

Elastic properties:
 $Y_A = 64 \text{ GPa}$
 $Y_M = 26 \text{ GPa}$

Transformation Temperature
 $M_f = 9^\circ\text{C}$
 $M_s = 18^\circ\text{C}$
 $A_s = 35^\circ\text{C}$
 $A_f = 49^\circ\text{C}$

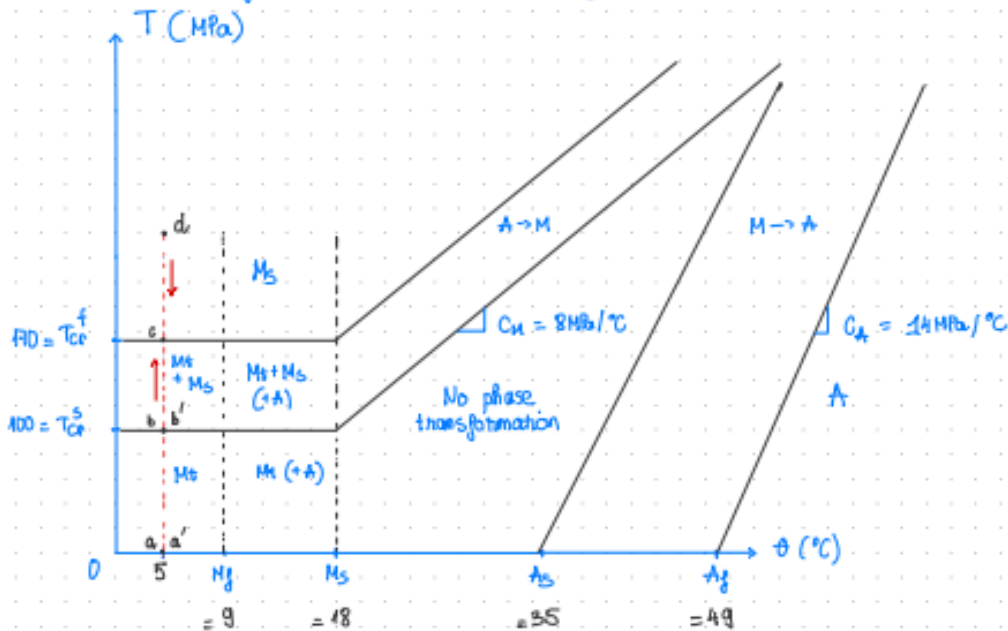
Transformation Constraints
 $C_M = 8 \text{ MPa}/^\circ\text{C}$
 $C_A = 14 \text{ MPa}/^\circ\text{C}$
 $T_0^S = 100 \text{ MPa}$
 $T_0^f = 110 \text{ MPa}$

Max Recovery Strain
 $S_R = 0.07$

Material Heat
 $\theta = 5^\circ\text{C}$

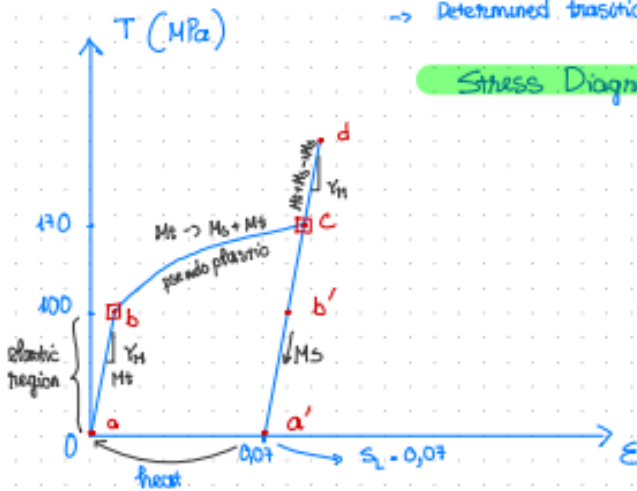
- ① What is the SMAs behavior of the given?
 $\theta = 5^\circ\text{C} < M_f = 9^\circ\text{C} \Rightarrow$ The SMA behavior can be shape memory effect (SME)

- ② Draw stress cycle on phase diagram? (Phase Diagram)



- ③ Sketch graphically T-S curve with different specific regions?

\rightarrow Determined transitional points: **b, c**



- ④ Evaluate stress at the transitional points in the T-S curve?

• $T_b = T_{Cr}^S = 100 \text{ MPa}$

• $T_c = T_{Cr}^f = 110 \text{ MPa}$

⑤

Code File:

```
import math

import numpy as np

import matplotlib.pyplot as plt

class DataInput:

    def __init__(self, YA, YM, Ms, Mf, As, Af, CM, CA, TCRS, TCRF, SL, temp, shiS0, shiT0):

        self.YA = YA

        self.YM = YM

        self.Ms = Ms

        self.Mf = Mf

        self.As = As

        self.Af = Af

        self.CM = CM

        self.CA = CA

        self.TCRS = TCRS

        self.TCRF = TCRF

        self.SL = SL

        self.temp = temp

        self.shiS0 = shiS0

        self.shiT0 = shiT0

        self.shi_lst = []

    def stress_calculated(self):

        global Ta, Tb, Tc

        Ta = 0

        Tb = self.TCRS

        Tc = self.TCRF

    def predicted_through_stress(self):

        global Tb_predicted, Tc_predicted, Td_predicted

        Tb_predicted = np.linspace(Ta, Tb, 20)

        Tc_predicted = np.linspace(Tb, Tc, 20)

        for i in Tc_predicted:

            shiS = ((1 - self.shiS0) / 2) * math.cos((math.pi / (self.TCRS - self.TCRF)) * (i - self.TCRF)) + ((1 + self.shiS0) / 2)

            self.shi_lst.append(shiS)

        self.shi_lst = np.array(self.shi_lst)

        Td_predicted = np.linspace(Tc, Ta, num=20, endpoint=True)

        return Tb_predicted, Tc_predicted, Td_predicted
```

```

def predicted_through_strain(self):
    global Sb_predicted, Sc_predicted, Sd_predicted

    Sb_predicted = Tb_predicted/self.YM
    Sc_predicted = (Tc_predicted/self.YM) + self.SL*self.shi_1st
    Sd_predicted = (Td_predicted/self.YM) + self.SL
    return Sb_predicted, Sc_predicted, Sd_predicted

def plot_T_S_curve(self):
    strain_combined = np.concatenate((Sb_predicted, Sc_predicted, Sd_predicted))
    stress_combined = np.concatenate((Tb_predicted, Tc_predicted, Td_predicted))

    plt.figure(figsize=(8, 6))
    plt.plot(strain_combined, stress_combined, label='Stress-Strain Curve', color='blue')
    plt.xlabel('Strain')
    plt.ylabel('Stress (MPa)')
    plt.title('Stress-Strain Relationship')
    plt.legend()
    plt.grid(True)
    plt.show()

def main():
    Mf = 9 # °C
    Ms = 18 # °C
    As = 35 # °C
    Af = 49 # °C
    CM = 8 # MPa/°C (slope for martensite)
    CA = 14 # MPa/°C (slope for austenite)
    YM = 26000
    YA = 67000
    TCRS = 100 # MPa (start transformation stress)
    TCRF = 170 # MPa (finish transformation stress)
    shiT0 = 1
    shiS0 = 0
    SL = 0.07
    temp = 5

    proc = DataInput(YA, YM, Ms, Mf, As, Af, CM, CA, TCRS, TCRF, SL, temp, shiS0, shiT0)
    proc.stress_calculated()
    proc.predicted_through_stress()

```

```
proc.predicted_through_strain()
proc.plot_T_S_curve()
if __name__ == "__main__":
    main()
```

Result:

