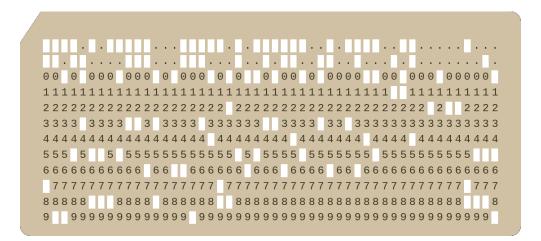
Problem

A secret team of programmers is plotting to disrupt the programming language landscape and bring punched cards back by introducing a new language called *Punched Card Python* that lets people code in Python using punched cards! Like good disrupters, they are going to launch a viral campaign to promote their new language before even having the design for a prototype. For the campaign, they want to draw punched cards of different sizes in ASCII art.



The ASCII art of a punched card they want to draw is similar to an $\mathbf{R} \times \mathbf{C}$ matrix without the top-left cell. That means, it has $(\mathbf{R} \cdot \mathbf{C}) - 1$ cells in total. Each cell is drawn in ASCII art as a period (.) surrounded by dashes (-) above and below, pipes (|) to the left and right, and plus signs (+) for each corner. Adjacent cells share the common characters in the border. Periods (.) are used to align the cells in the top row.

For example, the following is a punched card with ${f R}=3$ rows and ${f C}=4$ columns:

..+-+-+ ..|.|.|.| +-+-+-+ |.|.|.|.| +-+-+-+ |.|.|.|.|

There are more examples with other sizes in the samples below. Given the integers \mathbf{R} and \mathbf{C} describing the size of a punched card, print the ASCII art drawing of it as described above.

Input

The first line of the input gives the number of test cases, \mathbf{T} . \mathbf{T} lines follow, each describing a different test case with two integers \mathbf{R} and \mathbf{C} : the number of rows and columns of the punched card that must be drawn.

Output

For each test case, output one line containing Case #x:, where x is the test case number (starting from 1). Then, output $(2 \cdot \mathbf{R}) + 1$ additional lines with the ASCII art drawing of a punched card with \mathbf{R} rows and \mathbf{C} columns.

Limits

Time limit: 5 seconds. Memory limit: 1 GB.

Test Set 1 (Visible Verdict)

 $1 \leq \mathbf{T} \leq 81$.

 $2 < \mathbf{R} < 10.$

 $2 < \mathbf{C} < 10.$

Sample



Sample Case #1 is the one described in the problem statement. Sample Cases #2 and #3 are additional examples. Notice that the output for each case contains exactly $\mathbf{R} \cdot \mathbf{C} + 3$ periods.

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