

Prototyping a 2D Physics-Based Animation with Python

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Python Meetup - March 2019



Content

- Integration
 - Standard Plugin
 - Inter-process communication
- Solver
 - Solver in a Nutshell
 - Python Ecosystem

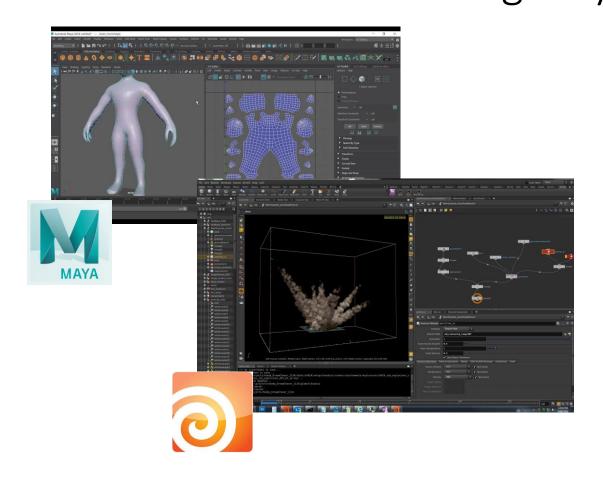
Physics-Based Animation

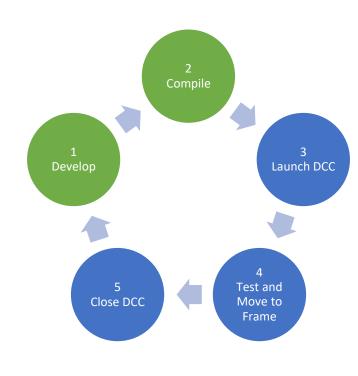






Traditional Integration Plugin System

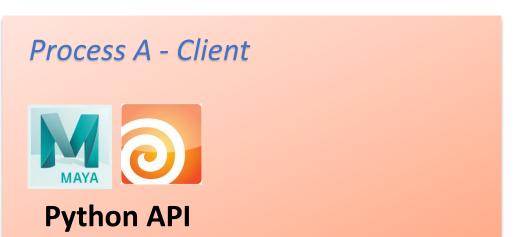




Process A - Client



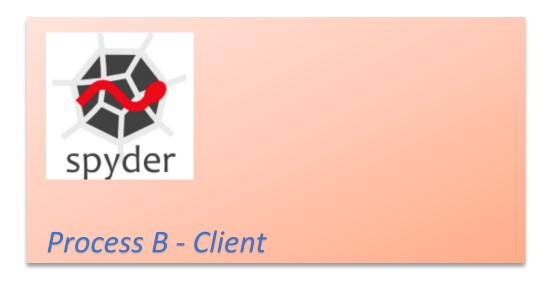




Process A - Client



Python API



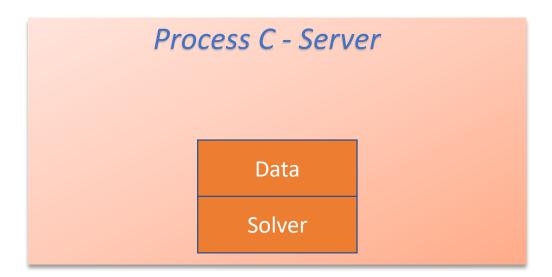
Process A - Client



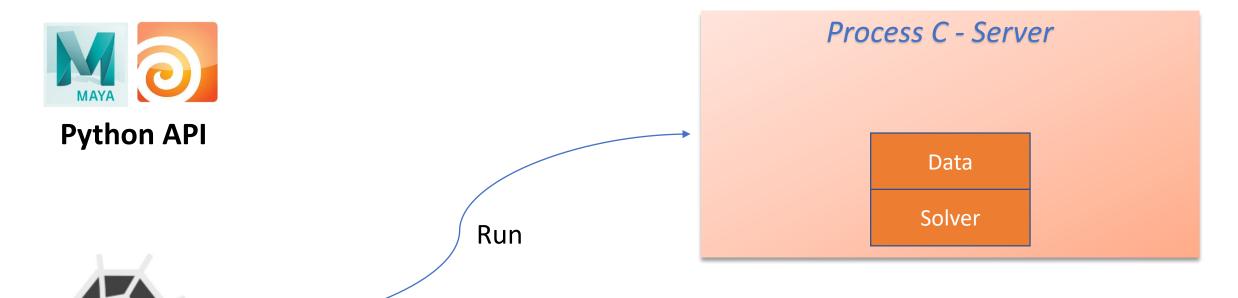
Python API



Process B - Client



Process A - Client



Process B - Client

spyder

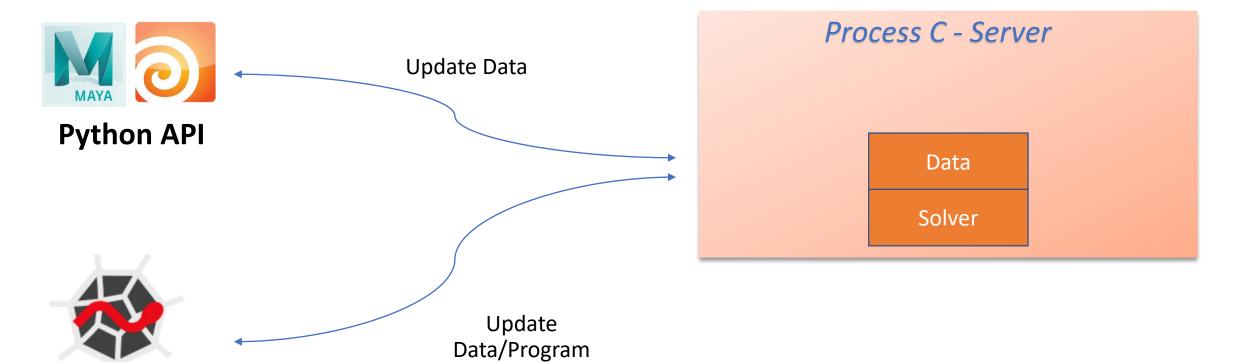
Process A - Client





Process B - Client

Process A - Client



Process B - Client

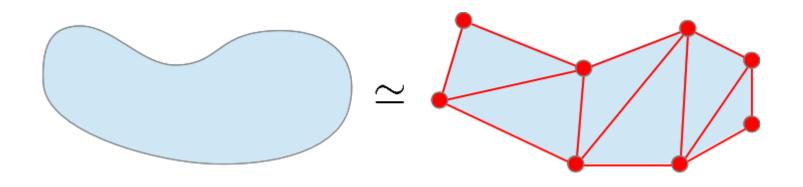
spyder



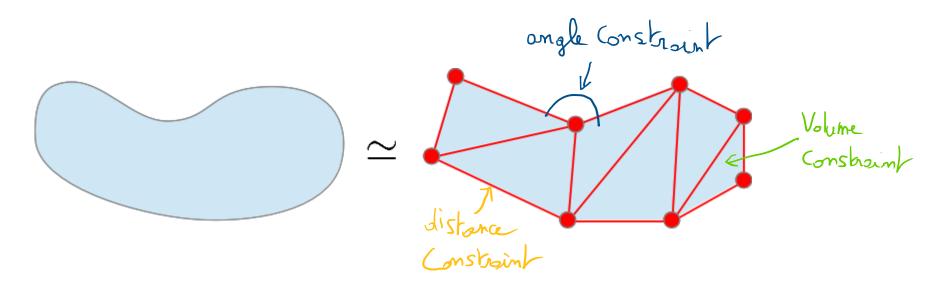


Solver in a Nutshell

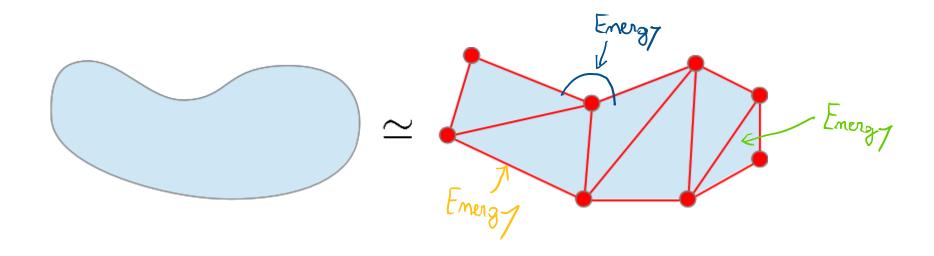
Discretization



Force Computation



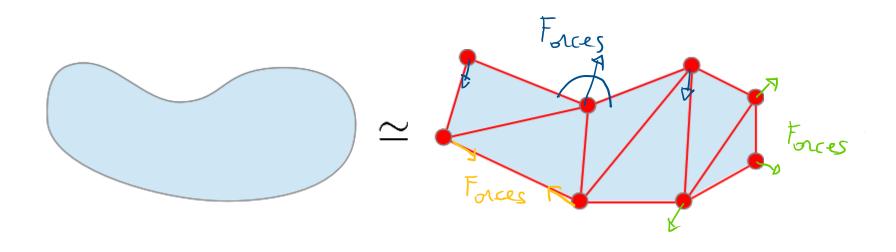
Force Computation



potential energy E based on constraint C

$$E(\mathbf{x}_1,\ldots,\mathbf{x}_n)=\frac{1}{2}kC(\mathbf{x}_1,\ldots,\mathbf{x}_n)^2$$

Force Computation



$$\mathbf{F}_{j}(\mathbf{x}_{1}, \dots, \mathbf{x}_{n}) = -\frac{\partial}{\partial \mathbf{x}_{j}} E(\mathbf{x}_{1}, \dots, \mathbf{x}_{n})$$

$$= -kC(\mathbf{x}_{1}, \dots, \mathbf{x}_{n}) \frac{\partial C(\mathbf{x}_{1}, \dots, \mathbf{x}_{n})}{\partial \mathbf{x}_{j}}$$

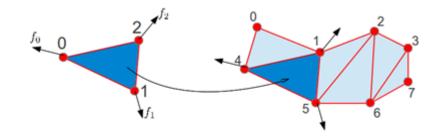
Forward in Time

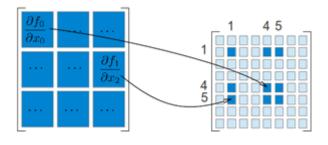
$$\left(M - \frac{\mathrm{d}f}{\mathrm{d}x}h^2\right)\Delta_v = h\left(f_0 + h\frac{\mathrm{d}f}{\mathrm{d}x}v_0\right)$$

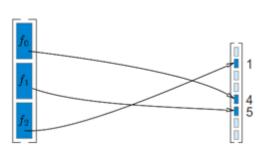


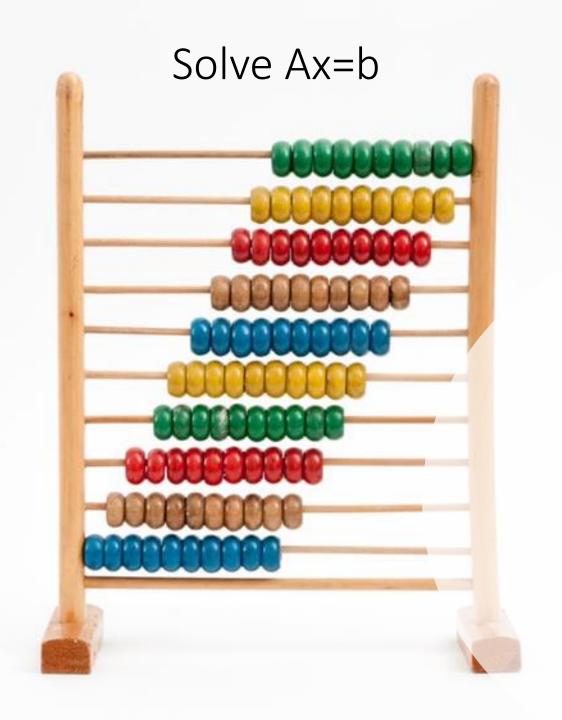










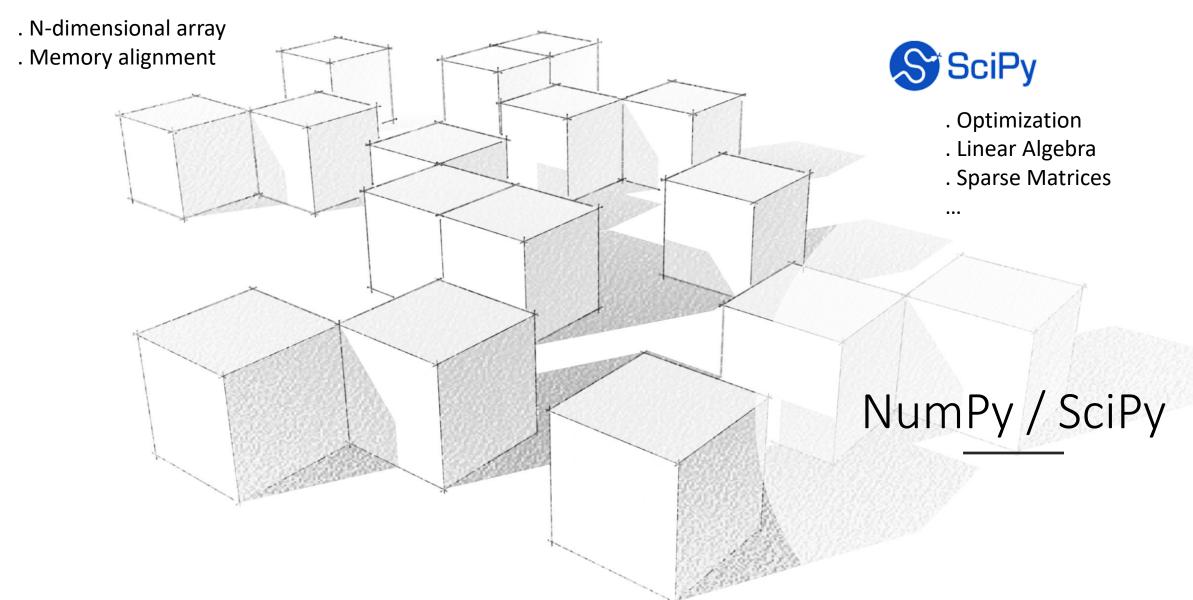


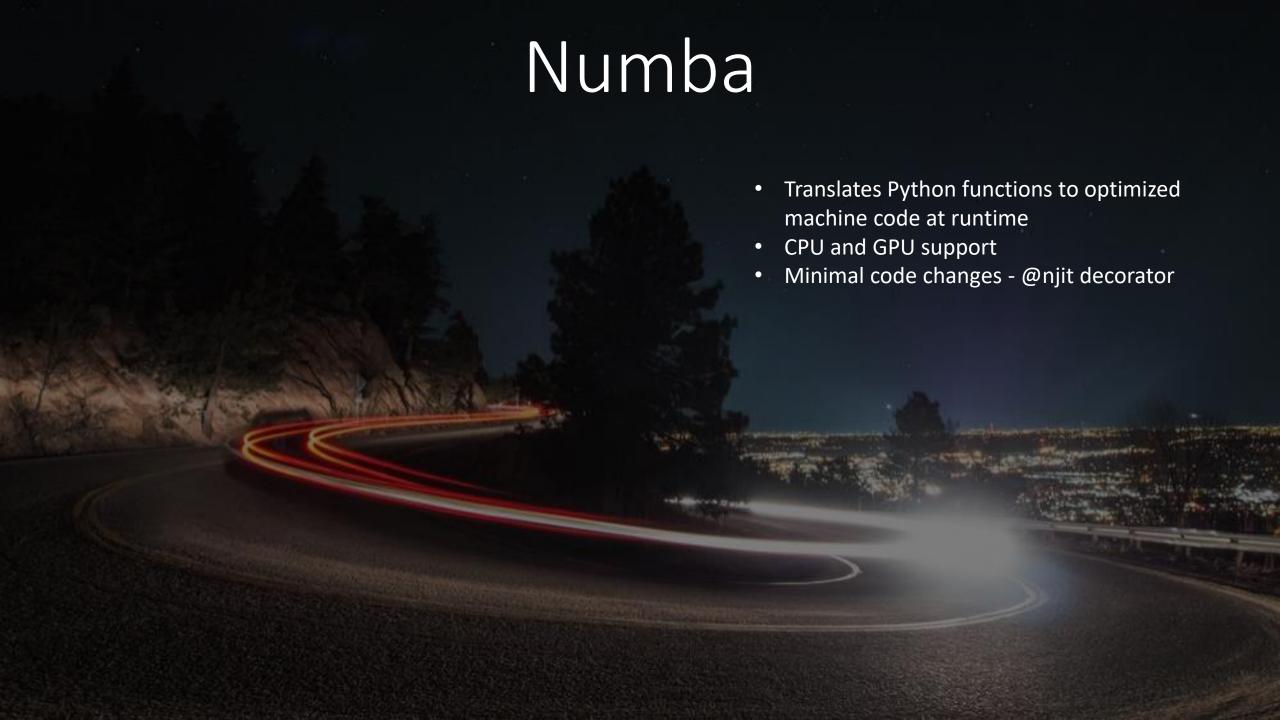
Do It Again

Implementation

Python + Numba / Julia







Numba

Benchmark

Apply $\sqrt{tan(x) cos(x)}$ on a 1-D array

L'HATE	Python	Numba	Numba MT
1e6	0.295 sec	0.009 sec	0.002 sec
1e7	3.01 sec	0.069 sec	0.016 sec
1e8	29.50 sec	0.689 sec	0.165 sec
1e9		10.939 sec	1.681 sec

@njit(parallel=True

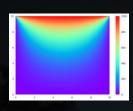
def run(array):
 for i in prange(array.shape[0]):
 array[i] = function(array[i])
 return array

- Translates Python functions to optimized machine code at runtime
- CPU and GPU support
- Minimal code changes @njit decorator

Numba

Benchmark

Solve $\nabla^2 f = 0$ on a 2-D array



	Python	Numba	Numba MT	
64x64 2000 iter.	9.696 sec	0.007 sec	0.012 sec	
128x128 10000 iter.		0.133 sec	0.131 sec	
256x256 50000 iter.		2.459 sec	1.401 sec	
512x512 250000 iter.	A SALONIA SALONIA	50.343 sec	19.872 sec	

- Translates Python functions to optimized machine code at runtime
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- Minimal code changes @njit decorator

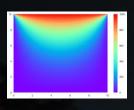
@njit(parallel=True)

```
def iteration(array):
  for i in prange(1, array.shape[0] - 1):
     for j in range(1, array.shape[1] - 1):
        next_x[i][j] = (x[i - 1][j] + x[i + 1][j] +
        x[i][j - 1] + x[i][j + 1]) * 0.25
```

Numba

Benchmark

Solve $\nabla^2 f = 0$ on a 2-D array



Stencil Op.	Python	Numba	Numba MT
8.192 millions	9.696 sec	0.007 sec	0.012 sec
163.840 millions	Control of the same	0.133 sec	0.131 sec
3.2768 billions		2.459 sec	1.401 sec
65.536 billions		50.343 sec	19.872 sec

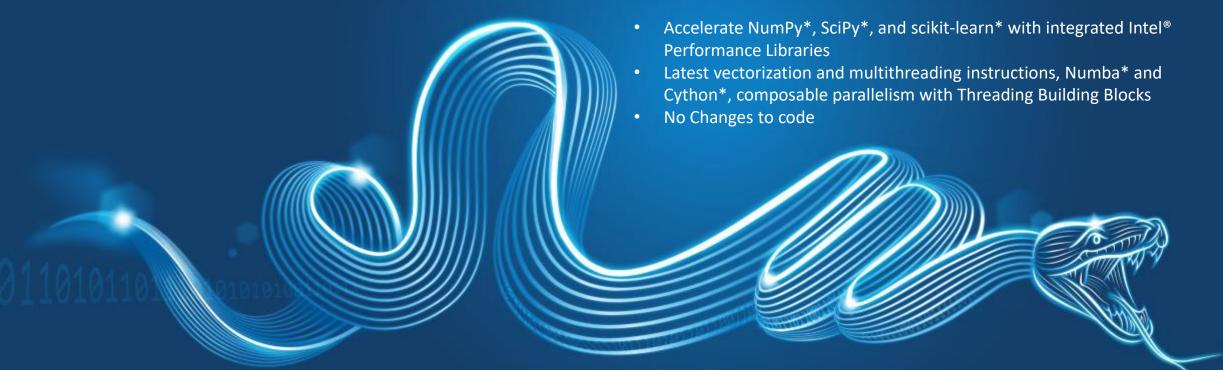
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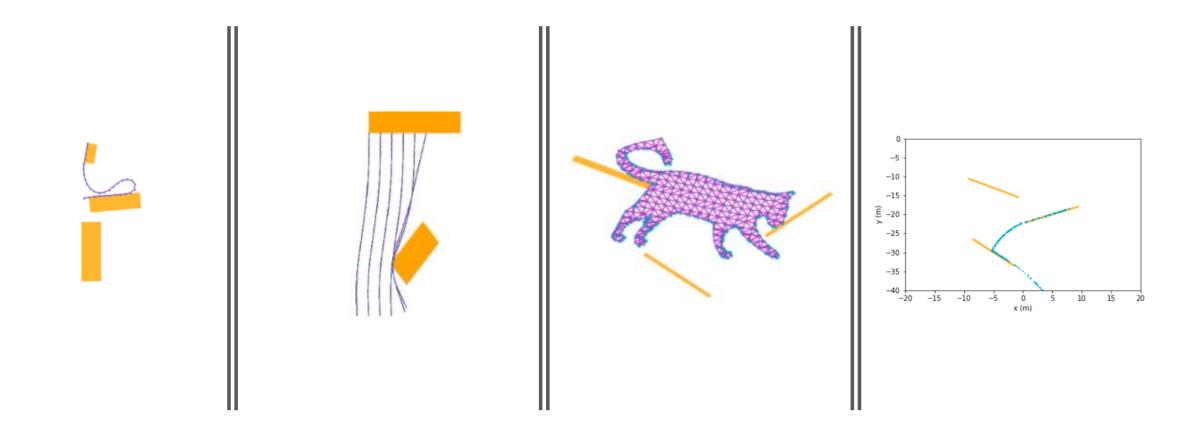
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```

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Results