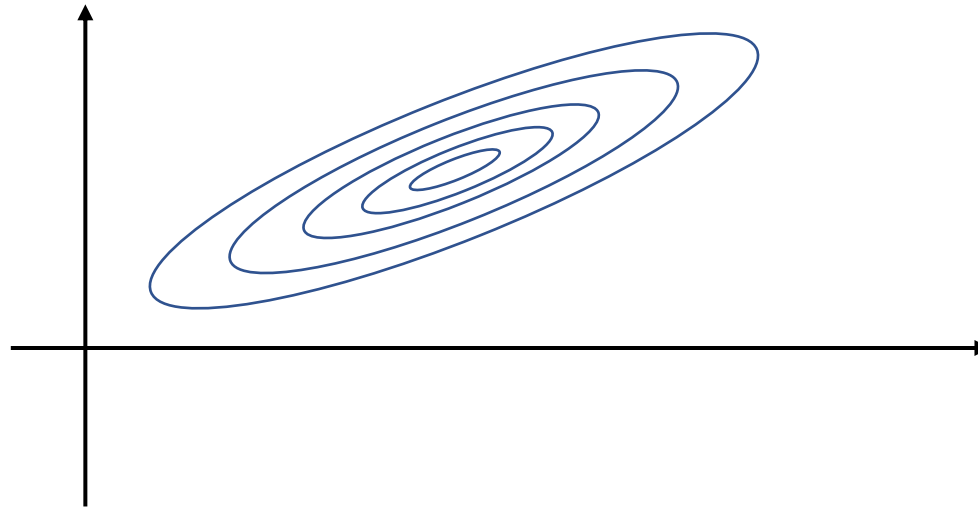


$$F(\theta) = \frac{1}{2} \sum_i \|f_i(\theta) - \tilde{x}_i\|_2^2 + \frac{w}{2} \sum_k \left(\frac{(\theta - \bar{\theta}) \cdot u_k}{\sigma_k} \right)^2$$

$$\theta = (t_0, R_0, R_1, R_2, \dots \dots)$$

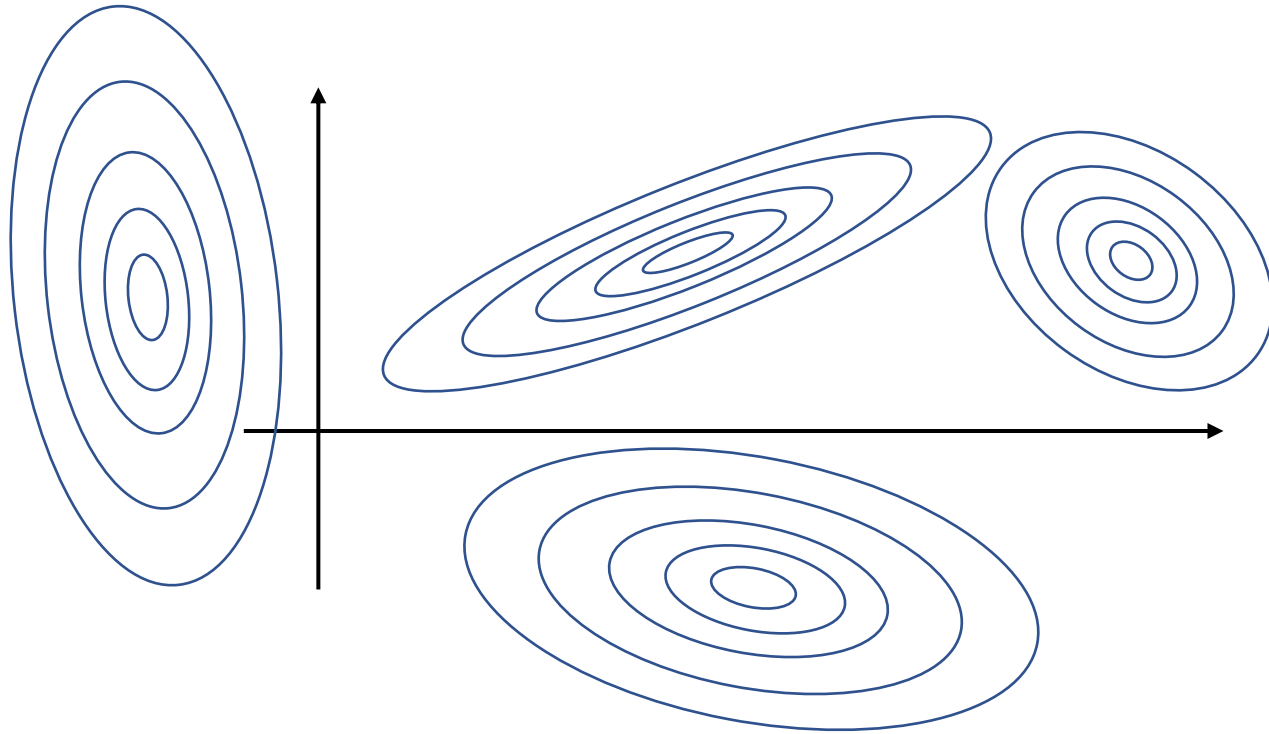
Data Distribution

$p(\mathbf{x})$: probability that \mathbf{x} is a natural pose



Data Distribution

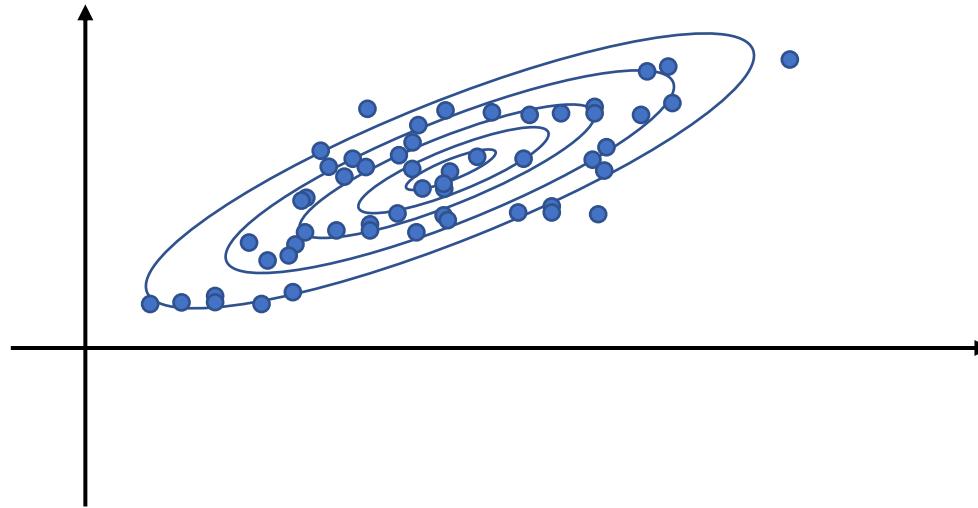
$p(\mathbf{x})$: probability that \mathbf{x} is a natural pose



Data Distribution

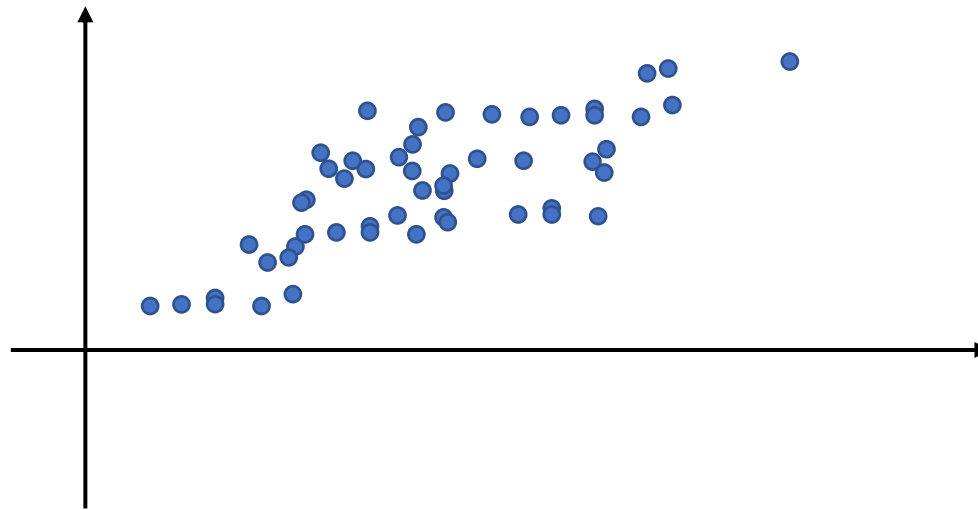
$p(\mathbf{x})$: probability that \mathbf{x} is a natural pose

a set of data points $\{\mathbf{x}_i\} \sim p(\mathbf{x})$



Data Distribution

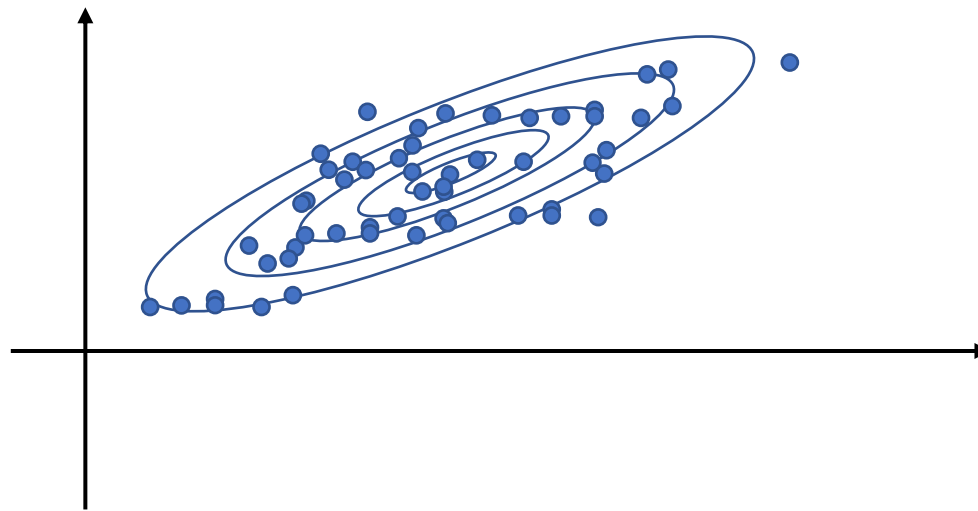
Given a dataset of mocap poses $\{x_i\}$



Data Distribution

Given a dataset of mocap poses $\{x_i\}$

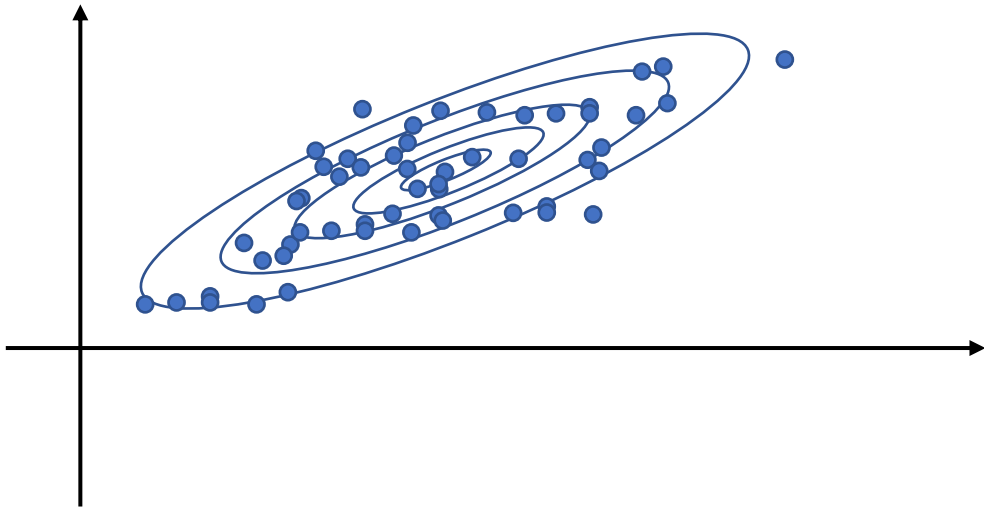
How to find $p(x)$?



Gaussian Distribution

Dataset $\{\mathbf{x}_i\}$

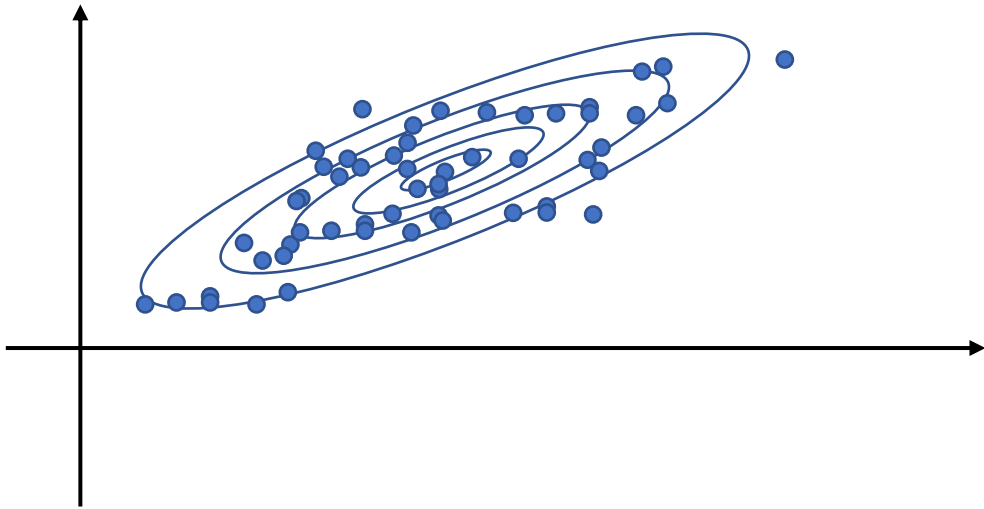
$$p(\mathbf{x}) = \mathcal{N}(\mu_i, \Sigma_i) = \frac{1}{\sqrt{(2\pi)^k |\Sigma|}} e^{-\frac{1}{2}(\mathbf{x} - \bar{\mathbf{x}})^T \Sigma^{-1} (\mathbf{x} - \bar{\mathbf{x}})}$$



Gaussian Distribution

Dataset $\{\mathbf{x}_i\}$

$$p(\mathbf{x}) = \mathcal{N}(\mu_i, \Sigma_i) = \frac{1}{\sqrt{(2\pi)^k |\Sigma|}} e^{-\frac{1}{2}(\mathbf{x} - \bar{\mathbf{x}})^T \Sigma^{-1} (\mathbf{x} - \bar{\mathbf{x}})}$$



Maximum Likelihood Estimators (MLE):

$$\bar{\mathbf{x}} = \frac{1}{N} \sum_i \mathbf{x}_i$$

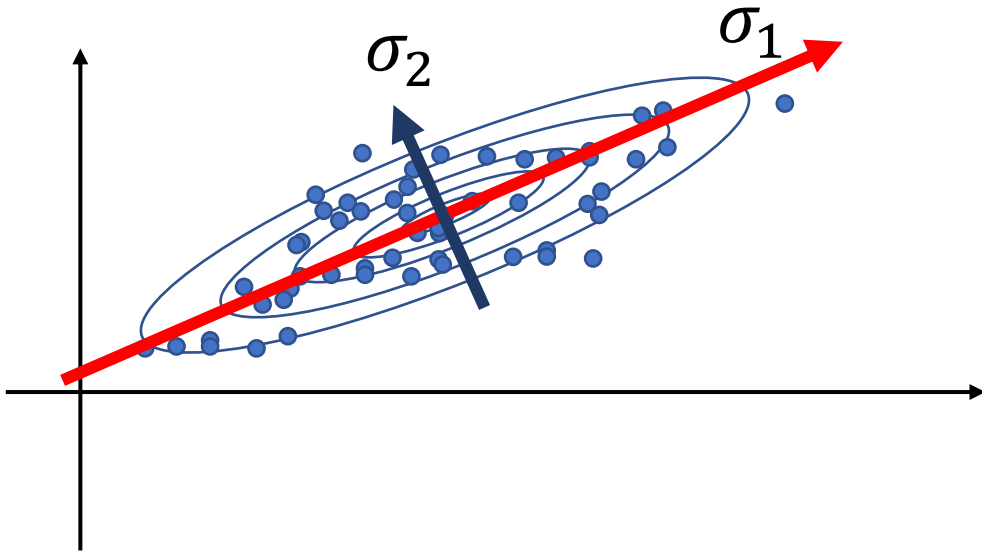
$$\Sigma = \frac{1}{N} X^T X$$

X

PCA and Gaussian Distribution

Dataset $\{\mathbf{x}_i\}$

$$p(\mathbf{x}) = \mathcal{N}(\mu_i, \Sigma_i) = \frac{1}{\sqrt{(2\pi)^k |\Sigma|}} e^{-\frac{1}{2}(\mathbf{x} - \bar{\mathbf{x}})^T \Sigma^{-1} (\mathbf{x} - \bar{\mathbf{x}})}$$



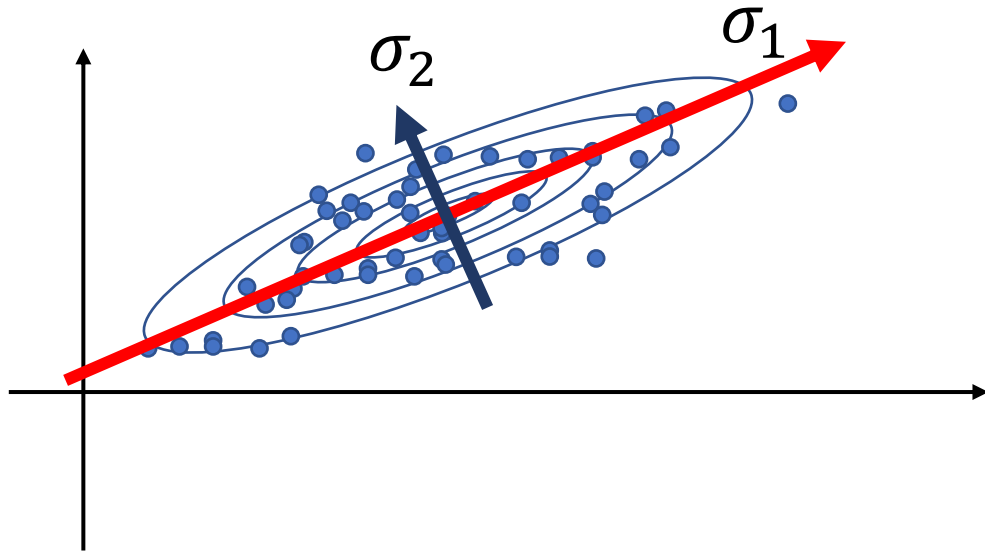
$$\Sigma = X^T X = U \begin{bmatrix} \sigma_1^2 & & & \\ & \sigma_2^2 & & \\ & & \ddots & \\ & & & \sigma_N^2 \end{bmatrix} U^T$$

$$\mathbf{x} - \bar{\mathbf{x}} = \sum_{k=1}^n w_k \mathbf{u}_k$$

PCA and Gaussian Distribution

Dataset $\{\mathbf{x}_i\}$

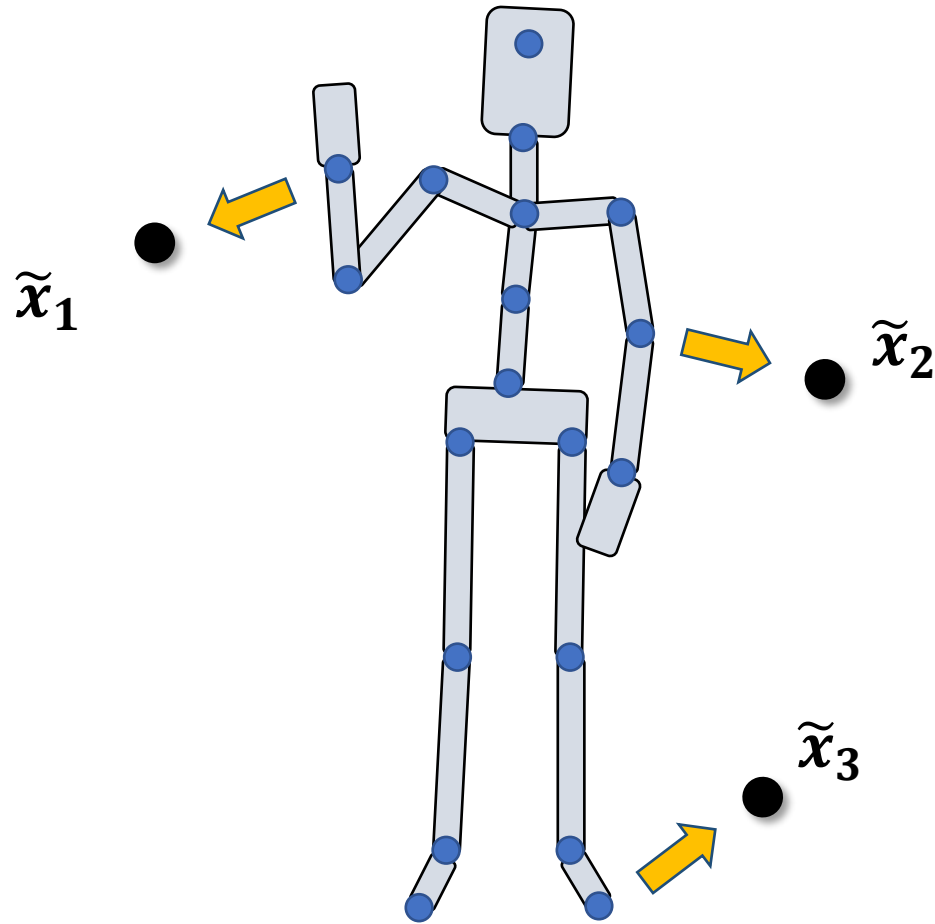
$$p(\mathbf{x}) = \mathcal{N}(\mu_i, \Sigma_i) = \frac{1}{\sqrt{(2\pi)^k |\Sigma|}} e^{-\frac{1}{2}(\mathbf{x} - \bar{\mathbf{x}})^T \Sigma^{-1} (\mathbf{x} - \bar{\mathbf{x}})}$$



$$p(\mathbf{x}) = \prod_k \frac{1}{\sigma_k \sqrt{2\pi}} e^{-\frac{1}{2} \left(\frac{w_k}{\sigma_k} \right)^2}$$

$$w_k = (\mathbf{x} - \bar{\mathbf{x}}) \cdot \mathbf{u}_k$$

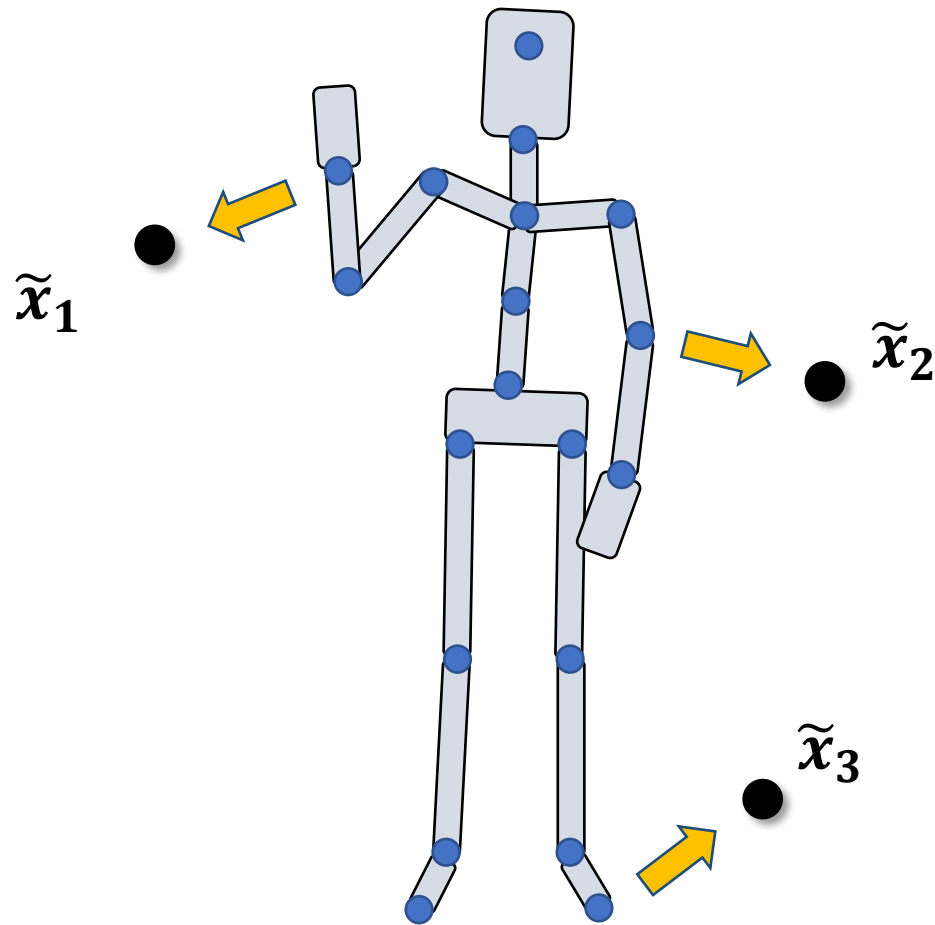
Character IK with a Motion Prior



$$F(\theta) = \frac{1}{2} \sum_i \|f_i(\theta) - \tilde{x}_i\|_2^2 + \frac{w}{2} \sum_k \left(\frac{(\theta - \bar{\theta}) \cdot u_k}{\sigma_k} \right)^2$$

$$\theta = (t_0, R_0, R_1, R_2, \dots)$$

Character IK with a Motion Prior

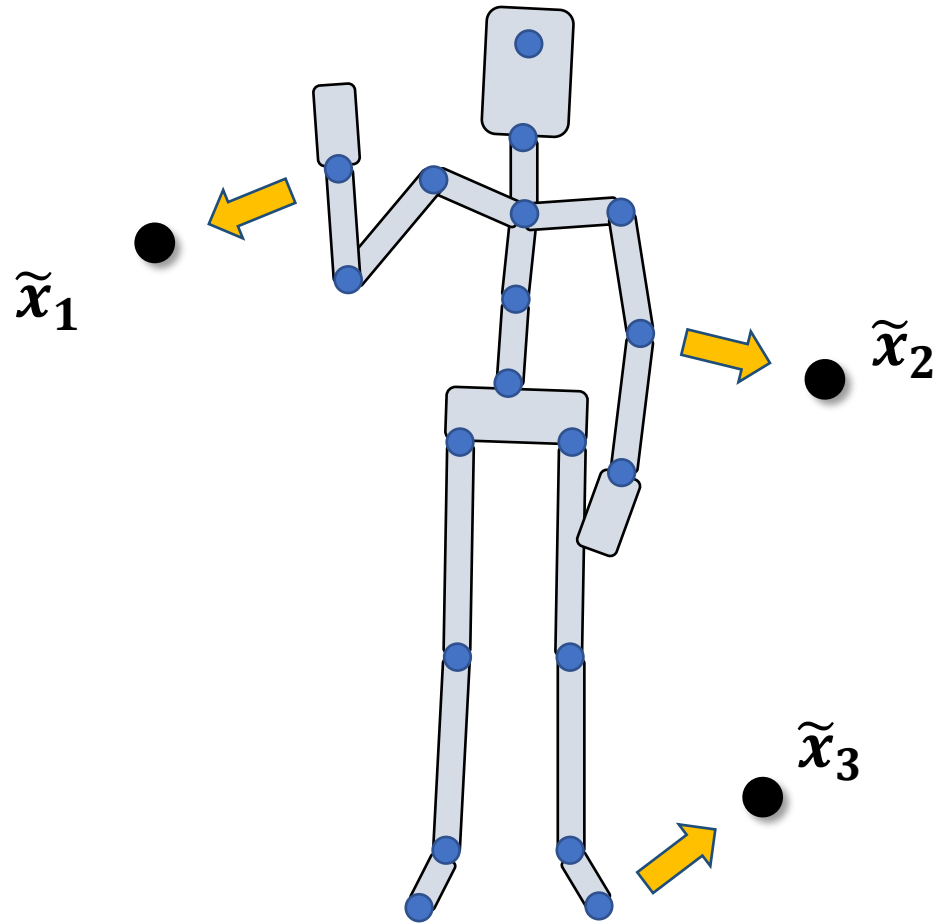


$$F(\theta) = \frac{1}{2} \sum_i \|f_i(\theta) - \tilde{x}_i\|_2^2$$

$$-w \log \prod_k e^{-\frac{1}{2} \left(\frac{(\theta - \bar{\theta}) \cdot u_k}{\sigma_k} \right)^2}$$

$$\theta = (t_0, R_0, R_1, R_2, \dots \dots)$$

Character IK with a Motion Prior



$$F(\theta) = \frac{1}{2} \sum_i \|f_i(\theta) - \tilde{x}_i\|_2^2$$

$$-w \log p(\theta) = -\frac{1}{2} \sum_k \left(\frac{(\theta - \bar{\theta}) \cdot u_k}{\sigma_k} \right)^2$$

$$\theta = (t_0, R_0, R_1, R_2, \dots)$$

Motion Synthesis with a Motion Prior

Given a motion prior $p(\mathbf{x})$ learned from a set of data points $D = \{\mathbf{x}_i\}$,

Synthesize a motion \mathbf{x} that minimize the objective

$$F(\mathbf{x}) = f(\mathbf{x}) - w \log p(\mathbf{x})$$

Note: \mathbf{x} can represent a pose $\boldsymbol{\theta}$

or a motion clip \rightarrow a sequence of poses $\{\boldsymbol{\theta}_t\}$

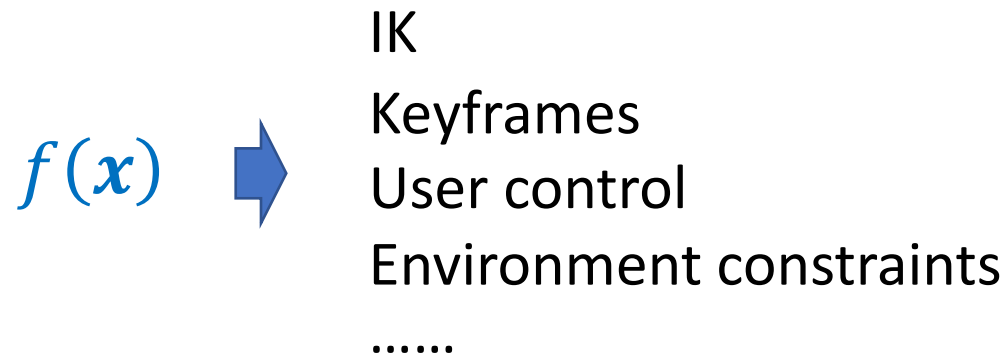
or any features of a motion \rightarrow e.g. w_k in PCA

Motion Synthesis with a Motion Prior

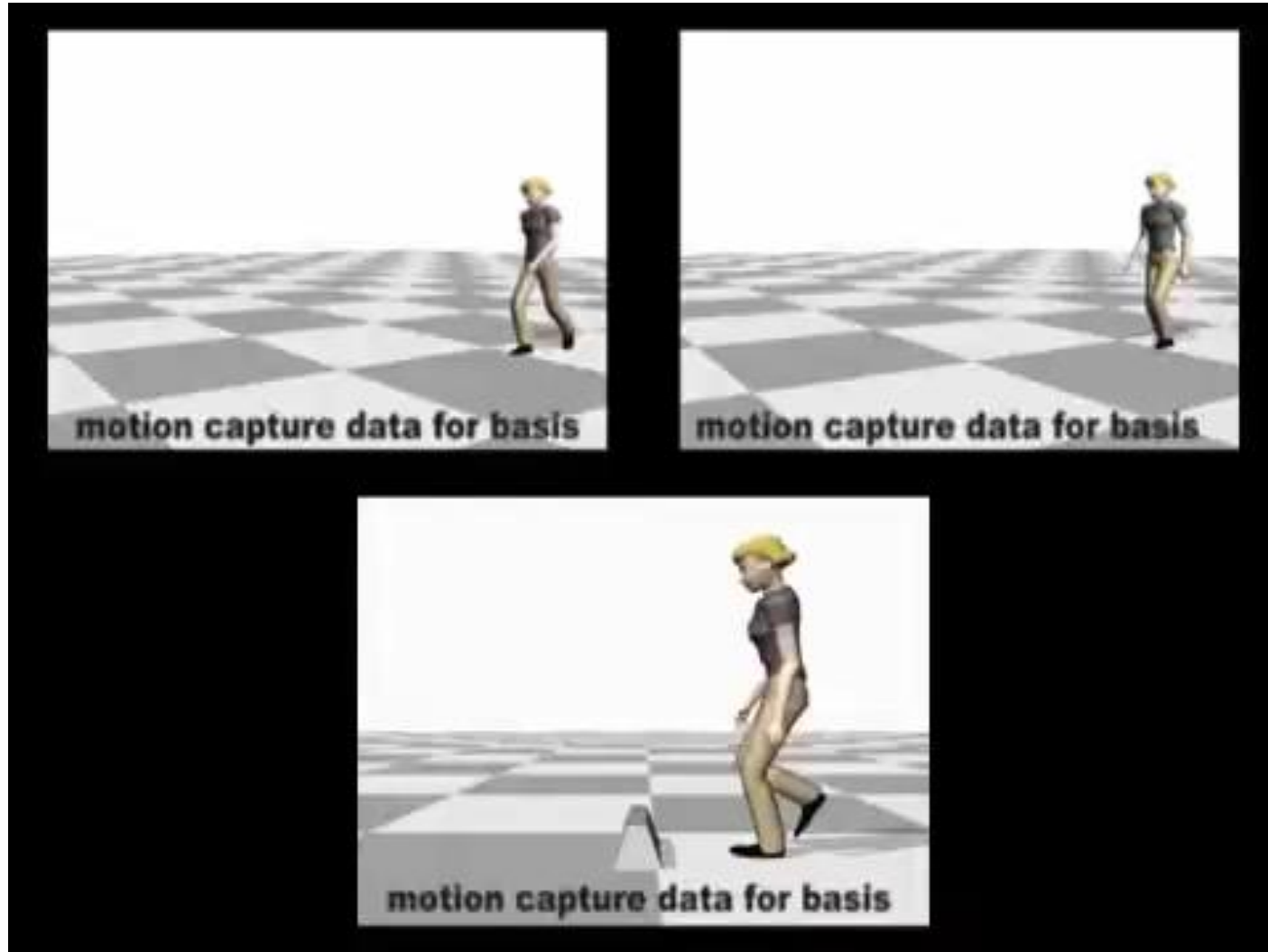
Given a motion prior $p(\mathbf{x})$ learned from a set of data points $D = \{\mathbf{x}_i\}$,

Synthesize a motion \mathbf{x} that minimize the objective

$$F(\mathbf{x}) = f(\mathbf{x}) - w \log p(\mathbf{x})$$



Motion Synthesis with a Motion Prior



Synthesizing Physically Realistic Human Motion in Low-Dimensional, Behavior-Specific Spaces

Alla Safonova

Jessica K. Hodgins

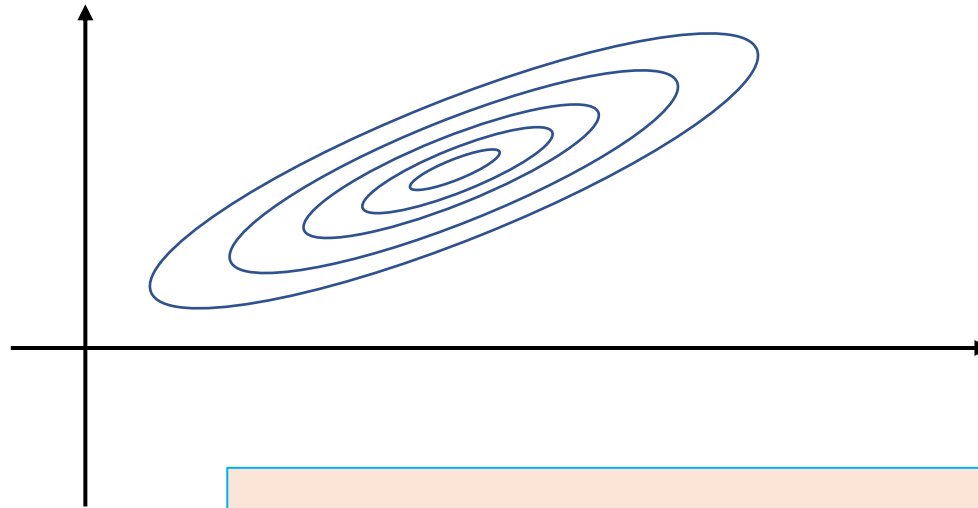
Nancy S. Pollard

School of Computer Science
Carnegie Mellon University *

*SIGGRAPH 2004

Gaussian Distribution is not Enough!

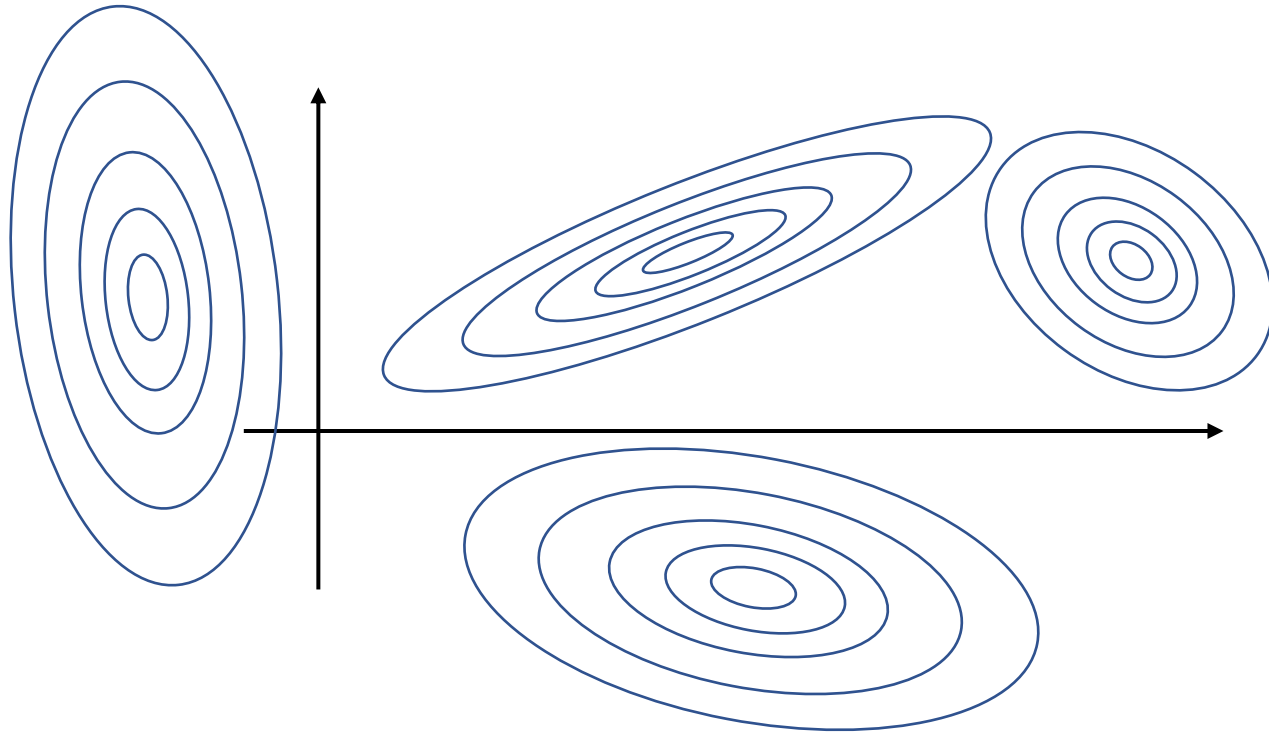
$p(\mathbf{x})$: motion prior



$$p(\mathbf{x}) = \mathcal{N}(\mu_i, \Sigma_i) = \frac{1}{\sqrt{(2\pi)^k |\Sigma|}} e^{-\frac{1}{2}(\mathbf{x} - \bar{\mathbf{x}})^T \Sigma^{-1} (\mathbf{x} - \bar{\mathbf{x}})}$$

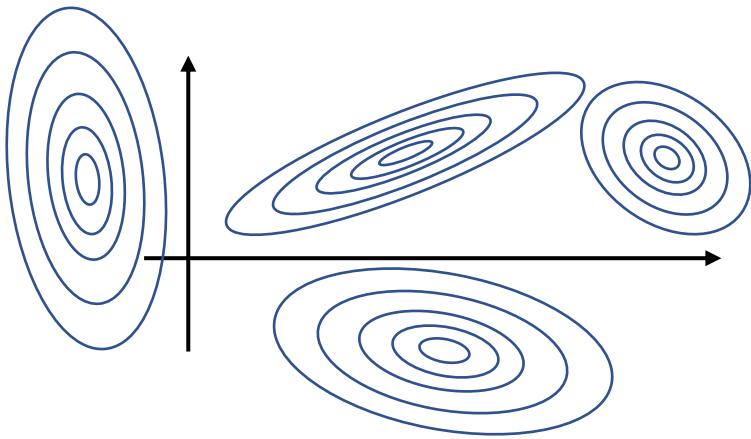
Gaussian Distribution is not Enough!

$p(\mathbf{x})$: motion prior



Gaussian Distribution is not Enough!

$p(\mathbf{x})$: motion prior



Interactive Generation of Human Animation with Deformable Motion Models

Jianyuan Min
Texas A&M University

Yen-Lin Chen
Texas A&M University

Jinxiang Chai
Texas A&M University

* SIGGRAPH 2009

Gaussian Mixture Models (GMM)

$$p(\mathbf{x}) = \sum_i \phi_i \mathcal{N}(\mu_i, \Sigma_i)$$

Motion Synthesis with a Motion Prior

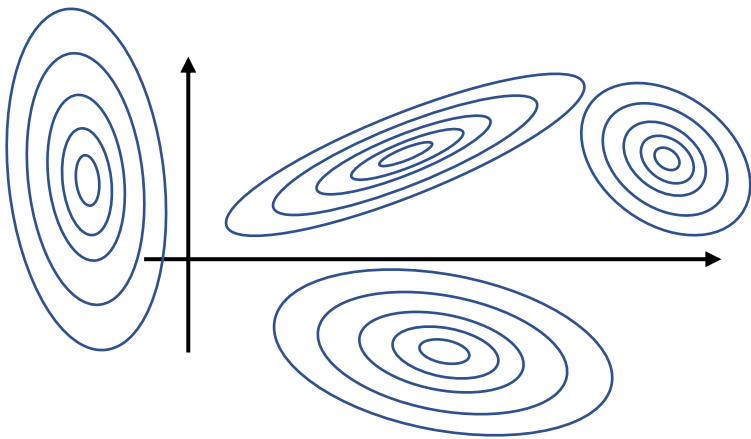
Interactive Generation of Human Animation
with Deformable Motion Models

Jianyuan Min Yen-Lin Chen Jinxiang Chai
Texas A&M University

Min et al. 2009

Gaussian Distribution is not Enough!

$p(\mathbf{x})$: motion prior



Continuous Character Control with Low-Dimensional Embeddings

Sergey Levine¹

Jack M. Wang¹

Alexis Haraux¹

Zoran Popović²

Vladlen Koltun¹

¹Stanford University

²University of Washington

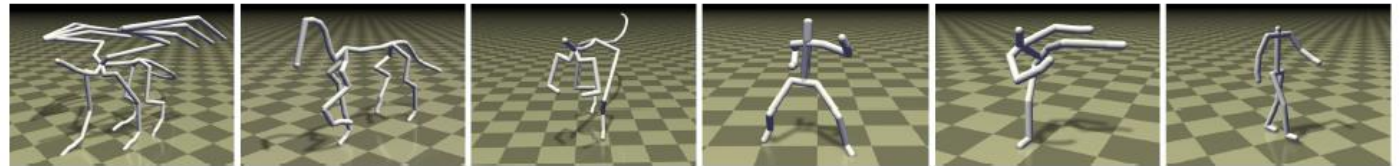
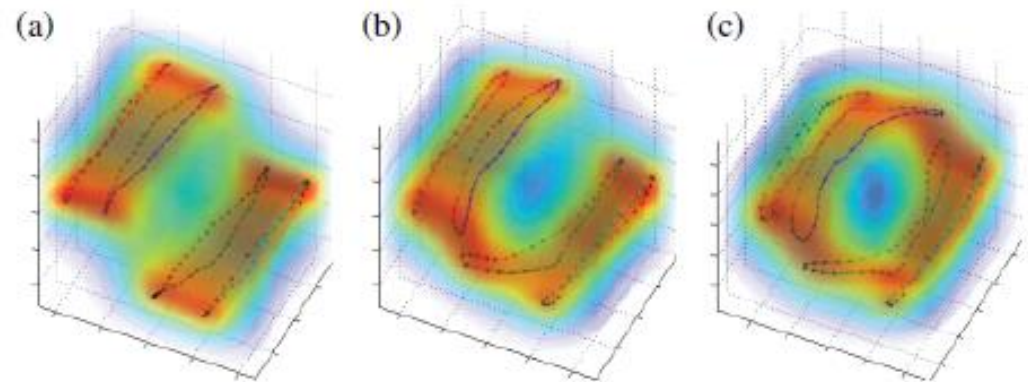


Figure 1: Character controllers created using our approach: animals, karate punching and kicking, and directional walking.

* SIGGRAPH 2012

Gaussian Process Latent Variable Model (GPLVM)



Motion Synthesis with a Motion Prior

Continuous Character Control with Low-Dimensional Embeddings

Sergey Levine¹ Jack M. Wang¹ Alexis Haraux¹
Zoran Popović² Vladlen Koltun¹

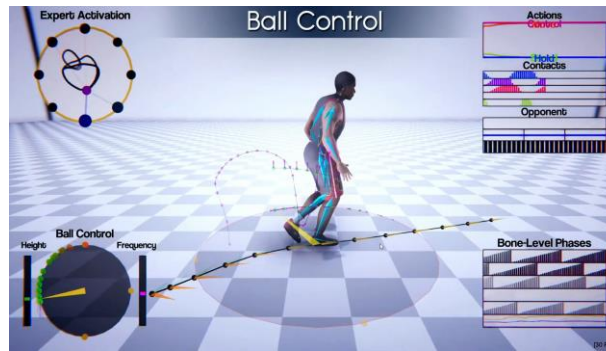
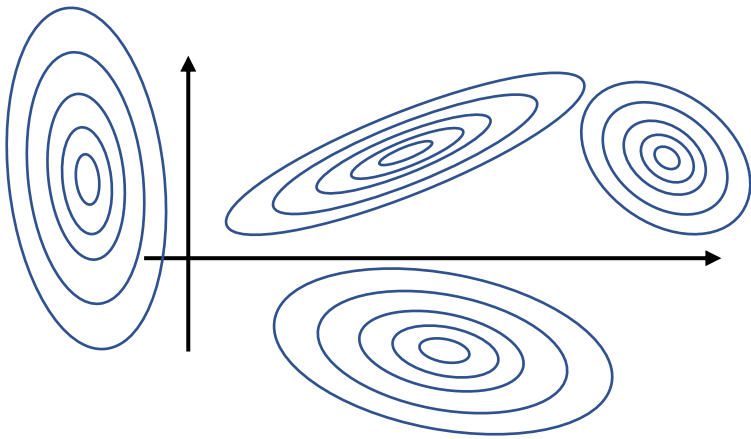
¹Stanford University ²University of Washington

Levine et al. 2012

Gaussian Distribution is not Enough!

Neural networks...

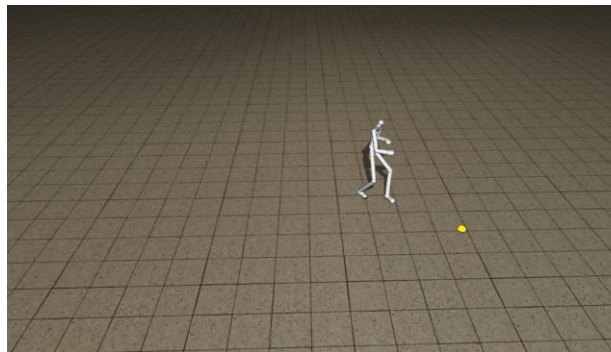
$p(x)$: motion prior



[Starke et al 2020, Local Motion Phases for Learning Multi-Contact Character Movements]



[Henter et al. 2020, MoGlow: Probabilistic and Controllable Motion Synthesis Using Normalising Flows]



[Lee et al 2019, Interactive Character Animation by Learning Multi-Objective Control]



[Holden et al 2020, Learned Motion Matching]

Questions?

