

COURSE WEBSITE

<http://physics177-2018.github.io>

↑ not the old one on my account

TODAY: START w/ PRACTICUM

→ HW1b → GitHub

then: ERROR

QUESTIONS?

I AM A GUIDE,
NOT NEEL A GURU

This class is about
YOUR path

→ YOUR PORTFOLIO

→ YOUR SOLUTIONS

(NOT "the" solution)

(Namaste)

~~REVIEW~~

A BIT ABOUT PYTHON

↑

Relatively new language

PRO: READABLE

compared to older languages

} vs. eg. FORTRAN

"FULLY POWERED"

- OBJECT ORIENTED
- MANY LIBRARIES

← vs. eg. script languages

QUICK (to write)

- scriptable
- interpreted

vs. c++

CON: SLOW

→

we won't be too worried
RECENT TREND: HARDWARE WILL
CATCH UP, BETTER TO CODE
UNDERSTANDABLY

BUG HUNTING

MODIFYING CODE

eg in a software company:
executing Python may be
slower... but you gain time
on human end: bug hunt,
update,

two big themes in this class

Practicum

Python interpreter

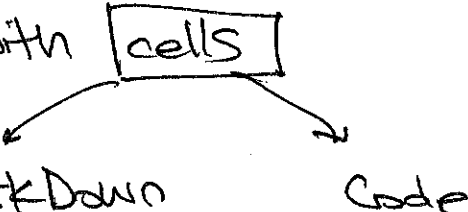
> Python 3

EXAMPLES from :

An Informal Intro to Python
docs.python.org/3/tutorial

Jupyter

→ same! but with cells



```

graph TD
    cells[cells] --> MarkDown[MarkDown]
    cells --> Code[Code]
  
```

cells have to be executed (SHIFT + ENTER)

MarkDown → typeset

Code → evaluate
 AS IF YOU JUST PUT IT
 INTO INTERPRETER

GitHub → your first assignment
 homework 1b.ipynb
 walk-through

ROUNDING
ERROR

numbers in Python

CH. 4 NEWMAN
REV. CH. 2 FOR
BASICS

integers

float

complex

← decimals

← $a + ib$

→ $a + jb$

REMEMBER: RULES FOR MIXING TYPES!

all this is ultimately binary

REMINDER

| | | | | | | |
|---|---|----|----|-----|-----|-----|
| 0 | 1 | 2 | 3 | 4 | 5 | ... |
| 0 | 1 | 10 | 11 | 100 | 101 | ... |

QUESTION: What is the best way to count on your hands? ↗

↑ finger binary

MAX #
you can
count?

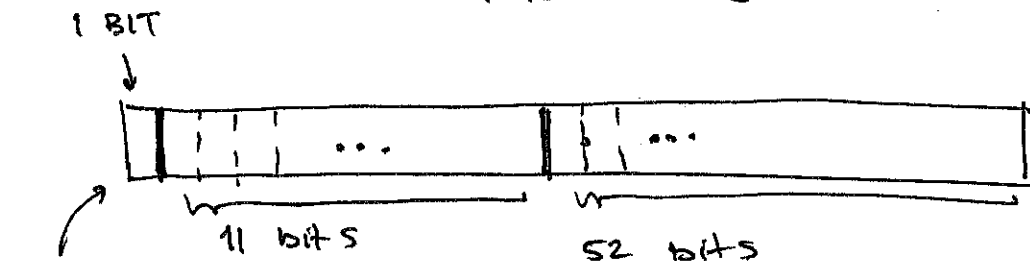
CLAIM: 1 hand: $(2^5 - 1) = 31$

LESSON: EXPONENTS

Python: 64 bit ↔ float

encoding: "IEEE 754" ← some standard

↑ name doesn't matter, but I'm
really curious why it has
this name



"fraction" / significant / mantissa

$$\boxed{\begin{array}{|c|c|c|} \hline 1 & \dots & \dots \\ \hline \end{array}} = (-)^{\text{sign}} \times \left[1.\underbrace{\dots}_{\text{fraction (52 bits)}} \right]_2 \times 2^{\text{exp} - 1023}$$

1 bit 11 bit
 base 2

$$2^{10} = 1024$$

BIAS: allows big #s & small #s

claim [check this]:

the largest number this can encode is

$$1.797 \dots \times 10^{308} \quad (\text{base } 10)$$

↑
so avoid numbers this big

TRY : $x = 1.1 \times 10^{308}$

$$y = 10 * x$$

$$1.1 \text{E} 308 * 10 = \underline{\underline{\text{inf}}}$$

not a mathematical truth!

smallest # : $2.2 \dots \times 10^{-308}$

2 kinds of Error

① numerical precision / rounding error
 ↑ limits imposed by Python

② approximation

↑ our choice

eg ϵ of Taylor expansion
 or size of Riemann sum boxes

- you cannot beat num. precision (irresolvable)
 ↳ can work around w/ diff. data types

- so no point in improving approx beyond rounding error.

↑ IN FACT: usually you will be time limited.

RULE OF THUMB: float precision is 16 digits
 (in decimal)

$$\left(\begin{array}{c} \text{318 FLOPS} \\ \hline 2^{52} \approx 4.5 \times 10^{15} \end{array} \right.$$

$$2^{-52} \approx 2.2 \times 10^{-16}$$