CS1021 Introduction to Computing I Lecture Review

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Lecture 1 - Numeral Systems

A **bit** (**binary** dig**it**) is a unit of information which has only two possible states

For our purposes these states are a binary 0 or 1

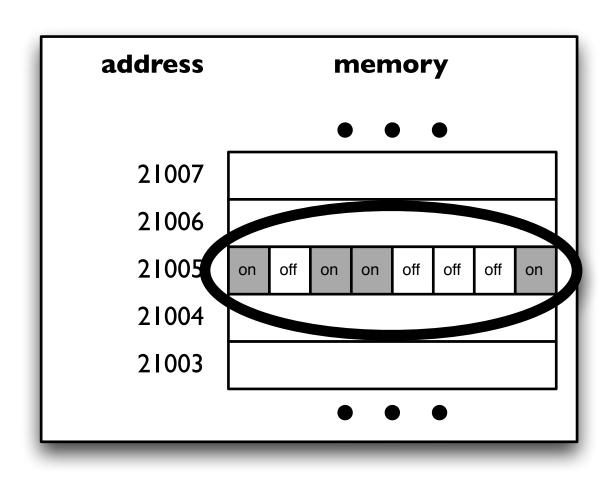
Memory is arranged in groups of Bytes.

8 bits = 1 byte

Each Memory address refers to a region of 8 bits (a byte)

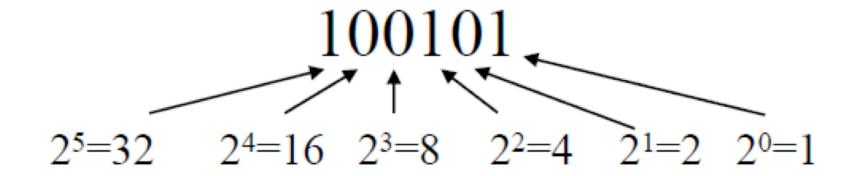
Binary Number System

- Counting in Binary (Should recall 0 to 15 quite easily)
- Converting from binary to decimal
- Converting from decimal to binary



Converting from binary to decimal

e.g.
$$100101 = (1x2^5) + (0x2^4) + (0x2^3) + (1x2^2) + (0x2^1) + (1x2^0) = 37$$



Converting from decimal to binary

Lecture 1 - Numeral Systems

A number system with base b and n bits can represent **b**ⁿ numbers

The range of a number system with n bits is from 0 to bn-1

Hexadecimal Number System, Base 16

- Converting from hexadecimal to decimal and back
- Converting between binary and hexadecimal

In general, subscript notation is used to show the intended base of a number e.g. 10_{10} is decimal but 10_2 is binary

In programming we can't use subscript to we use special prefix values

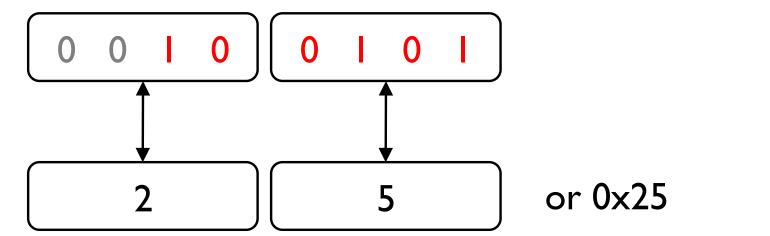


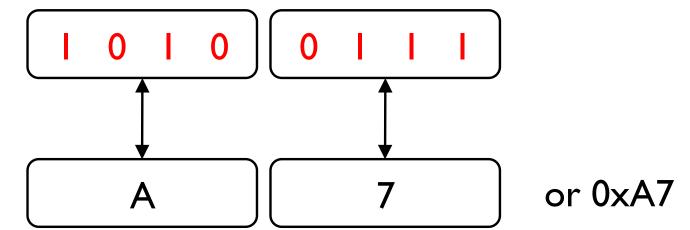
Lecture 1 - Numeral Systems

One hexadecimal digit represents the same number of values as four binary digits

conversion between hex and binary is trivial

the hexadecimal notation a convenient one for us





Hexadecimal is used by convention when referring to memory addresses: e.g. address 0x1000, address 0x4002

Units of Storage:

8 bits = 1 byte

2 bytes = 16 bits = 1 halfword

4 bytes = 32 bits = 1 word

address	memory	
	• • •	
21013	64	
21012	78	
21011	251	
21010	35	
21009	27	
21008	89	
21007	135	
21006	196	
21005	72	
21004	91	
21003	206	
21002	131	
21001	135	
21000	78	
20999	109	
20998	7	
	• • •	

ASCII is a standard used to encode alphanumeric and other characters associated with text

Each character is stored in a single byte value (8 bits)

We check ASCII values by consulting an ASCII table (no need to memorise anything)

	0		2	3	4	5	6	7
0	NUL	DLE	SPACE	0	@	Р	`	Р
	SOH	DCI	!	I	Α	Q	a	q
2	STX	DC2	"	2	В	R	b	r
3	ETX	DC3	#	3	С	S	С	S
4	EOT	DC4	\$	4	D	Т	d	t
5	ENQ	NAK	%	5	E	U	е	u
6	ACK	SYN	&	6	F	٧	f	V
7	BEL	ETB		7	G	W	g	W
8	BS	CAN	(8	Н	X	h	X
9	HT	EM)	9	ļ	Y	i	у
A	LF	SUB	*	:	J	Z	j	Z
В	VT	ESC	+	;	K	[k	{
C	FF	FS	,	<	L	1	1	
D	CR	GS	-	=	M]	m	}
E	SO	RS		>	N	۸	n	~
F	SI	US	1	?	0	_	0	DEL



Registers:

Small, temporary internal storage on the processor. Faster to access than main memory

ARM has 16 word-sized registers

R15 is special – the Program Counter

Avoid using R13...R15 (for now ...)

Move	MOV	R0, #0
Addition	ADD	R1, R2, R3
Subtraction	SUB	R0, R0, R1
Multiplication	MUL	R0, R1, R2

- cannot use MUL to multiply by a constant value
- MUL Rx, Rx, Ry produces unpredictable results

Immediate Operands - Small constant values we want to use but don't need to store

MOV R0, #2

ADD R0, R1, #4

Lecture 2 - LoaD Register (LDR)

LoaD Register instruction can be used to load any 32-bit signed constant value into a register

Note: =3 for LDR (not #3 as with MOV)

```
LDR r2, =3 ; tmp = 3
MUL r2, r1, r2 ; tmp = x * tmp
```

```
LDR r4, =0xA000013C ; r4 = 0xA000013C ...
```

Cannot fit large constant values in a 32-bit MOV instruction so we use LDR instead

For small values, the assembler replaces LDR with MOV. Otherwise, LDR utilises main memory to store the larger values (therefore is slowed down)

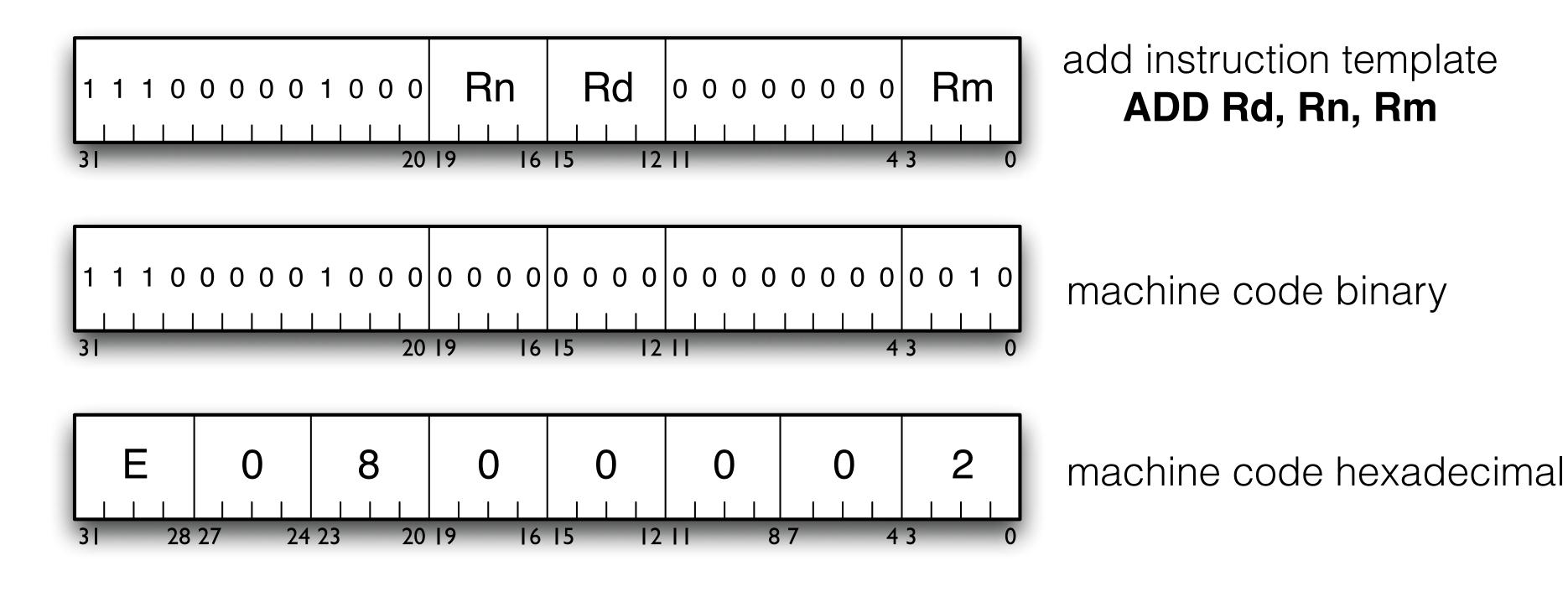


Any program, in any language, is composed of a sequence of machine code instructions that are stored in memory. Assembly language is translated into machine code by the assembler.

Every ARM machine code instruction is 32-bits long, it contains the operation (instruction) and the operands

The instruction templates are found in the ARM instruction set and both the destination operand (Rd) and the Source Operands (Rn, Rm) are filled in

Example - add r0, r0, r2





Lecture 3 - Negative Numbers

Two's Complement: Most common method for representing negative numbers

- Range: $-(2^{N-1})$ to $+(2^{N-1}-1)$
- One representation of zero
- Positive numbers are represented as in an unsigned number system
- Negative numbers are represented by the 2's complement of their absolute value
 i.e. Invert and add one (MVN) to invert in assembly)
- Advantage: Arithmetic operations are identical to unsigned binary as long as the carry is discarded

N.B.The computer does not know that we are storing negative numbers it is all up to our interpretation of the stored values



Lecture 3 - Condition Code Flags

The Condition Code Flags (N, Z, V, C) can be **optionally** updated to reflect the result of an instruction

To update: Use an 'S' on the end of the instruction e.g. ADDS, MOVS

Zero (Z) - Set if the result of the last instruction was exactly zero

Negative (N) - Set if the result of the last instruction was negative i.e. If the Most Significant Bit (MSB) of the result is 1

Carry (C) - Set if the result of an n bit operation does not fit in n bits

Overflow (V) - Set if the result of an addition or subtraction gives a result that is outside the range of the <u>signed</u> number system

Generally: The carry flag is relevant to unsigned arithmetic whereas the overflow flag is relevant to signed arithmetic



Addition rule (r = a + b)

$$V = 1$$
 if $MSB(a) = MSB(b)$ and $MSB(r) \neq MSB(a)$

i.e. oVerflow accurs for addition if the operands have the same sign and the result has a different sign

Subtraction rule (r = a - b)

$$V = 1$$
 if $MSB(a) \neq MSB(b)$ and $MSB(r) \neq MSB(a)$

i.e. oVerflow occurs for subtraction if the operands have different signs and the sign of the result is different from the sign of the first operand

Branch instruction - we can modify the value in the Program Counter to "point" to an instruction of our choosing, breaking the pattern of sequential execution

CMP (CoMPare) instruction performs a subtraction and updates the Condition Code Flags without storing the result of the subtraction

```
BEQ - Branch if

BEQ endwh

... ... ; subtract 0 from r2, ignoring result but
; updating the CC flags
; if the result was zero then branch to endwh
; otherwise (if result was not zero) then keep
; going (with sequential instruction path)
```



Description	Symbol	Instruction	Mnemonic	Condition Code Flag Evaluation			
Equality							
Equal	=	BEQ	EQual	Z=1 i.e. Z is set			
Not equal	≠	BNE	Not Equal	Z=0 i.e. Z is clear			
Inequality (unsigned values)							
Less than	<	BLO (or BCC)	LOwer	C=0			
Less than or equal	\leq	BLS	Lower or Same	C=0 or $Z=1$			
Greater than or equal	>	BHS (or BCS)	Higher or Same	C=1			
Greater than	>	BHI	HIgher	C=1 and $Z=0$			
Inequality (signed values)							
Less than	<	BLT	Less Than	(N=1 and V=0) or (N=0 and V=1) i.e. N!=V			
Less than or equal	\leq	BLE	Less than or Equal	Z=1 or N!=V			
Greater than or equal	>	BGE	Greater than or Equal	(N=1 and V=1) or (N=0 and V=0) i.e. N=V			
Greater than	>	BGT	Greater Than	Z=0 or N=V			
Flags							
Negative Set		BMI	MInus	N=1			
Negative Clear		BPL	PLus	N=0			
Carry Set		BCS (or BHS)	Carry Set	C=1			
Carry Clear		BCC (or BLO)	Carry Clear	C=0			
Overflow Set		BVS	oVerflow Set	V=1			
Overflow Clear		BVC	oVerflow Clear	V=1			
Zero Set		BEQ	EQual	Z=1			
Zero Clear		BNE	Not Equal	Z=0			

Template for if-then construct

```
CMP variables or constants in <condition>
    Bxx endiflabel on opposite <condition>
    <body>
endiflabel
    <rest of program>
```

Template for if-then-else construct

```
if ( <condition> )
{
      <if body>
}
else {
      <else body>
}
<rest of program>
```

```
CMP variables or constants in <condition>

Bxx elselabel on opposite <condition>
<if body>

B endiflabel unconditionally

elselabel

<else body>
endiflabel

<rest of program>
```

Template for while construct

```
<initialize>
while ( <condition> )
{
      <body>
}
<rest of program>
```

Template for do-while construct

```
<initialize>

do {
      <body>
} while
( <condition> )

<rest of program>
```

```
if (x ≥ 40 AND x < 50)
{
    y = y + 1
}</pre>
```

Test each condition and if any one fails, branch to end of if-then construct (or if they all succeed, execute the body)

```
CMP r1, #40 ; if (x \ge 40)

BLO endif ; AND

CMP r1, #50 ; x < 50)

BHS endif ; {

ADD r2, r2, #1 ; y = y + 1

endif ; }
```

```
if (x < 40 OR x ≥ 50)
{
    z = z + 1
}</pre>
```

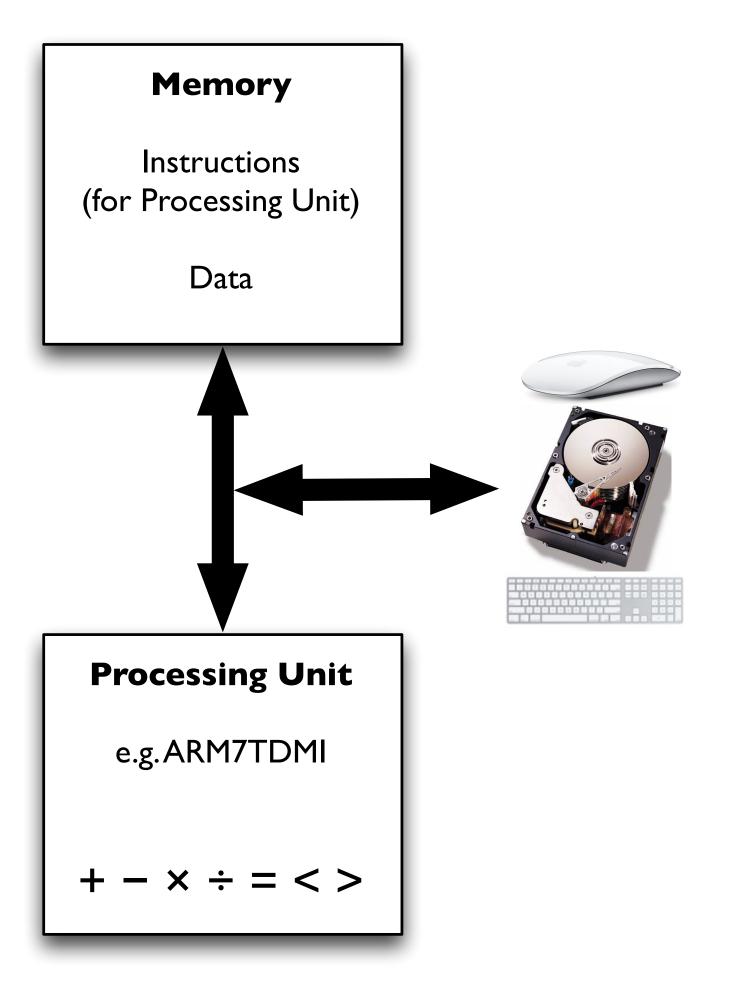
Test each condition and if they all fail, branch to end of if-then construct (or if any test succeeds, execute the body without testing further conditions)

```
r1, #40
                                      ; if (x < 40)
        CMP
              then
        BLO
                                      ; \quad x \geq 50)
              r1, #50
        CMP
              endif
        BLO
              r2, r2, #1
then
        ADD
                                      y = y + 1
endif
               • • •
```

The ARM processor has some small internal storage in the form of registers

To increase the amount of memory available the ARM can access external storage (Main Memory)

ARM7TDMI is based on a Load – Store Architecture so it cannot directly perform operations on values in main memory. Information must be loaded into a register first.



To operate on a value stored in memory it must be loaded into a register first, then operations performed on the register

e.g. Loading Byte-Sized Values

adr = address of first value

LDR R1, =AElems

Load the start address of the data into a register

value = Memory.byte[adr]
LDRB R2, [R1]
Load the byte-size contents of memory at
address adr into the variable value

address = address + 1
ADD R1, R1, #1

Increase the address by one byte in order to move to the next value

To change a value in memory store the value from a register into memory

e.g. Storing Byte-Sized Values

```
adr = address of first value
LDR R3, =CElems
```

Load the address where the data will be stored into a register

```
Memory.byte[adr] = value
STRB R4, [R3]
```

Store the contents of the byte-size **value** variable in memory at address **adr**

```
address = address + 1
ADD R3, R3, #1
```

Increase the address by one byte in order to move to the next storage location



Word-Sized Data: LDR, STR, DCD

Half-Word Sized Data: LDRH, STRH, DCW

Byte-Sized Data: LDRB, STRB, DCB

Example - Duplicate a sequence of byte-sized values stored in memory

Lecture 5 - Memory

```
start
  LDR R1, =AElems ; Load start address of AElems
  LDR R2, =BElems
                    ; Load address of first storage loc
 LDRB R3, [R1]
                    ; Load the first value of AElems into R3 value = Memory.byte[AElems]
while
  CMP R3, #0 ; while (value != 0)
  BEQ ewhile ; {
  STRB R3, [R2] ; Store the contents of R2 in CElems Memory.byte[CElems] = value
  ADD R1, R1, #1; Move to the next address
  ADD R2, R2, #1
                ; Move to the next storage address
 LDRB R3, [R1]
                    ; value = Memory.byte[AElems]
ewhile
                    ; }
stop
 B stop
  AREA TestData, DATA, READWRITE
AElems DCB 1, 3, 8, 0 ; NULL terminated sequence of byte-sized values
BElems SPACE 56
                            ; Reserve memory for the duplicated sequence
END
```

Clearing - Use AND operation, Clear with zeroes

```
LDR r1, =0x61E87F4C; load test value

LDR r2, =0xFFFFFFE7; mask to clear bits 3 and 4

AND r1, r1, r2; clear bits 3 and 4
```

Clearing 2 - Alternative: Use BIC operation, Clear with one's

```
LDR r2, =0 \times 00000018; mask to clear bits 3 and 4
BIC r1, r1, r2; r1 = r1 AND NOT(r2)
```

Setting - Use OR operation, Set with one's

```
LDR r2, =0 \times 00000014; mask to set bits 2 and 4 ORR r1, r1, r2; set bits 2 and 4
```



Inverting - Use EOR operation

```
LDR r2, =0 \times 00000014; mask to invert bits 2 and 4
EOR r1, r1, r2; invert bits 2 and 4
```

Logical Shift Left - Use MOV operation with extra operand

```
MOV Rd, Rm, LSL #2 ; shift values left by 2 places
```

Logical Shift Right

```
MOV Rd, Rm, LSR #4 ; shift values right by 4 places
```



Instead of discarding the MSB when shifting left (or LSB when shifting right), we can cause the last bit shifted out to be stored in the Carry Condition Code Flag

Logical Shift with Carry- Use MOVS operation

MOVS Rd, Rm, LSL #1; shift left by 1 place, set flags

Note: Bit shifting can be used for multiplication and division by 2ⁿ

