

CS106S: Week 5

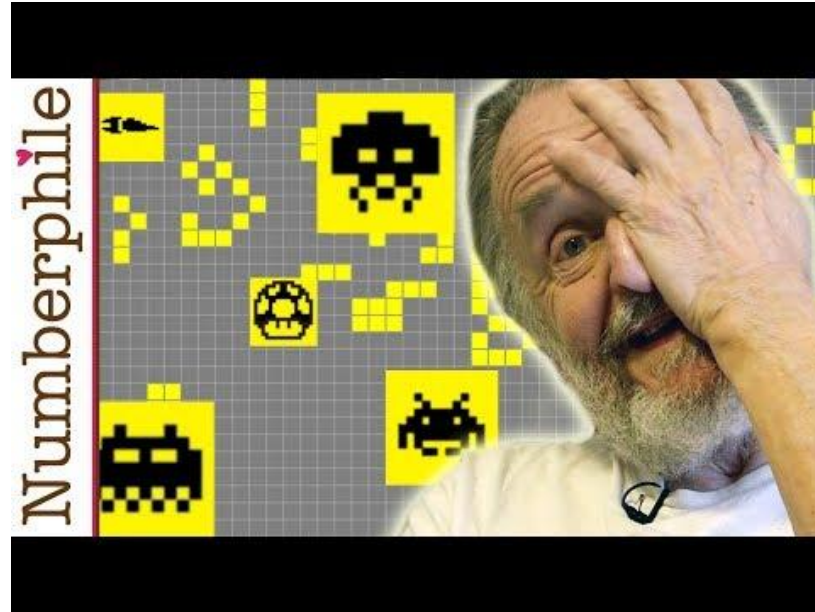
Automaton & Population Modeling

Download the starter code:
bit.ly/cs106sss

Plan For Today

- 1) Game of Life
- 2) What is Population Modeling?
- 3) Predator vs Prey Automaton

What is the Game of Life?

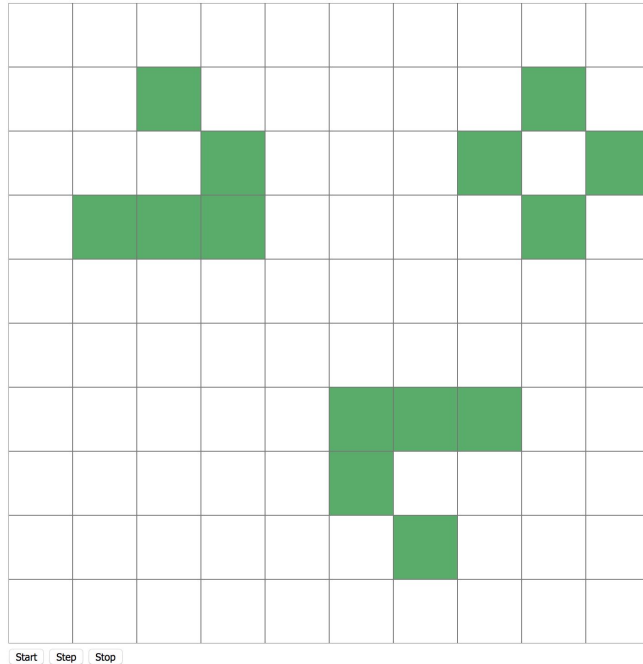


What are the rules?

1. If the cell is empty, and has 3 neighbors, it is born.
2. If it is alive, and has more than 3 neighbors, it dies from overpopulation.
3. If it is alive, and has less than 2 neighbors, it dies from isolation.
4. Otherwise, the cell remains the same.

How can we represent this on a computer?

CS106 SSS: Population Modeling



Open the Starter Code, let's see it!

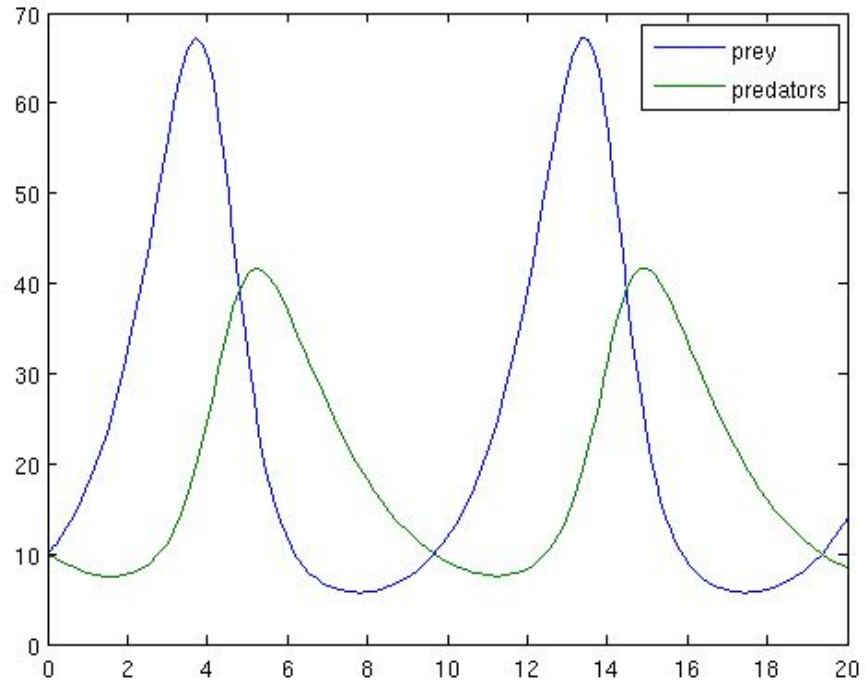
bit.ly/cs106sss

Subtle detail: why do we setNext, and then update?

Fill in the blanks, let's get it working!

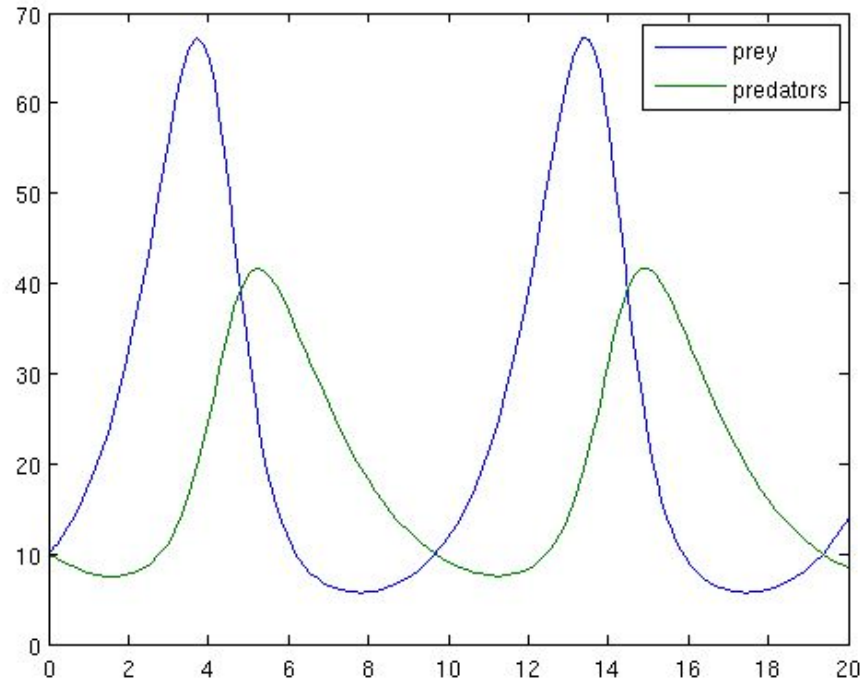
bit.ly/cs106sss

Predator v. Prey Modeling



1. The prey population finds ample food at all times.
2. The food supply of the predator population depends entirely on the size of the prey population.
3. The rate of change of population is proportional to its size.
4. During the process, the environment does not change in favour of one species, and genetic adaptation is inconsequential.
5. Predators have limitless appetite.

Lotka Volterra Equations



$$\frac{dx}{dt} = \alpha x - \beta xy,$$
$$\frac{dy}{dt} = \delta xy - \gamma y,$$

What do they mean?

reproduction

↑

Prey: $\frac{dx}{dt} = \alpha x - \beta xy,$ ↗ predation

Pred: $\frac{dy}{dt} = \delta xy - \gamma y,$ ↘ competition

↓

hunting

Can we adapt the Game of Life to model this, and take into consideration space, with roughly the same results?

<http://www.vuuren.co.za/Theses/Project2.pdf>

Algorithm 3.1 Simple predator-prey rules

```
1: procedure APPLYRULES
2:    $d_p$  is prey death rate
3:    $b_p$  is prey birth rate
4:    $d_h$  is predator death rate
5:    $b_h$  is predator birth rate
6:   for all cells do
7:      $x \leftarrow$  next cell
8:     Evaluate state of  $x$ 
9:     if  $x$  is prey then
10:        $r \sim U(0, 1)$ 
11:       Evaluate Moore neighbourhood  $\mathcal{M}$  of  $x$ 
12:        $nPred$  = number of predators in  $\mathcal{M}$ 
13:       (1) if  $r < (1 - d_p)^{nPred}$  then
14:         Hunt failed/no predators, cell stays prey
15:       else
16:         (2)  $r_h \sim U(0, 1)$ 
17:         if  $r_h < b_h$  then
18:           Cell becomes predator by breeding
19:       else if  $x$  is predator then
20:          $r \sim U(0, 1)$ 
21:         (3) if  $r < d_h$  then
22:           Cell becomes empty due to predator death
23:         else
24:           Cell stays predator
25:       else if  $x$  is empty then
26:         Evaluate Moore neighbourhood  $\mathcal{M}$  of  $x$ 
27:         (4)  $nPred$  = number of predators in  $\mathcal{M}$ 
28:          $nPrey$  = number of prey in  $\mathcal{M}$ 
29:         if  $nPrey = 0$  or  $nPred > 0$  then
30:           Cell remains empty
31:         else
32:         (5)  $r \sim U(0, 1)$ 
33:         if  $r < (1 - b_p)^{nPrey}$  then
34:           Cell becomes prey by breeding
```

(1) prob. prey survives $nPred$ attacks

(2) prob. predator reproduces

(3) prob. predator dies

(4) no reproduction if predators around

(5) prob. $nPrey$ reproduces if no predators around

First, switch the logic files!

```
<!-- Logic for Game: choose one of the below -->  
<!-- <script type="text/javascript" src="life.js"></script> -->  
<script type="text/javascript" src="prey.js"></script>
```

Remainder of Class: Prey v. Pred

Your Final Goal: Look into possible extensions and implement/try to implement a feature that would augment our current app.

Check-Off

Announced in Class