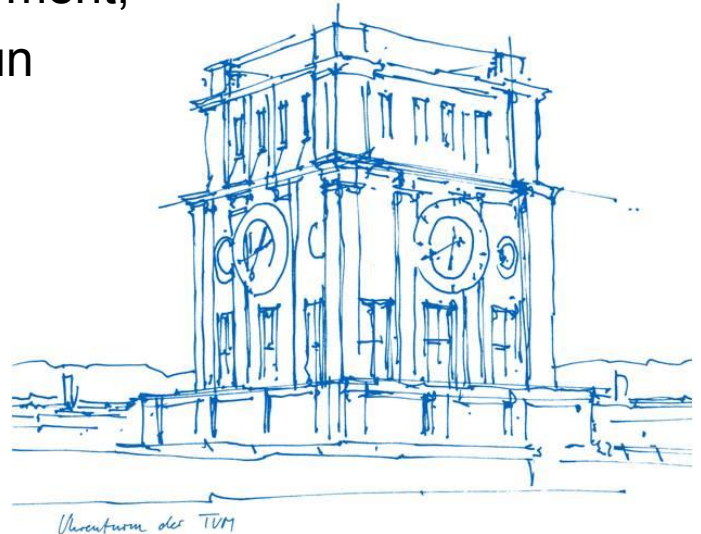


# Economics II – Macroeconomics

## IX. Technological progress, unemployment, and living standards in the long run

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# Outline

- I. Introduction to macroeconomics (chapter 1)
- II. Technological change and economic growth (chapter 2)
- III. The aggregate economy (chapter 13)
- IV. Aggregate demand and fiscal policy (chapter 14)
- V. The labour market (chapters 6 and 9)
- VI. Aggregate demand and unemployment (chapter 14)
- VII. Credit, banks and money (chapter 10)
- VIII. Inflation and monetary policy (chapter 15)
- IX. Technological progress, unemployment and living standards in the long run  
(chapter 16, [Mankiw: chapters 8.1, 8.2 and 9.1])**
- X. Economic and financial crises (chapter 17)

# IX. Technological progress, unemployment, and living standards in the long run

The Economy Ch. 16

- I. The context**
- II. The Solow Model
- III. Job creation and unemployment
- IV. Long-run Labour Market Model

# The context

- Technological change improves long-run living standards but can cause short-run unemployment by replacing labor.
- However, long-run patterns of unemployment across countries are not entirely explained by national differences in innovation over time.
  - How can institutions and policies explain these differences?
  - How can we model the effects of institutions and policies on long-run unemployment and economic growth?

# Technological progress and living standards

- Firms can earn **innovation rents** by introducing new technology.
- Firms that cannot keep up with innovation eventually fail (**creative destruction**).

Technological progress and **capital goods** accumulation are complementary:

- New technologies require new machines
- Technological advance is needed for increasingly capital-intensive methods of production to be profitable.
- This process allows a sustained increase in average living standards.

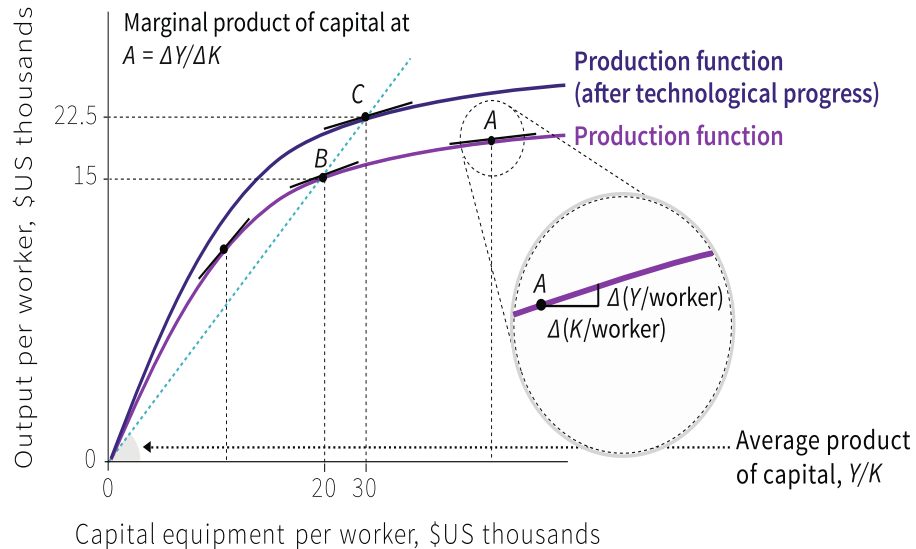
# Modelling technological progress

**Capital intensity** of production: capital goods per worker

**Labour productivity**: output per worker

Technological progress rotates the production function upwards.

- This increases the APL and offsets the **diminishing marginal returns to capital**...
- Which makes it profitable to invest, leading to increased capital intensity.
- This process allowed average living standards to increase in the long run



# Capital and GDP per Worker

If accumulation of capital proceeded in the absence of technological progress:

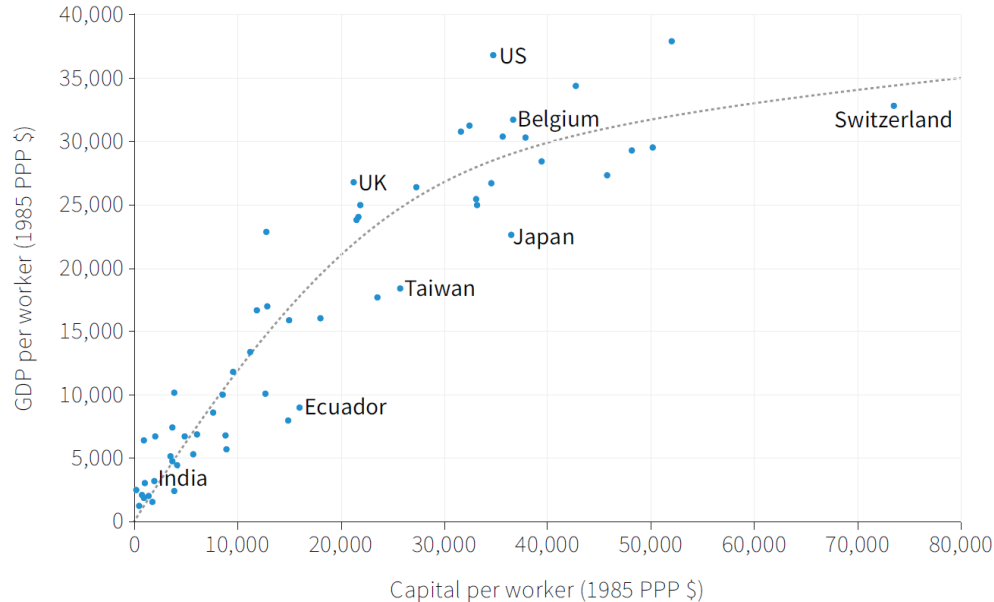
An economy might progress in stages

From being like Ecuador

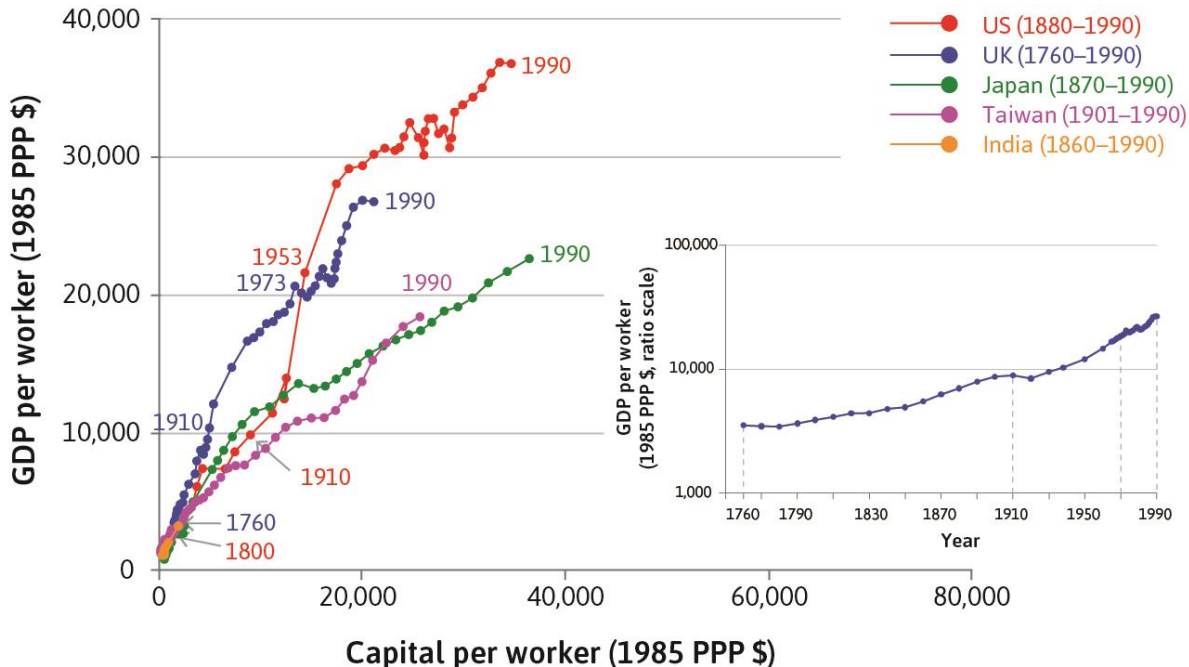
→ Belgium

→ Switzerland

Progresses along the dotted line of the production function: contribution of additional capital goods to increased production would eventually become so small that **capital accumulation** could no longer drive growth in labor productivity and living standards



# Technological Progress and the production function



Unlike the concave production function, capital productivity remained roughly constant over time in the technology leaders.

**This is because these countries experienced a combination of capital accumulation and technological progress!**



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# The growth model by Solow (Nobel prize 1987)

## A model of “exogenous growth” (neoclassical)

- Technological progress is the engine of growth
- Technologies are considered as exogenously given

There are also models with “endogenous growth” (new growth theory)

- Try to explain the engine of growth
- Understand the economic forces underlying technological progress (and savings)
- Romer (1987, 1990), Grossman and Helpman (1991), Aghion and Howitt (1992)

# Predictions from the Solow model

The Solow model predicts that

Countries with little accumulated capital per capita show higher growth rates in the short-run

→ Explains catching up of developing countries over time

Long-run economic growth is only possible in the presence of technological progress

→ Explains the growth paths that we see in knowledge economies since the industrial revolution

# Assumption in the Solow model

$K$ , the capital stock, is no longer constant:

- $K$  increases through investments.
- $K$  decreases through depreciation (depreciation rate  $\delta$ ).

1.  $L$ , the number of labor force participants, increases through population growth (growth rate  $n$ )
2. Technological progress increases the productivity of workers, i.e. labor productivity (efficiency of labour  $E$ ) increases (growth rate  $g$ ).
3. For simplicity, government expenditure ( $G$ ), taxes ( $T$ ), exports ( $X$ ) and imports ( $M$ ) are not part of the model.

# The Solow model

Notation:  $y = Y/L$  = Output per capita  
 $k = K/L$  = Capital per capita

$y = Y/LE$  = Output per unit of effective labour  
 $k = K/LE$  = Capital per unit of effective labour

Production function per unit of effective labour:  $y = f(k)$

Savings (=investments  $i$ ) per unit of effective labour:  $s \cdot y = s \cdot f(k)$

Consumption per unit of effective labour:  $c = y - i = f(k) - sy$

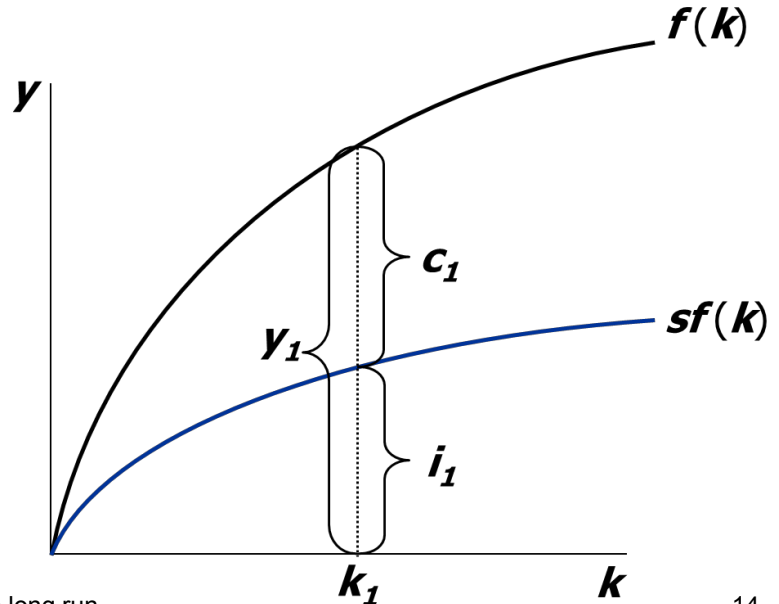
# The Solow model

Total output is divided between consumption and investments

Savings are used to finance these investments

Question:

What is the required level of investment  
to keep  $k$  constant?



# The Solow model

The break even investment, i.e. the steady state is at the point where:

$$s \cdot f(k) = (\delta + n + g)k$$

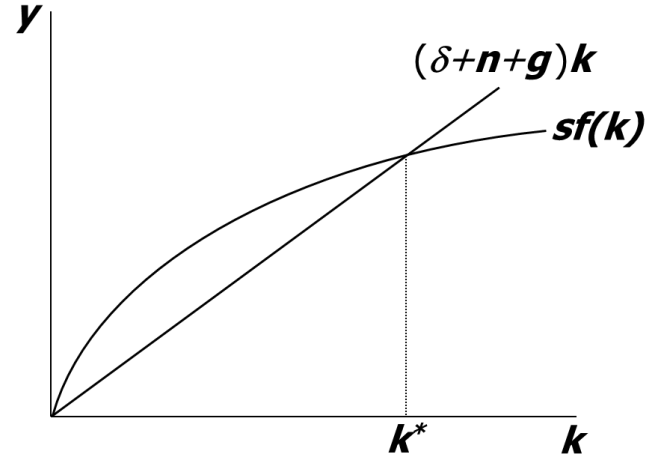
The break-even investment comprises:

- $\delta k$ , to replace depreciated capital
- $nk$ , to endow the increase in the production factor labour caused by population growth with capital
- $gk$ , to endow the increase in production factor labour caused by technological progress with capital

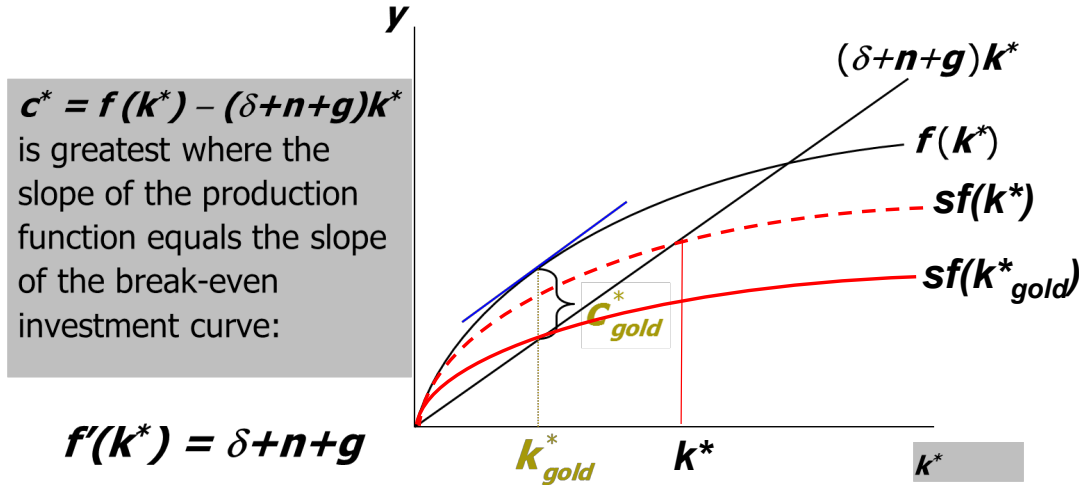
- **In the steady state:** capital stock per unit of labour = constant  $\rightarrow$  K and L grow with the same rate!
- **Total output does grow because  $Y = f(K; L)$**

*Change of the capital stock per unit of effective labour:*

$$\Delta k = sf(k) - (\delta + n + g)k$$



# The “Golden-Rule” level of capital stock



Assume policy makers can implement policies to determine a steady state level of capital that maximizes consumption per worker.

- This is known as the **golden rule level** of capital ( $k^*_{gold}$ ).

Consumption per worker is the difference between output and investment per worker  
→ we want to choose  $k^*$  so that this distance is maximized. **Adjustment via savings!**



# Technological Progress in the Solow Model

Prediction of the Solow model:

- In the steady state:
  - capital stock per unit of labour is constant** because  $K$  and  $L$  grow with the same rate
- Total output does grow because  $Y = f(K; L)$

**But why do we see sustained growth in *output per capita*, i.e. GDP/capita ( $y = Y/L$ )?**

# Technological Progress in the Solow Model

- Remember:  $y = \frac{Y}{L}$  and  $\mathbf{y} = \frac{Y}{LE}$  and output per unit of effective labour  $y$  is constant

→ We can write:  $\mathbf{yE} = y$  and because  $\mathbf{y}$  is constant:  $\mathbf{y\dot{E}} = \dot{y}$

$$\frac{Y}{LE} \dot{E} = \dot{y}$$

$$\text{if } \frac{\dot{E}}{E} \equiv g_E \rightarrow y g_E = \dot{y}$$

$$\rightarrow g_E = \frac{\dot{y}}{y} = g_y$$

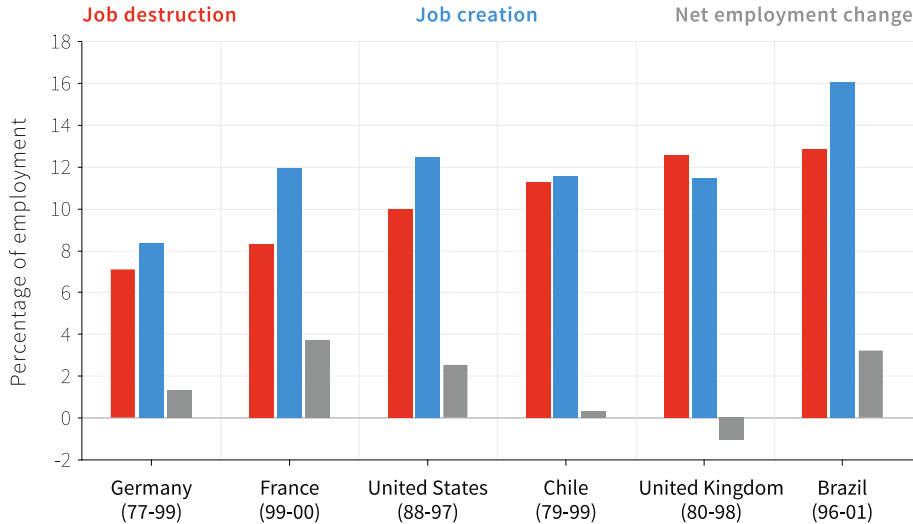
→ **Output (or income) per capita grows with the same rate as technological progress!**

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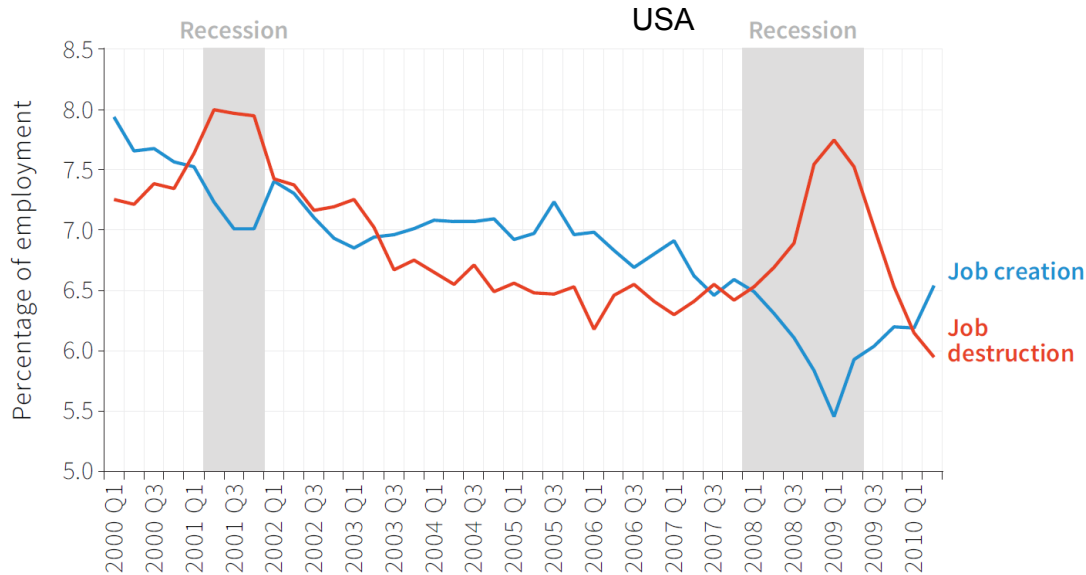
# Job creation/destruction



Labor-saving technological progress can also create jobs e.g. reallocation of work from low- to high-productivity firms

**Net employment change = job creation – job destruction**

# Cyclicality of job creation and destruction

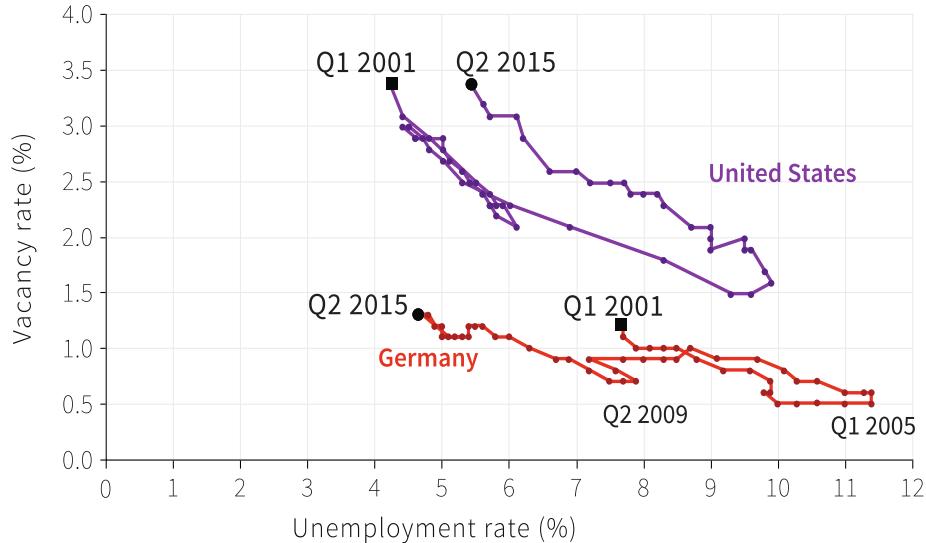


- Job creation is strongly **procyclical**  
→ moves in the *same direction* as aggregate output
- Job destruction is **countercyclical**  
→ moves in the *opposite direction* to aggregate output

# The Beveridge Curve

The **Beveridge curve** shows the inverse relationship between the unemployment rate and the job vacancy rate.

- During recessions, firms post fewer vacancies and lay off more workers due to lower demand.
- During booms, firms post more vacancies and need more workers to cope with rising demand.



# Labour market matching

- Some factors prevent newly unemployed people from being matched with newly posted jobs
- Newly posted vacancies are not filled instantly because of issues with **labor market matching**:
  - Mismatch – unemployed workers may not have the skills required for the job; jobseekers and vacancies may be located in different parts of the country
  - Industry-specific shocks or shocks that prevent workers from moving increase mismatch (lower efficiency)
  - Jobseekers and/or employers may not know about each other

# Labour market matching

- Matching should be easier when there is a larger pool of the unemployed from which to select.
- A combination of high unemployment and a large number of vacancies → inefficiency in the matching process in the labour market.
- The Beveridge curve reflects that:
  - German labour market appears to do a better job of matching workers seeking jobs to firms seeking workers.
  - Vacancy rate in Germany is lower than in the US for any year, although the two countries experienced a common range of unemployment rates.
  - Beveridge curves can shift due to reforms: the Hartz reforms provided better guidance to unemployed workers in finding work and reduced the level of unemployment benefits sooner to provide the unemployed with a stronger motive to search



# Labour market matching

- Why did the Beveridge Curve move to right for the USA?
  - Many redundancies in one industry: The global financial crisis between 2008 and 2009, and the recession that followed, particularly affected the housing construction industry.
  - Skill-based mismatch between the unemployed and vacancies available.
- Collapse of US housing prices: When house prices fell, many homeowners were trapped in a house that was worth less than they had paid for it.
  - They could not sell their house and move to an area with more job vacancies, and this restricted their choice of jobs.



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- V. The role of institutions and policies

# Long-run unemployment

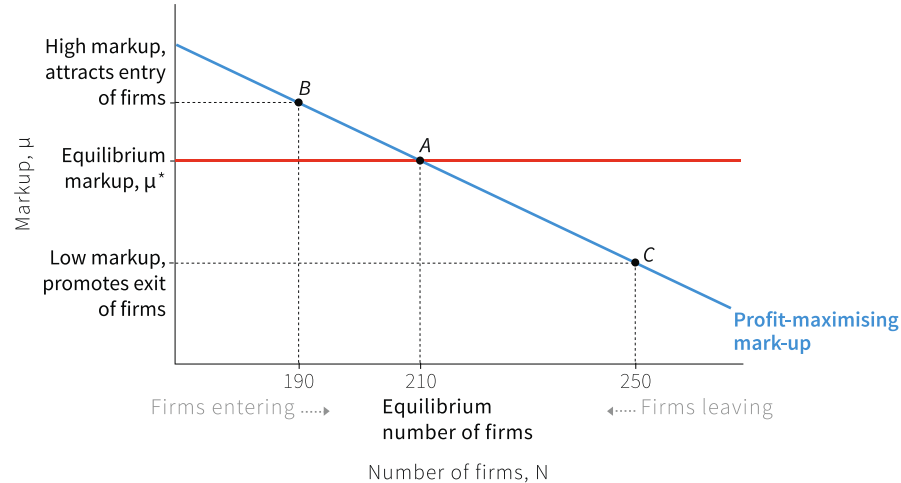
- In the long run, firms can enter/exit (so capital stock can change)

**Long-run equilibrium** in the labor market is when wages, employment level, and the number of firms are constant

- Long-run employment rate depends on how well policies and institutions deal with:
  - Work incentives - depend on **wage-setting curve**
  - Investment incentives - depend on **price-setting curve**

# Firm entry and exit

- The more firms, the more competitive the economy.
- Higher elasticity of demand facing the firms when they sell their products (less 'steep' demand curves).
- The markup that maximizes the firm's profits will fall, because, the markup,  $\mu$ , is  $1/(\text{elasticity of demand})$ .
- The markup that is just sufficient to retain the existing number of firms is  $\mu^*$ .



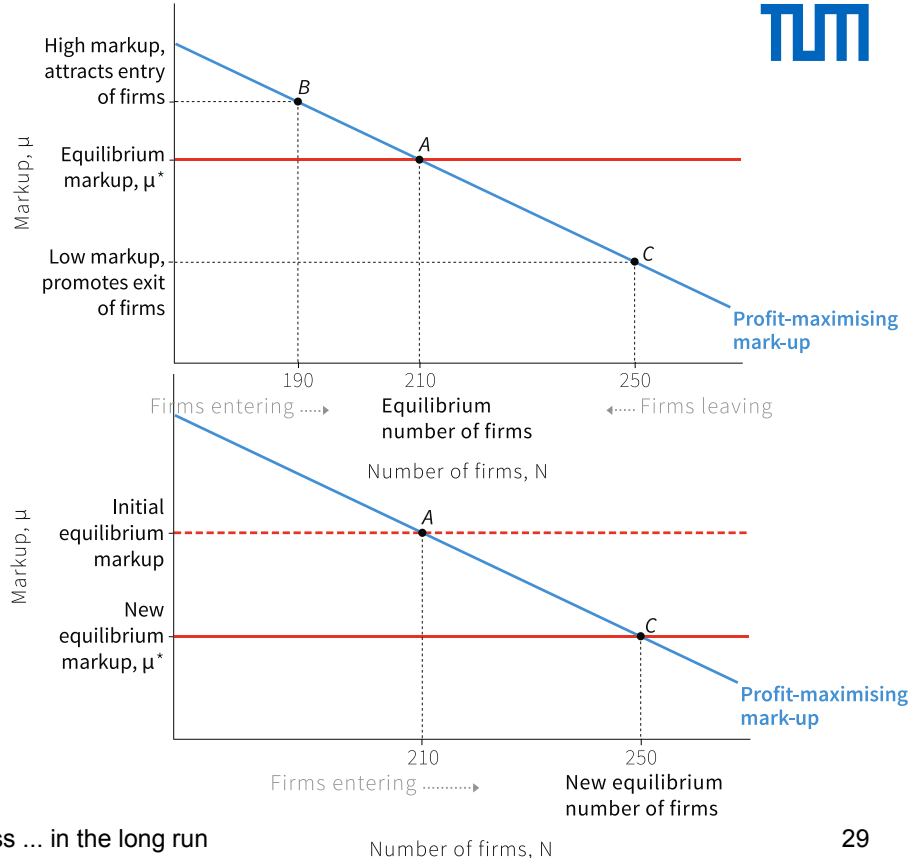
# Firm entry and exit

The profit rate determines the number of firms in the market

Self-correcting process:

- more firms
- = more competition
- = higher elasticity of demand
- = lower markup
- = fewer firms

**Equilibrium profits can change due to legislation e.g. property protection or “ease of doing business”**

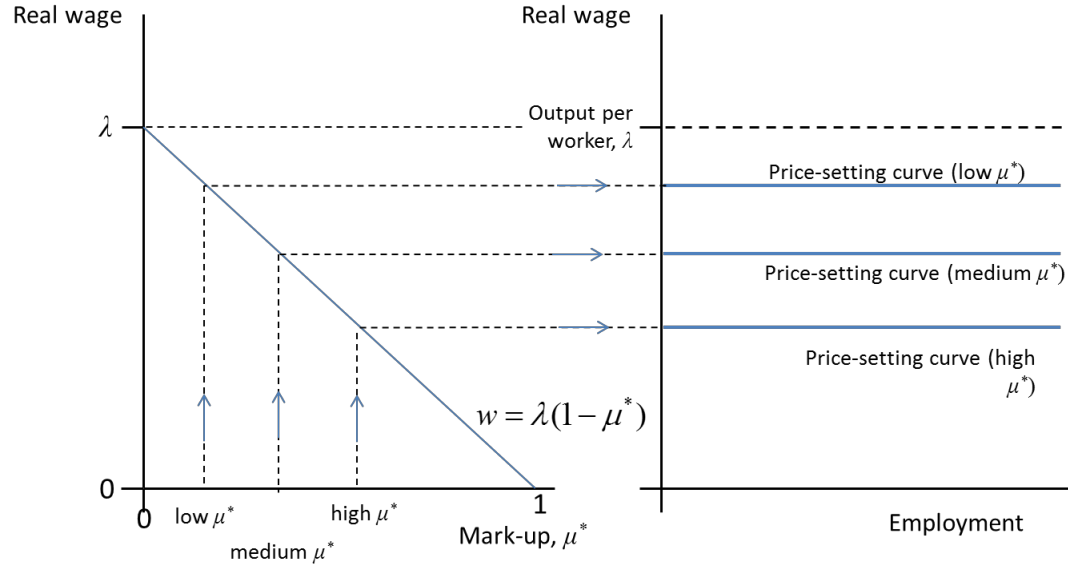


# Long-run price-setting curve

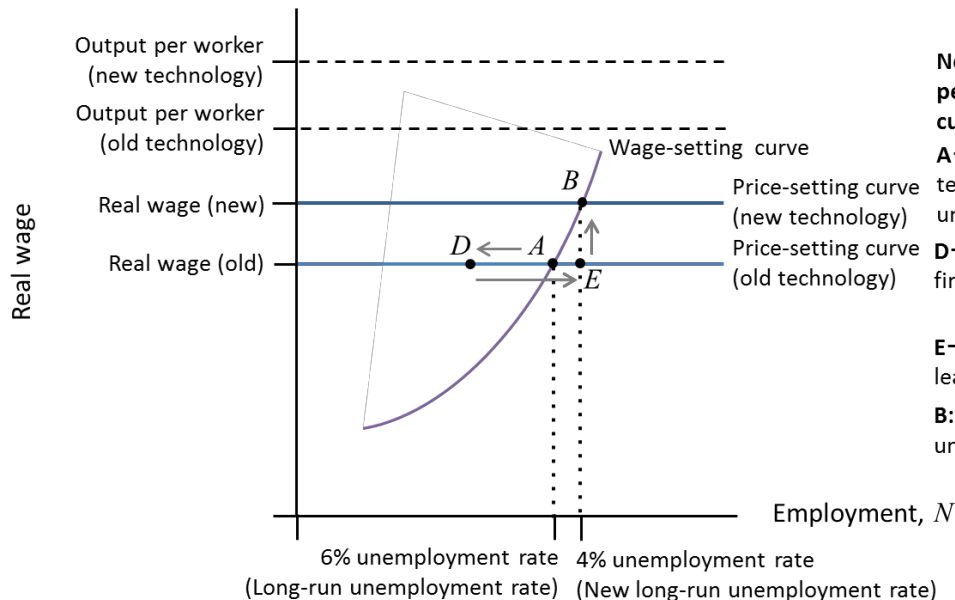
Remember: Price-setting by firms produces the price setting curve. It splits output per worker into real profit per worker, and the real wage per worker.

Real wage depends on productivity ( $\lambda$ ) and equilibrium profits ( $\mu^*$ ).

$$w = \lambda(1 - \mu^*)$$



# Technological improvement



**New technology shifts up output per worker and the price-setting curve**

**A → D:** Introduction of new technology leads to a rise in unemployment

**D → E:** High profits encourage new firms to enter

**E → B:** Lower unemployment leads to rising real wages

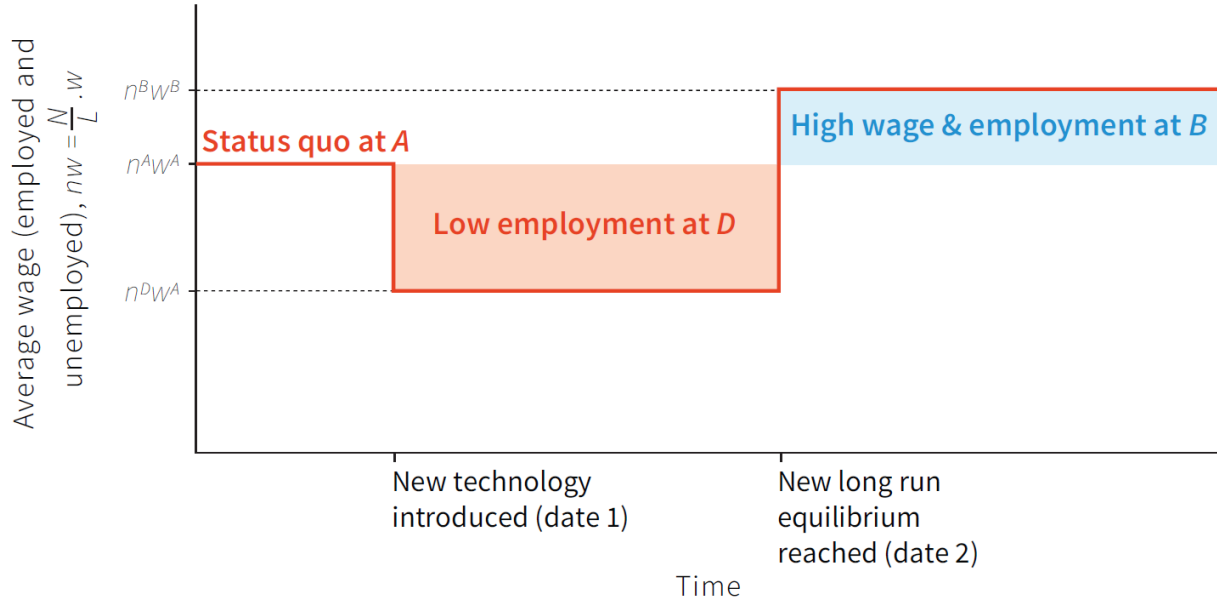
**B:** The new long-run rate of unemployment is 4%

# Technological improvement

- New technology can increase both real wages and employment in the long-run!
  - But: the adjustment process takes time, and may involve job destruction in the short-run.
- 
1. **Adjustment gap:** the lag between some outside change in labor market conditions and the movement to the new equilibrium
  2. **Diffusion gap:** the time it takes for whole economy to adopt the innovation



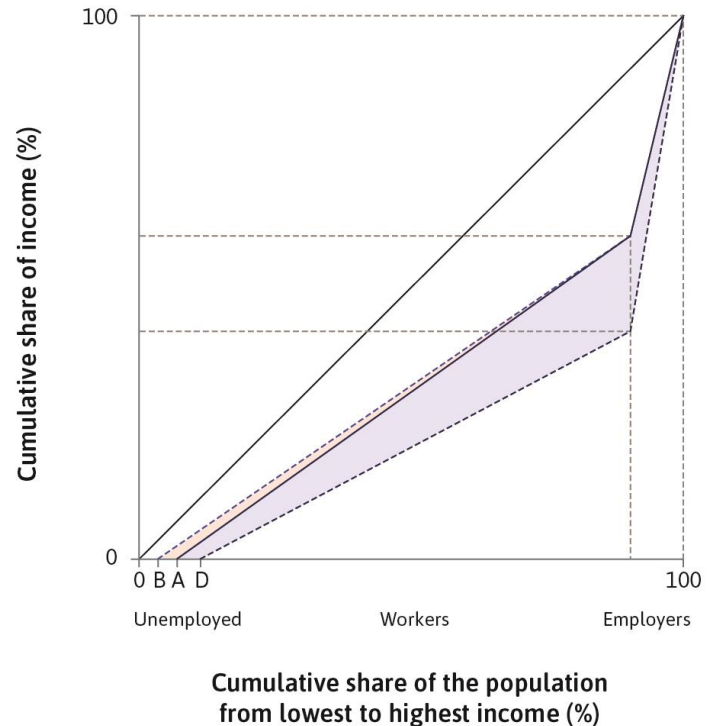
# Long-run effects of technological change



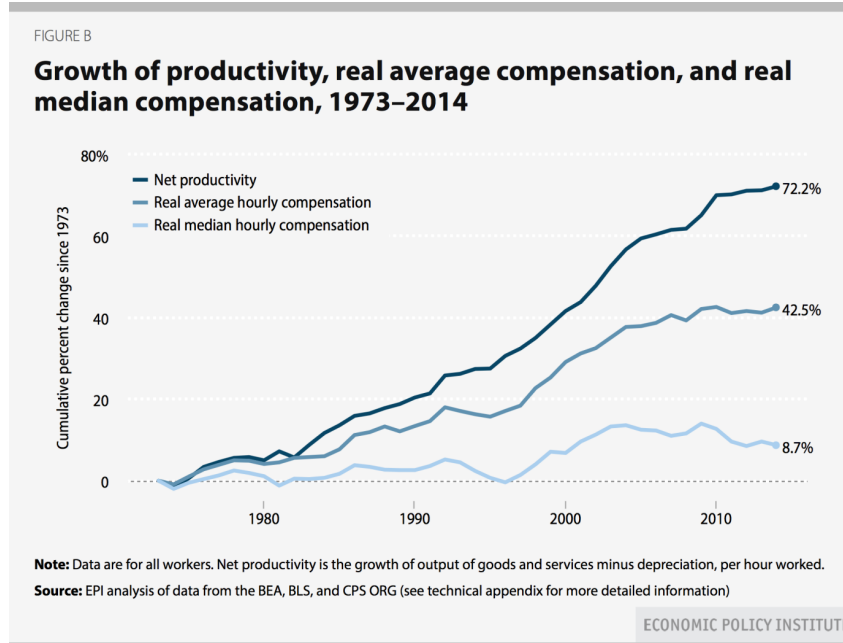
# Effect on inequality

In this example, technological change increased inequality in the short run but reduced inequality in the long run:

- Employees' share of output returned to initial levels due to an increase in real wages
- The higher real wage motivated employees to work hard at a lower level of unemployment.



# Productivity and wages in the long-run



# Mark-ups in the long-run



The Economist

Economist.com

# Summary

1. The **Solow model** explains catching up and shows that GDP per capita grows with the rate of technological progress
2. The **Beveridge curve** shows efficiency of labour markets
3. The **Long-run labour market model shows how wages and employment evolve**
  - Long-run price-setting curve depends on incentives to invest
  - Long-run wage-setting curve depends on productivity
4. **Differences in labour market outcomes across countries**
  - Institutions and policies matter for long-run outcomes
  - Successful countries reduced the adjustment and diffusion gap due to technological change

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