## Naive Analysis

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- $\square$  Pair each treated strip with an adjacent strip of untreated harvest passes.
- ☐ Calculate mean yields for all yield data points in each strip.
- ☐ Analyze as if each strip were a plot in a small-plot experiment (RCB, 2 treatments, 4 replicates)
- ☐ Write a model

$$\begin{aligned} y_{ij} &= \mu + \rho_j + \tau_i + e_{ij} \\ \tau_0 &= \text{unsprayed}, \tau_1 = \text{sprayed}, \rho_1 ... \rho_4 = \text{pairs}, e_{ij} \sim \mathcal{N}\left(0, \sigma^2\right) \end{aligned}$$

☐ State a null hypothesis

$$H_0: \tau_1 = \tau_2 = 0$$

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(Naive in the sense of ignoring aspects of experimental design)

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