typst-theorems

sahasatvik

https://github.com/sahasatvik/typst-theorems

Contents

1. Introduction	
1. Introduction	1
3. Feature demonstration	2
3.1. Proofs	
3.2. Suppressing numbering	
3.3. Limiting depth	4
3.4. Custom formatting	
3.5. Labels and references	6
3.6. Overriding base	
4. Function reference	7
4.1. thm-rules	7
4.2. thm-env	7
4.2. thm-env	8
4.4. thm-plain, thm-def, and thm-rem	
4.5. thm-proof, proof-bodyfmt and qedhere	
5. Acknowledgements	

1. Introduction

The typst-theorems package provides Typst functions that help create numbered theorem environments. This is heavily inspired by the \newtheorem functionality of LaTeX.

A *theorem environment* lets you wrap content together with automatically updating *numbering* information. Such environments use internal state counters for this purpose. Environments can

- share the same counter (*Theorems* and *Lemmas* often do so)
- keep a global count, or be attached to
 - other environments (Corollaries are often numbered based upon the parent Theorem)
 - headings
- have a numbering level depth fixed (for instance, use only top level heading numbers)
- be referenced elsewhere in the document, via labels

2. Using typst-theorems

Import all functions provided by typst-theorems using

```
#import "theorems.typ": *
#show: thm-rules
```

The second line is crucial for displaying thm-envs and references correctly!

The core of this module consists of thm-env. The functions thm-plain, thm-def, thm-rem, and thm-proof functions provide some simple defaults for the appearance of thm-envs.

3. Feature demonstration

Create box-like *theorem environments* using thm-plain, a wrapper around thm-env which provides some simple defaults.

```
#let theorem = thm-plain("Theorem")
```

Such definitions are convenient to place in the preamble or a template; use the environment in your document via

```
#theorem("Euclid")[
There are infinitely many primes.
] <euclid>
Theorem 3.1 (Euclid). There are infinitely many primes.
```

Note that the name is optional. This theorem environment will be numbered based on its parent heading counter, with successive theorems automatically updating the final index.

The <euclid> label can be used to refer to this Theorem via the reference @euclid. Go to Section 3.5 to read more.

You can create another environment which uses the same counter (referred to as its identifier), say for *Lemmas*, as follows.

Note that the identifier for theorem defaulted to 'Theorem'.

```
#lemma[ If n divides both x and y, it also divides x - y.
```

You can *attach* other environments to ones defined earlier. For instance, *Corollaries* can be created as follows.

```
#corollary(numbering: "1.1")[ If \$n\$ divides two consecutive natural numbers, then \$n=1\$. Corollary 3.2.1. If n divides two consecutive natural numbers, then n=1.
```

Note that we have provided a numbering string; this can be any valid numbering pattern as described in the <u>numbering</u> documentation.

3.1. Proofs

The thm-proof function gives nicer defaults for formatting proofs.

```
#let proof = thm-proof("Proof")
```

```
#proof([of @euclid])[
   Suppose to the contrary that $p_1,
   p_2, dots, p_n$ is a finite
   enumeration of all primes. Set $P
   = p_1 p_2 dots p_n$. Since $P + 1$
   is not in our list, it cannot be
   prime. Thus, some prime factor
   $p_j$ divides $P + 1$. Since $p_j$
   also divides $P$, it must divide
   the difference $(P + 1) - P = 1$, a
   contradiction.
]
```

Proof of <u>Theorem 3.1</u>. Suppose to the contrary that $p_1, p_2, ..., p_n$ is a finite enumeration of all primes. Set $P = p_1 p_2 ... p_n$. Since P+1 is not in our list, it cannot be prime. Thus, some prime factor p_j divides P+1. Since p_j also divides P, it must divide the difference (P+1)-P=1, a contradiction.

If your proof ends in a block equation, or a list/enum, you can place qedhere to correctly position the qed symbol.

```
#theorem[
   There are arbitrarily long stretches
   of composite numbers.
]
#proof[
   For any $n > 2$, consider $
     n! + 2, quad n! + 3, quad ...,
     quad n! + n #qedhere
   $
]
```

Theorem 3.1.1. There are arbitrarily long stretches of composite numbers.

Proof. For any n > 2, consider

 $n! + 2, \quad n! + 3, \quad ..., \quad n! + n$

Caution: The gedhere symbol does not play well with numbered/multiline equations!

You can set a custom qed symbol (say \square) by setting the appropriate option in thm-rules as follows.

```
#show: thm-rules.with(qed-symbol: $square$)
```

3.2. Suppressing numbering

Supplying numbering: none suppresses numbering for that environment, and prevents it from updating its counter.

```
#let conjecture = thm-plain(
  "Conjecture",
  numbering: none
)
```

```
#conjecture[
  The numbers $2$, $3$, and $17$ are prime.

Conjecture. The numbers 2, 3, and 17 are prime.

Prime.
```

You can also suppress numbering individually, as follows.

```
#lemma(numbering: none)[
  The square of any even number is
  divisible by $4$.
]
#lemma[
  The square of any odd number is one
  more than a multiple of $4$.
]
Lemma. The square of any even number is divisible by 4.
Lemma 3.2.1. The square of any odd number is one more than a multiple of 4.
```

Note that the last *Lemma* is *not* numbered 3.2.2!

You can also override the automatic numbering as follows.

```
#lemma(number: "42")[
The square of any natural number cannot be two more than a multiple of 4.

]

Lemma 42. The square of any natural number cannot be two more than a multiple of 4.
```

Note that this does *not* affect the counters either!

3.3. Limiting depth

You can limit the number of levels of the base numbering used as follows.

```
#definition("Prime numbers")[
A natural number is called a _prime
number_ if it is greater than $1$ and
cannot be written as the product of
two smaller natural numbers.

] <pri>
| definition 3.1 (Prime numbers). A natural
number is called a prime number if it is greater
than 1 and cannot be written as the product of
two smaller natural numbers.
```

Note that this environment is *not* numbered 3.3.1! Here we have used the thm-def function which is typically used for styling definitions.

```
#definition("Composite numbers")[
  A natural number is called a
  _composite number_ if it is greater
  than $1$ and not prime.
Definition 3.2 (Composite numbers). A natural number is called a composite number if it is greater than 1 and not prime.
```

Setting a base_level higher than what base provides will introduce padded zeroes.

```
#let example = thm-rem(
    "Example",
    numbering: "1.1"
)

#example(base_level: 4)[
    The numbers $4$, $6$, and $42$
    are composite.
]

    Example 3.3.0.0.1. The numbers 4, 6, and 42 are composite.
```

Here, we have used the thm-rem function which suppresses numbering by default.

3.4. Custom formatting

The thm-box function (and its derivatives: thm-plain, thm-def, thm-rem, thm-proof) lets you specify rules for formatting the title, the name, and the body individually. Here, the title refers to the head and number together.

```
#let proof-custom = thm-box(
   "Proof",
   titlefmt: smallcaps,
   bodyfmt: body => [
     #body #h(lfr) $square$ // float a QED symbol to the right
   ],
   numbering: none
)
```

```
#lemma[
   All even natural numbers greater than
   2 are composite.
]
#proof-custom[
   Every even natural number $n$ can be
   written as the product of the natural
   numbers $2$ and $n\/2$. When $n > 2$,
   both of these are smaller than $2$
   itself.
]
```

Lemma 3.4.1. All even natural numbers greater than 2 are composite.

PROOF. Every even natural number n can be written as the product of the natural numbers 2 and n/2. When n > 2, both of these are smaller than 2 itself.

You can go even further and use the thm-env function directly. It accepts an identifier, a base, a base_level, and a fmt function.

```
#notation[
  The variable $p$ is reserved for prime numbers.

| Motation (I): The variable p is reserved for prime numbers.

| Notation (I): The variable p is reserved for prime numbers.

| Notation (II) for Reals: The variable x is reserved for real numbers.
```

Note that the color: green named argument supplied to the notation environment gets passed to the fmt function. In general, all extra named arguments supplied to the theorem will be passed to fmt. On the other hand, the positional argument "for Reals" will always be interpreted as the name argument in fmt.

```
#lemma(title: "Lem.", stroke: 1pt)[
All multiples of 3 greater than 3 are composite.

Lem. 3.4.2. All multiples of 3 greater than 3 are composite.
```

Here, we override the title (which defaults to the head) as well as the stroke in the fmt produced by thm-plain. All block arguments can be overridden in thm-plain environments in this way.

3.5. Labels and references

]

You can place a <label> outside a theorem environment, and reference it later via @label. For example, go back to Theorem 3.1.

Recall that there are infinitely many prime numbers via @euclid.	Recall that there are infinitely many prime numbers via <u>Theorem 3.1</u> .
You can reference future environments too, like @oddprime[Cor.].	You can reference future environments too, like <u>Cor. 3.6.1</u> .
<pre>#lemma(supplement: "Lem.", refnumbering: "(1.1)")[All primes apart from \$2\$ and \$3\$ are of the form \$6k plus.minus 1\$.] <primeform></primeform></pre>	Lemma 3.5.1. All primes apart from 2 and 3 are of the form $6k \pm 1$.
You can modify the supplement and numbering to be used in references, like @primeform.	You can modify the supplement and numbering to be used in references, like <u>Lem. (3.5.1)</u> .

Caution: Links created by references to thm-envs will be styled according to #show link: rules.

3.6. Overriding base

```
#let remark = thm-rem(
  "Remark",
  base: "heading",
  numbering: "1.1"
)
```

```
#remark[
   There are infinitely many composite
   numbers.
]

#lemma[
   All primes greater than $2$ are odd.
] <oddprime>

#remark(base: "Theorem")[
   Two is a _lone prime_.
]

#Remark 3.6.1. There are infinitely many composite numbers.

Lemma 3.6.1. All primes greater than 2 are odd.

Remark 3.6.1.1. Two is a lone prime.
```

This remark environment, which would normally be attached to the current *heading*, now uses the Theorem (which shares its identifier with the Lemma) as a base.

4. Function reference

4.1. thm-rules

The thm-rules show rule sets important styling rules for theorem environments, references, and equations in proofs.

4.2. thm-env

The thm-env function produces a theorem environment.

The fmt function must accept a theorem name, number, body, and produce formatted content. It may also accept additional positional arguments, via args.

A *theorem environment* is itself a map of the following form.

```
..args,
body, // body content
```

The only positional argument accepted in args is the name, which is the optional name of the theorem typically displayed after the title. All additional named arguments in args will be passed on to the associated fmt function supplied in thm-env.

4.3. thm-box

The thm-box wraps thm-env, supplying a box-like fmt function.

The thm-box function sets a default width: 100% for the block.

4.4. thm-plain, thm-def, and thm-rem

These functions are identical to thm-box, with default styles mimicking the plain, definition, and remark styles from amsthm respectively.

The 'plain' style has a bold title and italicized body. This is typically used for Theorems, Lemmas, Corollaries, Propositions, etc.

```
#let thm-plain = thm-box.with(
  titlefmt: strong,
  bodyfmt: emph,
  separator: [*.*#h(0.2em)],
)
```

The 'definition' style has a bold title and upright body. This is typically appropriate for Definitions, Problems, Exercises, etc.

```
#let thm-def = thm-box.with(
  titlefmt: strong,
  separator: [*.*#h(0.2em)],
```

The 'remark' style has an italicized title and upright body, with numbering suppressed by default. This is typically appropriate for Remarks, Notes, Notation, etc.

```
#let thm-rem = thm-box.with(
  padding: (y: 0em),
  namefmt: name => emph([(#name)]),
  titlefmt: emph,
  separator: [.#h(0.2em)],
  numbering: none
)
```

4.5. thm-proof, proof-bodyfmt and qedhere

The thm-proof function is identical to thm-rem, except with defaults appropriate for proofs.

```
#let thm-proof = thm-rem.with(
    namefmt: emph,
    bodyfmt: proof-bodyfmt,
)
```

The proof-bodyfmt function is a bodyfmt function that automatically places a qed symbol at the end of the body.

You can use #qedhere inside a block equation, or at the end of a list/enum item to place the qed symbol on the same line.

5. Acknowledgements

Thanks to

- MJHutchinson for suggesting and implementing the base_level and base: none features,
- rmolinari for suggesting and implementing the separator: ... feature,
- **DVDTSB** for contributing
 - the idea of passing named arguments from the theorem directly to the fmt function.
 - the number: ... override feature.
 - the title: ... override feature in thm-plain.
- The awesome devs of typst.app for their support.