

Exhaustive Algorithm Solution Pseudocode and time analysis

```
path crane_unloading_exhaustive(grid setting){

    max_steps = setting.rows + setting.columns - 2;                                -> 3 tu

    path best;
    path new_path;

    vector<path> all_paths;
    all_paths.append(new_path);                                                    > 1 Tu

    for steps = 0 to max_steps:                                                    -> n loops
        if (best.final_row == setting.rows &&
            best.final_column == setting.columns):                                -> 1 Tu
            break;

        vector<path> new_paths = all_paths;                                        -> 1 Tu
        all_paths.clear();

        while(!new_path.empty()):
            new_path = new_paths.back();
            new_paths.pop_back();
            (11 Tu per loop) = 11 * 2^n
            -> 1Tu
            -> 1Tu
            ( 1 + Max(2,8) ) = 9 Tu
            -> 1 Tu   (2 Tu)

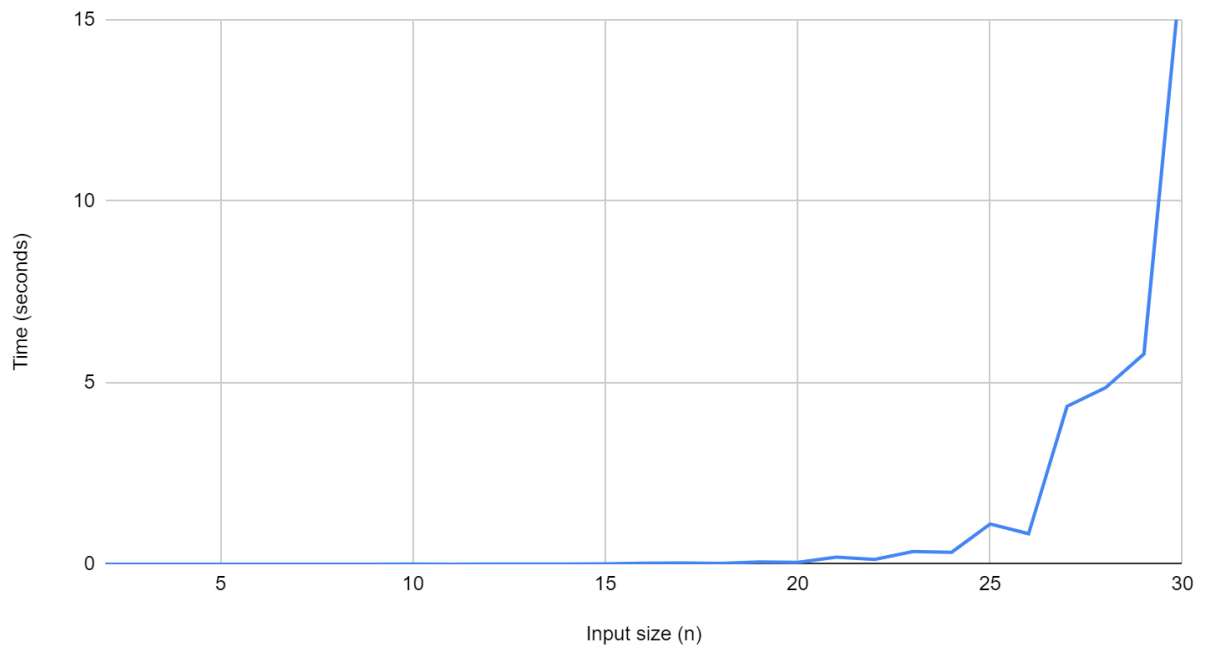
            if (new_path.final_row == setting.rows &&
                new_path.final_column == setting.columns):
                if (best.total_cranes < new_path.total_cranes):
                    best = new_path;
                    -> 1Tu
                    -> 1Tu
                Else:
                    (8 Tu)
                    if (new_path.is_step_valid(EAST)):
                        -> 1Tu
                        path next_path = new_path;
                        -> 1Tu
                        next_path.add_step(EAST);
                        -> 1Tu
                        all_paths.append(next_path);
                        -> 1Tu
                    if (new_path.is_step_valid(SOUTH)):
                        -> 1Tu
                        path next_path = new_path;
                        -> 1Tu
                        next_path.add_step(SOUTH);
                        -> 1Tu
                        all_path.append(next_path);
                        -> 1Tu

    return best;
}
```

$$\text{step count} = 4 + 11 \sum_{i=0}^n 2^i \text{ tu}$$

Plot a graph for time vs input size for the algorithm

Exhaustive Algorithm Search



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Dynamic Algorithm Solution Pseudocode and time analysis

```
path crane_unloading_dyn_prog(grid setting){
    path best;
    int grid[setting.rows][setting.columns];
    cell_kind current_cell;
```

-> 1 tu

```
    for i = 0 to setting.rows:
```

-> n/2 loops

```
        for j = 0 to setting.columns:
```

-> n/2 loops

```
            if (i == 0 || j == 0):
```

-> 1tu + max(1, 10) = 11 tu

```
                my_grid[i][j] = 0;
```

-> 1tu

```
            Else:
```

-> 10tu

```
                if (i == 1 && j == 1):
```

-> 1tu + max (1, 1) = 2 tu

```
                    my_grid[i][j] = 1;
```

-> 1tu

```
            else:
```

my_grid[i][j] = 0;	-> 1tu										
current_cell = setting.get(i-1,j-1);	-> 1tu										
if (current_cell == BUILDING):	-> 1tu + (max (1, 6)) = 7 tu										
my_grid[i][j] = -1;											
Else:	-> 6 tu										
if (current_cell == CRANE):	-> 1tu + (max (1, 0)) = 2 tu										
my_grid[i][j] += 1;	-> 1tu										
int max;	-> 1tu										
if (my_grid[i-1][j] > my_grid[i][j-1]):	-> 1tu + (max (1, 1) = 2tu										
max = my_grid[i-1][j];	-> 1tu										
else:											
max = my_grid[i][j-1];	-> 1tu										
my_grid[i][j] += max;	-> 1tu										
max_steps = setting.rows + setting.columns - 2;	-> 3 tu										
int x = setting.rows;	-> 1 tu										
int y = setting.columns;	-> 1 tu										
vector<step_directon> directions;											
for i = 0 to max_steps:	-> m loops = m * 9 tu										
if ((my_grid[x-1][y] == -1) && (my_grid[x][y-1] == -1)): <table border="0" style="margin-left: 20px;"> <tr><td>--x;</td><td>-> 2 tu + (max (2, 7)) = 9 tu</td></tr> <tr><td>--y;</td><td>-> 1 tu</td></tr> <tr><td></td><td>-> 1 tu</td></tr> </table>	--x;	-> 2 tu + (max (2, 7)) = 9 tu	--y;	-> 1 tu		-> 1 tu					
--x;	-> 2 tu + (max (2, 7)) = 9 tu										
--y;	-> 1 tu										
	-> 1 tu										
else if (my_grid[x][y] == -1): <table border="0" style="margin-left: 20px;"> <tr><td>--y;</td><td>-> 1 tu + (max (1, 6)) = 7 tu</td></tr> <tr><td>break;</td><td>-> 1 tu</td></tr> </table>	--y;	-> 1 tu + (max (1, 6)) = 7 tu	break;	-> 1 tu							
--y;	-> 1 tu + (max (1, 6)) = 7 tu										
break;	-> 1 tu										
else if ((my_grid[x-1][y] >= my_grid[x][y-1]) && x != 1): <table border="0" style="margin-left: 20px;"> <tr><td>directions.append(SOUTH);</td><td>-> 2 tu + (max (2, 4)) = 6 tu</td></tr> <tr><td>--x;</td><td>-> 1 tu</td></tr> <tr><td></td><td>-> 1 tu</td></tr> </table>	directions.append(SOUTH);	-> 2 tu + (max (2, 4)) = 6 tu	--x;	-> 1 tu		-> 1 tu					
directions.append(SOUTH);	-> 2 tu + (max (2, 4)) = 6 tu										
--x;	-> 1 tu										
	-> 1 tu										
else if (y != 1): <table border="0" style="margin-left: 20px;"> <tr><td>directions.append(EAST);</td><td>-> 2 tu + (max (2, 0) = 4 tu</td></tr> <tr><td>--y;</td><td>-> 1 tu</td></tr> <tr><td></td><td>-> 1 tu</td></tr> </table>	directions.append(EAST);	-> 2 tu + (max (2, 0) = 4 tu	--y;	-> 1 tu		-> 1 tu					
directions.append(EAST);	-> 2 tu + (max (2, 0) = 4 tu										
--y;	-> 1 tu										
	-> 1 tu										
step_direction current_direction;											
for i = 0 to directions.size(): <table border="0" style="margin-left: 20px;"> <tr><td>current_direction = direction.back;</td><td>-> m loops = m * 4 tu</td></tr> <tr><td></td><td>-> 1 tu</td></tr> <tr><td>if (best.is_step_valid(current_direction)):</td><td>-> 1tu + max (1, 0) = 2 tu</td></tr> <tr><td> best.add_step(current_direction);</td><td>-> 1tu</td></tr> <tr><td>directions.pop_back();</td><td>-> 1 tu</td></tr> </table>	current_direction = direction.back;	-> m loops = m * 4 tu		-> 1 tu	if (best.is_step_valid(current_direction)):	-> 1tu + max (1, 0) = 2 tu	best.add_step(current_direction);	-> 1tu	directions.pop_back();	-> 1 tu	
current_direction = direction.back;	-> m loops = m * 4 tu										
	-> 1 tu										
if (best.is_step_valid(current_direction)):	-> 1tu + max (1, 0) = 2 tu										
best.add_step(current_direction);	-> 1tu										
directions.pop_back();	-> 1 tu										
return best;											

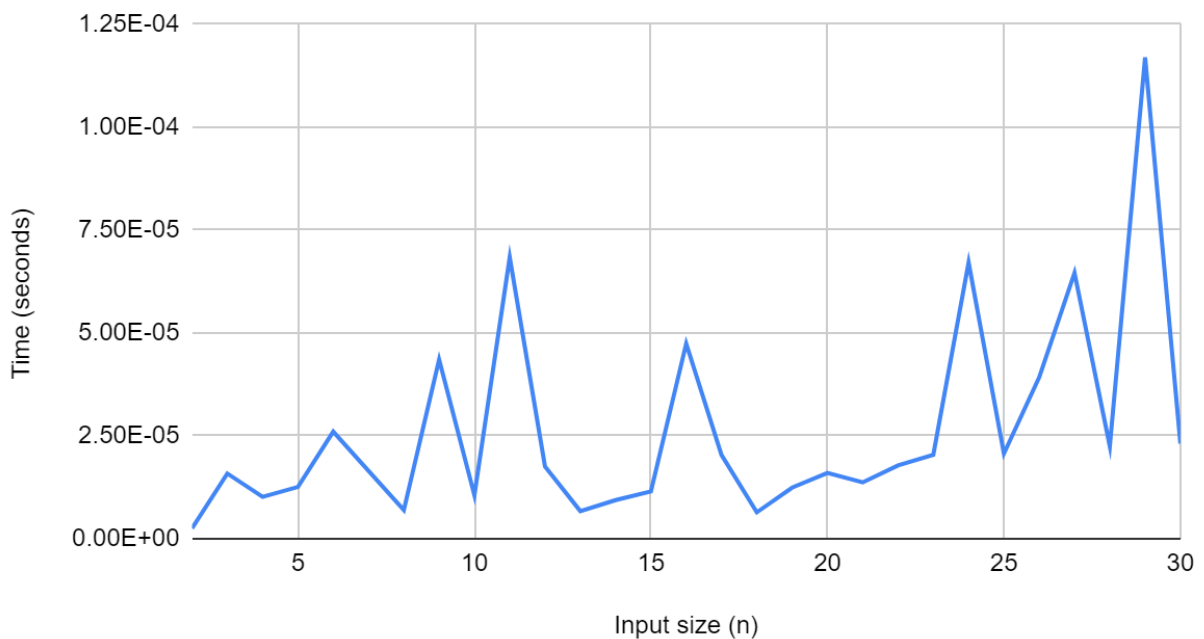
}

$$\text{step count} = 1 + (n/2)^2(11) + 13m \text{ tu}$$

$$\text{step count} = 1 + 11(n^2/4) + 13m \text{ tu}$$

Plot a graph for time vs input size for the algorithm

Dynamic Algorithm Search



Questions

1. Is there a noticeable difference in the performance of the two algorithms? Which is faster, and by how much? Does this surprise you?
 - There is a noticeable difference between both algorithms; dynamic looks more messy but it is in milliseconds. In conclusion, Dynamic search is much faster than Exhaustive search. The results are not surprising at all.
2. Are your empirical analyses consistent with your mathematical analyses? Justify your answer.
 - Yes, we thought the Dynamic would outperform exhaustive search by a landslide, and our tests were consistent.

3. Is this evidence consistent or inconsistent with hypothesis 1? Justify your answer.
 - This evidence is consistent with hypothesis 1 because the time to execute for both algorithms with the same problem, Dynamic programming outshined the exhaustive algorithm.
4. Is this evidence consistent or inconsistent with hypothesis 2? Justify your answer.