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1) There are three food items available, corn, milk, and bread. The table contains, the cost per serving, the amount of Vitamin A per serving, and the number of calories per serving for each food item. Also, there are restrictions on the total number of calories (between 2000 and 2250) and the total amount of Vitamin A (between 5000 and 50,000) intake in the diet.The goal of the diet problem is to select a set of food items that will satisfy a set of daily nutritional requirement at minimum cost. The maximum number of servings is 10 per food item. Table 1 shows all the content per serving.

Food	Cost	Vitamin A	calories
Corn	0.18 USD	107	72
Milk	0.23 USD	500	121
Wheat Bread	0.05 USD	0	65

TABLE I

Solution: Consider the vector **c** as cost vector, vector **v** representing the vitamin A and vector **u** representing calories.
Let **x** be the variable vector.

$$\mathbf{c} = \begin{pmatrix} 0.18 \\ 0.23 \\ 0.05 \end{pmatrix} \tag{1}$$

$$\mathbf{v} = \begin{pmatrix} 107 \\ 500 \\ 0 \end{pmatrix} \tag{2}$$

$$\mathbf{u} = \begin{pmatrix} 72 \\ 121 \\ 65 \end{pmatrix} \tag{3}$$

$$\mathbf{x} = \begin{pmatrix} x \\ y \\ z \end{pmatrix} \tag{4}$$

Objective function

$$z = \min_{\mathbf{x}} \mathbf{c}^T \mathbf{x} \tag{5}$$

Constraints

$$5000 \le 107x + 500y + 0z \le 50000 \tag{6}$$
$$2000 \le 72x + 121y + 65z \le 2250 \tag{7}$$
$$0 \le x \le 10 \tag{8}$$
$$0 \le y \le 10 \tag{9}$$
$$0 \le z \le 10 \tag{10}$$

Writing all the constraints in the matrix form

$$\mathbf{px} = \mathbf{q} \tag{11}$$

$$\begin{pmatrix} 107 & 500 & 0 \\ -107 & -500 & 0 \\ 72 & 121 & 65 \\ -72 & -121 & -65 \\ 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \\ -1 & 0 & 0 \\ 0 & -1 & 0 \\ 0 & 0 & -1 \end{pmatrix} \mathbf{x} = \begin{pmatrix} 50000 \\ -5000 \\ 2250 \\ -2000 \\ 10 \\ 10 \\ 10 \\ 0 \\ 0 \\ 0 \end{pmatrix} \tag{12}$$

By providing the objective function and constraints to cvxpy, we get the optimal cost (z) and optimal no.of servings (**x**).
cvxpy code,

From cvxpy, we get

$$z = 3.16\text{USD} \tag{13}$$

$$\mathbf{x} = \begin{pmatrix} 2 \\ 10 \\ 10 \end{pmatrix} \tag{14}$$