

JOHANNES KEPLER UNIVERSITY LINZ

# **UE ARTIFICIAL INTELLIGENCE**

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# DLDFS WITH CYCLE AVOIDANCE



#### **DLDFS WITH CYCLE AVOIDANCE**

let's consider a depth limited depth first search (DLDFS)

- branching factor b, depth limit d
- runtime:  $O(b^d)$ , since we expand all nodes
- **space**:  $O(b \cdot d)$  (we only keep the current path in memory)
- $\blacksquare$  a "closed set" would bump space complexity to  $O(b^d)!$
- it would have the same space requirements as BFS, but would not even be optimal! we could have used BFS in the first place ...



#### **HOW CAN WE STILL USE DLDFS?**

- we cannot remember all the nodes we expanded
- but we want to avoid at least **some** cycles
- what is the best we can do?

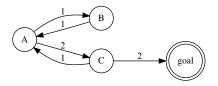


#### **HOW CAN WE STILL USE DLDFS?**

- we cannot remember all the nodes we expanded
- but we want to avoid at least some cycles
- what is the best we can do?
- the best we can do to keep the same space complexity, and avoid unnecessary work, is to avoid expanding nodes on the current path again!
- we need to check whether an expanded node is already on the current path

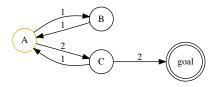


consider this example graph, numbers on edges denote expansion order



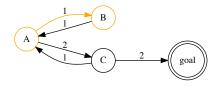


we start in node A



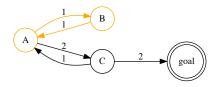


we expand B first



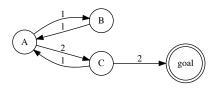


we expand A again, because we didn't remember anything! this will cycle until the depth limit is reached, and is very wasteful, especially in loopy state spaces.



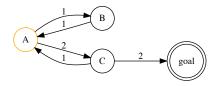


considering the same example graph, numbers on edges denote expansion order, but this time we'll remember what nodes are on the **current path**!



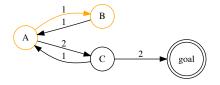


we start at node A, remembering A ("remembering" means push()-ing it on the stack)



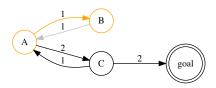


we expand B first, remembering B ("remembering" means push()-ing it on the stack)



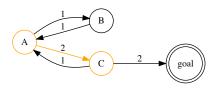


we should expand A again, but we remember it being on the **same path**. this avoids cycling until the depth limit is reached, saving some effort.



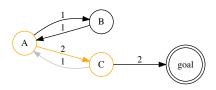


we expand C now, having explored the left-most subtree, **forgetting** the path we are not on anymore! ("forgetting" means pop()-ping the element off the stack).



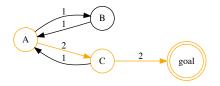


we should expand A again, but we remember it being on the **same path**. this avoids cycling until the depth limit is reached, saving some effort.





we expand the next node, which happens to be the goal node (again, after having explored the left-most subtree)





#### **CONCLUSION I**

- do not use a "closed set" with (DL)DFS
- instead, only avoid loops on the current path
- this is called **self-avoiding walk**



#### **CONCLUSION II**

- DLDFS is usually implemented using a stack
   implicit call-stack in recursive implementations
   explicit stack in iterative ones (LIFO)
   of course, your recursive implementation could also keep an explicit stack...
   check if expanded node is somewhere in the stack ("is it somewhere along the path we walked so far?")
  - ☐ we need a stack with a fast "contains" operation
  - incidentally, there is one such datastructure provided that has the desired behaviour

at.jku.cp.rau.search.datastructures.StackWithFastContains



#### **PRIORITY QUEUES**

- store elements with an associated priority
- retrieve elements in order of priority
- lacktriangleright retrieve operation in  $O(\log N)$  yielding the element with the highest priority
- please use the Priority Queue implementation provided in the framework
- this implementation is modified to fall back on insertion order in case of tied priorities
- this makes the behaviour of your search algorithms comparable to ours

at.jku.cp.rau.search.datastructures.StablePriorityQueue

