

1.a	After arriving at a party, you shake hands with each person there					
	assumptions	each handshake takes equal time T				
	total time	$n \cdot T$				
	order	$O(n)$				
1.b	Each person in a room shakes hands with everyone else in the room.					
	assumptions	each handshake takes equal time T, ok to repeat handshake				
	person 0 time	$n \cdot T$				
	total time	$n \cdot n \cdot T$				
	order	$O(n^2)$				
1.c	You climb a flight of stairs.					
	assumptions	each step takes equal time T				
	total time	$n \cdot T$				
	order	$O(n)$				
1.d	You slide down the banister					
	assumption	travel at constant velocity V for L length				
	total time	L/V				
	order	$O(1)$, it only depends on constant values L and V				
1.e	After entering an elevator, you press a button to choose a floor.					
	order	$O(1)$, the operation time is fixed				
1.f	You ride the elevator from the ground floor up to the n th floor.					
	time for one floor	T				
	time for n floors	nT				
	order	$O(n)$				
1.g	You read a book twice.					
	time to read one book	T				
	time to read 2 books	$2T$				

	order	$O(1)$					
2	Describe a way to climb from the bottom of a flight of stairs to the top in time that is no better than $O(n^2)$.						
	task	time					
	climb stair 1 climb down	$2T$					
	climb stair 2 climb down	$2*2T$					
	climb stair n-1 climb down	$2*2(n-1)T$					
	climb stair n climb down	$2*2(n)T$					
	Total time	$2T(1+2+\dots+n-1 + n)$					
		$2T(n+1)(n)/2$					
	order	$O(n^2)$					
3.a	Computing the sum of the first n even integers by using a for loop						
	each step	T					
	number of steps	$n/2$					
	total steps	$T/2 * n$					
	order	$O(n)$					
3.b	Displaying all n integers in an array						
	access array	T_1					
	display element	T_2					
	one step	(T_1+T_2)					
	n steps	$n(T_1+T_2)$					
	order	$O(n)$					
3.c	Displaying all n integers in a sorted linked chain						
	access sorted list	$\log_2 n$					
	display element	T_2					
	one step	$(\log_2 n + T_2)$					
	n steps	$n(\log_2 n + T_2)$					

	order	$O(n \log 2n)$					
3.d	Displaying all n names in an array of linked chains						
	access i name	$i \cdot T_1$					
	display element	T_2					
	one step	$(iT_1 + T_2)$					
	n steps	$nT_2 + (n)(n+1)/2T_1$					
	order	$O(n^2)$					
3.e	Displaying one array element						
	fixed time	T					
	order	$O(1)$					
3.f	Displaying the last integer in a linked chain						
	time to access each node	T					
	n nodes	nT					
	order	$O(n)$					
3.g	Searching an array of n items for a particular value by using a sequential search						
	each search	T					
	worst case is in last element	nT					
	order	$O(n)$					
3.h	Searching an array of n items for a particular value by using a binary search						
	each search halves						
	order	$O(\log 2n)$					
3.i	Adding an item to a stack of n items						
	worst case have to allocate memory	T_1					
	copy n element	nT_2					
	add item	T_3					
	order	$O(n)$					

3.j	Adding an item to a bag of n items						
	worst case happens for link chain is full						
	alloc memory	T1					
	copy n element	nT2					
	add item	T3					
	order	O(n)					
	4 Suppose that your implementation of a particular algorithm appears in C++ as						
	for (int pass = 1; pass <= n; pass++)						
	{						
	for (int index = 0; index < n; index++)						
	{						
	for (int count = 1; count < 10; count++)						
	{						
	. . .						
	} // end for						
	} // end for						
	} // end for						
	The previous code shows only the repetition in the algorithm, not the computations that occur within the loops.						
	Time for count loop	count-1					
	time for index loop	n(count-1)					
	time for pass loop	nn(count-1)					
	order	O(n^2)					
	5 Consider the following C++ function f , which calls the function swap . Assume that swap exists and simply swaps the contents of its two arguments. Do not be concerned with f 's purpose.						
	void f(int theArray[], int n)						
	{						
		for (int j = 0; j < n; ++j)					n comparisons
		{					

			int i = 0;				
			while (i <= j)				1,2,3,...j
			{				
				if (theArray[i] < theArray[j])			1,2,3,...,j
					swap(theArray[i], theArray[j]);		
				i++;			
			} // end while				
		} // end for					
	} // end f						
	How many comparisons does f perform?						
		sum of 2(1+2+3...n)					
	comparisons	$2*n*(n+1)/2$					
6	For large arrays, and in the worst case, is a sequential search faster than a binary search? Explain.						
	sequential search takes	$n*T$					
	binary search takes	$\log_2 n * T$					
	for n =1024 and T=1						
	sequential search takes	1024					
	binary search takes	10					
	clearly binary search is quicker						