

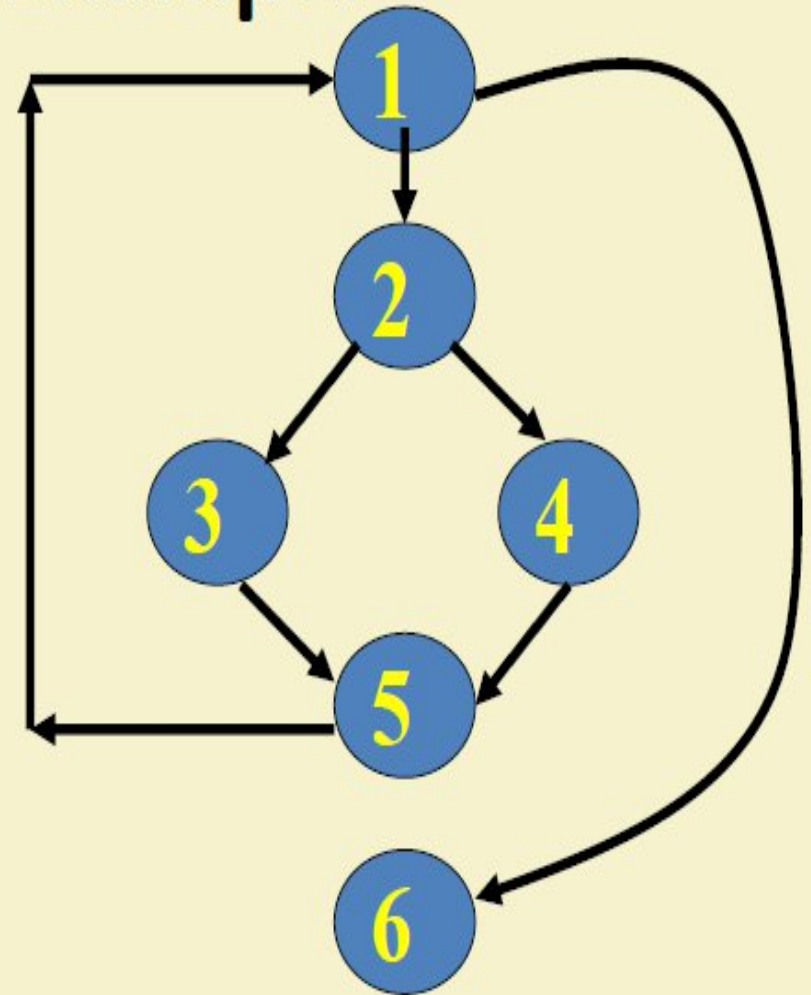
Cyclomatic Complexity

How to Draw Control Flow Graph?

- **Number all statements of a program.**
- **Numbered statements:**
 - Represent nodes of control flow graph.
- **Draw an edge from one node to another node:**
 - **If execution of the statement representing the first node can result in transfer of control to the other node.**

```
int f1(int x,int y){  
1 while (x != y){  
2   if (x>y) then  
3     x=x-y;  
4   else y=y-x;  
5 }  
6 return x;  }
```

Example



How to Draw Control Flow Graph?

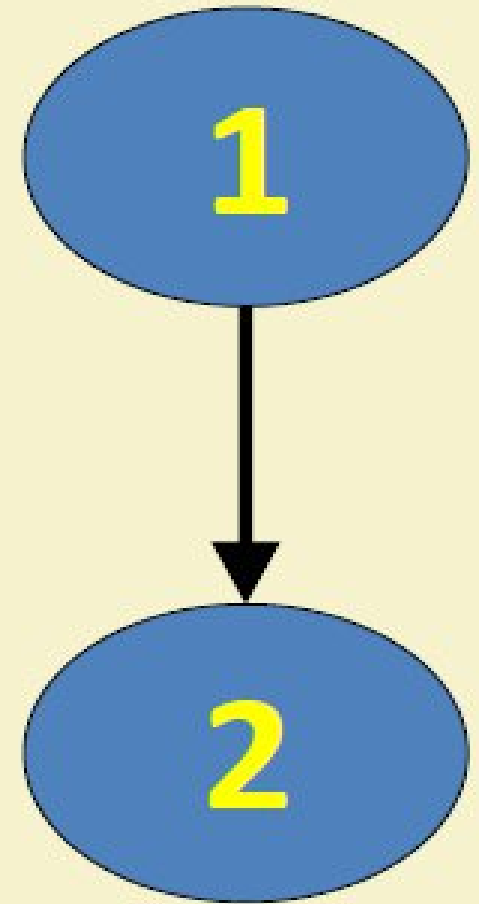
- Every program is composed of:
 - Sequence
 - Selection
 - Iteration
- If we know how to draw CFG corresponding these basic statements:
 - We can draw CFG for any program.

How to Draw Control Flow Graph?

- **Sequence:**

- **1** `a=5;`

- **2** `b=a*b-1;`



How to Draw Control Flow Graph?

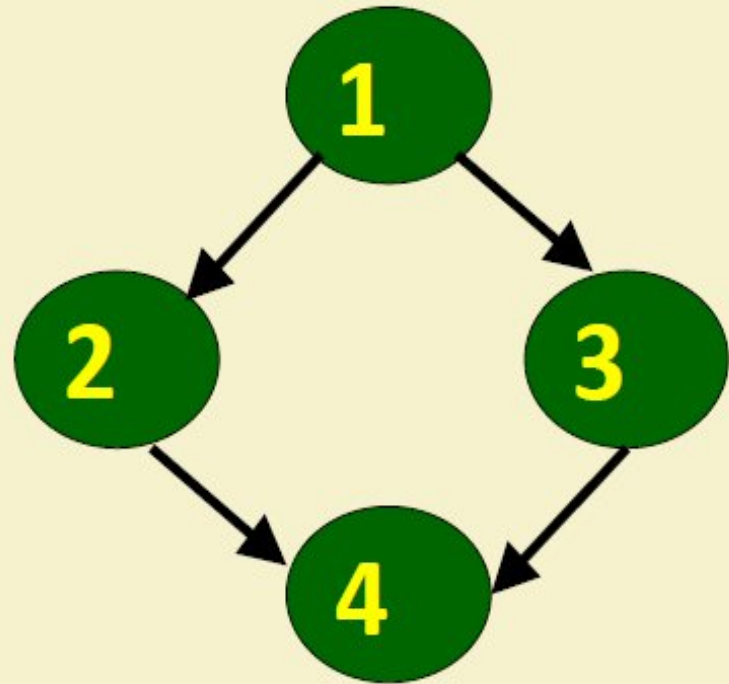
- Selection:

- 1 if(a>b) then

- 2 c=3;

- 3 else c=5;

- 4 c=c*c;



How to Draw Control Flow Graph?

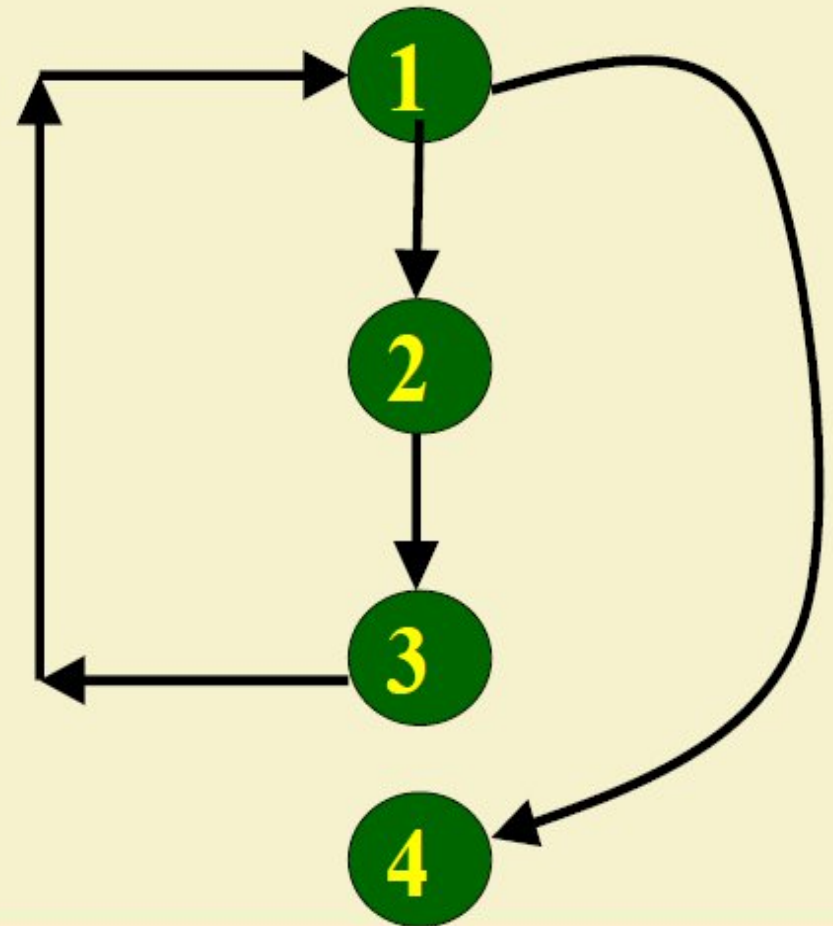
- Iteration:

- 1 while(a>b){

- 2 b=b*a;

- 3 b=b-1;}

- 4 c=b+d;



Path

- A path through a program:
 - **A node and edge sequence from the starting node to a terminal node of the control flow graph.**
 - There may be several terminal nodes for program.

All Path Criterion

- In the presence of loops, the number paths can become extremely large:
 - This makes all path testing impractical

Linearly Independent Path

- Any path through the program that:
 - Introduces at least one new edge:
- Not included in any other independent paths.

- It is straight forward:
 - To identify linearly independent paths of simple programs.
- For complicated programs:
 - It is not easy to determine the number of independent paths.

McCabe's CyclomaticMetric

- An upper bound:
 - For the number of linearly independent paths of a program
- Provides a practical way of determining:
 - The maximum number of test cases required for basis path testing.

McCabe's Cyclomatic Metric

- Given a control flow graph G , cyclomatic complexity $V(G)$:
 - $V(G) = E - N + 2$
- N is the number of nodes in G
- E is the number of edges in G

- Cyclomatic complexity $V(G)$ for a flow graph G is also defined as $V(G) = P + 1$
 - where P is the number of predicate nodes contained in the flow graph G .

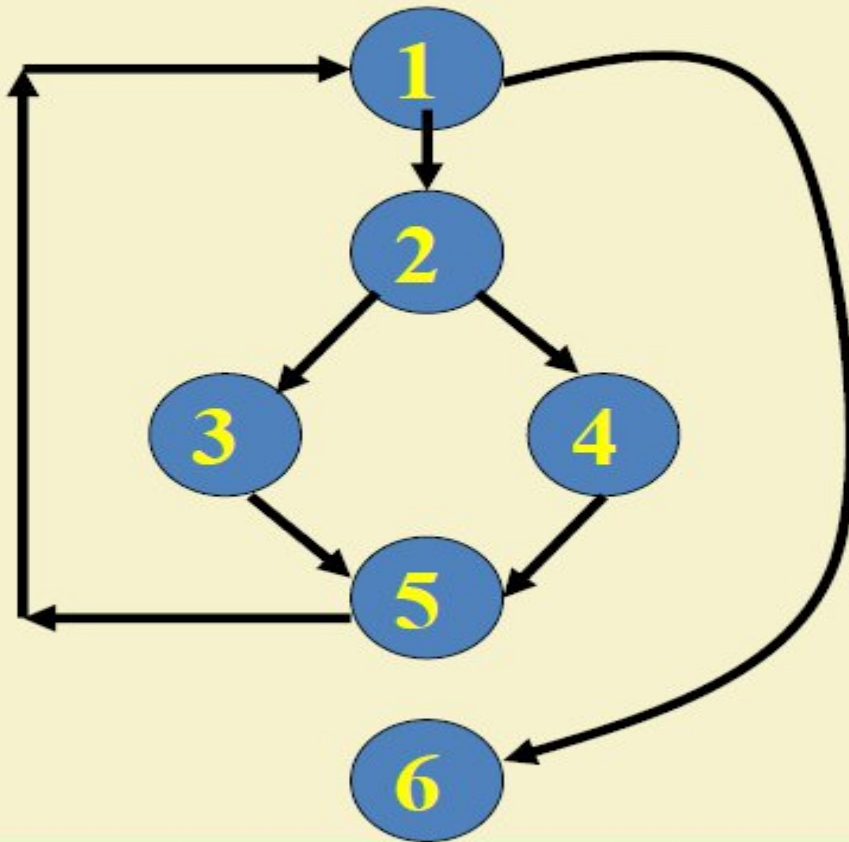
CyclomaticComplexity

- Another way of computing cyclomatic complexity:
 - inspect control flow graph
 - determine number of bounded areas in the graph
- $V(G) = \text{Total number of bounded areas} + 1$
 - Any region enclosed by a nodes and edge sequence.

OR

The **number of regions** of the flow graph corresponds to the cyclomatic complexity.

Example Control Flow Graph



Cyclomatic complexity =
 $7 - 6 + 2 = 3.$

Cyclomatic Complexity

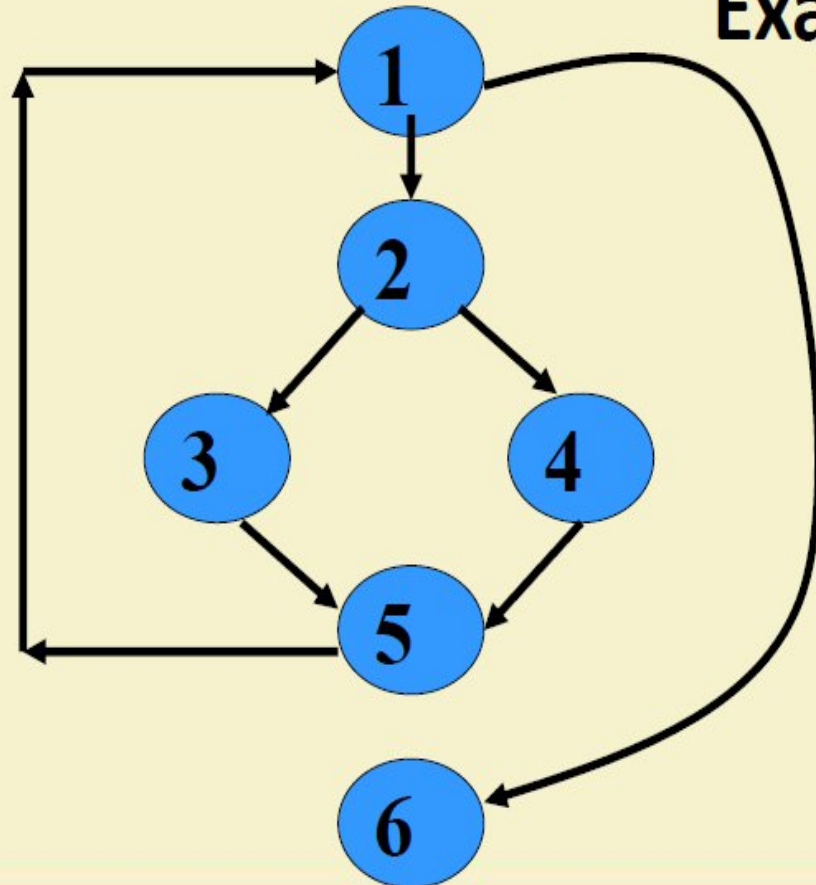
- McCabe's metric provides:
- **A quantitative measure of testing difficulty and the reliability**
- Intuitively,
 - Number of bounded areas increases with the number of decision nodes and loops.

Derivation of Test Cases

- Draw control flow graph.
- Determine $V(G)$.
- Determine the set of linearly independent paths.
- Prepare test cases:
 - Force execution along each path.
 - Not practical for larger programs.

```
int f1(int x,int y){  
1 while (x != y){  
2   if (x>y) then  
3     x=x-y;  
4   else y=y-x;  
5 }  
6 return x;    }
```

Example



Derivation of Test Cases

- Number of independent paths: 3
 - 1,6 test case ($x=1, y=1$)
 - 1,2,3,5,1,6 test case ($x=2, y=1$)
 - 1,2,4,5,1,6 test case ($x=1, y=2$)

An Interesting Application of Cyclomatic Complexity

- Relationship exists between:
 - McCabe's metric
 - The number of errors existing in the code,
 - Time required to correct the errors.
 - Time required to understand the program

Cyclomatic Complexity

- Cyclomatic complexity of a program:
 - **Indicates the psychological complexity of a program.**
 - Difficulty level of understanding the program.

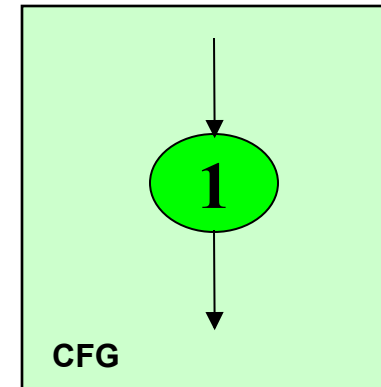
Cyclomatic Complexity

- From maintenance perspective,
 - Limit cyclomatic complexity of modules
 - To some reasonable value.
 - Good software development organizations:
 - Restrict cyclomatic complexity of functions to a maximum of ten or so.

Simple Examples

```
Statement1;  
Statement2;  
Statement3;  
Statement4;
```

Can be
represented as
one node as there
is no branch.



```
Statement1;  
Statement2;
```

1

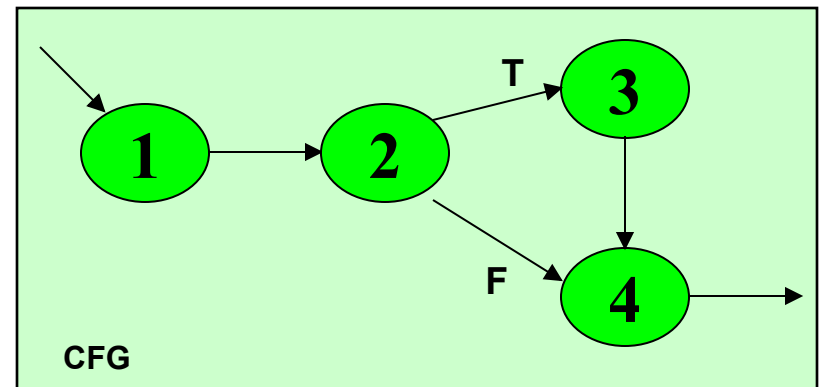
```
if X < 10 then  
    Statement3;
```

2

3

```
Statement4;
```

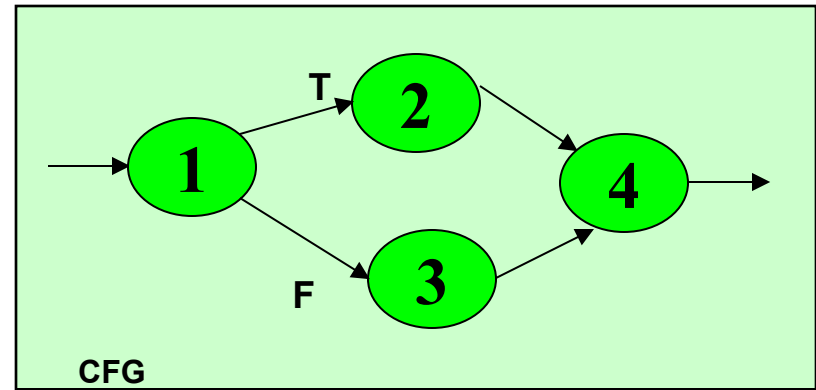
4



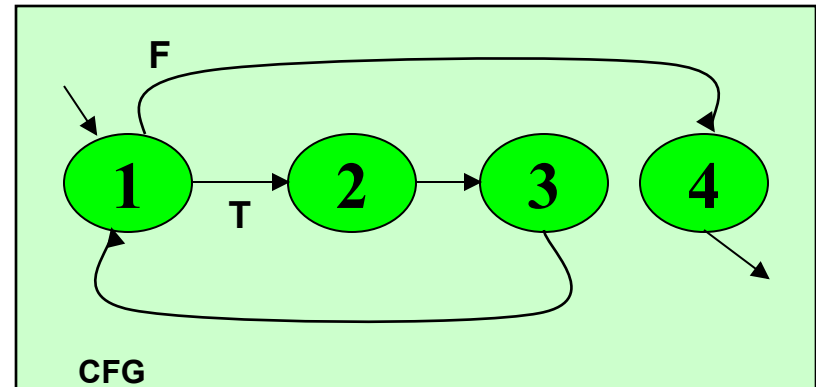
More Examples

```
if X > 0 then  
    Statement1;  
else  
    Statement2;
```

1
2
3



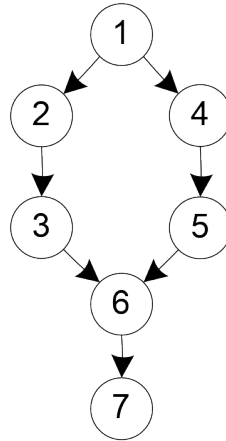
```
while X < 10 {  
    Statement1;  
    X++; }  
1  
2  
3
```



Program Graphs of Structured Programming Constructs

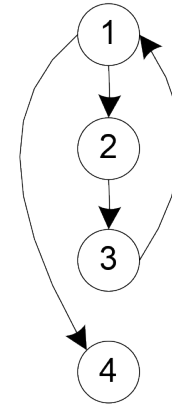
If-Then-Else

```
1 If <condition>
2   Then
3     <then statements>
4   Else
5     <else statements>
6 End If
7 <next statement>
```



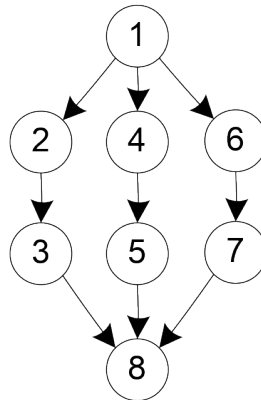
Pre-test Loop

```
1 While <condition>
2   <repeated body>
3 End While
4 <next statement>
```



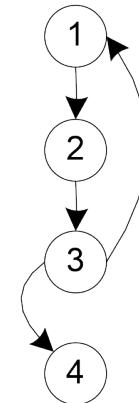
Case/Switch

```
1 Case n Of 3
2   n=1:
3     <case 1 statements>
4   n=2:
5     <case 2 statements>
6   n=3:
7     <case 3 statements>
8 End Case
```



Post-test Loop

```
1 Do
2   <repeated body>
3 Until <condition>
4 <next statement>
```



What is the McCabe's Cyclomatic Complexity for the following code segment?

```
IF A = 10 THEN
```

```
  IF B > C THEN
```

```
    A = B
```

```
  ELSE
```

```
    A = C
```

```
  ENDIF
```

```
ENDIF
```

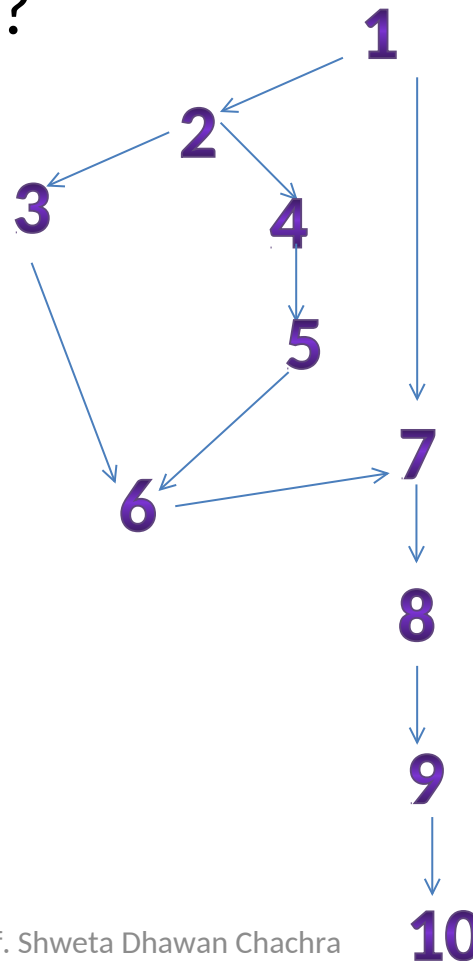
```
Print A
```

```
Print B
```

```
Print C
```

What is the McCabe's Cyclomatic Complexity for the following code segment?

```
1 IF A = 10 THEN
2   IF B > C THEN
3     A = B
4   ELSE
5     A = C
6   ENDIF
7 ENDIF
8 Print A
9 Print B
10 Print C
```



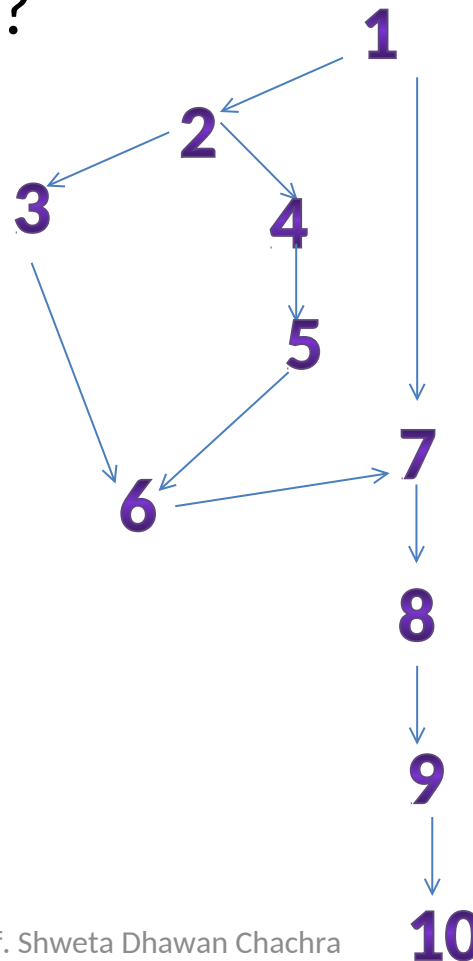
$$\begin{aligned} V(G) &= \text{NO OF BOUNDED AREAS} + 1 \\ &= 2 + 1 \\ &= 3 \end{aligned}$$

$$\begin{aligned} V(G) &= E - N + 2 \\ &= 11 - 10 + 2 \\ &= 1 + 2 \\ &= 3 \end{aligned}$$

$$\begin{aligned} V(G) &= P + 1 \\ &= 2 + 1 \\ &= 3 \end{aligned}$$

What is the McCabe's Cyclomatic Complexity for the following code segment?

```
1 IF A = 10 THEN
2   IF B > C THEN
3     A = B
4   ELSE
5     A = C
6   ENDIF
7 ENDIF
8 Print A
9 Print B
10 Print C
```



3 INDEPENDENT PATHS

PATH1=1,2,3,6,7,8,9,10

PATH2=1,2,4,5,6,7,8,9,10

PATH3=1,7,8,9,10

What is the McCabe's Cyclomatic complexity for the following code segment?

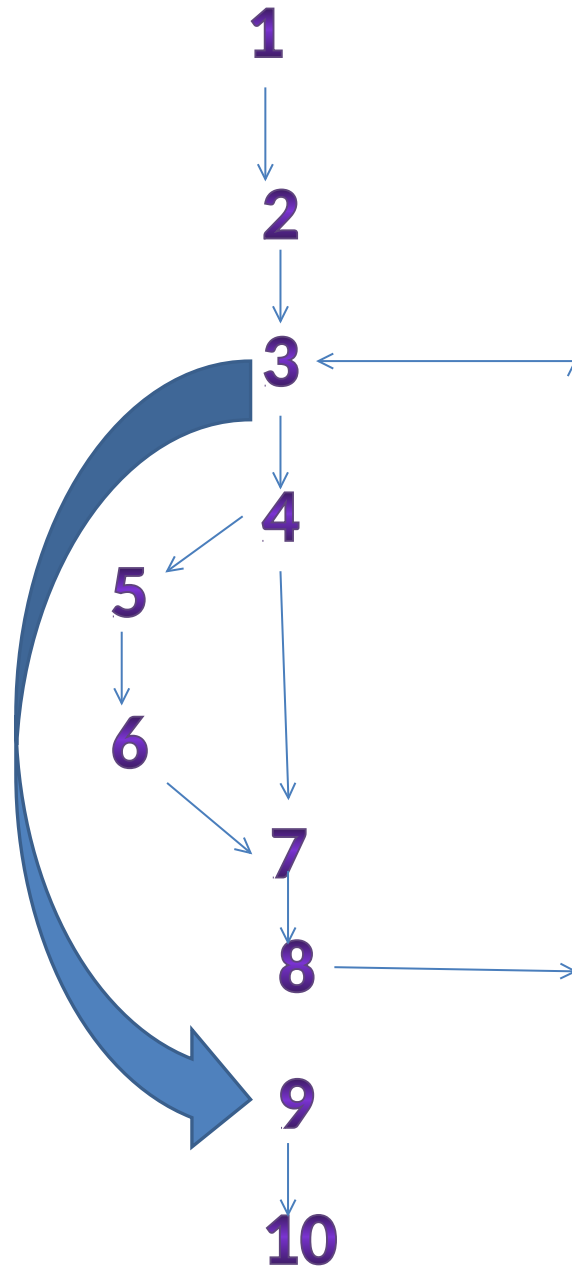
```
int partition (int arr[], int l, int h){  
    int x = arr[h], i = (l - 1), t;  
  
    for (int j = l; j <= h- 1; j++) {  
        if (arr[j] <= x){  
            i++;  
            t=&arr[i]; &arr[i]= &arr[j]); &arr[j]=t;  
        }  
    }  
    t=&arr[i + 1]; &arr[i+1])= &arr[h]; &arr[h]=t;  
}
```

```

1 int partition (int arr[], int l, int h){
2   int x = arr[h], i = (l - 1), t;

3   for (int j = l; j <= h- 1; j++) {
4     if (arr[j] <= x){
5       i++;
6       t=&arr[i]; &arr[i]= &arr[j]); &arr[j]=t;
7     }
8   }
9   t=&arr[i + 1]; &arr[i+1])= &arr[h]; &arr[h]=t;
10 }

```

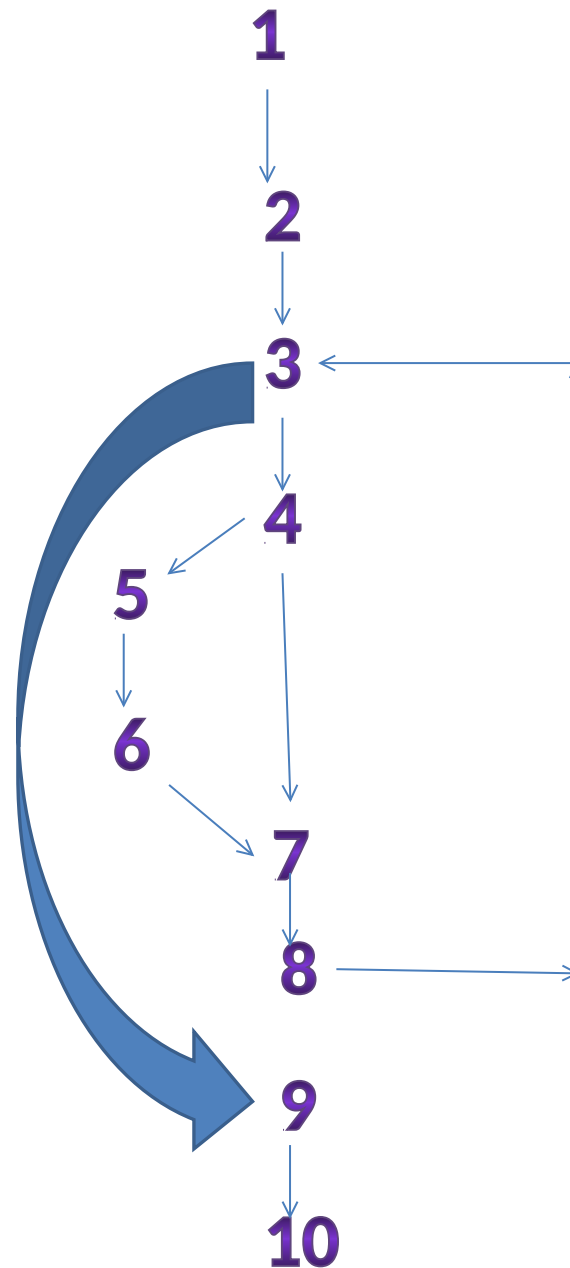


```

1 int partition (int arr[], int l, int h){
2   int x = arr[h], i = (l - 1), t;

3   for (int j = l; j <= h- 1; j++) {
4     if (arr[j] <= x){
5       i++;
6       t=&arr[i]; &arr[i]= &arr[j]); &arr[j]=t;
7     }
8   }
9   t=&arr[i + 1]; &arr[i+1])= &arr[h]; &arr[h]=t;
10 }

```



$$\begin{aligned}
 V(G) &= \text{NO OF BOUNDED AREAS} + 1 \\
 &= 2 + 1 \\
 &= 3
 \end{aligned}$$

$$\begin{aligned}
 V(G) &= E - N + 2 \\
 &= 11 - 10 + 2 \\
 &= 1 + 2 \\
 &= 3
 \end{aligned}$$

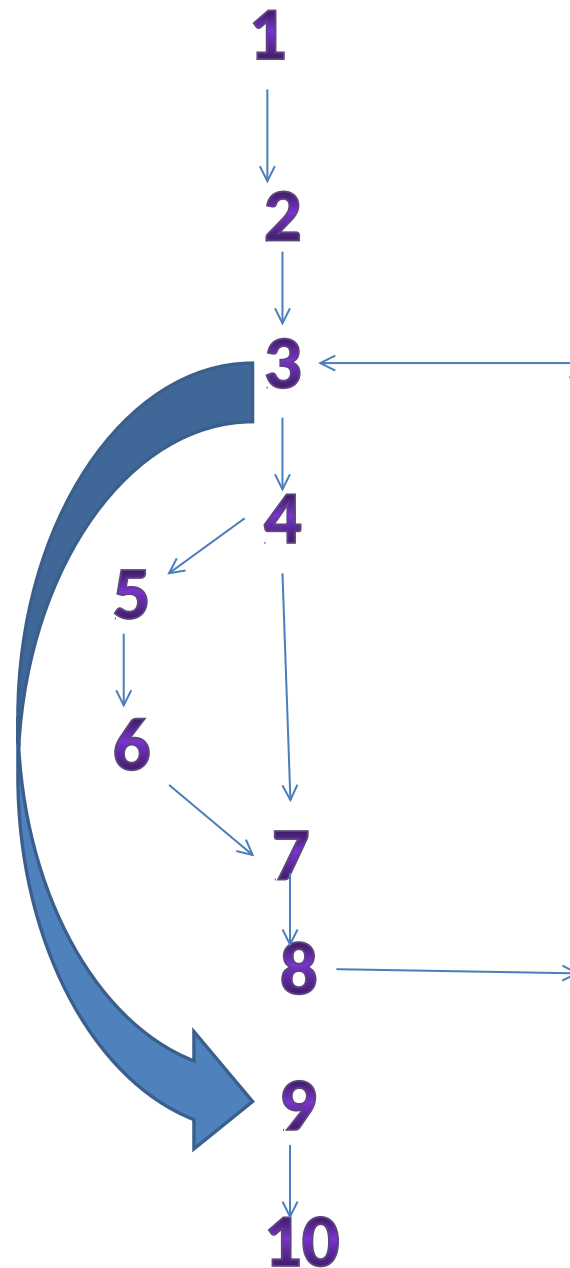
$$\begin{aligned}
 V(G) &= P + 1 \\
 &= 2 + 1 \\
 &= 3
 \end{aligned}$$

```

1 int partition (int arr[], int l, int h){
2   int x = arr[h], i = (l - 1), t;

3   for (int j = l; j <= h- 1; j++) {
4     if (arr[j] <= x){
5       i++;
6       t=&arr[i]; &arr[i]= &arr[j]); &arr[j]=t;
7     }
8   }
9   t=&arr[i + 1]; &arr[i+1])= &arr[h]; &arr[h]=t;
10 }

```



3 INDEPENDENT PATHS

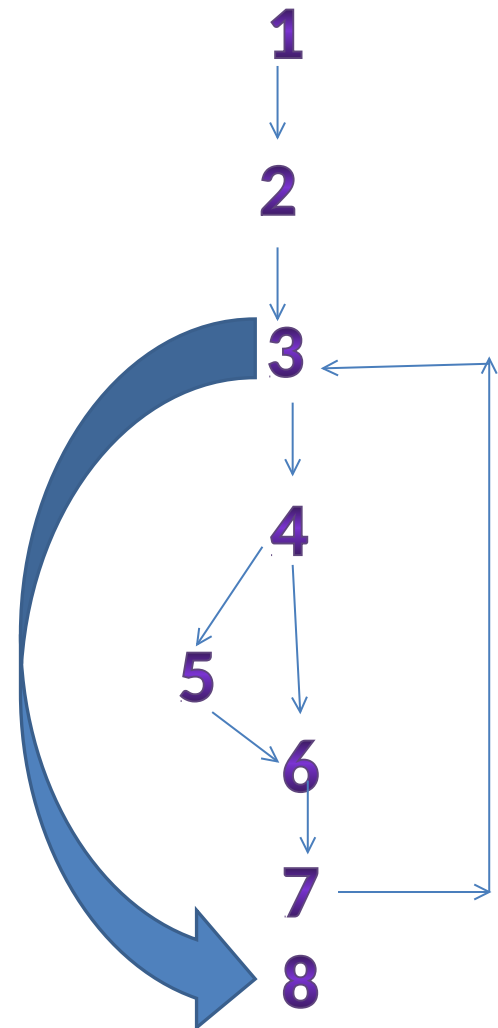
PATH1=1,2,3,4,5,6,7,8,3,9,10

PATH2=1,2,3,4,7,8,3,9,10

PATH3=1,2,3,9,10


```
min = A[0];  
I = 1;  
  
while (I < N) {  
    if (A[I] < min)  
        min = A[I];  
    I = I + 1;  
}  
print min
```

```
1 min = A[0];  
2 I = 1;  
  
3 while (I < N) {  
4     if (A[I] < min)  
5         min = A[I];  
6     I = I + 1;  
7 }  
8 print min
```

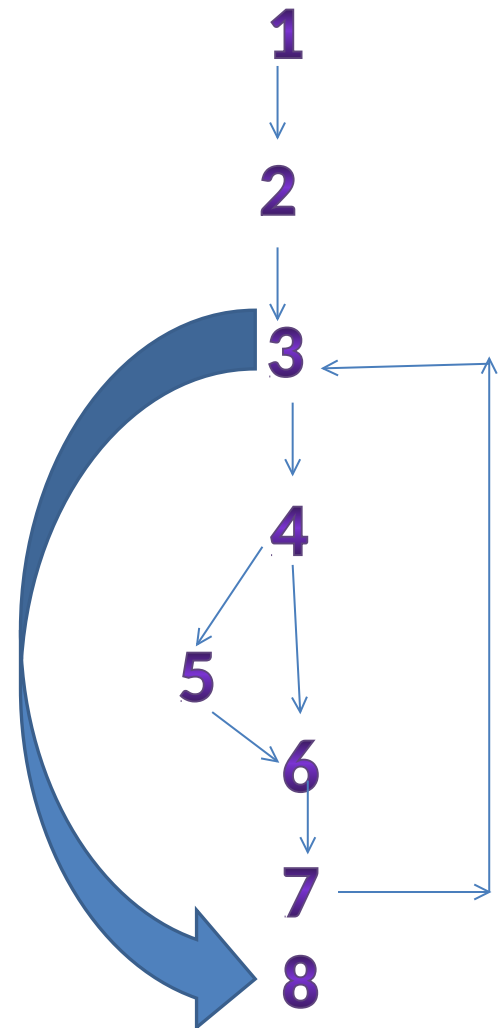


$V(G) = \text{NO OF BOUNDED AREAS} + 1$
 $= 2 + 1$
 $= 3$

$V(G) = E - N + 2$
 $= 9 - 8 + 2$
 $= 1 + 2$
 $= 3$

$V(G) = P + 1$
 $= 2 + 1$
 $= 3$

```
1 min = A[0];  
2 I = 1;  
  
3 while (I < N) {  
4     if (A[I] < min)  
5         min = A[I];  
6     I = I + 1;  
7 }  
8 print min
```



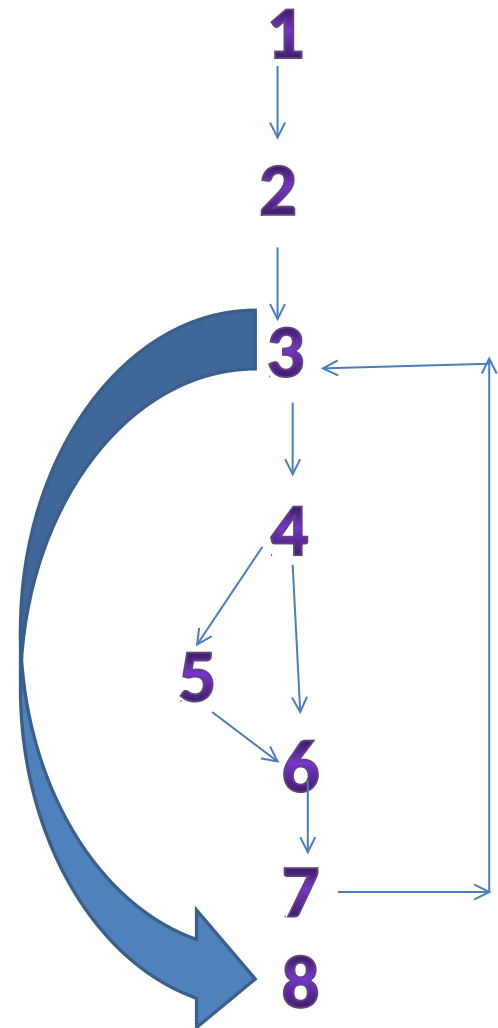
3 INDEPENDENT PATHS

PATH1=1,2,3,8

PATH2=1,2,3,4,5,
6,7,3,8

PATH3=1,2,3,4,6,
7,3,8

```
1 min = A[0];  
2 I = 1;  
3 while (I < N) {  
4     if (A[I] < min)  
5         min = A[I];  
6     I = I + 1;  
7 }  
8 print min
```

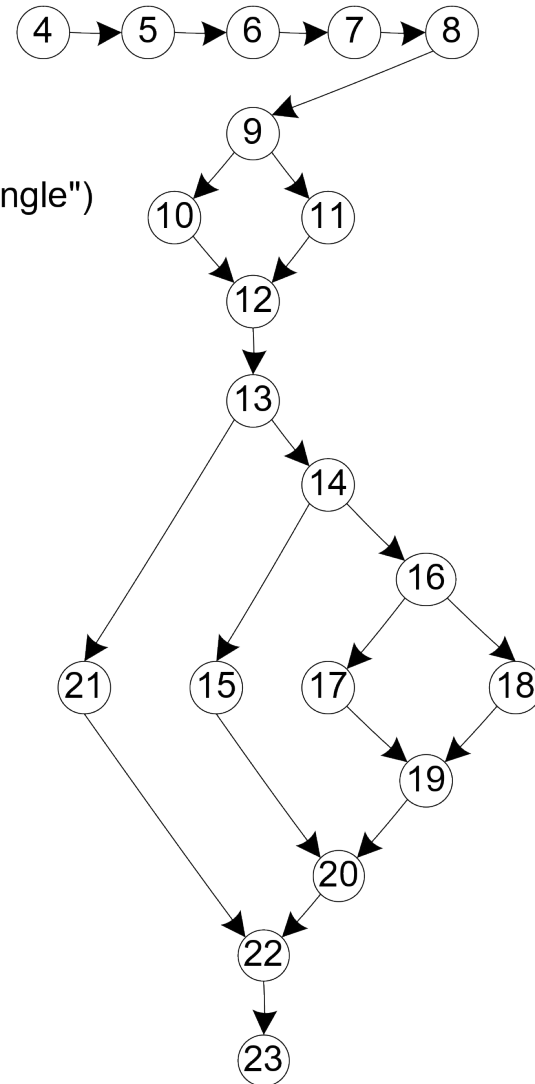


Sample Program Graph

```
1 Program triangle2
2 Dim a,b,c As Integer
3 Dim IsATriangle As Boolean
4 Output("Enter 3 integers which are sides of a triangle")
5 Input(a,b,c)
6 Output("Side A is ",a)
7 Output("Side B is ",b)
8 Output("Side C is ",c)
9 If (a < b + c) AND (b < a + c) AND (c < a + b)
10 Then IsATriangle = True
11 Else IsATriangle = False
12 EndIf
13 If IsATriangle
14 Then If (a = b) AND (b = c)
15       Then Output ("Equilateral")
16       Else If (a≠b) AND (a≠c) AND (b≠c)
17             Then Output ("Scalene")
18             Else Output ("Isosceles")
19       EndIf
20 EndIf
21 Else Output("Not a Triangle")
22 EndIf
23 End triangle2
```

Sample Program Graph

```
1 Program triangle2
2 Dim a,b,c As Integer
3 Dim IsATriangle As Boolean
4 Output("Enter 3 integers which are sides of a triangle")
5 Input(a,b,c)
6 Output("Side A is ",a)
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9 If (a < b + c) AND (b < a + c) AND (c < a + b)
10 Then IsATriangle = True
11 Else IsATriangle = False
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14 Then If (a = b) AND (b = c)
15 Then Output ("Equilateral")
16 Else If (a≠b) AND (a≠c) AND (b≠c)
17 Then Output ("Scalene")
18 Else Output ("Isosceles")
19 EndIf
20 EndIf
21 Else Output("Not a Triangle")
22 EndIf
23 End triangle2
```



What would be the Cyclomatic complexity of the following program?

```
int      find-maximum(int i, int j, int      k){  
    int      max;  
    if(i>j)    then  
    if(i>k)    then      max=i;  
    else      max=k;  
    else      if(j>k) max=j  
    else      max=k;  
    return(max);  
}
```

Correct Solution

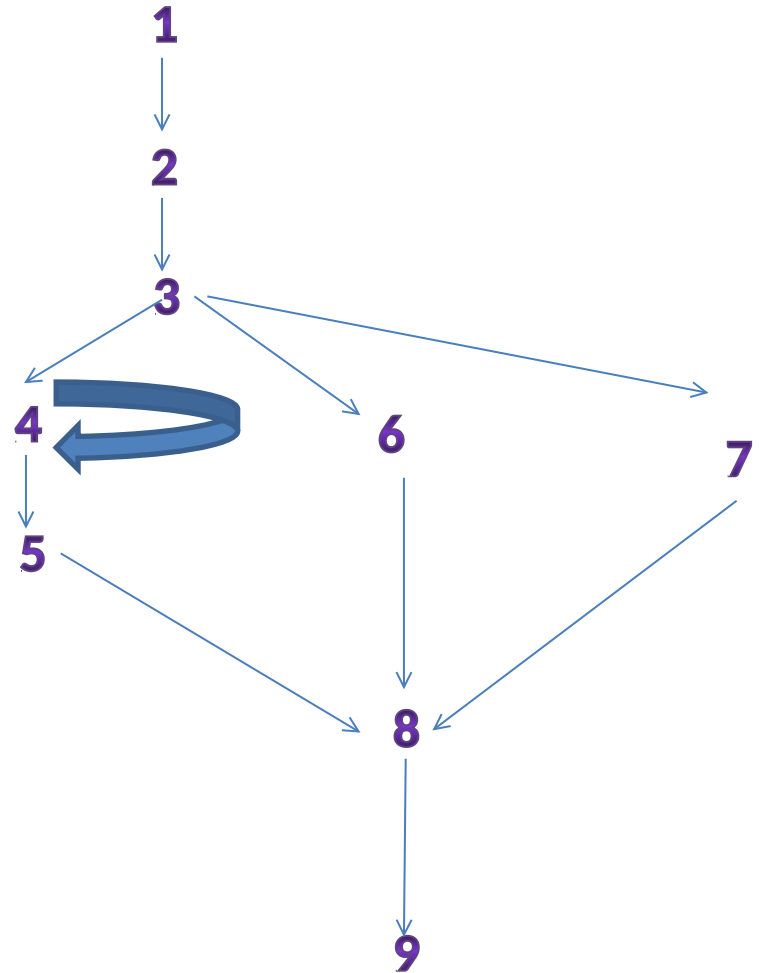
```

1 int find-maximum(int i,int j, int k){
2     int max;
3     if(i>j) then
4     if(i>k) then max=i;
5     else max=k;
6     else if(j>k) max=j;
7     else max=k;
8     return(max);
9 }
    
```

$$\begin{aligned}
 V(G) &= \text{NO OF BOUNDED AREAS} \\
 &+ 1 \\
 &= 3 + 1 \\
 &= 4
 \end{aligned}$$

$$\begin{aligned}
 V(G) &= E - N + 2 \\
 &= 11 - 9 + 2 \\
 &= 2 + 2 \\
 &= 4
 \end{aligned}$$

$$\begin{aligned}
 V(G) &= P + 1 \\
 &= 3 + 1 \\
 &= 4
 \end{aligned}$$



Solution

```

1 int find-maximum(int i,int j, int k){
2     int max;
3     if(i>j) then
4     if(i>k) then max=i;
5     else max=k;
6     else if(j>k) max=j;
7     else max=k;
8     return(max);
9 }
  
```

4 INDEPENDENT PATHS

PATH1=1,2,3,4,5,8,9

PATH2=1,2,3,6,8,9

PATH3=1,2,3,7,8,9

PATH4=1,2,3,4,4,5,8,9

