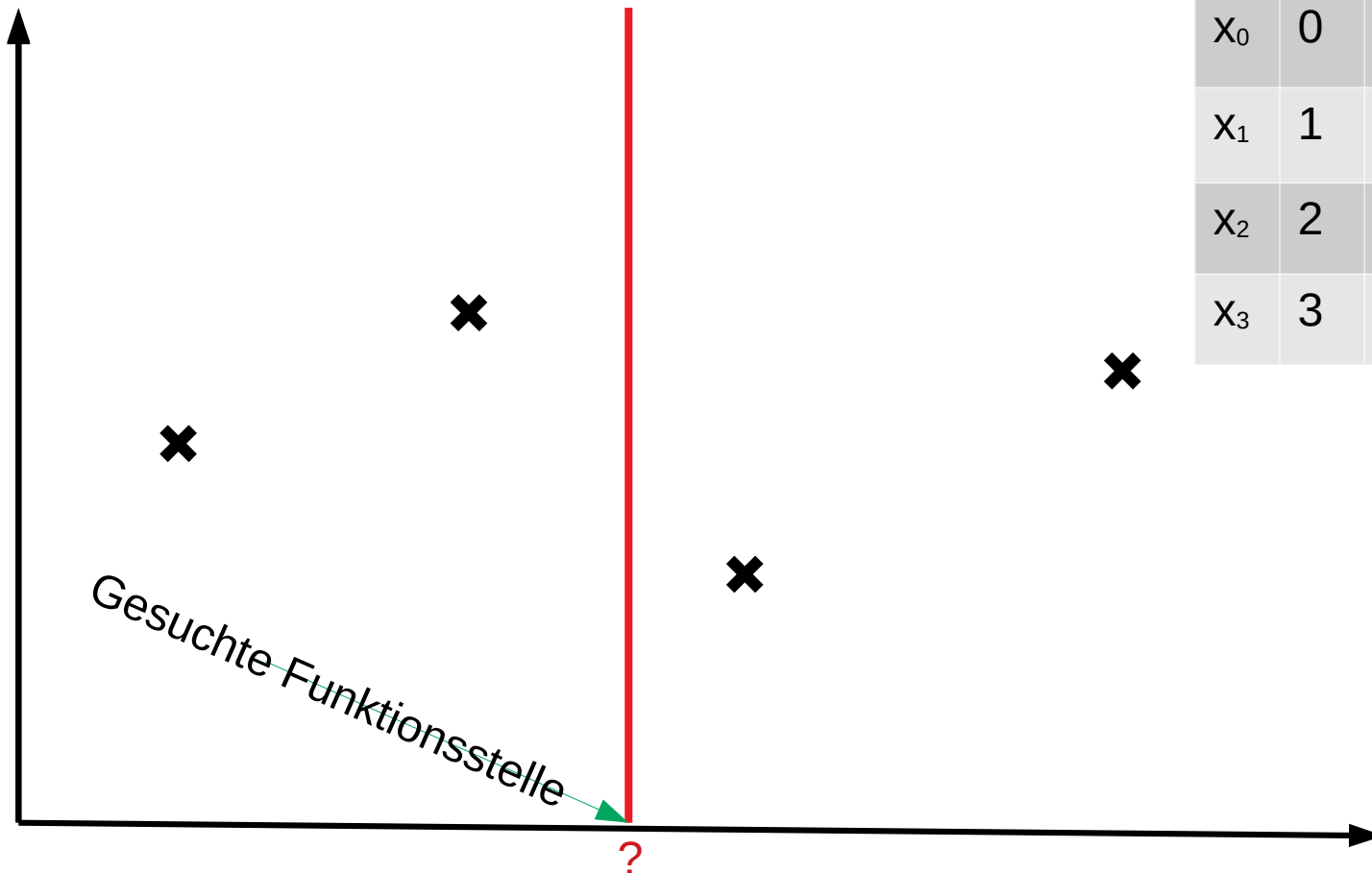
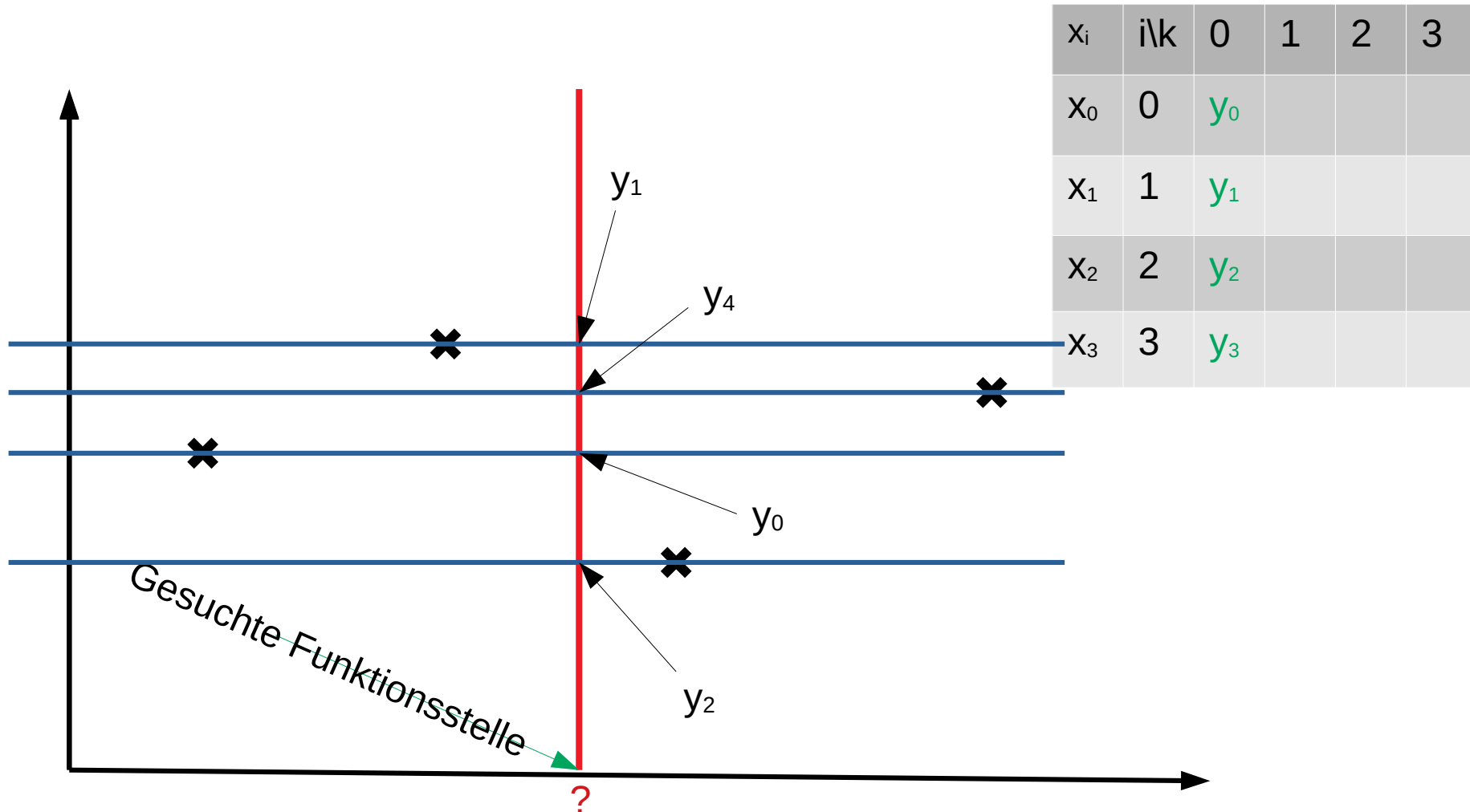


Aitken-Neville graphisch

x_i	$i \backslash k$	0	1	2	3
x_0	0				
x_1	1				
x_2	2				
x_3	3				

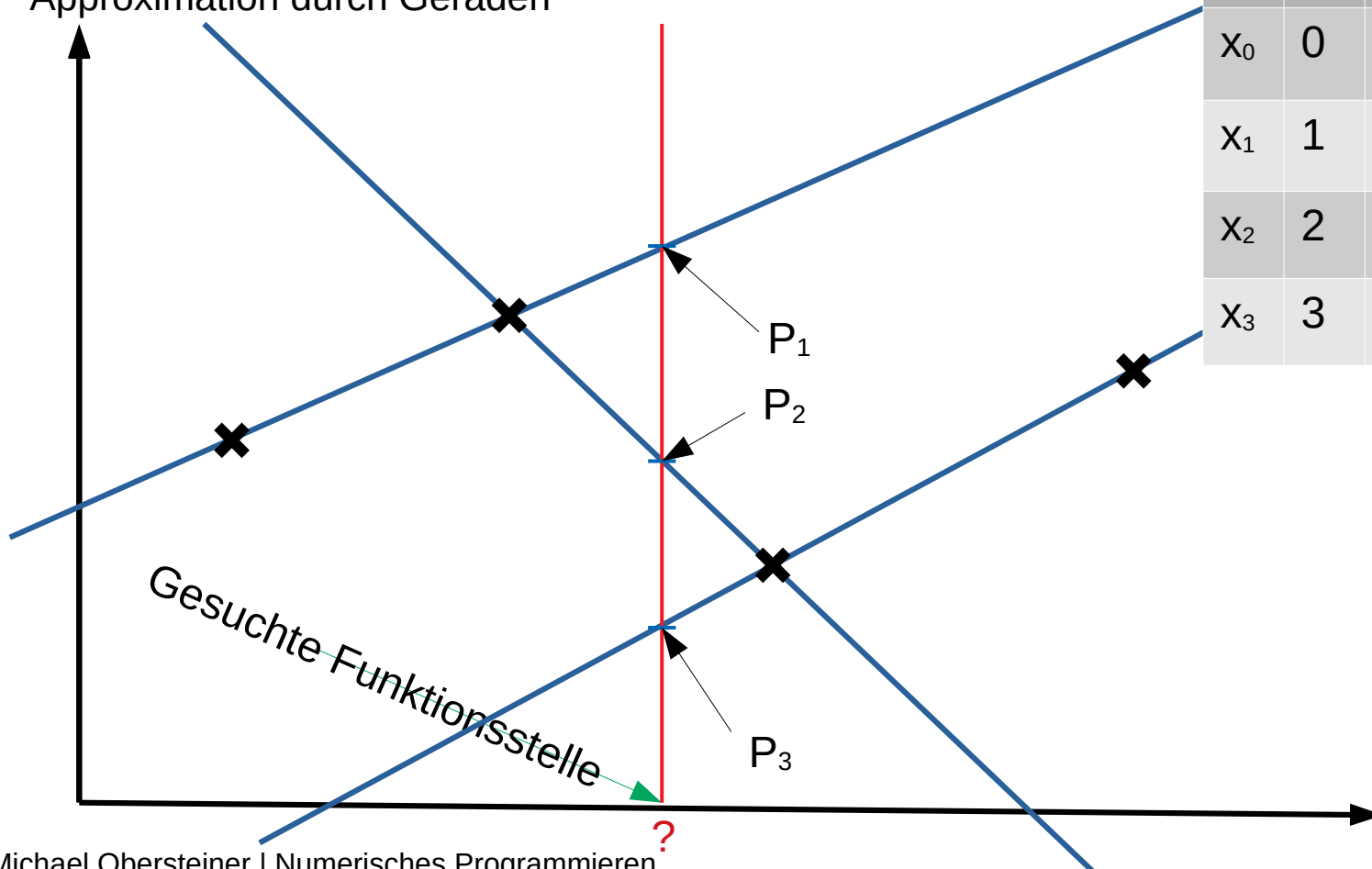


Aitken-Neville graphisch



Aitken-Neville graphisch

- Approximation durch Geraden

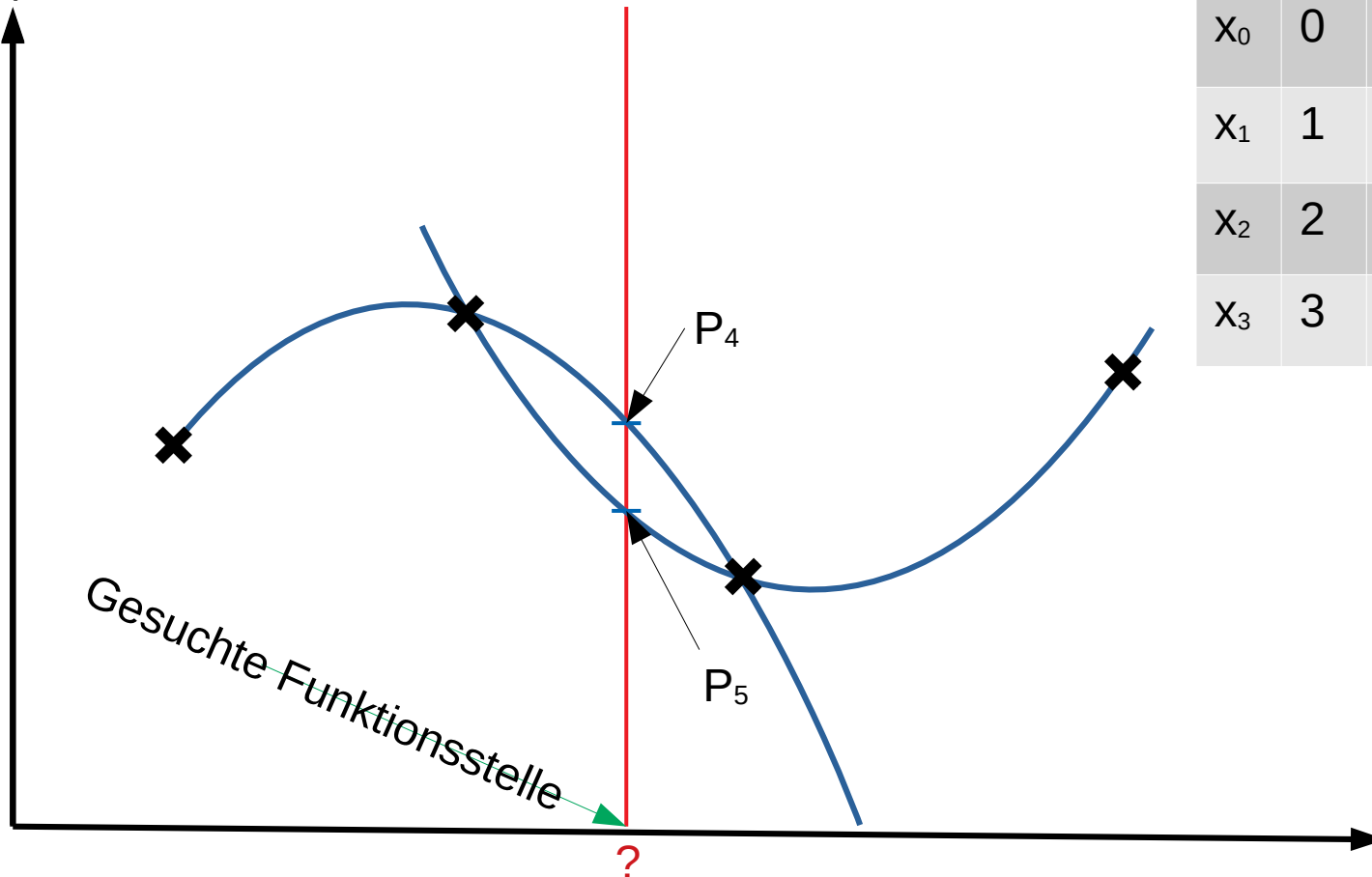


x_i	$i \setminus k$	0	1	2	3
x_0	0	y_0	P_1		
x_1	1	y_1	P_2		
x_2	2	y_2	P_3		
x_3	3	y_3			

Aitken-Neville graphisch

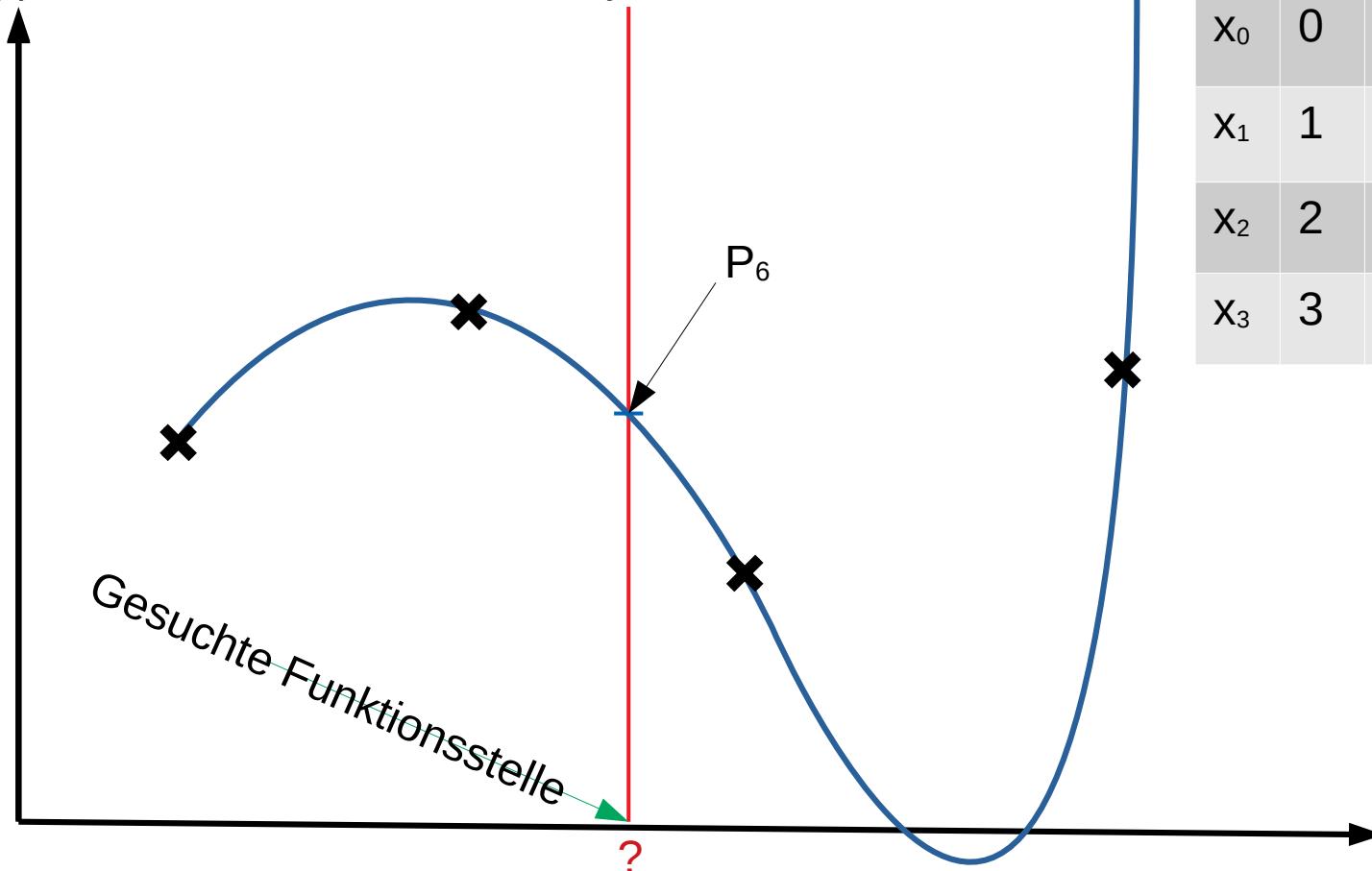
- Approximation durch Parabel

x_i	$i \setminus k$	0	1	2	3
x_0	0	y_0	P_1	P_4	
x_1	1	y_1	P_2	P_5	
x_2	2	y_2	P_3		
x_3	3	y_3			



Aitken-Neville graphisch

- Approximation durch kubisches Polynom



x_i	$i \setminus k$	0	1	2	3
x_0	0	y_0	P_1	P_4	P_6
x_1	1	y_1	P_2	P_5	
x_2	2	y_2	P_3		
x_3	3	y_3			

Aitken-Neville Berechnung

- Initialisierung: $p[i, 0] = f(x_i) = y_i$

- Iterationsvorschrift:

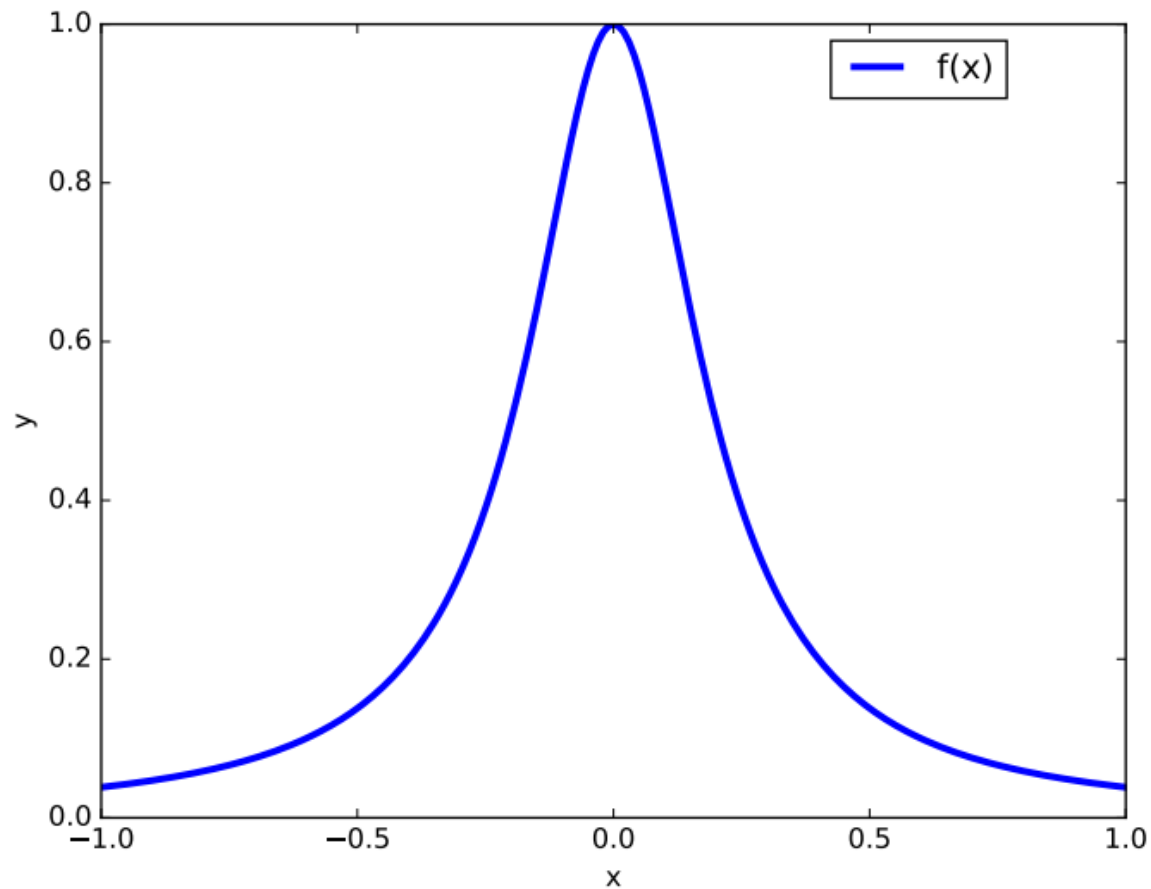
$$p[i, k] := p[i, k - 1] + (x - x[i]) / (x[i + k] - x[i]) * (p[i + 1, k - 1] - p[i, k - 1])$$

- Darstellung:

x_i	$i \setminus k$	0	1	2	...
x_0	0	$p[0, 0] = y_0$	$\rightarrow p[0, 1]$	$\rightarrow p[0, 2]$	$\rightarrow \boxed{\dots}$
			\nearrow	\nearrow	
x_1	1	$p[1, 0] = y_1$	$\rightarrow p[1, 1]$	$\rightarrow \vdots$	
			\nearrow		
x_2	2	$p[2, 0] = y_2$	$\rightarrow \vdots$		
\vdots	\vdots	\vdots			

- Interpolationswert an Stelle x: $p[0, n]$

Runge Effekt



Runge Effekt

