

Quantitative Text Analysis

Meeting 6

Petro Tolochko

Machine Learning

- Supervised
 - An outcome variable is defined
 - Focus is on prediction
- Unsupervised
 - No outcome variable has been defined
 - Focus is on patterns

Machine Learning

- **Supervised**
 - **An outcome variable is defined**
 - **Focus is on prediction**
- Unsupervised
 - No outcome variable has been defined
 - Focus is on patterns

Supervised

- Objective:
 - Classification of documents into pre existing categories

Supervised

- Create a labeled data set
- Classify documents with supervised learning algorithm
- Check performance

Labeled Dataset

- How:
 - Human coders annotate parts of the corpus (what we did together)
 - Found data (e.g., self-reported profession in users' profile)
- Considerations:
 - Sampling should be representative for the corpus (e.g., Random, Stratified sample e.g., across time and source)
 - Quality of human coding matters (Assess the intercoder reliability)
 - Number of documents

Labeled Dataset

- Number of documents
 - the higher the number of categories and the lower the reliability of the coders, the higher the number of documents (Barberá et al., 2021)
- increase the sizes of manually coded validation dataset as large as possible (e.g., more than 1% of all data to be examined), assuming acceptable reliability (equal to or higher than .7) (Song et al., 2021)

Splitting the Data

- Split labeled data in training data and test data (validation data)
- Training data
 - The subset that is used to learn the model parameters
- Test data
 - Another subset used to evaluate the model's predictive quality
 - Not used for learning!
- Validation data

Document Classification

- Classifier learns the mapping between features and the labels in the training set
- define a model $Y=g(X)$
- And apply a learning algorithm to establish which features in X (features extracted from the training documents) matter to recover Y (i.e, the labels of the training documents)
- We fit the model

Machine Learning 101

Machine Learning 101

- Model:

$$Y = f(X)$$

- Objective function (e.g.):

$$MSE = \frac{1}{n} \sum_{i=1}^n (Y_i - \hat{Y}_i)^2$$

- Optimisation:

$$\operatorname{argmin}_{\hat{Y}} \frac{1}{n} \sum_{i=1}^n (Y_i - \hat{Y}_i)^2$$

Machine Learning 101

- Model:

$$Y = f(X)$$

- Objective function (e.g.):

$$MSE = \frac{1}{n} \sum_{i=1}^n (Y_i - \hat{Y}_i)^2$$

- Optimisation:

$$\operatorname{argmin}_{\hat{Y}} \frac{1}{n} \sum_{i=1}^n (Y_i - \hat{Y}_i)^2$$

Machine Learning 101

- Model:

$$Y = f(X)$$

Machine

- Objective function (e.g.):

$$MSE = \frac{1}{n} \sum_{i=1}^n (Y_i - \hat{Y}_i)^2$$

- Optimisation:

$$\operatorname{argmin}_{\hat{Y}} \frac{1}{n} \sum_{i=1}^n (Y_i - \hat{Y}_i)^2$$

Learning

Classify documents with supervised learning

- Considerations:
 - Feature representation (Bag of words representation or embeddings)
 - Feature selection (remove irrelevant features)
 - Classifier selection
 - E.g., Naive Bayes, SVM, KNN, or ensemble methods

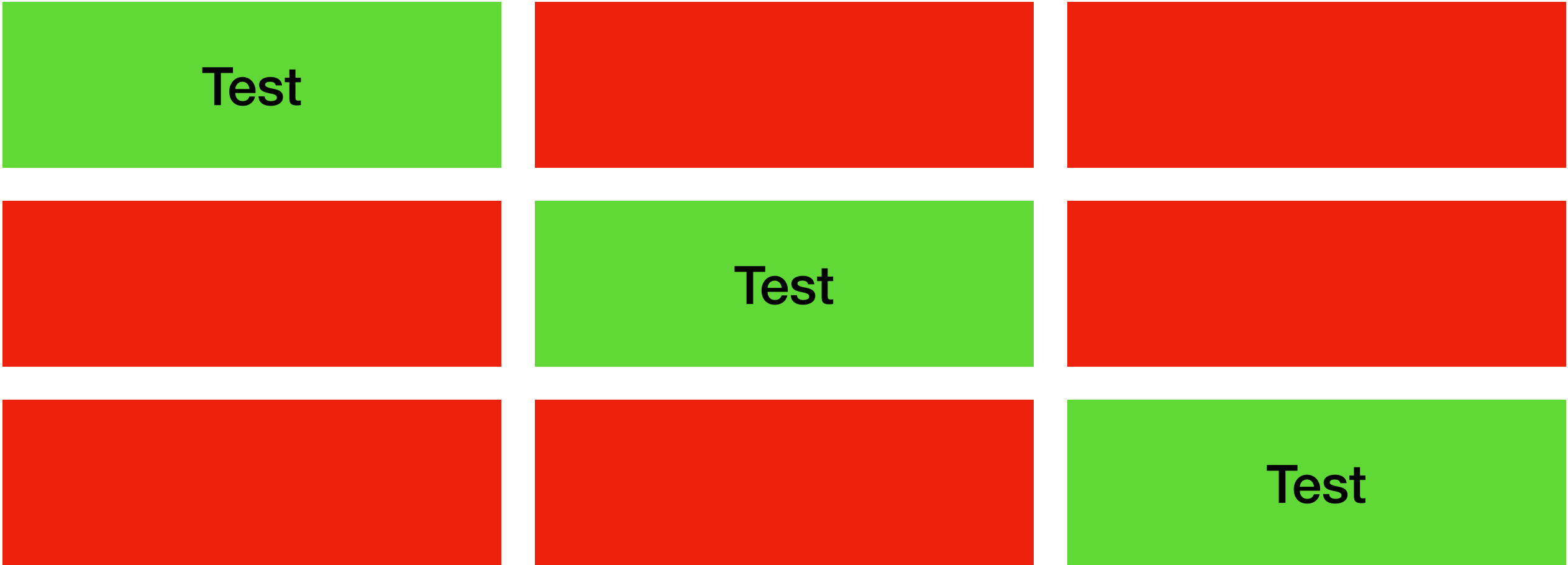
Checking Performance

- The fitted model (the trained classifier) is applied to a held-out test set (which is a part of the labeled set but was not used for training the model).
- Considerations:
 - Danger of overfitting (focus on features that work well with training set but do not generalize)
 - Solutions: cross-validation
 - Performance metric (i.e., recall, precision)

Checking performance

- k-fold cross-validation
 - We randomly split the data into k sets (“folds”) of roughly equal size
 - Each set is hold out once as test set, while training on the remaining sets
 - The problem of a lucky split is reduced

K-Fold Cross-Validation



Confusion Matrix

	Actual label	
	Negative	Positive
Negative	True negative	False positive
Positive	False negative	True positive

Precision/Recall

$$\textit{Accuracy} = \frac{\textit{True Negative} + \textit{True Positive}}{\textit{True Negative} + \textit{True Positive} + \textit{False Negative} + \textit{True Positive}}$$

$$\textit{Precision}_{\textit{positive}} = \frac{\textit{True Positive}}{\textit{True Positive} + \textit{False Positive}}$$

$$\textit{Recall}_{\textit{positive}} = \frac{\textit{True Positive}}{\textit{True Positive} + \textit{False Negatives}}$$

Dictionary vs. supervised machine learning

- Dictionaries can be applied directly to a new corpus (but validate!)
- Supervised machine learning requires (potentially larger amounts) labeled data
- If the training sample is large enough supervised learning will outperform dictionaries

Additional considerations

- Hyperparameter selection
 - Via systematic comparison of different hyperparameters per algorithm
- Random undersampling (Galar et al., 2011)
- Method to deal with unbalanced classes: use the max. number of positive instances per class and randomly sample the same number of instances of the negative class

Naïve Bayes Classifier

- Probabilistic classifier
- Simple
- Fast
- Good Accuracy

Bayes Theorem

$$P(A \mid B) = \frac{P(B \mid A) \times P(A)}{P(B)}$$

Bayes Theorem

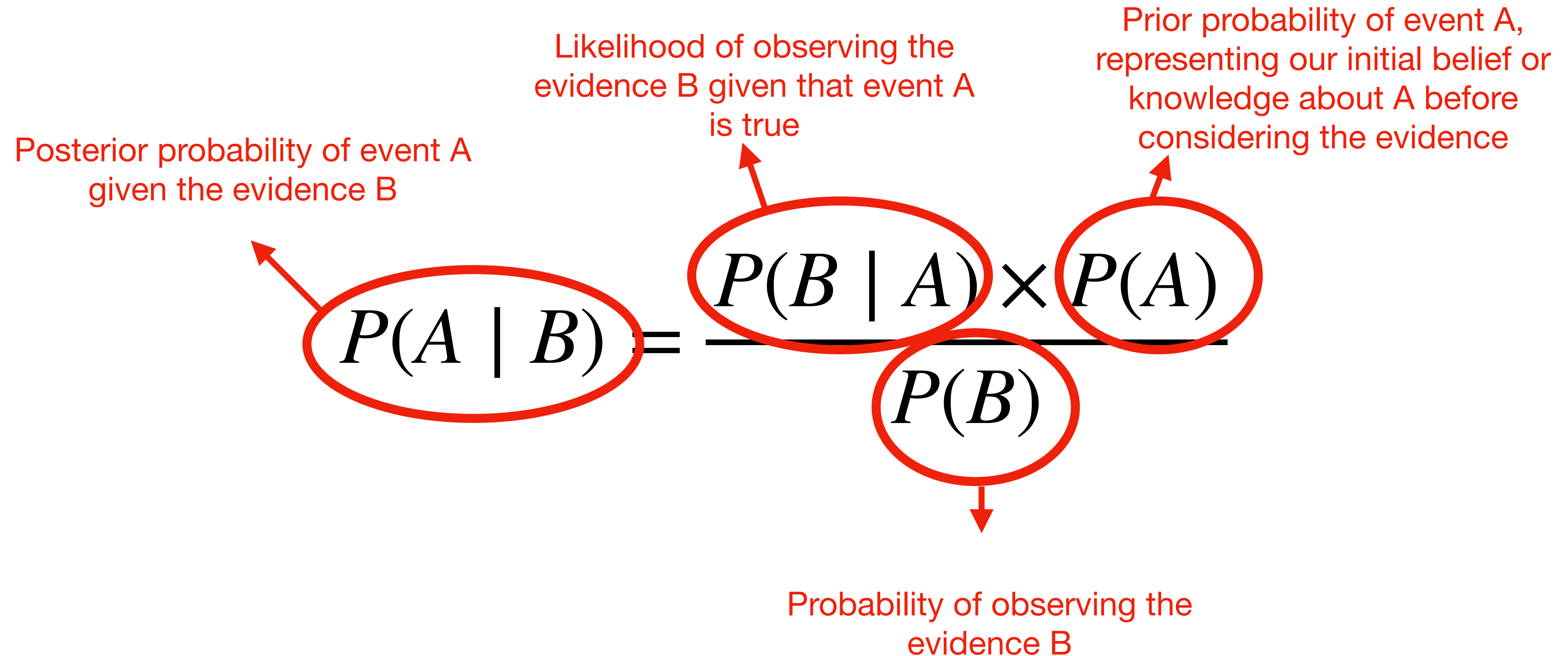


Diagram illustrating Bayes Theorem with annotations:

Posterior probability of event A given the evidence B

Likelihood of observing the evidence B given that event A is true

Prior probability of event A, representing our initial belief or knowledge about A before considering the evidence

Probability of observing the evidence B

$$P(A | B) = \frac{P(B | A) \times P(A)}{P(B)}$$

The diagram shows the Bayes Theorem formula with red ovals highlighting each term. Red arrows point from descriptive text labels to these terms: 'Posterior probability of event A given the evidence B' points to $P(A | B)$; 'Likelihood of observing the evidence B given that event A is true' points to $P(B | A)$; 'Prior probability of event A, representing our initial belief or knowledge about A before considering the evidence' points to $P(A)$; and 'Probability of observing the evidence B' points to $P(B)$.

Bayes Theorem

$$P(A|B) \propto P(B|A) \times P(A)$$

Naïve Bayes Classifier

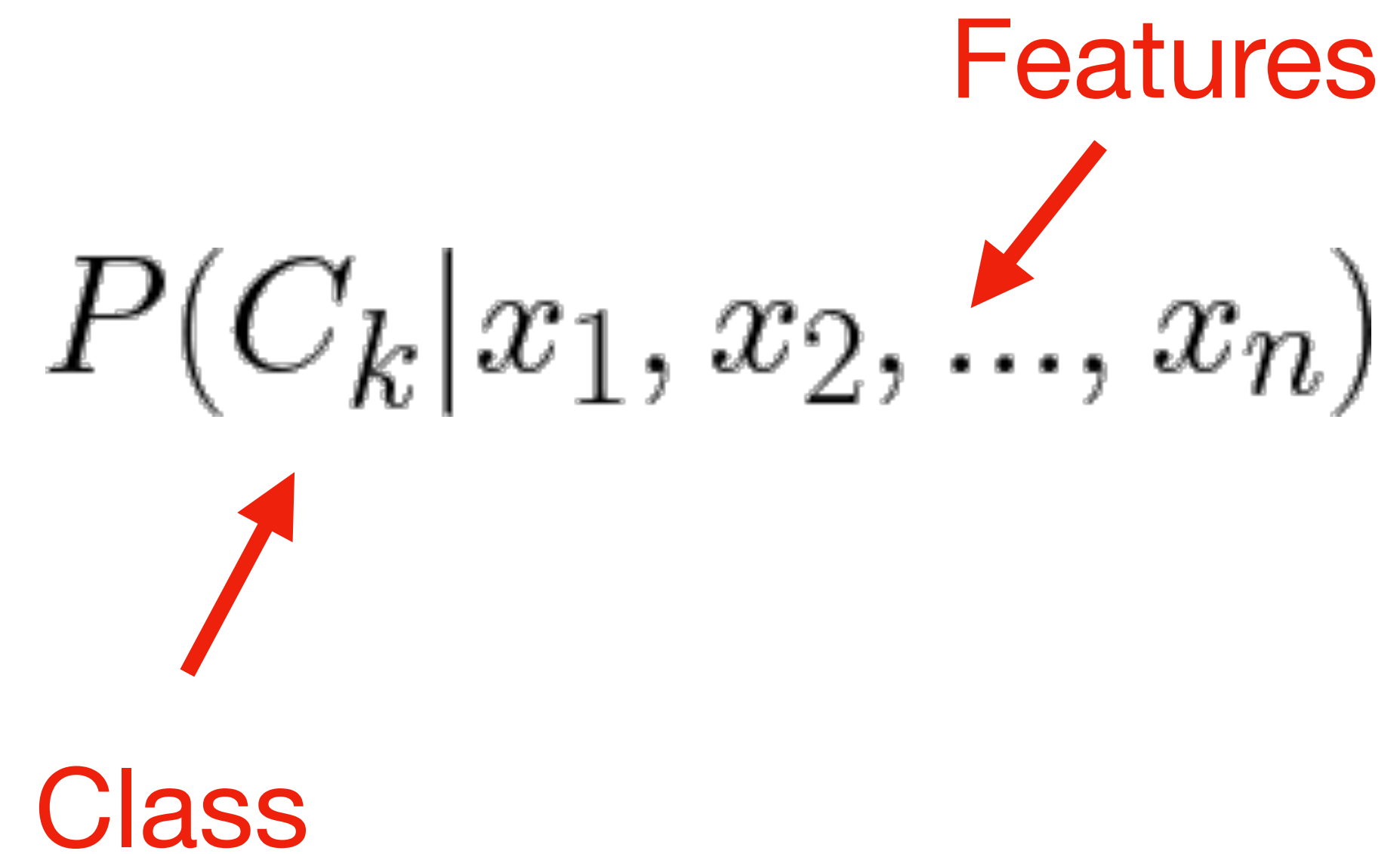
$$P(C_k | x_1, x_2, \dots, x_n)$$

Naïve Bayes Classifier

$$P(C_k | x_1, x_2, \dots, x_n)$$

Features

Class



The diagram shows the equation $P(C_k | x_1, x_2, \dots, x_n)$ in a black serif font. A red arrow points from the word 'Features' to the ellipsis '...', and another red arrow points from the word 'Class' to the term C_k .

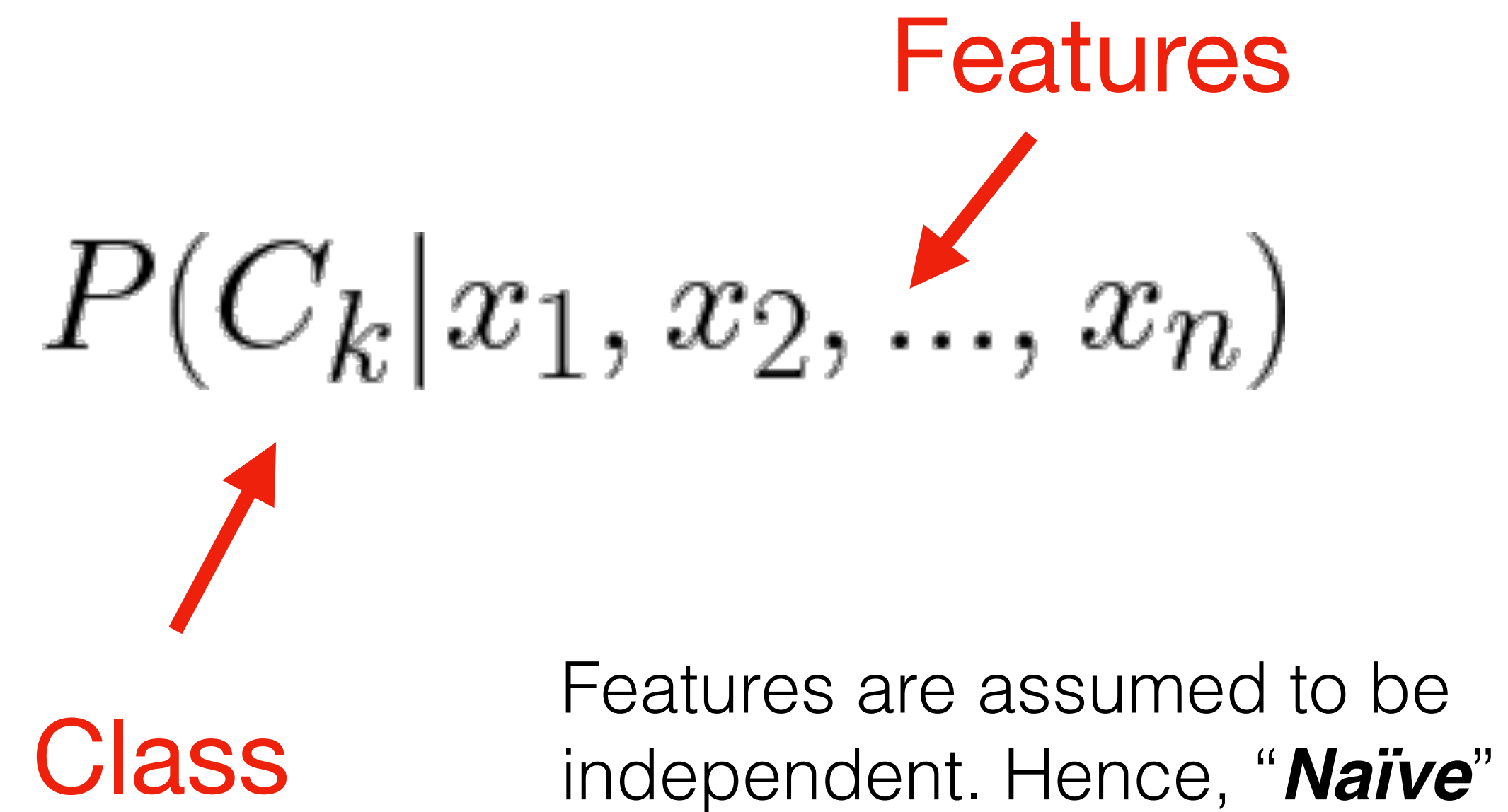
Naïve Bayes Classifier

$$P(C_k | x_1, x_2, \dots, x_n)$$

Class

Features

Features are assumed to be independent. Hence, “**Naïve**”

The diagram shows the probability equation for a Naïve Bayes Classifier. The equation is $P(C_k | x_1, x_2, \dots, x_n)$. A red arrow points from the label "Class" to the term C_k in the numerator. Another red arrow points from the label "Features" to the ellipsis \dots in the denominator. Below the equation, a text block explains the "Naïve" assumption: "Features are assumed to be independent. Hence, “**Naïve**”".

Naïve Bayes Classifier

$$P(C_k|\mathbf{x}) = \frac{P(C_k) \times P(\mathbf{x}|C_k)}{P(\mathbf{x})}$$

Naïve Bayes Classifier

$$P(C_k|\mathbf{x}) \propto P(C_k) \times P(\mathbf{x}|C_k)$$

Naïve Bayes Classifier

$$\begin{aligned} p(C_k \mid x_1, \dots, x_n) &\propto p(C_k, x_1, \dots, x_n) \\ &\propto p(C_k) p(x_1 \mid C_k) p(x_2 \mid C_k) p(x_3 \mid C_k) \cdots \\ &\propto p(C_k) \prod_{i=1}^n p(x_i \mid C_k), \end{aligned}$$

Decision Rule

$$\hat{y} = \operatorname{argmax} p(C_k) \prod_{i=1}^n p(x_i|C_k)$$

Naïve Bayes Classifier

- Implemented in many stats/ML packages

Support Vector Machine

- Comes from computer science
 - Very good
 - Rather difficult math
-
- Considered one of the best of-the-shelf classification algorithms

Hyperplane

- $n-1$ dimensional plane that separates the n -dimensional space

Hyperplane

- n-1 dimensional plane that separates the n-dimensional space
- 2-dimensional hyperplane:

$$\beta_0 + \beta_1 X_1 = 0$$

Hyperplane

- n-1 dimensional plane that separates the n-dimensional space
- 2-dimensional hyperplane:
- line equation

$$\beta_0 + \beta_1 X_1 = 0$$

Hyperplane

- n-1 dimensional plane that separates the n-dimensional space
- 2-dimensional hyperplane:
- line equation

$$\beta_0 + \beta_1 X_1 = 0$$

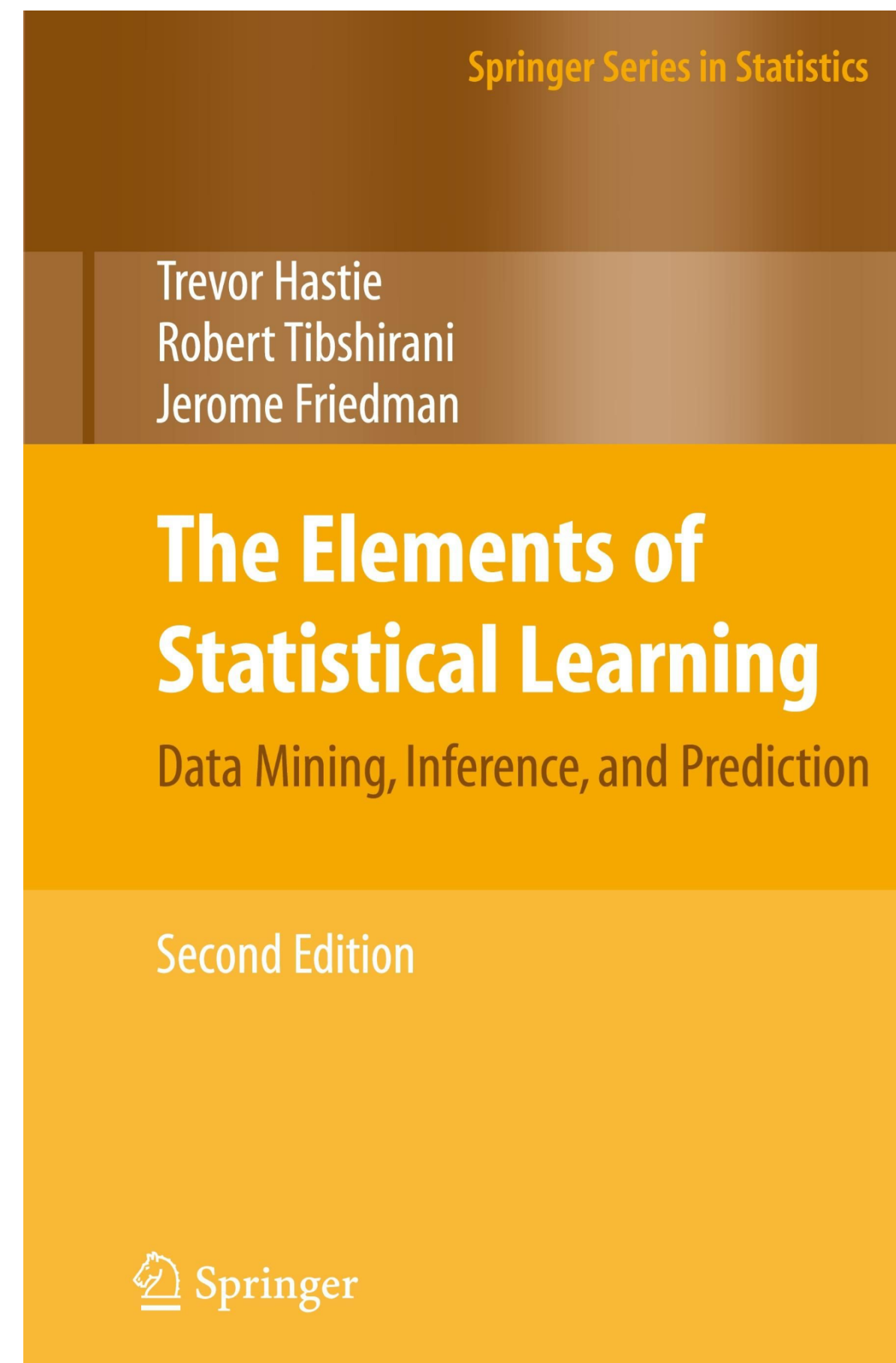
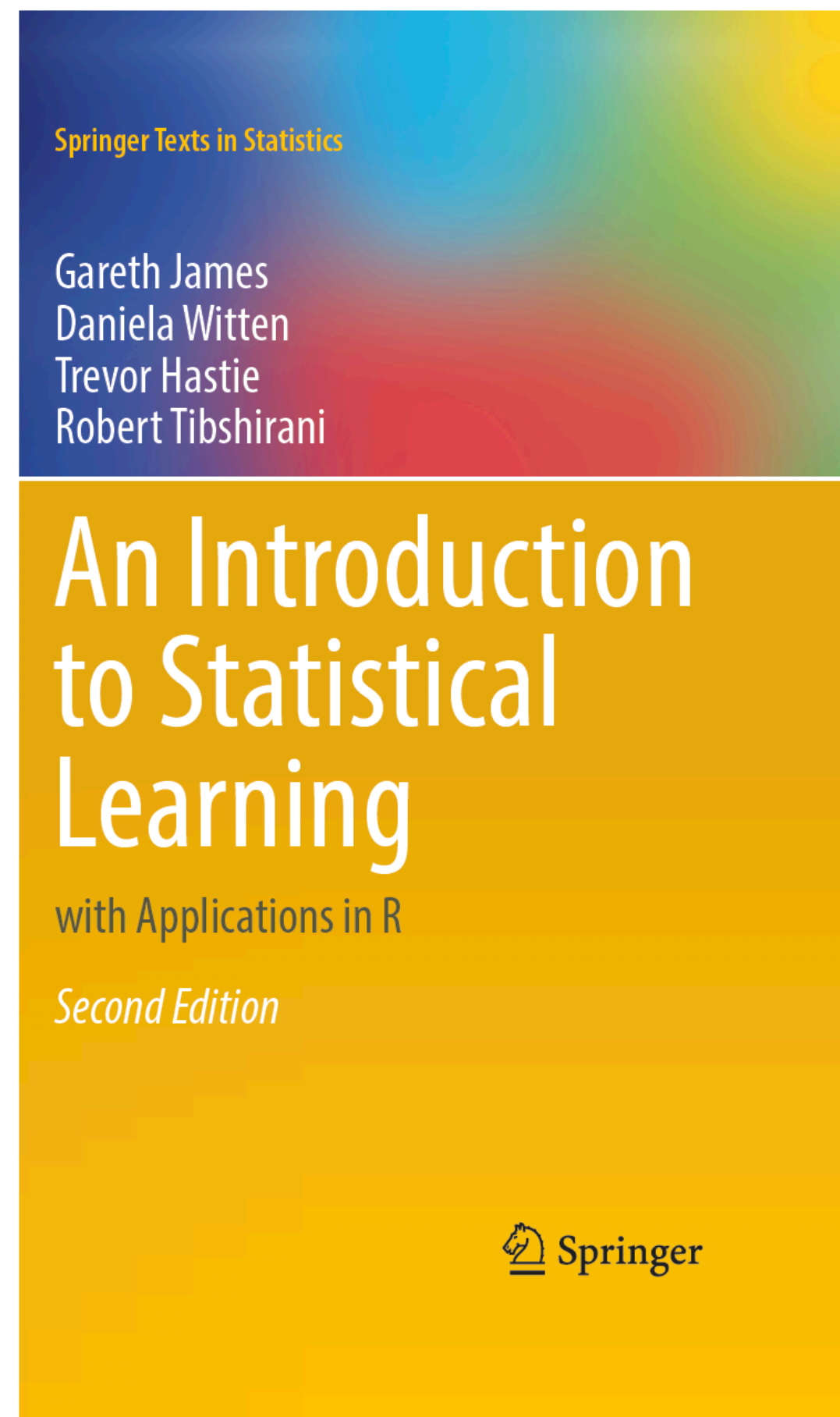
$$\beta_0 + \beta_1 X_1 + \beta_2 X_2 + \dots + \beta_p X_p = 0$$

Classification

$$\beta_0 + \beta_1 X_1 + \beta_2 X_2 + \dots + \beta_p X_p > 0.$$

$$\beta_0 + \beta_1 X_1 + \beta_2 X_2 + \dots + \beta_p X_p < 0,$$

Following images from:



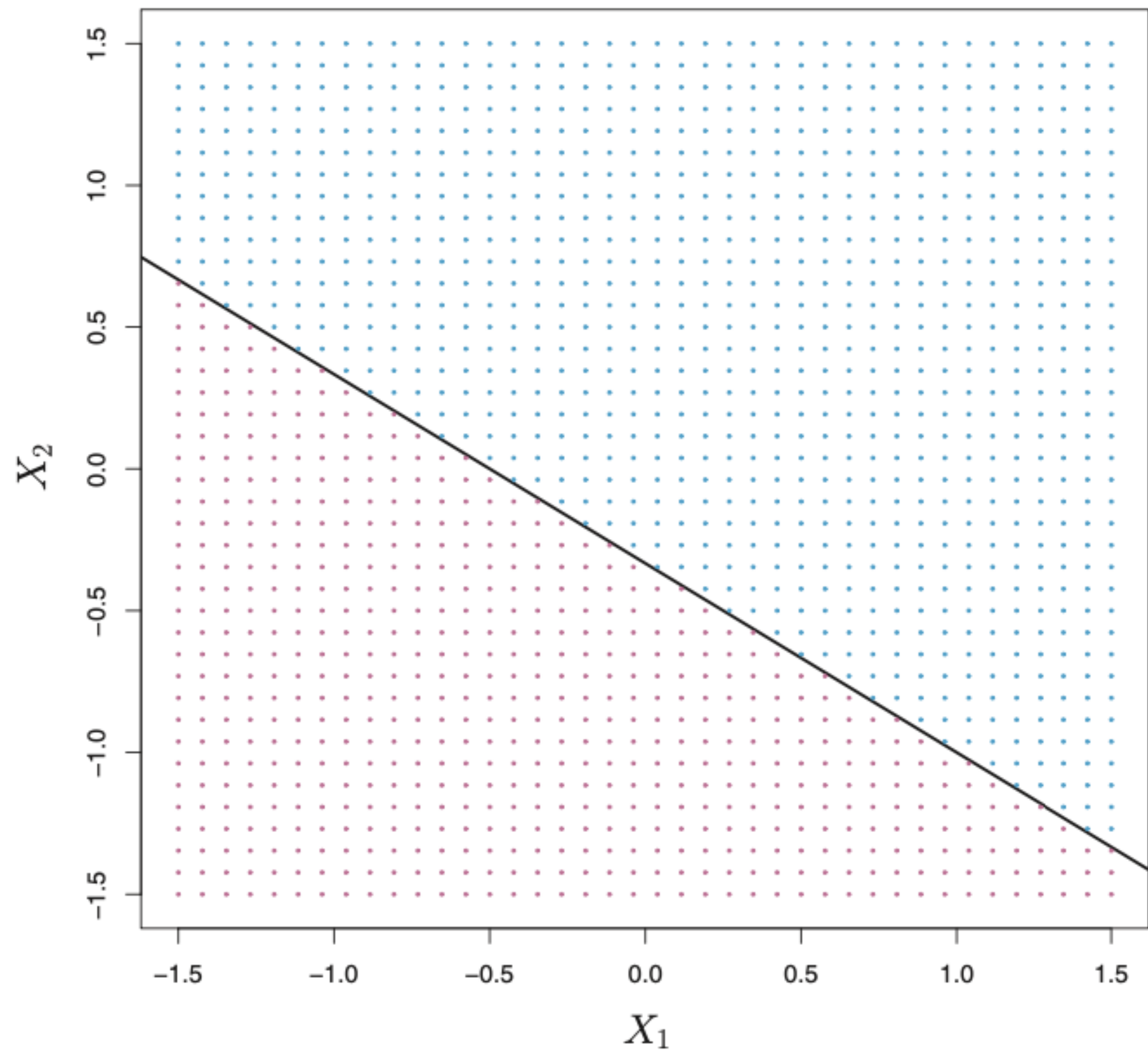
Springer Texts in Statistics

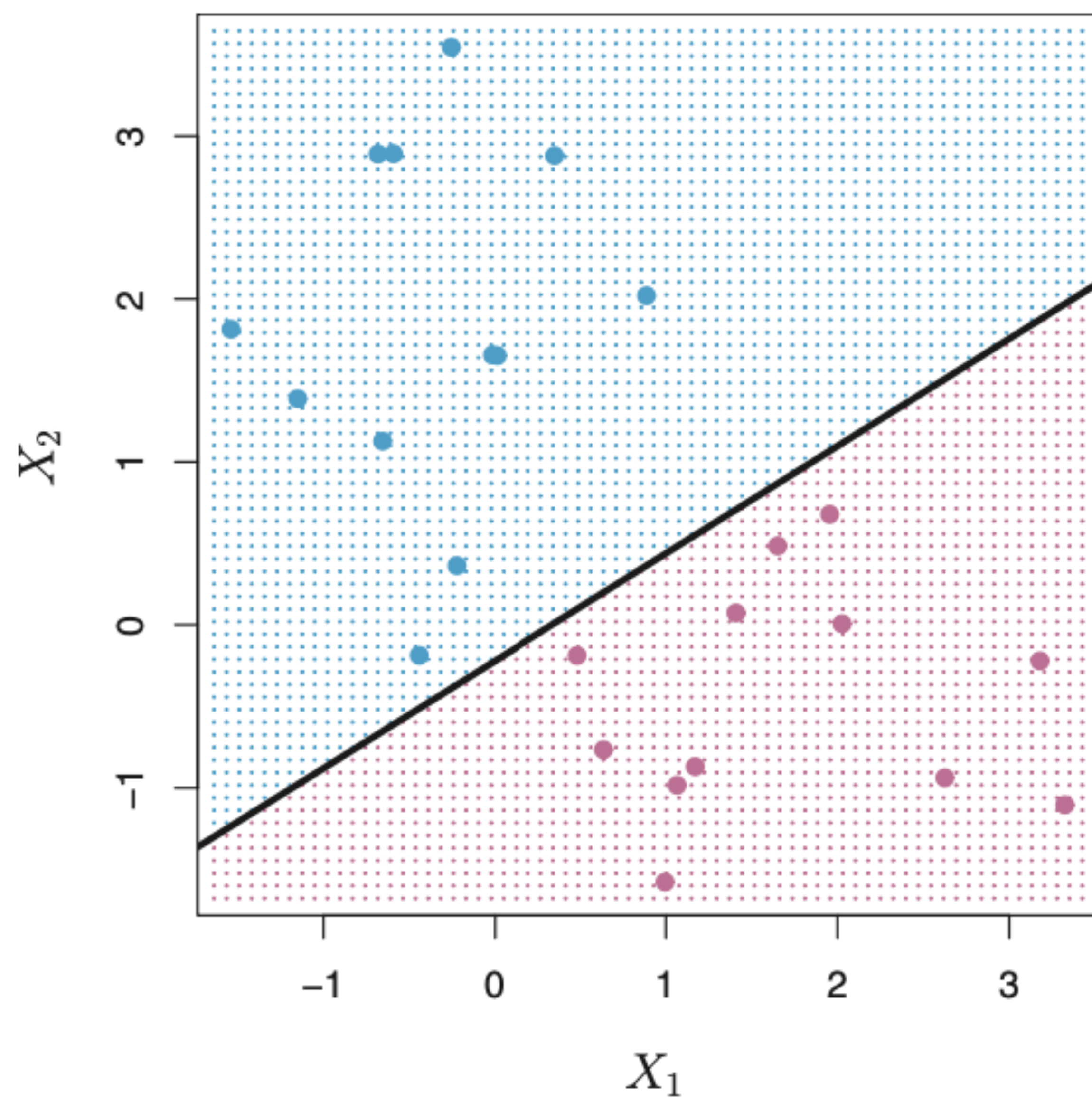
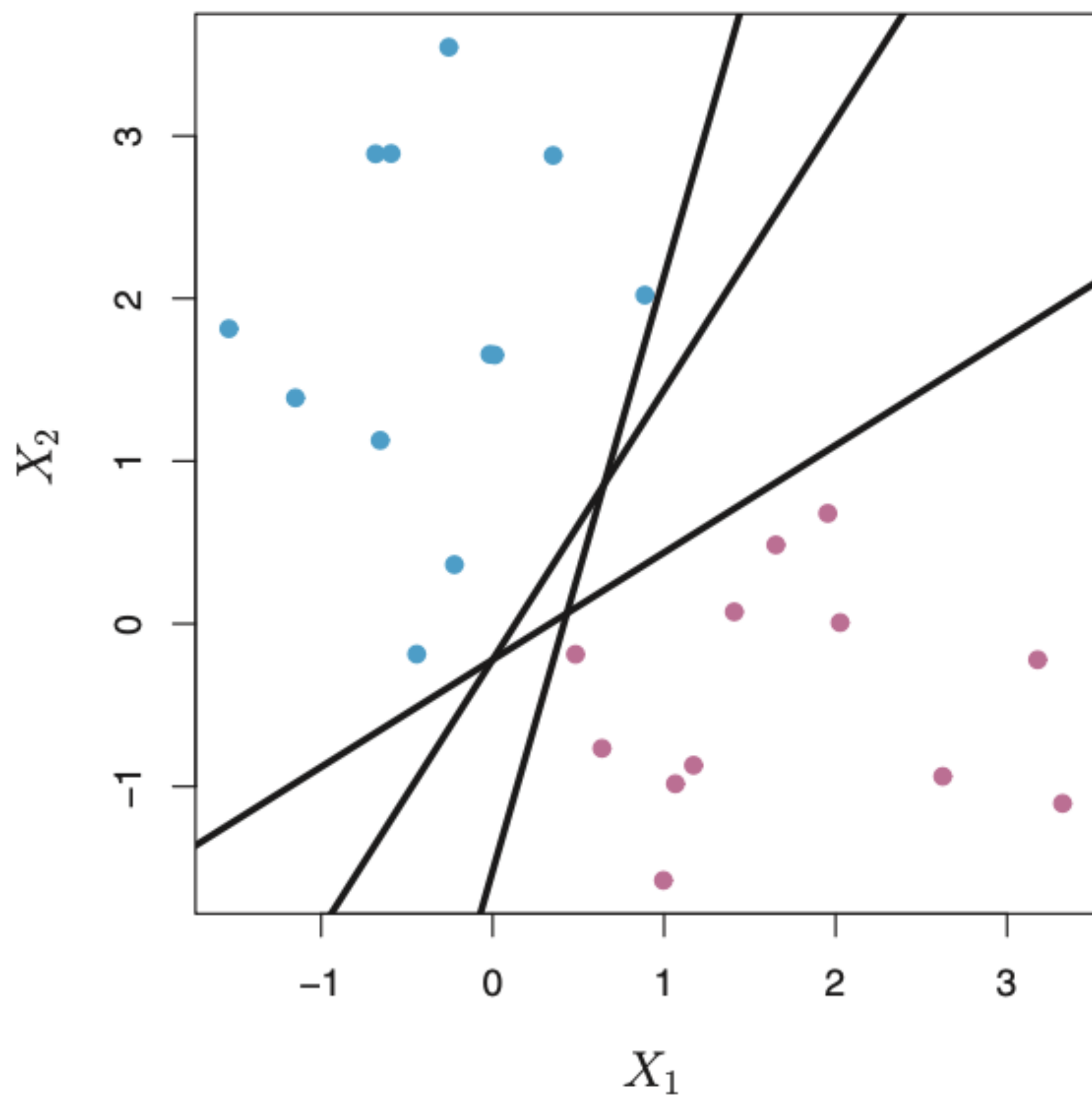
Gareth James · Daniela Witten · Trevor Hastie ·
Robert Tibshirani · Jonathan Taylor

An Introduction to Statistical Learning

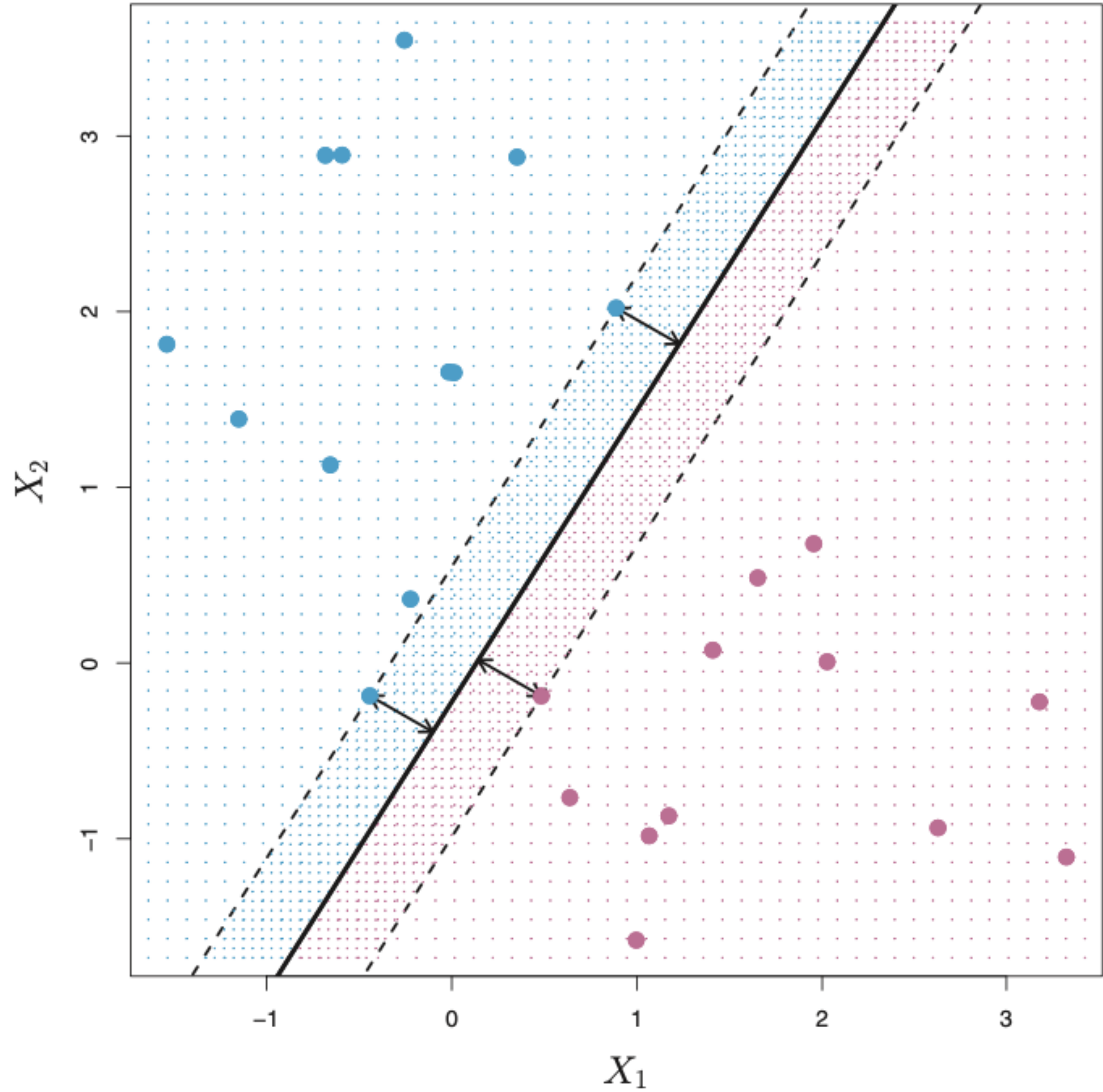
with Applications in Python

 Springer





SV Classifier



Support Vector Machine

- Non-linear version of the Support Vector Classifier
- Extension using Kernels

Support Vector Machines

$$f(x) = \beta_0 + \sum_{i \in \mathcal{S}} \alpha_i \langle x, x_i \rangle$$

$$f(x) = \beta_0 + \sum_{i \in \mathcal{S}} \alpha_i K(x, x_i)$$

Support Vector Machines

$$f(x) = \beta_0 + \sum_{i \in \mathcal{S}} \alpha_i \langle x, x_i \rangle$$

$$f(x) = \beta_0 + \sum_{i \in \mathcal{S}} \alpha_i K(x, x_i)$$



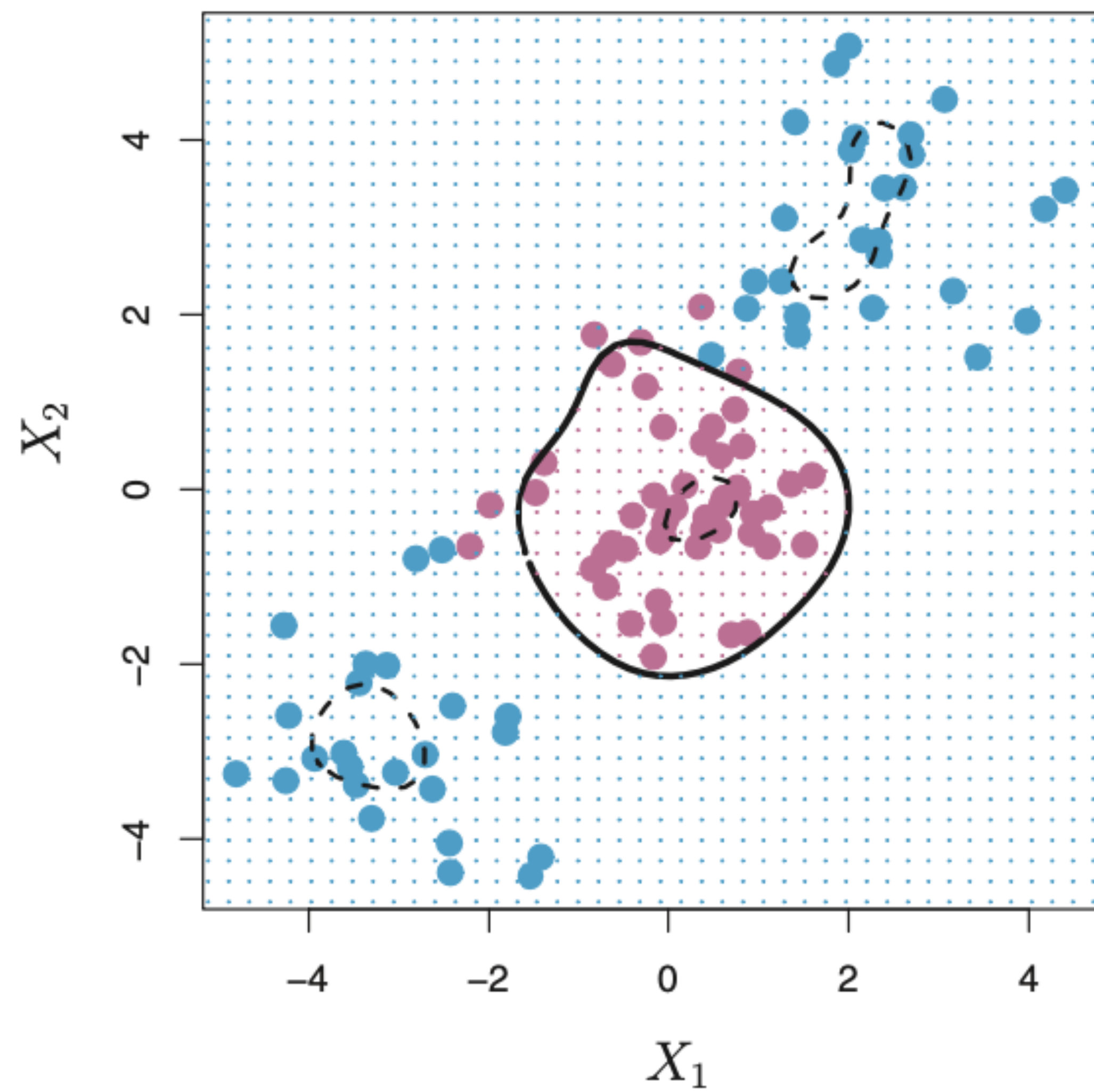
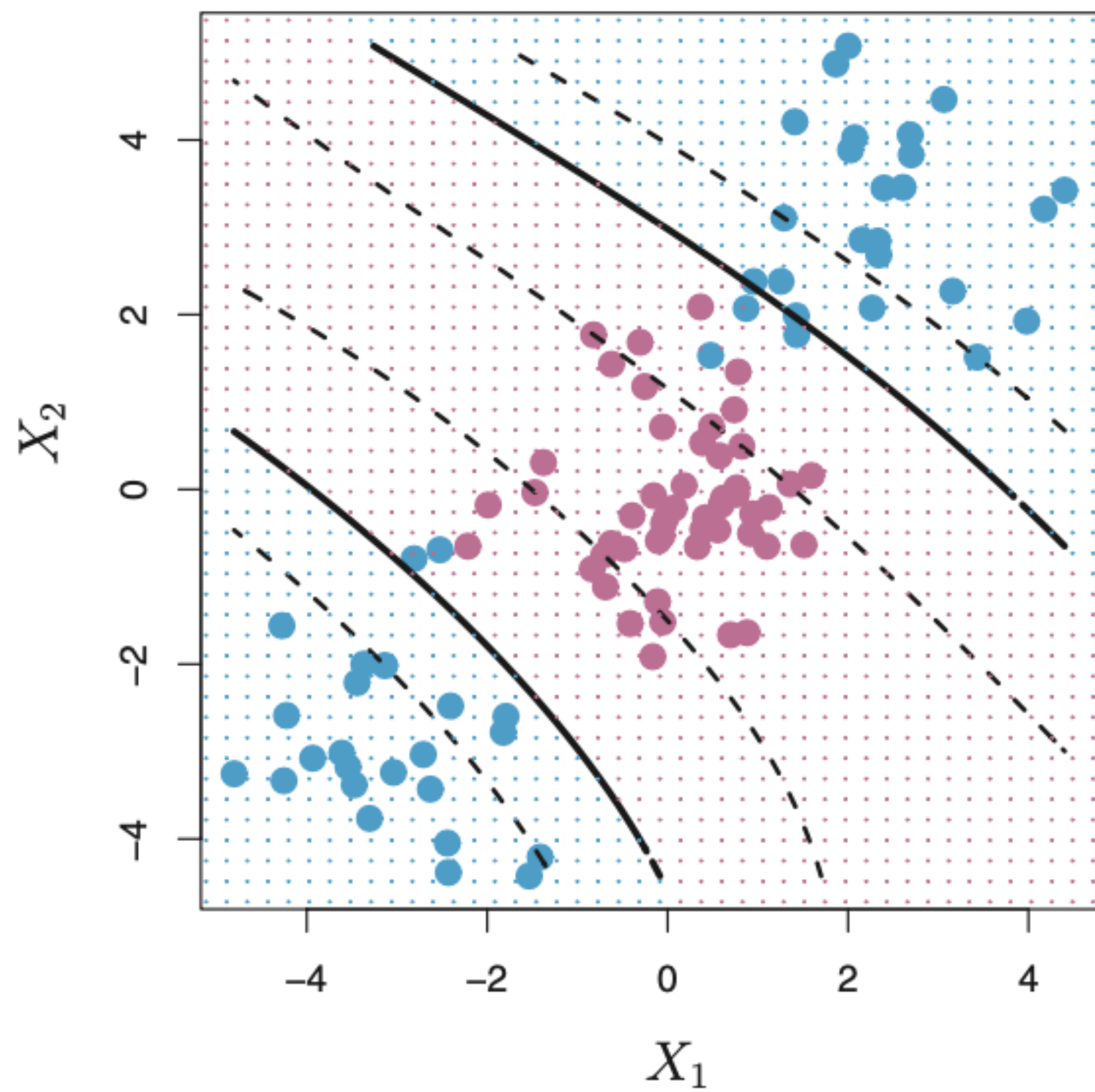
Kernel function

Support Vector Machines

$$K(x_i, x_{i'}) = \left(1 + \sum_{j=1}^p x_{ij} x_{i'j}\right)^d.$$

Polynomial Kernel





Kernel Trick

Kernel Trick

- Actual name
- Attempt to place n -dimensional data into $n+1$ dimensional space





-5.0 -2.5 0.0 2.5 5.0
x1

