

Homework03

Peyton Hall

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```
# What does the following function return? Why?  
# (Write comments in your RMarkdown file with a  
# couple of sentences to explain why you obtained such an output).
```

```
F1<-function(x=2, y=0) {  
  x+y  
}  
F1(3,4)
```

```
## [1] 7
```

```
# the function takes two parameters, x and y, and it calculates  
# the sum of them and returns the result.  
# F1(3,4) overrides the default values, x and y, and it  
# calculates the sum of 3 and 4.
```

```
# What does the following function return? Why? (Write comments  
# in your RMarkdown file to explain why your output is like that)
```

```
l<-function (x){  
  result<-x+1  
  return(result)  
}  
m<-function(){  
  l<-function(x) {  
    result<-x*2  
    return(result)  
  }  
  l(10)  
}  
m()
```

```
## [1] 20
```

```

# The first function is defined with one parameter, x. In it, it # calculates the sum of x and 1 and
returns the result.
# The second function, m, is defined. Inside m, there is a local # function, l, defined again, which
has a different
# implementation than the first l. The local l function takes
# a parameter, x, and calculates result as the product of x and
# 2. Then, it returns the result.
# Finally, the m function calls the local l function, with 10 as
# the argument. Therefore, m() returns the result, of calling the # local l(10).

# Create a function in R to calculate the T statistic for the
# one-sample T-test
#  $T = ($ 
# Where
#
#
#  $s$  = sample standard deviation
#  $n$  = sample size.
# Suppose the input arguments are
# Call your function with the inputs:

# Function to calculate T statistic for one-sample T-test
calculate_T_statistic <- function(x_bar, mu, s, n) {
  t_statistic <- (x_bar - mu) / (s / sqrt(n))
  return(t_statistic)
}

# Input arguments
x_bar <- 2.1
mu <- 1
s <- 0.5
n <- 50

# Call the function
result <- calculate_T_statistic(x_bar, mu, s, n)

# Print the result
cat("T statistic:", result, "\n")

```

```
## T statistic: 15.55635
```

```
# Your collaborator tells you that you can use the length of the # hindfoot to calculate brain volume.
```

```
# Apparently, the hindfoot of these creatures is equal to the
```

```
# diameter of their skulls. Write a function that will calculate # the volume of the animals
```

```
# of a sphere is (4
```

```
# skull.
```

```
# Include one input: d being the diameter of the skull.
```

```
# Call the function with the inputs:
```

```
# diameter (hindfoot) of a skull.
```

```
# Function to calculate volume of animal's skull
```

```
calculate_skull_volume <- function(d) {
```

```
  # Calculate the radius from the diameter
```

```
  r <- d / 2
```

```
  # Calculate the volume using the formula for the volume of a sphere
```

```
  volume <- (4 * pi * r^3) / 3
```

```
  return(volume)
```

```
}
```

```
# Input diameter
```

```
d <- 5 # replace with the actual hindfoot diameter
```

```
# Call the function
```

```
skull_volume <- calculate_skull_volume(d)
```

```
# Print the result
```

```
cat("Volume of the animal's skull:", skull_volume, "\n")
```

```
## Volume of the animal's skull: 65.44985
```

```
# Create a function to find the center of mass for two masses,
```

```
# with four parameters (input or arguments) being m1, m2, x1 and # x2, where m1 and m2 are the mass of the two and x1 and x2
```

```
# are the locations of the two masses. The following figure
```

```
# showed the calculation of the center of
# two masses

#  $x_{cm} = (m_1 * x_1 + m_2 * x_2) / (m_1 + m_2)$ 

# Call the function with the inputs:

# Function to calculate the center of mass for two masses
calculate_center_of_mass <- function(m1, m2, x1, x2) {
  # Calculate the center of mass using the formula
  x_cm <- (m1 * x1 + m2 * x2) / (m1 + m2)

  return(x_cm)
}

# Input parameters
m1 <- 2
m2 <- 5
x1 <- 3
x2 <- 10

# Call the function
center_of_mass <- calculate_center_of_mass(m1, m2, x1, x2)

# Print the result
cat("Center of mass:", center_of_mass, "\n")

## Center of mass: 8
```